

**APPENDIX B:**

**DATA**

## **B.1) LIST OF MODELS**

- **Unshelled peanuts – Total (100%)**
  - ◆ **Producer base price**
    - Pessimistic adoption profile
      - ★ Parallel shift 1
      - ★ Pivotal shift 2
    - Optimistic adoption profile
      - ★ Parallel shift 3
      - ★ Pivotal shift 4
  
- **Unshelled peanuts – On farm consumption (24%)**
  - ◆ **Unofficial market price**
    - Pessimistic adoption profile
      - ★ Parallel shift 5
      - ★ Pivotal shift 6
    - Optimistic adoption profile
      - ★ Parallel shift 7
      - ★ Pivotal shift 8
  - ◆ **Producer base price**
    - Pessimistic adoption profile
      - ★ Parallel shift 9
      - ★ Pivotal shift 10
    - Optimistic adoption profile
      - ★ Parallel shift 11
      - ★ Pivotal shift 12
  
- **Unshelled peanuts – Informal market (10%)**
  - ◆ **Unofficial market price**
    - Pessimistic adoption profile
      - ★ Parallel shift 13
      - ★ Pivotal shift 14
    - Optimistic adoption profile
      - ★ Parallel shift 15
      - ★ Pivotal shift 16

- **Peanut seeds – Formal market (15%)**
  - ◆ Producer base price
    - Pessimistic adoption profile
      - ★ Parallel shift 17
      - ★ Pivotal shift 18
    - Optimistic adoption profile
      - ★ Parallel shift 19
      - ★ Pivotal shift 20
  
- **Peanut oil – Formal market (17.5%)**
  - ◆ World price
    - Pessimistic adoption profile
      - ★ Parallel shift 21
      - ★ Pivotal shift 22
    - Optimistic adoption profile
      - ★ Parallel shift 23
      - ★ Pivotal shift 24
  
- **Peanut cakes – Formal market (17.5%)**
  - ◆ World price
    - Pessimistic adoption profile
      - ★ Parallel shift 25
      - ★ Pivotal shift 26
    - Optimistic adoption profile
      - ★ Parallel shift 27
      - ★ Pivotal shift 28

## B.2) SPREADSHEETS

### 1) UNSHELLED PEANUTS (TOTAL) – PRODUCER BASE PRICE

- Supply elasticity:  $\varepsilon = 0.77$  (Akobundu, 1998)
- Demand elasticity:  $e = 0.18$  (Sullivan et al, 1992)
  
- Proportionate yield change per hectare:  $\Delta Y/Y = 0.30$  (Ndoye, July 19<sup>th</sup>, 2000)
- Gross proportionate cost reduction per ton of output:  $\Delta Y/\varepsilon Y = 0.30/0.77 = 0.39$
- Proportionate additional cost per hectare:  $\Delta C/C = 0.20$  (Table 3.16)
- Proportionate additional cost per ton of output:  $\Delta C/C(1+\Delta Y/Y) = 0.20/(1+0.30) = 0.15$
- Net proportionate cost reduction per ton of output:  $\Delta Y/\varepsilon Y - \Delta C/C(1+\Delta Y/Y) = 0.39 - 0.15 = 0.24$
  
- Probability of research success:  $p = 1$
- Adoption rate:  $A_t$  (Table 3.17)
  
- Supply shift:  $K_t = [\Delta Y/\varepsilon Y - \Delta C/C(1+\Delta Y/Y)]pA_tP_b$
- Proportionate decrease in price:  $E_t = K_t\varepsilon/e$
  
- Proportionate change in population:  $u = 0.027$  (Senegal, Republic of, Direction de la Prévision et de la Statistique, 1999)
- Proportionate change in per capita income:  $i = 0.0063$  (average of years 1976-86, 1987-97 and 1998-02:  $-0.011-0.004+0.034/3$ ) (IMF, 1998)
- Income elasticity of demand:  $e_{ii} + \sum e_{ij} + n_i = 0 \rightarrow$  assuming  $\sum e_{ij} = 0$ ,  $n_i = -e_{ii} = 0.18$
- Proportionate change in demand:  $u + in = 0.028$  (approximation for  $L/Q_0$ )
  
- Initial consumer price (before demand shift):  $P_0 = 144$  FCFA/kg (average of years 1996-1999:  $183+137.656+114+142/4$ ) (Senegal, Republic of, Ministère de l'Economie, des Finances et du Plan, 2000 a)
- Final consumer price (after demand shift):  $P = P_0(1 + (L/Q_0)/e) = 167$  FCFA/kg
- Producer base price:  $P_b = 146.5$  FCFA/kg (average of years 1996-1999:  $131+150+160+145/4$ ) (Senegal, Republic of, Ministère de l'Economie, des Finances et du Plan, 2000 a)
  
- Initial quantity (before demand shift):  $Q_0 = 599,731$  1000kg (average of years 1996-1999 for oil seeds:  $588,181+505,894+540,773+764,077/4$ ) (Senegal, Republic of, Ministry of Agriculture, 2000)
- Final quantity (after demand shift):  $Q = Q_0 = 599,731$  1000kg
  
- Change in consumer surplus:  $\Delta CS = EQ(1 + \frac{1}{2}Ee/P)$  (parallel and pivotal shift)
- Change in producer surplus:  $\Delta PS = KQ(1 + \frac{1}{2}\varepsilon K/P_b)$  (parallel shift) or  $\Delta PS = \frac{1}{2}KQ(1 + \varepsilon K/P_b)$  (pivotal shift)
- Change in cost of subsidy:  $\Delta GC = EQ(1 + ((P_b - P) + E)e/P)$
- Change in net social welfare:  $\Delta NSW = \Delta CS + \Delta PS - \Delta GC$

- Cost of salaries: max annual public salary \* scientists + minimum annual public salary \* assistants for each year between 1985 and 1996 (Table 3.18)
- Research costs:  $RC = 1.2 * \text{cost of salaries}$
  
- Net total benefits:  $NB = \Delta TS - RC$
- Discount rate: 0.0625 (1998) (IMF, 2000)
- Net present value in FCFA:  $(NB, 0.0625)$
- Exchange rate: 615.70 FCFA/US\$ (1999) (CIA, 2001)
- Net present value in US\$: NPV in FCFA/exchange rate

## 2) UNSHELLED PEANUTS (ON FARM CONSUMPTION) - UNOFFICIAL PRICE

- Supply elasticity:  $\varepsilon = 0.77$  (Akobundu, 1998)
- Demand elasticity:  $e = 0$
  
- Proportionate yield change per hectare:  $\Delta Y/Y = 0.30$  (Ndoye, July 19<sup>th</sup>, 2000)
- Gross proportionate cost reduction per ton of output:  $\Delta Y/\varepsilon Y = 0.30/0.77 = 0.39$
- Proportionate additional cost per hectare:  $\Delta C/C = 0.21$  (Table 3.16)
- Proportionate additional cost per ton of output:  $\Delta C/C(1+\Delta Y/Y) = 0.21/(1+0.30) = 0.16$
- Net proportionate cost reduction per ton of output:  $\Delta Y/\varepsilon Y - \Delta C/C(1+\Delta Y/Y) = 0.39 - 0.16 = 0.23$
  
- Probability of research success:  $p = 1$
- Adoption rate:  $A_t$  (Table 3.17)
  
- Supply shift:  $K_t = [\Delta Y/\varepsilon Y - \Delta C/C(1+\Delta Y/Y)]pA_tP$
- Proportionate decrease in price:  $E_t = K\varepsilon/(\varepsilon + e) = K_t$
  
- Proportionate change in population:  $u = 0.027$  (Senegal, Republic of, Direction de la Prévision et de la Statistique, 1999)
- Proportionate change in per capita income:  $i = 0.0063$  (average of years 1976-86, 1987-97 and 1998-02:  $-0.011-0.004+0.034/3$ ) (IMF, 1998)
- Income elasticity of demand:  $e_{ii} + \sum e_{ij} + n_i = 0 \rightarrow$  assuming  $\sum e_{ij} = 0$ ,  $n_i = -e_{ii} = 0.18$
- Proportionate change in demand:  $u + in = 0.028$  (approximation for  $L/Q_0$ )
  
- Initial price (before demand shift):  $P_0 = 135.5$  FCFA/kg (average of years 1995 and 1996:  $125.4+128+129.5+130.3+139.7+160.4/6$ ) (Gaye, 1997)
- Final price (after demand shift):  $P = P_0(1 + (L/Q_0)/\varepsilon) = 141$  FCFA/kg
  
- Initial quantity:  $Q_0 = 0.24*599,731 = 143,935$  1000kg
- Final quantity:  $Q = Q_0(1+L/Q_0) = 147,985$  1000kg
  
- Change in consumer surplus:  $\Delta CS = EQ$  (parallel shift) or  $\Delta CS = \frac{1}{2} EQ$  (pivotal shift)

### 3) UNSHELLED PEANUTS (ON FARM CONSUMPTION) – PRODUCER BASE PRICE

- Supply elasticity:  $\varepsilon = 0.77$  (Akobundu, 1998)
- Demand elasticity:  $e = 0$
  
- Proportionate yield change per hectare:  $\Delta Y/Y = 0.30$  (Ndoye, July 19<sup>th</sup>, 2000)
- Gross proportionate cost reduction per ton of output:  $\Delta Y/\varepsilon Y = 0.30/0.77 = 0.39$
- Proportionate additional cost per hectare:  $\Delta C/C = 0.20$  (Table 3.16)
- Proportionate additional cost per ton of output:  $\Delta C/C(1+\Delta Y/Y) = 0.20/(1+0.30) = 0.15$
- Net proportionate cost reduction per ton of output:  $\Delta Y/\varepsilon Y - \Delta C/C(1+\Delta Y/Y) = 0.39 - 0.15 = 0.24$
  
- Probability of research success:  $p = 1$
- Adoption rate:  $A_t$  (Table 3.17)
  
- Supply shift:  $K_t = [\Delta Y/\varepsilon Y - \Delta C/C(1+\Delta Y/Y)]pA_tP_b$
- Proportionate decrease in price:  $E_t = K\varepsilon/(\varepsilon + e) = K_t$
  
- Proportionate change in population:  $u = 0.027$  (Senegal, Republic of, Direction de la Prévision et de la Statistique, 1999)
- Proportionate change in per capita income:  $i = 0.0063$  (average of years 1976-86, 1987-97 and 1998-02:  $-0.011-0.004+0.034/3$ ) (IMF, 1998)
- Income elasticity of demand:  $e_{ii} + \sum e_{ij} + n_i = 0 \rightarrow$  assuming  $\sum e_{ij} = 0$ ,  $n_i = -e_{ii} = 0.18$
- Proportionate change in demand:  $u + in = 0.028$  (approximation for  $L/Q_0$ )
  
- Producer base price:  $P_b = 146.5$  FCFA/kg
  
- Initial quantity:  $Q_0 = 0.24 * 599,731 = 143,935$  1000kg
- Final quantity:  $Q = Q_0 (1+L/Q_0) = 147,985$  1000kg
  
- Change in consumer surplus:  $\Delta CS = 0$  (parallel and pivotal shift)

#### 4) UNSHELLED PEANUTS – INFORMAL MARKET – UNOFFICIAL PRICE

- Supply elasticity:  $\varepsilon = 0.77$  (Akobundu, 1998)
- Demand elasticity:  $e = 0.18$  (Sullivan et al, 1992)
  
- Proportionate yield change per hectare:  $\Delta Y/Y = 0.30$  (Ndoye, July 19<sup>th</sup>, 2000)
- Gross proportionate cost reduction per ton of output:  $\Delta Y/\varepsilon Y = 0.30/0.77 = 0.39$
- Proportionate additional cost per hectare:  $\Delta C/C = 0.21$  (Table 3.16)
- Proportionate additional cost per ton of output:  $\Delta C/C(1+\Delta Y/Y) = 0.21/(1+0.30) = 0.16$
- Net proportionate cost reduction per ton of output:  $\Delta Y/\varepsilon Y - \Delta C/C(1+\Delta Y/Y) = 0.39 - 0.16 = 0.23$
  
- Probability of research success:  $p = 1$
- Adoption rate:  $A_t$  (Table 3.17)
  
- Supply shift:  $K_t = [\Delta Y/\varepsilon Y - \Delta C/C(1+\Delta Y/Y)]pA_tP$
- Proportionate decrease in price:  $E_t = K_t\varepsilon/(\varepsilon + e)$
  
- Proportionate change in population:  $u = 0.027$  (Senegal, Republic of, Direction de la Prévision et de la Statistique, 1999)
- Proportionate change in per capita income:  $i = 0.0063$  (average of years 1976-86, 1987-97 and 1998-02:  $-0.011-0.004+0.034/3$ ) (IMF, 1998)
- Income elasticity of demand:  $e_{ii} + \sum e_{ij} + n_i = 0 \rightarrow$  assuming  $\sum e_{ij} = 0$ ,  $n_i = -e_{ii} = 0.18$
- Proportionate change in demand:  $u + in = 0.028$  (approximation for  $L/Q_0$ )
  
- Initial price (before demand shift):  $P_0 = 135.5$  FCFA/kg
- Final price (after demand shift):  $P = P_0(1 + (L/Q_0)/(\varepsilon + e)) = 141$  FCFA/kg
  
- Initial quantity:  $Q_0 = 0.10 * 599,731 = 59,973$  1000kg
- Final quantity:  $Q = Q_0(1 + L/Q_0 - (Le/Q_0)/(\varepsilon + e)) = 61,341$  1000kg
  
- Change in consumer surplus:  $\Delta CS = EQ(1 + \frac{1}{2}Ee/P)$  (parallel and pivotal shift)
- Change in producer surplus:  $\Delta PS = (K-E)Q(1 + \frac{1}{2}Ee/P)$  (parallel shift) or  $\Delta PS = \Delta TS - \Delta CS$  (pivotal shift)
- Change in total surplus:  $\Delta TS = KQ(1 + \frac{1}{2}Ee/P)$  (parallel shift) or  $\Delta TS = \frac{1}{2}KQ(1 + Ee/P)$  (pivotal shift)
  
- Cost of salaries: max annual public salary \* scientists + minimum annual public salary \* number of assistants for each year between 1985 and 1996 (Table 3.18)
- Research costs:  $RC = 0.10 * 1.2 * \text{cost of salaries}$



- Net total benefits:  $NB = \Delta TS - RC$
- Discount rate: 0.0625 (1998) (IMF, 2000)
- Net present value in FCFA: (NB, 0.0625)
- Exchange rate: 615.70 FCFA/US\$ (1999) (CIA, 2001)
- Net present value in US\$: NPV in FCFA/exchange rate

## 5) PEANUT SEEDS – FORMAL MARKET – PRODUCER BASE PRICE

- Supply elasticity:  $\varepsilon = 0.77$  (Akobundu, 1998)
- Demand elasticity:  $e = 0.18$  (Sullivan et al, 1992)
  
- Proportionate yield change per hectare:  $\Delta Y/Y = 0.30$  (Ndoye, July 19<sup>th</sup>, 2000)
- Gross proportionate cost reduction per ton of output:  $\Delta Y/\varepsilon Y = 0.30/0.77 = 0.39$
- Proportionate additional cost per hectare:  $\Delta C/C = 0.20$  (Table 3.16)
- Proportionate additional cost per ton of output:  $\Delta C/C(1+\Delta Y/Y) = 0.20/(1+0.30) = 0.15$
- Net proportionate cost reduction per ton of output:  $\Delta Y/\varepsilon Y - \Delta C/C(1+\Delta Y/Y) = 0.39 - 0.15 = 0.24$
  
- Probability of research success:  $p = 1$
- Adoption rate:  $A_t$  (Table 3.17)
  
- Supply shift:  $K_t = [\Delta Y/\varepsilon Y - \Delta C/C(1+\Delta Y/Y)]pA_tP_b$
- Proportionate decrease in price:  $E_t = K_t\varepsilon/e$
  
- Proportionate change in population:  $u = 0.027$  (Senegal, Republic of, Direction de la Prévision et de la Statistique, 1999)
- Proportionate change in per capita income:  $i = 0.0063$  (average of years 1976-86, 1987-97 and 1998-02:  $-0.011-0.004+0.034/3$ ) (IMF, 1998)
- Income elasticity of demand:  $e_{ii} + \sum e_{ij} + n_i = 0 \rightarrow$  assuming  $\sum e_{ij} = 0$ ,  $n_i = -e_{ii} = 0.18$
- Proportionate change in demand:  $u + in = 0.028$  (approximation for  $L/Q_0$ )
  
- Initial consumer price (before demand shift):  $P_0 = 144$  FCFA/kg (average of years 1996-1999:  $183+137.656+114+142/4$ ) (Senegal, Republic of, Ministère de l'Economie, des Finances et du Plan, 2000 a)
- Final consumer price (after demand shift):  $P = P_0(1 + (L/Q_0)/e) = 167$  FCFA/kg
- Producer base price:  $P_b = 146.5$  FCFA/kg (average of years 1996-1999:  $131+150+160+145/4$ ) (Senegal, Republic of, Ministère de l'Economie, des Finances et du Plan, 2000 a)
  
- Initial quantity (before demand shift):  $Q_0 = 0.15 * 599,731 = 89,960$  1000kg
- Final quantity (after demand shift):  $Q = Q_0 = 89,960$  1000kg
  
- Change in consumer surplus:  $\Delta CS = EQ(1 + \frac{1}{2}Ee/P)$  (parallel and pivotal shift)
- Change in producer surplus:  $\Delta PS = KQ(1 + \frac{1}{2}\varepsilon K/P_b)$  (parallel shift) or  $\Delta PS = \frac{1}{2}KQ(1 + \varepsilon K/P_b)$  (pivotal shift)
- Change in cost of subsidy:  $\Delta GC = EQ(1 + ((P_b - P) + E)e/P)$
- Change in net social welfare:  $\Delta NSW = \Delta CS + \Delta PS - \Delta GC$
  
- Cost of salaries: max annual public salary \* scientists + minimum annual public salary \* number of assistants for each year between 1985 and 1996 (Table 3.18)
- Research costs:  $RC = 0.15 * 1.2 * \text{cost of salaries}$

- Net total benefits:  $NB = \Delta TS - RC$
- Discount rate: 0.0625 (1998) (IMF, 2000)
- Net present value in FCFA: (NB, 0.0625)
- Exchange rate: 615.70 FCFA/US\$ (1999) (CIA, 2001)
- Net present value in US\$: NPV in FCFA/exchange rate

## 6) PEANUT OIL – FORMAL MARKET – WORLD PRICE

- Supply elasticity:  $\varepsilon = 0.30$  (Sullivan et al, 1992)
- Demand elasticity:  $e = 0.20$  (Sullivan et al, 1992)
  
- Proportionate yield change per hectare:  $\Delta Y/Y = 0.30$  (Ndoye, July 19<sup>th</sup>, 2000)
- Gross proportionate cost reduction per ton of output:  $\Delta Y/\varepsilon Y = 0.30/0.77 = 0.39$
- Proportionate additional cost per hectare:  $\Delta C/C = 0.20$  (Table 3.16)
- Proportionate additional cost per ton of output:  $\Delta C/C(1+\Delta Y/Y) = 0.20/(1+0.30) = 0.15$
- Net proportionate cost reduction per ton of output:  $\Delta Y/\varepsilon Y - \Delta C/C(1+\Delta Y/Y) = 0.39 - 0.15 = 0.24$
  
- Probability of research success:  $p = 1$
- Adoption rate:  $A_t$  (Table 3.17)
  
- Supply shift:  $K_t = [\Delta Y/\varepsilon Y - \Delta C/C(1+\Delta Y/Y)]pA_tP_b$
  
- World price:  $P_w = 909$  \$/ton (average of years 1994-2000:  $1,023+991+897+1,009+917+788+740/7$ ) (Senegal, Republic of, Ministère de l'Economie, des Finances et du Plan, 2000 a)  
 $P_w = 909*560.11/1000 = 509$  FCFA/kg (Table 3.15)
  
- Quantity supplied:  $Q = 0.175*599,731 = 104,953$  1000kg
  
- Change in consumer surplus:  $\Delta CS = 0$
- Change in producer surplus:  $\Delta PS = KQ(1 + \frac{1}{2} \varepsilon K/P_w)$  (parallel shift) or  $\Delta PS = \frac{1}{2}KQ(1+\varepsilon K/P_w)$  (pivotal shift)
- Change in total surplus:  $\Delta TS = \Delta CS + \Delta PS$
  
- Cost of salaries: max annual public salary \* scientists + minimum annual public salary \* number of assistants for each year between 1985 and 1996 (Table 3.18)
- Research costs:  $RC = 0.175*1.2 * \text{cost of salaries}$
  
- Net total benefits:  $NB = \Delta TS - RC$
- Discount rate: 0.0625 (1998) (IMF, 2000)
- Net present value in FCFA:  $(NB, 0.0625)$
- Exchange rate: 615.70 FCFA/US\$ (1999) (CIA, 2001)
- Net present value in US\$:  $NPV = \text{NPV in FCFA}/\text{exchange rate}$

## 7) PEANUT CAKES – FORMAL MARKET – WORLD PRICE

- Supply elasticity:  $\varepsilon = 0.30$  (Sullivan et al, 1992)
- Demand elasticity:  $e = 0.20$  (Sullivan et al, 1992)
  
- Proportionate yield change per hectare:  $\Delta Y/Y = 0.30$  (Ndoye, July 19<sup>th</sup>, 2000)
- Gross proportionate cost reduction per ton of output:  $\Delta Y/\varepsilon Y = 0.30/0.77 = 0.39$
- Proportionate additional cost per hectare:  $\Delta C/C = 0.20$  (Table 3.16)
- Proportionate additional cost per ton of output:  $\Delta C/C(1+\Delta Y/Y) = 0.20/(1+0.30) = 0.15$
- Net proportionate cost reduction per ton of output:  $\Delta Y/\varepsilon Y - \Delta C/C(1+\Delta Y/Y) = 0.39 - 0.15 = 0.24$
  
- Probability of research success:  $p = 1$
- Adoption rate:  $A_t$  (Table 3.17)
  
- Supply shift:  $K_t = [\Delta Y/\varepsilon Y - \Delta C/C(1+\Delta Y/Y)]pA_tP_b$
  
- World price:  $P_w = 160$  \$/ton (average of years 1994-2000:  $168+169+213+221+116+102+130/7$ ) (Senegal, Republic of, Ministère de l'Economie, des Finances et du Plan, 2000 a)  
 $P_w = 160*560.11/1000 = 90$  FCFA/kg (Table 3.15)
  
- Quantity supplied:  $Q = 0.175*599,731 = 104,953$  1000kg
  
- Change in consumer surplus:  $\Delta CS = 0$
- Change in producer surplus:  $\Delta PS = KQ(1 + \frac{1}{2} \varepsilon K/P_w)$  (parallel shift) or  $\Delta PS = \frac{1}{2}KQ(1+\varepsilon K/P_w)$  (pivotal shift)
- Change in total surplus:  $\Delta TS = \Delta CS + \Delta PS$
  
- Cost of salaries: max annual public salary \* scientists + minimum annual public salary \* number of assistants for each year between 1985 and 1996 (Table 3.18)
- Research costs:  $RC = 0.175*1.2$  \* cost of salaries
  
- Net total benefits:  $NB = \Delta TS - RC$
- Discount rate: 0.0625 (1998) (IMF, 2000)
- Net present value in FCFA:  $(NB, 0.0625)$
- Exchange rate: 615.70 FCFA/US\$ (1999) (CIA, 2001)
- Net present value in US\$:  $NPV$  in FCFA/exchange rate