

LUNAR ROBOTIC PRECURSOR MISSIONS USING ELECTRIC PROPULSION

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Lunar Robotic Precursor Missions Using Electric Propulsion

Richard G. Winski

Abstract

A trade study is carried out for the design of electric propulsion based lunar robotic precursor missions. The focus is to understand the relationships between payload mass delivered, electric propulsion power, and trip time. The results are compared against a baseline system using chemical propulsion with LOX/H₂. The major differences between the chemical propulsion based and electric propulsion based systems are presented in terms of the payload mass and trip time. It is shown that solar electric propulsion offers significant advantage over chemical propulsion in delivering non-time critical payloads to lunar orbit.

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List of Symbols

ΔV_{chem}	= delta velocity for chemical propulsion mission ($\frac{m}{s}$)
ΔV_1	= delta velocity for chemical phase ($\frac{m}{s}$)
ΔV_2	= delta velocity for electric phase ($\frac{m}{s}$)
$\Delta V_{2_{eff}}$	= $\Delta V_{chem} - \Delta V_1$ ($\frac{m}{s}$)
η_v	= mission planning efficiency
c_1	= effective chemical thruster exhaust velocity ($\frac{m}{s}$)
c_2	= effective electric thruster exhaust velocity ($\frac{m}{s}$)
I_{sp}	= specific impulse (sec)
v_{ch}	= system's characteristic velocity ($\frac{m}{s}$)
I_s^*	= optimum specific impulse (sec) either fixed or variable thrust
g	= acceleration due to gravity ($\frac{m}{sec^2}$)
G	= gravitational constant ($\frac{Nm^2}{kg^2}$)
θ	= angle between spacecraft and line of nodes (radians)
M	= spacecraft mass (kg)
M_o	= planet mass (kg)
F_θ	= thrust along the flight path (N)
T	= thrust (N)
P	= power (Watts or kW)
η	= electric propulsion thruster efficiency
\dot{m}	= propellant mass flow rate ($\frac{kg}{s}$)

Nomenclature

HET	Hall Effect Thruster
RLEP	Robotic Lunar Exploration Program
RPS	Robotic Precursor System
ERPS	Electric Robotic Precursor System
LEO	Low Earth Orbit
GTO	Geosynchronous Transfer Orbit
LLO	Low Lunar Orbit
GEO	Geosynchronous Earth Orbit
SEP	Solar Electric Propulsion
TLI	Translunar Injection
LOX	Liquid oxygen
ADCS	Attitude Determination and Control System
GNC	Guidance Navigation and Control
TCS	Thruster Control System
PCS	Propellant Control System
TCU	Thruster Control Unit
PPU	Power Processing Unit
LRO	Lunar Reconnaissance Orbiter

Chapter 1

Introduction and Background

The space exploration program laid out in 2004[1] specifies objectives for lunar exploration. Among these are to undertake activities that prepare for and enable future human exploration, including a series of robotic missions, and the use of these exploration activities to develop new approaches, technologies, and systems for the future[2][3].

With these overarching goals in mind, there is a need to deliver non-time critical payloads in the near future for Robotic Lunar Exploration Program (RLEP) missions and for human explorations of the Moon. A direct drive Solar Electric Propulsion (SEP) system may be advantageous for such a purpose as it has the potential to deliver more payload to the lunar surface than chemical propulsion and reduce the mission cost.

This paper investigates the concept of solar electric propulsion for robotic lunar missions using high power Hall thrusters. A trade study is carried out to understand the relationships between payload mass delivered, electric propulsion power, and trip time. A comparison is made to a chemical propulsion system with LOX/H₂ as the baseline. In this study, the system will be called a Robotic Precursor System (RPS) and the electrically propelled version will be called the Electric Robotic Precursor System (ERPS). The major differences between the two systems are presented in terms of the two possible sets of payloads (one for the chemically propelled probe and one for the electrically propelled probe) and trip times.

Both orbiters and landers are mentioned as possible missions. Several launch systems are mentioned that are capable of delivering to Low Lunar Orbit (LLO), thus giving a rough range of future mission sizes being considered; estimates range from 274 kg to 6598 kg delivered[2]. For example, the Lunar Reconnaissance Orbiter (LRO) which is currently being designed, is slated to be approximately 1000 kg - 1450 kg[4]. A second planned RLEP mission is a lunar lander[5] launching as early as 2010. Available lander mass estimates range from approximately 250 kg to 550 kg delivered to the surface.

It has been previously shown that electrically propelled transfer vehicles provide mass advantages for Earth orbit raising missions when combined with chemical propulsion[6][7]. It has also been shown that Hall thrusters in the range of 10 kW using direct drive can propel small spacecraft to various small bodies within the solar system[8]. Another study investigated a solar electric propulsion option for cargo delivery to the lunar surface[9]. In that study a 3000 second specific impulse cargo tug was able to deliver twice that of a conventional chemical propulsion system. This study will investigate electrically propelled spacecraft using a direct drive Hall thruster for lunar missions for a much larger range of specific impulses and thruster power levels as applied to RLEP missions (up to 10,000 kg). To ensure a full mapping of the parameter space, the specific impulse is varied from 1000 seconds to 28,500 seconds and the thruster power level is varied from 10 kW to 200 kW.

1.1 Approach

1.1.1 Mission Definition

This study assumes certain parameters for the RPS and ERPS future vehicles and missions. The first RLEP mission considered will begin in 2010 and the missions will continue indefinitely. The RPS and ERPS launch into Geosynchronous Transfer Orbit (GTO), defined as $185 \text{ km} \times 35,786 \text{ km}$ at an inclination of 28.5° . The ending orbit is assumed to be a circular Low Lunar Orbit (LLO) at an altitude of 100 km.

The launch vehicle used here for the near term analysis is the Boeing Delta II 7925H-10, which can carry a payload of approximately 2100 kg[10] to GTO at an inclination of 28.7° ; the assumption is made that there is no difference for this small inclination difference. For the mid term and far term analyses, no assumption is made on the launch vehicle. The main requirement is that the transfer time be less than one year.

1.1.2 High-Thrust and Low-Thrust Trajectories

In this study, the trajectories considered for the chemical propulsion based RPS use a Hohmann transfer and calculated using the commercial software Satellite Toolkit (STK). The trajectories considered for ERPS consist of a low-thrust outward spiral orbit with constant thrusting and a downward spiral into lunar orbit. The radial and tangential orbital equations of motions follow[11].

$$M \left(\ddot{r} - r\dot{\theta}^2 \right) = -m \frac{GM_o}{r^2} \quad (1.1)$$

$$M \left(r\ddot{\theta} + 2\dot{r}\dot{\theta} \right) = F_\theta \quad (1.2)$$

The basic equations describing the electric propulsion for thrust and mass flow rate follow[12].

$$T = \frac{2\eta P_0}{gI_{sp}} \quad (1.3)$$

$$\dot{m} = \frac{T}{gI_{sp}} \quad (1.4)$$

For the ERPS the low-thrust Earth escape spiral is computed using orbital averaging, then ballistic coast to lunar sphere of influence is computed using two-body motion. Next, the low-thrust lunar capture spiral is computed using "backward" integration with orbital averaging and precise numerical integration. The transfer time was calculated using numerical integration for the low-thrust escape and capture spirals and the coast transfer time is calculated using two-body motion.

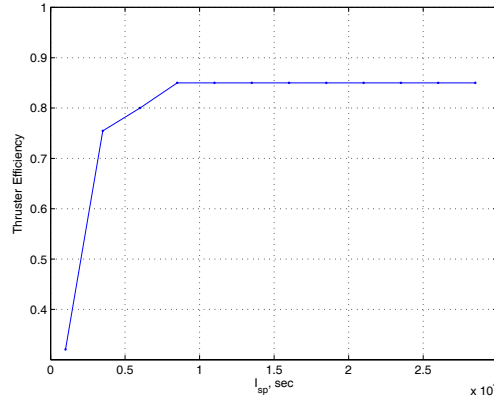


Figure 1.1: Hall Thruster Efficiency Model

The efficiency of the Hall thruster, η , is based on empirical data from testing of a 50 kW laboratory model[13]. The model used relates the efficiency of the thruster to the specific impulse; since the data only has a range to a specific impulse of 3000 sec, an assumption is made that after this point it rises to an asymptote leveling off around 0.85 based on other analyses of Hall thrusters[14], which can be seen in Figure 1.1.

Chapter 2

Mass Models

2.1 Robotic Precursor System Mass Model

The Lunar Reconnaissance Orbiter (LRO) is used as the model for future RPS systems. LRO has an estimated spacecraft dry mass of 1000 kg, bus mass of 495 kg, 405 kg of propellant, and 100 kg of payload. Therefore, approximately 83% of the LRO spacecraft dry mass is bus. This study uses that factor by assuming that 83% of the RPS dry mass is bus and the rest is payload mass.

Equation 2.1 defines the propellant mass as the amount launched into the initial orbit by the launch vehicle minus the mass in LLO. Equation 2.2 defines the bus mass as 83% of the dry mass, which is the spacecraft mass without propellant and shown here as the mass in LLO. Equation 2.3 defines the payload mass as the mass in LLO minus the bus mass.

$$M_{Propellant} = M_{LV} - M_{LLO} \quad (2.1)$$

$$M_{Bus} = 0.83 \times M_{LLO} \quad (2.2)$$

$$M_{Payload} = M_{LLO} - M_{Bus} \quad (2.3)$$

2.2 Electric Robotic Precursor System Mass Model

2.2.1 Spacecraft Model

The spacecraft mass model[15] is defined as a payload, the SEP stage, and the propellant, as shown in equation 2.4. The SEP stage is defined to have several major subsystems, as shown in equation 2.5: Attitude Determination and Control System (ADCS), Guidance Navigation and Control (GNC), Power, Propulsion, Structure, Telecommunications System (Comm), and Thermal Management System (Thermal). The propellant is determined using a trajectory code and the payload is defined as the launch vehicle capability minus the propellant and SEP stage, as shown in equation 2.6.

$$M_{S/C} = M_{Payload} + M_{Propellant} + M_{SEP} \quad (2.4)$$

$$M_{SEP} = M_{ADCS} + M_{GNC} + M_{Power} + M_{Propulsion} + M_{Comm} + M_{Thermal} \quad (2.5)$$

$$M_{Payload} = M_{LVCapability} - (M_{SEP} + M_{Propellant}) \quad (2.6)$$

2.2.2 Attitude Determination and Control System

The attitude control is assumed to be provided by vectoring the thrust from the electric thrusters using a gimbal system, which is the only defined component of the attitude determination and control (ADCS) system. The gimbal system is defined as 35% of the electric thruster and the ADCS mass calculation is shown in Equation 2.7.

$$M_{ADCS} = 0.35 \times M_{Thruster} \quad (2.7)$$

2.2.3 Guidance Navigation and Control System

The GNC is assumed to have a fixed mass of 1 kg. This assumption is made on the basis of historical information.[15]. This is typically a small mass and will not impact the overall results significantly.

2.2.4 Power System

The power system is defined to use solar arrays and there is no consideration of power storage. The equation for calculating the power system mass is shown in Equation 2.8 and includes miscellaneous mass to account for some cabling and drive assemblies. The solar array mass is calculated by dividing the required output power by the solar array specific power as shown in Equation 2.9.

$$M_{Power} = 1.054 \times M_{Array} \quad (2.8)$$

$$M_{Array} = \frac{P_{out}}{P_{Specific Power}} \quad (2.9)$$

2.2.5 Propulsion System

The mass of the propulsion system is defined to be the electric thrusters plus the thruster control system (TCS), the propellant control system (PCS), and propellant tank masses as shown in Equation 2.10. It is assumed there is only one electric thruster and therefore the Hall thruster mass is calculated as a single unit based on a defined thruster input power as shown in Equation 2.11. The thruster control system consists of the direct drive electronics. The TCS is comprised of a single direct drive thruster control unit[16] and the mass of this unit is calculated as a function of thruster input power as shown in Equation 2.12. This equation is generated by the assumption that a direct drive thruster control unit (TCU) would be 35% of the mass of a conventional power processing unit. The propellant control system is fixed at 4 kg based on the currently available technology and the assumption that flow rates would not increase sufficiently to change component masses. The propellant tank mass is calculated using

Equation 2.13 which is a function of the propellant mass generated by iterations of the trajectory code.

$$M_{Propulsion} = M_{Thruster} + M_{TCS} + M_{PCS} \quad (2.10)$$

$$M_{Thruster} = 2.5 \times P_{in} \quad (2.11)$$

$$M_{TCS} = 1.379 \times (P_{in})^{0.73} \quad (2.12)$$

$$M_{Tank} = 0.035 \times M_{Propellant} \quad (2.13)$$

2.2.6 Structural System

The spacecraft structural system is comprised of a single truss with cabling for electrical and data service. The calculation of the structural system mass is shown in Equation 2.14. The truss length is calculated using Equation 2.15 which is a function of the thruster input power (P_{in}), solar areal power density (P_{Solar} assumed to be constant at $1300 \frac{W}{m^2}$), the TCU efficiency (ε_{TCU}), the solar array efficiency (ε_{Array}), and the solar array aspect ratio (AR_{Solar}). The truss mass is then calculated using Equation 2.16 which is a function of truss length and truss specific mass, α_{Truss} . The cabling mass is calculated using Equation 2.17 which is a function of truss length and cable specific mass, $\alpha_{Cabling}$.

$$M_{Structure} = M_{Truss} + M_{Cabling} \quad (2.14)$$

$$L_{Truss} = 0.75 \times \left(\frac{1000 \times P_{in}}{P_{Solar} \times \varepsilon_{TCU} \times \varepsilon_{Array}} \right)^{0.5} \times \left(\frac{1}{AR_{Solar}} \right)^{-0.5} \quad (2.15)$$

$$M_{Truss} = L_{Truss} \times \alpha_{Truss} \quad (2.16)$$

$$M_{Cabling} = L_{Truss} \times \alpha_{Cabling} \quad (2.17)$$

2.2.7 Telecommunications System

The telecommunications systems is assumed to be fixed at 40 kg. This assumption is made on the basis of historical information.[15]. This is typically a small mass and will not impact the overall results significantly.

2.2.8 Thermal Management System

The thermal management system is defined to be equal to the radiator mass as shown in Equation 2.18. The radiator mass is calculated using Equation 2.19 which is a function of thruster input power (P_{in}), radiator specific mass ($\alpha_{Radiator}$), and TCU efficiency (ε_{TCU}).

$$M_{Thermal} = M_{Radiator} \quad (2.18)$$

$$M_{Radiator} = P_{in} \times \alpha_{Radiator} \times \frac{1 - \varepsilon_{TCU}}{\varepsilon_{TCU}} \quad (2.19)$$

Table 2.1: Baseline RPS

Mission ΔV	1530 $\frac{m}{s}$
Specific Impulse	450 s
Initial Mass	2100 kg
Fuel Mass	615.1 kg
Bus Mass	1232.5 kg
Payload Mass	252.4 kg
Payload Mass Percentage	12.0%
Flight Time	4.08 days

2.3 Baseline Robotic Precursor System

The baseline RPS uses a LOX/LH₂ chemical propulsion system, estimated here at a 450 sec specific impulse[17]. The spacecraft is launched by a Delta II into a 185 km \times 35,786 km orbit. Again, the spacecraft bus is estimated as 83% of the dry mass.

The initial orbit for the baseline is varied for a range of circular orbits, to see if there is any obvious advantage. The payload mass for the baseline initial orbit is 252 kg; Figure 2.1 shows that there is no clear gain; in fact there is a loss when compared to the GTO orbit selected. The payload ratio percentage is 12.0% for the baseline initial orbit. Figure 2.2 presents the payload mass percentage of the initial mass, which is lower than for the baseline GTO orbit. Since this is the case, the baseline GTO orbit will be used.

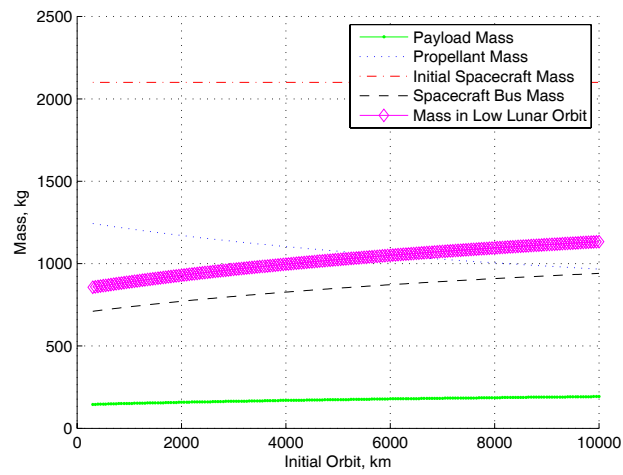


Figure 2.1: Initial orbit versus system masses for RPC Baseline

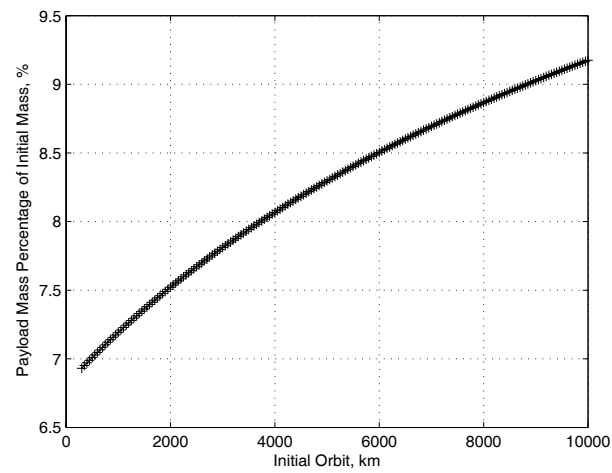


Figure 2.2: Initial orbit versus payload percentage for RPC Baseline

Chapter 3

Electric Robotic Precursor System

3.1 Overview

The main goal of this investigation is to determine the relationships between inputs of system power, initial mass, and thruster specific impulse to outputs such as payload mass in LLO, transfer time, and propellant mass. To this end, approximately 18,000 cases were run varying the initial mass (500 kg to 10,000 kg), Hall thruster power (10 kW to 200 kW), and specific impulse of the Hall thruster (1000 sec to 28,500 sec).

This section will highlight the results to gain a big picture vantage. First it is helpful to see how the payload mass behaves as a function of the inputs. Figure 3.1 shows a series of surfaces each with a constant power, with the colorbar representing the payload mass. Low power levels are on the left with the transfer time increasing to the right as the power increases. Figure 3.2 shows the same results but with each surface at a constant specific impulse, with the colorbar representing the payload mass. In general the power has a large effect on the payload mass while the specific impulse has less of an effect.

Next, it is useful to examine the required initial mass for each power level and specific impulse. There are two main requirements on these cases: that a positive amount of payload must be delivered (a physical requirement) and the transfer time must not exceed one year. The first requirement will drive the bound of minimum initial mass and the transfer time requirement will drive the maximum initial mass

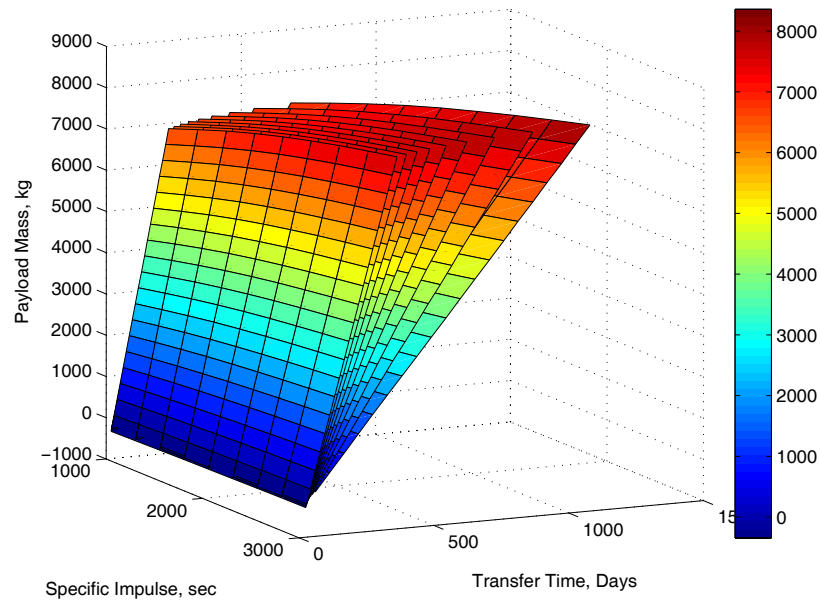


Figure 3.1: Payload Mass

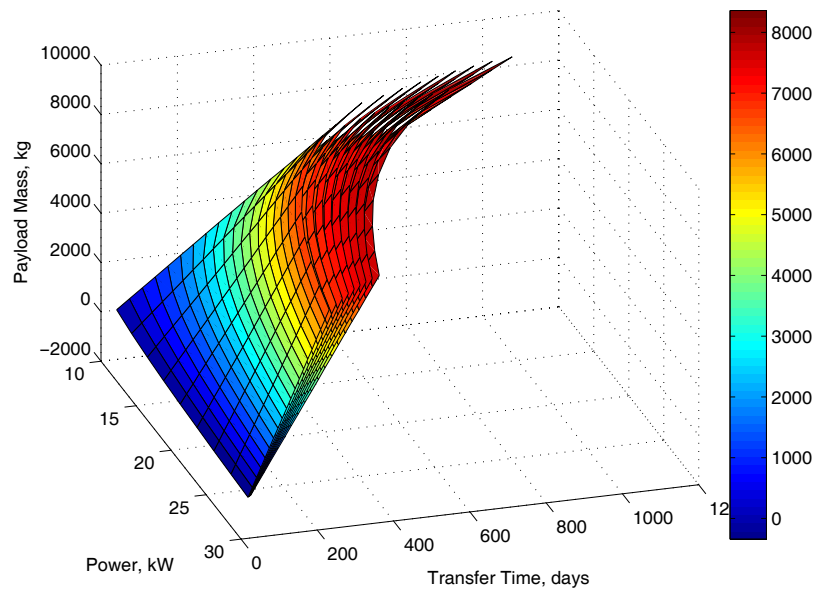


Figure 3.2: Payload Mass

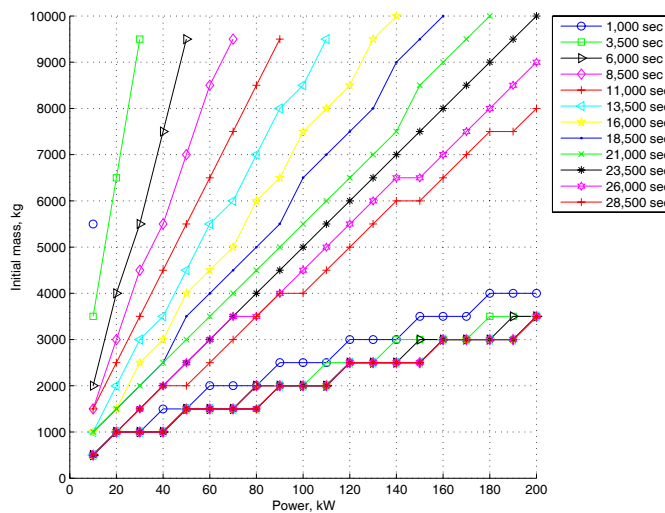


Figure 3.3: Overall Constrained Initial Mass

boundary. This information is particularly helpful in determining what combinations of power and specific impulse will allow successful completion of the mission given a launch vehicle mass constraint.

A plot of the required initial mass for each power level and specific impulse is presented in Figure 3.3. The maximum initial mass lines end at 10,000 kg initial mass, where the investigated range ends. To the right, up to 10,000 kg, the transfer time does not constrain the initial mass. The region between the two sets of lines indicates a combination of initial mass, specific impulse, and power level that will result in delivery of a positive payload mass in under one year to lunar orbit. It is somewhat difficult to see from this plot what the requirements on the initial mass are for the low power levels. To aid this discrimination, the minimum boundary has been separated out in Figure 3.4. In another section we will discuss the low power levels with more resolution.

Now we move to an investigation of the relationship between power and trip time, which is a main concern for this analysis. Figure 3.5 shows power versus the maximum and minimum total transfer time (within the range of initial masses) for the specific impulse range specified above. Each line has constant specific impulse and is either

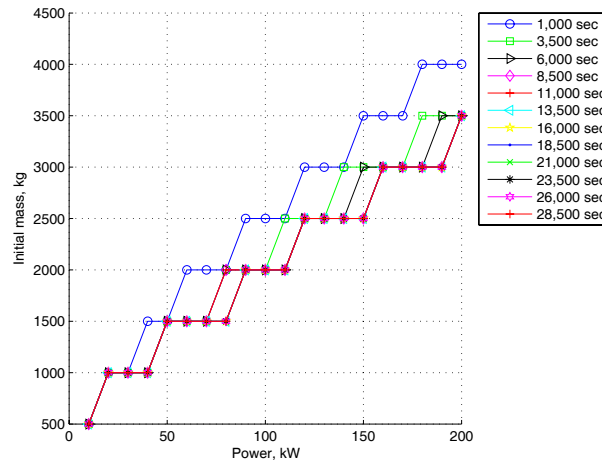


Figure 3.4: Overall Minimum Boundary Constrained Initial Mass

the maximum or minimum transfer time for all the initial masses. The lower grouping consists of all the minimum transfer times and the upper grouping of all the maximum transfer times for the specific impulse range. As expected, the longer flight times are due to the higher specific impulse. Since a large portion results in a long transfer time, longer than the requirement, there may be a restriction on specific impulse and many cases can be immediately thrown out. Most obviously, the transfer time drops dramatically as the power increases; this result is expected as can be seen in Equation 1.3. As power increases so does thrust and therefore the transfer time decreases.

Figure 3.6 is indicative of the transfer time as a function of the power level. The top line is the maximum transfer time, and the bottom line the minimum, for the given specific impulse as a function of power for all the initial masses in the investigated range. This plot shows only four specific impulse levels as a representative set. Figure 3.7 presents the initial mass versus the total transfer time split to show each specific impulse separately. Again, this plot shows only four specific impulse levels as a representative set.

Another viewpoint from which to analyze the data is to look at the payload mass transported per day. By maximizing the amount of payload delivered per day, transfer time (and usually cost along with it) is minimized while payload mass is maximized.

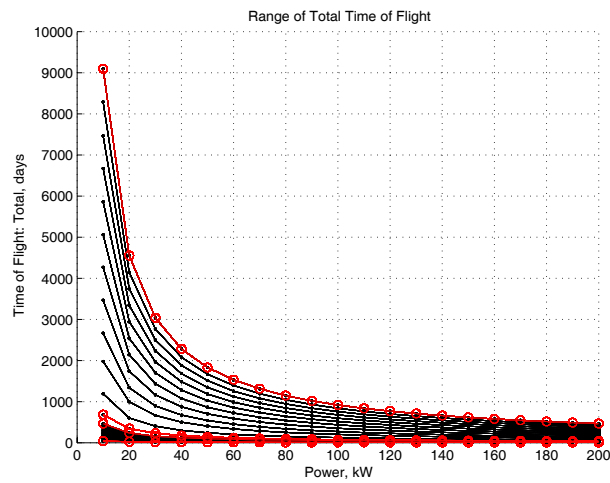


Figure 3.5: Power vs. Total Time of Flight for a Range of Specific Impulses, Overall

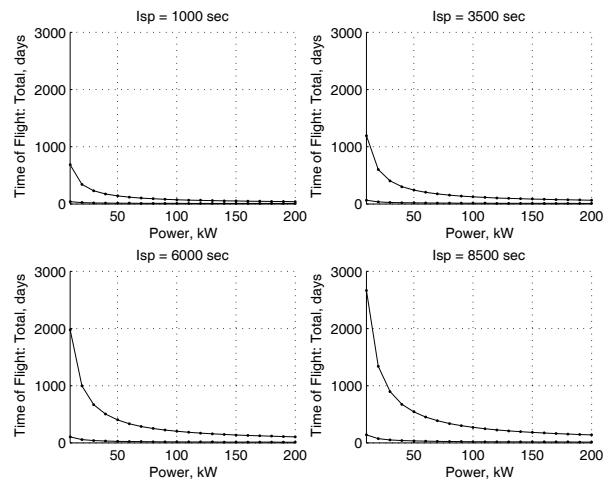


Figure 3.6: Total Time of Flight as a Function of Power, Overall

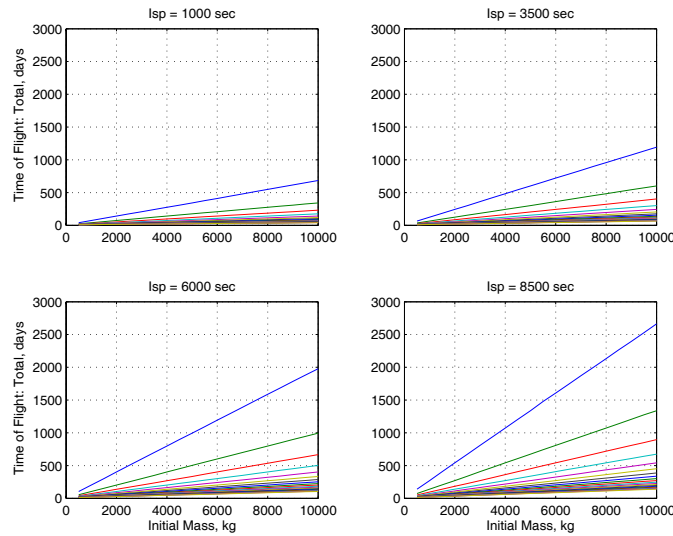


Figure 3.7: Initial Mass vs. Total Time of Flight, Overall

Plotting this quantity versus the initial mass, Figure 3.8 shows that as specific impulse increases the amount of payload mass delivered per day decreases. There are twenty power levels shown in these plots, from 10 kW to 200 kW (increments of 10 kW) and the bottom curve, the blue curve, corresponds to the lowest power level which increases vertically. As the power increases so does the amount of mass delivered per day. The variation in specific impulse plays a strong role; by increasing this quantity from 1000 sec to 28,500 sec, the payload mass delivered to lunar orbit per day drops by about 100 kg. System power has a large effect as well, a variation of 114 kg/day to 10.5 kg/day results at an initial mass of 10,000 kg.

To more clearly show the importance of specific impulse, Figure 3.9 presents some selected results of the effect of specific impulse on the transfer time. This figure of plots shows the specific impulse from 1000 sec to 30,000 sec; the effect is clearly seen as the transfer time increases by hundreds of days over the range.

3.1.1 Diminishing Returns

Looking at the plots of payload mass delivered per day as a function of initial mass brings to light a question: at what point does increasing the initial mass no longer

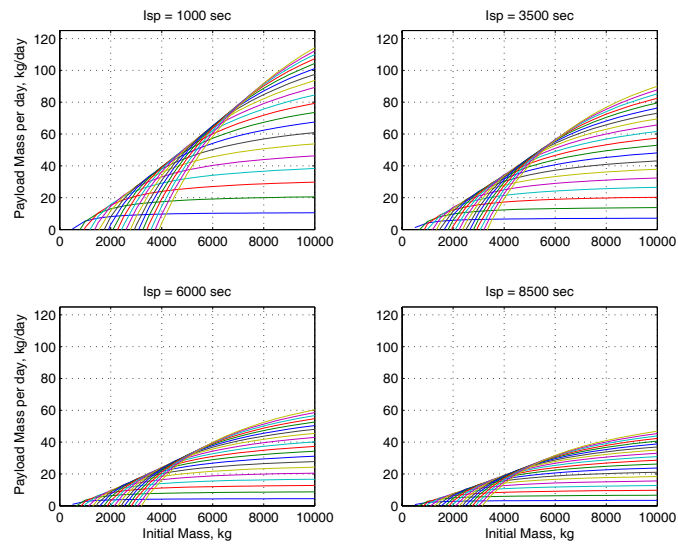


Figure 3.8: Initial Mass vs. Payload Mass per Day, Overall

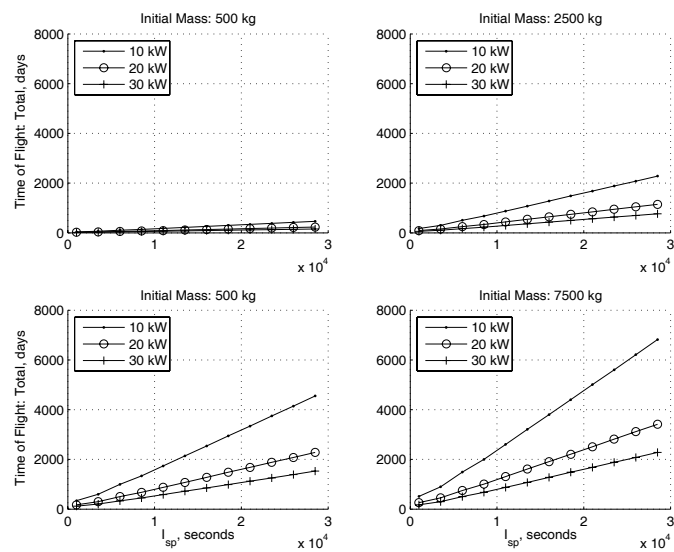


Figure 3.9: Specific Impulse vs. Transfer Time, Overall

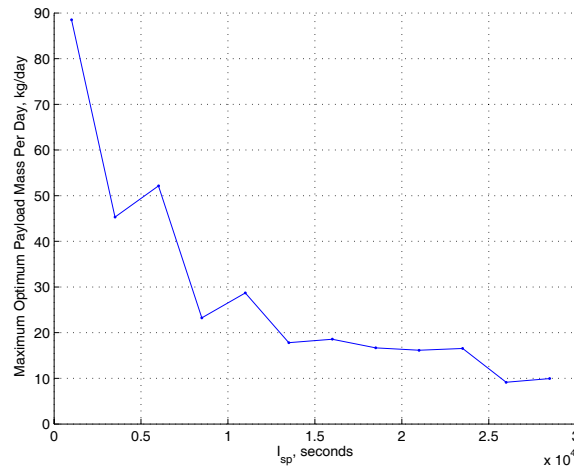


Figure 3.10: Initial Mass Diminishing Returns as a Function of Specific Impulse, Overall

bring an improvement in the result? This can be determined by looking at the rate of change of the result, the payload mass delivered per day in this case. If we look at the rate of change of this quantity, the maximum point is where the greatest change is effected by increasing the initial mass. Beyond this point increasing it further brings about diminished returns. Therefore the optimum initial mass corresponds to that maximum point. Of course, given the step size of the input variables, the determined numeric quantity may not exactly be the optimum.

Figure 3.10 shows the points of diminishing returns as a function of specific impulse. As previously stated, the result decreases with increasing specific impulse since it is inversely proportional to thrust. A couple of the points on this plot do not follow the general trend as closely as might be expected. This is basically due to the fact that the trade space, the investigated ranges of inputs, is constrained. Within this trade space, some of the combinations of inputs do not give a point of diminishing returns.

Figure 3.11 shows the transfer times for the points of maximum optimum payload mass delivered per day, the points of diminishing returns, as a function of specific impulse. Quickly we can eliminate those high specific impulses where the transfer

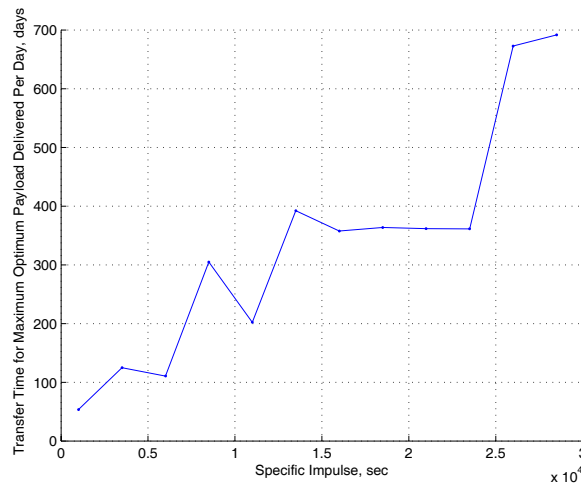


Figure 3.11: Transfer Time as a Function of Specific Impulse for the Maximum Optimum, Overall

time is above one year. This eliminates the 13,500 sec specific impulse, although the next higher four are all under one year. This leaves specific impulses of 1000, 3500, 6000, 8500, 11,000, 16,000, 18,500, 21,000, and 23,500 seconds.

Figure 3.12 shows the points of diminishing returns by power level. There are power levels that are not smoothly in line with most of the other results at 130 kW and 170 kW. The curves of initial mass versus payload mass delivered per day at nearby power levels do not reach a point of diminishing returns, however those are close. It could be expected that by increasing the range of initial masses to 15,000 kg would reveal a point of diminishing returns. But at 130 kW and 170 kW this point comes slightly quicker, and in the investigated range, at around 9000 kg.

The points on this plot where the result is zero indicates a power level where there is no point of diminishing returns. At 180 kW and 200 kW, where just this case occurs, there is no combination of power levels, specific impulse, and initial mass that brings this about. Looking more closely, an increase in initial mass would bring about this point relatively quickly.

In the next sections we will further investigate these results for near term uses (up to 30 kW power and 3000 sec specific impulse), mid-term uses (up to 100 kW power

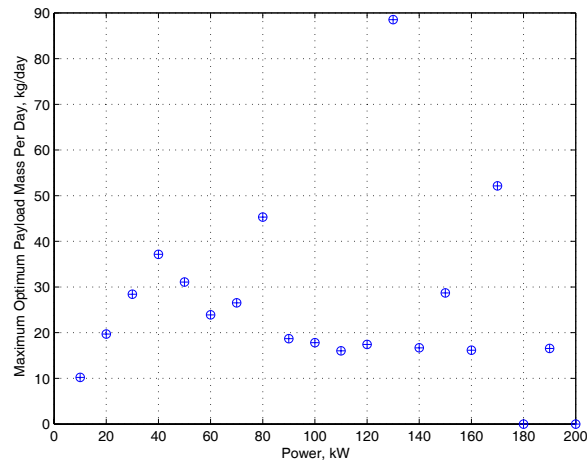


Figure 3.12: Initial Mass Diminishing Returns as a Function of Power, Overall

and 15,000 sec specific impulse) and far-term (up to 200 kW power and 30,000 sec specific impulse).

3.2 Near Term

Focusing on power levels up to 30 kW and specific impulses up to 3,000 seconds is useful for near term mission planning. System power levels from 10 kW to 30 kW in steps of 2.5 kW are examined, while the specific impulse ranges from 1,000 seconds to 3,000 seconds in steps of 500 seconds and the initial mass ranges from 500 kg to 10,000 kg by steps of 500 kg. Figure 3.13 shows the range of payload masses that can be delivered within the near term power levels and specific impulse range investigated. With a payload mass in mind, it is easy to see if the range of initial masses are acceptable for a given launch vehicle. As an example, a payload mass of 2,500 kg can be delivered to lunar orbit by a range of initial masses, depending on the power level and specific impulse used. Most of this range, about 3,300 kg to 4,200 kg, could be launched on a Delta IV Medium, which can launch up to 3960 kg into a $185 \text{ km} \times 35,786 \text{ km}$, 28.5° inclination orbit[18], provided that a suitable power and specific impulse is chosen.

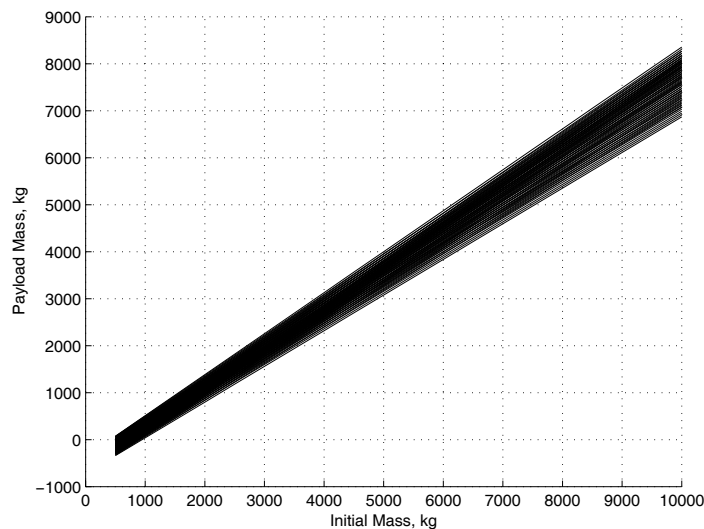


Figure 3.13: Payload Masses for all Specific Impulses and Power Levels, Near Term

Again, it is useful to examine the required initial mass, for each power level and specific impulse, minimally bounded by a positive payload mass requirement and

a maximum boundary limited by a one year transfer time to lunar orbit. This is particularly helpful in determining what combinations of power and specific impulse will allow successful completion of the mission given a launch vehicle mass constraint.

Figure 3.14 shows the overall requirements on initial mass. For the most part, a minimum initial mass of 1000 kg is required to achieve a positive payload in LLO. Using a 10 kW power level and any of the specific impulses, payload can be delivered using a 500 kg initial mass; however, these payload masses are very small with the largest around 73 kg, or a payload mass ratio of only 14.5%. At a power level of 12.5 kW or higher, an initial mass of 1000 kg allows a much larger payload to be delivered, around 500 kg, or a payload mass ratio of about 50%. Considering that a small launch vehicle, like a Delta II, can launch somewhere around 2100 kg, it is advantageous to use a higher power level. The specific impulse has a minimal impact on the minimum initial mass. The maximum initial mass, the top band, is more widely spread due to the fact that this boundary is dependent upon the maximum transfer time, which is dependent on the specific impulse. The greater the specific impulse, the longer the transfer, which reduces the amount of mass that can be transferred in a given period of time.

Examining the upper right corner, it can be seen that there is no restriction on initial mass, at least within the investigated range. This says that for all the power and specific impulses investigated, any initial mass can be transferred in under one year. And as the specific impulse decreases the restriction on the power levels lessens to allow lower powers for the same initial mass. As an example, an Atlas V 541 can lift about 8255 kg into GTO[19]. Clearly, there are only certain combinations of specific impulse and power to achieve this goal. If we choose a 20 kW power system we could use an specific impulse lower than 2250 seconds. Once the launch vehicle is chosen, the main drivers in the choice are payload mass, transfer time, and cost.

Since the near term levels are the most interesting foreseeable application, we can examine how the payload mass is directly restricted. Figure 3.15 presents the payload masses, achievable in one year or less, for a given specific impulse and power level. It is quite clear that near term technology can deliver several metric tons of payload to LLO, far more capability than a Delta II can achieve.

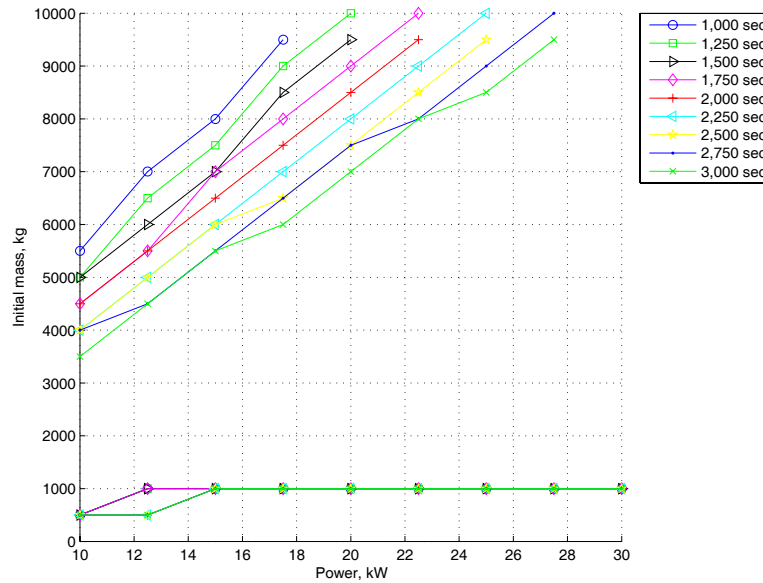


Figure 3.14: Constrained Initial Mass as a Function of Power

To clearly see the effect of specific impulse on the payload mass, we can look at Figure 3.16. This plot shows the maximum payload mass that can be achieved for each specific impulse using any combination of initial mass and power level in the examined range. Clearly, as the specific impulse increases, less propellant is used resulting in a larger payload mass in lunar orbit. Figure 3.17 is also helpful; we can see how the initial mass and the power level affects the payload mass. The 15 kW power level outperforms the 30 kW power level by payload mass alone and it is obvious that by increasing the initial mass, the payload mass will follow. Figure 3.18 is a plot of the power level versus payload mass; as the power level increases, the payload mass for a given initial mass and specific impulse decreases. This occurs since the powerplant mass increases as the power level does. You can also see that increasing the specific impulse affects the higher initial masses more than low initial masses; the difference in payload mass due to tripling the specific impulse is proportional to the increase of the initial mass. The difference in payload mass due to specific impulse is about 450 kg for the 4000 kg initial mass and about 900 kg for the 8000 kg initial mass.

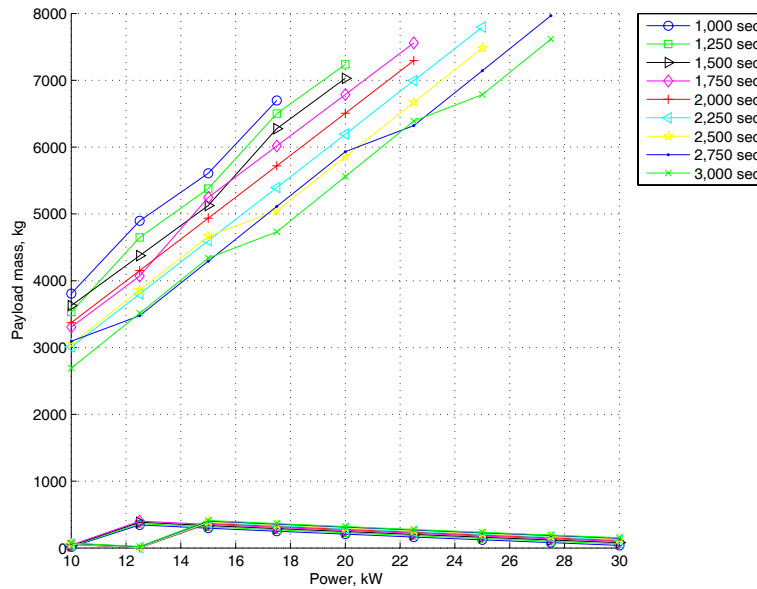


Figure 3.15: Constrained Payload Mass

Now turning attention to the transfer time for this example, we expect that it will be greater than that of the RPC, the question is whether the difference is small enough to be acceptable. Remember, at this point we have already constrained the problem such that all the transfer times are under one year. Figure 3.24 highlights the transfer time as a function of initial mass for the Delta II example. For the Delta II case, the transfer time turns out to be about 148.5 days, or not quite five months.

Solely looking at the payload mass does not take the transfer time into account. This is an important variable, especially if this system needs to compete with chemical propulsion systems and cost may directly correlate, depending on the level of autonomy. Examining only transfer time is also limiting. Looking at the payload mass delivered per day is perhaps more helpful in finding an optimum system, given requirements for a future mission, most prominently a transfer time under one year. The payload mass per day is shown in Figure 3.20. Through these plots it is evident that the payload per day ratio does not reach a maximum in the range of initial masses investigated. However, at some point there may be a region of diminishing returns, which is discussed in the next section.

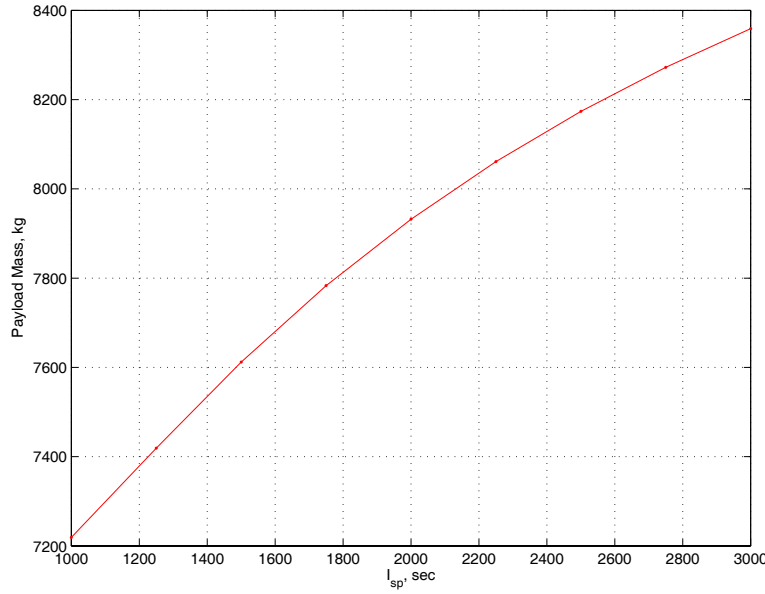


Figure 3.16: Maximum payload mass for each specific impulse

3.2.1 Diminishing Returns - Near Term

If we use the Delta II as the launch vehicle for near term RLEP missions, constraining the initial mass to a maximum of 2100 kg and the power level to a maximum of 20 kW, we find that there is no point where increasing the initial mass gives diminishing returns. In other words, there is no optimum initial mass but to use the maximum of 2100 kg; the corresponding power level is the maximum of 20 kW, which is evident by examining Figure 3.20. Also, the specific impulse chosen to maximize the payload mass delivered per day should be the lowest, which is 1500 seconds for this investigation. By using a low specific impulse, the payload mass delivered per day is increased since that also means a high thrust level and therefore lower transfer time. Such is not the case at power levels and initial masses in the mid and far terms as will be shown; however, for the near term, these quantities are severely constrained. There is still more to gain by increasing the power levels and initial masses in the mid and far term ranges.

Again, we look at what point adding initial mass will bring diminished returns.

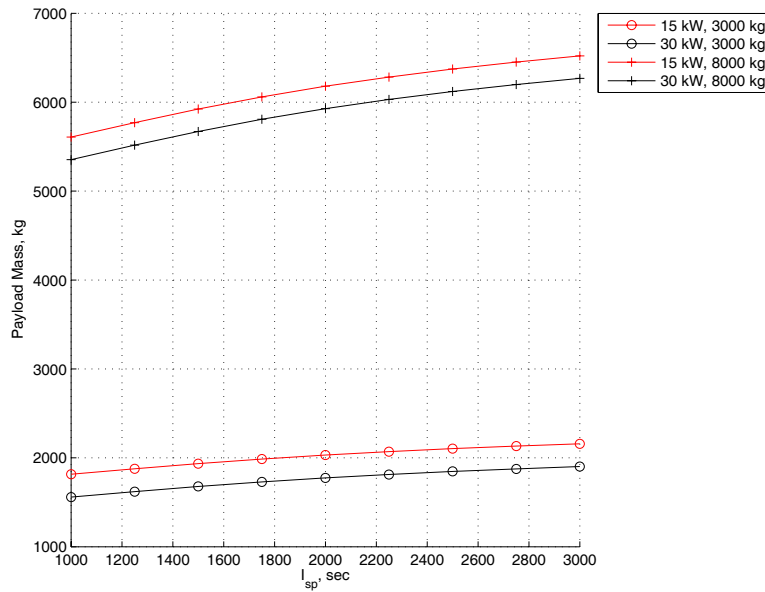


Figure 3.17: Specific impulse versus payload mass

Figure 3.21 shows the points of diminishing returns as a function of specific impulse. As previously stated, the result decreases with increasing specific impulse since it is inversely proportional to thrust. A couple of the points on this plot do not follow the general trend as closely as might be expected. This is basically due to the fact that the trade space, the investigated ranges of inputs, is constrained. Within this trade space, some of the combinations of inputs do not give a point of diminishing returns.

Figure 3.22 shows the transfer times for the points of maximum optimum payload mass delivered per day, the points of diminishing returns, as a function of specific impulse. Quickly we can see that all these cases fall within the one year limit. And Figure 3.23 shows the points of diminishing returns by power level.

Figure 3.24 highlights the transfer times for all the specific impulses, from 1000 seconds to 3000 seconds. For any specific impulse in the examined range, a Delta II payload will reach lunar orbit in under one year.

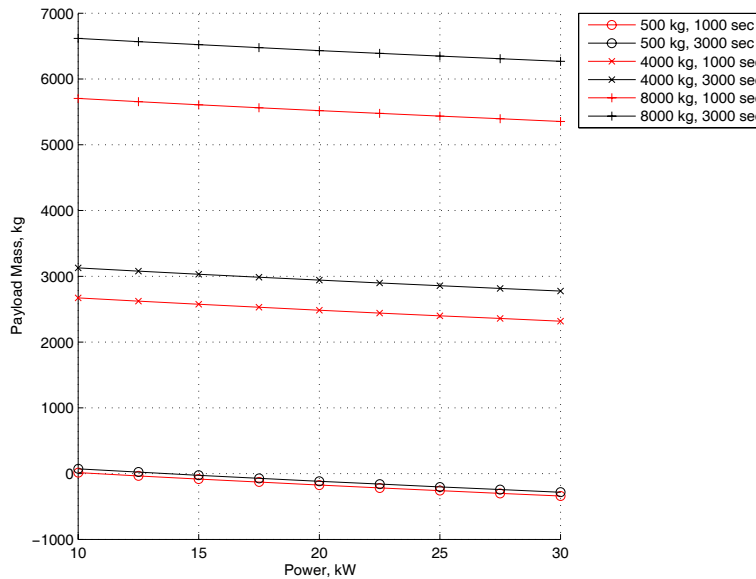


Figure 3.18: Power versus payload mass

3.2.2 Possible Payloads

At this point we can examine what sort of payload mass this system will allow. Continuing with the Delta II near term example, we can examine closely the payload mass in Figure 3.25; clearly using the highest power level does not result in the largest payload mass but it does result in the largest payload mass delivered per day. Using a 10 kW power level, the payload mass is about 1230 kg which is a payload mass fraction of about 58.6%. For comparison the conventional chemical baseline RPC has a payload mass fraction of about 12%, approximately 250 kg.

Clearly, there is a large advantage in using an ERPS. This mass margin can be used in numerous ways; extra science instruments, deep drilling tools, technology demonstrations (enough mass for backups using conventional equipment), or lunar rovers could be employed. Unmanned or manned rovers of a range of sizes[20] allow for a large area of exploration, up to ranges of tens of kilometers. For example, a Boeing design for a manned light utility rover has a mass of 984 kg[21], meaning this system could also transport small amounts of cargo for manned support missions.

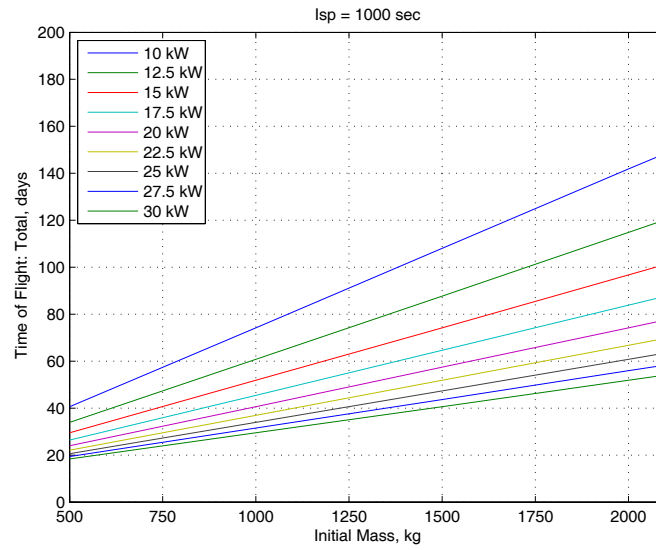


Figure 3.19: Initial Mass vs. Transfer Time, Delta II example

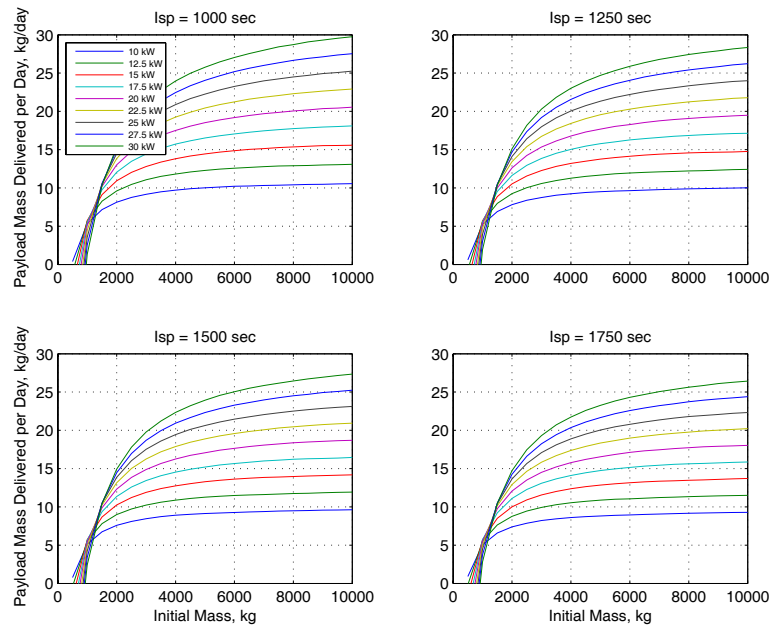


Figure 3.20: Payload Mass per Day as a Function of Initial Mass

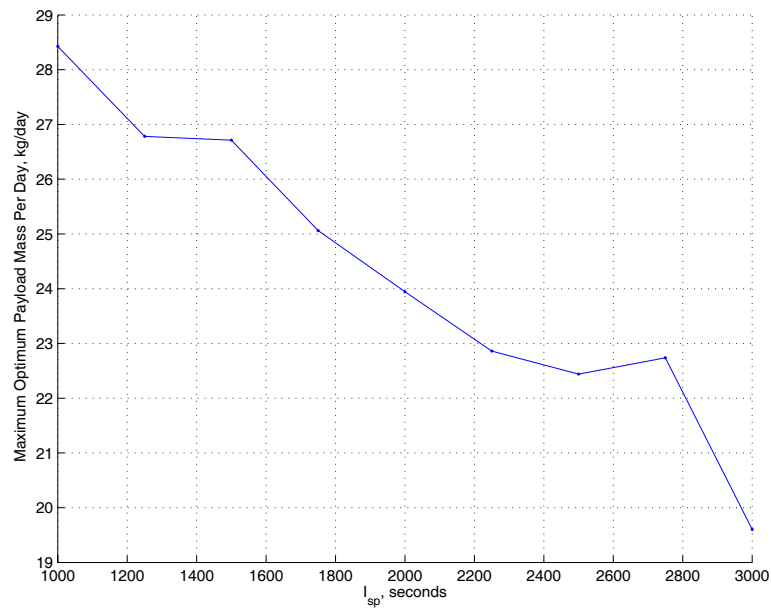


Figure 3.21: Initial Mass Diminishing Returns as a Function of Specific Impulse

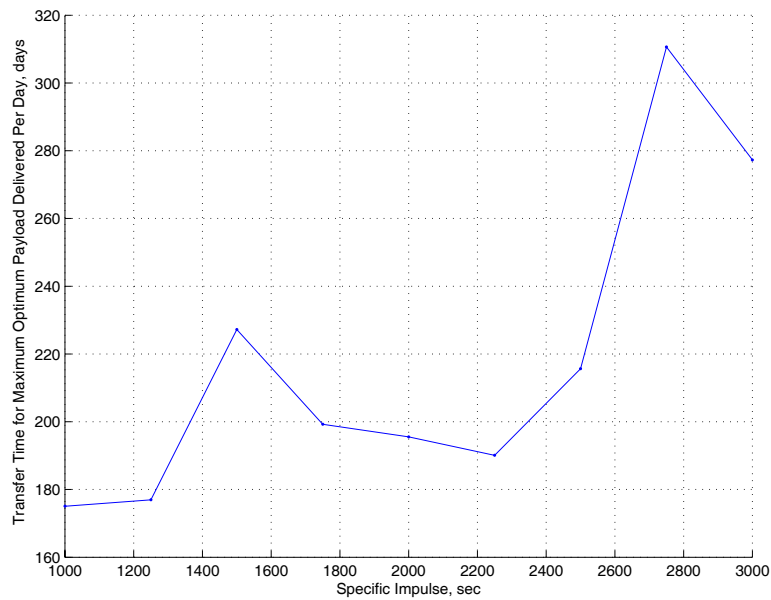


Figure 3.22: Transfer Time as a Function of Specific Impulse for the Maximum Optimum

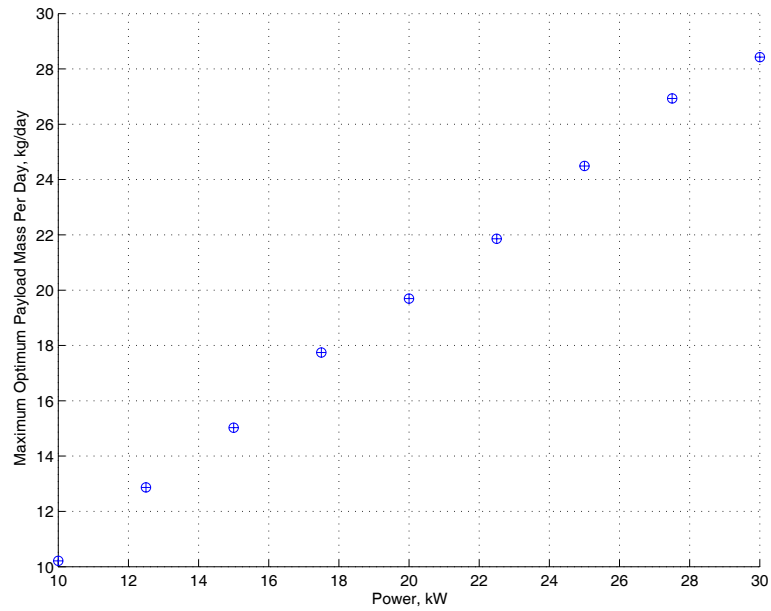


Figure 3.23: Initial Mass Diminishing Returns as a Function of Power

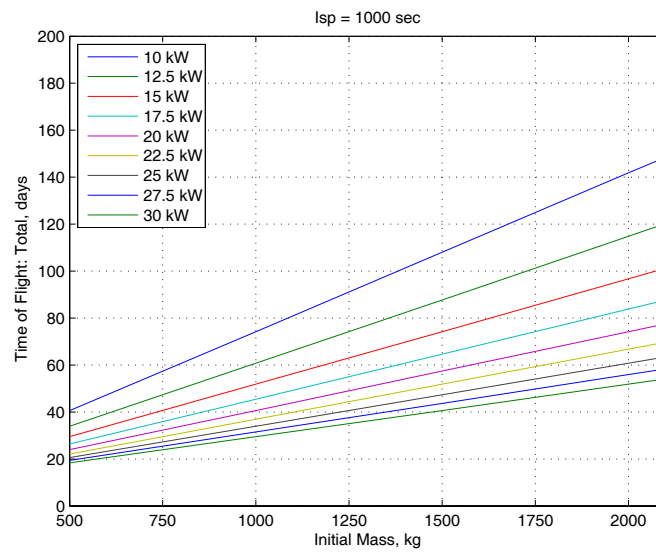


Figure 3.24: Initial Mass vs. Transfer Time, Delta II example

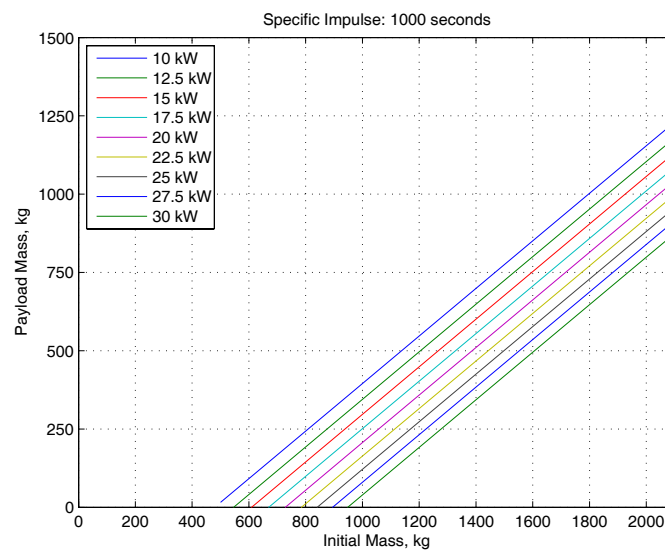


Figure 3.25: Initial Mass vs. Payload Mass per Day, Delta II example

3.3 Mid Term

This section will highlight the mid term results, where the power ranges from 30 kW to 100 kW and the specific impulse ranges from 3,000 seconds to 15,000 seconds. Again, we will first examine the required initial mass, for each power level and specific impulse, Figure 3.26. The maximum initial mass lines end at 10,000 kg initial mass, where the investigated range ends. Again, the region between the two sets of lines indicates a combination of initial mass, specific impulse, and power level that will result in a delivery of a positive payload mass in under one year to lunar orbit. As an example, a Delta II sized payload could be launched using any of the combinations of power and specific impulse in this investigated range. For an Atlas V 541 example, a large range of specific impulse is able to be used with the minimum around 4500 seconds and a power level minimum around 35 kW.

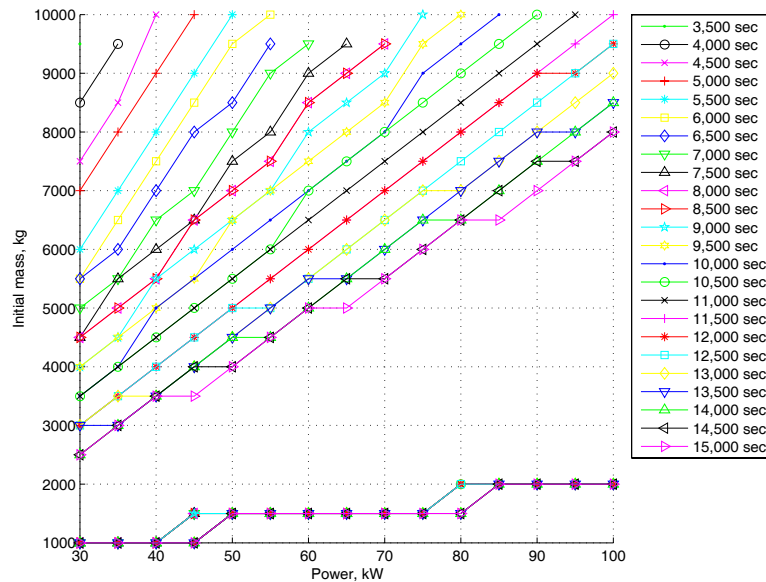


Figure 3.26: Constrained Initial Mass

Now we move to an investigation of the relationship between power and trip time. Figure 3.27 shows power versus the maximum and minimum total transfer time (within the range of initial masses) for the specific impulse range specified above. Each

line has constant specific impulse and is either the maximum or minimum transfer time for all the initial masses. The lower grouping consists of all the minimum transfer times and the upper grouping of all the maximum transfer times for the specific impulse range. Since a large portion result in long transfer times, there may be a restriction on specific impulse. Most obviously, the transfer time drops as the power increases; this result is expected as can be seen through Equation 1.3. As power increases so does thrust and therefore decreases the transfer time.

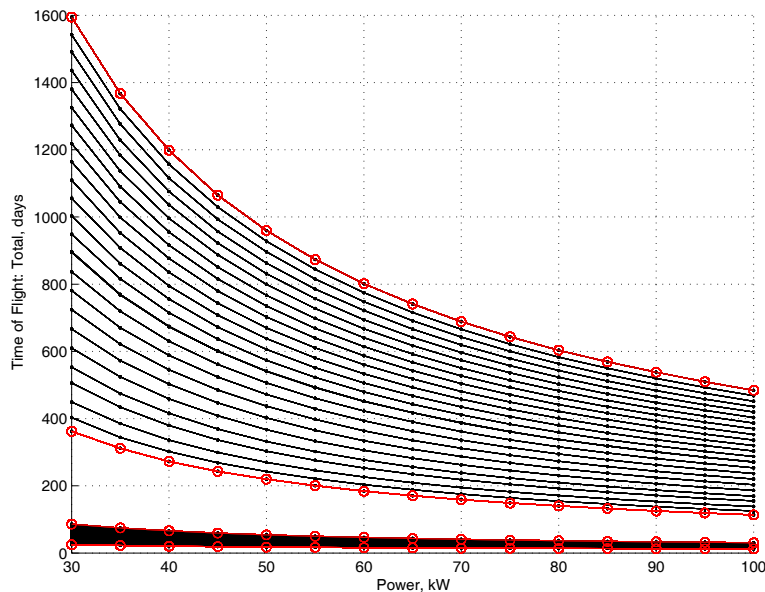


Figure 3.27: Power vs. Total Time of Flight for a Range of Specific Impulse, Midterm

Figure 3.28 is indicative of the transfer time as a function of the power level. The top line is the maximum transfer time, and the bottom line the minimum, for the given specific impulse as a function of power for all the initial masses in the investigated range. This plot shows only one specific impulse as a representative. Figure 3.29 presents the initial mass versus the total transfer time split to show each specific impulse separately. This plot shows only one specific impulse as a representative.

Plotting the payload mass transported per day versus the initial mass, Figure 3.30 shows that as specific impulse increases the amount of payload mass delivered per day decreases. There are fifteen power levels shown in these plots, from 30 kW to

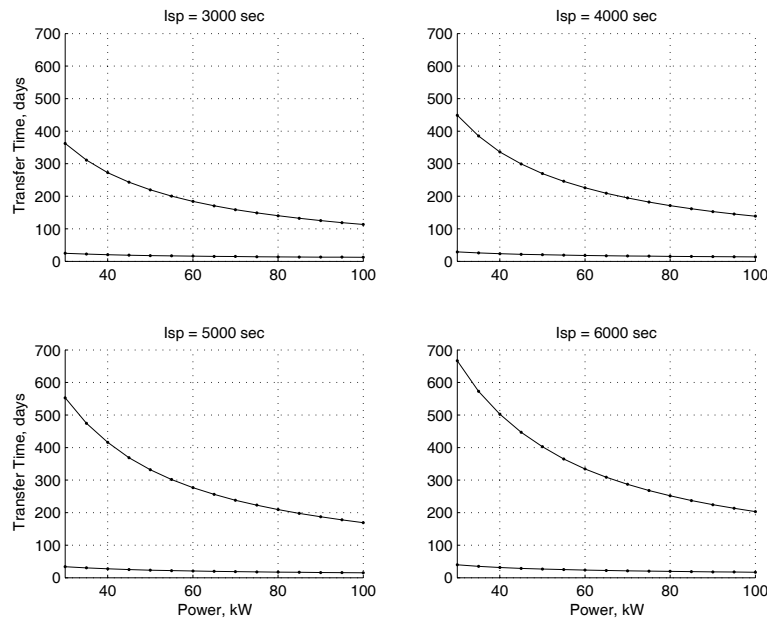


Figure 3.28: Total Time of Flight as a Function of Power

100 kW (increments of 5 kW) and the bottom curve, the blue curve, corresponds to the lowest power level which increases vertically. As the power increases so does the amount of mass delivered per day. The variation in specific impulse plays a strong role; by increasing this quantity from 3000 seconds to 15,000 seconds the payload mass delivered to lunar orbit per day drops by about 45.5 kg. System power has a large effect as well, a variation of 62 kg/day to 22 kg/day results at an initial mass of 10,000 kg and specific impulse of 3000 seconds.

To more clearly show the importance of specific impulse, Figure 3.31 presents the maximum payload mass that can be achieved for each specific impulse for the investigated range of power levels and initial masses. Also, Figure 3.32 presents some selected results of the effect of specific impulse on the transfer time. This figure shows the specific impulse from 3,000 seconds to 15,000 seconds; the effect is clearly seen as the transfer time increases by hundreds of days over the range.

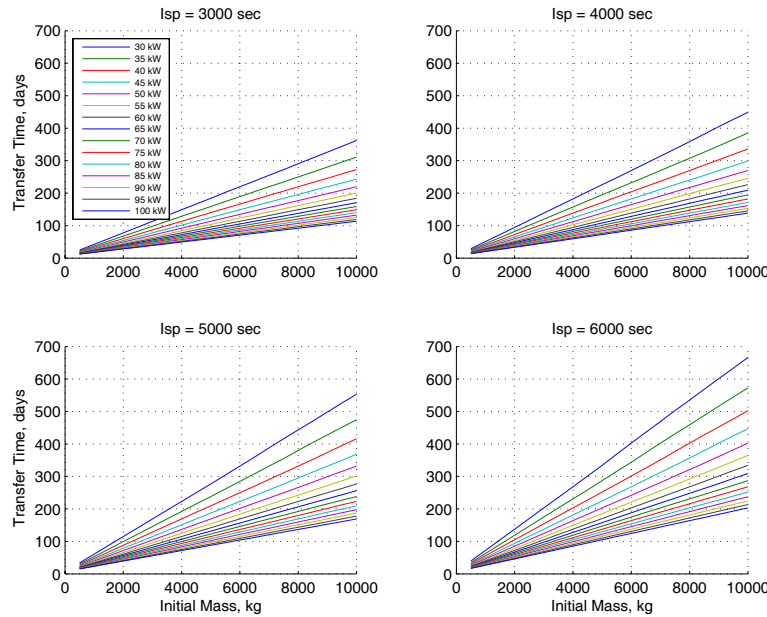


Figure 3.29: Initial Mass vs. Total Time of Flight, Midterm

3.3.1 Diminishing Returns - Mid Term

Figure 3.33 shows the points of diminishing returns as a function of specific impulse. As previously stated, the result decreases with increasing specific impulse since it is inversely proportional to thrust.

Figure 3.34 shows the transfer times for the points of maximum optimum payload mass delivered per day, the points of diminishing returns, as a function of specific impulse. Quickly we can eliminate those high specific impulses where the transfer time is above one year. This eliminates the 10,500 seconds, 11,500 seconds, 12,500 seconds, 13,000 seconds, 13,500 seconds, 14,000 seconds, 14,500 seconds, and 15,000 seconds specific impulses. This leaves specific impulses of 3000 seconds to 10,000 seconds, 11,000 seconds and 12,000 seconds unless there is some reason to operate at non-optimum conditions.

Figure 3.35 shows the points of diminishing returns by power level. A couple of the points on this plot do not follow the general trend as closely as might be expected. This is especially true for the 85 kW case. This is basically due to the fact that

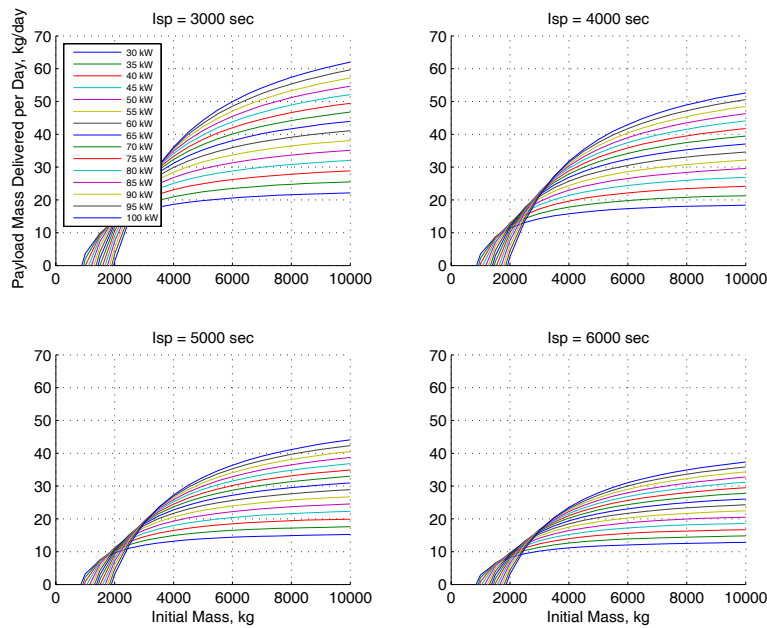


Figure 3.30: Initial Mass vs. Payload Mass per Day, Midterm

the trade space, the investigated ranges of inputs, is constrained. Within this trade space, some of the combinations of inputs do not give a point of diminishing returns. At power levels of 80 kW and 90 kW, the maximum result come at a low specific impulse. Comparing this with the 85 kW data, we can see that there is no point of diminishing returns at low specific impulses. This curve of initial mass versus payload mass delivered per day is close to reaching that point. It could be expected that by increasing the range of initial masses to 15,000 kg would reveal a point of diminishing returns.

3.3.2 Possible Payloads

At this point we can examine what sort of payload mass this mid term system will allow. Within the mid term ranges of power and specific impulse we can attempt to find the best combination. Plotting the optimum payload mass as a function of specific impulse we can see that they lie within a band of about 2000 kg, Figure 3.36. From previous results, Figure 3.33, we would be tempted to choose a low specific

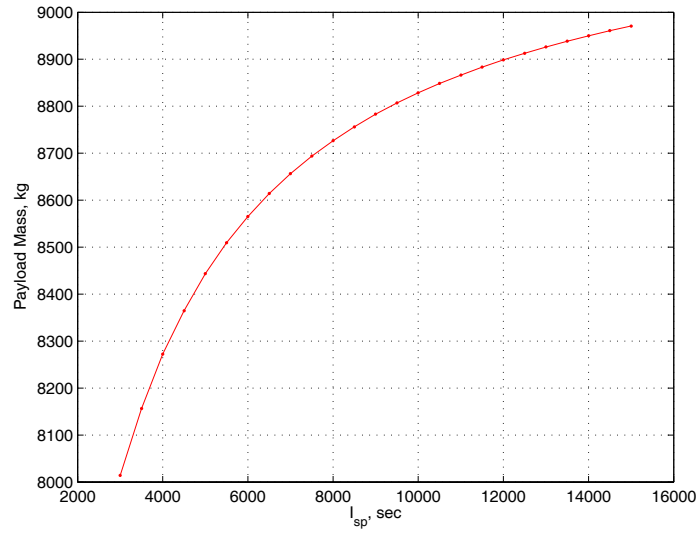


Figure 3.31: Maximum Payload Mass for Each Specific Impulse, Midterm

impulse to achieve a high efficiency with respect to both payload mass delivered and transfer time; a choice of this nature leads to about a 6000 kg payload mass. However, if transfer time could increase from around 200 days, nearer to the limit of one year, about 7000 kg could be delivered.

Compared with the near term technology discussed in the previous section, there is a large increase in capability. The near term technology gave results of payloads in the vicinity of 1200 kg at 10 kW. This increased capability will allow much greater payload opportunities; for example, the capability now includes landing pressurized rovers. A Boeing design called "Rover First" has a landed mass of about 4300 kg[21], well below the mid term technology capability. Small habitats, on the order of 7000 kg[22], could also be delivered to orbit. These sorts of payloads highlight the advantages of using electric propulsion. For comparison the conventional chemical baseline RPC has a payload mass fraction of about 12%, approximately 250 kg where the payload ratio for the ERPS is about 78.75% at 7087 kg of payload. However, the transfer time for this example is around 304 days.

In the next sections we will further investigate these results for far term uses (up

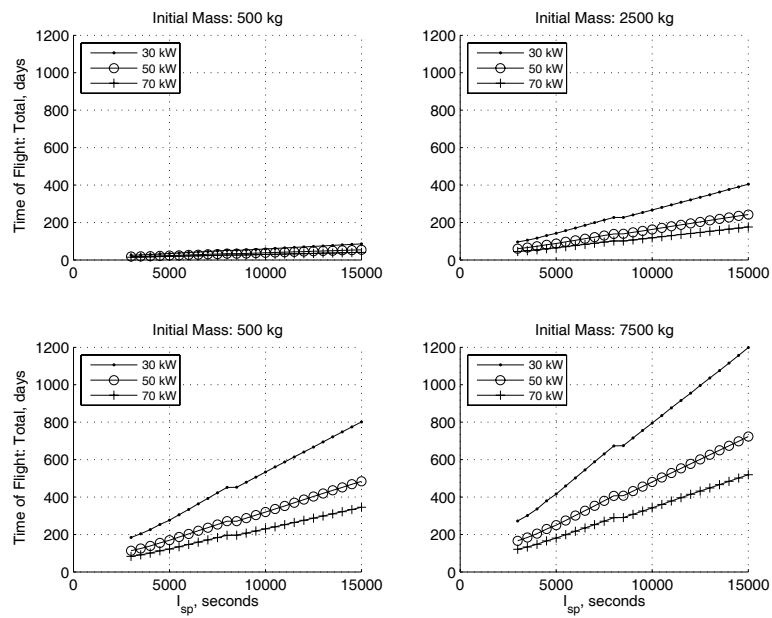


Figure 3.32: Specific Impulse vs. Transfer Time, Midterm

to 200 kW power and 30,000 seconds specific impulse).

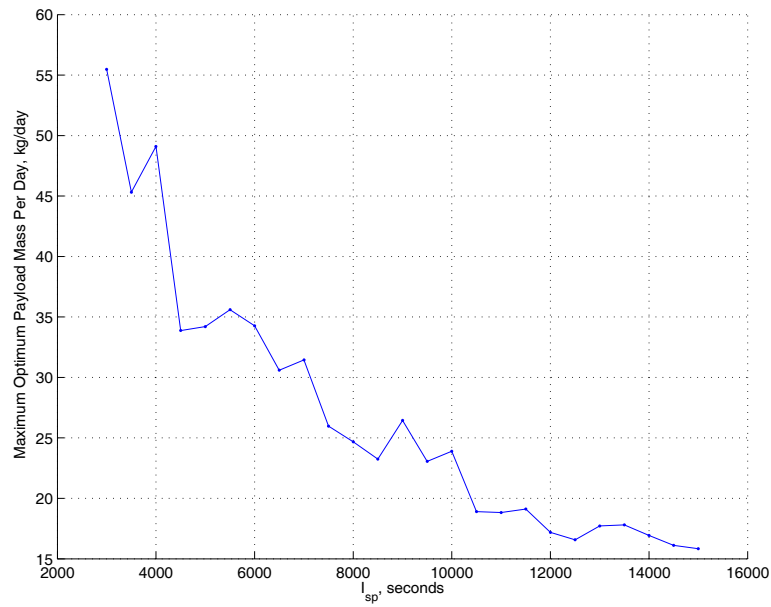


Figure 3.33: Initial Mass Diminishing Returns as a Function of Specific Impulse

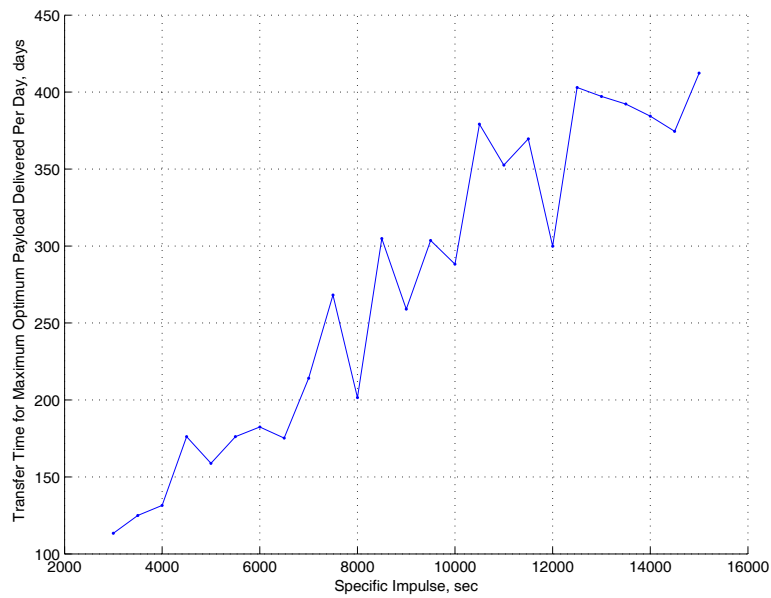


Figure 3.34: Transfer Time as a Function of Specific Impulse for the Maximum Optimum

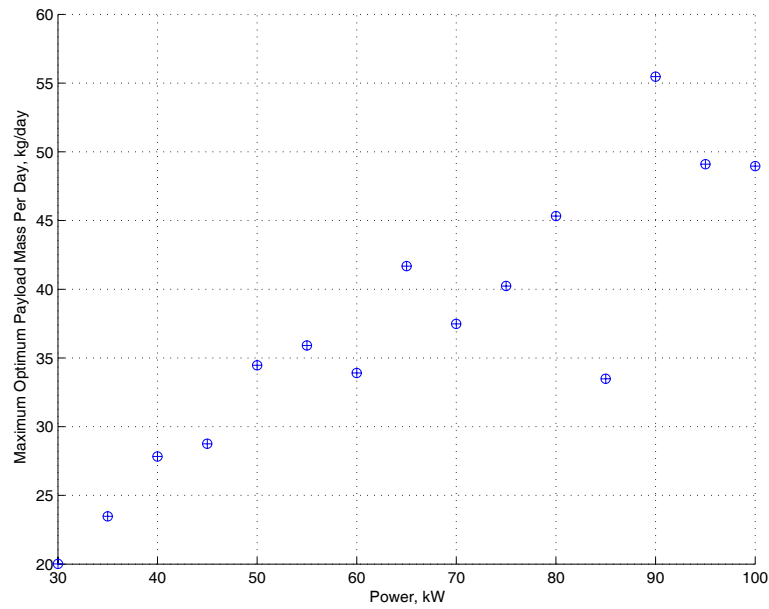


Figure 3.35: Initial Mass Diminishing Returns as a Function of Power

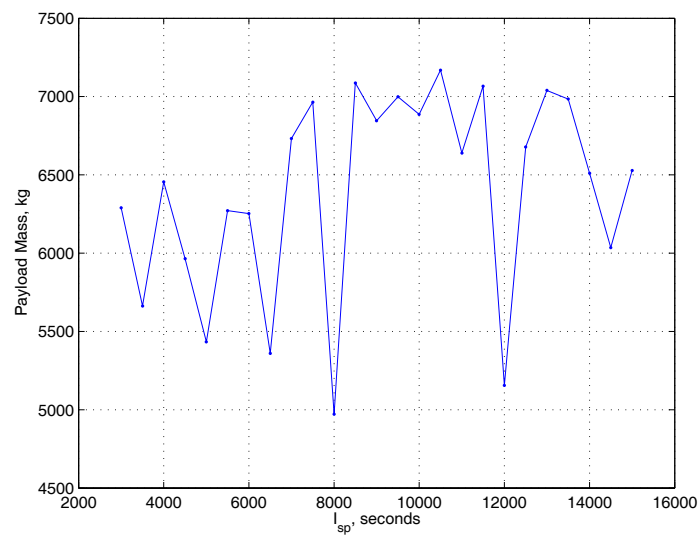


Figure 3.36: Specific impulse vs. Optimum Payload Mass

3.4 Far Term

This section will highlight the far term results, where the power ranges from 100 kW to 200 kW and the specific impulse ranges from 15,000 seconds to 30,000 seconds. Again, we will first examine the required initial mass, for each power level and specific impulse, Figure 3.37. The maximum initial mass lines end at 10,000 kg initial mass, where the investigated range ends. Again, the region between the two sets of lines indicates a combination of initial mass, specific impulse, and power level that will result in a delivery of a positive payload mass in under one year to lunar orbit. Compared to the mid term levels, the requirements are more stringent for both the minimum initial mass and the maximum initial mass. This is most likely due to the assumption that the thruster efficiency, around a specific impulse of 4500 seconds, levels off. Taking a closer look at how the efficiency behaves for very high specific impulses would be interesting.

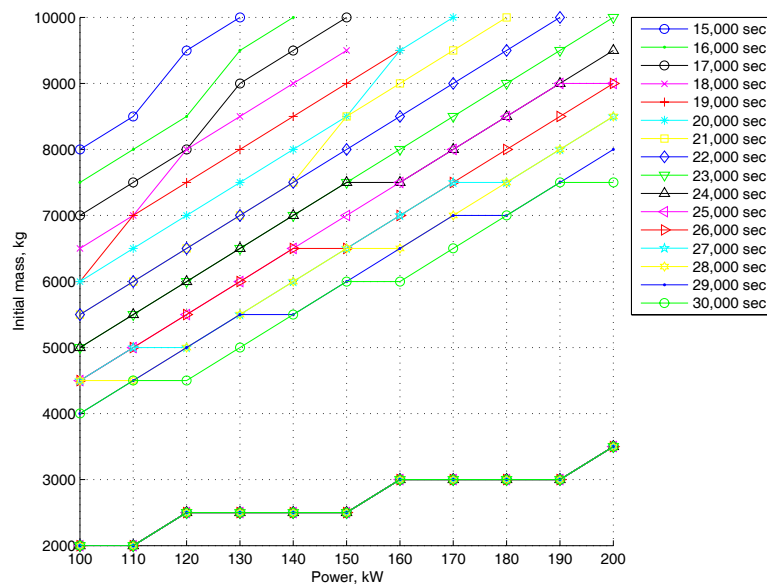


Figure 3.37: Constrained Initial Mass

Now we move to an investigation of the relationship between power and trip time. Figure 3.38 shows power versus the maximum and minimum total transfer time

(within the range of initial masses) for the specific impulse range specified above. Each line has constant specific impulse and is either the maximum or minimum transfer time for all the initial masses. The lower grouping consists of all the minimum transfer times and the upper grouping of all the maximum transfer times for the specific impulse range. Since a large portion result in long transfer times, longer than the one year requirement, this further indicates restrictions on specific impulse.

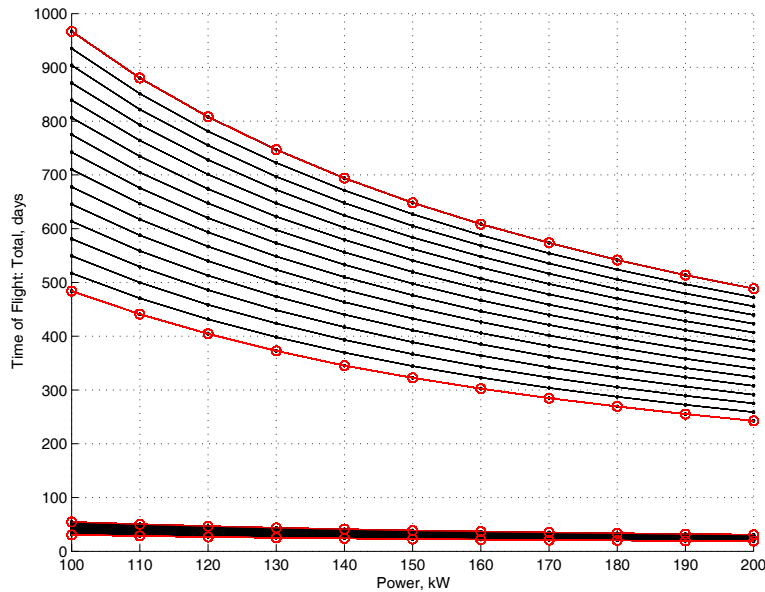


Figure 3.38: Power vs. Total Time of Flight for a range of Specific Impulse, Far Term

Figure 3.39 is indicative of the transfer time as a function of the power level. The top line is the maximum transfer time, and the bottom line the minimum, for the given specific impulse, as a function of power for all the initial masses in the investigated range. This plot shows only one specific impulse as a representative.

Figure 3.40 presents the initial mass versus the total transfer time split to show each specific impulse separately. This plot shows only one specific impulse as a representative.

We can now look at how the payload mass transported per day behaves for the inputs. Figure 3.41 shows that as specific impulse increases the amount of payload mass delivered per day decreases. There are fifteen power levels shown in these

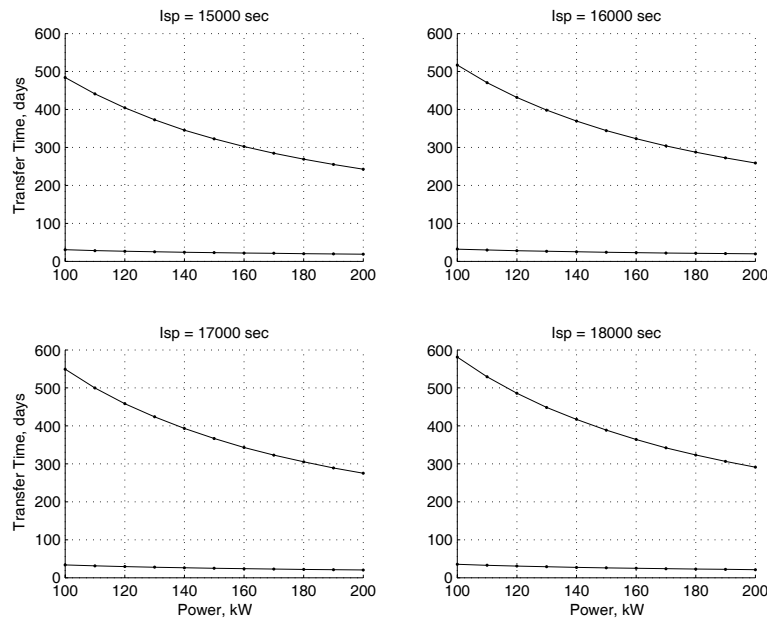


Figure 3.39: Total Time of Flight as a Function of Power

plots, from 30 kW to 200 kW (increments of 5 kW) and the bottom curve, the blue curve, corresponds to the lowest power level which increases vertically. As the power increases so does the amount of mass delivered per day. The variation in specific impulse plays a strong role; by increasing this quantity from 15,000 seconds to 30,000 seconds the payload mass delivered to lunar orbit per day drops by about 13.65 kg/day. System power has a large effect as well, a variation of 27.75 kg/day at 200 kW to 16.5 kg/day at 100 kW exists at an initial mass of 10,000 kg and specific impulse of 15,000 seconds.

To more clearly show the importance of specific impulse, Figure 3.42 presents the maximum payload mass that can be achieved for each specific impulse within the range of investigated power levels and initial masses. Also, Figure 3.43 presents some selected results of the effect of specific impulse on the transfer time. This figure of plots shows the specific impulse from 15,000 seconds to 30,000 seconds; the effect is clearly seen as the transfer time increases by hundreds of days over this range.

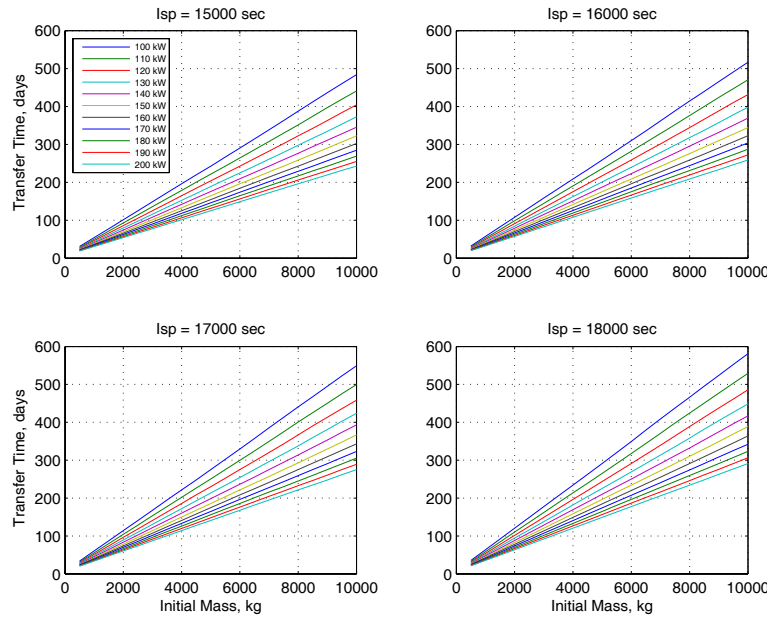


Figure 3.40: Initial Mass vs. Total Time of Flight, Far Term

3.4.1 Diminishing Returns - Far Term

Figure 3.44 shows the points of diminishing returns by power level. There are power levels where the result is zero occurring at 170 kW, 180 kW, and 190 kW. The curves of initial mass versus payload mass delivered per day at nearby power levels do not reach a point of diminishing returns.

Figure 3.45 shows the points of diminishing returns as a function of specific impulse. As previously stated, the result decreases with increasing specific impulse since it is inversely proportional to thrust. A zero point also occurs here indicating that for the specific impulse, 28,000 seconds in this case, no point of diminishing returns exists.

Figure 3.46 shows the transfer times for the points of maximum optimum payload mass delivered per day, the points of diminishing returns, as a function of specific impulse. Quickly we can eliminate those high specific impulses where the transfer time is above one year. This immediately eliminates 24,000 through 27,000, 29,000 and 30,000 seconds specific impulses. Looking closer we also see that it eliminates

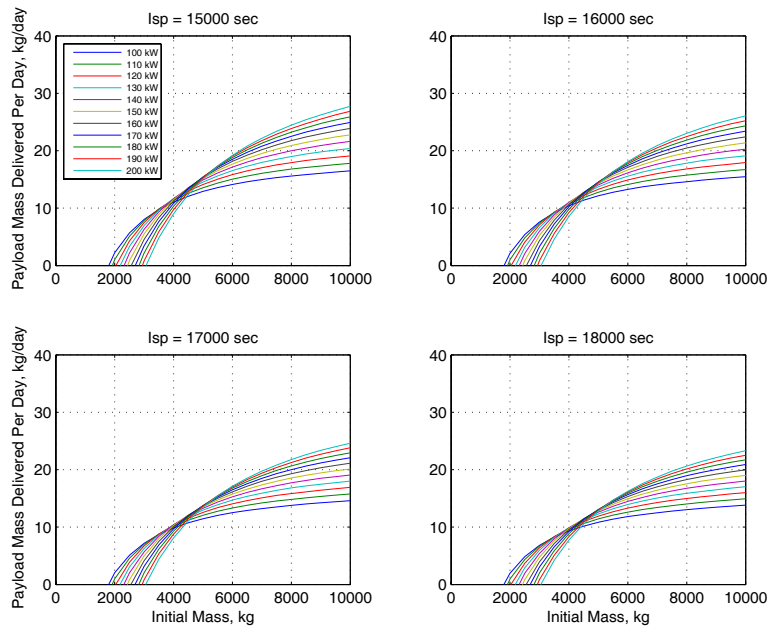


Figure 3.41: Initial Mass vs. Payload Mass per Day, Far Term

18,000 and 22,000 seconds. This leaves only 15,000 through 17,000 and 19,000 through 21,000 seconds as viable specific impulses for far term technology. I should mention again the assumption that was made at the beginning; the thruster efficiency levels off after a specific impulse of 4,500 seconds. Notice here that the 28,000 second specific impulse point is omitted.

At this point we can examine what sort of payload mass this far term system will allow. Within the far term ranges of power and specific impulse we can attempt to find the best combination. Plotting the optimum payload mass as a function of specific impulse we can see that they lie within a band of about 2000 kg, Figure 3.47. From previous results, Figure 3.45, we would be tempted to choose a low specific impulse to achieve a high efficiency with respect to both payload mass delivered and transfer time; a choice of this nature leads to about a 6700 kg payload mass.

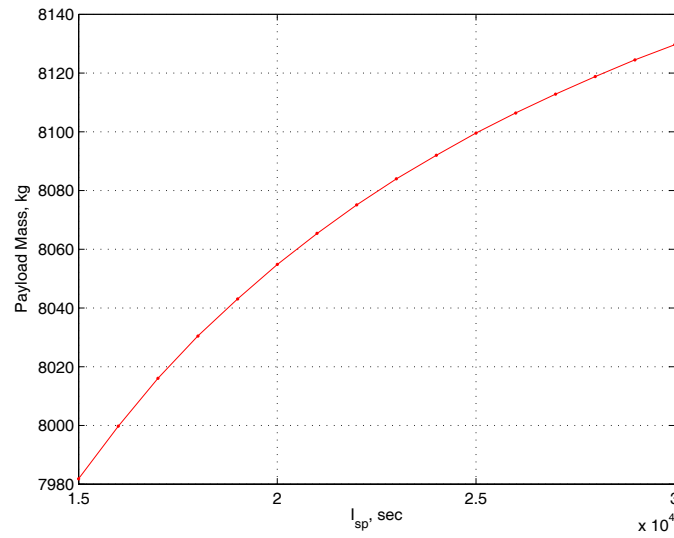


Figure 3.42: Maximum Payload Mass for Each Specific Impulse

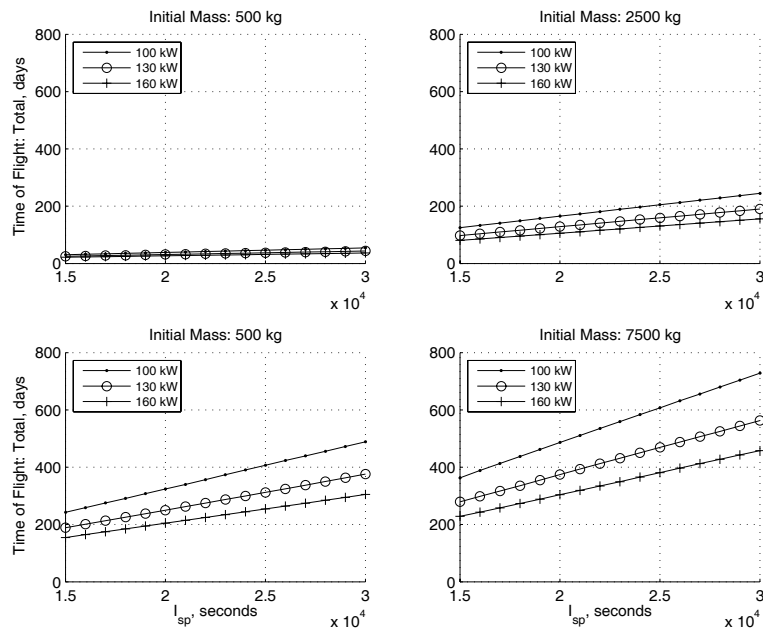


Figure 3.43: Specific Impulse vs. Transfer Time, Far Term

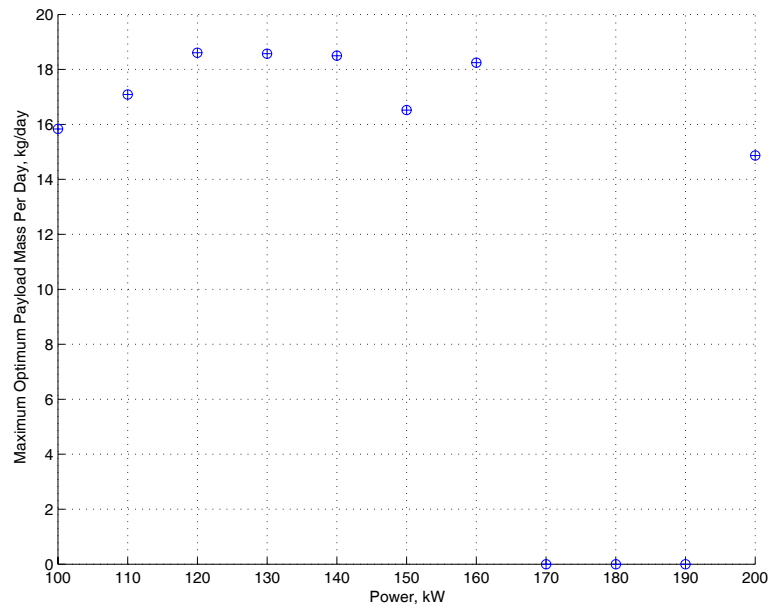


Figure 3.44: Initial Mass Diminishing Returns as a Function of Power

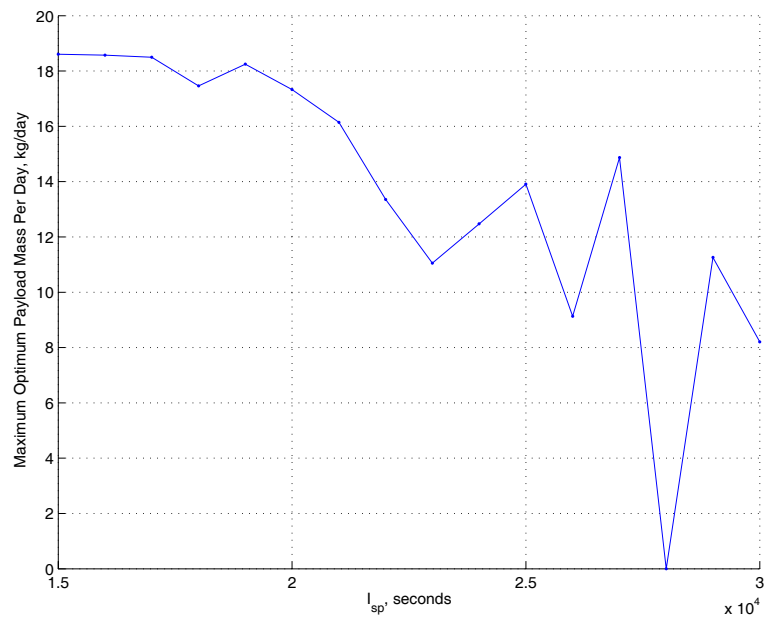


Figure 3.45: Initial Mass Diminishing Returns as a Function of Specific Impulse

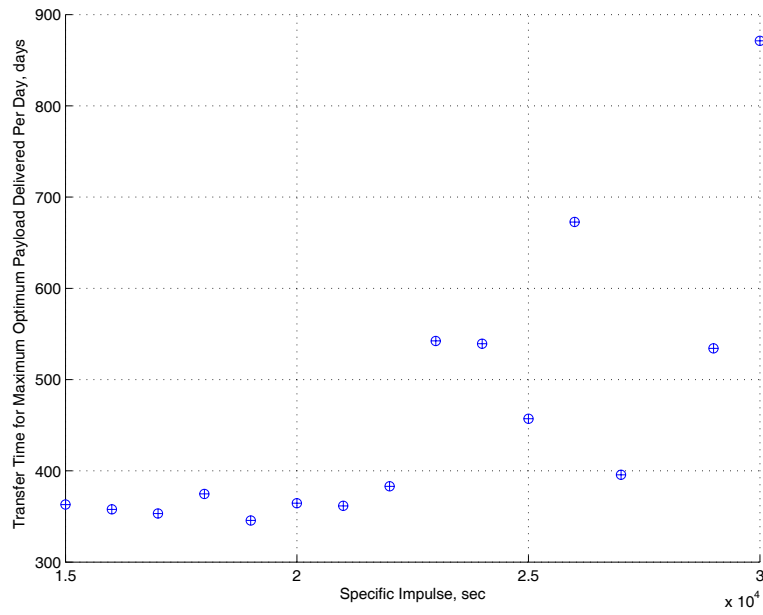


Figure 3.46: Transfer Time as a Function of Specific Impulse for the Maximum Optimum

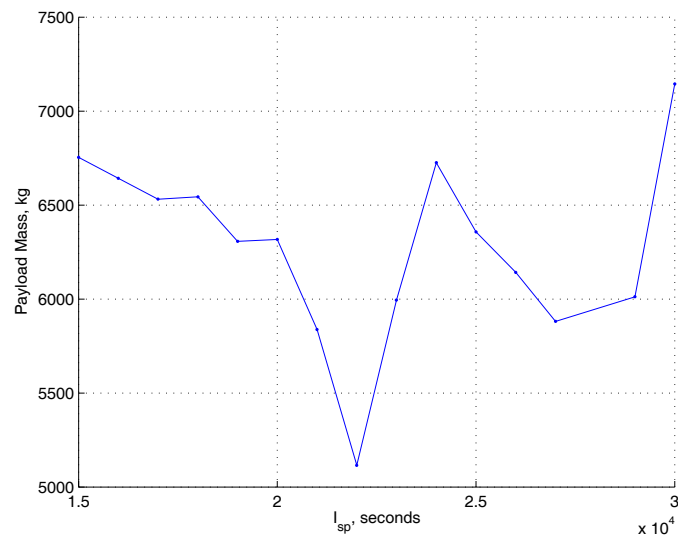


Figure 3.47: Specific impulse vs. Optimum Payload Mass

3.5 Discussions

3.5.1 Sensitivities

As can be seen in Figures 3.5 and 3.6, the transfer time is very sensitive to the power used, this can also be seen in Figure 3.49. We can make a comparison of the sensitivity of the transfer time due to power and due to specific impulse, Figures 3.48 and 3.49. These show the transfer time and it can be seen that the power has a greater effect than the specific impulse. Where the variation in specific impulse effects the time of flight by only three days, for a 30 kW power and 500 kg initial mass, variations of twenty or more days are present due to power. However at higher power levels further increasing the power will not produce the same effects. This is clear as seen in the previous figure.

Figure 3.17 is also helpful; we can see how the initial mass and the power level affects the payload mass. The 15 kW power level outperforms the 30 kW power level by payload mass alone and it is obvious that by increasing the initial mass, the payload mass will follow. Figure 3.18 is a plot of the power level versus payload mass; as the power level increases, the payload mass for a given initial mass and specific impulse decreases. This occurs since the powerplant mass increases as the power level does. You can also see that increasing the specific impulse affects the higher initial masses more than low initial masses; the difference in payload mass due to tripling the specific impulse is proportional to the increase of the initial mass. The difference in payload mass due to specific impulse is about 450 kg for the 4000 kg initial mass and about 900 kg for the 8000 kg initial mass.

The sensitivity of the payload mass to the power and specific impulse are fairly evident in Figures 3.1 and 3.2. It can also be seen in Figure 3.15; the top spread is about 2000 kg due to specific impulse where the variation in power results in a spread of nearly 5000 kg.

Mentioned earlier were the assumptions in the mass models for guidance, navigation and control (GNC) and telecommunications systems. The assumption was made that these are small masses and fixed. Historically these systems are small and the assumptions will not impact the overall results significantly.

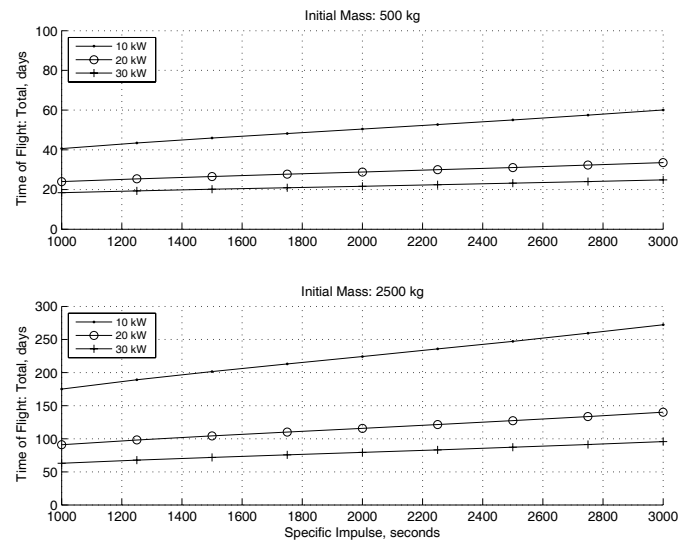


Figure 3.48: Transfer Time as a Function of Specific Impulse

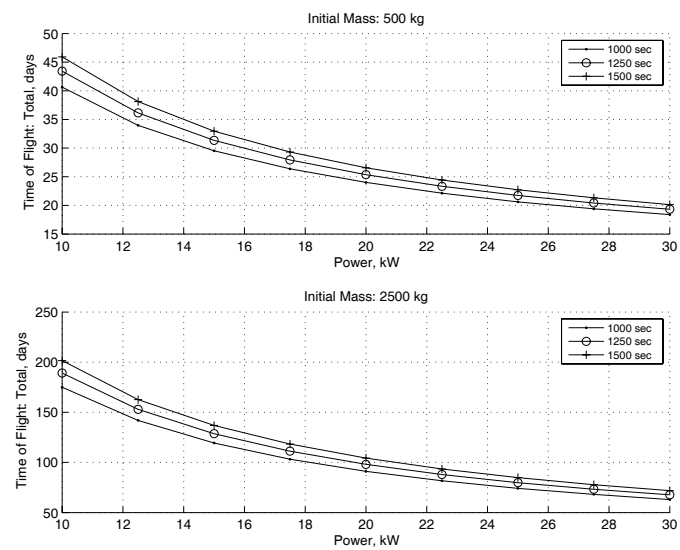


Figure 3.49: Transfer Time as a Function of Power

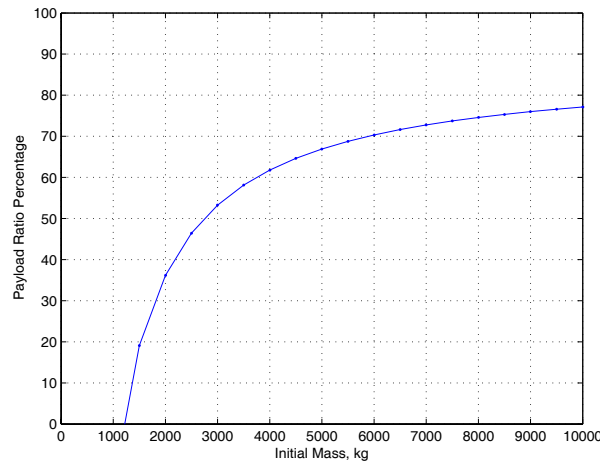


Figure 3.50: Payload Ratio Percentage as a Function of Initial Mass

3.5.2 Initial Orbit Considerations

Throughout this study the initial orbit has been assumed to be a $185 \text{ km} \times 35,786 \text{ km}$ GTO at an inclination of 28.5° . It is worth considering the effect of the initial orbit and the spacecraft's stay time in Earth's sphere of influence. Here we study a set of circular initial orbits ranging in altitude from 200 km to 36,000 km for a particular power of 50 kW, a specific impulse of 2500 seconds, and an initial mass of 5000 kg. We have already mentioned a few payload ratios when comparing against the baseline RPS. For the near term technology, payload ratios as high as 83.5% are achievable; using mid term technology, payload ratios as high as 89.5% are achievable. For this particular combination of inputs, the mid term technology can achieve a payload ratio around 77%, Figure 3.50.

Figure 3.51 presents the payload mass ratio percentage as a function of initial circular orbit altitude. Clearly, the result is poorer performance when compared to the baseline GTO, reaching not even 68% at an altitude of 36,000 km.

Figure 3.52 presents the payload mass as a function of initial circular orbit altitude. At 5000 kg initial mass, the payload mass delivered is similar to the GTO baseline orbit. The GTO baseline will allow about 3345 kg of payload; a circular orbit of

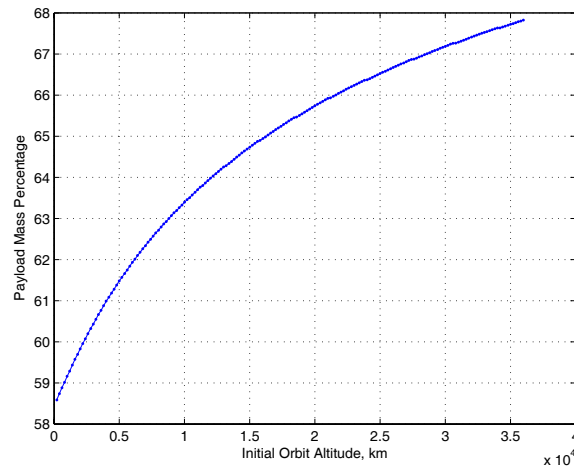


Figure 3.51: Payload Mass Percentage as a Function of Initial Orbit Altitude

approximately 27,500 km will allow a similar amount of payload.

3.5.3 Technology Level Considerations

Here we will take a moment to compare the three levels of technology investigated. Looking at Figures 3.54, 3.55, and 3.56 we can see, despite the increasing power levels, that as the specific impulse increases the minimum bound constraining the initial mass grows tighter. The specific impulse has a much greater effect on the transfer time and hence the maximum bound. It is interesting to note that the largest initial mass is transferred using the mid term technology. This is most likely due to the assumption that the thruster efficiency, around a specific impulse of 4500 seconds, levels off. Only modest gains are made when upgrading to far term technology. The maximum payload masses achieved are shown in Figures 3.57, 3.58, and 3.59.

An ERPS system can achieve superior lunar transfer results when compared to a conventional RPS system for payload delivery to lunar orbit. More massive payloads can be delivered and higher ratios of payload delivered per day can be achieved. A combination of specific impulse, initial mass, and power level can be found that maximizes the payload delivered per day for some cases in the trade space. By maximizing

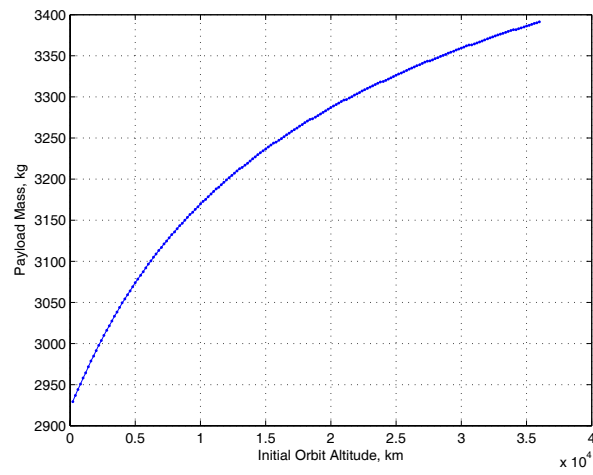


Figure 3.52: Payload Mass as a Function of Initial Orbit Altitude

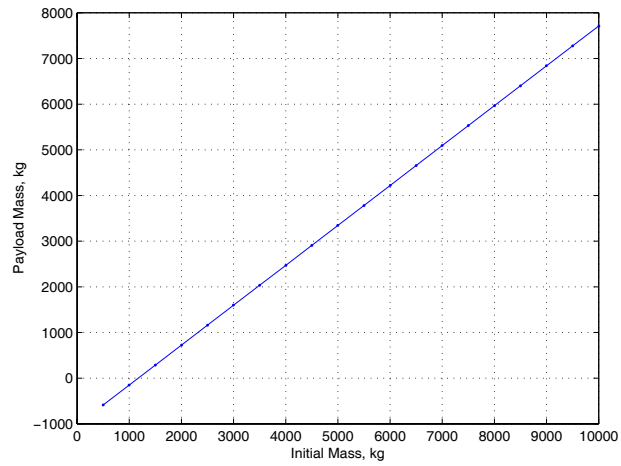


Figure 3.53: Payload Mass as a Function of Initial Mass

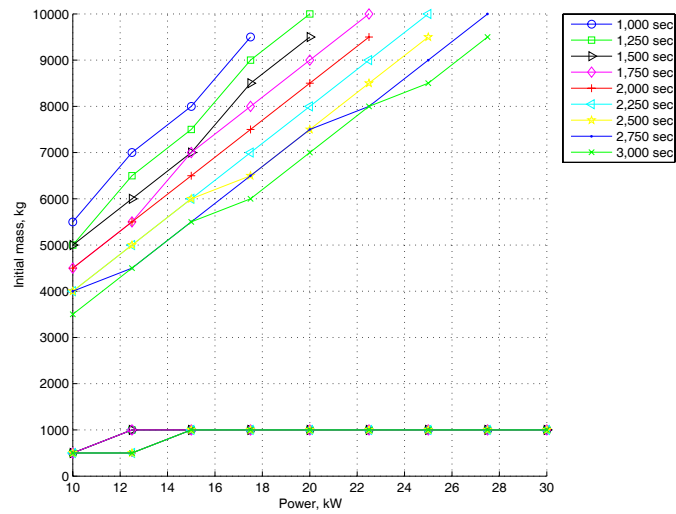


Figure 3.54: Constrained Initial Mass for Near Term Technology

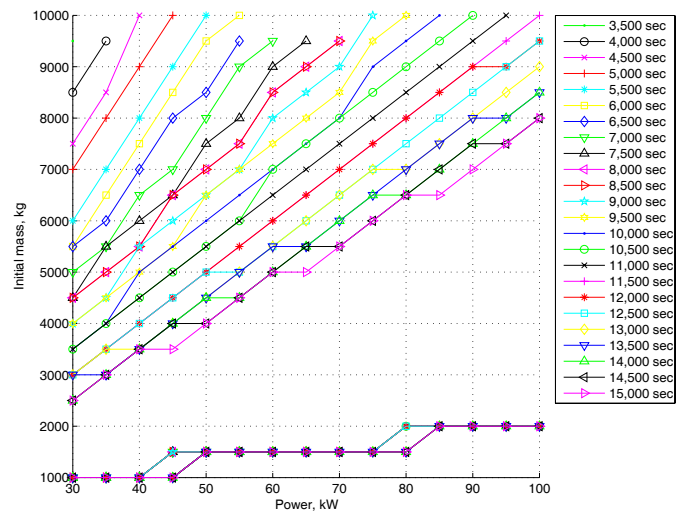


Figure 3.55: Constrained Initial Mass for Mid Term Technology

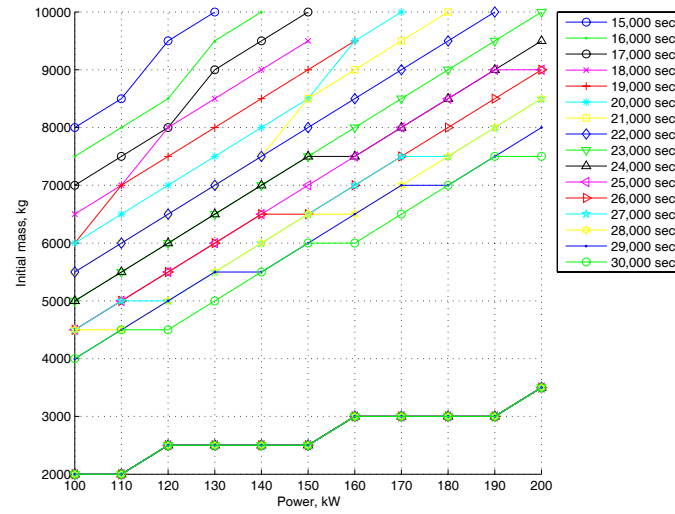


Figure 3.56: Constrained Initial Mass for Far Term Technology

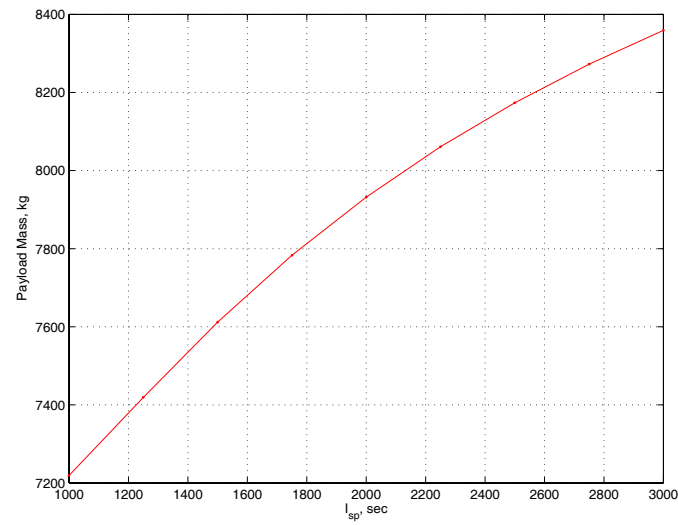


Figure 3.57: Maximum Payload Mass for Near Term Technology

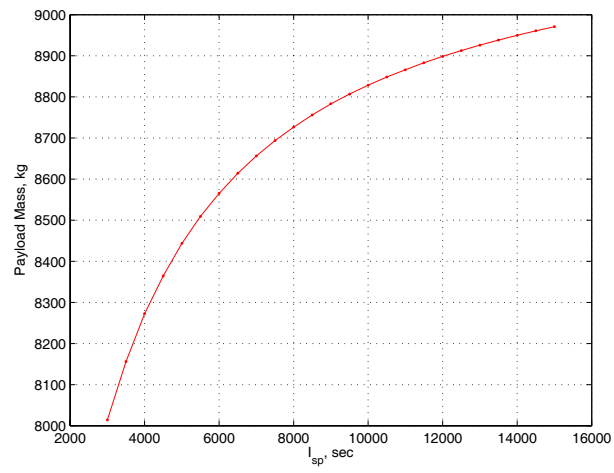


Figure 3.58: Maximum Payload Mass for Mid Term Technology

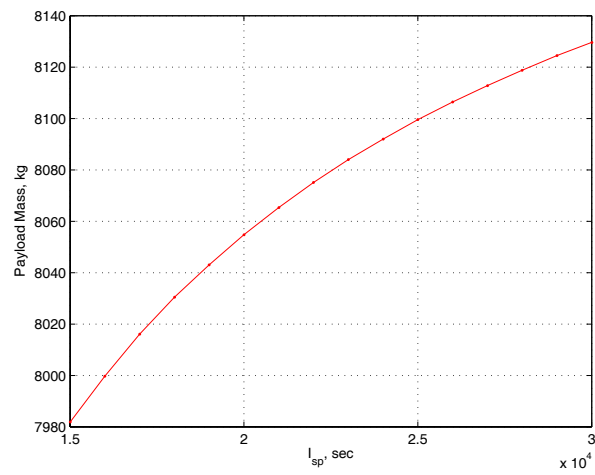


Figure 3.59: Maximum Payload Mass for Far Term Technology

this ratio, we consider the transfer time as well as the amount of payload delivered. This combination does not necessarily result in the largest delivered payload; despite this, advantage is to be gained. For the Delta II launch vehicle example, the baseline RPS has a payload mass of approximately 250 kg whereas the near term technology ERPS can be approximately 1126 kg. This mass margin allows many types of missions not previously available and more science to be performed. This increase in capability does come at the expected price of longer transfer times. For the Delta II example the transfer time is about 77 days. However, the objectives investigated are non-time critical and limited to under one year.

3.5.4 Overall Program Goals

Our results show that at an initial mass of 2000 kg, 20 kW power level, and specific impulse of 1500 seconds a payload mass of about 1046 kg can be achieved while a comparably sized RPS, 2100 kg initial mass, can only achieve a payload mass of 252 kg. The ERPS system is able to deliver over four times as much payload for this example of a Delta II launch vehicle. The second RLEP mission is expected to be a larger lander and may launch on a Delta IV Medium[18]. This launch vehicle has the capability to put 3960 kg into GTO. The RPS can place roughly 278 kg of payload into LLO. An equivalent ERPS with an initial mass of roughly 4000 kg (20 kW power and 1500 s I_{sp}) can place 2860 kg of payload into LLO, more than ten times as much payload.

Knowing this, we can easily conceive of a plan for an SEP to deliver multiple RLEP missions, say an orbiter and a lander, from one launch vehicle. Such a capability could shorten the baseline RLEP timeline and reduce launch costs or allow more missions to be launched if the baseline schedule were to be continued. The assumed schedule for the baseline RLEP is a mission launch every two years. LRO is scheduled to launch in 2008 (estimated here at 250 kg) and the second RLEP mission in 2010 (estimated here at 700 kg). It is clearly feasible that an ERPS can deliver a lander, an enabling technology for the second planned RLEP mission, on a smaller launch vehicle or paired with another RLEP mission on the originally planned launch vehicle.

Figure 3.60 shows a notional comparison between the assumed baseline schedule of a launch every two years with a schedule enabled by the ERPS. The ERPS schedule assumes that the launch vehicle is a Delta II and that each launch is a pairing of an orbiter and a lander, where the estimated masses of the orbiters are 250 kg and the landers are 700 kg. It is clear that an ERPS can enable RLEP missions to launch on small vehicles like the Delta II as well as requiring fewer launches.

Assuming the Delta II launch vehicle and a launch cost of \$80M, the first six missions can be launched at a cost of \$240M. Using conventional chemical propulsion it would be six launches, costing around \$480M. Estimates of the SEP stage[23] put the cost of a 98 kW SEP tug around \$44M while a smaller SEP tug as discussed about would cost closer to \$10M. Three SEP stages are needed for the first six missions. There is then about a \$200M savings as compared to the RLEP baseline.

Once the payload has been delivered to the lunar infrastructure, the SEP stage will still be in orbit about the moon. The first thought that jumps to mind for its use is as a communications platform. The SEP stage will be fairly high powered, upward of 10 kW, and will already have a communications package for operations. This is an easy way to extend its usefulness as well as extending capability for the investment. Problems relating to an optimum lunar orbit for such activity can be addressed in future work. Of course some of the payload could be offloaded into instruments that remain aboard the SEP stage and add yet more value to post-primary mission activities.

Technology demonstration is yet another way in which a SEP spacecraft can contribute to the overall RLEP goals; electric propulsion is continually demonstrated in Earth orbit on GEO communications satellites[24] and in the past for lunar mission through SMART-1[25]. Electric propulsion can achieve very promising results for human-scale missions[23] and beginning to fly this technology early will gain much needed heritage for future lunar and Mars missions.

A RLEP Mission Timeline Comparison

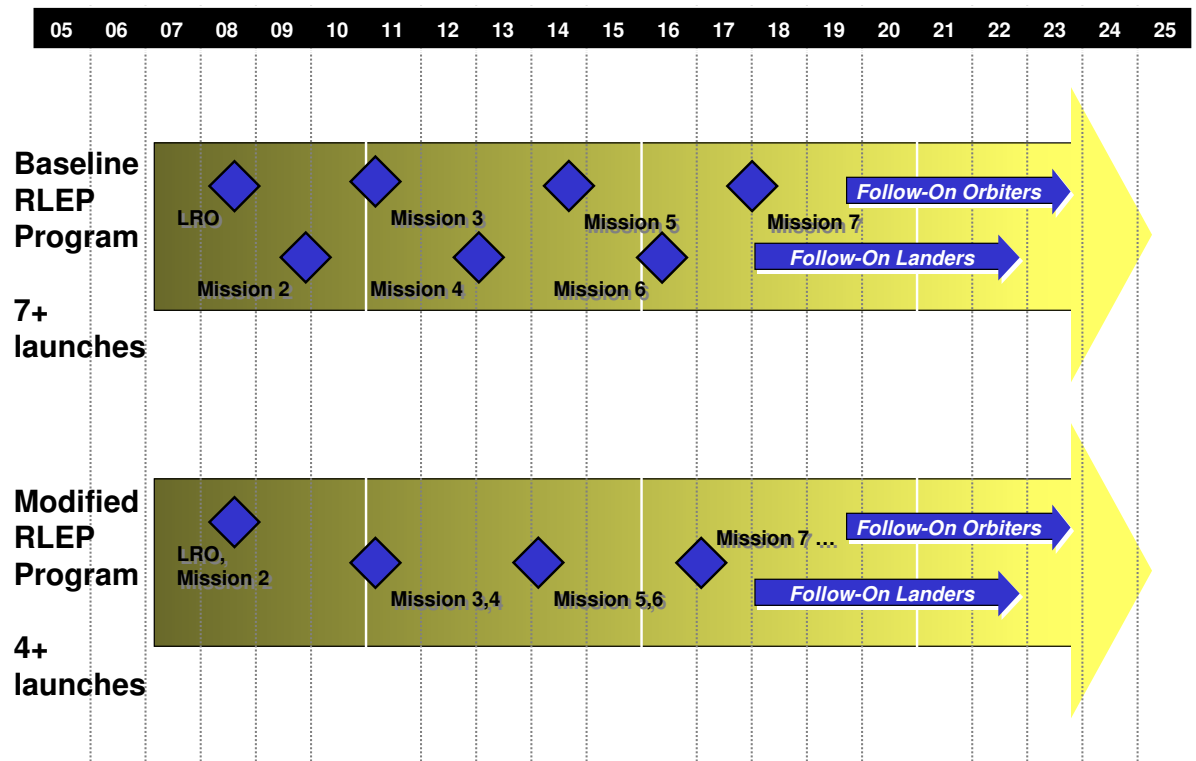


Figure 3.60: RLEP Schedule Comparison

Chapter 4

Summary and Conclusions

This work has investigated a large trade space of possible SEP vehicles in the Earth lunar system. Straightforward output parameters such as payload mass and transfer times have been calculated for some 18,000 cases. Sections of the trade space where a point of diminished returns is reached have also been found. The resultant space is analyzed to find what combinations of specific impulse, initial mass, and power levels provide the largest payload masses in LLO and which are the most efficient in terms of a transportation rate.

For the near term application investigated, ERPS using Hall thrusters can provide an important function delivering payloads to the moon that will be needed for the Robotic Lunar Precursor Program. The capability is also large enough to enable early manned support missions, delivering rovers to aid astronauts for example. It is also able to allow the use of small launch vehicles as well as fewer, directly enabling launch cost savings.

Our results show that at an initial mass of 2000 kg, 20 kW power level, and specific impulse of 1500 seconds a payload mass of about 1046 kg can be achieved, a payload mass ratio of 52.28%. A comparably sized RPS, 2100 kg initial mass, can only achieve a payload mass of 252 kg, a payload mass ratio of only 12.0%. The benefit of electric propulsion is a payload mass increase of 794 kg.

If the specific impulse is increased to 2500 seconds then a payload mass of about 1158 kg can be achieved, a payload mass ratio of 57.90%. If the initial mass constraint

is increased to 4000 kg the benefit of electric propulsion would be an additional 1710 kg of payload, at a mass ratio of 71.70%.

Besides cost savings an SEP system affords flexibility in the number and scheduling of launches. The end result is a flexible SEP system that can deliver more mass to LLO than conventional chemical propulsion while saving an estimated \$200M.

4.1 Recommendation for Future Work

Future studies should further investigate the nature of thruster efficiency for high specific impulse thrusters. The assumption made in this study concerning specific impulse showed a large effect and mitigated gains for far term technology applications.

The Delta II launch vehicle was assumed for near term technology levels since it is an available and proven vehicle and the first RLEP mission, LRO, is planning to use it. It was shown that the ERPS can deliver much more payload to LLO so it is advisable that other launch vehicles be considered. The program cost and schedule would need to be revisited following such consideration.

Also, more in depth assessment of a follow on mission capability, such as providing communications or power for future missions, may need to be performed. A further investigation of possible payloads might be helpful in refining the requirements. This could lead to further refinement of the launch vehicle selection and scheduling.

Appendix A

Appendix: Overall Plots

The following plots, Figures A.1 to A.2, present the initial mass versus payload mass in low lunar orbit for power levels from 10 kW to 200 kW.

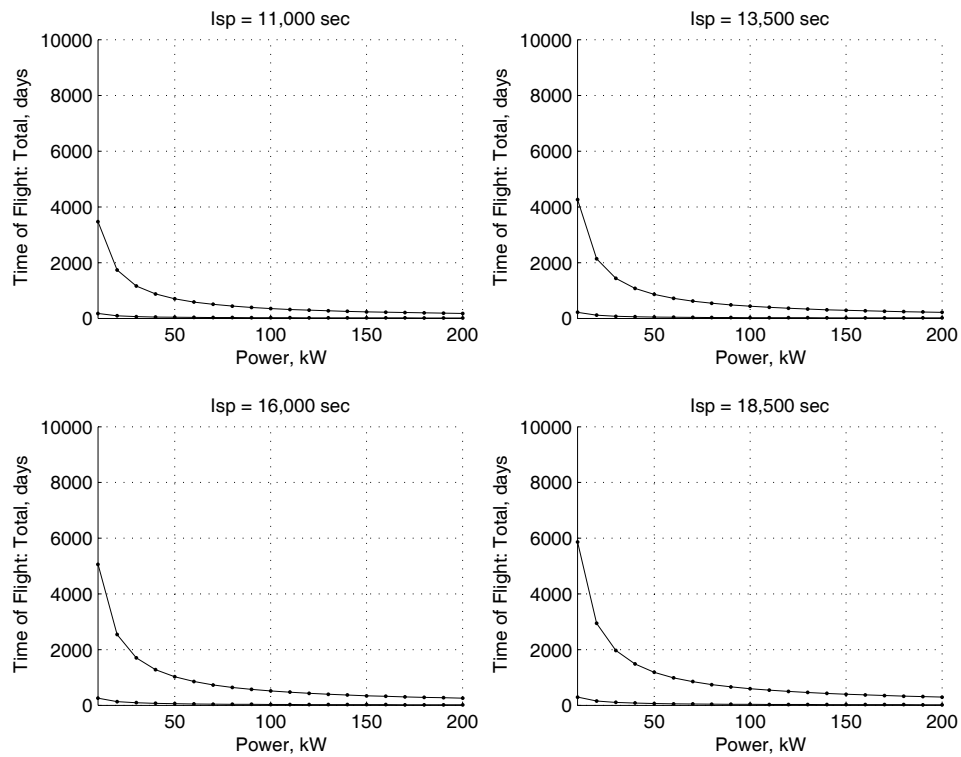


Figure A.1: Power vs. Total Time of Flight, Overall

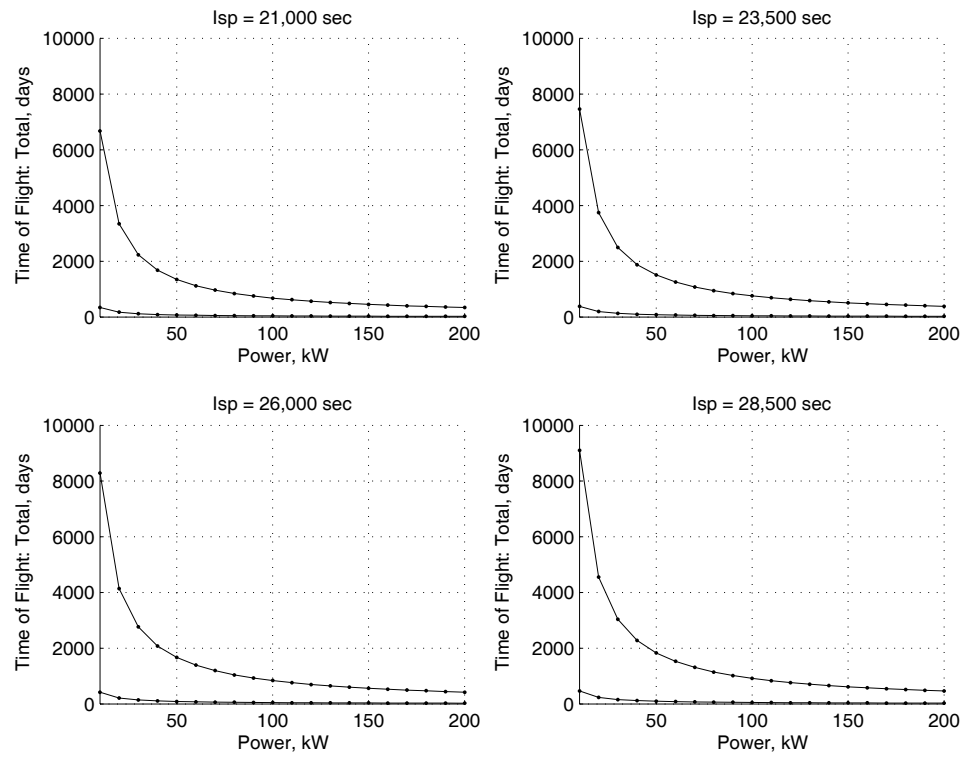


Figure A.2: Power vs. Total Time of Flight, Overall

The following plots, Figures A.3 to A.4, present the initial mass versus the transfer time split to show each specific impulse separately.

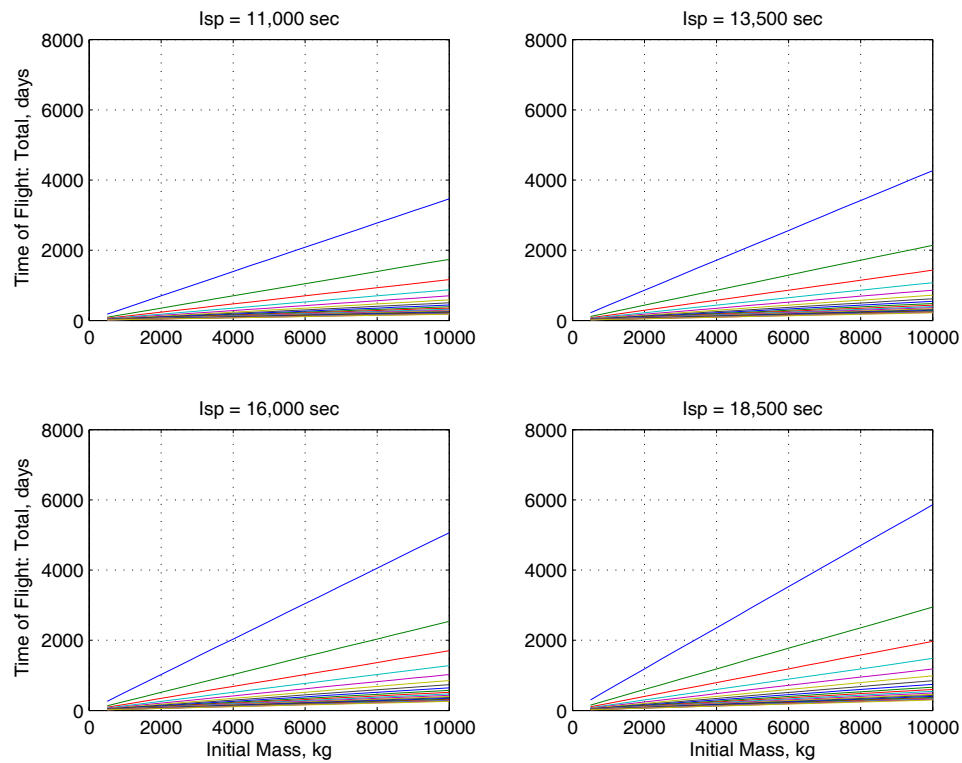


Figure A.3: Initial Mass vs. Total Time of Flight, Overall

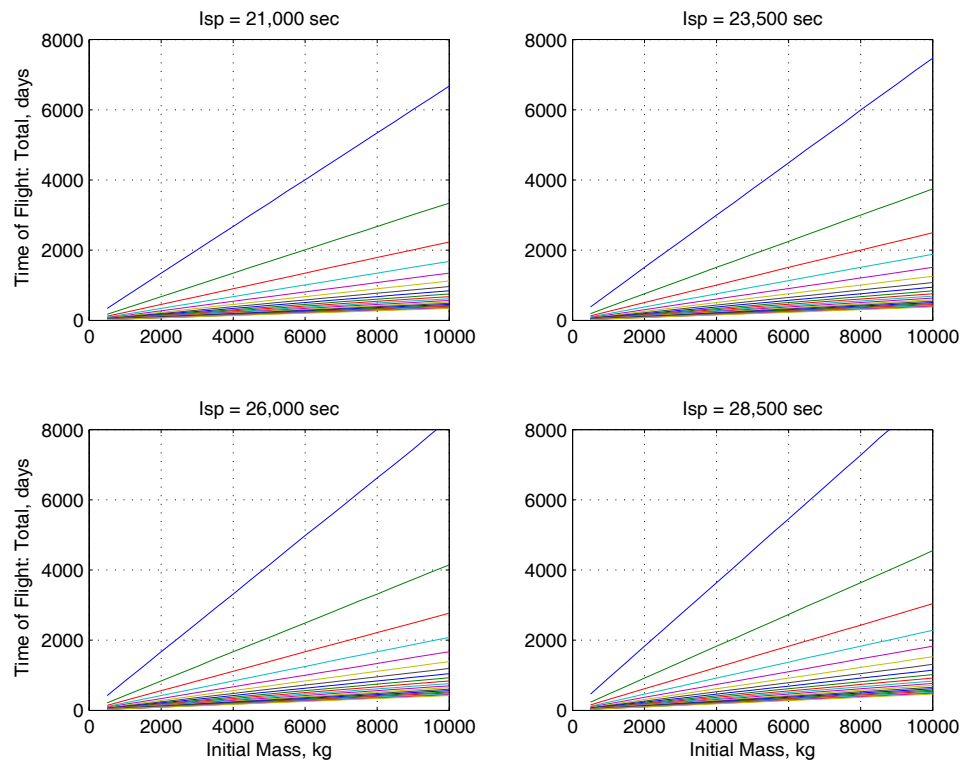


Figure A.4: Initial Mass vs. Total Time of Flight, Overall

Figures A.5 to A.6, presents the payload mass delivered per day.

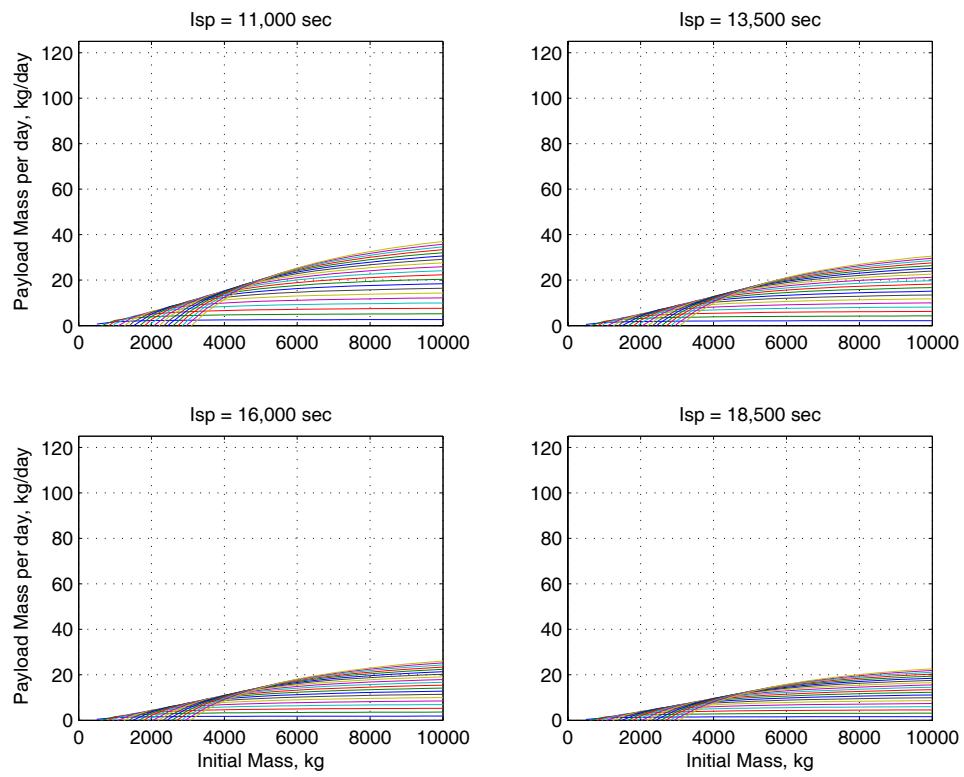


Figure A.5: Initial Mass vs. Payload Mass per Day, Overall

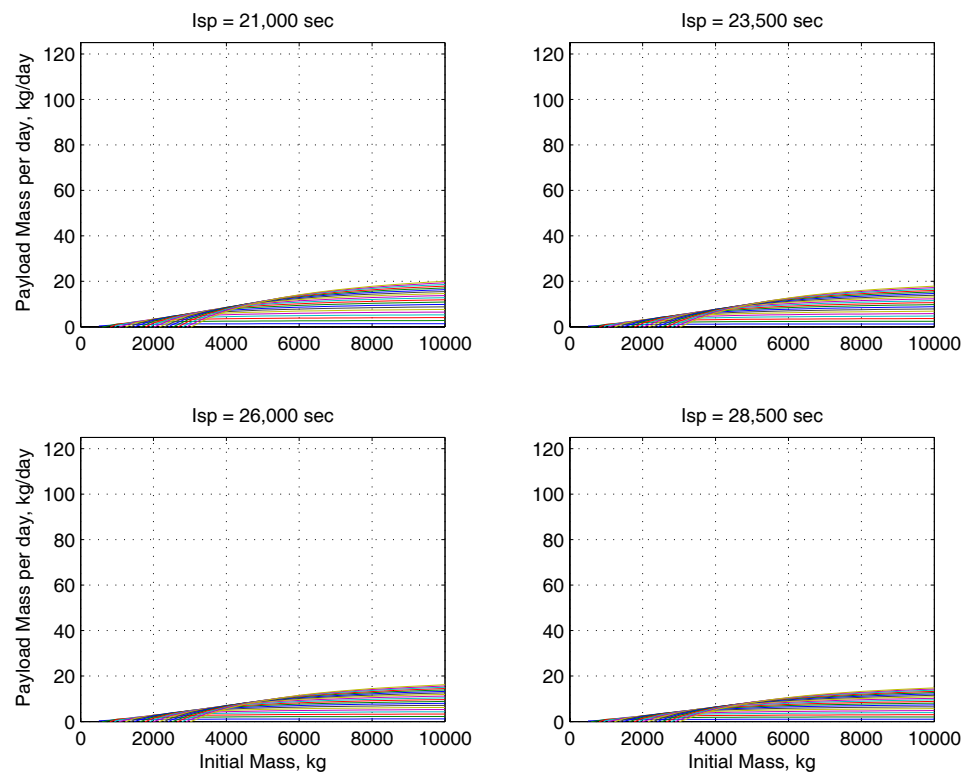


Figure A.6: Initial Mass vs. Payload Mass per Day, Overall

The following are the tabulated results for the points of diminishing returns, where one exists for a combination of initial mass, power, and specific impulse, sorted by power. There are 98 cases that have a point of diminishing returns for the initial mass versus payload delivered per day curves.

m0 (kg)	P0 (kW)	ISP (sec)	Payload Per Day (kg/day)

6000.00	10.00	1000.00	10.21235253
4000.00	10.00	3500.00	6.59619995
5500.00	10.00	6000.00	4.33729796
5000.00	10.00	8500.00	3.26895838
4000.00	10.00	11000.00	2.48495026
3000.00	10.00	13500.00	1.96125297
5000.00	10.00	16000.00	1.76847933
6500.00	10.00	18500.00	1.56444005
4000.00	10.00	21000.00	1.32465796
4500.00	10.00	23500.00	1.20137387
5000.00	10.00	26000.00	1.09700851
5000.00	10.00	28500.00	0.99964411
7000.00	20.00	1000.00	19.69492524
6500.00	20.00	3500.00	13.28418270
5500.00	20.00	6000.00	8.26071270
6000.00	20.00	8500.00	6.35815457
7000.00	20.00	11000.00	5.04361809
5500.00	20.00	13500.00	4.02278336
6500.00	20.00	16000.00	3.46971353
4500.00	20.00	18500.00	2.87832827
4000.00	20.00	21000.00	2.49343262
7500.00	20.00	23500.00	2.41587332
3000.00	20.00	26000.00	1.91099061
6000.00	20.00	28500.00	1.95687938
7500.00	30.00	1000.00	28.42505854

8500.00	30.00	3500.00	20.01228621
7000.00	30.00	6000.00	12.32509269
8000.00	30.00	8500.00	9.54186965
7000.00	30.00	11000.00	7.32032424
6000.00	30.00	13500.00	5.88443297
7000.00	30.00	16000.00	5.09124856
6000.00	30.00	18500.00	4.32801335
6000.00	30.00	21000.00	3.82146280
5500.00	30.00	23500.00	3.37604719
6000.00	30.00	26000.00	3.09763258
4500.00	30.00	28500.00	2.69621316
8500.00	40.00	1000.00	37.16912920
7500.00	40.00	3500.00	25.37035181
7000.00	40.00	6000.00	16.04366841
5500.00	40.00	8500.00	11.62875244
6500.00	40.00	11000.00	9.35797587
8000.00	40.00	13500.00	7.94359873
6500.00	40.00	16000.00	6.51449348
7500.00	40.00	18500.00	5.79392719
8000.00	40.00	21000.00	5.15786660
7500.00	40.00	23500.00	4.57266536
6500.00	40.00	26000.00	4.05515046
6000.00	40.00	28500.00	3.65627953
8000.00	50.00	3500.00	31.09072491
9000.00	50.00	6000.00	20.29533875
7000.00	50.00	8500.00	14.77025818
6500.00	50.00	11000.00	11.34195358
9000.00	50.00	13500.00	9.85899109
8500.00	50.00	16000.00	8.29009408
8500.00	50.00	21000.00	6.36187824
7500.00	50.00	23500.00	5.58856719

6500.00	50.00	26000.00	4.92922075
6500.00	50.00	28500.00	4.50023844
9000.00	60.00	6000.00	23.87791790
8500.00	60.00	8500.00	17.91547748
6500.00	60.00	11000.00	13.22636220
8500.00	60.00	13500.00	11.46769850
8000.00	60.00	16000.00	9.62838817
8500.00	60.00	18500.00	8.44839829
7500.00	60.00	21000.00	7.30051728
9000.00	60.00	23500.00	6.76060423
8000.00	60.00	26000.00	6.00229750
8000.00	60.00	28500.00	5.47378290
8000.00	70.00	6000.00	26.53643078
7500.00	70.00	11000.00	15.53284326
8000.00	70.00	16000.00	10.96538262
9000.00	70.00	18500.00	9.75247642
7000.00	70.00	21000.00	8.16784728
8000.00	70.00	23500.00	7.55303595
8000.00	80.00	3500.00	45.32291227
9000.00	80.00	8500.00	23.24792133
8000.00	80.00	11000.00	17.66222305
7500.00	80.00	28500.00	6.88067491
7000.00	90.00	11000.00	18.69782759
8500.00	90.00	28500.00	7.80733896
9000.00	100.00	13500.00	17.80632384
7500.00	100.00	16000.00	14.33637632
8000.00	100.00	26000.00	9.13238262
8500.00	110.00	16000.00	16.02705369
7000.00	110.00	18500.00	13.04839557
8500.00	110.00	21000.00	12.30034729
9000.00	120.00	16000.00	17.41860782

9000.00	120.00	28500.00	9.94796644
9000.00	130.00	1000.00	88.53185285
9000.00	130.00	16000.00	18.57166874
7500.00	130.00	21000.00	13.30061496
9000.00	130.00	23500.00	12.72957221
8500.00	140.00	18500.00	16.66767196
8500.00	140.00	23500.00	13.17570879
8500.00	150.00	11000.00	28.71317620
8500.00	160.00	21000.00	16.14638280
9000.00	170.00	6000.00	52.13767398
9000.00	190.00	23500.00	16.55580066

The following are the tabulated results for the points of diminishing returns, where one exists for a combination of initial mass, power, and specific impulse, sorted by specific impulse.

m0 (kg)	P0 (kW)	ISP (sec)	Payload Per Day (kg/day)

6000.00	10.00	1000.00	10.21235253
7000.00	20.00	1000.00	19.69492524
7500.00	30.00	1000.00	28.42505854
8500.00	40.00	1000.00	37.16912920
9000.00	130.00	1000.00	88.53185285
4000.00	10.00	3500.00	6.59619995
6500.00	20.00	3500.00	13.28418270
8500.00	30.00	3500.00	20.01228621
7500.00	40.00	3500.00	25.37035181
8000.00	50.00	3500.00	31.09072491
8000.00	80.00	3500.00	45.32291227
5500.00	10.00	6000.00	4.33729796
5500.00	20.00	6000.00	8.26071270
7000.00	30.00	6000.00	12.32509269

7000.00	40.00	6000.00	16.04366841
9000.00	50.00	6000.00	20.29533875
9000.00	60.00	6000.00	23.87791790
8000.00	70.00	6000.00	26.53643078
9000.00	170.00	6000.00	52.13767398
5000.00	10.00	8500.00	3.26895838
6000.00	20.00	8500.00	6.35815457
8000.00	30.00	8500.00	9.54186965
5500.00	40.00	8500.00	11.62875244
7000.00	50.00	8500.00	14.77025818
8500.00	60.00	8500.00	17.91547748
9000.00	80.00	8500.00	23.24792133
4000.00	10.00	11000.00	2.48495026
7000.00	20.00	11000.00	5.04361809
7000.00	30.00	11000.00	7.32032424
6500.00	40.00	11000.00	9.35797587
6500.00	50.00	11000.00	11.34195358
6500.00	60.00	11000.00	13.22636220
7500.00	70.00	11000.00	15.53284326
8000.00	80.00	11000.00	17.66222305
7000.00	90.00	11000.00	18.69782759
8500.00	150.00	11000.00	28.71317620
3000.00	10.00	13500.00	1.96125297
5500.00	20.00	13500.00	4.02278336
6000.00	30.00	13500.00	5.88443297
8000.00	40.00	13500.00	7.94359873
9000.00	50.00	13500.00	9.85899109
8500.00	60.00	13500.00	11.46769850
9000.00	100.00	13500.00	17.80632384
5000.00	10.00	16000.00	1.76847933
6500.00	20.00	16000.00	3.46971353

7000.00	30.00	16000.00	5.09124856
6500.00	40.00	16000.00	6.51449348
8500.00	50.00	16000.00	8.29009408
8000.00	60.00	16000.00	9.62838817
8000.00	70.00	16000.00	10.96538262
7500.00	100.00	16000.00	14.33637632
8500.00	110.00	16000.00	16.02705369
9000.00	120.00	16000.00	17.41860782
9000.00	130.00	16000.00	18.57166874
6500.00	10.00	18500.00	1.56444005
4500.00	20.00	18500.00	2.87832827
6000.00	30.00	18500.00	4.32801335
7500.00	40.00	18500.00	5.79392719
8500.00	60.00	18500.00	8.44839829
9000.00	70.00	18500.00	9.75247642
7000.00	110.00	18500.00	13.04839557
8500.00	140.00	18500.00	16.66767196
4000.00	10.00	21000.00	1.32465796
4000.00	20.00	21000.00	2.49343262
6000.00	30.00	21000.00	3.82146280
8000.00	40.00	21000.00	5.15786660
8500.00	50.00	21000.00	6.36187824
7500.00	60.00	21000.00	7.30051728
7000.00	70.00	21000.00	8.16784728
8500.00	110.00	21000.00	12.30034729
7500.00	130.00	21000.00	13.30061496
8500.00	160.00	21000.00	16.14638280
4500.00	10.00	23500.00	1.20137387
7500.00	20.00	23500.00	2.41587332
5500.00	30.00	23500.00	3.37604719
7500.00	40.00	23500.00	4.57266536

7500.00	50.00	23500.00	5.58856719
9000.00	60.00	23500.00	6.76060423
8000.00	70.00	23500.00	7.55303595
9000.00	130.00	23500.00	12.72957221
8500.00	140.00	23500.00	13.17570879
9000.00	190.00	23500.00	16.55580066
5000.00	10.00	26000.00	1.09700851
3000.00	20.00	26000.00	1.91099061
6000.00	30.00	26000.00	3.09763258
6500.00	40.00	26000.00	4.05515046
6500.00	50.00	26000.00	4.92922075
8000.00	60.00	26000.00	6.00229750
8000.00	100.00	26000.00	9.13238262
5000.00	10.00	28500.00	0.99964411
6000.00	20.00	28500.00	1.95687938
4500.00	30.00	28500.00	2.69621316
6000.00	40.00	28500.00	3.65627953
6500.00	50.00	28500.00	4.50023844
8000.00	60.00	28500.00	5.47378290
7500.00	80.00	28500.00	6.88067491
8500.00	90.00	28500.00	7.80733896
9000.00	120.00	28500.00	9.94796644

The following is the list of transfer times for the maximum optimum payload delivered per day.

m0 (kg)	P0 (kW)	ISP (sec)	T0F (days)

9000.00	130.00	1000.00	53.5552
8000.00	80.00	3500.00	124.9487
9000.00	170.00	6000.00	110.6547
9000.00	80.00	8500.00	304.8503

8500.00	150.00	11000.00	202.1461
9000.00	100.00	13500.00	392.2133
9000.00	130.00	16000.00	357.7031
8500.00	140.00	18500.00	363.7434
8500.00	160.00	21000.00	361.5730
9000.00	190.00	23500.00	361.2277
8000.00	100.00	26000.00	672.6456
9000.00	120.00	28500.00	691.5612

Appendix B

Appendix: Near Term Plots

Figures B.1 through B.2 present the initial mass versus payload mass in low lunar orbit for nine power levels, 10 kW, 12.5 kW, 15 kW, 17.5 kW, 20 kW, 22.5 kW, 25 kW, 27.5 kW, and 30 kW.

Figures B.3 through B.4 present the payload mass per day as a function of initial mass.

Figures B.5 to B.6 highlight the transfer times for a range of specific impulses, from 1250 sec to 3000 sec.

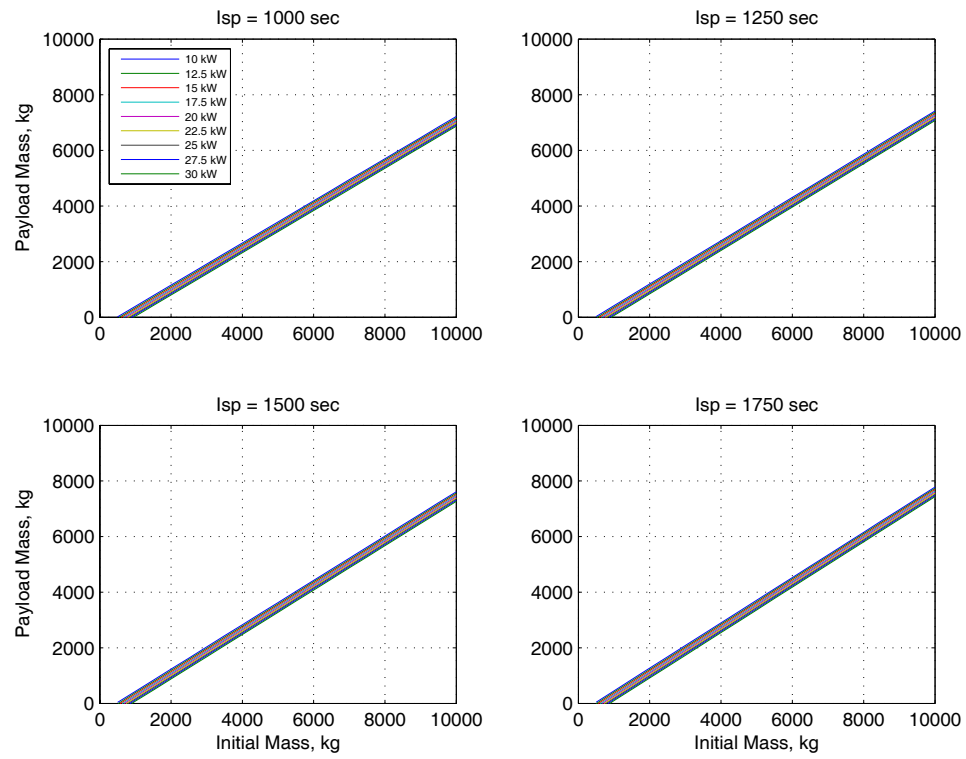


Figure B.1: Initial Mass versus Payload Mass

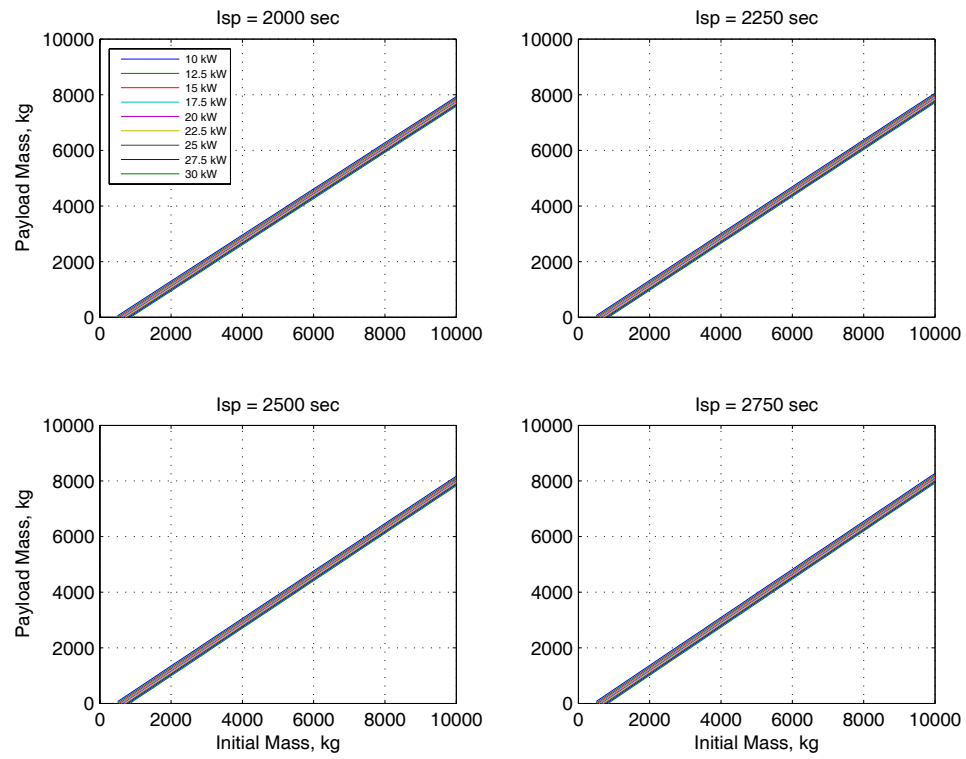


Figure B.2: Initial Mass versus Payload Mass

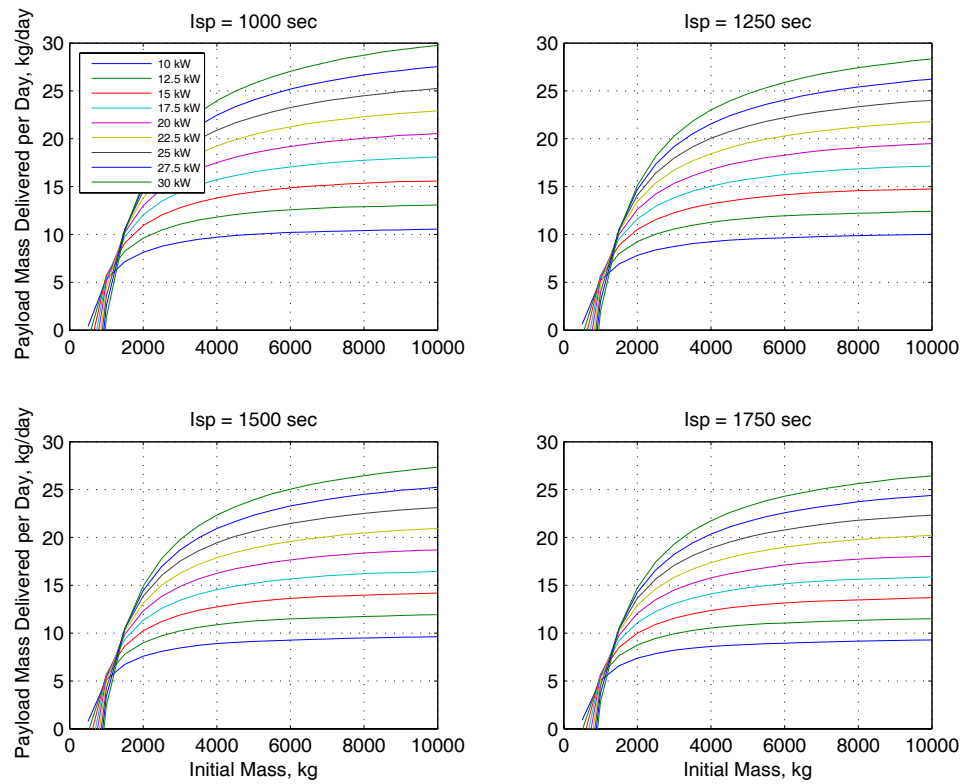


Figure B.3: Initial Mass vs. Payload Mass per Day

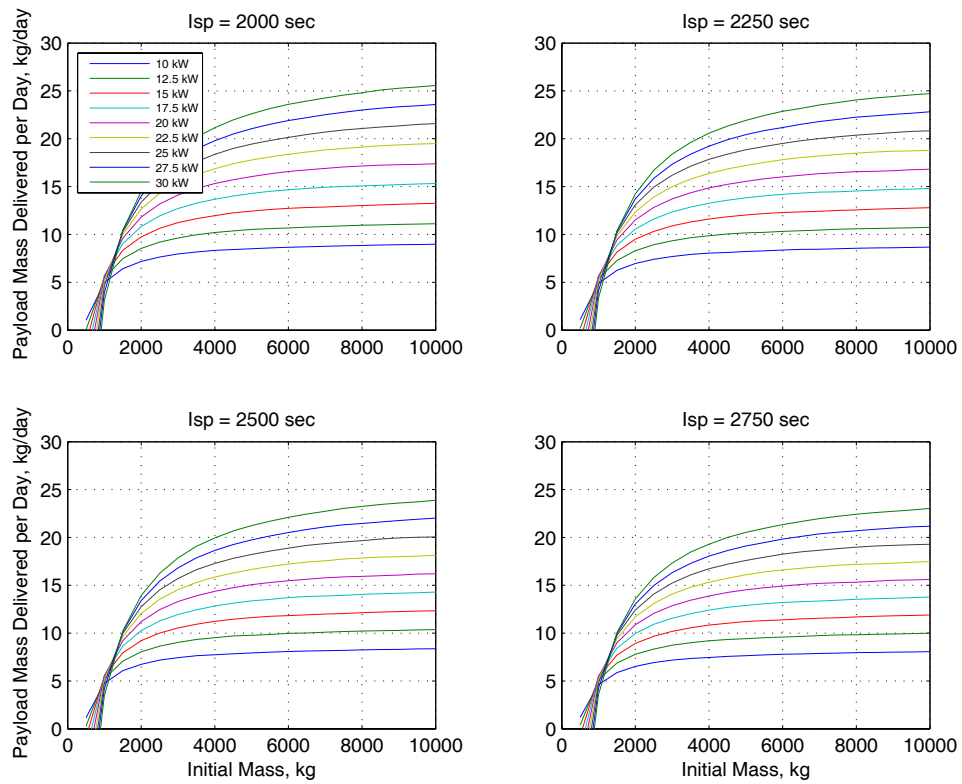


Figure B.4: Initial Mass vs. Payload Mass per Day

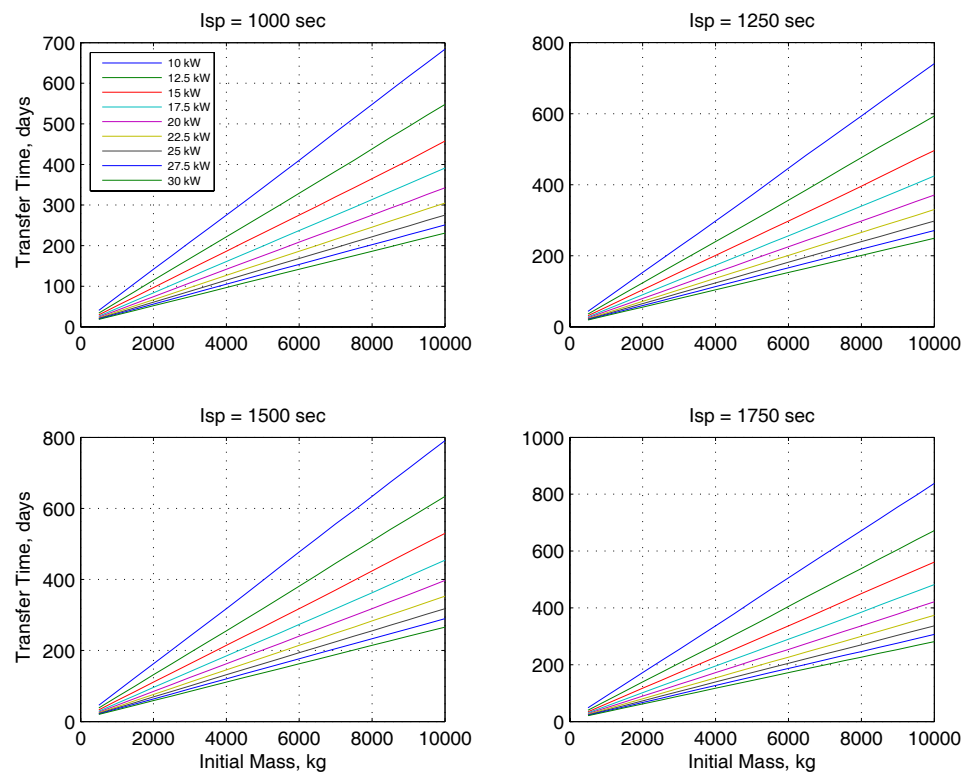


Figure B.5: Initial Mass vs. Payload Mass per Day

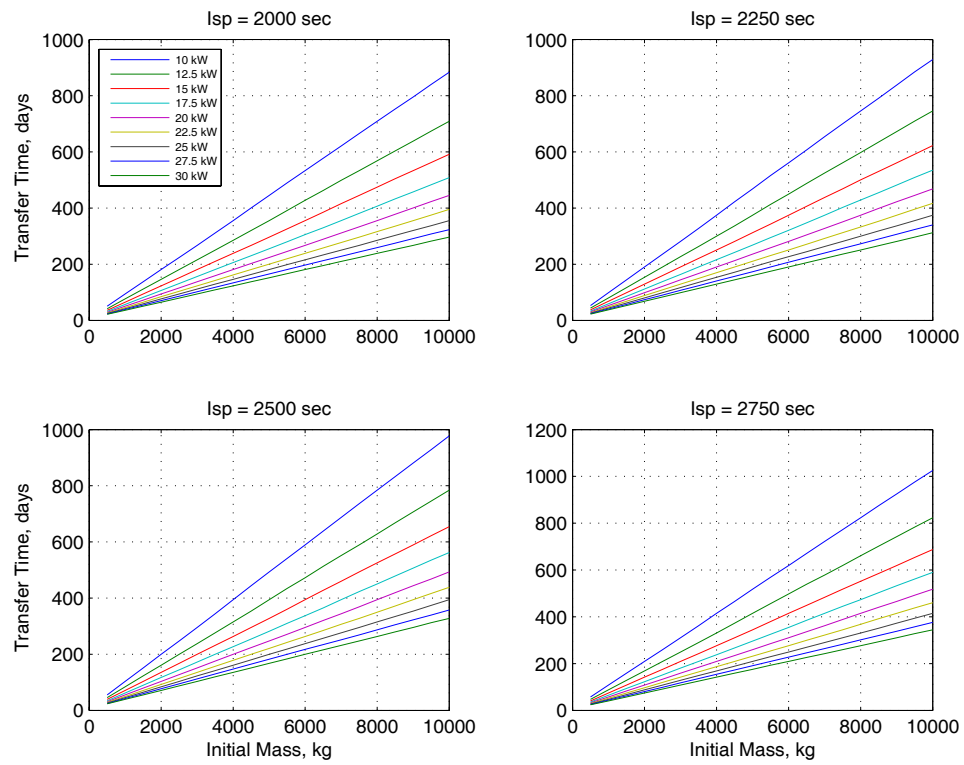


Figure B.6: Initial Mass vs. Payload Mass per Day

The following are the tabulated results for the points of diminishing returns, where one exists for a combination of initial mass, power, and specific impulse, sorted by power. There are 77 cases that have a point of diminishing returns for the initial mass versus payload delivered per day curves.

m0 (kg)	P0 (kW)	ISP (sec)	Value (kg/day)	P0 Index
6000.00	10.00	1000.00	10.21235253	12
5500.00	10.00	1250.00	9.59401690	11
5000.00	10.00	1500.00	9.12952173	10
4500.00	10.00	1750.00	8.72928678	9
4500.00	10.00	2000.00	8.42154940	9
4000.00	10.00	2250.00	8.04164666	8
7000.00	10.00	2500.00	8.16986566	14
3500.00	10.00	2750.00	7.35549083	7
3500.00	10.00	3000.00	7.06643643	7
7500.00	12.50	1000.00	12.86451665	15
7000.00	12.50	1250.00	12.10801043	14
6500.00	12.50	1500.00	11.55685916	13
5500.00	12.50	1750.00	10.99590787	11
5500.00	12.50	2000.00	10.61083741	11
5000.00	12.50	2250.00	10.16060882	10
4500.00	12.50	2500.00	9.70211435	9
4500.00	12.50	2750.00	9.33225919	9
4000.00	12.50	3000.00	8.86170004	8
6500.00	15.00	1000.00	15.02698209	13
8500.00	15.00	1250.00	14.62027275	17
7000.00	15.00	1500.00	13.84469170	14
7000.00	15.00	1750.00	13.34902355	14
6500.00	15.00	2000.00	12.81302291	13
6500.00	15.00	2250.00	12.35594974	13
5500.00	15.00	2500.00	11.76508682	11

5500.00	15.00	2750.00	11.30755788	11
5000.00	15.00	3000.00	10.77890549	10
8000.00	17.50	1000.00	17.74286817	16
5000.00	17.50	1250.00	15.77973345	10
7000.00	17.50	1500.00	15.99728090	14
8000.00	17.50	1750.00	15.62959572	16
5500.00	17.50	2000.00	14.50227610	11
7000.00	17.50	2250.00	14.41728188	14
5000.00	17.50	2500.00	13.37432884	10
6000.00	17.50	2750.00	13.20806585	12
4500.00	17.50	3000.00	12.21163103	9
7000.00	20.00	1000.00	19.69492524	14
5500.00	20.00	1250.00	18.02940501	11
9000.00	20.00	1750.00	17.92209335	18
6500.00	20.00	2000.00	16.75251896	13
8000.00	20.00	2250.00	16.55228278	16
7500.00	20.00	2500.00	15.87962448	15
7500.00	20.00	2750.00	15.26790016	15
7000.00	20.00	3000.00	14.59359132	14
7000.00	22.50	1000.00	21.85896635	14
8500.00	22.50	1250.00	21.38684277	17
6500.00	22.50	1500.00	19.85269093	13
5000.00	22.50	1750.00	18.33393219	10
7500.00	22.50	2000.00	18.98770242	15
6500.00	22.50	2250.00	18.04281248	13
6500.00	22.50	2500.00	17.42184127	13
8000.00	22.50	2750.00	17.19384470	16
6000.00	22.50	3000.00	15.98989642	12
8000.00	25.00	1000.00	24.49106179	16
7000.00	25.00	1250.00	22.84678181	14
7000.00	25.00	1500.00	22.06217911	14

8500.00	25.00	1750.00	21.94072755	17
8500.00	25.00	2000.00	21.21639333	17
7500.00	25.00	2500.00	19.53190563	15
6500.00	25.00	2750.00	18.49452547	13
7000.00	25.00	3000.00	17.96104813	14
8500.00	27.50	1000.00	26.92916707	17
8500.00	27.50	1250.00	25.63847602	17
6000.00	27.50	1500.00	23.29496981	12
7000.00	27.50	1750.00	23.22170620	14
7000.00	27.50	2000.00	22.52039347	14
5500.00	27.50	2250.00	20.85258664	11
7500.00	27.50	2500.00	21.31970028	15
7000.00	27.50	3000.00	19.60115211	14
7500.00	30.00	1000.00	28.42505854	15
7000.00	30.00	1250.00	26.78118425	14
8500.00	30.00	1500.00	26.71277924	17
7000.00	30.00	1750.00	25.06166696	14
6500.00	30.00	2000.00	23.94433851	13
6000.00	30.00	2250.00	22.86041554	12
6500.00	30.00	2500.00	22.43872314	13
9000.00	30.00	2750.00	22.73798042	18

The following are the tabulated results for the points of diminishing returns, where one exists for a combination of initial mass, power, and specific impulse, sorted by specific impulse.

m0 (kg)	P0 (kW)	ISP (sec)	Value (kg/day)	P0 Index

6000.00	10.00	1000.00	10.21235253	12
7500.00	12.50	1000.00	12.86451665	15
6500.00	15.00	1000.00	15.02698209	13
8000.00	17.50	1000.00	17.74286817	16

7000.00	20.00	1000.00	19.69492524	14
7000.00	22.50	1000.00	21.85896635	14
8000.00	25.00	1000.00	24.49106179	16
8500.00	27.50	1000.00	26.92916707	17
7500.00	30.00	1000.00	28.42505854	15
5500.00	10.00	1250.00	9.59401690	11
7000.00	12.50	1250.00	12.10801043	14
8500.00	15.00	1250.00	14.62027275	17
5000.00	17.50	1250.00	15.77973345	10
5500.00	20.00	1250.00	18.02940501	11
8500.00	22.50	1250.00	21.38684277	17
7000.00	25.00	1250.00	22.84678181	14
8500.00	27.50	1250.00	25.63847602	17
7000.00	30.00	1250.00	26.78118425	14
5000.00	10.00	1500.00	9.12952173	10
6500.00	12.50	1500.00	11.55685916	13
7000.00	15.00	1500.00	13.84469170	14
7000.00	17.50	1500.00	15.99728090	14
6500.00	22.50	1500.00	19.85269093	13
7000.00	25.00	1500.00	22.06217911	14
6000.00	27.50	1500.00	23.29496981	12
8500.00	30.00	1500.00	26.71277924	17
4500.00	10.00	1750.00	8.72928678	9
5500.00	12.50	1750.00	10.99590787	11
7000.00	15.00	1750.00	13.34902355	14
8000.00	17.50	1750.00	15.62959572	16
9000.00	20.00	1750.00	17.92209335	18
5000.00	22.50	1750.00	18.33393219	10
8500.00	25.00	1750.00	21.94072755	17
7000.00	27.50	1750.00	23.22170620	14
7000.00	30.00	1750.00	25.06166696	14

4500.00	10.00	2000.00	8.42154940	9
5500.00	12.50	2000.00	10.61083741	11
6500.00	15.00	2000.00	12.81302291	13
5500.00	17.50	2000.00	14.50227610	11
6500.00	20.00	2000.00	16.75251896	13
7500.00	22.50	2000.00	18.98770242	15
8500.00	25.00	2000.00	21.21639333	17
7000.00	27.50	2000.00	22.52039347	14
6500.00	30.00	2000.00	23.94433851	13
4000.00	10.00	2250.00	8.04164666	8
5000.00	12.50	2250.00	10.16060882	10
6500.00	15.00	2250.00	12.35594974	13
7000.00	17.50	2250.00	14.41728188	14
8000.00	20.00	2250.00	16.55228278	16
6500.00	22.50	2250.00	18.04281248	13
5500.00	27.50	2250.00	20.85258664	11
6000.00	30.00	2250.00	22.86041554	12
7000.00	10.00	2500.00	8.16986566	14
4500.00	12.50	2500.00	9.70211435	9
5500.00	15.00	2500.00	11.76508682	11
5000.00	17.50	2500.00	13.37432884	10
7500.00	20.00	2500.00	15.87962448	15
6500.00	22.50	2500.00	17.42184127	13
7500.00	25.00	2500.00	19.53190563	15
7500.00	27.50	2500.00	21.31970028	15
6500.00	30.00	2500.00	22.43872314	13
3500.00	10.00	2750.00	7.35549083	7
4500.00	12.50	2750.00	9.33225919	9
5500.00	15.00	2750.00	11.30755788	11
6000.00	17.50	2750.00	13.20806585	12
7500.00	20.00	2750.00	15.26790016	15

8000.00	22.50	2750.00	17.19384470	16
6500.00	25.00	2750.00	18.49452547	13
9000.00	30.00	2750.00	22.73798042	18
3500.00	10.00	3000.00	7.06643643	7
4000.00	12.50	3000.00	8.86170004	8
5000.00	15.00	3000.00	10.77890549	10
4500.00	17.50	3000.00	12.21163103	9
7000.00	20.00	3000.00	14.59359132	14
6000.00	22.50	3000.00	15.98989642	12
7000.00	25.00	3000.00	17.96104813	14
7000.00	27.50	3000.00	19.60115211	14

The following is the list of transfer times for the maximum optimum payload delivered per day.

The following is the list of transfer times for the maximum optimum payload per day

m0 (kg)	P0 (kW)	ISP (sec)	T0F (days)

7500.00	30.00	1000.00	175.0357
7000.00	30.00	1250.00	176.9327
8500.00	30.00	1500.00	227.2332
7000.00	30.00	1750.00	199.2531
6500.00	30.00	2000.00	195.5445
6000.00	30.00	2250.00	190.0674
6500.00	30.00	2500.00	215.6425
9000.00	30.00	2750.00	310.6153
7000.00	27.50	3000.00	277.3062

Appendix C

Appendix: Mid Term Plots

The following plots, Figures C.1 to C.2, present the initial mass versus payload mass in low lunar orbit for fifteen power levels 30 kW to 100 kW, by increments of 5 kW.

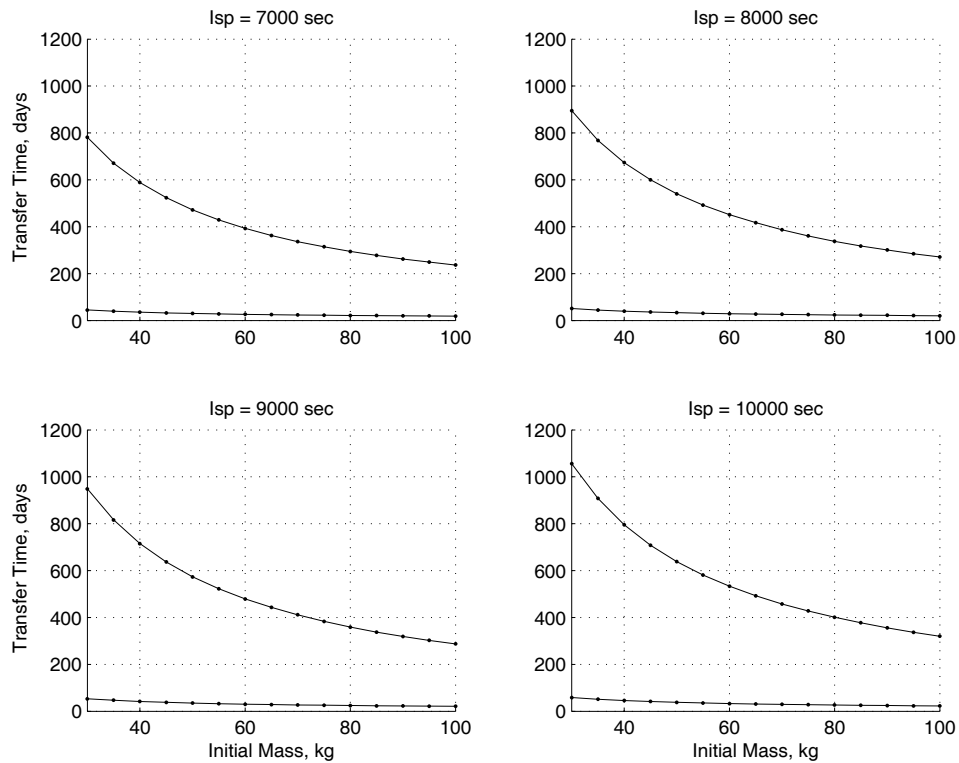


Figure C.1: Power vs. Total Time of Flight

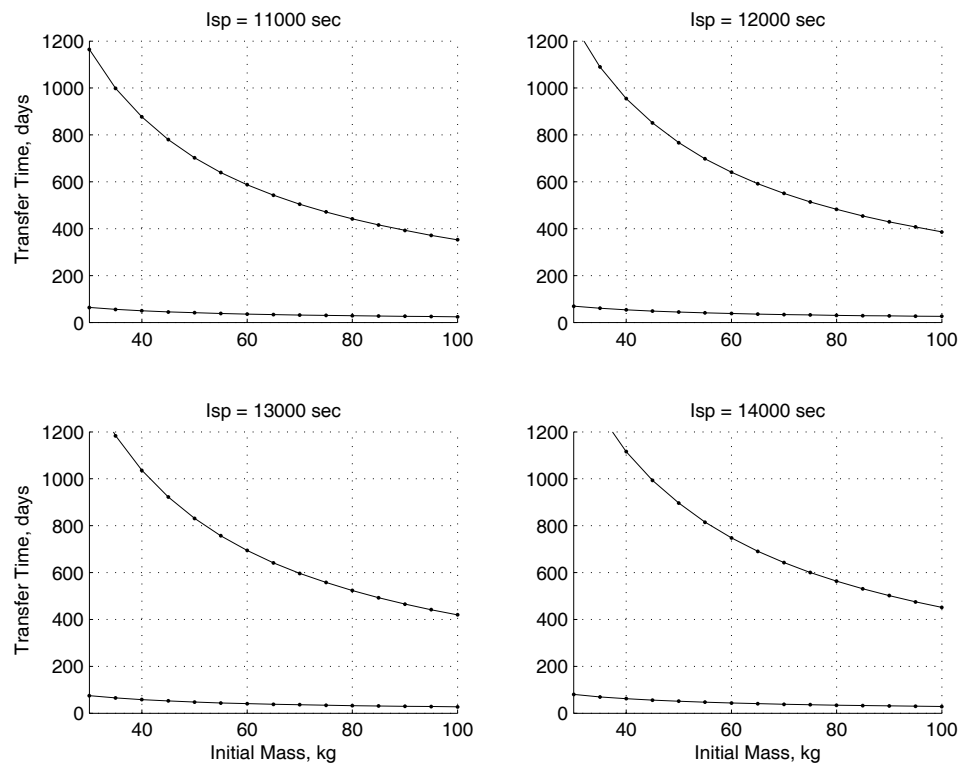


Figure C.2: Power vs. Total Time of Flight

The following plots, Figures C.3 to C.4, present the transfer time as a function of initial mass for the mid term technology levels.

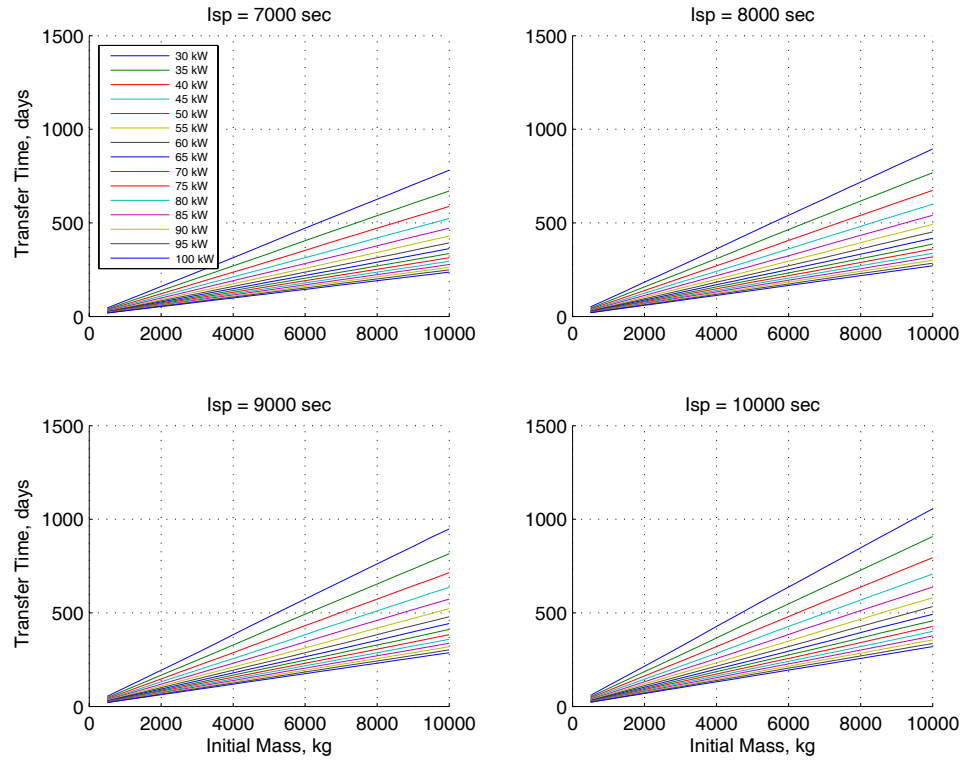


Figure C.3: Initial Mass vs. Total Time of Flight

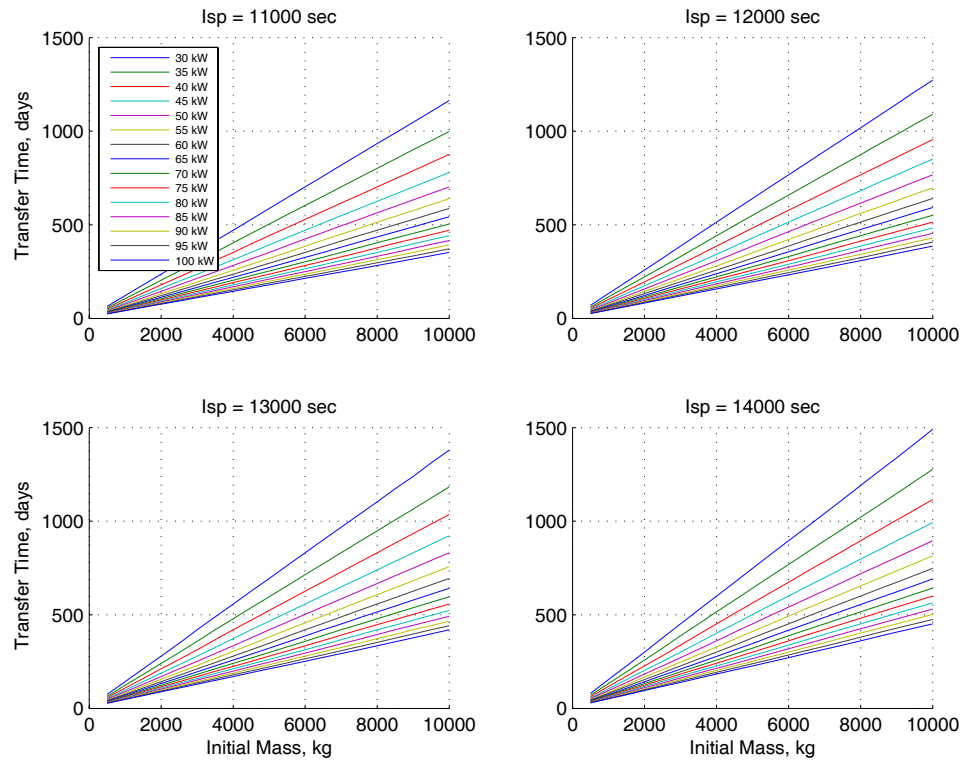


Figure C.4: Initial Mass vs. Total Time of Flight

Figures C.5 to C.6, presents the payload mass delivered per day for the mid term technology levels.

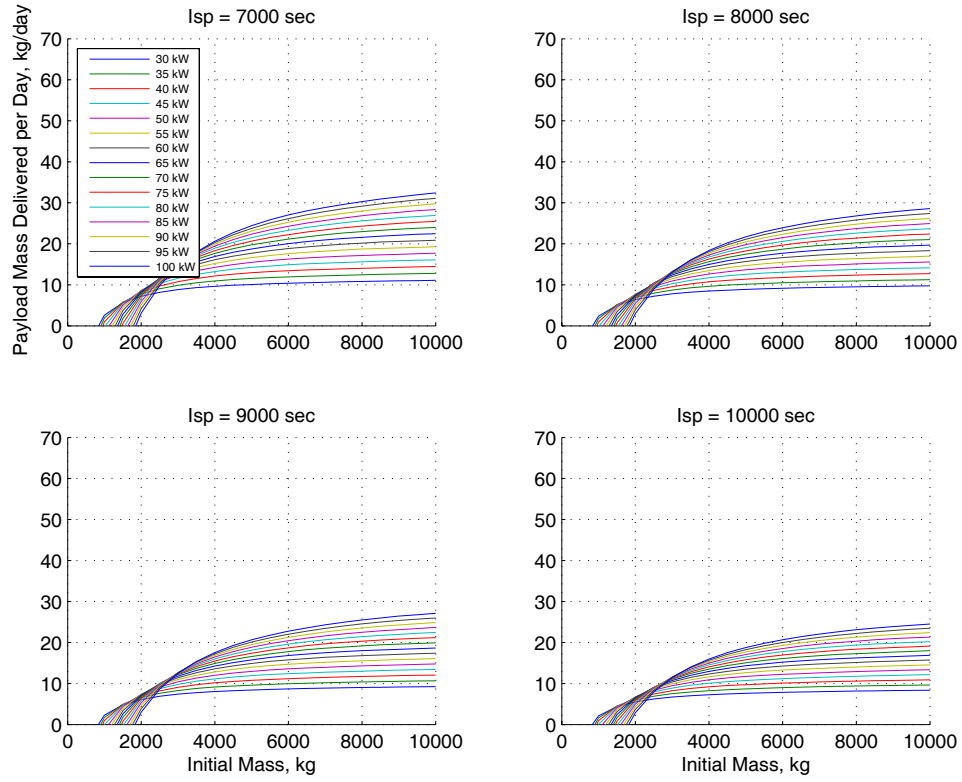


Figure C.5: Initial Mass vs. Payload Delivered Per Day

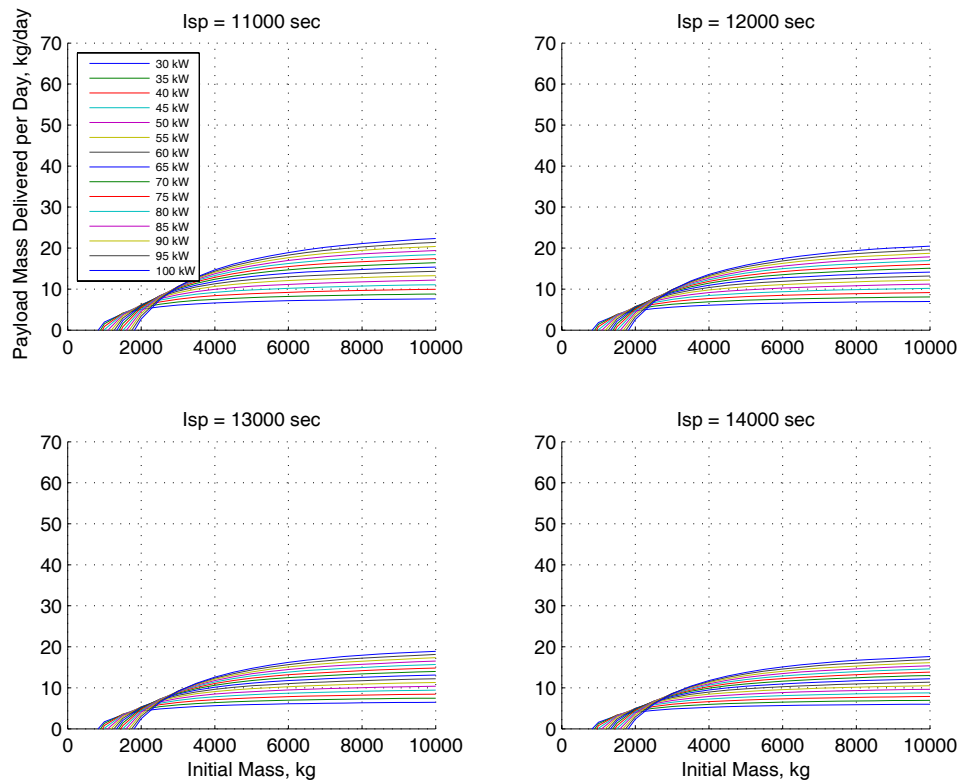


Figure C.6: Initial Mass vs. Payload Delivered Per Day

The following are the tabulated results for the points of diminishing returns, where one exists for a combination of initial mass, power, and specific impulse, sorted by power. There are 240 cases that have a point of diminishing returns for the initial mass versus payload delivered per day curves.

m0 (kg)	P0 (kW)	ISP (sec)	Value (kg/day)	P0 Index

8500.00	30.00	3500.00	20.01228621	17
8500.00	30.00	4000.00	18.13885230	17
7000.00	30.00	4500.00	15.99589599	14
7000.00	30.00	5000.00	14.68268270	14
6500.00	30.00	5500.00	13.26239802	13
7000.00	30.00	6000.00	12.32509269	14
5000.00	30.00	6500.00	10.85170700	10
7000.00	30.00	7000.00	10.64237955	14
8500.00	30.00	7500.00	10.20290688	17
8500.00	30.00	8000.00	9.59088304	17
8000.00	30.00	8500.00	9.54186965	16
9000.00	30.00	9000.00	9.15951217	18
7000.00	30.00	9500.00	8.43479508	14
6500.00	30.00	10000.00	7.95041073	13
8500.00	30.00	10500.00	7.84142696	17
7000.00	30.00	11000.00	7.32032424	14
7000.00	30.00	11500.00	7.02123136	14
6500.00	30.00	12000.00	6.66579675	13
9000.00	30.00	12500.00	6.65913687	18
8000.00	30.00	13000.00	6.33956313	16
6000.00	30.00	13500.00	5.88443297	12
5500.00	30.00	14000.00	5.59540044	11
7000.00	30.00	14500.00	5.61331021	14
7000.00	30.00	15000.00	5.42834474	14
6000.00	35.00	3000.00	23.47837833	12

6500.00	35.00	3500.00	22.02911109	13
8500.00	35.00	4500.00	18.83008803	17
7500.00	35.00	5000.00	17.10355142	15
7000.00	35.00	5500.00	15.43272916	14
6500.00	35.00	6000.00	14.03768783	13
6000.00	35.00	6500.00	12.82931998	12
8500.00	35.00	7000.00	12.55024657	17
8000.00	35.00	7500.00	11.66265043	16
7500.00	35.00	8000.00	10.86850773	15
7500.00	35.00	8500.00	10.88680685	15
8000.00	35.00	9500.00	9.87724143	16
6500.00	35.00	10000.00	9.12280962	13
7500.00	35.00	10500.00	8.89061839	15
7000.00	35.00	11000.00	8.41531331	14
8000.00	35.00	11500.00	8.21466075	16
7000.00	35.00	12000.00	7.73863014	14
7500.00	35.00	12500.00	7.51557890	15
7000.00	35.00	13000.00	7.16214210	14
7000.00	35.00	13500.00	6.91275558	14
6500.00	35.00	14000.00	6.59024356	13
8500.00	35.00	14500.00	6.61142699	17
8000.00	35.00	15000.00	6.35211101	16
8000.00	40.00	3000.00	27.83455177	16
7500.00	40.00	3500.00	25.37035181	15
8500.00	40.00	4000.00	23.65065887	17
9000.00	40.00	5000.00	19.73029656	18
8500.00	40.00	5500.00	17.85046658	17
7000.00	40.00	6000.00	16.04366841	14
7000.00	40.00	6500.00	14.80290800	14
6500.00	40.00	7000.00	13.61910706	13
6000.00	40.00	7500.00	12.56481152	12

5500.00	40.00	8000.00	11.60942127	11
5500.00	40.00	8500.00	11.62875244	11
5000.00	40.00	9000.00	10.79179387	10
7500.00	40.00	10000.00	10.50373963	15
7000.00	40.00	10500.00	9.91243620	14
6500.00	40.00	11000.00	9.35797587	13
8500.00	40.00	11500.00	9.34404681	17
9000.00	40.00	12000.00	9.04163814	18
7500.00	40.00	12500.00	8.46639503	15
8000.00	40.00	13000.00	8.23023921	16
8000.00	40.00	13500.00	7.94359873	16
6000.00	40.00	14000.00	7.31343571	12
7500.00	40.00	14500.00	7.33852750	15
7000.00	40.00	15000.00	7.02977396	14
8500.00	45.00	3500.00	28.75340387	17
8500.00	45.00	4500.00	23.65940873	17
7500.00	45.00	5000.00	21.40682874	15
7000.00	45.00	5500.00	19.31383037	14
9000.00	45.00	6000.00	18.40834610	18
8000.00	45.00	6500.00	16.77247097	16
6500.00	45.00	7000.00	15.14981005	13
6500.00	45.00	7500.00	14.14664054	13
6500.00	45.00	8000.00	13.26118185	13
6500.00	45.00	8500.00	13.27723013	13
6000.00	45.00	9000.00	12.39207382	12
5500.00	45.00	9500.00	11.55410671	11
8500.00	45.00	10000.00	11.87863155	17
5000.00	45.00	10500.00	10.23910901	10
7500.00	45.00	11500.00	10.18092125	15
8000.00	45.00	12000.00	9.88731030	16
7500.00	45.00	12500.00	9.40296178	15

9000.00	45.00	13500.00	8.97650401	18
7500.00	45.00	14000.00	8.42506566	15
7500.00	45.00	14500.00	8.14228997	15
9000.00	50.00	3000.00	34.46897729	18
8000.00	50.00	3500.00	31.09072491	16
7500.00	50.00	4000.00	28.00845546	15
8500.00	50.00	5000.00	23.95450876	17
9000.00	50.00	6000.00	20.29533875	18
6500.00	50.00	6500.00	17.78342729	13
7500.00	50.00	7000.00	17.01493166	15
7500.00	50.00	7500.00	15.89134590	15
7000.00	50.00	8000.00	14.74057822	14
7000.00	50.00	8500.00	14.77025818	14
6500.00	50.00	9000.00	13.77787066	13
8000.00	50.00	9500.00	13.57301300	16
6000.00	50.00	10000.00	12.22864054	12
7500.00	50.00	10500.00	12.18176231	15
6500.00	50.00	11000.00	11.34195358	13
6500.00	50.00	11500.00	10.87009618	13
9000.00	50.00	12000.00	11.04486661	18
7500.00	50.00	12500.00	10.30919043	15
7000.00	50.00	13000.00	9.80424891	14
9000.00	50.00	13500.00	9.85899109	18
7500.00	50.00	14000.00	9.24632415	15
9000.00	50.00	14500.00	9.19925871	18
7000.00	50.00	15000.00	8.53505507	14
7500.00	55.00	3000.00	35.90675143	15
6000.00	55.00	4000.00	28.62257720	12
8500.00	55.00	4500.00	28.16547567	17
8500.00	55.00	5500.00	23.81613038	17
6500.00	55.00	7000.00	17.95020034	13

7500.00	55.00	7500.00	17.31388861	15
8000.00	55.00	8000.00	16.39852059	16
8000.00	55.00	8500.00	16.41742772	16
8500.00	55.00	9500.00	14.90969311	17
9000.00	55.00	10000.00	14.30870123	18
6000.00	55.00	11000.00	12.07011340	12
5500.00	55.00	11500.00	11.32468077	11
7500.00	55.00	12000.00	11.62998652	15
9000.00	55.00	13000.00	11.12584226	18
9000.00	55.00	13500.00	10.72759342	18
8000.00	55.00	14500.00	9.81936446	16
9000.00	55.00	15000.00	9.68056646	18
9000.00	60.00	4000.00	33.91100412	18
8500.00	60.00	5000.00	28.02705954	17
9000.00	60.00	5500.00	25.93529936	18
9000.00	60.00	6000.00	23.87791790	18
7500.00	60.00	7000.00	19.91308295	15
8500.00	60.00	7500.00	19.09126261	17
8500.00	60.00	8000.00	17.89502693	17
8500.00	60.00	8500.00	17.91547748	17
6000.00	60.00	9000.00	15.78617020	12
7500.00	60.00	9500.00	15.73163665	15
7000.00	60.00	10000.00	14.76155159	14
6500.00	60.00	11000.00	13.22636220	13
9000.00	60.00	12500.00	12.47322139	18
8500.00	60.00	13500.00	11.46769850	17
8000.00	60.00	14000.00	10.94427444	16
8000.00	60.00	14500.00	10.58240835	16
7500.00	60.00	15000.00	10.11123714	15
8000.00	65.00	3000.00	41.67838704	16
9000.00	65.00	3500.00	39.71567798	18

9000.00	65.00	4000.00	36.28190184	18
9000.00	65.00	6000.00	25.60475902	18
7500.00	65.00	7000.00	21.31180703	15
9000.00	65.00	7500.00	20.69253131	18
8500.00	65.00	8000.00	19.23150777	17
8500.00	65.00	8500.00	19.25617400	17
8500.00	65.00	9000.00	18.19170292	17
8500.00	65.00	9500.00	17.24380444	17
8000.00	65.00	10000.00	16.22448977	16
7500.00	65.00	10500.00	15.26235054	15
7000.00	65.00	11000.00	14.38478577	14
6500.00	65.00	11500.00	13.54077763	13
9000.00	65.00	12000.00	13.89934392	18
6000.00	65.00	13000.00	11.76224492	12
7500.00	65.00	13500.00	11.96658086	15
8000.00	70.00	4000.00	37.48006237	16
8000.00	70.00	4500.00	33.87490296	16
8000.00	70.00	6000.00	26.53643078	16
9000.00	70.00	6500.00	25.27862597	18
7500.00	70.00	7500.00	21.21480233	15
9000.00	70.00	9000.00	19.61250166	18
8500.00	70.00	9500.00	18.40820477	17
7500.00	70.00	10000.00	17.09548893	15
8000.00	70.00	10500.00	16.48927385	16
7500.00	70.00	11000.00	15.53284326	15
7500.00	70.00	11500.00	14.87058034	15
7000.00	70.00	12000.00	14.03630482	14
8500.00	70.00	12500.00	14.08586423	17
6500.00	70.00	13000.00	12.73817018	13
7500.00	70.00	14000.00	12.28356638	15
7000.00	70.00	15000.00	11.31183870	14

8500.00	75.00	4000.00	40.23605261	17
9000.00	75.00	5000.00	34.11242857	18
8000.00	75.00	5500.00	30.35902782	16
7000.00	75.00	6500.00	25.07760899	14
7500.00	75.00	9000.00	20.02470209	15
8500.00	75.00	9500.00	19.57484005	17
9000.00	75.00	10000.00	18.76063163	18
8000.00	75.00	10500.00	17.50974708	16
8000.00	75.00	11000.00	16.69860892	16
8500.00	75.00	14000.00	13.38243844	17
8500.00	75.00	14500.00	12.93912151	17
8000.00	80.00	3500.00	45.32291227	16
9000.00	80.00	4000.00	42.99213444	18
7500.00	80.00	5000.00	34.20349096	15
9000.00	80.00	8500.00	23.24792133	18
8500.00	80.00	9000.00	21.74004471	17
9000.00	80.00	10500.00	18.90786929	18
8000.00	80.00	11000.00	17.66222305	16
8500.00	80.00	11500.00	17.09269487	17
7500.00	80.00	12000.00	15.96325812	15
7500.00	80.00	13000.00	14.73944260	15
8500.00	80.00	14000.00	14.13117555	17
9000.00	80.00	14500.00	13.81288456	18
9000.00	80.00	15000.00	13.37537505	18
8000.00	85.00	5500.00	33.48642541	16
8500.00	85.00	6000.00	31.43887428	17
8500.00	85.00	7000.00	27.31266384	17
9000.00	85.00	7500.00	25.97282399	18
9000.00	85.00	8000.00	24.42008940	18
9000.00	85.00	9000.00	23.14359260	18
8500.00	85.00	11000.00	18.83135688	17

8000.00	85.00	12000.00	17.02426577	16
8500.00	85.00	12500.00	16.57081364	17
8000.00	85.00	13000.00	15.73417796	16
9000.00	85.00	15000.00	14.06982100	18
9000.00	90.00	3000.00	55.47540617	18
8500.00	90.00	4000.00	46.30096851	17
8500.00	90.00	5500.00	35.60297263	17
8500.00	90.00	6500.00	30.55159620	17
9000.00	90.00	9500.00	23.05127058	18
7000.00	90.00	11000.00	18.69782759	14
9000.00	90.00	11500.00	19.11813028	18
7000.00	90.00	12000.00	17.19234477	14
8500.00	90.00	13000.00	16.72586017	17
7500.00	90.00	14000.00	15.06795621	15
9000.00	95.00	4000.00	49.10195804	18
8500.00	95.00	6000.00	34.27308674	17
7500.00	95.00	6500.00	30.58978422	15
7000.00	95.00	8000.00	24.67323060	14
7000.00	95.00	11500.00	18.65644681	14
9000.00	95.00	13000.00	17.72097845	18
7500.00	95.00	13500.00	16.33713065	15
8000.00	100.00	4000.00	48.96325282	16
9000.00	100.00	7000.00	31.44859499	18
9000.00	100.00	9000.00	26.43636962	18
9000.00	100.00	10000.00	23.89589485	18
9000.00	100.00	13500.00	17.80632384	18
8500.00	100.00	14000.00	16.93760518	17
8000.00	100.00	14500.00	16.11611448	16
8500.00	100.00	15000.00	15.83359095	17

The following are the tabulated results for the points of diminishing returns, where one exists for a combination of initial mass, power, and specific impulse, sorted by

specific impulse.

m0 (kg)	P0 (kW)	ISP (sec)	Value (kg/day)	P0 Index
6000.00	35.00	3000.00	23.47837833	12
8000.00	40.00	3000.00	27.83455177	16
9000.00	50.00	3000.00	34.46897729	18
7500.00	55.00	3000.00	35.90675143	15
8000.00	65.00	3000.00	41.67838704	16
9000.00	90.00	3000.00	55.47540617	18
8500.00	30.00	3500.00	20.01228621	17
6500.00	35.00	3500.00	22.02911109	13
7500.00	40.00	3500.00	25.37035181	15
8500.00	45.00	3500.00	28.75340387	17
8000.00	50.00	3500.00	31.09072491	16
9000.00	65.00	3500.00	39.71567798	18
8000.00	80.00	3500.00	45.32291227	16
8500.00	30.00	4000.00	18.13885230	17
8500.00	40.00	4000.00	23.65065887	17
7500.00	50.00	4000.00	28.00845546	15
6000.00	55.00	4000.00	28.62257720	12
9000.00	60.00	4000.00	33.91100412	18
9000.00	65.00	4000.00	36.28190184	18
8000.00	70.00	4000.00	37.48006237	16
8500.00	75.00	4000.00	40.23605261	17
9000.00	80.00	4000.00	42.99213444	18
8500.00	90.00	4000.00	46.30096851	17
9000.00	95.00	4000.00	49.10195804	18
8000.00	100.00	4000.00	48.96325282	16
7000.00	30.00	4500.00	15.99589599	14
8500.00	35.00	4500.00	18.83008803	17
8500.00	45.00	4500.00	23.65940873	17

8500.00	55.00	4500.00	28.16547567	17
8000.00	70.00	4500.00	33.87490296	16
7000.00	30.00	5000.00	14.68268270	14
7500.00	35.00	5000.00	17.10355142	15
9000.00	40.00	5000.00	19.73029656	18
7500.00	45.00	5000.00	21.40682874	15
8500.00	50.00	5000.00	23.95450876	17
8500.00	60.00	5000.00	28.02705954	17
9000.00	75.00	5000.00	34.11242857	18
7500.00	80.00	5000.00	34.20349096	15
6500.00	30.00	5500.00	13.26239802	13
7000.00	35.00	5500.00	15.43272916	14
8500.00	40.00	5500.00	17.85046658	17
7000.00	45.00	5500.00	19.31383037	14
8500.00	55.00	5500.00	23.81613038	17
9000.00	60.00	5500.00	25.93529936	18
8000.00	75.00	5500.00	30.35902782	16
8000.00	85.00	5500.00	33.48642541	16
8500.00	90.00	5500.00	35.60297263	17
7000.00	30.00	6000.00	12.32509269	14
6500.00	35.00	6000.00	14.03768783	13
7000.00	40.00	6000.00	16.04366841	14
9000.00	45.00	6000.00	18.40834610	18
9000.00	50.00	6000.00	20.29533875	18
9000.00	60.00	6000.00	23.87791790	18
9000.00	65.00	6000.00	25.60475902	18
8000.00	70.00	6000.00	26.53643078	16
8500.00	85.00	6000.00	31.43887428	17
8500.00	95.00	6000.00	34.27308674	17
5000.00	30.00	6500.00	10.85170700	10
6000.00	35.00	6500.00	12.82931998	12

7000.00	40.00	6500.00	14.80290800	14
8000.00	45.00	6500.00	16.77247097	16
6500.00	50.00	6500.00	17.78342729	13
9000.00	70.00	6500.00	25.27862597	18
7000.00	75.00	6500.00	25.07760899	14
8500.00	90.00	6500.00	30.55159620	17
7500.00	95.00	6500.00	30.58978422	15
7000.00	30.00	7000.00	10.64237955	14
8500.00	35.00	7000.00	12.55024657	17
6500.00	40.00	7000.00	13.61910706	13
6500.00	45.00	7000.00	15.14981005	13
7500.00	50.00	7000.00	17.01493166	15
6500.00	55.00	7000.00	17.95020034	13
7500.00	60.00	7000.00	19.91308295	15
7500.00	65.00	7000.00	21.31180703	15
8500.00	85.00	7000.00	27.31266384	17
9000.00	100.00	7000.00	31.44859499	18
8500.00	30.00	7500.00	10.20290688	17
8000.00	35.00	7500.00	11.66265043	16
6000.00	40.00	7500.00	12.56481152	12
6500.00	45.00	7500.00	14.14664054	13
7500.00	50.00	7500.00	15.89134590	15
7500.00	55.00	7500.00	17.31388861	15
8500.00	60.00	7500.00	19.09126261	17
9000.00	65.00	7500.00	20.69253131	18
7500.00	70.00	7500.00	21.21480233	15
9000.00	85.00	7500.00	25.97282399	18
8500.00	30.00	8000.00	9.59088304	17
7500.00	35.00	8000.00	10.86850773	15
5500.00	40.00	8000.00	11.60942127	11
6500.00	45.00	8000.00	13.26118185	13

7000.00	50.00	8000.00	14.74057822	14
8000.00	55.00	8000.00	16.39852059	16
8500.00	60.00	8000.00	17.89502693	17
8500.00	65.00	8000.00	19.23150777	17
9000.00	85.00	8000.00	24.42008940	18
7000.00	95.00	8000.00	24.67323060	14
8000.00	30.00	8500.00	9.54186965	16
7500.00	35.00	8500.00	10.88680685	15
5500.00	40.00	8500.00	11.62875244	11
6500.00	45.00	8500.00	13.27723013	13
7000.00	50.00	8500.00	14.77025818	14
8000.00	55.00	8500.00	16.41742772	16
8500.00	60.00	8500.00	17.91547748	17
8500.00	65.00	8500.00	19.25617400	17
9000.00	80.00	8500.00	23.24792133	18
9000.00	30.00	9000.00	9.15951217	18
5000.00	40.00	9000.00	10.79179387	10
6000.00	45.00	9000.00	12.39207382	12
6500.00	50.00	9000.00	13.77787066	13
6000.00	60.00	9000.00	15.78617020	12
8500.00	65.00	9000.00	18.19170292	17
9000.00	70.00	9000.00	19.61250166	18
7500.00	75.00	9000.00	20.02470209	15
8500.00	80.00	9000.00	21.74004471	17
9000.00	85.00	9000.00	23.14359260	18
9000.00	100.00	9000.00	26.43636962	18
7000.00	30.00	9500.00	8.43479508	14
8000.00	35.00	9500.00	9.87724143	16
5500.00	45.00	9500.00	11.55410671	11
8000.00	50.00	9500.00	13.57301300	16
8500.00	55.00	9500.00	14.90969311	17

7500.00	60.00	9500.00	15.73163665	15
8500.00	65.00	9500.00	17.24380444	17
8500.00	70.00	9500.00	18.40820477	17
8500.00	75.00	9500.00	19.57484005	17
9000.00	90.00	9500.00	23.05127058	18
6500.00	30.00	10000.00	7.95041073	13
6500.00	35.00	10000.00	9.12280962	13
7500.00	40.00	10000.00	10.50373963	15
8500.00	45.00	10000.00	11.87863155	17
6000.00	50.00	10000.00	12.22864054	12
9000.00	55.00	10000.00	14.30870123	18
7000.00	60.00	10000.00	14.76155159	14
8000.00	65.00	10000.00	16.22448977	16
7500.00	70.00	10000.00	17.09548893	15
9000.00	75.00	10000.00	18.76063163	18
9000.00	100.00	10000.00	23.89589485	18
8500.00	30.00	10500.00	7.84142696	17
7500.00	35.00	10500.00	8.89061839	15
7000.00	40.00	10500.00	9.91243620	14
5000.00	45.00	10500.00	10.23910901	10
7500.00	50.00	10500.00	12.18176231	15
7500.00	65.00	10500.00	15.26235054	15
8000.00	70.00	10500.00	16.48927385	16
8000.00	75.00	10500.00	17.50974708	16
9000.00	80.00	10500.00	18.90786929	18
7000.00	30.00	11000.00	7.32032424	14
7000.00	35.00	11000.00	8.41531331	14
6500.00	40.00	11000.00	9.35797587	13
6500.00	50.00	11000.00	11.34195358	13
6000.00	55.00	11000.00	12.07011340	12
6500.00	60.00	11000.00	13.22636220	13

7000.00	65.00	11000.00	14.38478577	14
7500.00	70.00	11000.00	15.53284326	15
8000.00	75.00	11000.00	16.69860892	16
8000.00	80.00	11000.00	17.66222305	16
8500.00	85.00	11000.00	18.83135688	17
7000.00	90.00	11000.00	18.69782759	14
7000.00	30.00	11500.00	7.02123136	14
8000.00	35.00	11500.00	8.21466075	16
8500.00	40.00	11500.00	9.34404681	17
7500.00	45.00	11500.00	10.18092125	15
6500.00	50.00	11500.00	10.87009618	13
5500.00	55.00	11500.00	11.32468077	11
6500.00	65.00	11500.00	13.54077763	13
7500.00	70.00	11500.00	14.87058034	15
8500.00	80.00	11500.00	17.09269487	17
9000.00	90.00	11500.00	19.11813028	18
7000.00	95.00	11500.00	18.65644681	14
6500.00	30.00	12000.00	6.66579675	13
7000.00	35.00	12000.00	7.73863014	14
9000.00	40.00	12000.00	9.04163814	18
8000.00	45.00	12000.00	9.88731030	16
9000.00	50.00	12000.00	11.04486661	18
7500.00	55.00	12000.00	11.62998652	15
9000.00	65.00	12000.00	13.89934392	18
7000.00	70.00	12000.00	14.03630482	14
7500.00	80.00	12000.00	15.96325812	15
8000.00	85.00	12000.00	17.02426577	16
7000.00	90.00	12000.00	17.19234477	14
9000.00	30.00	12500.00	6.65913687	18
7500.00	35.00	12500.00	7.51557890	15
7500.00	40.00	12500.00	8.46639503	15

7500.00	45.00	12500.00	9.40296178	15
7500.00	50.00	12500.00	10.30919043	15
9000.00	60.00	12500.00	12.47322139	18
8500.00	70.00	12500.00	14.08586423	17
8500.00	85.00	12500.00	16.57081364	17
8000.00	30.00	13000.00	6.33956313	16
7000.00	35.00	13000.00	7.16214210	14
8000.00	40.00	13000.00	8.23023921	16
7000.00	50.00	13000.00	9.80424891	14
9000.00	55.00	13000.00	11.12584226	18
6000.00	65.00	13000.00	11.76224492	12
6500.00	70.00	13000.00	12.73817018	13
7500.00	80.00	13000.00	14.73944260	15
8000.00	85.00	13000.00	15.73417796	16
8500.00	90.00	13000.00	16.72586017	17
9000.00	95.00	13000.00	17.72097845	18
6000.00	30.00	13500.00	5.88443297	12
7000.00	35.00	13500.00	6.91275558	14
8000.00	40.00	13500.00	7.94359873	16
9000.00	45.00	13500.00	8.97650401	18
9000.00	50.00	13500.00	9.85899109	18
9000.00	55.00	13500.00	10.72759342	18
8500.00	60.00	13500.00	11.46769850	17
7500.00	65.00	13500.00	11.96658086	15
7500.00	95.00	13500.00	16.33713065	15
9000.00	100.00	13500.00	17.80632384	18
5500.00	30.00	14000.00	5.59540044	11
6500.00	35.00	14000.00	6.59024356	13
6000.00	40.00	14000.00	7.31343571	12
7500.00	45.00	14000.00	8.42506566	15
7500.00	50.00	14000.00	9.24632415	15

8000.00	60.00	14000.00	10.94427444	16
7500.00	70.00	14000.00	12.28356638	15
8500.00	75.00	14000.00	13.38243844	17
8500.00	80.00	14000.00	14.13117555	17
7500.00	90.00	14000.00	15.06795621	15
8500.00	100.00	14000.00	16.93760518	17
7000.00	30.00	14500.00	5.61331021	14
8500.00	35.00	14500.00	6.61142699	17
7500.00	40.00	14500.00	7.33852750	15
7500.00	45.00	14500.00	8.14228997	15
9000.00	50.00	14500.00	9.19925871	18
8000.00	55.00	14500.00	9.81936446	16
8000.00	60.00	14500.00	10.58240835	16
8500.00	75.00	14500.00	12.93912151	17
9000.00	80.00	14500.00	13.81288456	18
8000.00	100.00	14500.00	16.11611448	16
7000.00	30.00	15000.00	5.42834474	14
8000.00	35.00	15000.00	6.35211101	16
7000.00	40.00	15000.00	7.02977396	14
7000.00	50.00	15000.00	8.53505507	14
9000.00	55.00	15000.00	9.68056646	18
7500.00	60.00	15000.00	10.11123714	15
7000.00	70.00	15000.00	11.31183870	14
9000.00	80.00	15000.00	13.37537505	18
9000.00	85.00	15000.00	14.06982100	18
8500.00	100.00	15000.00	15.83359095	17

The following is the list of transfer times for the maximum optimum payload delivered per day.

m0 (kg)	P0 (kW)	ISP (sec)	TOF (days)

9000.00	90.00	3000.00	113.3603
8000.00	80.00	3500.00	124.9487
9000.00	95.00	4000.00	131.4732
8000.00	70.00	4500.00	176.1163
7500.00	80.00	5000.00	158.8637
8500.00	90.00	5500.00	176.1550
8500.00	95.00	6000.00	182.4436
7500.00	95.00	6500.00	175.2215
9000.00	100.00	7000.00	214.0776
9000.00	85.00	7500.00	268.1470
7000.00	95.00	8000.00	201.4830
9000.00	80.00	8500.00	304.8503
9000.00	100.00	9000.00	258.9634
9000.00	90.00	9500.00	303.6106
9000.00	100.00	10000.00	288.1731
9000.00	80.00	10500.00	379.1793
8500.00	85.00	11000.00	352.5733
9000.00	90.00	11500.00	369.6386
7000.00	90.00	12000.00	299.9125
8500.00	85.00	12500.00	403.0023
9000.00	95.00	13000.00	397.2001
9000.00	100.00	13500.00	392.2133
8500.00	100.00	14000.00	384.3762
8000.00	100.00	14500.00	374.4996
8500.00	100.00	15000.00	412.2946

Appendix D

Appendix: Far Term Plots

Figures D.1 through D.3 present the initial mass versus payload mass in low lunar orbit for eleven power levels 100 kW to 200 kW, by increments of 10 kW.

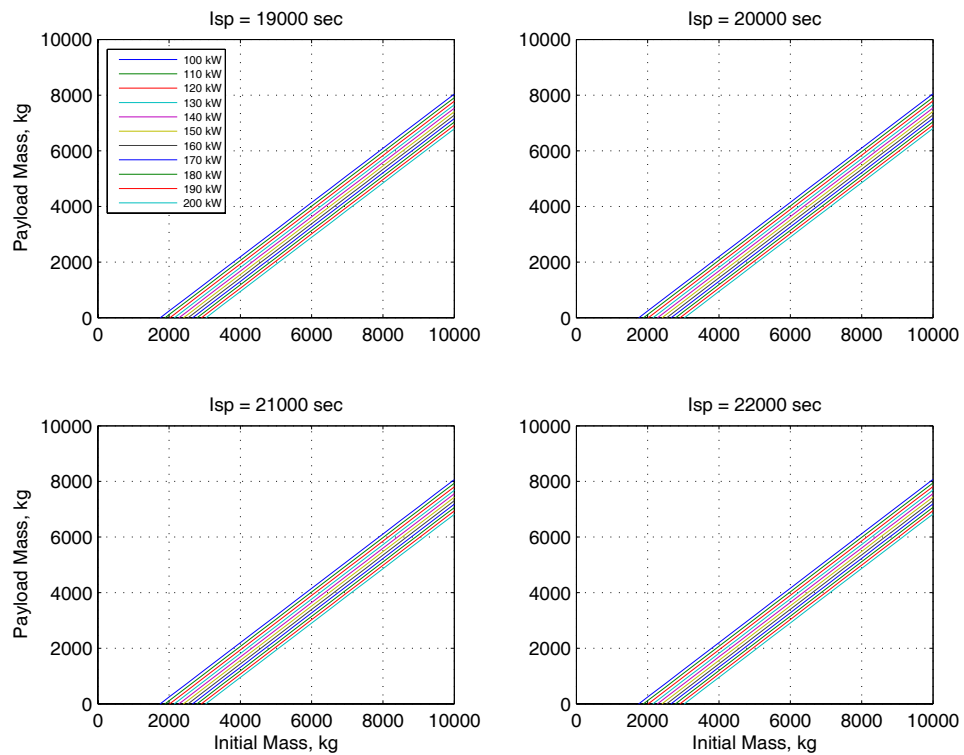


Figure D.1: Initial Mass versus Payload Mass

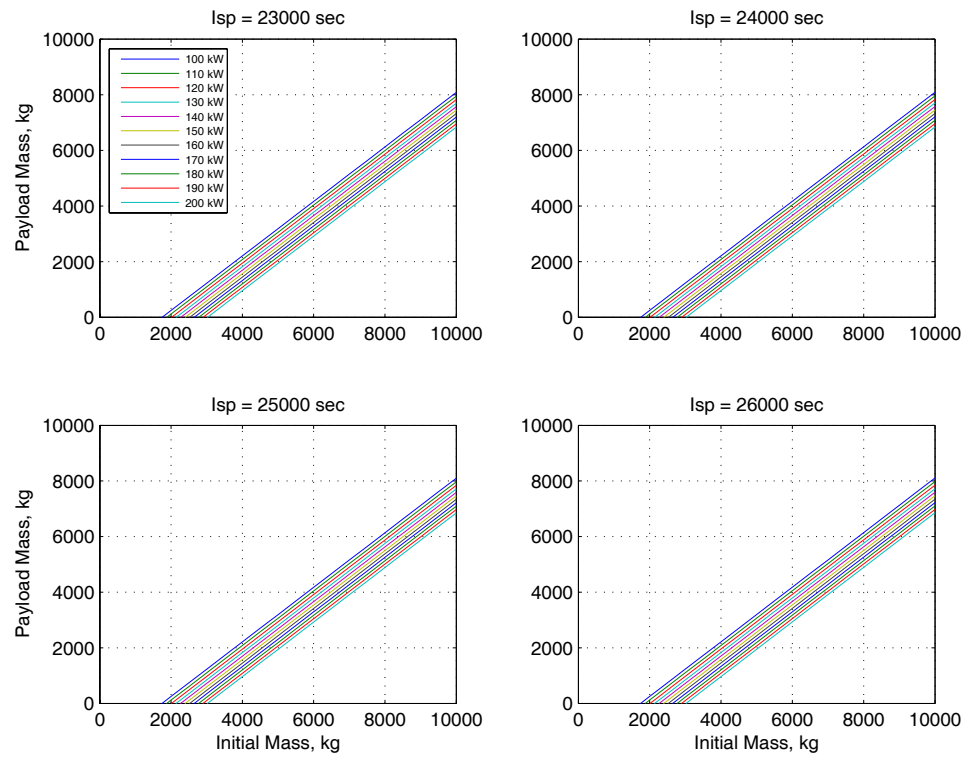


Figure D.2: Initial Mass versus Payload Mass

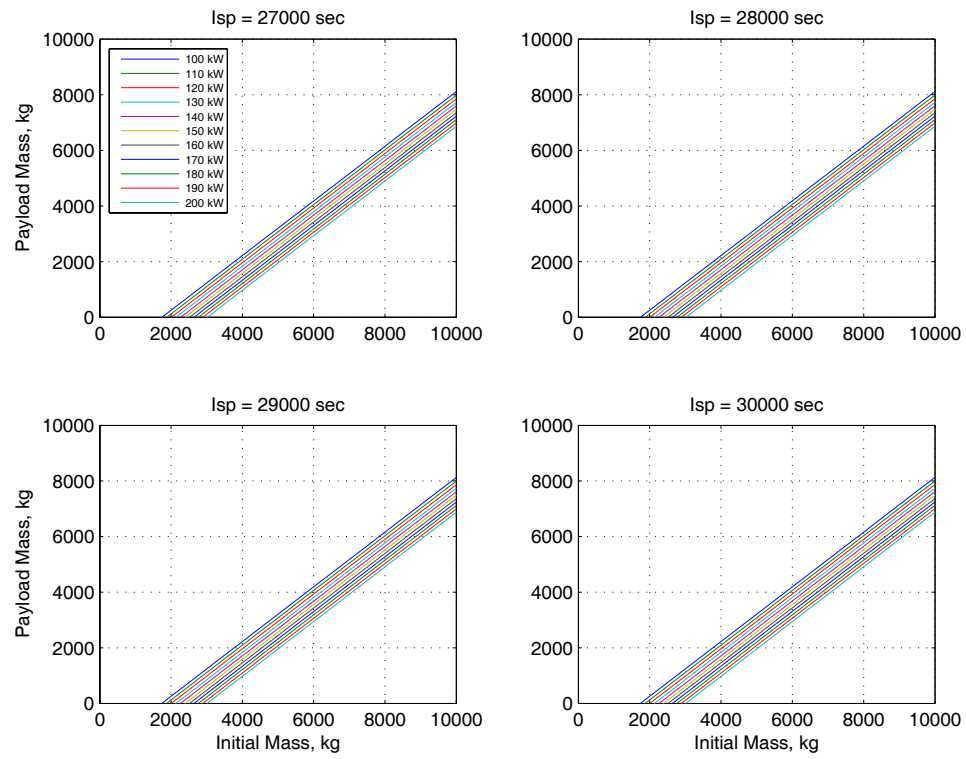


Figure D.3: Initial Mass versus Payload Mass

Figures D.4 through D.6 present the payload mass per day as a function of initial mass.

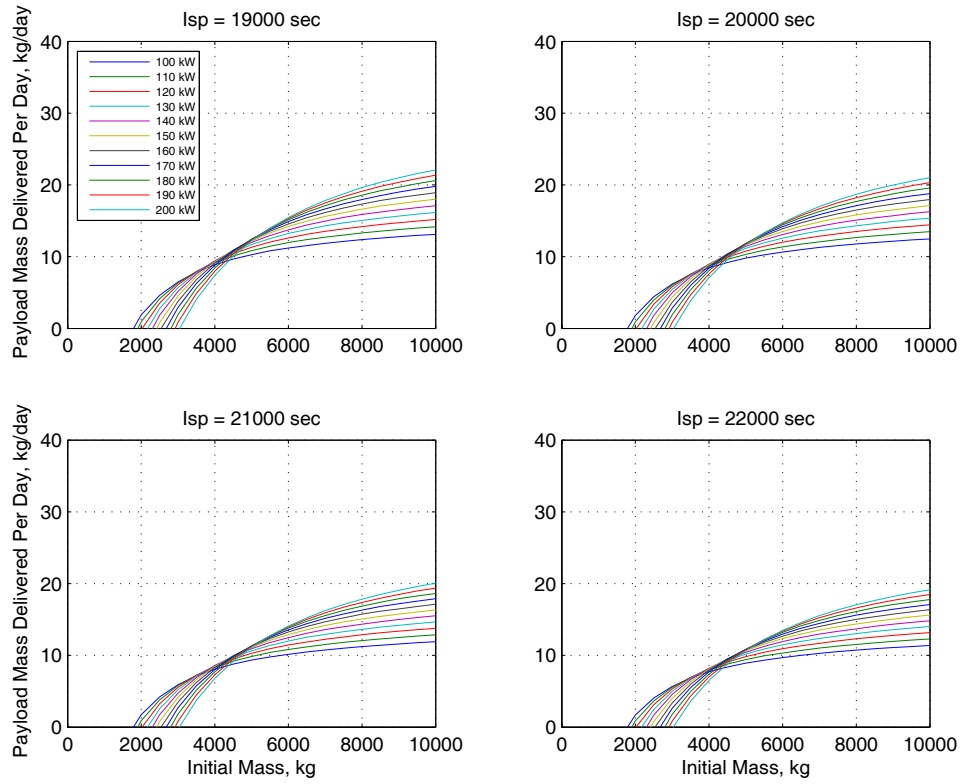


Figure D.4: Initial Mass vs. Payload Mass per Day

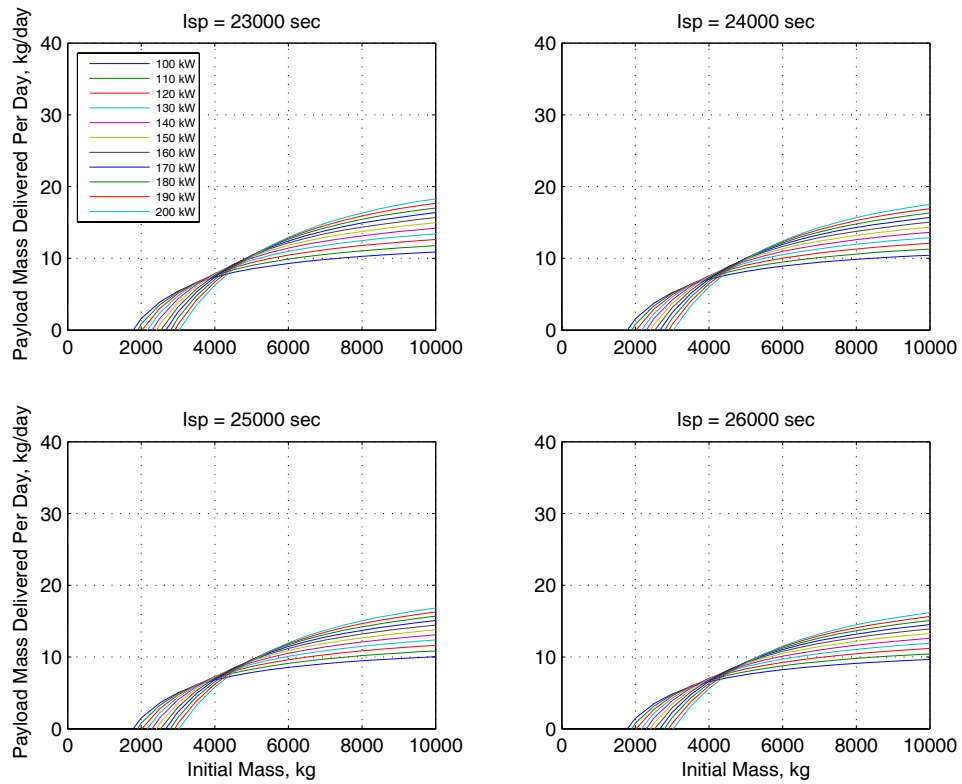


Figure D.5: Initial Mass vs. Payload Mass per Day

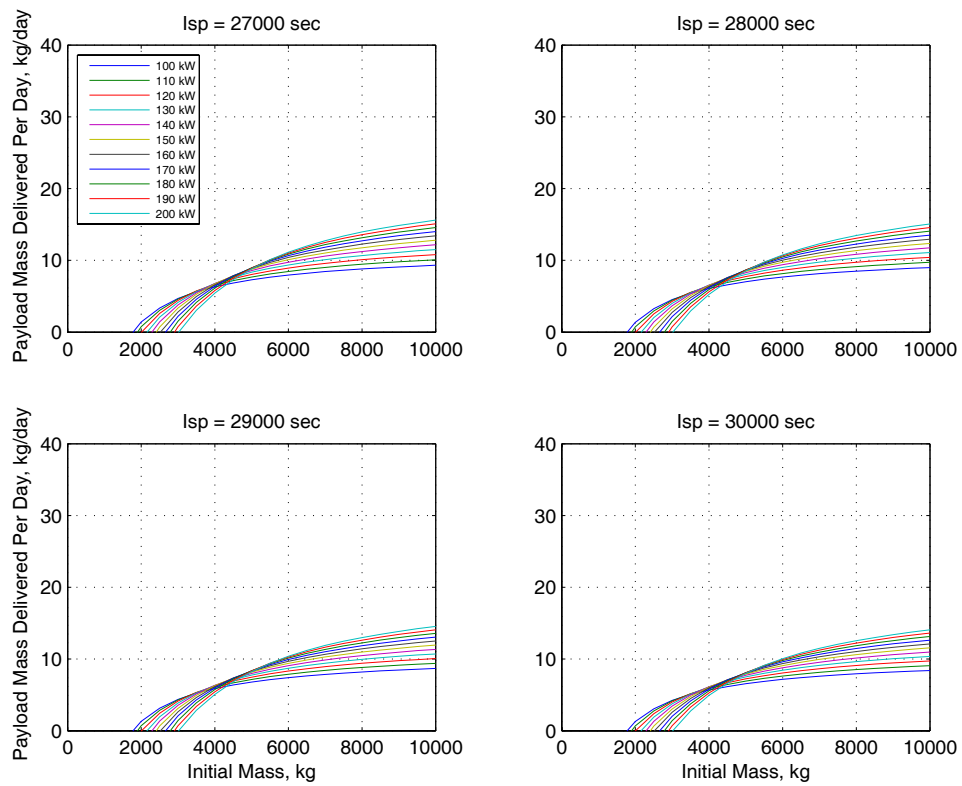


Figure D.6: Initial Mass vs. Payload Mass per Day

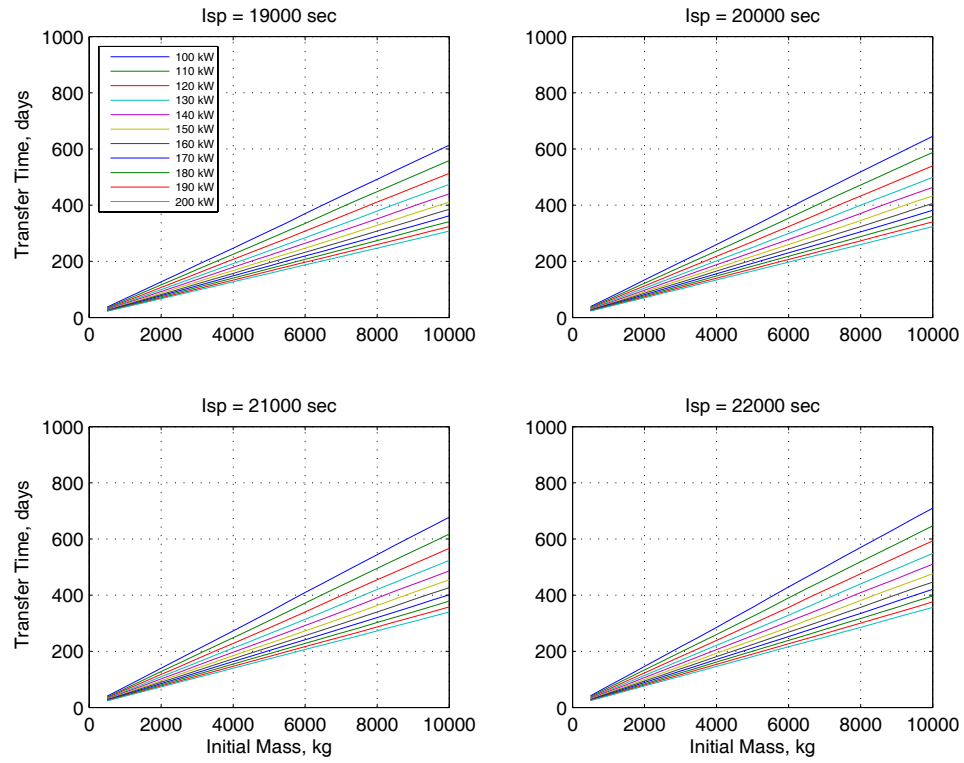


Figure D.7: Initial Mass vs. Payload Mass per Day

Figures D.7 to D.9 highlight the transfer times for a range of I_{sp} , from 1250 sec to 3000 sec.

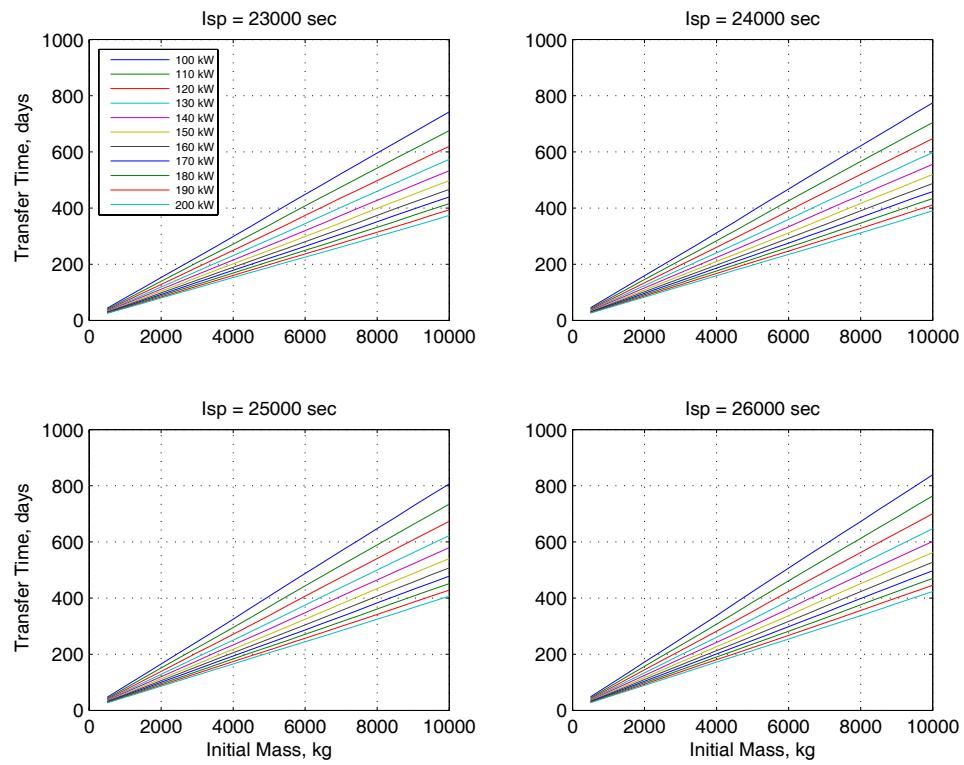


Figure D.8: Initial Mass vs. Payload Mass per Day

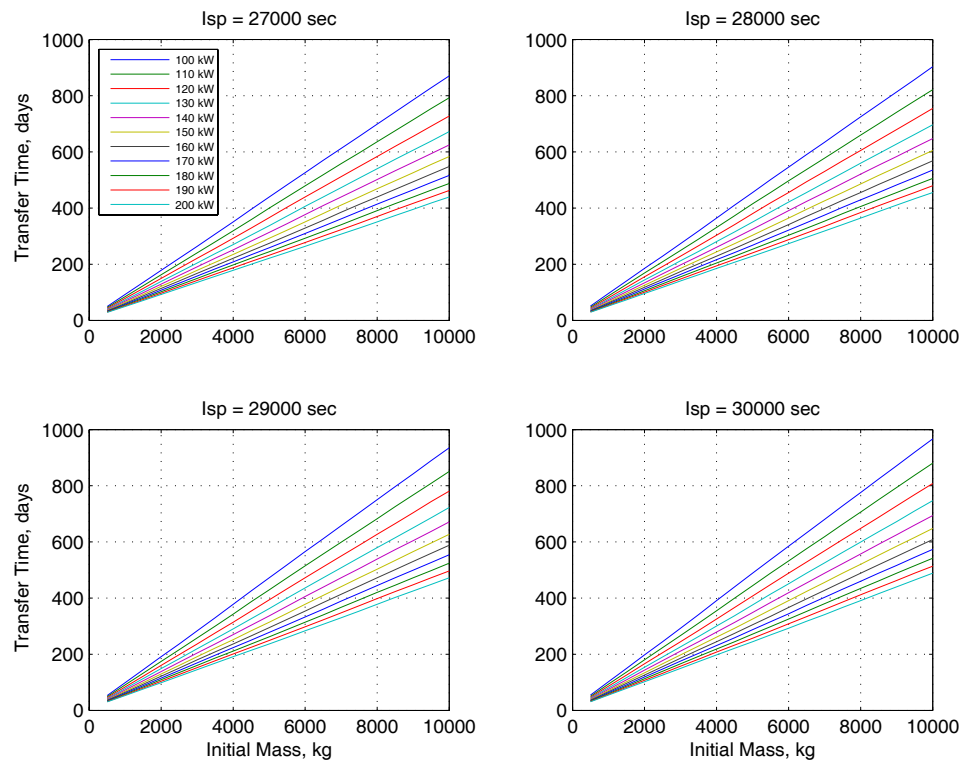


Figure D.9: Initial Mass vs. Payload Mass per Day

Figures D.10 to D.12 highlight the transfer times for a range of power levels.

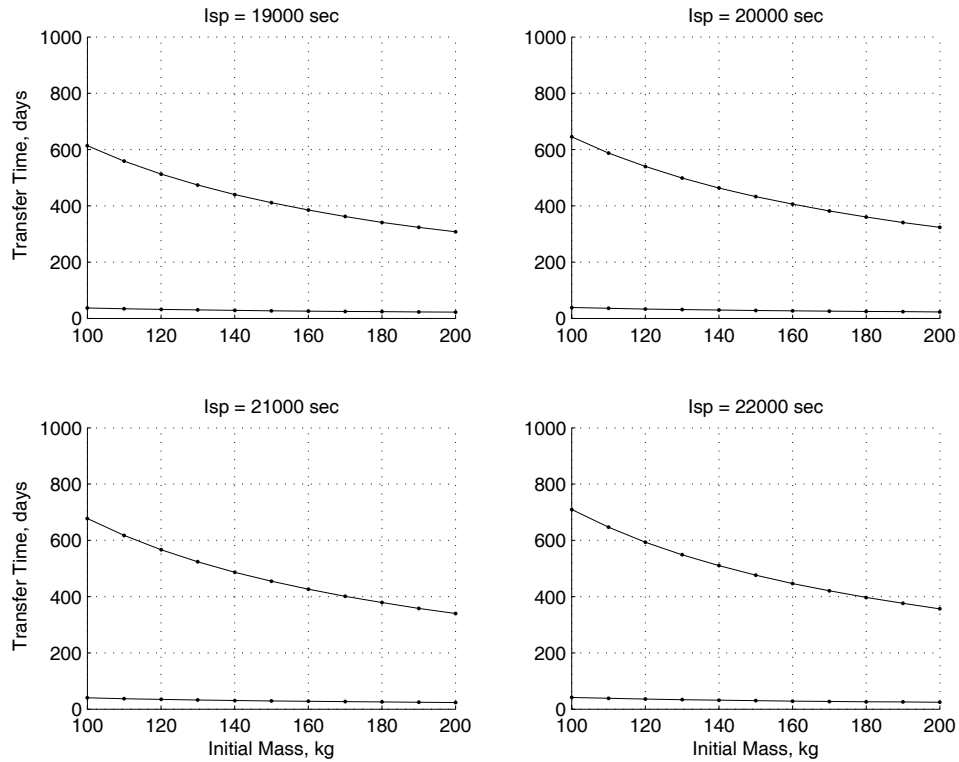


Figure D.10: Power vs. Transfer Time

The following are the tabulated results for the points of diminishing returns, where one exists for a combination of initial mass, power, and specific impulse, sorted by power. There are 34 cases that have a point of diminishing returns for the initial mass versus payload delivered per day curves.

m0 (kg)	P0 (kW)	ISP (sec)	Value (kg/day)	P0 Index
8500.00	100.00	15000.00	15.83359095	17
7500.00	100.00	16000.00	14.33637632	15
7500.00	100.00	20000.00	11.54509568	15
9000.00	100.00	22000.00	11.09327925	18
9000.00	100.00	24000.00	10.18881106	18

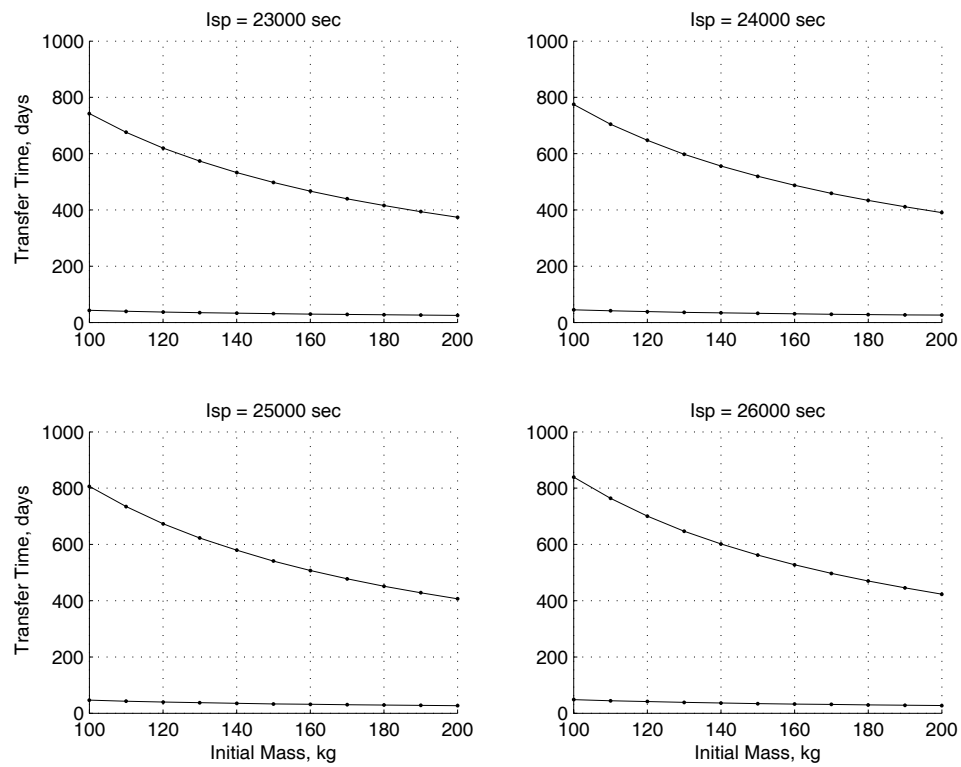


Figure D.11: Power vs. Transfer Time

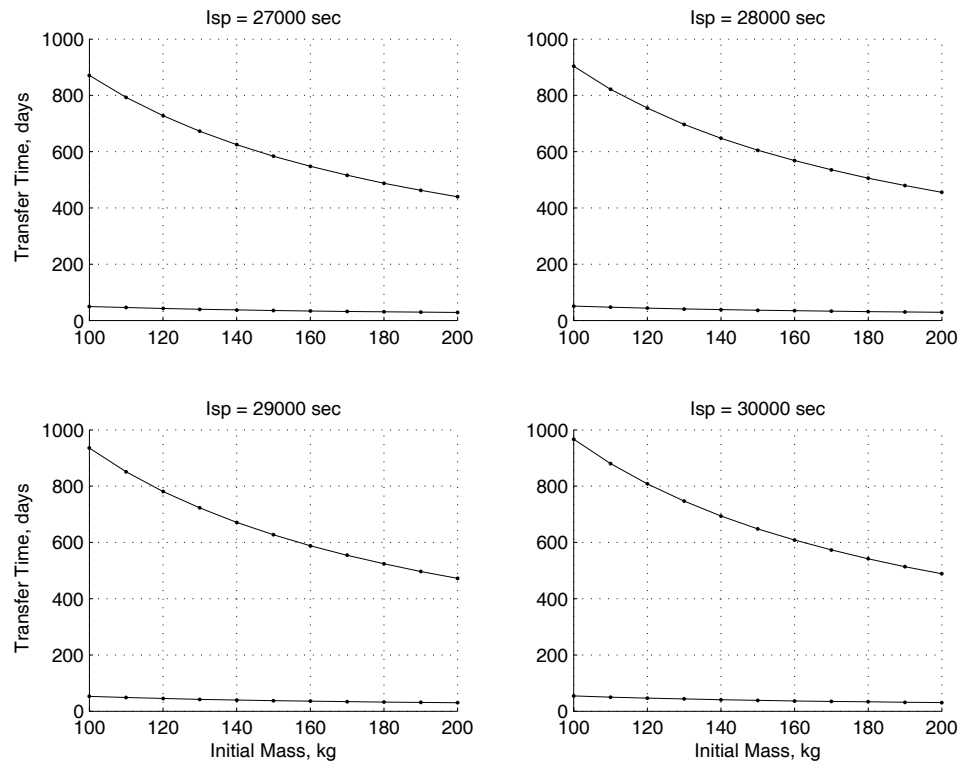


Figure D.12: Power vs. Transfer Time

8500.00	100.00	25000.00	9.65175075	17
8000.00	100.00	26000.00	9.13238262	16
9000.00	100.00	27000.00	9.08027522	18
9000.00	100.00	29000.00	8.47708513	18
9000.00	100.00	30000.00	8.20209596	18
8500.00	110.00	15000.00	17.08899094	17
8500.00	110.00	16000.00	16.02705369	17
9000.00	110.00	20000.00	13.11252370	18
8500.00	110.00	21000.00	12.30034729	17
8000.00	110.00	23000.00	11.05182707	16
9000.00	110.00	24000.00	10.99179077	18
9000.00	120.00	15000.00	18.60733602	18
9000.00	120.00	16000.00	17.41860782	18
8000.00	120.00	17000.00	15.84905871	16
9000.00	120.00	29000.00	9.77834543	18
9000.00	130.00	16000.00	18.57166874	18
7500.00	130.00	21000.00	13.30061496	15
9000.00	130.00	24000.00	12.47173371	18
9000.00	140.00	17000.00	18.49773001	18
9000.00	140.00	18000.00	17.46128566	18
7500.00	140.00	22000.00	13.35785754	15
9000.00	150.00	20000.00	16.52063180	18
9000.00	150.00	27000.00	12.33910250	18
8500.00	150.00	29000.00	11.25527876	17
9000.00	160.00	19000.00	18.24467594	18
9000.00	160.00	20000.00	17.33023016	18
8500.00	160.00	21000.00	16.14638280	17
9000.00	160.00	25000.00	13.90704128	18
9000.00	200.00	27000.00	14.86558681	18

The following are the tabulated results for the points of diminishing returns, where one exists for a combination of initial mass, power, and specific impulse, sorted by

specific impulse.

m0 (kg)	P0 (kW)	ISP (sec)	Value (kg/day)	P0 Index
8500.00	100.00	15000.00	15.83359095	17
8500.00	110.00	15000.00	17.08899094	17
9000.00	120.00	15000.00	18.60733602	18
7500.00	100.00	16000.00	14.33637632	15
8500.00	110.00	16000.00	16.02705369	17
9000.00	120.00	16000.00	17.41860782	18
9000.00	130.00	16000.00	18.57166874	18
8000.00	120.00	17000.00	15.84905871	16
9000.00	140.00	17000.00	18.49773001	18
9000.00	140.00	18000.00	17.46128566	18
9000.00	160.00	19000.00	18.24467594	18
7500.00	100.00	20000.00	11.54509568	15
9000.00	110.00	20000.00	13.11252370	18
9000.00	150.00	20000.00	16.52063180	18
9000.00	160.00	20000.00	17.33023016	18
8500.00	110.00	21000.00	12.30034729	17
7500.00	130.00	21000.00	13.30061496	15
8500.00	160.00	21000.00	16.14638280	17
9000.00	100.00	22000.00	11.09327925	18
7500.00	140.00	22000.00	13.35785754	15
8000.00	110.00	23000.00	11.05182707	16
9000.00	100.00	24000.00	10.18881106	18
9000.00	110.00	24000.00	10.99179077	18
9000.00	130.00	24000.00	12.47173371	18
8500.00	100.00	25000.00	9.65175075	17
9000.00	160.00	25000.00	13.90704128	18
8000.00	100.00	26000.00	9.13238262	16
9000.00	100.00	27000.00	9.08027522	18

9000.00	150.00	27000.00	12.33910250	18
9000.00	200.00	27000.00	14.86558681	18
9000.00	100.00	29000.00	8.47708513	18
9000.00	120.00	29000.00	9.77834543	18
8500.00	150.00	29000.00	11.25527876	17
9000.00	100.00	30000.00	8.20209596	18

The following is the list of transfer times for the maximum optimum payload delivered per day.

m0 (kg)	P0 (kW)	ISP (sec)	T0F (days)

9000.00	120.00	15000.00	362.9839
9000.00	130.00	16000.00	357.7031
9000.00	140.00	17000.00	353.1017
9000.00	140.00	18000.00	374.7898
9000.00	160.00	19000.00	345.6970
9000.00	160.00	20000.00	364.5350
8500.00	160.00	21000.00	361.5730
7500.00	140.00	22000.00	383.0115
8000.00	110.00	23000.00	542.4210
9000.00	130.00	24000.00	539.2745
9000.00	160.00	25000.00	457.1446
8000.00	100.00	26000.00	672.6456
9000.00	200.00	27000.00	395.6584
8500.00	150.00	29000.00	534.1492
9000.00	100.00	30000.00	871.1938

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