

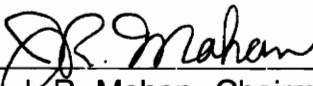
**An End-to-End Model of the  
Earth Radiation Budget Experiment (ERBE)  
Earth-Viewing Nonscanning Radiometric Channels**

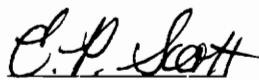
by

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Thesis submitted to the Faculty of the  
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in  
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(ABSTRACT)

The Earth Radiation Budget Experiment (ERBE) active-cavity radiometers are used to measure the incoming solar, reflected solar, and emitted longwave radiation from the Earth and its atmosphere. The radiometers are carried by the National Aeronautics and Space Administration's Earth Radiation Budget Satellite (ERBS) and the National Oceanic and Atmospheric Administration's NOAA-9 and NOAA-10 spacecraft. Four Earth-viewing nonscanning active-cavity radiometers are carried by each platform. Two of the radiometers are sensitive to radiation in the spectral range from 0.2 to 50  $\mu\text{m}$ , while the other two radiometers are sensitive to radiation in the spectral range from 0.2 to 5.0  $\mu\text{m}$ . Each set of radiometers comes in a wide-field-of-view (WFOV) and a medium-field-of-view (MFOV) configuration. The cavities of the shortwave (visible) radiometers are covered with a Suprasil<sup>®</sup> hemispherical dome to filter out the incoming longwave radiation.

Knowledge of the optical and physical properties of the radiometers allows

their responses to be predicted using a low-order physical model. A high-level, dynamic electrothermal end-to-end model which accurately predicts the radiometers dynamic output has also been completed. This latter model is used to numerically simulate the calibration procedures of the actual instruments. With calibration of the end-to-end model complete, a simulation of a phenomena referred to as the "solar blip" is conducted to investigate the instruments' responses to steep transient events. The solar blip event occurs when direct solar radiation is briefly incident to the active-cavity radiometric channels as the spacecraft passes into and out of the Earth's shadow.

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## Nomenclature

A	Surface area ( $m^2$ )
$A_F$	Coefficient associated with the field-of-view limiter temperature ( $W/m^2K$ )
$A_R$	Coefficient associated with the reference cavity heater voltage ( $W/m^2V^2$ )
$A_V$	Coefficient associated with the active cavity heater voltage ( $W/m^2V^2$ )
B	Offset term which calibrates the instruments by means of internal calibration sources ( $W/m^2$ )
$C_1$	Constant used in Planck's radiation distribution function ( $5.9544 \times 10^8 W-\mu m^4/m^2$ )
$C_2$	Constant used in Planck's radiation distribution function ( $1.4338 \times 10^4 \mu m-K$ )
$D_{ijk}$	Monochromatic radiation distribution factor (-)
E	Irradiance at satellite altitude ( $W/m^2$ )
e	Emissive power (W)
F	Radiation view factor (-)
G	Volumetric heat generation ( $W/m^3$ )

$N_{ik}$	Number of energy bundles emitted by element $i$ , in wavelength interval $k$ (-)
$N_{ijk}$	Number of energy bundles emitted by element $i$ which are absorbed by element $j$ , in wavelength interval $k$ (-)
$n$	Index of refraction for a participating medium (-); time step (-)
$Q$	Heat input (W)
$R$	Electrical resistance ( $\Omega$ ); Radius (m); Random number (-); Reflectivity ratio (-)
$T, \Delta T$	Temperature, temperature drop between the active and reference resistance temperature detectors (K)
$t, \Delta t$	Time, time increment (s)
$\mathbf{U}$	Unit vector (-)
$V$	Electrical potential (V)
$V_b$	Bias voltage (V)
$V_0$	Bridge supply voltage (V)
$V_1$	Bridge output voltage (V)
$V_2$	Voltage across the heater wire (V)
$x, y, z$	Cartesian coordinates (m)

## Greek

$\alpha$	Absorptivity (-); linear temperature coefficient of resistance (1/K)
$\delta$	Material thickness (m)
$\epsilon$	Emissivity (-)



$\theta$	Zenith angle (rad); Cone angle (rad); Brewster angle (rad)
$\kappa$	Monochromatic absorption coefficient (1/m)
$\lambda$	Wavelength ( $\mu\text{m}$ )
$\rho^d$	Diffuse component of reflectivity (-)
$\rho^s$	Specular component of reflectivity (-)
$\sigma$	Stefan-Boltzmann constant ( $5.6696 \times 10^{-8} \text{ W/m}^2\text{K}$ )
$\tau$	Transmissivity (-)
$\phi$	Azimuthal angle (rad)

# 1.0 Introduction

## 1.1 The Earth Radiation Budget

The ability of man to influence his surroundings on a global scale is a phenomenon unique to the twentieth century. With the advent of industrialization has come the consequence of releasing vast quantities of pollutants into the atmosphere. As a result, atmospheric composition has become dynamic, with climatic consequences that are not yet well understood. Measurement of the radiative exchange between the planet Earth and its space environment represents one of the fundamental activities for understanding the driving mechanisms of our planet's weather and climate.

The Earth radiation budget, or the energy balance of the Earth-atmosphere-ocean system, is defined as the difference between the absorbed solar radiation

and the radiation emitted from the Earth and its atmosphere. Determination of the Earth's radiation budget allows scientists to better understand the dynamic behavior of our planet's climatic system [1,2]. Contributions to the Earth's radiation budget are shown in Figure 1.

## **1.2 Earth Radiation Budget Measurements**

The following historical overview has been obtained from Hunt et al. [3,4].

The first serious attempts at estimating the Earth radiation budget components on the basis of measurements were not made until well into the nineteenth century. Pouillet obtained an estimate of the solar constant of  $1211 \text{ W/m}^2$  in 1837. However, it was not until the first decade of the twentieth century that the initial attempt to determine the components of the Earth radiation budget, on the basis of observational data, were made. These early efforts suffered from severe limitations in geographical sampling of climatic observations.

Simpson was the first to recognize, during the 1920's, the importance of the spectral distribution of water vapor absorption and to calculate the distribution of incoming and outgoing radiation as a function of latitude and season, making use of observed cloud distributions.

The 1940's and 50's marked a time of significant developments in atmospheric physics that led to increased knowledge of the Earth radiation budget.

Aircraft studies during this period provided much needed data on cloud physics.

With the onset of the 60's, man was about to enter the space-age, and with it the era of satellite meteorology. The first satellite dedicated to the determination of the Earth radiation budget was Explorer 7, launched on October 13, 1959. The radiometers on Explorer 7 consisted of black and white hemispheres containing thermistor bolometers attached to rectangular mirrors on the equator of the spacecraft. The reflected image of each hemisphere in the mirrors made the radiometers appear as "spheres" in space.

The first imaging system to be carried into space was launched on April 1, 1960, on board the TIROS-1 satellite, the first in a series of seven satellites. The Television Infrared Observation Satellites (TIROS) missions provided four years of Earth radiation budget data and included the first such satellite to provide a continuous record of data for one year, TIROS 7.

The most successful of the early observational systems were the Nimbus-6 and Nimbus-7 satellites. These satellites were launched in 1975 and 1978, respectively, and together provided more than a decade of continuous Earth radiation budget data [4].

Advancements which have influenced the evolution of Earth radiation budget instrumentation may be broken down into four broad categories: (1) spacecraft power budgets, on-board data storage, satellite stabilization, and attitude control; (2) viewing angles of non-scanning medium field-of-view and wide field-of-view

radiometers and scanning medium and high-resolution radiometers; (3) spectral isolation of the shortwave and longwave components; and (4) on-board calibration standards for both longwave and shortwave detectors.

The current Earth Radiation Budget Experiment (ERBE) is the first program to incorporate all of these advancements.

### **1.3 The Earth Radiation Budget Experiment**

The Earth Radiation Budget Experiment (ERBE) was begun by the National Aeronautics and Space Administration (NASA) in 1979 in order to quantify the radiative interaction between the Earth and its space environment. The radiation from the sun which is absorbed by the Earth and eventually re-emitted is the energy source which drives the motions of the Earth's atmosphere and oceans and which determines our weather and climate. The goal of ERBE is to monitor this interaction over a long time scale and over specific geographical regions [5].

The ERBE mission consists of a three-satellite platform. The first ERBE instruments were launched on October 5, 1984, aboard the National Aeronautics and Space Administration's Earth Radiation Budget Satellite (ERBS). The remaining radiometric instruments were launched on December 5, 1984, and September 17, 1986, aboard the National Oceanic and Atmospheric Administration's NOAA-9 and NOAA-10 satellites. Each radiometric package

contains four Earth-viewing nonscanning active-cavity radiometers, three scanning thermistor bolometer radiometers, and a solar monitor. Inflight stability of all radiometric channels is monitored by internal calibration sources. Combined, these radiometers can quantitatively describe the spectral and spatial distribution of the Earth's radiative field.

The Earth-viewing nonscanning active cavity radiometers are described in detail in Chapter 2. The scanning thermistor bolometer radiometers and solar monitors are described elsewhere [6,7].

ERBE has established the benchmark by which the success of future Earth radiation budget measurement missions will be judged. Definitive answers to several important scientific questions have been obtained throughout the mission. Two such questions answered by ERBE have been the net cooling effect which clouds and volcanic activity produce on our climate system [8-11] and the correlation of solar activity to global-average atmospheric temperature change [12,13].

#### **1.4 The Thermal Radiation Group**

Under the direction of Professor J. R. Mahan, graduate students have been studying the dynamic electrothermal properties of instruments designed to measure the Earth radiation budget since the early 1970's. The Thermal Radiation Group

originally studied the theoretical radiative characteristics of spherical balloon-type detectors [14-16]. However, with the development of more powerful computers in the early eighties the group turned their focus towards applied numerical modelling of more complex radiative enclosures. Eskin [17] was the first student in the group to utilize a Monte-Carlo-based ray-trace technique. Eskin's work modeled the radiative exchange inside a conical cavity such as those on the ERBE mission. Gardiner [18] studied the operation of ERBE-type active cavity radiometers at cryogenic temperatures. Tira [19] was the first to utilize the Monte-Carlo ray-trace technique in conjunction with a finite-element model of an active-cavity radiometer to determine the electrical response of the detector to varying radiative inputs.

Thus began the current focus of the Thermal Radiation Group: completion of end-to-end models for space-based radiometric channels. These models usually begin with a radiative and optical analysis of the instrument in question using a Monte-Carlo ray-trace technique. The results from the ray trace are then implemented into either a finite-element or finite-difference heat conduction code which characterizes the electrothermal behavior of the instrument to various radiative inputs. Once validated by successfully processing actual data product, these models may be used to investigate the sources of any anomalous behavior of the actual instruments.

Research concluded so far includes the work of Fanney [14], Rasnic [15], Passwaters [16], Eskin [17], Gardiner [18], Tira [19-22], Kowsary [23], Meekins

[24], Haeffelin [25-28], Bongiovi [29], Chapman [30], Villeneuve [31], and the current author.

## **1.5 Motivation and Goals**

This thesis presents the effort involved in the development of a complete end-to-end model of the Earth-viewing nonscanning active-cavity radiometric channels developed for the Earth Radiation Budget Experiment. The first step toward completion of this goal was the work completed by Eskin [17] in which he characterized the transient thermal behavior of the ERBE active cavity. Tira [19,22] advanced Eskins work by incorporating a two-dimensional finite-element description of the electrothermal response of the active cavity. Haeffelin [26,28] characterized the optical front end of these channels, completing a transient model of heat conduction in the hemispherical filter dome.

The goal of the current effort is to integrate the optical and radiative front end model created by Haeffelin with the electrothermal model of the active cavity created by Tira. This goal is met by adding the active cavity geometry to the radiative model of the front end completed by Haeffelin. This results in a complete description of the radiative exchange within the instrument. This description can be used as input for radiative boundary conditions in both the finite-difference heat conduction code of the hemispherical filter dome completed by Haeffelin and the



finite-element electrothermal characterization of the active cavity completed by Tira. The resulting high-level dynamic electrothermal model would then be formulated at a level which would permit the assessment of changes in the geometry, surface temperature distributions, or other thermophysical properties on the response of the instrument.

In order to demonstrate the accuracy of the resulting high-level end-to-end model it is calibrated numerically with procedures identical to those for the actual instrument. This simulated calibration will allow the model's response to a given radiative scene to be characterized in such a way that the performance of the actual radiometers may be assessed.

In addition, a low-order physical model of the radiometers is used to estimate the uncertainty in the instrument data product. This low-order physical model is also used to characterize the instruments through the use of first-principle physics. Thus three types of instrument calibration are completed: ground calibration of the actual instruments, a first-principle approach using a low-order physical model, and a numerically simulated ground calibration using the end-to-end model.

Further, a numerical simulation of the so-called "solar blip" phenomenon, an event in which an instrument is rapidly subjected to an excess of energy when the sun briefly enters its field-of-view during the satellite's entry and exit from the Earth's shadow, is conducted, allowing the responses of the actual radiometers to be studied.

## **2.0 The Earth-Viewing, Nonscanning, Active-Cavity Radiometer**

### **2.1 Radiometer Description and Operation**

Figures 2 and 3 show a cross-section and an assembly drawing of an ERBE Earth-viewing nonscanning active-cavity radiometer. Each radiometer consists of an optical front end and two silver conical cavities, one active and one passive. The optical front end consists of a truncated hemispherical field-of-view limiter and a base plate having a precision aperture at its center. The visible channels contain a Suprasil® hemispherical filter dome to remove the longwave component of the incident flux. Both cavities communicate thermally with a common heat sink through concentric cylindrical thermal impedances.

The field-of-view limiters and substrates of all channels have specularly reflecting coatings. These surfaces are covered by a highly emissive black

coating ( $\alpha \approx 0.95$ ) for the visible channels and a low emissive vacuum deposited aluminum coating ( $\alpha \approx 0.04$ ) for the total channels [32]. The wide field-of-view (WFOV) channels view the entire Earth disk, while the medium field-of-view (MFOV) channels view the Earth with an Earth central angle of approximately 10 deg.

As shown in Figure 4, each cavity consists a 30-deg cone of length 14.94 mm bonded to a cylinder of diameter 8.00 mm and length 5.49 mm. The thermal impedance sleeves are cylinders 10.28 mm in diameter and 23.00 mm long. A coupling ring connects the thermal impedances to the cavities. The cavity components are constructed from 0.0635-mm (nominal) thick electrodeposited silver (99.99 percent pure).

The ends of the thermal impedances near the coupling ring are wound with platinum wire which acts as a resistance temperature detector (RTD). The windings, along with the external surface of the sleeve, are covered with an aluminized mylar insulation jacket.

The interiors of both cavities are coated with Chemglaze Z302, a specularly reflecting and highly emissive ( $\alpha \approx 0.9$ ) black paint [32]. This special coating and the conical shape of the cavities assure a spectrally flat response over the 0.2 to 50  $\mu\text{m}$  range.

The reference cavity views only a closed environment maintained at the heat sink temperature. During normal Earth viewing the reference cavity heater is turned

off; thus, its temperature tracks that of the heat sink very closely. The active cavity views the scene (i.e., the Earth) and is maintained at a temperature of approximately  $0.78^{\circ}\text{C}$  [19] above that of the reference cavity by electrical substitution heating. The constant temperature difference is maintained via closed-loop feedback control of the active heater using inputs from the active and reference resistance temperature detectors. This thermal control is accomplished by balancing a resistance bridge circuit. The temperature differential is the result of a bias resistor selected for each detector to produce an imbalance in the bridge in the zero heater power condition. To maintain a balanced bridge the voltage to the active heater is varied such that its squared value varies inversely with the radiative power absorbed by the cavity. The channel output is a 13-bit digitized direct measurement of the active heater voltage, sampled every 0.8 s, ranging from 0 to 10 V. A block diagram and a simplified version of the circuit which implements this feedback function are shown, respectively, in Figures 5(a) and 5(b).

Complete dimensions and material properties for the Earth-viewing nonscanning radiometric channels are given in Tables 1 through 3.

## **2.2 Radiometer Characterization and Calibration**

The ERBE instruments are the most completely characterized and most

accurately calibrated instruments of their type ever to be flown [32]. The equations used to characterize the total (T) and shortwave (SW) radiant energy received by the radiometers during calibration are referred to as the ground count-conversion equations. The forms of these equations have been determined [33, 34] as

$$E'_T = A'_V V^2 + A'_F (T_F - \bar{T}_{F0}) + A'_R V_R^2 + B'_T \quad (2.1)$$

and

$$E'_{SW} = A'_V V^2 + A'_F (T_F - \bar{T}_{F0}) + A'_R V_R^2 + A'_E E_T + B'_{SW} , \quad (2.2)$$

where  $E'$  is the irradiance at the field-of-view limiter aperture ( $W/m^2$ ),  $A'_V$  is a coefficient corresponding to the heater voltage term ( $W/m^2V^2$ ),  $V$  is the active cavity heater voltage (V),  $A'_F$  is a coefficient corresponding to the field-of-view limiter temperature term ( $W/m^2K$ ),  $T_F$  is the temperature of the field-of-view limiter (K),  $\bar{T}_{F0}$  is the mean field-of-view limiter temperature during the calibration runs (K),  $A'_R$  is a coefficient corresponding to the reference cavity heater voltage ( $W/m^2V^2$ ),  $V_R$  is the reference cavity heater voltage (V),  $A'_E$  is a coefficient meant to correct for the presence of the shortwave filter dome (-), and the offset terms  $B'_{T,SW}$  ( $W/m^2$ ) calibrate the instruments by means of internal calibration sources. For nominal Earth scenes  $V_R$  is set equal to zero.

To perform an absolute calibration, the instruments were allowed to view

laboratory radiometric sources based on the International Practical Temperature Scale of 1968. Radiometric sources for the nonscanning channels consisted of a Master Reference Black Body (MRBB), an integrating sphere (ISP), and a solar simulator. Figure 6 shows the ERBE calibration chamber, which is an eight-foot diameter cylinder containing a Master Reference Black Body (MRBB) at one end and an integrating sphere (ISP) on the other end. The solar simulator can project a beam through a quartz window onto an instrument mounted on a carousel in the middle of the chamber. The chamber walls, chilled with liquid nitrogen, were used as a space reference source for scanner calibration.

Each radiometric source was viewed under a variety of conditions which simulated the radiative fields which the instruments would be subjected to in a space environment. Upon viewing each source, the instruments were allowed to reach a steady-state condition, at which time the voltage across the active cavity heater was recorded along with temperatures of the field-of-view limiter and various other instrument components. Additionally, the voltage in the reference cavity heater was set at one of three discrete levels while viewing the radiometric sources in order to increase the dynamic range of the instruments.

The voltage output and surface temperature data from ground calibration runs were used in a multiple regression analysis of Eqs. 2.1 and 2.2 to determine the ground count-conversion equation coefficients for each of the channels.

Inflight count-conversion equations are obtained by multiplying the ground

count- conversion equations with an appropriate configuration factor  $F$ , which relates the radiative flux incident to the primary aperture to that at the field-of-view limiter aperture. These configuration factors are listed in Table 4. The resulting count conversion equations are

$$E_T = A_V V^2 + A_F T_F + A_R V_R^2 + B_T \quad (2.3)$$

and

$$E_{SW} = A_V V^2 + A_F T_F + A_R V_R^2 + A_E E_T + B_{SW} , \quad (2.4)$$

where

$$E_T = F E'_T , \quad (2.5)$$

$$E_{SW} = F E'_{SW} , \quad (2.6)$$

$$A_V = F A'_V , \quad (2.7)$$

$$A_F = F A'_F , \quad (2.8)$$

$$A_E = F A_E' , \quad (2.9)$$

and

$$B_{T,SW} = F(B_{T,SW}' - A_F \bar{T}_{F0}) . \quad (2.10)$$

### 2.3 A Low-Order Physical Model of the Active-Cavity Radiometers

By employing a low-order physical model, theoretical values for the  $A_V$  and  $A_F$  coefficients can be represented by [35,36]

$$A_V = \frac{-1}{\tau_{SW} A_A R \alpha} \quad (2.11)$$

and

$$A_F = - \frac{4\sigma\epsilon F_{CF} \tau_{LW} T_F^3}{F_{CS} \tau_{SW}} , \quad (2.12)$$

where  $\sigma$  is the Stefan-Boltzman constant ( $5.670 \times 10^{-8} \text{ W/m}^2\text{K}^4$ ),  $\epsilon$  is the emissivity of the field-of-view limiter,  $\tau_{LW}$  is the transmissivity of the filter dome to longwave



radiation,  $\tau_{SW}$  is the transmissivity of the filter dome to shortwave radiation,  $T_F$  is the temperature of the field-of-view limiter (K),  $F_{CF}$  is the view factor from the cavity to the field-of-view limiter,  $F_{CS}$  is the view factor from the cavity to the source of the incident thermal radiation,  $A_A$  is the area of the primary aperture ( $m^2$ ),  $R$  is the electrical resistance of the active cavity heater element ( $\Omega$ ), and  $\alpha$  is the effective absorptivity of the cavity. Equations 2.11 and 2.12 assume diffuse radiation and isothermal surfaces.

The offset terms  $B$ , are updated every two weeks by rotating the radiometers to look at onboard calibration sources. Values for the offset terms are obtained by rearranging Eqs. 2.3 and 2.4 to yield

$$B_T = F_{CS} \sigma T_{bb}^4 - A_V V_{bb}^2 - A_F T_F - A_R V_R^2 + B_{MRBB-IBB} \quad (2.13)$$

and

$$B_{SW} = -A_V V_{SWICS}^2 - A_F T_F - A_E E_T - A_R V_R^2, \quad (2.14)$$

where  $T_{bb}$  is the temperature of the blackbody (K),  $V_{bb}$  is the active cavity heater voltage while looking at a blackbody (V),  $V_{SWICS}$  is the active cavity heater voltage when looking at a tungsten lamp (V), and  $B_{MRBB-IBB}$  is the correction term which brings the internal blackbodies into agreement with the Master Reference Black Body (MRBB). Values for the  $B_{MRBB-IBB}$  terms were determined by analyzing the differences in instrument output between the initial inflight Internal Black Body

(IBB) calibrations with previous ground calibrations which used the Master Reference Black Body (MRBB).

A low-order mathematical relationship which describes the interaction of the shortwave filter dome with the incident radiant energy (i.e., the  $A_E$  coefficient) was not determined by the ERBE Science Team; therefore, only an analysis of the  $A_V$  and  $A_F$  coefficients is reported for the visible channels.

Substitution of the physical and optical properties of the radiometers into Eqs. 2.11 and 2.12 results in theoretical values for the coefficients  $A_F$  and  $A_V$ . Calculation of the offset terms  $B$  requires an additional step. Inspection of Eq. 2.13 reveals that a  $B_{MRBB-IBB}$  correction term is included. This correction term was developed using the values for  $A_V$  and  $A_F$  based on a statistical regression of calibration data and not the values used in the low-order physical model; therefore, it must be modified in order to be meaningfully introduced into the model.

The values obtained for the  $A_F$  and  $A_V$  coefficients using this low-order physical model appear in Table 5. Table 5 displays values for the count conversion equation coefficients for the low-order physical model of the radiometers as well as for the values the ERBE science team obtained for these coefficients through statistical regression of calibration data. Chapter 6 discusses how these coefficients were also obtained utilizing the high-level end-to-end numerical models.

The differences in flux obtained using the two sets of coefficients in Table 5

in the count conversion equation are shown in Figures 7 and 8 for the Earth Radiation Budget Satellite (ERBS) wide field-of-view total (WFOVT) and medium field-of-view total (MFOVT) channels, respectively. The fluxes correspond to data from approximately three orbits on April 17, 1985.

Figures 7 and 8 illustrate that the fluxes obtained with the low-order physical model are slightly lower than those corresponding to the statistical regression of ground calibration data. However, the fluxes based on the two sets of coefficients agree well for both channels. Differences of less than 0.5 percent for the wide field-of-view total channel and less than 1.25 percent for the medium field-of-view total channel result. These differences are based on nominal average total irradiances of 310 ( $\text{W}/\text{m}^2$ ) for the wide field-of-view total channel and 150 ( $\text{W}/\text{m}^2$ ) for the medium field-of-view total channel.

## **3.0 An Uncertainty Analysis for an ERBE Active-Cavity Radiometer**

### **3.1 Uncertainty Analysis Methodology**

A benefit of performing an uncertainty analysis is that it allows the experimenter to determine the individual contributions each independent variable makes to the total uncertainty in the system. Description of uncertainties in single-sample experiments is discussed by Kline and McClintock [37]. This statistically based methodology requires that the experimenter know, to the same stated probability, the uncertainty associated with each variable. Under this restriction if  $R(p_1, p_2, \dots, p_n)$  is a linear function of  $n$  independent variables  $p_i$ , the uncertainty of each of which is normally distributed, then the uncertainty in the result,  $\Delta R$ , is

related to the uncertainty in each of the variables,  $\Delta p_i$ , according to

$$\Delta R = \left[ \left( \frac{\partial R}{\partial p_1} \Delta p_1 \right)^2 + \left( \frac{\partial R}{\partial p_2} \Delta p_2 \right)^2 + \dots + \left( \frac{\partial R}{\partial p_n} \Delta p_n \right)^2 \right]^{1/2} . \quad (3.1)$$

It is emphasized that this result holds strictly only as long as  $\Delta p_1$ ,  $\Delta p_2$ , ..., and  $\Delta p_n$  are all known to the same probability.

### 3.2 Application of Uncertainty Analysis Methodology

From Eq. 2.12 it is apparent that the coefficient  $A_F$  is a function of six independent variables,

$$A_F = A_F (F_{CF}, \tau_{LW}, \epsilon, T_F, F_{CS}, \tau_{SW}) . \quad (3.2)$$

Applying the Kline and McClintock uncertainty analysis methodology to  $A_F$  yields

$$\frac{\partial A_F}{\partial F_{CF}} \Delta F_{CF} = \frac{4\sigma\epsilon\tau_{LW}T_F^3}{F_{CS}\tau_{SW}} \Delta F_{CF} , \quad (3.3)$$

$$\frac{\partial A_F}{\partial \tau_{LW}} \Delta \tau_{LW} = \frac{4\sigma\epsilon F_{CF}T_F^3}{F_{CS}\tau_{SW}} \Delta \tau_{LW} , \quad (3.4)$$

$$\frac{\partial A_F}{\partial \epsilon} \Delta \epsilon = \frac{4\sigma F_{CF} \tau_{LW} T_F^3}{F_{CS} \tau_{SW}} \Delta \epsilon , \quad (3.5)$$

$$\frac{\partial A_F}{\partial T_F} \Delta T_F = \frac{12\sigma \epsilon F_{CF} \tau_{LW} T_F^2}{F_{CS} \tau_{SW}} \Delta T_F , \quad (3.6)$$

$$\frac{\partial A_F}{\partial F_{CS}} \Delta F_{CS} = - \frac{4\sigma \epsilon F_{CF} \tau_{LW} T_F^3}{F_{CS}^2 \tau_{SW}} \Delta F_{CS} , \quad (3.7)$$

and

$$\frac{\partial A_F}{\partial \tau_{SW}} \Delta \tau_{SW} = - \frac{4\sigma \epsilon F_{CF} \tau_{LW} T_F^3}{F_{CS} \tau_{SW}^2} \Delta \tau_{SW} . \quad (3.8)$$

For the total channels  $A_F$  is a function of only four independent variables because both transmissivity terms have a value of unity in the absence of a filter dome.

Similarly, from Eq. 2.11 it is apparent that  $A_V$  is a function of four independent variables,

$$A_V = A_V (\tau_{SW}, A_A, R, \alpha) . \quad (3.9)$$

Applying the Kline and McClintock uncertainty analysis methodology to the  $A_V$  term yields

$$\frac{\partial A_V}{\partial \tau_{SW}} \Delta \tau_{SW} = \frac{-1}{(\tau_{SW} A_A R \alpha)^2} A_A R \alpha \Delta \tau_{SW} , \quad (3.10)$$

$$\frac{\partial A_V}{\partial A_A} \Delta A_A = \frac{-1}{(\tau_{SW} A_A R \alpha)^2} \tau_{SW} R \alpha \Delta A_A , \quad (3.11)$$

$$\frac{\partial A_V}{\partial R} \Delta R = \frac{-1}{(\tau_{SW} A_A R \alpha)^2} \tau_{SW} A_A \alpha \Delta R , \quad (3.12)$$

and

$$\frac{\partial A_V}{\partial \alpha} \Delta \alpha = \frac{-1}{(\tau_{SW} A_A R \alpha)^2} \tau_{SW} A_A R \Delta \alpha . \quad (3.13)$$

For the total channels  $A_V$  is a function of only three independent variables because the transmissivity has a value of unity in the absence of a filter dome.

Likewise, from Eq. 2.13 it is apparent that the total channel offset term,  $B_T$ , is

a function of six independent variables,

$$B_T = B_T (F_{CS}, T_{bb}, A_V, V_{bb}, A_F, T_F) . \quad (3.14)$$

Applying the Kline and McClintock uncertainty analysis methodology to this term yields

$$\frac{\partial B_T}{\partial F_{CS}} \Delta F_{CS} = \sigma T_{bb}^4 \Delta F_{CS} , \quad (3.15)$$

$$\frac{\partial B_T}{\partial T_{bb}} \Delta T_{bb} = 4 F_{CS} \sigma T_{bb}^3 \Delta T_{bb} , \quad (3.16)$$

$$\frac{\partial B_T}{\partial A_V} = V_{bb}^2 \Delta A_V , \quad (3.17)$$

$$\frac{\partial B_T}{\partial V_{bb}} \Delta V_{bb} = 2 A_V V_{bb} \Delta V_{bb} , \quad (3.18)$$



$$\frac{\partial B_T}{\partial A_F} \Delta A_F = T_F \Delta A_F , \quad (3.19)$$

and

$$\frac{\partial B_T}{\partial T_F} \Delta T_F = A_F \Delta T_F . \quad (3.20)$$

The visible channel offset term,  $B_{sw}$ , is not treated here because a physical model of the  $A_E$  term is not available.

The uncertainties associated with the above coefficients and offset terms are obtained upon substituting the terms based on Eqs. 3.3 through 3.8, 3.10 through 3.13, and 3.15 through 3.20 into equations of the form of Eq. 3.1. Table 6 displays the uncertainties of the count conversion equation coefficients for each of the four ERBS nonscanning radiometric channels.

A benefit of the Kline and McClintock methodology of uncertainty analysis is that it allows the experimenter to determine the individual contributions each variable makes to the total uncertainty in the result,  $\Delta R$ . Tables 7 and 8 display the contributions to the total uncertainties in  $A_F$  and  $A_V$  made by each independent variable in the theoretical (low-order model) relations, Eqs. 2.11 and 2.12, representing  $A_F$  and  $A_V$ , respectively. Results are displayed for each channel. Table 9 displays the contributions to uncertainty in  $B_T$  by each independent

variable in Eq. 3.14. Discussion of the results in these tables is deferred until Chapter 6, where they are discussed in detail.

## 4.0 High-Order Radiative Analysis of the ERBE Nonscanning Channels

### 4.1 The Monochromatic Distribution Factor, $D_{ijk}$

The monochromatic distribution factor  $D_{ijk}$  is defined as the fraction of energy emitted from surface or volume element  $i$  in wavelength interval  $k$  which is absorbed by surface or volume element  $j$ . The distribution factor includes direct radiation from  $i$  to  $j$  as well as all possible diffuse and specular reflections and refraction through the filter dome.

Following this definition, the power absorbed by surface or volume element  $j$ , due to emission from surface element  $i$ , in the wavelength interval  $k$ , is given simply by

$$Q_{ijk} = \epsilon_i A_i e_{b,\Delta\lambda_k}(\Delta\lambda_k, T_i) D_{ijk} , \quad (4.1)$$

where  $\epsilon_i$ ,  $A_i$ , and  $T_i$  are the emissivity, surface area and temperature of element  $i$ , and  $e_{b,\Delta\lambda}$  is the emissive power of element  $i$  in wavelength interval  $k$ .

Similarly, the power absorbed by surface or volume element  $j$ , due to diffuse emission from volume element  $i$ , in the wavelength interval  $k$ , is given as

$$Q_{ijk} = 4\kappa_{\Delta\lambda_k} V_i e_{b,\Delta\lambda_k}(\Delta\lambda_k, T_i) D_{ijk} , \quad (4.2)$$

where  $V_i$  and  $T_i$  are the volume and temperature of element  $i$ ,  $\kappa_{\Delta\lambda_k}$  is the monochromatic absorption coefficient in wavelength interval  $k$  of element  $i$ , and  $e_{b,\Delta\lambda}$  is the emissive power of volume element  $i$  in wavelength interval  $k$ . Equation 4.2 is independent of the element's optical depth, because this has already been considered in computing  $D_{ijk}$ .

The emissive power  $e_{b,\Delta\lambda}$  of an element in a given wavelength interval is found by integrating Planck's blackbody radiation distribution function over the wavelength band of interest,

$$e_{b,\Delta\lambda_k} = \int_{\lambda_1}^{\lambda_2} \frac{2\pi C_1}{\lambda^5 (e^{C_2/\lambda T} - 1)} d\lambda , \quad (4.3)$$

where  $C_1$  and  $C_2$  are physical constants and  $T$  is the temperature of the element.

Finally, the total power absorbed by surface or volume element  $j$  due to

emission from surface or volume element  $i$  is given by

$$Q_{ij} = \sum_k Q_{ijk} , \quad (4.4)$$

where the summation is over the wavelength bands of interest. Note that the analysis implies the need for a separate monochromatic distribution factor matrix for each wavelength interval  $k$ .

Three simple properties of monochromatic distribution factors exist which may be used to reduce the time and effort required for their calculation. They are

$$\sum_{i=1}^n D_{ijk} = 1.0, \quad j = 1,2,\dots,n , \quad (4.5)$$

$$\epsilon_i A_i D_{ijk} = \epsilon_j A_j D_{ijk}, \quad i = 1,2,\dots,n, \quad j = 1,2,\dots,n , \quad (4.6)$$

and

$$\sum_{i=1}^n \epsilon_i A_i D_{ijk} = \epsilon_j A_j, \quad j = 1,2,\dots,n . \quad (4.7)$$

Equation 4.5 is a statement of conservation of energy, while Eq. 4.6 expresses a

reciprocity relationship. Equation 4.7 is a combination of Eqs. 4.5 and 4.6 obtained by summing Eq. 4.5 over  $i$  and applying Eq. 4.6 to the result. Equation 4.7 may be rearranged to represent the error in the distribution factors between each surface of the enclosure,

$$\text{percent error} = \left[ 1 - \frac{\sum_{i=1}^n \epsilon_i A_i D_{ijk}}{\epsilon_j A_j} \right] \times 100, \quad j = 1, 2, \dots, n. \quad (4.8)$$

As the number of energy bundles emitted from each surface increases, the monochromatic distribution factors converge to their proper values, and the right hand side of Eq. 4.8 approaches zero.

## 4.2 Determination of Monochromatic Distribution Factors

The Monte-Carlo ray-trace method is used to compute the distribution of monochromatic radiation within the radiometer enclosure. The basic assumptions allowing the use of this method are that thermal radiation transport between two elements may be assumed to occur in discrete energy bundles, and that the laws of chance may be used to determine the disposition of each energy bundle as it

interacts with an element.

The enclosure specified by the field-of-view limiter aperture and walls, the substrate, and the cavity (i.e., cone and cylinder) is subdivided into surface elements whose absorptivities, specularities, and temperatures are specified. In addition, the filter dome is subdivided into volume elements with known temperatures and transmissivities. Millions of energy bundles are then allowed to enter the enclosure through the field-of-view limiter aperture with directional and spatial distribution dependent upon the nature of the source field being simulated. Millions of energy bundles are also diffusely emitted from the field-of-view limiter walls, the substrate, the primary aperture, the cavity, and from the volume elements describing the filter dome. The path of each bundle is traced through the radiometer as it is reflected from, and transmitted through, the various surface and volume elements until it is eventually absorbed or exits through the field-of-view limiter aperture.

The procedure for determining the monochromatic distribution factors for axially symmetric enclosures is outlined below.

### **Step 1. Location and Direction of Emission**

For diffuse emission, emission locations must be uniformly distributed over an element's surface or throughout its volume. For a hemispherical surface element, such as on the field-of-view limiter, the distribution of emission points

along the z-direction is found from

$$z = r(1 - \sqrt{R_\theta}) , \quad (4.9)$$

where  $z$  is measured from the origin of the hemisphere,  $r$  is the radius of the hemisphere and  $R_\theta$  is a random number uniformly distributed between zero and one. For cylindrical surface elements, such as on the cylinder portion of the cavity, the  $z$ -coordinate of emission is found from

$$z = z_0 + R_z \Delta z , \quad (4.10)$$

where  $z_0$  is the  $z$ -coordinate of the lowest edge of the element,  $\Delta z$  is the element height, and  $R_z$  is a random number uniformly distributed between zero and one. For an element of a horizontal disk, such as on the primary aperture and substrate, the  $z$ -coordinate is a constant value determined by the geometry. In this case uniform distribution of emission locations is a function of radius. The emission radius is found from

$$r = r_0 + \sqrt{R_r} \Delta r , \quad (4.11)$$

where  $r_0$  is the inner radius of the element,  $R_r$  is a uniformly distributed random number between zero and one, and  $\Delta r$  is the difference between the inner and outer radii of the element. For elements of a conical surface, such as on the



cavity, uniform distribution of emission points is also a function of radius, and the radial location of emission is found using Eq. 4.11. Once this radius is determined, the z-coordinate, measured from the vertex of the cone is determined by

$$z = \frac{\tan \theta}{r} , \quad (4.12)$$

where  $\theta$  is the cone angle and  $r$  is the radius determined by Eq. 4.11. For hemispherical volume elements such as those in the filter dome, the radial emission location must first be determined using Eq. 4.11. The z-coordinate is then determined using Eq. 4.9.

Having found either the z-coordinate or radius, the azimuthal location of emission is found from

$$\phi = \Pi R_{\phi} , \quad (4.13)$$

where  $\Pi$  is the included azimuthal angle of the element in question, and  $R_{\phi}$  is a uniformly distributed random number between zero and one.

Once the emission location has been determined, the emission direction is found. The direction is determined by the equations

$$\theta = \sin^{-1} \sqrt{R_{\theta}} \quad (4.14)$$

and

$$\phi = 2\pi R_\phi, \quad (4.15)$$

where  $R_\theta$  and  $R_\phi$  are uniformly distributed random numbers between zero and one,  $\theta$  is the angle between the local surface normal and the emission direction, and  $\phi$  is the angle between the local surface tangent and the emission direction. These two angles ( $\theta, \phi$ ) are then used to find the emission direction cosines. For volume elements an additional random number is used to determine into which of the two hemispheres the energy bundle is emitted.

## **Step 2. Determination of Intersection Points**

With known direction cosines assigned to the energy bundle, the possible intersections it makes with the mathematical surfaces of the enclosure are easily determined. The equation which describes the path of the energy bundle is

$$\frac{x_2 - x_1}{l} = \frac{y_2 - y_1}{m} = \frac{z_2 - z_1}{n}, \quad (4.16)$$

where  $(x_1, y_1, z_1)$  are the coordinates of the emission point;  $l, m$  and  $n$  are the emission direction cosines; and  $(x_2, y_2, z_2)$  is the point of intersection of the energy bundle's path with another surface of the enclosure. Possible intersections are found by solving Eq. 4.16 in conjunction with the mathematical relations describing the enclosure surfaces. Several possible intersection points are obtained for each

curved surface, the number depending on the geometrical complexity of the surface. Only one possible intersection point exists for each planar surface of the enclosure. Those points which are physically impossible, either due to blockage, or due to limits of the actual geometry not reflected in the mathematical surface equations, are discarded. Of the remaining points, the nearest one to the emission location is chosen as the point of intersection.

### **Step 3. Absorption, Reflection, or Transmission?**

In general, once an energy bundle intersects a surface, one of four events can occur: the bundle can be absorbed, it can be reflected specularly or diffusely, or it can be transmitted. These possible events may be seen in Figures 9 and 10. In the current work, for an intersection point not on the filter dome, the bundle will either be absorbed or reflected. In order to determine whether the bundle is absorbed, a uniformly distributed random number between zero and one is drawn and compared to the known surface absorptivity. If the random number is less than the surface absorptivity, the bundle is absorbed by the element and is recorded by a counter. At this stage the ray trace would be complete and one would return to Step 1 and emit a new bundle. If the random number is less than the known surface absorptivity, the bundle is reflected.

To determine the type of reflection, a uniformly distributed random number is obtained and compared to the reflectivity ratio,  $R$ , defined

$$R = \frac{\rho^s}{\rho^s + \rho^d} . \quad (4.17)$$

The reflectivity ratio may be thought of as the probability that a reflection will be specular. If the random number is less than  $R$ , the bundle undergoes a specular reflection as described in Step 4; otherwise a diffuse reflection occurs. Diffuse reflections are treated as diffuse emission described in Step 2.

If the intersection point occurs on the filter dome, then the possibility of transmission must also be considered. In the current effort, filtering in the dome is assumed to work by absorption; that is, reflections occur only when the angle between the incident energy bundle and the local surface normal are larger than the Brewster angle,  $\theta_b$ . The Brewster angle is defined as

$$\theta_b = \tan^{-1} \frac{n_0}{n_1} , \quad (4.18)$$

where  $n_0$  is the index of refraction of a vacuum and  $n_1$  is the index of refraction of the filter dome material. Bundles whose incident angles are larger than the Brewster angle are assumed to be specularly reflected as described in Step 4.

For bundles that are not reflected, refraction in the filter dome is modeled according to Snell's law,

$$\frac{\sin(\theta_1)}{\sin(\theta_2)} = \frac{n_2}{n_1}, \quad (4.19)$$

where  $\theta_1$  and  $\theta_2$  are the angles incident and refracted beams make with the normal to the interface between two media having refractive indices of  $n_1$  and  $n_2$ .

When an energy bundle in wavelength interval  $k$  enters a volume element in the filter dome, a uniformly distributed random number between zero and one is drawn and set equal to

$$P[\kappa_\lambda(\lambda)d] = 1.0 - \exp[-\kappa_\lambda(\lambda)d], \quad (4.20)$$

where  $P[\kappa_\lambda(\lambda)d]$  is the probability that the ray will be absorbed after travelling a distance  $d$  through a medium whose monochromatic absorption coefficient is  $\kappa_\lambda(\lambda)$ . Equation 4.20 is solved for  $d$  and this distance is compared to the path length  $l$  through the volume element that the ray would follow if it were not absorbed. If the distance  $d$  is greater than or equal to the path length  $l$ , the ray passes through the volume element without being absorbed. If on the other hand  $d$  is less than  $l$ , the ray will be absorbed in the dome volume element at a location determined by the value of  $d$ .

#### **Step 4. Specular Reflection**

The direction of specular reflection is determined by two criteria. The first

states that the angles between the local surface normal and the paths of the incident and reflected energy bundle be equal. The second criteria requires that the incident path, the local surface normal, and the reflected path be planar. Mathematically these requirements may be stated as

$$\overline{U}_2 = \overline{U}_1 - 2(\overline{U}_1 \cdot \overline{n})\overline{n} , \quad (4.21)$$

where  $\mathbf{U}_1$  is the vector representing the incident energy bundle,  $\mathbf{U}_2$  is the vector representing the reflected energy bundle, and  $\mathbf{n}$  is the local unit normal vector. At this point, one would return to Step 2 and continue through the steps until the bundle is absorbed.

These steps are repeated until a sufficiently large number of energy bundles  $N_i$  are emitted from each surface  $i$ , in each wavelength interval  $k$ , to correctly characterize the radiative exchange within the enclosure. Once enough energy bundles have been emitted, the monochromatic distribution factors are calculated as

$$D_{ijk} = \frac{N_{ijk}}{N_{ik}} , \quad (4.22)$$

where  $N_{ijk}$  is the number of bundles emitted by element  $i$  which are absorbed by element  $j$  in wavelength interval  $k$ , and  $N_{ik}$  is the number of energy bundles emitted by element  $i$ , in wavelength interval  $k$ .

## 5.0 Model Formulation

### 5.1 Introduction

The development of equations which govern the transient electrical and radiative heating of the active-cavity radiometer in the completed end-to-end model are described in this chapter. These developments were originally presented by Tira [19]. The geometry of the end-to-end model is significantly more complex than that used by Tira, and as a consequence, equations describing radiative heating of the active cavity are correspondingly more complex. In addition, Tira's development had the resistors in the bridge circuit shown in Table 5(b) located on the wrong legs. Fortunately, this error did not affect his analysis, however, because he assumed that the reference cavity was maintained at the heat sink temperature.

## 5.2 Overview

The completed end-to-end model includes a transient two-dimensional finite-element characterization of the electrothermal behavior of the active cavity for all channels, along with a three-dimensional transient finite-difference model of heat conduction in the filter dome included for the visible channels. The radiative boundary conditions for both models are obtained using a Monte-Carlo ray-trace analysis, as described in Chapter 4. An assumption which was made in the analysis was that the values specified for the surface emissivities were constant and equivalent to the surface absorptivities over all wavelength intervals. That is, all surfaces are considered to be gray. While probably a good assumption for the black surfaces, and especially those in the cavity, this is of questionable validity for the polished aluminum surfaces for visible radiation.

The current model consists of 220 surface elements describing the internal surfaces of the instrument, 100 of which describe the surfaces of the cavity which can receive incident radiation, one surface element characterizing the plane of the field-of-view limiter aperture, and 60 volume elements which characterize the filter dome. A complete characterization of the surface and volume elements is given in Table 10.

This distribution of surface and volume elements was chosen with reference to the work done by Tira [19] and Haeffelin [39]. Tira showed that 100



surface elements was the optimal number to describe the electrothermal behavior of the cavity. This configuration includes ten azimuthal divisions, six axial divisions on the cone, and four on the cylinder. Haeffelin found that eight azimuthal divisions were sufficient to accurately represent the optical front end of the instrument; however, in order to maintain geometrical continuity, ten azimuthal divisions are used throughout the model.

Both the finite-element and finite-difference implementations are described in detail elsewhere [19,20,28]. The rest of this chapter deals with the numerical description of radiative power incident to the surfaces of the active cavity.

### **5.3 Radiative Heating of the Active Cavity**

Radiation entering the active cavity emanates from either an instrument surface or from a body external to the instrument. While the spatial distribution of radiation emitted from instrument surfaces is constant, the spatial distribution of radiation from external bodies may vary with time. This requires that a new distribution factor matrix be computed each time the directional emissive properties of the external source change.

The net radiative input for the cavity,  $Q_{rad}$ , is the sum of the net radiative inputs,  $Q_{rad,j}$ , for each element  $j$  in the active cavity. The net radiative input for each element  $j$ , is equal to the difference between the power absorbed,  $Q_{rad,j}^a$ , and

the power emitted,  $Q_{\text{rad}_j}^e$ , by that element, or

$$Q_{\text{rad}_j} = Q_{\text{rad}_j}^a - Q_{\text{rad}_j}^e . \quad (5.1)$$

The power absorbed by element  $j$ ,  $Q_{\text{rad}_j}^a$  includes radiation emitted from all elements in the model geometry which is absorbed by element  $j$ . For the total channels,  $Q_{\text{rad}_j}^a$  is

$$Q_{\text{rad}_j}^a = Q_{\text{scene}_j} + Q_{\text{fovl}_j} + Q_{\text{sub}_j} + Q_{\text{ring}_j} + Q_{\text{pa}_j} + Q_{\text{cav}_j} , \quad (5.2)$$

and for the visible channels

$$Q_{\text{rad}_j}^a = Q_{\text{scene}_j} + Q_{\text{fovl}_j} + Q_{\text{sub}_j} + Q_{\text{dome}_j} + Q_{\text{pa}_j} + Q_{\text{cav}_j} , \quad (5.3)$$

where,  $Q_{\text{scene}_j}$  is the power absorbed from the scene,  $Q_{\text{fovl}_j}$  is the power absorbed from the field-of-view limiter,  $Q_{\text{sub}_j}$  is the power absorbed from the substrate,  $Q_{\text{ring}_j}$  is the power absorbed from the ring which links the primary aperture to the substrate,  $Q_{\text{dome}_j}$  is the power absorbed from the filter dome,  $Q_{\text{pa}_j}$  is the power absorbed from the primary aperture, and  $Q_{\text{cav}_j}$  is the power absorbed from all cavity elements.

These absorbed powers are calculated using

$$Q_j = \sum_{i=1}^n \sum_{k=1}^m \epsilon_i A_i e_{b,\Delta\lambda_k}(\Delta\lambda_k, T_i) D_{ijk} \quad (5.4)$$

for surface elements, and

$$Q_j = \sum_{i=1}^n \sum_{k=1}^m 4\kappa_{\Delta\lambda_k} V_i e_{b,\Delta\lambda_k}(\Delta\lambda_k, T_i) D_{ijk} \quad (5.5)$$

for volume elements. In Eqs. 5.4 and 5.5 the subscript  $k$  refers to wavelength interval  $\Delta\lambda_k$ , the subscript  $i$  refers to surface element  $i$ ,  $\epsilon_i$  is the emissivity of surface element  $i$ ,  $A_i$  is the surface area of surface element  $i$ ,  $V_i$  is the volume of volume element  $i$ ,  $e_{b,\Delta\lambda}$  is the emissive power of volume or surface element  $i$  in wavelength interval  $k$ ,  $\kappa_{\Delta\lambda k}$  is the monochromatic absorption coefficient of volume element  $i$  in wavelength interval  $k$ , and  $D_{ijk}$  is the monochromatic distribution factor from element  $i$  to element  $j$  in wavelength interval  $k$ .

Cavity element  $j$  emits radiation to its surroundings in wavelength interval  $\Delta\lambda_k$  according to

$$Q_{radj}^e = \epsilon_j A_j e_{b,\Delta\lambda_k}(\Delta\lambda_k, T_j) , \quad (5.6)$$

where  $\epsilon_j$  is the emissivity of surface element  $j$ ,  $A_j$  is the surface area of surface

element  $j$ , and  $e_{b,\Delta\lambda}$  is the emissive power of element  $j$  in wavelength interval  $k$ .

The volumetric generation within each cavity element  $j$ ,  $G_j$ , is obtained by substituting Eqs. 5.4, 5.5 and 5.6 into Eqs. 5.2 and 5.3 and dividing by the volume of cavity element  $j$ ,  $V_j = A_j \delta$ , where  $\delta$  is the element thickness. These substitutions yield

$$\begin{aligned}
 G_{\text{rad}_j} = & \frac{1}{A_j \delta} \left( \sum_{i=1}^n \sum_{k=1}^n \epsilon_i A_i e_{b,\Delta\lambda_k} D_{ijk} \right)_{\text{scene}_j} + \frac{1}{A_j \delta} \left( \sum_{i=1}^n \sum_{k=1}^k \epsilon_i A_i e_{b,\Delta\lambda_k} D_{ijk} \right)_{\text{fovl}_j} + \\
 & \frac{1}{A_j \delta} \left( \sum_{i=1}^n \sum_{k=1}^m \epsilon_i A_i e_{b,\Delta\lambda_k} D_{ijk} \right)_{\text{sub}_j} + \frac{1}{A_j \delta} \left( \sum_{i=1}^n \sum_{k=1}^m \epsilon_i A_i e_{b,\Delta\lambda_k} D_{ijk} \right)_{\text{ring}_j} + \\
 & \frac{1}{A_j \delta} \left( \sum_{i=1}^n \sum_{k=1}^m \epsilon_i A_i e_{b,\Delta\lambda_k} D_{ijk} \right)_{\text{pa}_j} + \frac{1}{A_j \delta} \left( \sum_{i=1}^n \sum_{k=1}^m \epsilon_i A_i e_{b,\Delta\lambda_k} D_{ijk} \right)_{\text{cav}_j} - \\
 & \frac{1}{A_j \delta} (\epsilon_j A_j e_{b,\Delta\lambda_k})_{\text{cav}_j} \tag{5.7}
 \end{aligned}$$

for the total channels, and

$$\begin{aligned}
 G_{\text{rad}_j} = & \frac{1}{A_j \delta} \left( \sum_{i=1}^n \sum_{k=1}^n \epsilon_i A_i e_{b,\Delta\lambda_k} D_{ijk} \right)_{\text{scene}_j} + \frac{1}{A_j \delta} \left( \sum_{i=1}^n \sum_{k=1}^k \epsilon_i A_i e_{b,\Delta\lambda_k} D_{ijk} \right)_{\text{fovl}_j} + \\
 & \frac{1}{A_j \delta} \left( \sum_{i=1}^n \sum_{k=1}^m \epsilon_i A_i e_{b,\Delta\lambda_k} D_{ijk} \right)_{\text{sub}_j} + \frac{1}{A_j \delta} \left( \sum_{i=1}^n \sum_{k=1}^m 4\kappa_{\Delta\lambda_k} V_i e_{b,\Delta\lambda_k} D_{ijk} \right)_{\text{dome}_j} +
 \end{aligned}$$

$$\frac{1}{A_j \delta} \left( \sum_{i=1}^n \sum_{k=1}^m \epsilon_i A_i e_{b,\Delta\lambda_k} D_{ijk} \right)_{pa_j} + \frac{1}{A_j \delta} \left( \sum_{i=1}^n \sum_{k=1}^m \epsilon_i A_i e_{b,\Delta\lambda_k} D_{ijk} \right)_{cav_j} - \frac{1}{A_j \delta} (\epsilon_j A_j e_{b,\Delta\lambda_k})_{cav_j} \quad (5.8)$$

for the visible channels.

#### 5.4 Electrical Heating of the Active Cavity

Fine wire electrical heaters are wound around the outside surfaces of both the active and reference cavities, as shown in Figure 4. It is assumed that heat generated by these wires is transferred entirely to the cavity walls. The resistance temperature detector (RTD), also a fine wire, is wound around the thermal impedance sleeve near its junction with the coupling ring, as shown in Figure 4. Two of the four arms of the deflection bridge shown in Figure 5(a) are fixed resistors ( $R_3$  and  $R_4$ ). A third arm is the RTD associated with the reference cavity ( $R_2$ ). During normal Earth viewing, the voltage in the reference cavity is set equal to zero, and thus the temperature of the reference cavity and its RTD closely follow that of the heat sink. During ground, internal, and solar calibrations the voltage in the reference cavity is set at one of three discrete levels. This nonzero voltage raises the temperature of the reference cavity, and ultimately the

resistance of this arm of the bridge.

The temperature of the fourth arm, which is that of the active cavity RTD ( $R_1$ ), is not uniform around the thermal impedance since the cavity itself is not at a completely uniform temperature. However, this nonuniformity is on the order of something less than one degree kelvin. The temperature variation at the location of the RTD would be much smaller. Consequently, in the finite element analysis, the RTD is assumed to take the average temperature of the band of elements around the thermal impedance at that axial location.

The output voltage of the deflection bridge can be shown to be given by

$$V_1 = V_0 \left[ \frac{R_1}{R_1 + R_2} - \frac{R_3}{R_3 + R_4} \right], \quad (5.9)$$

where  $V_0$  is the bridge supply voltage,  $R_1$  is the active cavity RTD resistance,  $R_2$  is the reference cavity RTD resistance, and  $R_3$  and  $R_4$  are the two fixed resistances.

At the equilibrium condition,

$$R_1 = R + \Delta R_1 \quad (5.10)$$

and

$$R_2 = R + \Delta R_2 , \quad (5.11)$$

where  $R$  ( $= R_3 = R_4$ ) is the resistance of the active cavity RTD which would produce a zero bridge deflection. The quantity  $\Delta R_1$  is always greater than zero because the temperature of the active RTD is controlled to be higher than that of the reference cavity RTD. When the amount of radiation incident to the active cavity changes, the cavity adopts a new temperature distribution, and the average temperature of the RTD changes accordingly. This in turn causes the value of  $\Delta R_1$  to change. The other resistances remain constant at  $R$ . Substituting Eqs. 5.10 and 5.11 into Eq. 5.9 and taking into account the small values of  $\Delta R_1$  and  $\Delta R_2$  which permit the result to be linearized, the expression for the output voltage becomes

$$V_1 = \frac{V_0}{4} \left[ \frac{\Delta R_1 - \Delta R_2}{R} \right] , \quad (5.12)$$

or directly in terms of  $R_1$  and  $R_2$ ,

$$V_1 = \frac{V_0}{4} \left[ \frac{R_1 - R_2}{R} \right] . \quad (5.13)$$

The resistances of the RTD's are assumed to vary linearly with temperature; therefore, they can be expressed by

$$R_1 = R[1 + \alpha(T_1 - T_{hs})] \quad (5.14)$$

and

$$R_2 = R[1 + \alpha(T_2 - T_{hs})] , \quad (5.15)$$

where  $\alpha$  is the resistance-temperature coefficient of the RTD and  $T_1$ ,  $T_2$  and  $T_{hs}$  are the temperatures of the active and reference RTD's and the heatsink, respectively. Substitution of Eqs. 5.14 and 5.15 into Eq. 5.13 gives the output voltage in terms of the temperatures,

$$V_1 = \frac{\alpha}{4} V_0 [T_1 - T_2] . \quad (5.16)$$

Note that  $T_1$  is always maintained higher than  $T_2$ , so that  $V_1$  is never zero. The input voltage to the circuit integrator is the difference between the output voltage of the bridge  $V_1$  and the bias voltage  $V_b$ . The integrator processes this voltage difference to give an output voltage  $V_2$ , which is the energizing voltage for the electric heater wrapped around the active cavity. The output voltage of the circuit as a function of time can be expressed by the differential equation



$$\frac{dV_2}{dt} = \frac{V_b - V_1}{\tau}, \quad (5.17)$$

where  $\tau$  is the electrical time constant,  $\tau = R_c C_c$ . Upon substitution for  $V_1$  from Eq. 5.16, Eq. 5.17 becomes

$$\frac{dV_2}{dt} = \frac{V_b}{\tau} - \frac{\alpha}{4\tau} V_0 (T_1 - T_2). \quad (5.18)$$

For steady-state conditions with a specified temperature drop  $\Delta T$  between the active and reference RTD's, the right hand side of Eq. 5.18 is zero, which gives for the bias voltage

$$V_b = \frac{\alpha}{4} V_0 \Delta T. \quad (5.19)$$

Using Eq. 5.19 to eliminate  $V_b$  from Eq. 5.18, yields

$$\frac{dV_2}{dt} = \frac{\alpha}{4\tau} V_0 [\Delta T + (T_2 - T_1)]. \quad (5.20)$$

The values of  $V_2$  at two consecutive time steps  $n$  and  $n+1$  can then be

estimated as

$$V_2^{n+1} = V_2^n + \Delta t \frac{\alpha}{4\tau} V_0 [\Delta T + (T_2 - T_1)] . \quad (5.21)$$

The heater power input  $Q_{\text{elec}}$  is given by

$$Q_{\text{elec}} = \frac{V_2^2}{R_{\text{hw}}} , \quad (5.22)$$

where  $R_{\text{hw}}$  is the resistance of the heater wire.

The volumetric heat generation in each surface element  $j$  covered by the heater wire is given by

$$G_{\text{elec}_j} = \frac{Q_{\text{elec}}}{A_{\text{hw}} \delta} , \quad (5.23)$$

where  $A_{\text{hw}}$  is the total area of the cavity covered by the heater wire and  $\delta$  is the thickness of the cavity material. In terms of the heater voltage  $G_{\text{elec}_j}$  is expressed by

$$G_{\text{elec}_j} = \frac{V_2^2}{R_{\text{hw}} A_{\text{hw}} \delta} . \quad (5.24)$$

An expression for the volumetric heat generation at time step  $n+1$  may be obtained by substituting Eq. 5.21 into Eq. 5.24, giving

$$G_{\text{elec}_j}^{n+1} = \frac{1}{R_{\text{hw}} A_{\text{hw}} \delta} \left( V_2^n + \Delta t \frac{\alpha}{4\tau} V_0 [\Delta T + (T_2 - T_1)] \right)^2. \quad (5.25)$$

As expected, for steady-state conditions Eq. 5.25 reduces to

$$G_{\text{elec}_j} = \frac{V_2^2}{R_{\text{hw}} A_{\text{hw}} \delta}. \quad (5.26)$$

## **6.0 Results and Discussion**

### **6.1 Calibration of the End-to-End Model**

Calibration of the end-to-end model for the various channels was conducted by spectrally specifying radiative fluxes of sources located in the plane of the field-of-view limiter aperture. The magnitudes of these diffuse radiative source fields were specified along with their blackbody temperatures. Specification of the blackbody temperatures allows the spectral distribution of the radiative flux to be determined from Planck's blackbody radiation distribution function, as described in Chapter 4. Additionally, temperatures were specified for the field-of-view limiter, substrate, and primary aperture surface elements, and calculated for the cavity surface elements and filter dome volume elements. Knowledge of these temperatures allows the determination of both the magnitude and spectral

distribution of power emitted from all instrument surfaces. For the visible channels, temperatures of the filter dome elements were obtained from Haeffelin's [28] thermal diffusion code. Finally, the reference cavity heater voltage was set at one of three discrete levels in order to increase the dynamic range of the sensors. The temperatures and radiative fluxes used in the simulated calibrations were obtained from actual ground calibrations run conducted by TRW [35]. Values are given in Tables 11 through 14.

For each simulation, the filter dome thermal diffusion code was first allowed to reach a steady-state condition. The resulting steady-state temperatures of the filter dome volume elements were then used in the electrothermal cavity model. Once the cavity model reached a steady-state condition, the calculated voltage in the active-cavity heater wire was recorded. These voltage values were used in conjunction with the corresponding field-of-view limiter temperatures to determine the ground count-conversion equation coefficients in Eqs. 2.1 and 2.2.

In performing these calibration simulations, two assumptions are made. The first is that the field-of-view limiter, substrate, and primary aperture are isothermal over the time period of the simulations. The second assumption is that the source fields may be modeled as a diffuse source located in the plane of the field-of-view limiter aperture.

During these simulations it was determined that the response of the detector was very sensitive to the thickness of the cavity walls. The manufacturing

tolerance on the cavity thickness is quite large relative to its stated nominal value, that is  $0.0635 \pm 0.0254$  mm. The cavity thickness used in the model was adjusted within this tolerance to fine tune the model's response. The cavity thickness was varied until the steady-state response of the end-to-end model agreed with that of the actual instrument. The thickness variations used are all on the order of one-half or less of the stated tolerance. Final values for cavity thicknesses used in the model are given in Table 15.

The voltage outputs of the actual instruments, the voltage outputs of the end-to-end models, and the differences between the two outputs for each calibration run are given in Tables 16 through 19. Figures 11 through 14 display the voltage output of the wide and medium, total and visible channel end-to-end models during simulated ground calibrations as a function of both the magnitude of the incident radiation and the reference cavity heater voltage. The voltage output of the visible channel models is further subdivided according to the spectral distribution of the specified incident radiative flux. Defining the overall gains of these models as the slopes of the best-fit lines correlating the data in Figures 9 through 12, or

$$\text{Gain} = \frac{\Delta V_{\text{out}}}{\Delta \text{Flux}_{\text{in}}}, \quad (6.1)$$

allows a direct comparison between the end-to-end models and the actual instruments. In certain cases there are only two data points, and so the best fit line is "perfect" in these cases. The calculated gains of the actual instruments and end-to-end models as a function of reference cavity heater voltage are shown in Table 20. Voltage outputs of the actual shortwave channel radiometers when subjected to longwave radiometric calibration sources (i.e. the MRBB) have not been obtained; therefore gains for the shortwave channel radiometers are not presented for longwave sources. Inspection of Table 20 shows that the differences between the instrument and model gains for normal Earth viewing (i.e. the voltage across the reference heater is set to zero) are small, 1.18 and 1.88 percent for the wide field-of-view total and visible channels, respectively, and 5.16 and 4.44 percent for the medium field-of-view total and visible channels, respectively.

Application of a multiple regression analysis to Eqs. 2.1 and 2.2 yields statistically based ground count-conversion coefficients. The results of such an analysis appear in Table 21, which displays the ground count conversion equations determined by the ERBE Science Team (EST) as well as those determined by the current end-to-end model (MODEL). The  $A_V'$ ,  $A_R'$ ,  $B_T'$  and  $B_{SW}'$  coefficients obtained with the end-to-end models agree well with the coefficients obtained during actual ground calibrations of the instruments. Tables 22 through 25 display the specified radiative fluxes emitted by the simulated radiometric calibration source, located in the plane of the field-of-view limiter aperture, during the calibration simulations, the

radiative fluxes measured by the end-to-end models during the calibration simulations, and the differences between the specified and measured fluxes. The fluxes measured by the wide field-of-view models agree with the known fluxes within an average percent difference of -0.0025 and 0.0207 percent for the total and visible channels, respectively. The fluxes measured by the medium field-of-view models agree with the known fluxes within an average percent difference of -0.006 and 0.0085 percent for the total and visible channels, respectively. Agreement is better for the wide field-of-view total channel, as expected, since the medium field-of-view channels view a considerable portion of the field-of-view limiter walls, introducing more possibility for modelling error because of the isothermal field-of-view limiter assumption.

## **6.2 Comparison of Inflight Count-Conversion Equation Coefficients**

Table 26 displays the inflight count conversion coefficients  $A_F$  and  $A_V$  determined by three methods: the low-order radiative model, the end-to-end model, and ground calibration by the ERBE science team. The three methods of calculating the  $A_V$  coefficient agree to within four percent for the wide field-of-view channels and seven percent for the medium field-of-view channels. Agreement for the  $A_F$  coefficient is not as good. An ideal application of a multiple regression analysis to Eqs. 2.1 and 2.2 would require two things. First, that each variable be



varied over a sufficiently large range. Second, that the matrix which must be inverted to complete the analysis must not be ill conditioned. Neither of these criteria were met. The field-of-view limiter temperature was varied over less than 2.5 K for the actual ground calibration runs, which was not adequate, and the matrix which must be inverted was ill conditioned, containing values from  $10^1$  to  $10^6$ . Not meeting these criteria results in values for some of the count-conversion equation coefficients which are not physically realistic; however, the coefficients are quite adequate to model the fluxes within the calibration window. Since the inflight field-of-view limiter temperature does not differ greatly ( $<1.5$  K) from the ground calibration field-of-view limiter temperature range, errors introduced by not varying the field-of-view limiter temperature over a large enough range are quite small.

### **6.3 Sources of Uncertainty in the ERBE Active-Cavity Radiometers**

A benefit of the Kline and McClintock methodology of uncertainty analysis is that it allows the experimenter to determine the individual contributions each variable makes to the total uncertainty in the result,  $\Delta R$ . Table 6 displays the uncertainties of the count conversion equation coefficients for each of the four ERBS non-scanning radiometric channels. Tables 7 and 8 display the contributions to the total uncertainties in  $A_F$  and  $A_V$  made by each independent variable in the

theoretical (low-order model) relations, Eqs. 2.11 and 2.12, representing  $A_F$  and  $A_V$ , respectively. Results are displayed for each channel. Table 9 displays the contributions to the uncertainty in  $B_T$  made by each independent variable in Eq. 3.14.

### **6.3.1 Uncertainty in the $A_F$ coefficient**

From Table 7 it is apparent that the uncertainty in the  $A_F$  coefficient for the total channels is largely due to uncertainty in the knowledge of the field-of-view limiter temperature. This uncertainty of the field-of-view limiter temperature is due mainly to the linearization of this temperature in the count conversion equation. For the visible channels, uncertainty in the knowledge of the transmissivity of the filter dome to longwave radiation is the major source of uncertainty in the  $A_F$  coefficient.

### **6.3.2 Uncertainty in the $A_V$ coefficient**

From Table 8 it is apparent that the uncertainty in the  $A_V$  coefficient for the total channels is largely due to the manufacturing tolerances on the area of the primary aperture. For the visible channels uncertainty in the knowledge of the transmissivity of the filter dome to longwave radiation is the major source of uncertainty.

### 6.3.3 Uncertainty in the $B_T$ term

From Table 9 it is apparent that the uncertainty in the  $B_T$  term for the WFOVT channel is associated with how well the  $A_V$  coefficient is known. We have already seen that the uncertainty in the coefficient  $A_V$  is largely due to the manufacturing tolerances on the area of the primary aperture. For the MFOVT channel the largest contributor of uncertainty is that of the coefficient  $A_F$ . As we have seen, the uncertainty in the coefficient  $A_F$  is due to the uncertainty in the knowledge of the temperature of the field-of-view limiter.

### 6.3.4 Orbital variation of the uncertainties

The results of the uncertainty calculations may be seen in Figures 15 and 16, which display fluxes based on the low-order physical model for the WFOV and MFOV total channels, respectively. Uncertainty ranges are also shown on these graphs, which display a 90-min running average of the actual data product. This means that each plotted point is the average value of the data ranging 45 min on either side of the point. This is also referred to as an orbital average since one orbit is 90 min in duration. For the WFOV total channel (Figure 15) the uncertainty is approximately  $\pm 7.5 \text{ W/m}^2$ , or roughly  $\pm 2.5$  percent, and for the MFOV total channel (Figure 16) the uncertainty is approximately  $\pm 15 \text{ W/m}^2$ , or roughly  $\pm 10$  percent.

### 6.3.5 Uncertainty as a function of solar zenith angle

Although it is not readily apparent from Figures 15 and 16, the magnitude of the uncertainty is a weak function of solar zenith angle (i.e., a function of the spectral mix of the incident energy). Further investigation is needed to determine whether this dependence is simply a function of the intensity of the incident thermal radiation, or if it is a function of the spectral distribution of the incident radiation, or some combination of both. When the solar zenith angle has a low value (~0 to 50 deg) the incident radiation contains a large shortwave spectral component, and when the solar zenith angle is large ( $\geq$  ~120 deg) the incident thermal radiation has a spectral distribution that is almost entirely longwave.

The relationship between solar zenith angle and uncertainty in the data product is displayed in Figures 17 and 18. The labels "day" and "night" refer to the values of these uncertainties averaged over the time period when the solar zenith angle varies between 0 and 50 deg and 125 to 180 deg, respectively, while the satellite is looking at a typical Earth scene. The total uncertainty in the data product is the sum of these individual components. Figures 17 and 18 show that the uncertainty of the data product is slightly lower during typical "day" scenes than during typical "night" scenes, and that most of this difference is accounted for by the AV coefficient. These differences are shown to be statistically significant at P values of less than 0.0001.

### 6.3.6 Uncertainty Analysis Conclusions

The results of this investigation clearly show that the uncertainty associated with the WFOVT channel is much less than that of the MFOVT channel. The reasons for the much larger uncertainty in the MFOVT channel is the larger uncertainty in the  $A_F T_F$  term of the count conversion equation for this channel. The uncertainty of this term for the MFOVT channel is inherently larger than in the case of the WFOVT channel because in the former case the field-of-view limiter fills a much larger portion of the cavity field of view than in the latter. However, this fact alone is not sufficient to explain the much larger values of the uncertainty for this channel. Rather, it is the combination of the relatively large uncertainty in the temperature of the field-of-view limiter and the inherently larger uncertainty in the  $A_F T_F$  term for the MFOV count conversion equation which causes the observed uncertainty.

Analysis of the  $A_F T_F$  terms for the visible channels shows that the uncertainty of this term is much smaller for these channels, as would be expected. The hemispherical filter dome absorbs essentially all of the longwave thermal radiation emitted from the field-of-view limiter, effectively eliminating the longwave component of any irradiance of the cavity by the field-of-view limiter.

## 6.4 Dynamic Simulation of the "Solar Blip" Event

The "solar blip" event is a phenomenon in which the wide field-of-view instruments are rapidly subjected to an excess of energy when the sun briefly enters the instrument field-of-view during the satellite's entry and exit from the Earth's shadow. Steep transients associated with this event saturate and introduce errors in the instrument data product, resulting in a loss of data. This event has been simulated utilizing the end-to-end model, thereby allowing the responses of the real instruments during this event to be investigated.

Two types of solar blip phenomena occur. Both the satellite's entry into the Earth's shadow and the satellite's exit from the Earth's shadow produce solar blip events. The solar blip event corresponding to the satellite's exit from the Earth's shadow has been simulated. This choice was based on the fact that the rise in radiative flux incident to the radiometers associated with the satellite's emergence from the Earth's shadow is steeper than for entrance, and therefore takes the instrument outside of its designed performance envelope more rapidly.

From April 17, 1985, solar blip data obtained from the Earth Radiation Budget Satellite (ERBS), the duration of a solar blip event was determined to be 120 s, where duration is defined as the length of time that the sun emits energy directly to the cavity. By fitting smooth curves to data during an April 17, 1985, solar blip event, it was determined that the magnitude of the radiative flux incident to the

radiometers and the field-of-view limiter temperatures during an event are as shown in Figures 19 and 20, respectively. Additionally it was determined that the solar zenith angles ranged from 64 to 71 deg, increasing by 0.5 deg every 8 s.

During the simulated event it is assumed that the longwave component of radiation remains constant since the only longwave source is the unchanging Earth. The shortwave component is then the difference between the total incident radiation and the assumed constant longwave source. The magnitude of the constant longwave component for purposes of the simulation was set equal 180 W/m<sup>2</sup>, which is representative of the average total channel night-time Earth measurements for April 17, 1985. The results of implementing this procedure are shown in Figure 19.

In general, energy emitted by the sun that reaches the instrument directly is modeled as collimated radiation, incident at the solar zenith angle, and energy emitted by the Earth that reaches the instrument is modelled as diffuse. That is, in an event such as the solar blip, the incident radiation contains both diffuse and collimated components.

The monochromatic distribution factors discussed in Chapter 4 are, in general, calculated for either collimated radiation at a given angle, or diffuse radiation. The relation

$$\sum_{i=1}^n D_{ijk} = 1.0, \quad j=1,2,\dots,n, \quad (6.4)$$

first seen in Eq. 4.5, makes it possible to calculate distribution factors for a mixed scene such as the solar blip event. The first step in modelling a source with both diffuse and collimated components is to calculate distribution factor matrices for both the collimated and diffuse sources. The collimated distribution factor matrix is then multiplied by a weighting factor  $W_1$ , such that

$$W_1 = \frac{\Phi_{\text{col}}}{\Phi_{\text{col}} + \Phi_{\text{dif}}}, \quad (6.5)$$

where  $\Phi_{\text{col}}$  represents the magnitude of the collimated component of flux emitted by surface  $i$ , and  $\Phi_{\text{dif}}$  the diffuse component. The diffuse distribution factor matrix is multiplied by  $W_2$  such that

$$W_2 = 1.0 - W_1. \quad (6.6)$$

The two resulting distribution factor matrices are then added together, creating an appropriately weighted matrix which obeys Eq. 6.4 while accurately characterizing the mixed scene. In the case of time-varying scenes this method implies the need for calculating this weighted distribution factor matrix for each time step. For the case of the simulated solar blip event this means calculating 120 weighted distribution factor matrices for each channel. However only 16 collimated and one diffuse distribution factor matrices need to be calculated using the ray-trace model



since the incident angle varies only every eight seconds.

The incident flux predicted by the total and shortwave channel models, due to the specified input flux for the simulated solar blip event, is shown in Figures 21 and 23. The corresponding average temperatures of the resistance temperature detectors are shown in Figures 22 and 24. The predicted longwave component of flux is shown along with the assumed incident value in Figure 25.

The end-to-end model shows that the total and visible channel models overpredict the specified incident flux by 3.5 and 17.6 percent, respectively. Additionally, the peak flux values predicted by both the total and visible channels lag the specified input fluxes by 7 s. However, by the end of the simulated event, the predicted fluxes once again agree with the specified incident fluxes. Thus, although the period of the predicted fluxes matches that of the specified incident fluxes, the shape of the curve is skewed upward and to the right for both the total and visible channels.

The predicted longwave component shown in Figure 25 was found by subtracting the predicted visible component from the predicted total flux. Inspection of this figure reveals that the predicted longwave component is considerably less than the specified input value, reaching a minimum 8 s after both the predicted total and predicted shortwave fluxes peak. This trend is representative of flight data which also significantly underpredicts the longwave component.

By integrating the actual and predicted fluxes over the length of the simulation

and multiplying by the area of the field-of-view limiter aperture, a comparison of the specified and predicted energy incident to the instruments can be made. Table 27 presents the results of this comparison. Following this methodology, the end-to-end model overpredicts the amount of energy received by 2.17 percent for the total channel and by 15.83 percent for the visible channel.

## **7.0 Conclusions and Recommendations**

### **7.1 Conclusions**

The following conclusions can be drawn from the results presented in this thesis:

1. An end-to-end model has been completed for the Earth-viewing, non-scanning, radiometric channels of the Earth Radiation Budget Experiment. The model permits the sensitivity of the instrument output to variations in the thermophysical properties of the detector to be determined.
2. The comparison of simulated and actual calibration procedures demonstrates that the model is a valid tool with which to investigate

anomalous behavior in the archived data product.

3. The three methods used to calculate the  $A_v$  coefficient, the low-order physical model, the end-to-end model, and ground calibration by the ERBE science team, agree to within four percent for the wide field-of-view channels and seven percent for the medium field-of-view channels.
4. Uncertainty in the  $A_f$  coefficient is largely due to uncertainty in the knowledge of the field-of-view limiter temperature for the total channels while uncertainty in the knowledge of the transmissivity of the filter dome to longwave radiation is the major source of uncertainty in the  $A_f$  coefficient for the visible channels.
5. Uncertainty in the  $A_v$  coefficient is largely due to the manufacturing tolerances on the area of the primary aperture for the total channels while uncertainty in the knowledge of the transmissivity of the filter dome to longwave radiation is the major source of uncertainty in the  $A_v$  coefficient for the visible channels.
6. Uncertainty in the  $B_T$  term for the wide field-of-view channel is due largely to uncertainty in the  $A_v$  coefficient while uncertainty in the  $B_T$  term for the medium field-of-view channel is due largely to uncertainty in the  $A_f$  coefficient.
7. Simulation of a solar blip event demonstrates that the total channel model predicts the total energy arriving to the instrument during this

steep transient to within 2.25 percent. However, the visible channel model does not do as good a job of predicting the shortwave component of energy arriving at the instrument during these same transients, overpredicting the actual amount by nearly 16 percent.

## **6.2 Recommendations**

The following recommendations are made as a result of this study:

1. The current end-to-end model should be coupled with a thermal diffusion model of the field-of-view limiter in order to assess the influence of field-of-view limiter temperature variations on the detectors' response.
2. A parametric analysis should be completed to assess the influence of perturbations of the thermophysical properties of the instrument on the detectors' response.

Table 1. Geometry for the Earth-viewing nonscanning radiometric channels located on the Earth Radiation Budget Satellite, ERBS. (all dimensions in mm)

Dimension	WFOVT <sup>1</sup>	MFOVT <sup>2</sup>	WFOVSW <sup>3</sup>	MFOVSW <sup>4</sup>
FOVL <sup>5</sup> radius	38.10	36.8554	38.10	36.8554
FOVL <sup>5</sup> height	12.70	28.829	12.70	28.829
Primary Aperture Diameter	6.35	6.35	6.35	6.35
Cavity Diameter	8.00	8.00	8.00	8.00
Cone Height	14.94	14.94	14.94	14.94
Cylinder Height	5.49	5.49	5.49	5.49
Thermal Impedance Diameter	10.28	10.28	10.28	10.28
Thermal Impedance Height	23.00	23.00	23.00	23.00
Cavity Thickness	0.0536	0.0498	0.0573	0.0659

<sup>1</sup> Wide Field-of-View Total channel

<sup>2</sup> Medium Field-of-View Total channel

<sup>3</sup> Wide Field-of-View Shortwave channel

<sup>4</sup> Medium Field-of-View Shortwave channel

<sup>5</sup> Field-of-View Limiter

Table 2. Thermophysical properties for the Earth-viewing nonscanning radiometric channels located on the Earth Radiation Budget Satellite, ERBS.

Property	WFOVT <sup>1</sup>	MFOVT <sup>2</sup>	WFOVSW <sup>3</sup>	MFOVSW <sup>4</sup>	Units
FOVL <sup>5</sup> absorptivity $\alpha$	0.04	0.04	0.95	0.95	-
FOVL <sup>5</sup> Reflectivity Ratio R	0.90	0.90	0.90	0.90	-
Substrate absorptivity $\alpha$	0.95	0.95	0.95	0.95	-
Substrate Reflectivity Ratio R	0.90	0.90	0.90	0.90	-
Primary Aperture absorptivity $\alpha$	0.95	0.95	0.95	0.95	-
Cavity absorptivity $\alpha$	0.90	0.90	0.90	0.90	-
Cavity Conductivity k	429.0	429.0	429.0	429.0	W/m-K
Specific Heat c	235.0	235.0	235.0	235.0	J/Kg-K
Density $\rho$	10500.0	10500.0	10500.0	10500.0	Kg/m <sup>3</sup>
Electrical time constant $\tau$	0.005	0.005	0.005	0.005	s

<sup>1</sup> Wide Field-of-View Total channel

<sup>2</sup> Medium Field-of-View Total channel

<sup>3</sup> Wide Field-of-View Shortwave channel

<sup>4</sup> Medium Field-of-View Shortwave channel

<sup>5</sup> Field-of-View Limiter

Table 3. Filter dome transmissivities for the shortwave Earth-viewing nonscanning radiometric channels located on the Earth Radiation Budget Satellite, ERBS.

Wavelength Interval ( $\mu\text{m}$ )	Transmissivity
0 - 0.15	0.0001
0.15 - 0.20	0.4350
0.20 - 0.30	0.8295
0.30 - 2.50	0.9275
2.50 - 3.00	0.9350
3.00 - 3.50	0.9225
3.50 - 4.00	0.8475
4.00 - 4.50	0.5850
4.50 - 5.00	0.1950
5.00 - $\infty$	0.0001



Table 4. Configuration factors between the primary aperture and the field-of-view limiter aperture for the Earth-viewing non-scanning radiometric channels located on the Earth Radiation Budget Satellite, ERBS.

Channel	Configuration Factor F
WFOVT <sup>1</sup>	0.8692
MFOVT <sup>2</sup>	0.4240
WFOVSW <sup>3</sup>	0.8797
MFOVSW <sup>4</sup>	0.4240

<sup>1</sup> Wide Field-of-View Total channel

<sup>2</sup> Medium Field-of-View Total channel

<sup>3</sup> Wide Field-of-View Shortwave channel

<sup>4</sup> Medium Field-of-View Shortwave channel

Table 5. Comparison of inflight count-conversion equation coefficients for April 17, 1985, determined by both a low order physical model and the utilization of multiple regression methodology by the ERBE Science Team (EST).

Channel	Coefficient	EST	Physical Model	Percent Difference <sup>1</sup>	Units
WFOVT <sup>2</sup>	A <sub>F</sub>	-1.3968	-.2391	82.89	W/m <sup>2</sup> K
	A <sub>V</sub>	-22.7873	-22.5212	1.17	W/m <sup>2</sup> V <sup>2</sup>
	B <sub>T</sub>	1703.58	1355.13	20.45	W/m <sup>2</sup>
MFOVT <sup>3</sup>	A <sub>F</sub>	-.9230	-2.1244	-130.16	W/m <sup>2</sup> K
	A <sub>V</sub>	-22.7093	-22.6721	0.16	W/m <sup>2</sup> V <sup>2</sup>
	B <sub>T</sub>	1272.12	1625.32	-27.76	W/m <sup>2</sup>
WFOVSW <sup>4</sup>	A <sub>F</sub>	-0.6502	-0.0056	99.14	W/m <sup>2</sup> K
	A <sub>V</sub>	-25.7758	-24.8279	3.69	W/m <sup>2</sup> V <sup>2</sup>
MFOVSW <sup>5</sup>	A <sub>F</sub>	1.2242	-0.05631	104.60	W/m <sup>2</sup> K
	A <sub>V</sub>	-25.5630	-24.5551	3.94	W/m <sup>2</sup> V <sup>2</sup>

$$^1 \text{ percent difference} = \frac{\text{EST} - \text{Model}}{\text{EST}} \times 100$$

<sup>2</sup> Wide Field-of-View Total channel

<sup>3</sup> Medium Field-of-View Total channel

<sup>4</sup> Wide Field-of-View Shortwave channel

<sup>5</sup> Medium Field-of-View Shortwave channel

Table 6. Uncertainties in the count-conversion equation coefficients for the Earth Radiation Budget Satellite, ERBS, based on a low-order physical model.

Channel	Coefficient	Value	Uncertainty	Percent Uncertainty <sup>1</sup>	Units
WFOVT <sup>2</sup>	A <sub>F</sub>	-0.2391	0.0030	1.25	W/m <sup>2</sup> K
	A <sub>V</sub>	-22.5212	0.0745	0.33	W/m <sup>2</sup> V <sup>2</sup>
	B <sub>T</sub>	1355.13	3.51	0.26	W/m <sup>2</sup>
MFOVT <sup>3</sup>	A <sub>F</sub>	-2.1244	0.0242	1.14	W/m <sup>2</sup> k
	A <sub>V</sub>	-22.6721	0.0751	0.33	W/m <sup>2</sup> V <sup>2</sup>
	B <sub>T</sub>	1625.32	7.66	0.47	W/m <sup>2</sup>
WFOVSW <sup>4</sup>	A <sub>F</sub>	-0.0056	0.0004	7.68	W/m <sup>2</sup> K
	A <sub>V</sub>	-24.8279	0.1586	0.64	W/m <sup>2</sup> V <sup>2</sup>
MFOVSW <sup>5</sup>	A <sub>F</sub>	-0.05631	0.0042	7.47	W/m <sup>2</sup> K
	A <sub>V</sub>	-24.5551	0.1569	0.64	W/m <sup>2</sup> V <sup>2</sup>

<sup>1</sup> percent uncertainty =  $\frac{\text{Uncertainty}}{\text{Value}} \times 100$

<sup>2</sup> Wide Field-of-View Total channel

<sup>3</sup> Medium Field-of-View Total channel

<sup>4</sup> Wide Field-of-View Shortwave channel

<sup>5</sup> Medium Field-of-View Shortwave channel

Table 7. Sources of uncertainty in the  $A_F$  coefficient for each radiometric channel based on a low-order physical model.

Variable	WFOVT <sup>1</sup>	MFOVT <sup>2</sup>	WFOVSW <sup>3</sup>	MFOVSW <sup>4</sup>	Units
$\tau_{LW}$	0	0	0.000415	0.004140	-
$\tau_{SW}$	0	0	0.000031	0.000162	-
$\epsilon$	0.000048	0.004249	0.000011	0.000113	-
$F_{CF}$	0.000954	0.008483	0.000022	0.000201	-
$F_{CS}$	0.000951	0.008518	0.000022	0.000226	-
$T_F$	0.002619	0.020566	0.000084	0.000657	K
$\Delta A_F^5$	0.002983	0.024198	0.000425	0.004207	W/m <sup>2</sup> K

<sup>1</sup> Wide Field-of-View Total channel

<sup>2</sup> Medium Field-of-View Total channel

<sup>3</sup> Wide Field-of-View Shortwave channel

<sup>4</sup> Medium Field-of-View Shortwave channel

<sup>5</sup>  $\Delta A_F = \sqrt{\sum (\text{Variables})^2}$

Table 8. Sources of uncertainty in the  $A_V$  coefficient for each radiometric channel based on a low-order physical model.

Variable	WFOVT <sup>1</sup>	MFOVT <sup>2</sup>	WFOVSW <sup>3</sup>	MFOVSW <sup>4</sup>	Units
$\tau_{sw}$	0	0	0.1356	0.1342	-
$A_A$	0.0676	0.0680	0.0745	0.0737	m <sup>2</sup>
R	0.0161	0.0163	0.0179	0.0175	$\Omega$
$\alpha$	0.0270	0.0272	0.0298	0.0295	-
$\Delta A_V^5$	0.0745	0.0751	0.1586	0.1568	W/m <sup>2</sup> V <sup>2</sup>

<sup>1</sup> Wide Field-of-View Total channel

<sup>2</sup> Medium Field-of-View Total channel

<sup>3</sup> Wide Field-of-View Shortwave channel

<sup>4</sup> Medium Field-of-View Shortwave channel

<sup>5</sup>  $\Delta A_V = \sqrt{\sum (\text{Variables})^2}$

Table 9. Sources of uncertainty in the  $B_T$  term for the wide and medium field-of-view total channels based on a low-order physical model.

Variable	WFOVT <sup>1</sup>	MFOVT <sup>2</sup>	Units
$F_{CS}$	1.463	0.711	-
$T_F$	0.012	0.106	K
$T_{bb}$	0.251	0.121	K
$V_{bb}$	0.351	0.333	V
$A_F$	0.876	7.110	W/m <sup>2</sup> K
$A_V$	3.035	2.728	W/m <sup>2</sup> V <sup>2</sup>
$\Delta B_T$ <sup>3</sup>	3.51	7.66	W/m <sup>2</sup>

<sup>1</sup> Wide Field-of-View Total channel

<sup>2</sup> Medium Field-of-View Total channel

$$\Delta B_T = \sqrt{\sum (\text{Variables})^2}$$

Table 10. Distribution of Surface and Volume Elements for the end-to-end model.

	Azimuthal Divisions	Horizontal Divisions	Radial Divisions	Number of Elements
FOVL <sup>1</sup> Aperture	0	-	1	1
FOVL <sup>1</sup>	10	4	-	40
Substrate	10	-	4	40
Ring	10	1	-	10
Dome	10	6	-	60
Primary Aperture	10	-	3	30
Cavity Cylinder	10	4	-	40
Cavity Cone	10	6	-	60

<sup>1</sup> Field-of-View Limiter

Table 11. Wide field-of-view total (WFOVT) channel ground calibration data [35].

Run	Flux (W/m <sup>2</sup> )	T <sub>source</sub> (K)	T <sub>hs</sub> (K)	T <sub>lovl</sub> (K)	T <sub>pa</sub> (K)	Bias Voltage (V)
1	116.94	213.11	306.82	291.29	306.83	0
2	116.94	213.11	306.82	291.32	306.82	4.33
3	197.75	243.02	306.82	292.00	306.84	0
4	197.72	243.01	306.82	292.06	306.83	4.33
5	197.75	243.02	306.82	292.10	306.82	6.14
6	249.07	257.45	306.82	292.52	306.85	0
7	249.11	257.46	306.82	292.58	306.84	4.33
8	315.43	273.11	306.82	292.80	306.85	0
9	315.43	273.11	306.82	292.92	306.84	4.33
10	315.43	273.11	306.82	293.03	306.84	6.14
11	364.64	283.19	306.82	292.91	306.86	0
12	364.64	283.19	306.82	293.17	306.84	4.33
13	418.08	293.04	306.82	293.46	306.82	0
14	418.08	293.04	306.82	293.70	306.85	4.33



Table 12. Medium field-of-view total (MFOVT) channel ground calibration data [35].

Run	Flux (W/m <sup>2</sup> )	T <sub>source</sub> (K)	T <sub>hs</sub> (K)	T <sub>fov</sub> (K)	T <sub>pa</sub> (K)	Bias Voltage (V)
1	116.94	213.11	306.82	291.15	306.69	0
2	116.94	213.11	306.82	291.30	306.68	4.33
3	197.72	243.01	306.82	291.93	306.70	0
4	197.72	243.01	306.82	292.01	306.69	4.33
5	197.75	243.02	306.82	292.09	306.70	6.14
6	249.11	257.46	306.82	292.43	306.71	0
7	249.11	257.46	306.82	292.49	306.70	4.33
8	315.48	273.12	306.82	292.03	306.70	0
9	315.48	273.12	306.82	292.29	306.70	4.33
10	315.43	273.11	306.82	292.46	306.70	6.14
11	364.64	283.19	306.82	2192.86	306.72	0
12	364.64	283.19	306.82	293.09	306.71	4.33
13	418.19	293.06	306.82	292.90	306.72	0
14	418.19	293.06	306.82	293.13	306.72	4.33
15	418.14	293.05	306.82	293.28	306.72	6.14

Table 13. Wide field-of-view shortwave (WFOVSW) channel ground calibration data [35].

Run	Flux (W/m <sup>2</sup> )	T <sub>source</sub> (K)	T <sub>hs</sub> (K)	T <sub>lovl</sub> (K)	T <sub>pa</sub> (K)	Bias Voltage (V)
1	111.999	5780	306.82	292.06	306.84	4.33
2	165.157	5780	306.82	293.70	306.87	6.13
3	164.780	5780	306.82	293.62	306.87	4.33
4	163.969	5780	306.82	293.54	306.88	0
5	218.955	5780	306.82	293.72	306.87	4.33
6	218.267	5780	306.82	293.58	306.89	0
7	247.334	5780	306.82	294.04	306.88	6.13
8	247.097	5780	306.82	294.03	306.88	4.33
9	245.947	5780	306.82	293.89	306.89	0
10	111.999	211	306.82	292.06	306.84	4.33
11	165.157	232	306.82	293.70	306.87	6.13
12	164.780	232	306.82	293.62	306.87	4.33
13	163.969	232	306.82	293.54	306.88	0
14	218.955	249	306.82	293.72	306.87	4.33
15	218.267	249	306.82	293.58	306.89	0
16	247.334	257	306.82	294.04	306.88	6.13
17	247.097	257	306.82	294.03	306.88	4.33
18	245.947	257	306.82	293.89	306.89	0

Table 14. Medium field-of-view shortwave (MFOVSW) channel ground calibration data [35].

Run	Flux (W/m <sup>2</sup> )	T <sub>source</sub> (K)	T <sub>hs</sub> (K)	T <sub>fov</sub> (K)	T <sub>pa</sub> (K)	Bias Voltage (V)
1	122.843	5780	306.82	293.72	306.70	4.33
2	122.467	5780	306.82	293.61	306.71	0
3	181.488	5780	306.82	293.65	306.70	6.13
4	181.450	5780	306.82	293.42	306.69	4.33
5	180.895	5780	306.82	293.09	306.70	0
6	242.800	5780	306.82	293.88	306.71	4.33
7	242.251	5780	306.82	293.73	306.72	0
8	275.914	5780	306.82	294.18	306.71	6.13
9	275.778	5780	306.82	294.07	306.71	4.33
10	274.895	5780	306.82	293.95	306.72	0
11	122.843	216	306.82	293.72	306.70	4.33
12	122.467	216	306.82	293.61	306.71	0
13	181.488	238	306.82	293.65	306.70	6.13
14	181.450	238	306.82	293.42	306.69	4.33
15	180.895	238	306.82	293.09	306.70	0
16	242.800	256	306.82	293.88	306.71	4.33
17	242.251	256	306.82	293.73	306.72	0
18	275.914	264	306.82	294.18	306.71	6.13
19	275.778	264	306.82	294.07	306.71	4.33
20	274.895	264	306.82	293.95	306.72	0

Table 15. Cavity thicknesses used in end-to-end model simulations.

Channel	Nominal Thickness (mm)	Thickness Used (mm)	Difference (mm)	Difference as Percent of Tolerance <sup>1</sup>
WFOVT <sup>2</sup>	0.0635	0.05364	0.00986	38.82
MFOVT <sup>3</sup>	0.0635	0.04985	0.01365	53.74
WFOVSW <sup>4</sup>	0.0635	0.05725	0.00625	24.61
MFOVSW <sup>5</sup>	0.0635	0.06585	0.00235	9.25

<sup>1</sup> Difference as percent of tolerance =  $\frac{\text{Difference}}{\text{Tolerance}} \times 100$   
Tolerance = 0.001mm

<sup>2</sup> Wide Field-of-View Total channel

<sup>3</sup> Medium Field-of-View Total channel

<sup>4</sup> Wide Field-of-View Shortwave channel

<sup>5</sup> Medium Field-of-View Shortwave channel

Table 16. Wide field-of-view total (WFOVT) channel voltage outputs during calibration runs for the actual instrument [35] and the end-to-end model. (See also Table 11)

Run	Radiometric Source <sup>1</sup>	Instrument output (V)	Model output (V)	Difference (Inst - Model) (V)	Percent Difference <sup>2</sup>
1	MRBB	7.425224	7.429431	-0.004207	-0.0567
2	MRBB	8.753511	8.757126	-0.003615	-0.0413
3	MRBB	7.211574	7.213815	-0.002241	-0.0311
4	MRBB	8.572823	8.575021	-0.002197	-0.0256
5	MRBB	9.757051	9.758428	-0.001377	-0.0141
6	MRBB	7.072398	7.073414	-0.001016	-0.0143
7	MRBB	8.455622	8.457084	-0.001462	-0.0173
8	MRBB	6.88927	6.887942	0.001328	0.0193
9	MRBB	8.304239	8.302632	0.001606	0.0193
10	MRBB	9.521427	9.52005	0.001377	0.0145
11	MRBB	6.751313	6.747151	0.004162	0.0616
12	MRBB	8.189477	8.186142	0.003335	0.0407
13	MRBB	6.596264	6.590529	0.005736	0.0870
14	MRBB	8.061287	8.057542	0.003745	0.0465

<sup>1</sup> MRBB = Master Reference Black Body

$$^2 \text{percent difference} = \frac{\text{Instrument} - \text{Model}}{\text{Instrument}} \times 100$$

Average percent difference = 0.00632

Standard deviation = 0.0419

Table 17. Medium field-of-view total (MFOVT) channel voltage outputs during calibration runs for the actual instrument [35] and the end-to-end model. (See also Table 12)

Run	Radiometric Source <sup>1</sup>	Instrument Output (V)	Model Output (V)	Difference (Inst - Model) (V)	Percent Difference <sup>2</sup>
1	MRBB	6.657307	6.670171	-0.012864	-0.1932
2	MRBB	8.066171	8.075988	-0.009818	-0.1217
3	MRBB	6.540106	6.54761	-0.007504	-0.1147
4	MRBB	7.969724	7.97512	-0.005396	-0.0677
5	MRBB	9.188134	9.192275	-0.004141	-0.0451
6	MRBB	6.464413	6.468376	-0.003963	-0.0613
7	MRBB	7.90746	7.910227	-0.002767	-0.0350
8	MRBB	6.370407	6.366627	0.004142	0.0650
9	MRBB	7.830547	7.826951	0.003596	0.0459
10	MRBB	9.067269	9.063749	0.00352	0.0388
11	MRBB	6.294714	6.287961	0.006753	0.1073
12	MRBB	7.769504	7.763173	0.006331	0.0815
13	MRBB	6.214138	6.202924	0.011214	0.1805
14	MRBB	7.704799	7.694426	0.010373	0.1346
15	MRBB	8.958613	8.949531	0.009082	0.1014

<sup>1</sup> MRBB = Master Reference Black Body

$$^2 \text{ percent difference} = \frac{\text{Instrument} - \text{Model}}{\text{Instrument}} \times 100$$

Average percent difference = 0.0078

Standard deviation = 0.1079

Table 18. Wide field-of-view shortwave (WFOVSW) channel voltage outputs during calibration runs for the actual instrument [35] and the end-to-end model. (See also Table 13)

Run	Radiometric Source <sup>1</sup>	Instrument Output (V)	Model Output (V)	Difference (Inst - Model) (V)	Percent Difference <sup>2</sup>
1	ISP	6.082285	6.0806768	0.001608	0.0264
2	ISP	7.509462	7.5075147	0.001947	0.0259
3	ISP	8.718105	8.7163506	0.001754	0.0201
4	ISP	6.162862	6.1628310	0.000031	0.0005
5	ISP	7.575388	7.5753361	0.000052	0.0007
6	ISP	6.317910	6.3207678	-0.002858	-0.0452
7	ISP	7.701135	7.7040700	-0.002935	-0.0381
8	ISP	8.882920	8.8860036	-0.003084	-0.0347
9	ISP	7.826883	7.8270771	-0.000194	-0.0025
10	MRBB	-	6.7511842	-	-
11	MRBB	-	8.0634469	-	-
12	MRBB	-	9.1999704	-	-
13	MRBB	-	6.7540802	-	-
14	MRBB	-	8.0659551	-	-
15	MRBB	-	6.7594729	-	-
16	MRBB	-	8.0704198	-	-
17	MRBB	-	9.2060693	-	-
18	MRBB	-	8.0748572	-	-

<sup>1</sup> MRBB = Master Reference Black Body  
 ISP = Integrating Sphere

<sup>2</sup> percent difference =  $\frac{\text{Instrument} - \text{Model}}{\text{Instrument}} \times 100$   
 Average percent difference = -0.0052  
 Standard deviation = 0.0279

Table 19. Medium field-of-view shortwave (MFOVSW) channel voltage outputs during calibration runs for the actual instrument [35] and the end-to-end model. (See also Table 14)

Run	Radiometric Source	Instrument Output (V)	Model Output (V)	Difference (Inst - Model) (V)	Percent Difference
1	ISP	6.911244	6.9064264	0.004818	0.0697
2	ISP	8.310341	8.3037823	0.006559	0.0079
3	ISP	9.514101	9.5085776	0.005523	0.0581
4	ISP	6.947870	6.9474149	0.000455	0.0065
5	ISP	8.338420	8.3382201	0.000200	0.0024
6	ISP	7.023562	7.0239572	-0.000395	-0.0056
7	ISP	8.401905	8.4020398	-0.000135	-0.0016
8	ISP	9.595898	9.5945255	0.004455	0.0464
9	ISP	7.091930	7.0954097	-0.003480	-0.0491
10	ISP	8.461726	8.4620933	-0.000367	-0.0043
11	MRBB	-	7.231473	-	-
12	MRBB	-	8.577088	-	-
13	MRBB	-	9.748290	-	-
14	MRBB	-	7.233369	-	-
15	MRBB	-	8.578452	-	-
16	MRBB	-	7.236463	-	-
17	MRBB	-	8.581001	-	-
18	MRBB	-	9.751672	-	-
19	MRBB	-	7.238604	-	-
20	MRBB	-	8.582913	-	-

Average percent difference = 0.0130  
Standard deviation = 0.0354



Table 20. Comparison of instrument and end-to-end model gains.

Channel	Reference Cavity Heater Voltage (V)	Radiometric Source <sup>1</sup>	End-to-End Model Gain (Vm <sub>2</sub> /W)	Instrument Gain (Vm <sup>2</sup> /W)	Percent Difference <sup>2</sup>
WFOVT <sup>3</sup>	0	MRBB	-0.002786	-0.002753	1.185
	4.33	MRBB	-0.002323	-0.002299	0.103
	6.14	MRBB	-0.002026	-0.002003	1.135
MFOVT <sup>4</sup>	0	MRBB	-0.001551	-0.001471	5.158
	4.33	MRBB	-0.001267	-0.001200	5.288
	6.14	MRBB	-0.001101	-0.001041	5.450
WFOVSW <sup>5</sup>	0	ISP	-0.002929	-0.002874	1.878
	4.33	ISP	-0.002365	-0.002350	0.634
	6.14	ISP	-0.002065	-0.002006	2.857
	0	MRBB	-0.000101	-	-
	4.33	MRBB	-0.000084	-	-
	6.14	MRBB	-0.000074	-	-
MFOVSW <sup>6</sup>	0	ISP	-0.001240	-0.001185	4.435
	4.33	ISP	-0.001035	-0.00099	4.348
	6.14	ISP	-0.00091	-0.00086	5.495
	0	MRBB	-0.000047	-	-
	4.33	MRBB	-0.000038	-	-
	6.14	MRBB	-0.000036	-	-

<sup>1</sup> MRBB = Master Reference Black Body  
 ISP = Integrating Sphere

<sup>2</sup> percent difference =  $\frac{\text{Model} - \text{Instrument}}{\text{Model}} \times 100$

<sup>3</sup> Wide Field-of-View Total channel

<sup>4</sup> Medium Field-of-View Total channel

<sup>5</sup> Wide Field-of-View Shortwave channel

<sup>6</sup> Medium Field-of-View Shortwave channel

Table 21. Ground count-conversion equation coefficients as determined using multiple regression methodology by the ERBE Science Team (EST), and by using the end-to-end model.

Channel	Coefficient	EST	End-to-End Model	Percent Difference <sup>1</sup>	Units
WFOVT <sup>2</sup>	$A_V'$	-26.2164	-25.6298	2.24	W/m <sup>2</sup> V <sup>2</sup>
	$A_F'$	-1.6070	-0.1224	92.38	W/m <sup>2</sup> K
	$A_R'$	30.0461	29.36538	2.27	W/m <sup>2</sup> V <sup>2</sup>
	$B_T'$	1560.32	1567.33	-0.45	W/m <sup>2</sup>
MFOVT <sup>3</sup>	$A_V'$	-53.5596	-50.2028	6.27	W/m <sup>2</sup> V <sup>2</sup>
	$A_F'$	-2.1768	-0.5349	75.43	W/m <sup>2</sup> K
	$A_R'$	59.2633	55.44413	6.44	W/m <sup>2</sup> V <sup>2</sup>
	$B_T'$	2487.64	2506.689	-0.77	W/m <sup>2</sup>
WFOVSW <sup>4</sup>	$A_V'$	-28.2194	-28.5472	-1.16	W/m <sup>2</sup> V <sup>2</sup>
	$A_F'$	-0.7097	0.7394	204.18	W/m <sup>2</sup> K
	$A_R'$	29.2817	29.6613	-1.30	W/m <sup>2</sup> V <sup>2</sup>
	$A_E'$	-0.02902	-0.04121	-42.01	-
	$B_{SW}'$	1234.19	1093.73	11.38	W/m <sup>2</sup>
MFOVSW <sup>5</sup>	$A_V'$	-58.454	-59.7392	-2.20	W/m <sup>2</sup> V <sup>2</sup>
	$A_F'$	2.7990	-1.51031	153.96	W/m <sup>2</sup> K
	$A_R'$	66.4883	67.92095	-2.15	W/m <sup>2</sup> V <sup>2</sup>
	$A_E'$	-0.03641	-0.03151	13.46	-
	$B_{SW}'$	2984.17	3576.073	-19.83	W/m <sup>2</sup>

$$^1 \text{ percent difference} = \frac{\text{EST} - \text{Model}}{\text{EST}} \times 100$$

<sup>2</sup> Wide Field-of-View Total channel

<sup>3</sup> Medium Field-of-View Total channel

<sup>4</sup> Wide Field-of-View Shortwave channel

<sup>5</sup> Medium Field-of-View Shortwave channel

Table 22. Specified and predicted fluxes for the wide field-of-view total (WFOVT) channel calibration runs. (See also Tables 11 and 16)

Run	Specified Flux (W/m <sup>2</sup> )	Predicted Flux (W/m <sup>2</sup> )	Difference (Pred - Spec)	Percent Difference <sup>1</sup>
1	116.9433	116.9991	0.055775	0.048
2	116.9433	116.7585	-0.1848	-0.158
3	197.7553	197.8338	0.078464	0.040
4	197.7228	197.5628	-0.16001	-0.081
5	197.7553	197.9896	0.23426	0.118
6	249.0759	249.1821	0.106192	0.043
7	249.1146	248.9822	-0.13239	-0.053
8	315.4354	315.5144	0.079031	0.025
9	315.4354	315.2848	-0.15057	-0.048
10	315.4354	315.6591	0.223706	0.071
11	364.6463	364.7025	0.056153	0.015
12	364.6463	364.4835	-0.16283	-0.045
13	418.0881	418.1754	0.087281	0.021
14	418.0881	417.9578	-0.13027	-0.031

$$^1 \text{ percent difference} = \frac{\text{Predicted} - \text{Specified}}{\text{Predicted}} \times 100$$

Average percent difference = -0.0025

Standard deviation = 0.071

Table 23. Specified and predicted fluxes for the medium field-of-view total (MFOVT) channel calibration runs. (See also Tables 12 and 17)

Run	Specified Flux (W/m <sup>2</sup> )	Predicted Flux (W/m <sup>2</sup> )	Difference (Pred - Spec)	Percent Difference <sup>1</sup>
1	116.9433	117.3689	0.425642	0.364
2	116.9433	116.0798	-0.86347	-0.738
3	197.7228	198.2796	0.556773	0.282
4	197.7228	196.9811	-0.74173	-0.375
5	197.7553	198.6354	0.880057	0.445
6	249.1146	249.7866	0.672017	0.270
7	249.1146	248.4757	-0.63889	-0.256
8	315.4816	315.7945	0.312917	0.099
9	315.4816	314.3749	-1.10672	-0.351
10	315.4354	316.2325	0.797143	0.253
11	364.6463	365.0683	0.422046	0.116
12	364.6463	363.8638	-0.78246	-0.215
13	418.2022	418.3986	0.196354	0.047
14	418.2022	417.1915	-1.0107	-0.242
15	418.2022	419.0832	0.881014	0.211

$$^1 \text{ percent difference} = \frac{\text{Predicted} - \text{Specified}}{\text{Predicted}} \times 100$$

Average percent difference = -0.006

Standard deviation = 0.3376

Table 24. Specified and predicted fluxes for the wide field-of-view shortwave (WFOVSW) channel calibration runs. (See also Tables 13 and 18)

Run	Specified LW Flux (W/m <sup>2</sup> )	Specified SW Flux (W/m <sup>2</sup> )	Predicted Flux (W/m <sup>2</sup> )	Difference (Pred - Spec)	Percent Difference <sup>1</sup>
1	0	245.9479	245.3763	-0.57121	-0.232
2	0	247.097	248.0715	0.974496	0.394
3	0	247.334	246.6638	-0.67015	-0.271
4	0	218.2678	217.5738	-0.69398	-0.318
5	0	218.9558	219.7999	0.844129	0.386
6	0	163.9693	163.4977	-0.4716	-0.288
7	0	164.7808	165.8069	1.02607	0.623
8	0	165.1577	164.5487	-0.60897	-0.369
9	0	111.999	112.2908	0.291838	0.261
10	245.9479	0	-0.23976	-0.23976	-
11	247.097	0	0.955148	0.955148	-
12	247.334	0	-0.6891	-0.6891	-
13	218.2678	0	-0.44472	-0.44472	-
14	218.9558	0	0.730793	0.730793	-
15	163.9693	0	-0.3169	-0.3169	-
16	164.7808	0	0.832881	0.832881	-
17	165.1577	0	-0.75844	-0.75844	-
18	111.999	0	-0.19053	-0.19053	-

$$^1 \text{ percent difference} = \frac{\text{Predicted} - \text{Specified}}{\text{Predicted}} \times 100$$

Average percent difference = 0.0207

Standard deviation = 0.3880

Table 25. Specified and predicted fluxes for the medium field-of-view shortwave channel calibration runs. (See also Tables 14 and 19)

Run	Specified LW Flux (W/m <sup>2</sup> )	Specified SW Flux (W/m <sup>2</sup> )	Predicted Flux (W/m <sup>2</sup> )	Difference (Pred - Spec)	Percent Difference <sup>1</sup>
1	0	274.8957	273.9739	-0.92181	-0.335
2	0	275.7781	277.5075	1.729419	0.627
3	0	275.9143	274.1356	-1.77865	-0.645
4	0	242.2518	241.4119	-0.83986	-0.347
5	0	242.8004	244.5962	1.795792	0.740
6	0	180.8951	180.4267	-0.46844	-0.259
7	0	181.4509	183.4011	1.95017	1.063
8	0	181.4882	179.8272	-1.66096	-0.915
9	0	122.4678	121.2135	-1.25426	-1.024
10	0	122.8437	124.2937	1.450042	1.180
11	274.8957	0	-0.55559	-0.55559	-
12	275.7781	0	1.892456	1.892456	-
13	275.9143	0	-1.62673	-1.62673	-
14	242.2518	0	-0.83313	-0.83313	-
15	242.8004	0	1.820578	1.820578	-
16	180.8951	0	-0.60842	-0.60842	-
17	181.4509	0	1.835446	1.835446	-
18	181.4882	0	-1.79024	-1.79024	-
19	122.4678	0	-1.404	-1.404	-
20	122.8437	0	1.268186	1.268186	-

Average percent difference = 0.0085  
Standard deviation = 0.8208

Table 26. Comparison of the Inflight count-conversion equation coefficients as determined by the ERBE Science Team (EST), the end-to-end model, and the low-order physical model.

Channel	Coefficient	EST	End-to-End Model	Physical Model	Units
WFOVT <sup>1</sup>	A <sub>V</sub>	-22.7873	-22.277	-22.5212	W/m <sup>2</sup> V <sup>2</sup>
	A <sub>F</sub>	-1.3968	-0.1064	-0.2390	W/m <sup>2</sup> K
	A <sub>R</sub>	26.1161	25.5244	-	W/m <sup>2</sup> V <sup>2</sup>
MFOVT <sup>2</sup>	A <sub>V</sub>	-22.7093	-21.286	-22.6721	W/m <sup>2</sup> V <sup>2</sup>
	A <sub>F</sub>	-0.9230	-0.2268	-2.1244	W/m <sup>2</sup> K
	A <sub>R</sub>	25.1276	23.5071	-	W/m <sup>2</sup> V <sup>2</sup>
WFOVSW <sup>3</sup>	A <sub>V</sub>	-25.7758	-25.1129	-24.8229	W/m <sup>2</sup> V <sup>2</sup>
	A <sub>F</sub>	-0.6502	0.6505	-0.0056	W/m <sup>2</sup> K
	A <sub>R</sub>	25.7591	26.0930	-	W/m <sup>2</sup> V <sup>2</sup>
	A <sub>E</sub>	-0.0255	-0.3625	-	-
MFOVSW <sup>4</sup>	A <sub>V</sub>	-25.5630	-25.3294	-24.5551	W/m <sup>2</sup> V <sup>2</sup>
	A <sub>F</sub>	1.2242	-0.64037	-0.05631	W/m <sup>2</sup> K
	A <sub>R</sub>	28.1910	28.7985	-	W/m <sup>2</sup> V <sup>2</sup>
	A <sub>E</sub>	-0.0154	-0.01336	-	-

<sup>1</sup> Wide Field-of-View Total channel

<sup>2</sup> Medium Field-of-View Total channel

<sup>3</sup> Wide Field-of-View Shortwave channel

<sup>4</sup> Medium Field-of-View Shortwave channel

Table 27. Comparison of incident and predicted energy during a solar blip.

Channel	Specified Energy (KJ)	Predicted Energy (KJ)	Percent Difference <sup>1</sup>
WFOVT <sup>2</sup>	43.38	44.34	2.17
WFOVSW <sup>3</sup>	21.96	26.09	15.83

<sup>1</sup> percent difference =  $\frac{\text{Predicted} - \text{Specified}}{\text{Predicted}} \times 100$

<sup>2</sup> Wide Field-of-View Total channel

<sup>3</sup> Wide Field-of-View Shortwave Channel



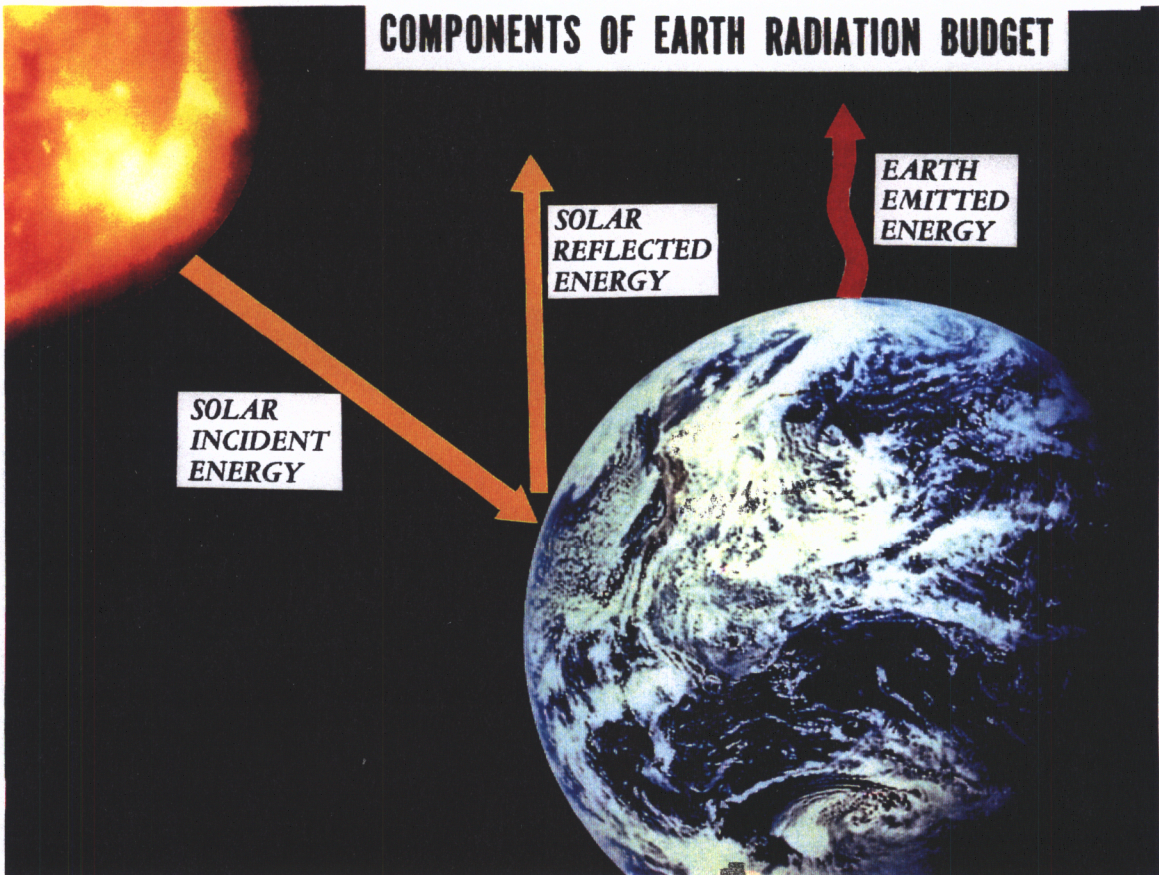


Fig. 1. Components of the Earth Radiation Budget.

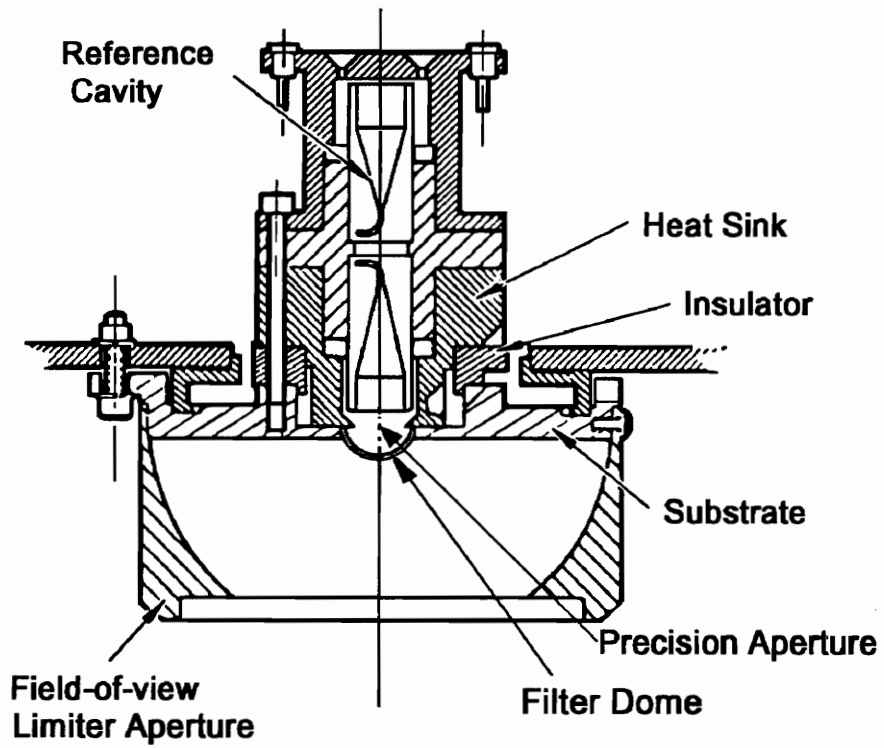


Fig. 2. An ERBE Earth-Viewing Nonscanning Active-Cavity Radiometer.

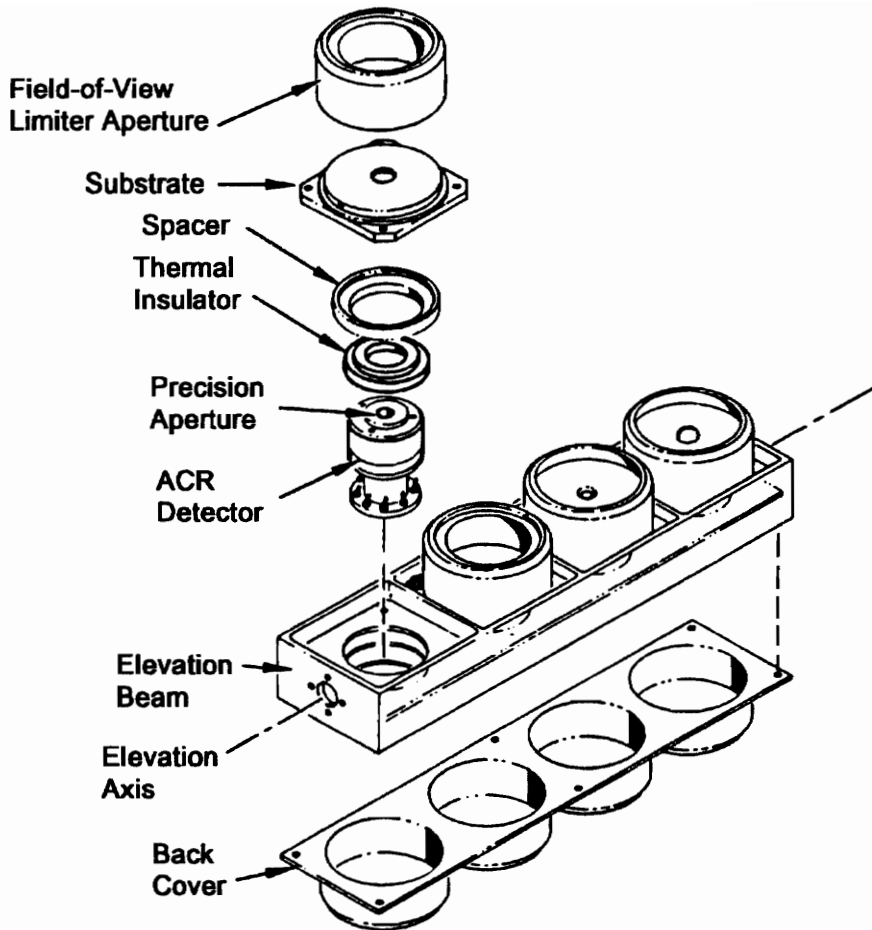


Fig. 3. Nonscanner Assembly Drawing.

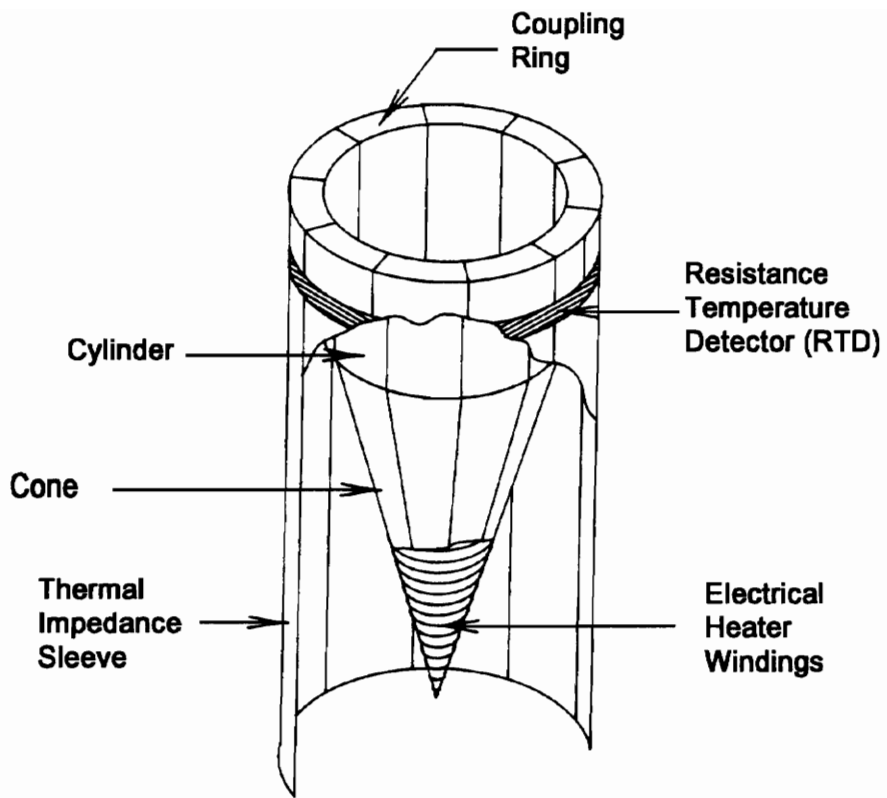


Fig. 4. Radiometer Sensing Element.

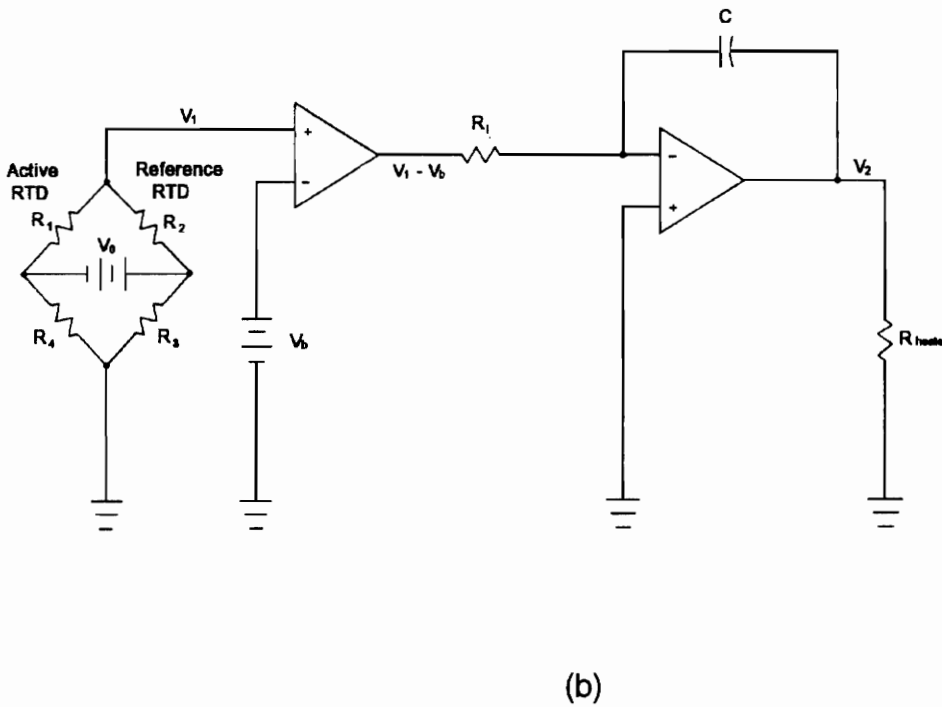
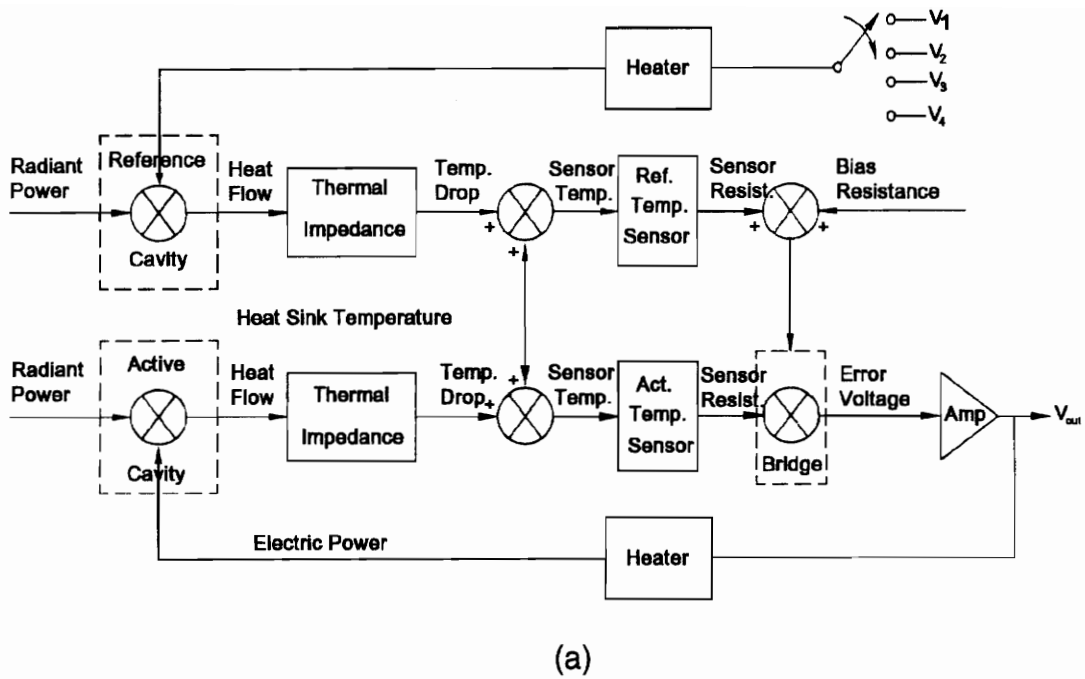


Fig. 5. Electrical Feedback Control (a) Block Diagram and (b) Simplified Electrical Schematic.

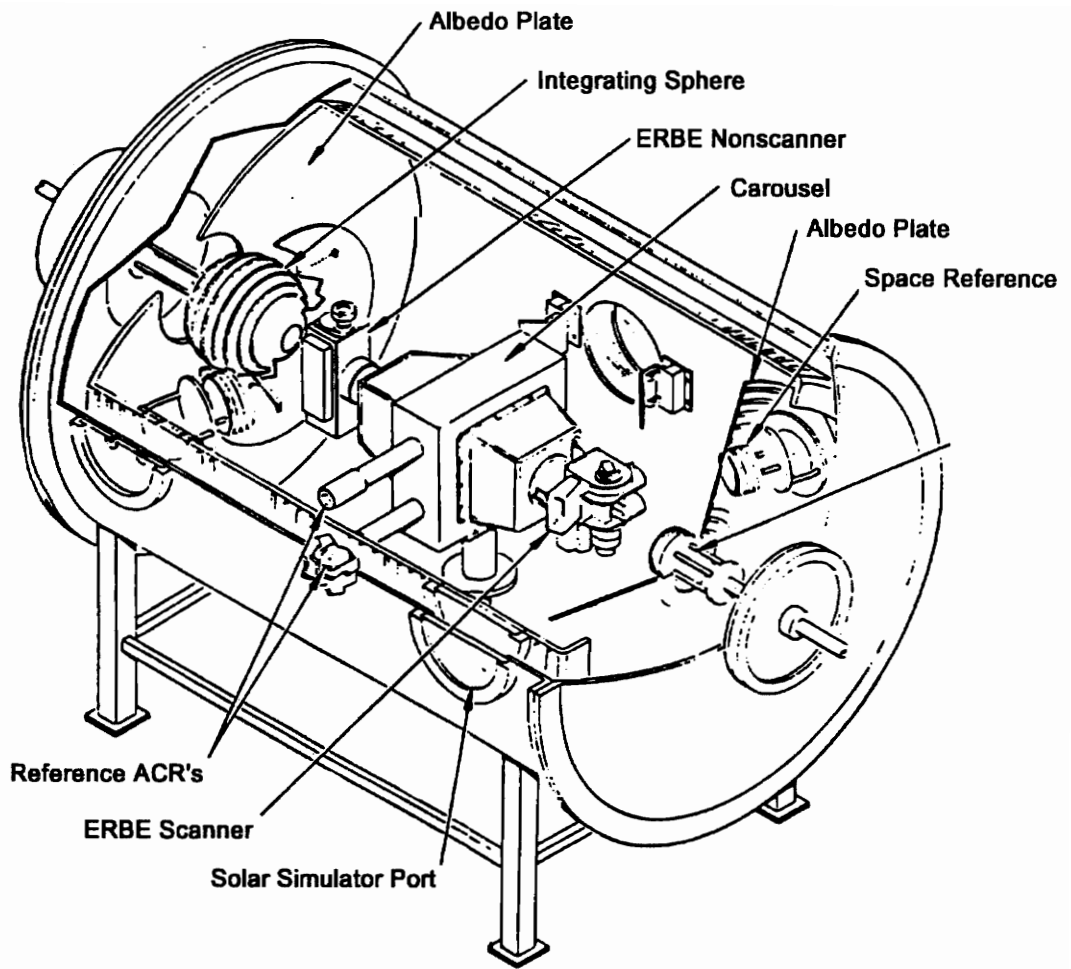


Fig. 6. ERBE Calibration Chamber [33].

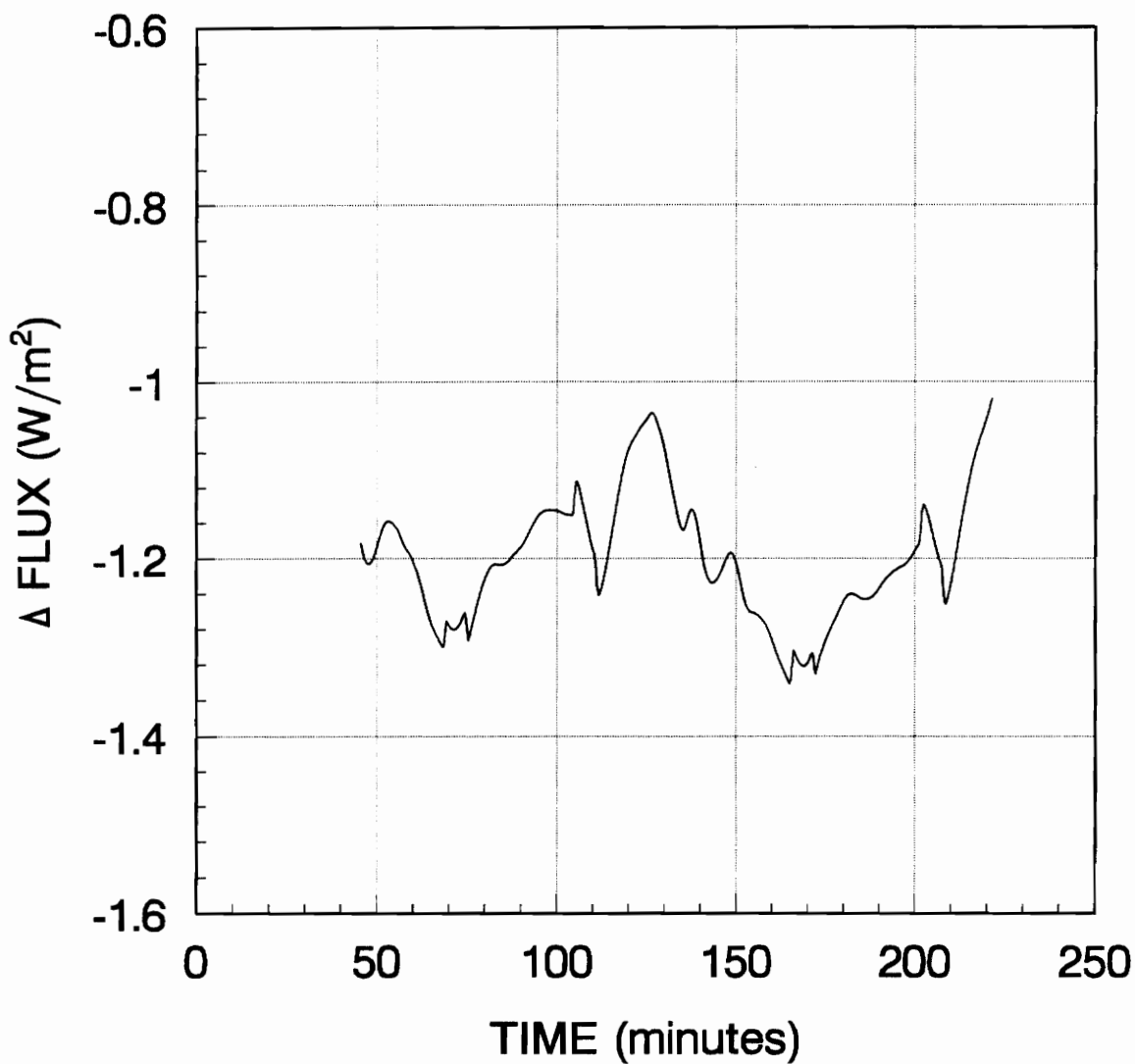


Fig. 7. Differences in the Earth Radiation Budget Satellite (ERBS) Wide Field-of-View Total (WFOVT) Channel Fluxes Obtained Utilizing Low-Order Physical Model Coefficients and Coefficients Based on the ERBE Science Team's Statistical Regression (Model - Regressed).

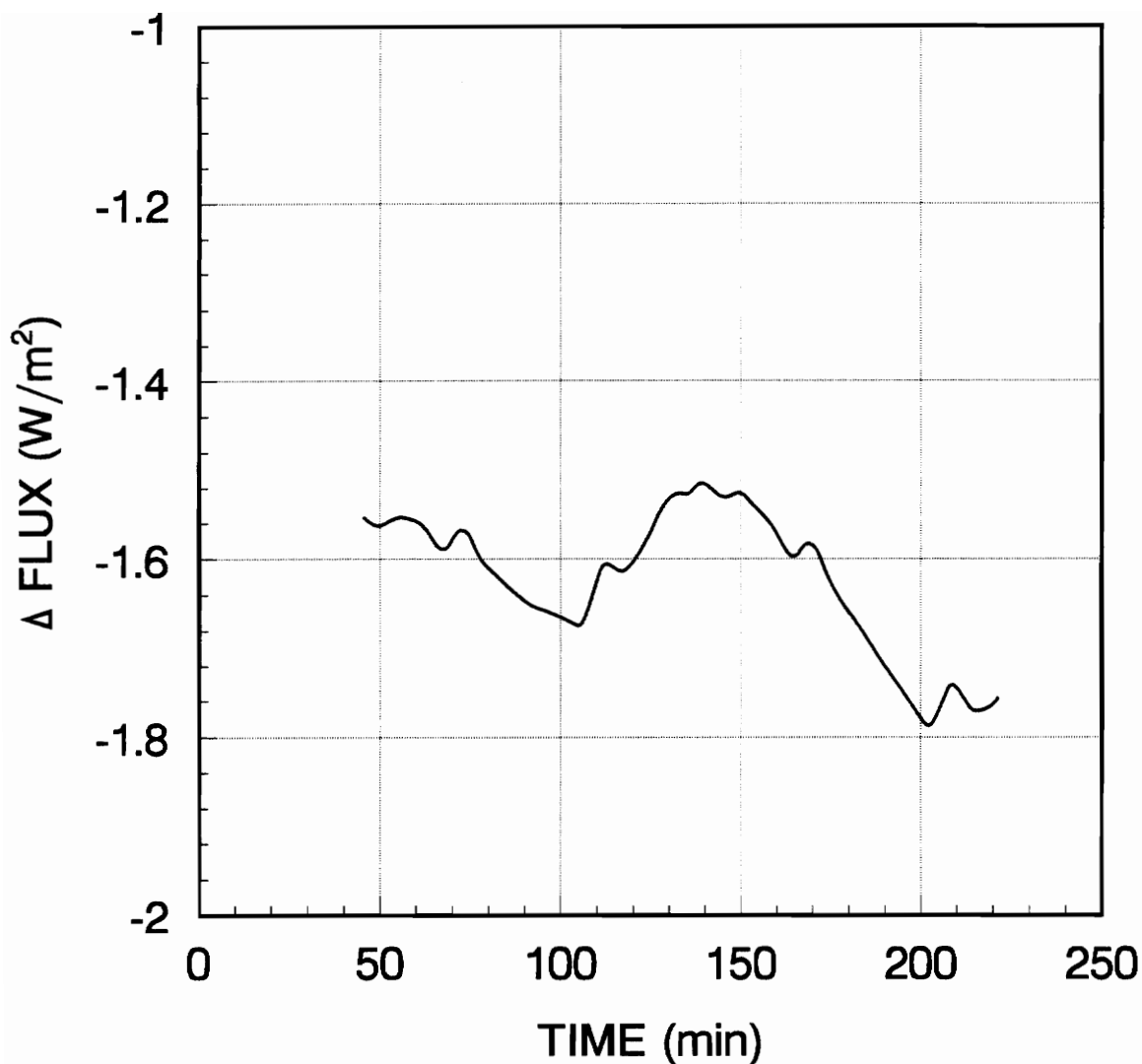


Fig. 8. Differences in the Earth Radiation Budget Satellite (ERBS) Medium Field-of-View Total (MFOVT) Channel Fluxes Obtained Utilizing Low-Order Physical Model Coefficients and Coefficients Based on the ERBE Science Team's Statistical Regression (Model - Regressed).



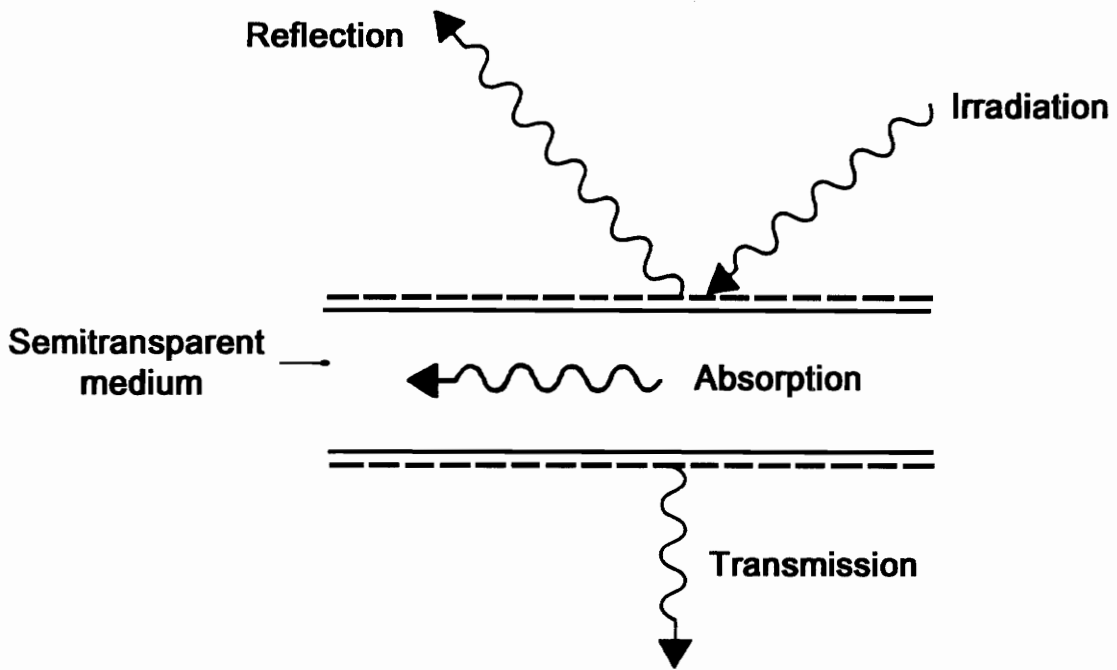


Fig. 9. Illustration of Absorption, Reflection and Transmission.

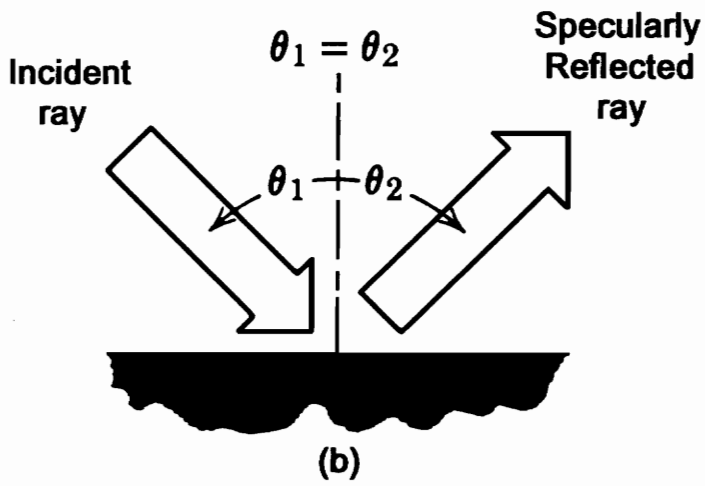
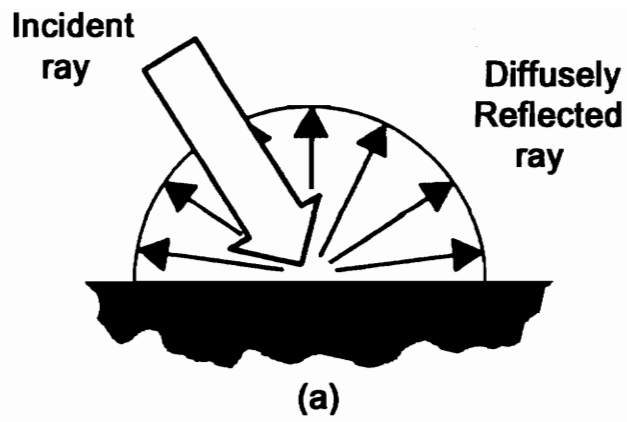


Fig. 10. Illustration of (a) Diffuse and (b) Specular Reflections.

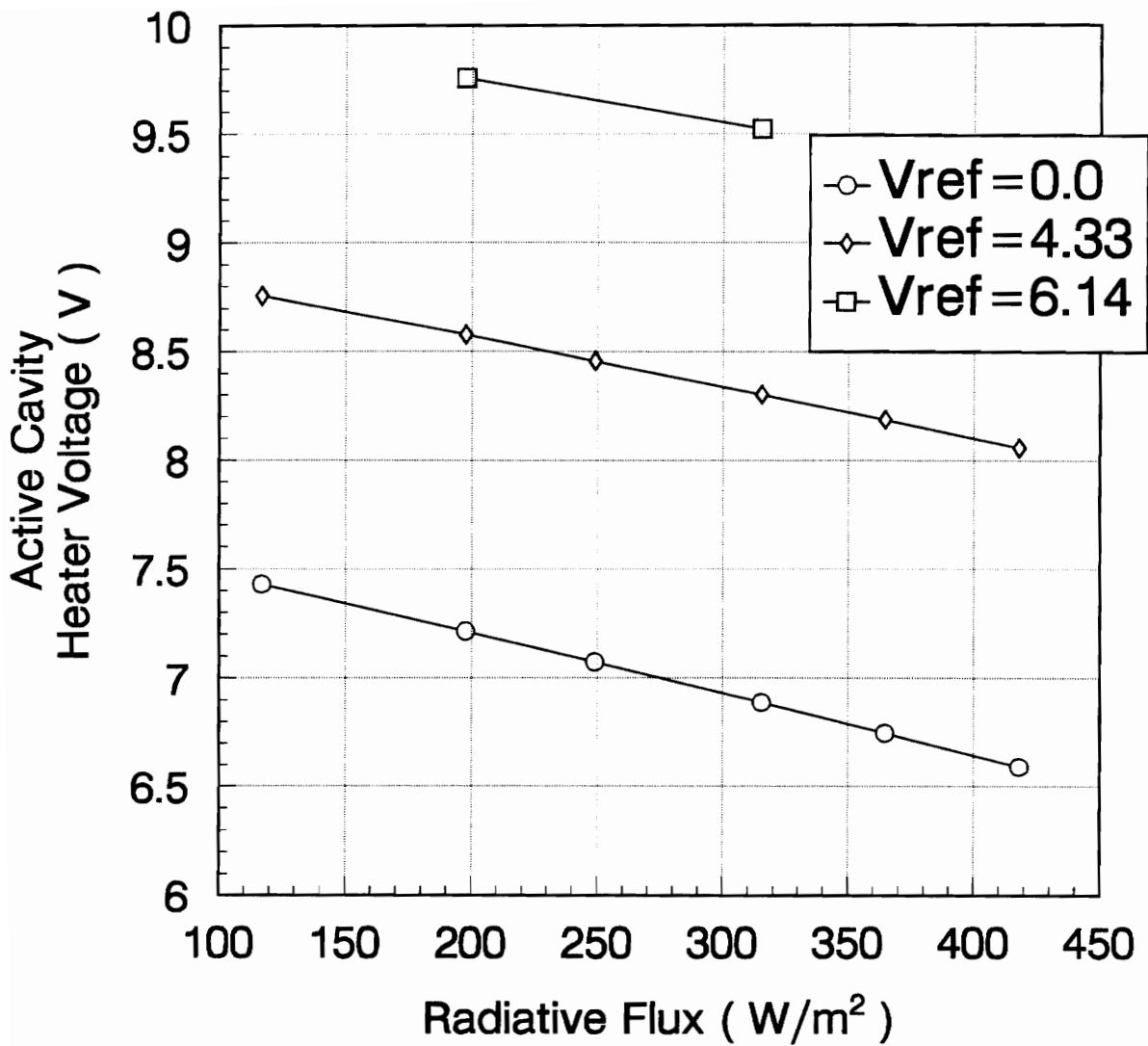


Fig. 11. Gains of the Wide Field-of-View (WFOVT) Channel End-to-End Model During Simulated Ground Calibration Runs as a Function of Reference Cavity Heater Voltage.

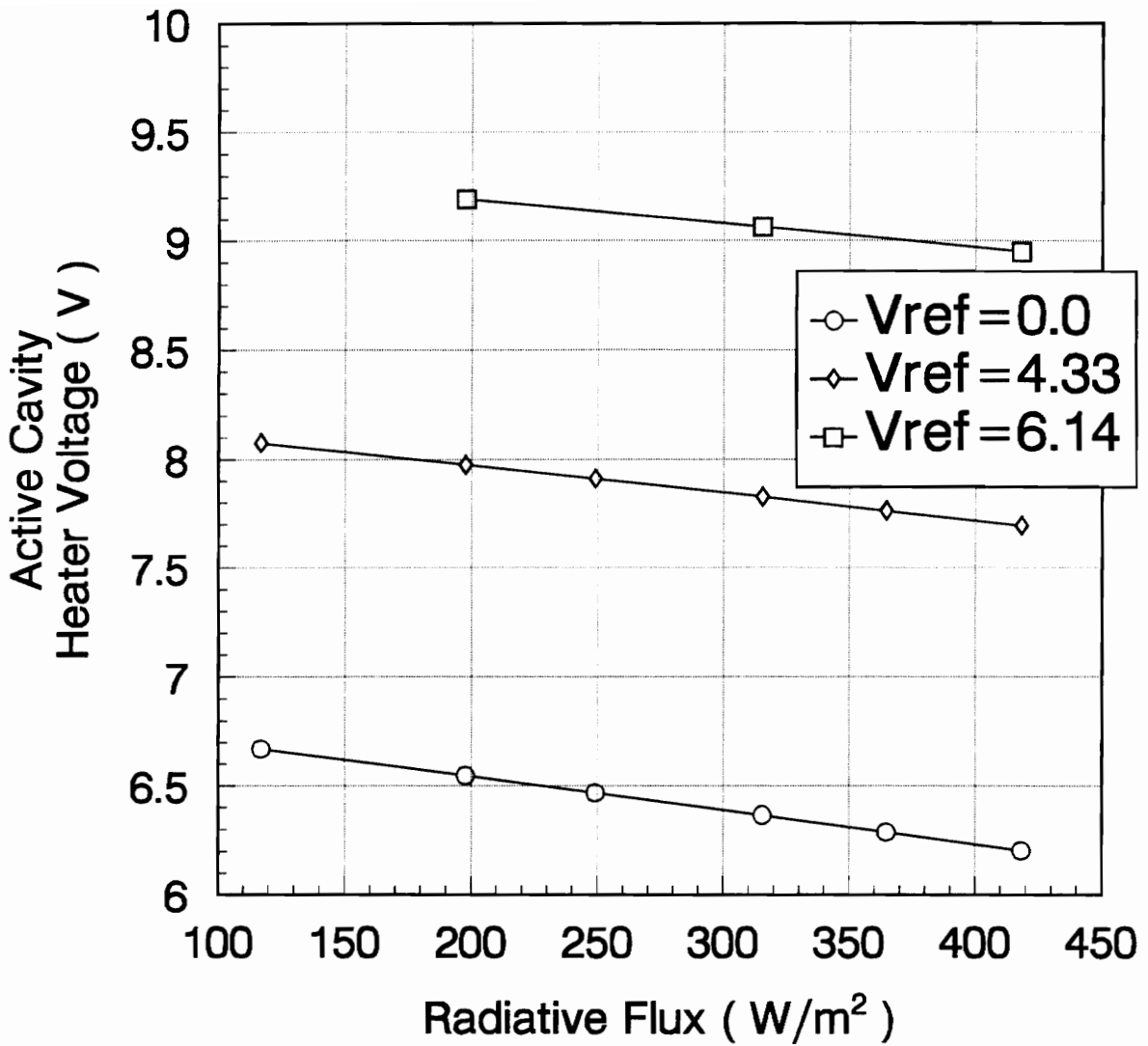


Fig. 12. Gains of the Medium Field-of-View Total (MFOVT) Channel End-to-End Model During Simulated Ground Calibration Runs as a Function of Reference Cavity Heater Voltage.

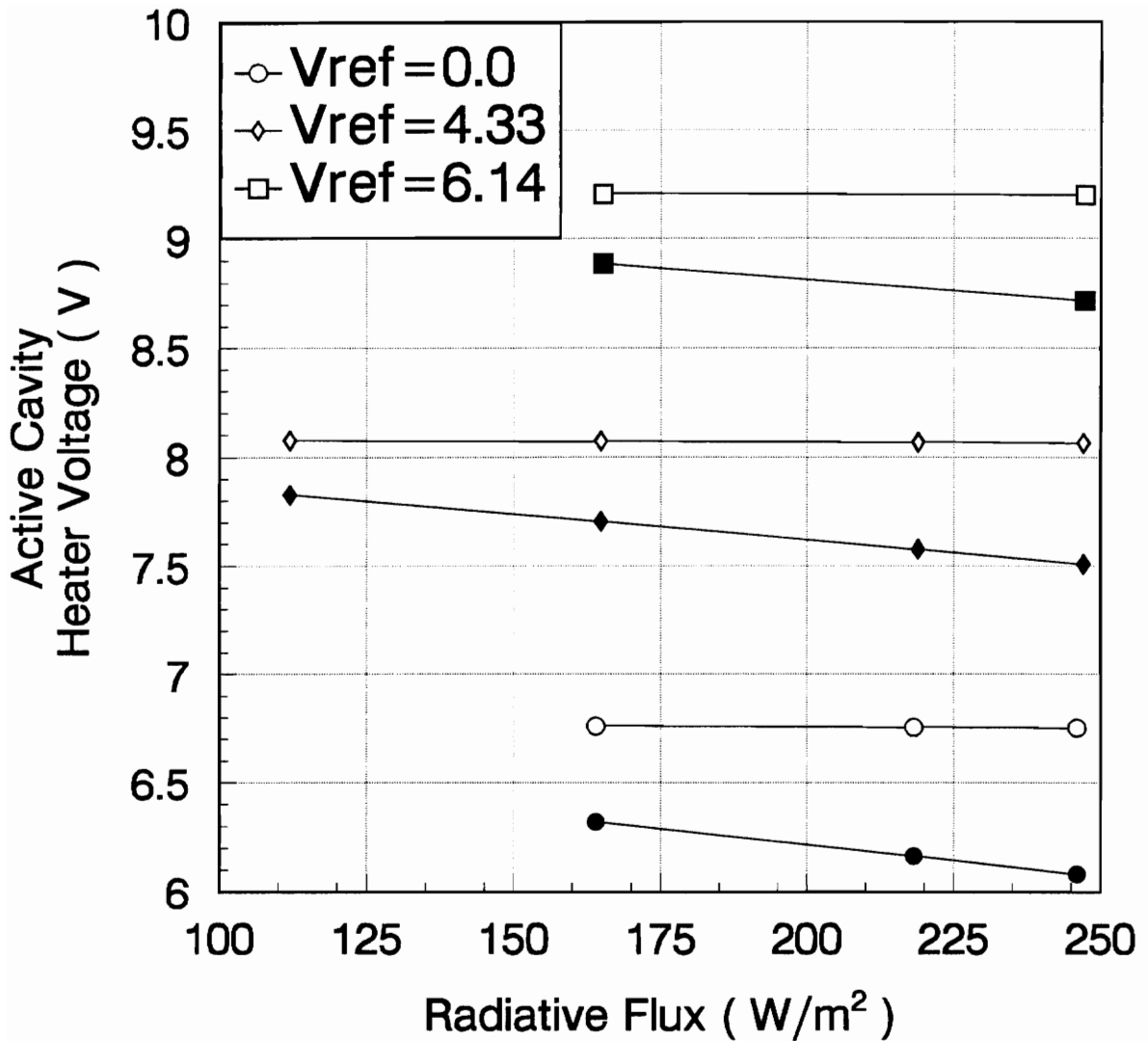


Fig. 13. Gains of the Wide Field-of-View Shortwave (WFOVSW) Channel End-to-End Model During Simulated Ground Calibration Runs as a Function of Reference Cavity Heater Voltage and Spectral Distribution of the Radiative Flux. (Solid Symbols = Shortwave Sources, Hollow Symbols = Longwave Sources)

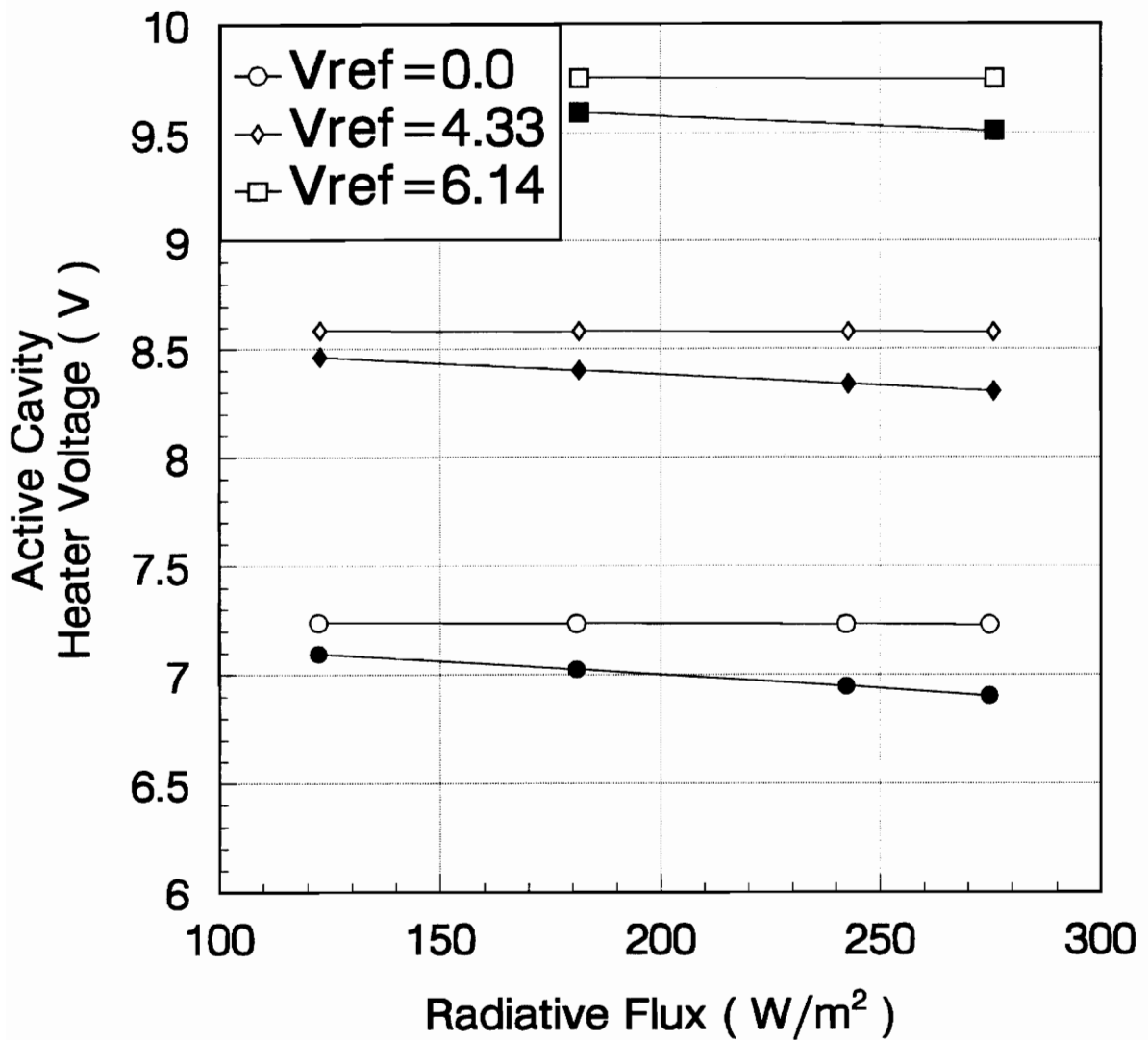


Fig. 14. Gains of the Medium Field-of-View Shortwave (MFOVSW) Channel End-to-End Model During Simulated Ground Calibration Runs as a Function of Reference Cavity Heater Voltage and Spectral Distribution of the Radiative Flux. (Solid Symbols = Shortwave Sources, Hollow Symbols = Longwave Sources)

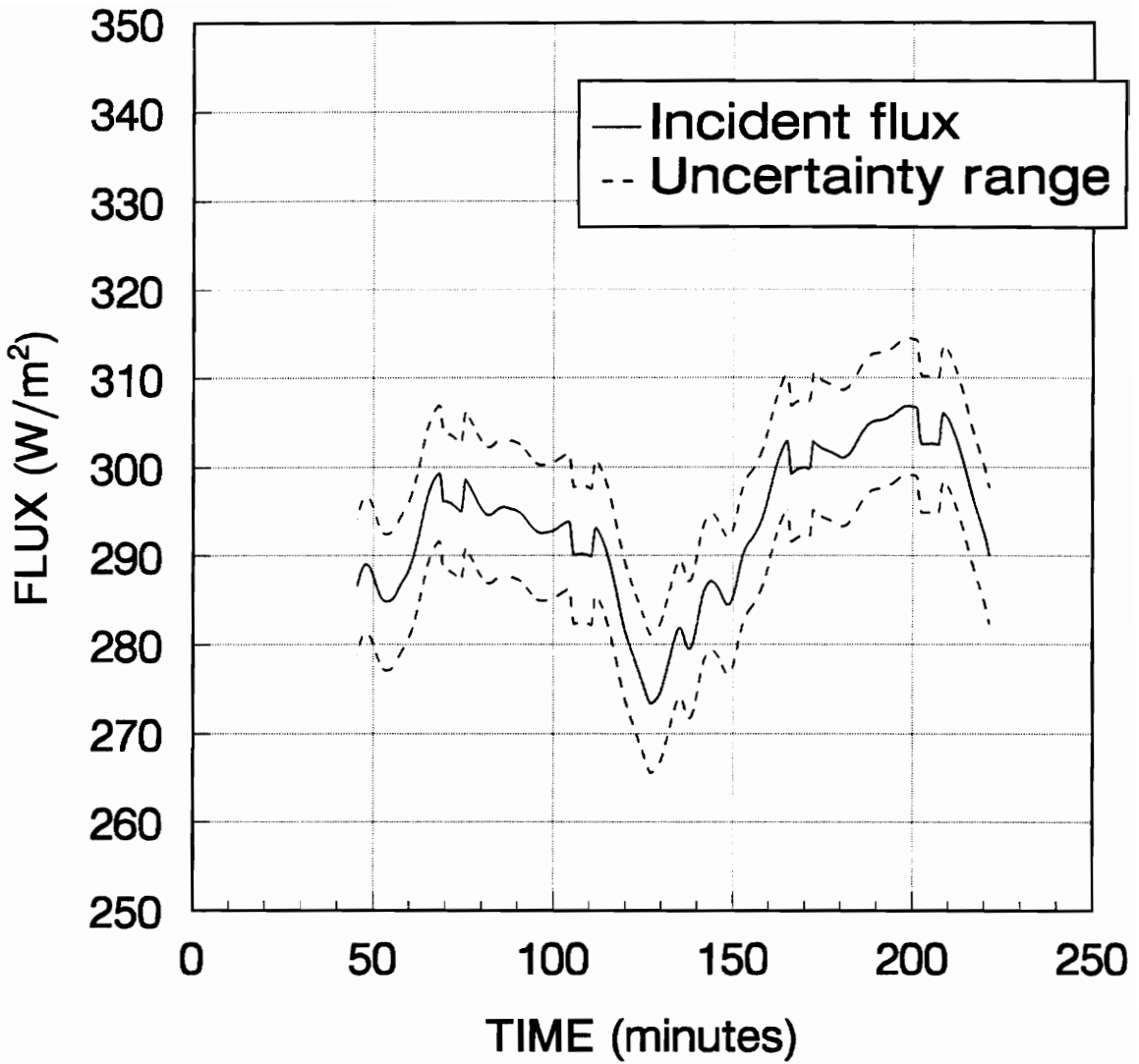


Fig. 15. Uncertainty in the Wide Field-of-View Total (WFOVT) Channel Data Product Derived Using a Low-Order Physical Model.

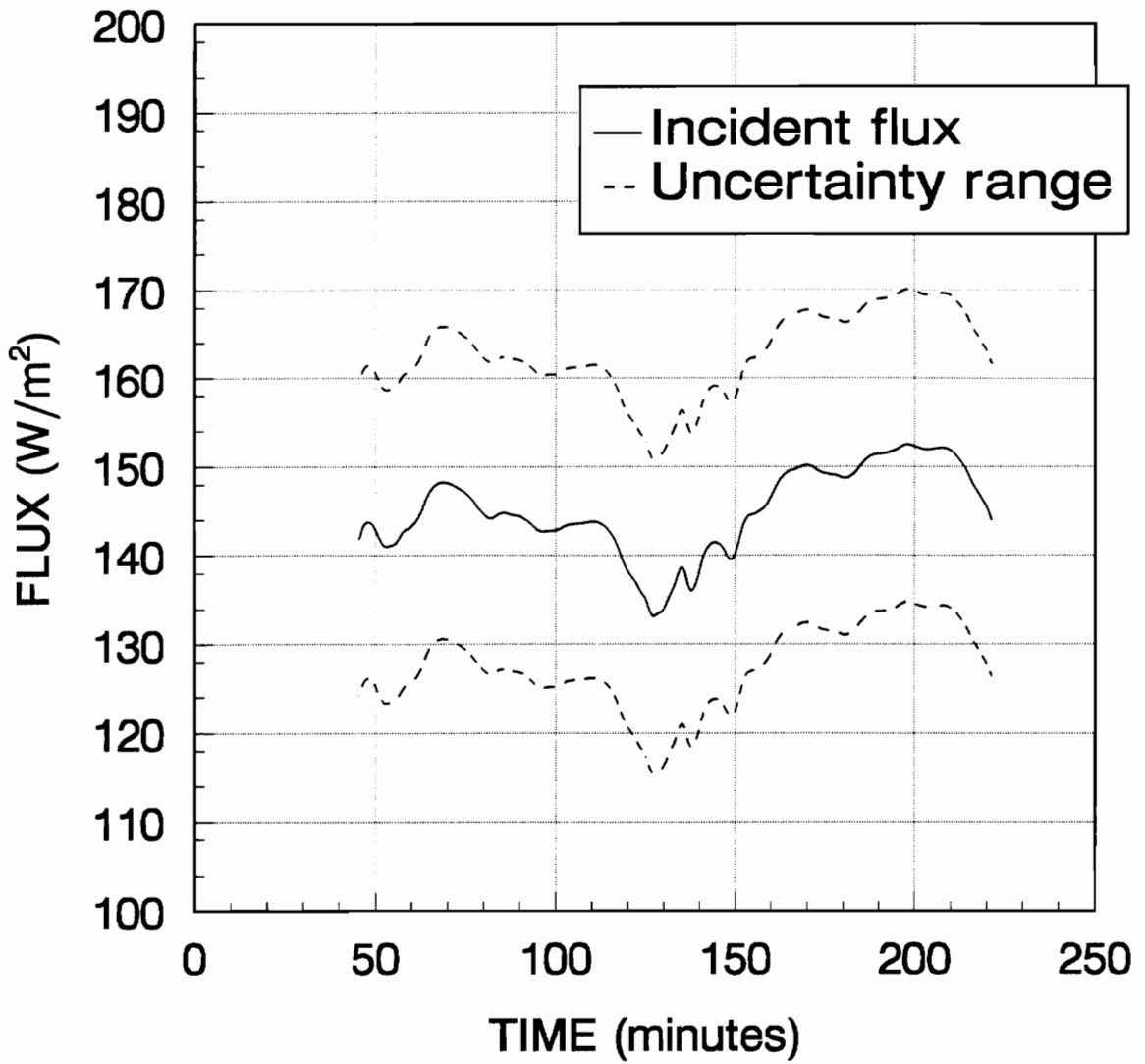


Fig. 16. Uncertainty in the Medium Field-of-View Total (MFOVT) Channel Data Product Derived Using a Low-Order Physical Model.



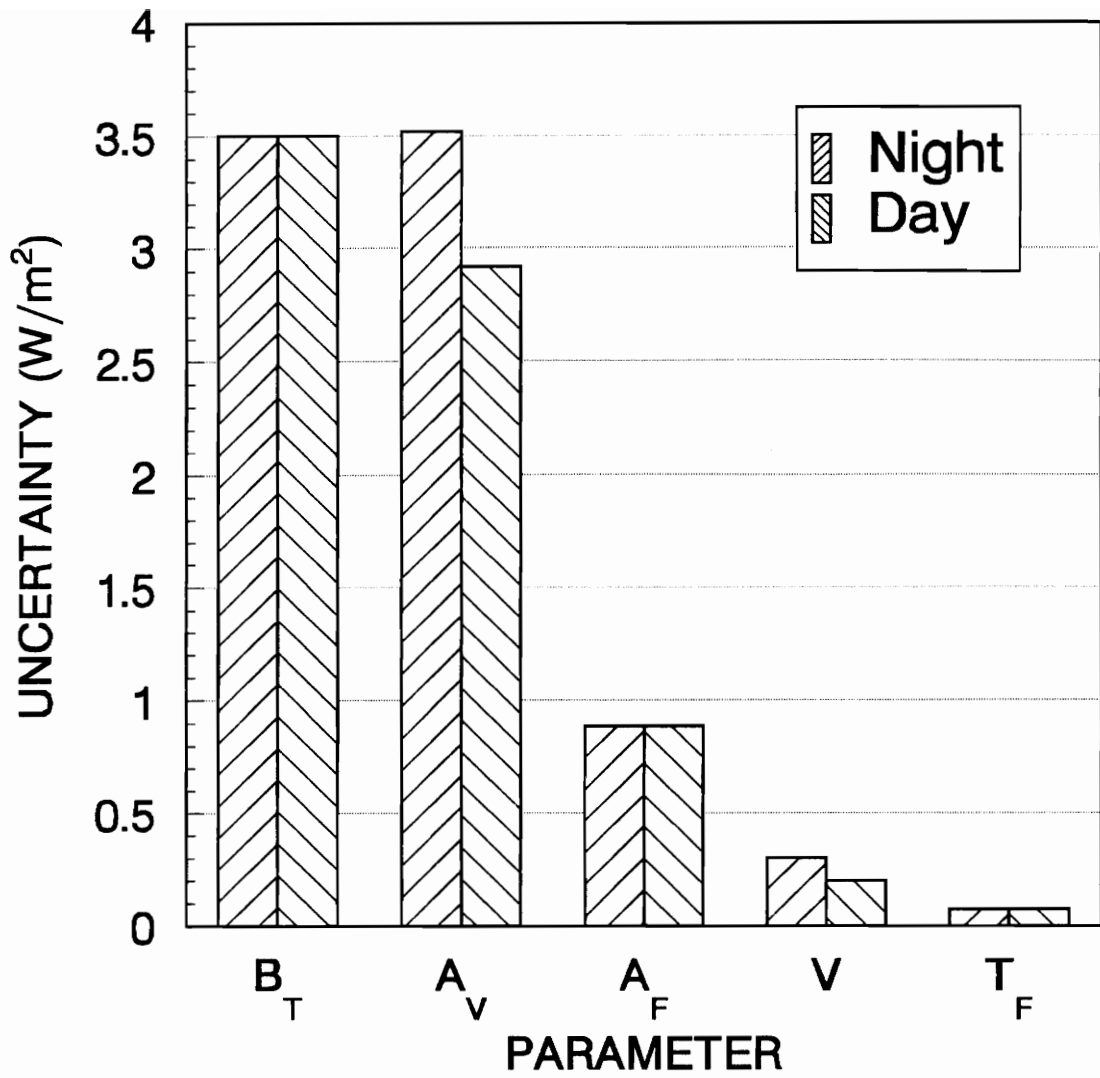


Fig. 17. Variation in the Wide Field-of-View Total (WFOVT) Channel Uncertainty as a Function of Solar Zenith Angle.

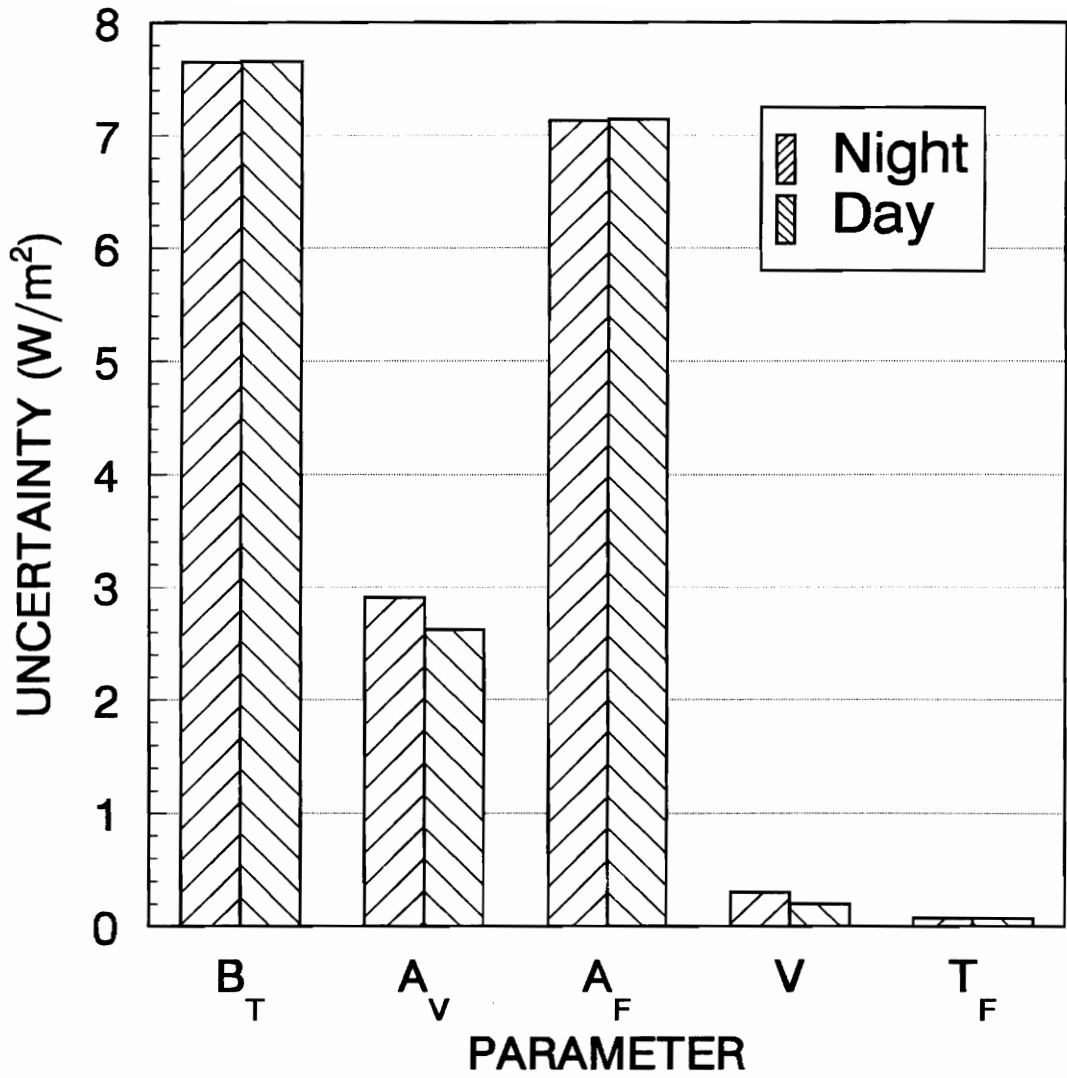


Fig. 18. Variation in the Medium Field-of-View Total (MFOVT) Channel Uncertainty as a Function of Solar Zenith Angle.

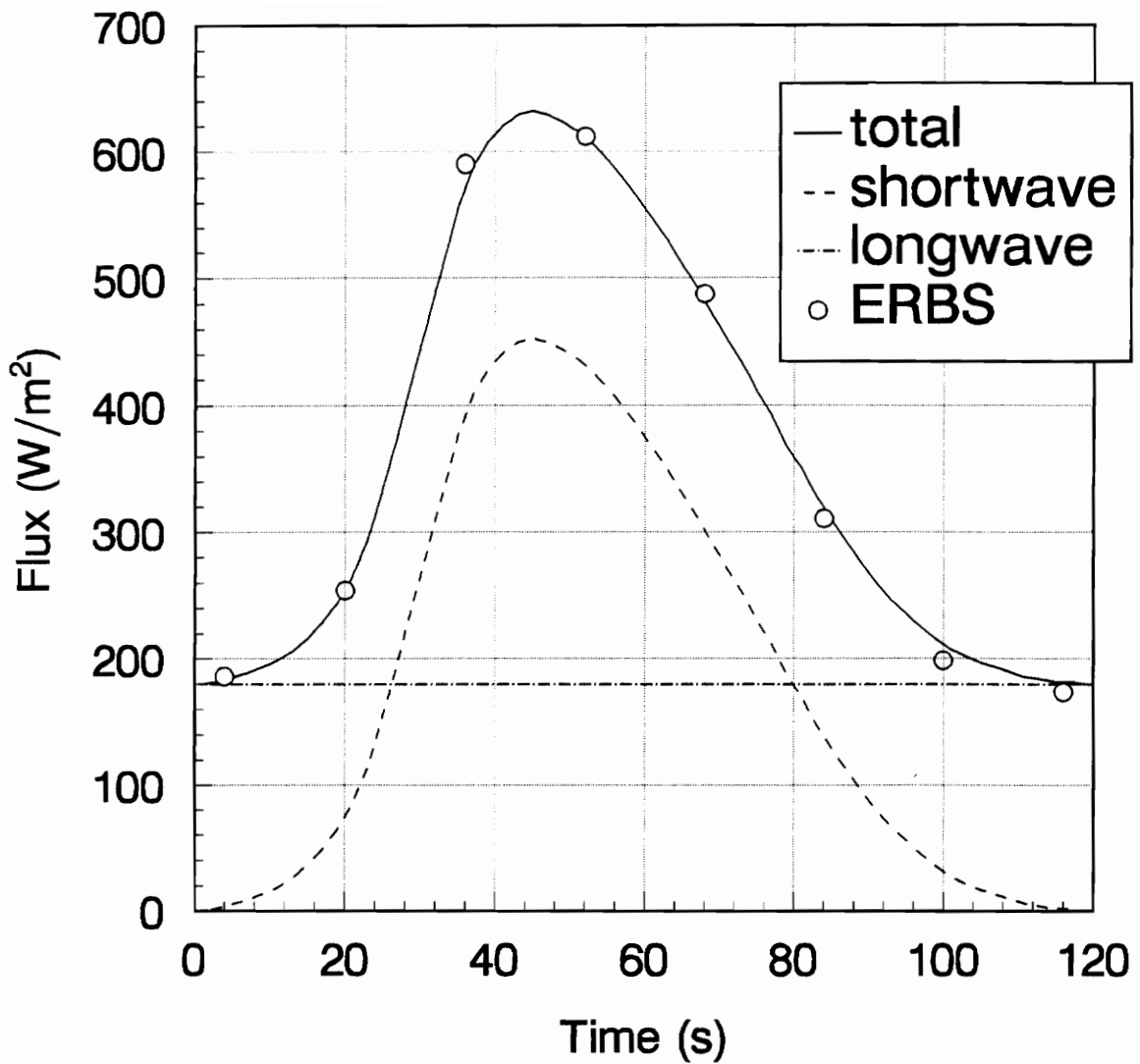


Fig. 19. Simulated Solar Blip Event Radiative Fluxes, Determined Using Data Recorded by the Earth Radiation Budget Satellite (ERBS) on April 17, 1985.

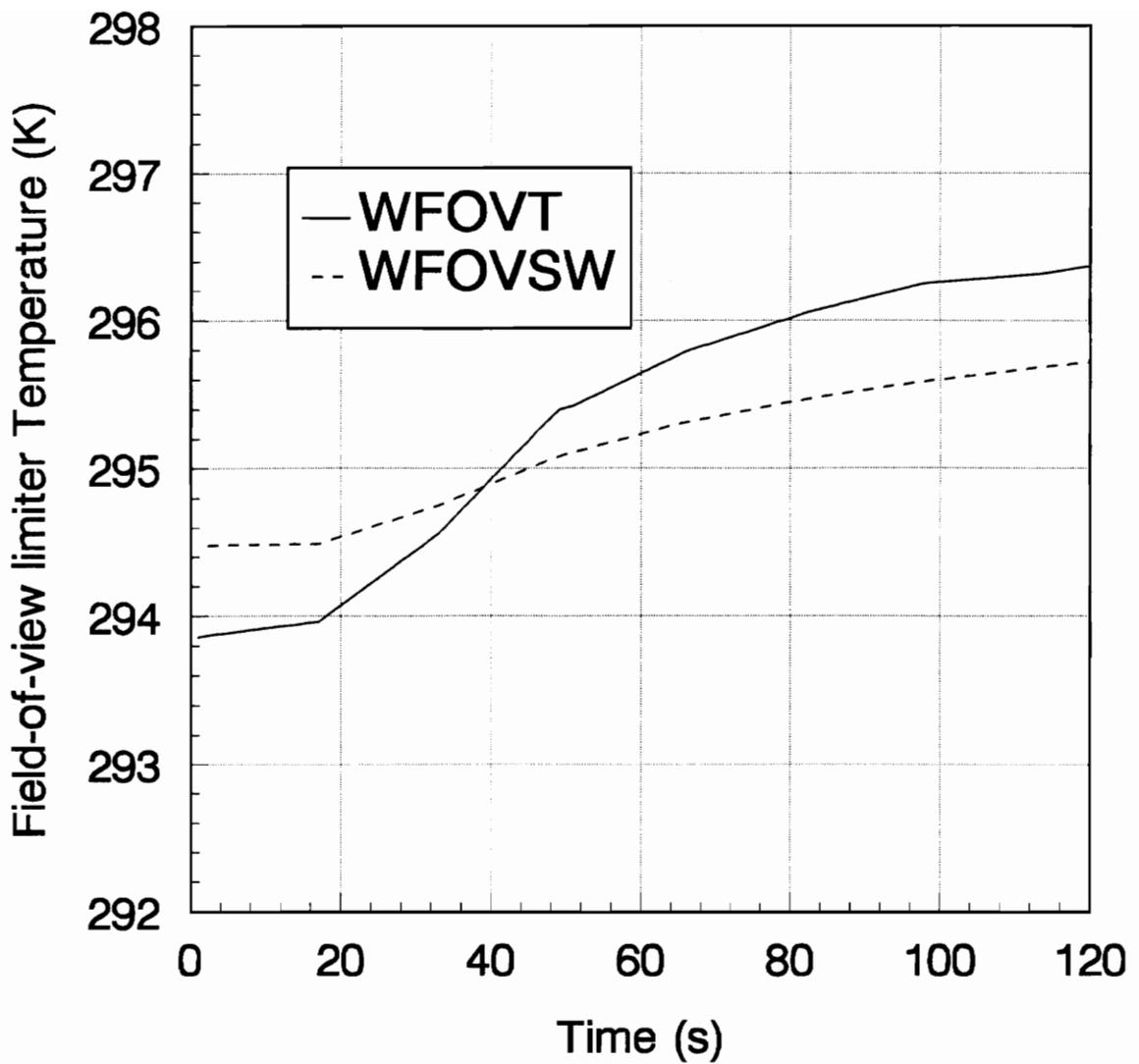


Fig. 20. Field-of-View Limiter Temperatures for the Simulated Solar Blip Event, Values were Obtained from Data Recorded by the Earth Radiation Budget Satellite (ERBS) on April 17, 1985.

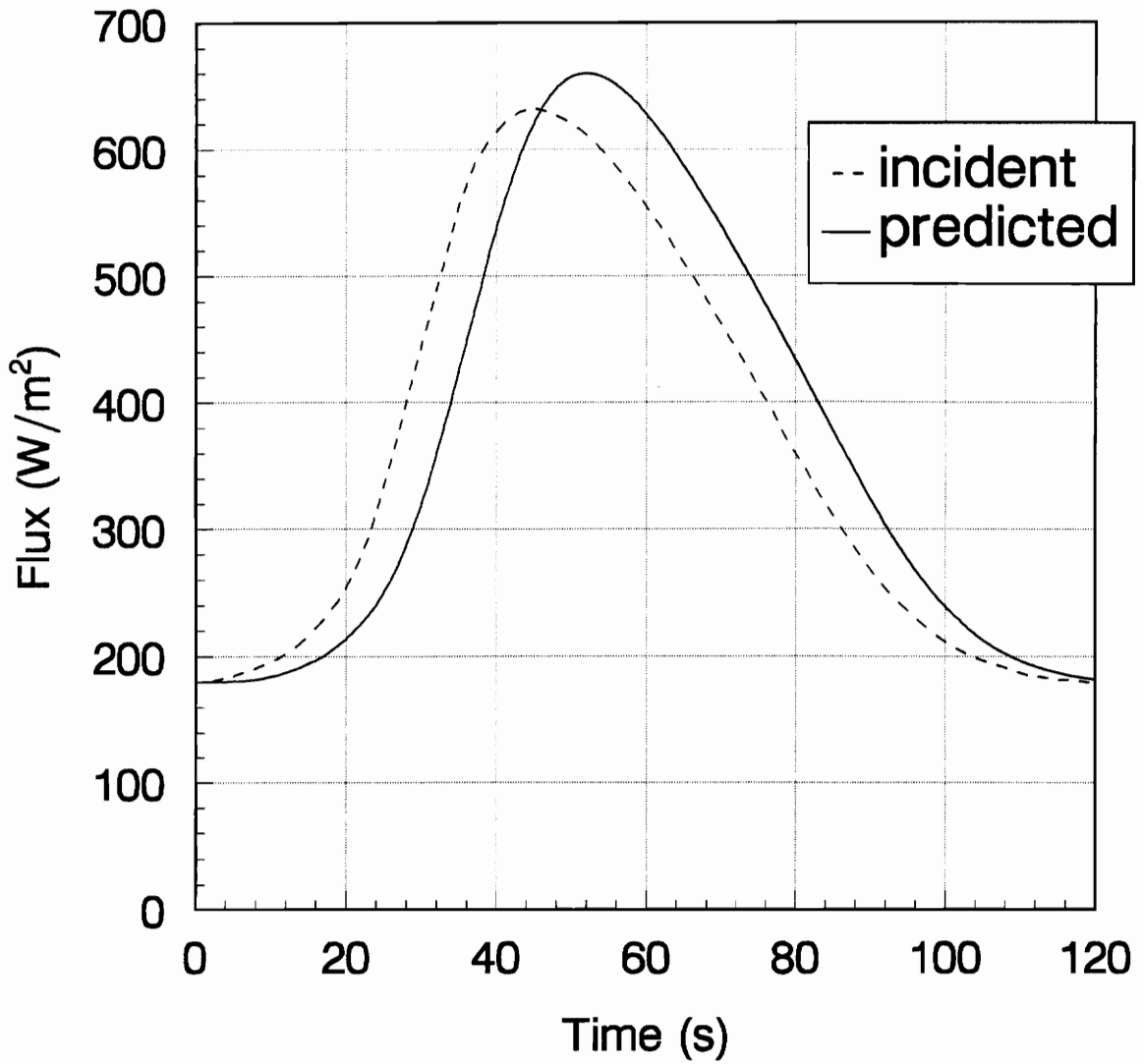


Fig. 21. Wide Field-of-View Total (WFOVT) Channel Simulated Solar Blip Event, Showing the Specified Incident Flux, and the Corresponding Flux Predicted by the End-to-End Model.

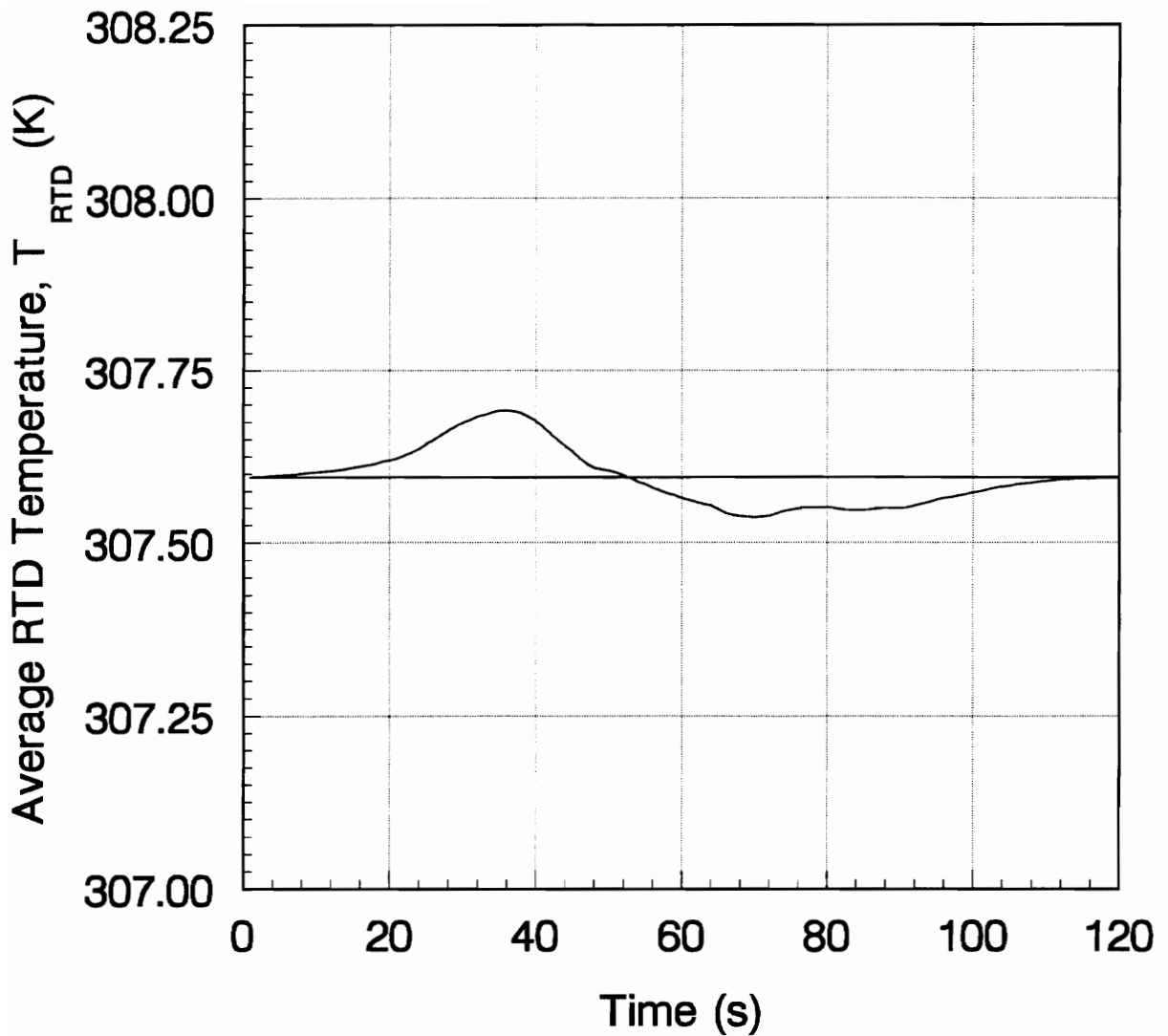


Fig. 22. Average Resistance Temperature Detector (RTD) Temperature Predicted for the Wide Field-of-View Total (WFOVT) Channel Solar Blip Event.

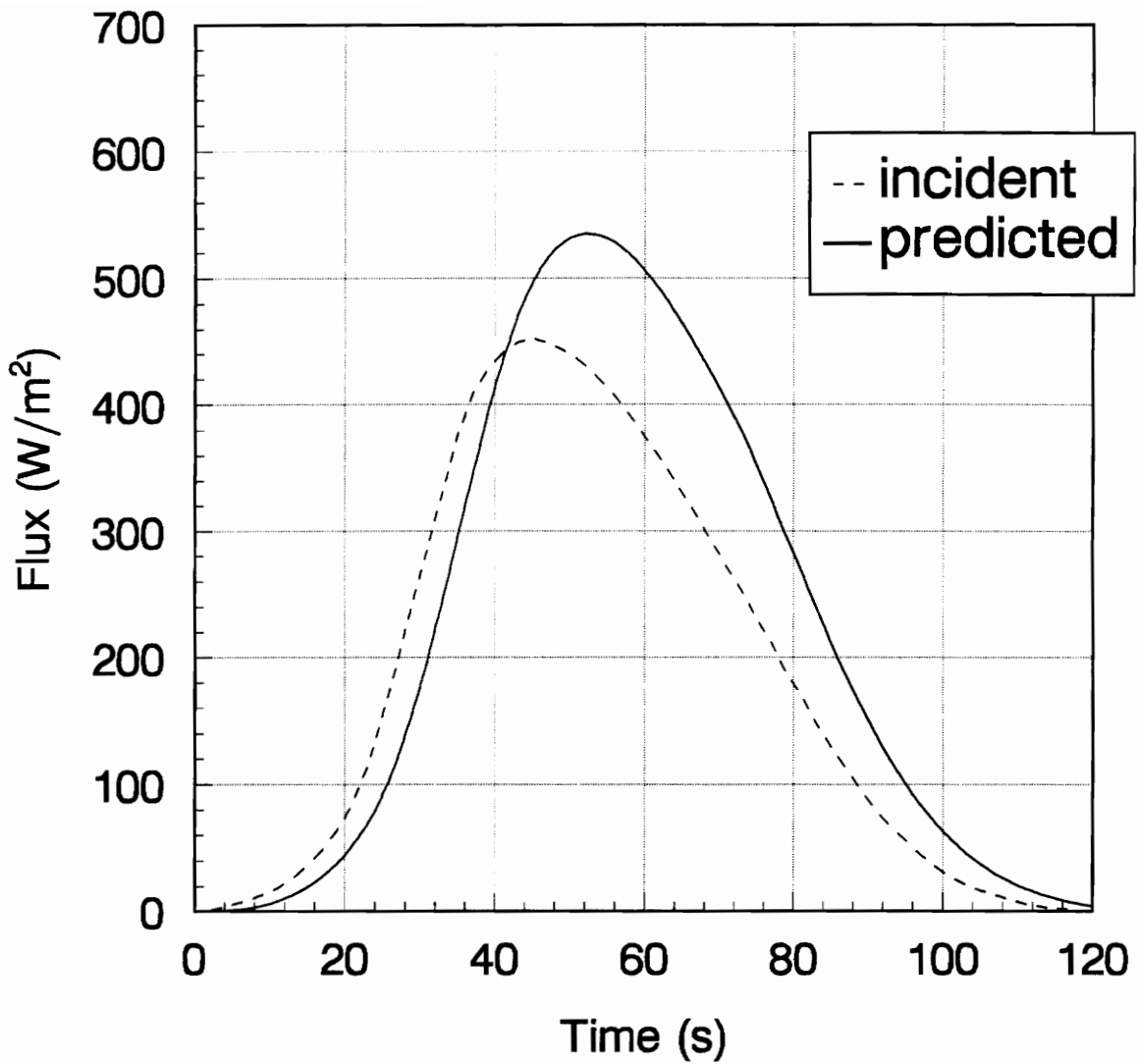


Fig. 23. Wide Field-of-View Shortwave (WFOVSW) Channel Simulated Solar Blip Event, Showing the Specified Incident Flux, and the Corresponding Flux Predicted by the End-to-End Model.

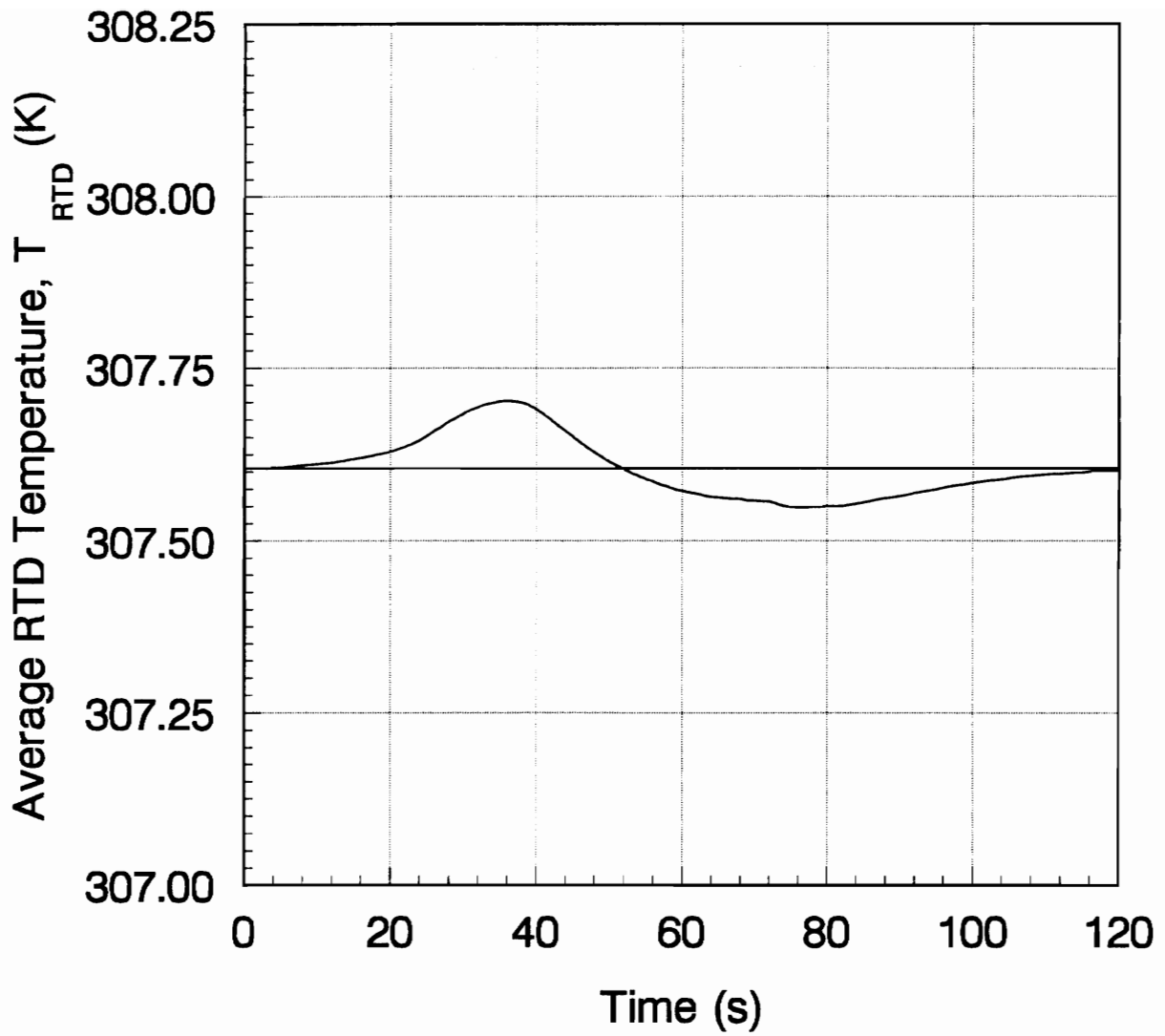


Fig. 24. Average Resistance Temperature Detector (RTD) Temperature Predicted for the Wide Field-of-View Shortwave (WFOVSW) Channel Solar Blip Event.



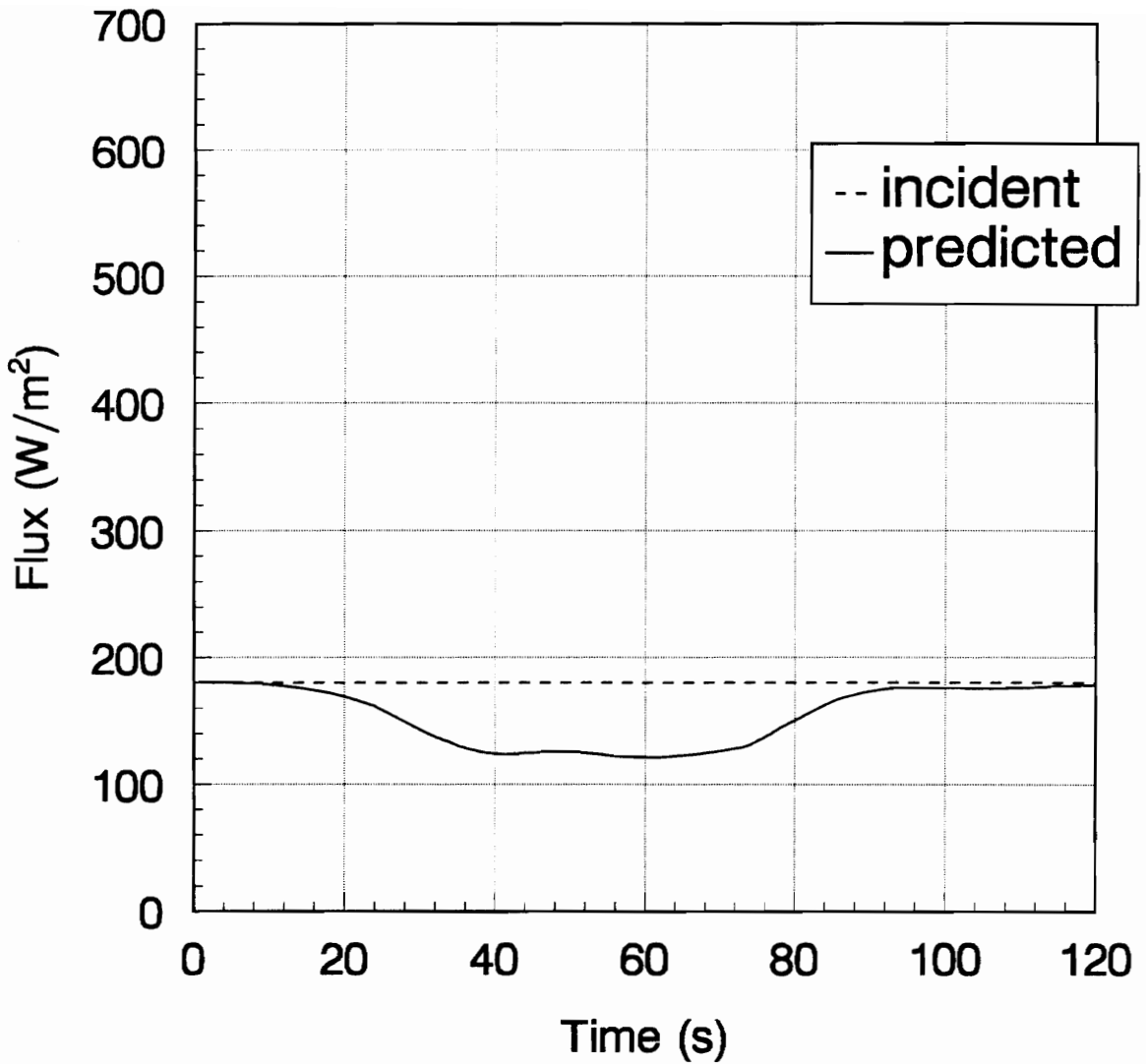


Fig. 25. Specified Incident and the Corresponding Predicted Longwave Flux During a Simulated Solar Blip Event. (Longwave Flux = Total Flux - Shortwave Flux)

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## **Appendix A**

### **Program ERBERT**





```

C List of functions
C
      REAL*8 NORME, DOTP, FRAKEMI, F, SUM
C
C OTHER VARIABLES
C
      REAL*8 DT, DIST, MAGMAX, MAGMIN
      REAL*8 COSDOM, carre
      REAL*8 DFAC, DFACTT, DFACSW, DFACLW, CHECKDF, CHECK1, checkj
      REAL*8 CNTREF, DUMSUM, NBBUSW, NBBULW
      REAL*8 XDUM, YDUM, TH
C
C VARIABLES TO SET UP THE SURFACE AND VOLUME ELEMENTS
C
      INTEGER NBLAT, NBLONG, NBWASH, NBPS, NBWLSU, NBLSU, NBSH, NBEO, NBPSD
      INTEGER NBPSB, NBPSC, NBHSB, NBHSC, NBPSCS, NBHSR, NBPSR
      INTEGER NB1, NB2, NB3, NB4, NB5, NB6, NB7, NB9, NB10, NB11, NB12, NB13
      INTEGER NB14, NB15, NB16, NB8, NB17, NB18
      INTEGER NBBUAB, NBVE
      INTEGER EMISUR, NBSURF, NSURI1, NSURI2, NSURI3
      INTEGER CHANEL, CH
      INTEGER EXCAV
C
C VARIOUS COUNTERS
C
      INTEGER CNTBDL, CNTCCL, CNTRDM, CNTBRW, CNTRUN, CNTINT
      INTEGER CNTIND, CNTIN1(100), CNTIN2(100), CNTEMI
C
C VARIOUS INDICES
C
      INTEGER I, J, K, JMAX, SURFAC, BOOL, IN, SIZE, SURF
      INTEGER MAXBDL, ANSWER, FT, WIN, WINIT, IJ, KL
      INTEGER NBWLIN, NBDLIN, NBBUEA
      INTEGER MAXELT, MAXMAX, MAXWLI
      INTEGER SEED1, MENU3
C
C BOOLEANS NECESSARY FOR TESTS
C
      LOGICAL ABSOR, REFL, TRANS, HITTEN, ENTER, EXIT, INDOME, PTSOUR, DIFUS
      LOGICAL EXITCAV
      PARAMETER (MAXELT=700, MAXMAX=750, SIZE=15, MAXWLI=15)
C
C ARRAYS
C
      DIMENSION FREMPO (MAXWLI)
      DIMENSION DT (SIZE), FT (SIZE)
      DIMENSION DFAC (MAXMAX, MAXMAX, MAXWLI)
      DIMENSION X2 (SIZE), Y2 (SIZE), Z2 (SIZE), MAGNV (SIZE)
      DIMENSION COSNEW (SIZE), HITTEN (SIZE), BOOL (SIZE), ANORM (SIZE)
      DIMENSION INORM (SIZE, 3), DIST (MAXELT)
C
C External functions
C
      EXTERNAL NORME, DOTP, FRAKEMI, F, SUM
C
C Common variables
C
      COMMON /RIING/ NBHSR, NBPSR
      COMMON /CHANNEL/ CHANEL
      COMMON /CAVSUR/ NBHSB, NBHSC, NBPSB, NBPSC, NBPSCS
      COMMON /RAND/ CNTRDM
      COMMON /REAB/ ALPHA1, ALPHA2, ALPHA9, ALPHA11, ALPHA13, ALPHA14,
& ROSPEC1, ROSPEC2, ROSPEC9, ROSPEC11, ROSPEC13, ROSPEC14,
& RODIFF1, RODIFF2, RODIFF9, RODIFF11, RODIFF13, RODIFF14

```

```

COMMON /RETR/ ROSPEC3,RODIFF3
COMMON /TRAN/ IVAC,IDOM
COMMON /NB14/ NB1,NB2,NB3,NB4,NB9,NB11,NB13,NB14
COMMON /NB57/ NB5,NB6,NB7,NB15,NB16,NB8,NB17,NB18
COMMON /SER1/ NBBUAB(MAXELT) /SER2/ NBLAT,NBLONG
COMMON /SER3/ NBWASH,NBPS,NBLSU,NBWSU /SER4/ NBSH,NBCO,NBPSD
COMMON /FOVL/ RFOV,TETA FM /SUBS/ RPA,SURFAC
COMMON /DOVE/ REXT,RINT,DENIV
COMMON /NSUR/ NSURI1,NSURI2,NSURI3
COMMON /COUN/ CNTBRW
COMMON /PTSO/ XPTSO,YPTSO
COMMON /SETU/ RADF(MAXELT),PHIF(MAXELT),ttaf(maxelt),
& SAREA(MAXELT),RCEN
COMMON /NODE/ XNOD(MAXELT),YNOD(MAXELT),ZNOD(MAXELT)
COMMON /WLS1/ NBDLIN(MAXWLI),NBBUEA(MAXWLI),NBWLIN
COMMON /WLS2/ DOABCO(MAXWLI),LBDA(MAXWLI)
COMMON /CHAN/ CH
COMMON /FACE/ XFAC(MAXELT),YFAC(MAXELT),ZFAC(MAXELT)
COMMON /TECP/ DFACTT(1,MAXELT),DFACSW(1,MAXELT),DFACLW(1,MAXELT)
COMMON /CAVITY/ RCAV,LBAR,LCON,CAVANG
COMMON /CONSET/ DLCON(20)

C
OPEN(21,FILE='ttchannel.input',status='old')
OPEN(22,FILE='swchannel.input',status='old')
OPEN(12,FILE='earthflu.input',status='old')
OPEN(03,FILE='nsradan1.dat')
OPEN(07,FILE='dfacmtx.dat')
OPEN(08,FILE='tecplot1.dat')
OPEN(09,FILE='tecplot2.dat')
OPEN(10,FILE='curfile.dat10')
OPEN(16,FILE='curfile.dat16')

C
C MENU 1, choose which channel to simulate and specify the number of
C energy bundles to be emitted from each element
C
10 WRITE(06,520)'=====
WRITE(06,520)' MONTE-CARLO-BASED RAY-TRACE METHOD FOR
WRITE(06,520)' SIMULATION OF RADIATION HEAT TRANSFER IN THE
WRITE(06,520)' FRONT END OF THE ERBE NONSCANNING RADIOMETER.
WRITE(06,520)' FOR TOTAL CHANNEL SIMULATION (1)
WRITE(06,520)' FOR SHORTWAVE CHANNEL SIMULATION (2)
WRITE(06,520)'=====
READ(05,*)CHANEL
CH=CHANEL+20
WRITE(06,520)'=====
WRITE(06,520)' SPECIFY THE NUMBER OF BLUNDLES TO BE EMITTED:
WRITE(06,520)'=====
READ(05,*)MAXBDL
WRITE(06,520)'=====
WRITE(06,520)' SPECIFY THE INTERVAL AT WHICH YOU WANT A RESPONSE
WRITE(06,520)'=====
READ(05,*)WINIT

C
c Initialization for random number generator. Get two seeds from user
c for initialization.
c
WRITE(06,520)'=====
WRITE(06,520)' GIVE AN INTEGER BETWEEN 0 AND 2,147,483,647:
WRITE(06,520)'=====
READ(05,*)SEED1
CALL RNSET(SEED1)

C
C GET GEOMETRY OF THE PROBLEM FROM INPUT FILE
C

```

```

READ(CH,*)
READ(CH,*)
READ(CH,*)RFOV
READ(CH,*)RCAV
READ(CH,*)LCON
READ(CH,*)LBAR
READ(CH,*)TETA FM
READ(CH,*)RPA
READ(CH,*)REXT
READ(CH,*)RINT
READ(CH,*)DENIV
READ(CH,*)ALPHA1
READ(CH,*)ALPHA2
READ(CH,*)ALPHA9
READ(CH,*)ALPHA11
READ(CH,*)ALPHA13
READ(CH,*)ALPHA14
READ(CH,*)ROSPEC1
READ(CH,*)ROSPEC2
READ(CH,*)ROSPEC3
READ(CH,*)ROSPEC9
READ(CH,*)ROSPEC11
READ(CH,*)ROSPEC13
READ(CH,*)ROSPEC14
READ(CH,*)RODIFF1
READ(CH,*)RODIFF2
READ(CH,*)RODIFF3
READ(CH,*)RODIFF9
READ(CH,*)RODIFF11
READ(CH,*)RODIFF13
READ(CH,*)RODIFF14
READ(CH,*)IVAC
READ(CH,*)IDOM
READ(CH,*)NBLAT
READ(CH,*)NBLONG
READ(CH,*)NBLSU
READ(CH,*)NBWLSU
READ(CH,*)NBWASH
READ(CH,*)NBPS
READ(CH,*)NB SH
READ(CH,*)NBCO
READ(CH,*)NBPSD
READ(CH,*)NBPSB
READ(CH,*)NBPSC
READ(CH,*)NBPSR
READ(CH,*)NBH SB
READ(CH,*)NBHSC
READ(CH,*)NBPSCS
READ(CH,*)NBHSR
READ(CH,*)TS

```

```

C
C Calculate the cone angle
C
      CAVANG=DATAN(RCAV/LCON)
      WRITE(06,*)'CAVANG',CAVANG
C
C INITIALIZE EXITCAV COUNTER
C
      EXCAV=0
C
C Read wavelength of the wl intervals.
C LBDA(I) is the upper limit of the wl interval I
C
      LBDAMX=50.0D0
      READ(CH,*)NBWLIN

```

```

DO 15 I=1,NBWLIN-1
  READ(CH,*)LBDA(I)
15 CONTINUE
  LBDA(NBWLIN)=LBDAMX
C
C Read the absorbtivity for each wavelength interval
C
  READ(CH,*)DOMTHC
  DO 16 I=1,NBWLIN
    READ(CH,*)DOABCO(I)
    DOABCO(I)=DLOG(1.D0/DOABCO(I))/DOMTHC
16 CONTINUE
C
C Go back to top of input file
C
  REWIND CH
  WRITE(06,*)' FILE 1 READ, NO PB'
C
C MENU 2, start execution or check the input file
C
  WRITE(06,520)'=====
  WRITE(06,520)' INPUT FILE HAS BEEN READ. SPECIFY NEXT OPERATION '
  WRITE(06,520)' TO EXECUTE:
  WRITE(06,520)'      "1": START EXECUTION OF THE PROGRAM DIRECTLY, '
  WRITE(06,520)'      "2": VIEW INPUT FILE ON SCREEN.
  WRITE(06,520)'=====
  READ(05,*)ANSWER
C
  IF (ANSWER.EQ.2) THEN
C
C SHOW THE USER WHAT THE GEOMETRY IS
C
  WRITE(06,520)'=====
  WRITE(6,*)
  WRITE(6,*)
  WRITE(6,522)'RADIUS OF FOV LIMITER (MM)',RFOV
  WRITE(6,522)'OPENING OF FOV LIMITER (RAD)',TETA FM
  WRITE(6,522)'RADIUS OF PRECISION APERTURE',RPA
  WRITE(6,522)'EXTERNAL RADIUS OF DOME (MM)',REXT
  WRITE(6,522)'INTERNAL RADIUS OF DOME (MM)',RINT
  WRITE(6,522)'DEPTH AT WHICH DOME IS BURIED IN SUBSTR. (MM)',DENIV
  WRITE(6,522)'RADIUS OF CAVITY',RCAV
  WRITE(6,522)'LENGTH OF BARREL',LBAR
  WRITE(6,522)'LENGTH OF CONE',LCON
  WRITE(6,522)'HALF ANGLE OF CONE',CAVANG
  WRITE(6,522)'COEF. OF ABSORBTION OF FOV LIMITER',ALPHA1
  WRITE(6,522)'COEF. OF ABSORBTION OF SUBSTRATE',ALPHA2
  WRITE(6,522)'COEF. OF ABSORPTION OF BARREL',ALPHA9
  WRITE(6,522)'COEF. OF ABSORPTION OF CONE',ALPHA11
  WRITE(6,522)'COEF. OF ABSORPTION OF CAV SUB',ALPHA13
  WRITE(6,522)'COEF. OF ABSORPTION OF RING',ALPHA14
  WRITE(6,522)'SPECULARITY OF FOV LIMITER',ROSPEC1
  WRITE(6,522)'SPECULARITY OF SUBSTRATE',ROSPEC2
  WRITE(6,522)'SPECULARITY OF DOME',ROSPEC3
  WRITE(6,522)'SPECULARITY OF BARREL',ROSPEC9
  WRITE(6,522)'SPECULARITY OF CONE',ROSPEC11
  WRITE(6,522)'SPECULARITY OF CAV SUB',ROSPEC13
  WRITE(6,522)'SPECULARITY OF RING',ROSPEC14
  WRITE(6,522)'DIFFUSIVITY OF FOV LIMITER',RODIFF1
  WRITE(6,522)'DIFFUSIVITY OF SUBSTRATE',RODIFF2
  WRITE(6,522)'DIFFUSIVITY OF DOME',RODIFF3
  WRITE(6,522)'DIFFUSIVITY OF BARREL',RODIFF9
  WRITE(6,522)'DIFFUSIVITY OF CONE',RODIFF11
  WRITE(6,522)'DIFFUSIVITY OF CAV SUB',RODIFF13
  WRITE(6,522)'DIFFUSIVITY OF RING',RODIFF14

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WRITE(6,522)'INDEX OF REFRACTION IN VACCUM',IVAC
WRITE(6,522)'INDEX OF REFRACTION OF THE DOME',IDOM
WRITE(6,523)'NBLAT',NBLAT
WRITE(6,523)'NBLONG',NBLONG
WRITE(6,523)'NBLSU',NBLSU
WRITE(6,523)'NBWLSU',NBWLSU
WRITE(6,523)'NBWASH',NBWASH
WRITE(6,523)'NBPS',NBPS
WRITE(6,523)'NBSH',NBSH
WRITE(6,523)'NBCO',NBCO
WRITE(6,523)'NBPSD',NBPSD
WRITE(6,523)'NBPSB',NBPSB
WRITE(6,523)'NBPSC',NBPSC
WRITE(6,523)'NBHSB',NBHSB
WRITE(6,523)'NBHSC',NBHSC
WRITE(6,523)'NBHSR',NBHSR
WRITE(6,523)'NBPSCS',NBPSCS
WRITE(6,523)'NBPSR',NBPSR
WRITE(6,522)'SURROUNDING TEMP',TS
WRITE(06,523)'NBER OF WL INTERVALS',NBWLIN
DO 19 I=1,NBWLIN
    WRITE(06,522)'WAVELENGTH',LBDA(I)
19 CONTINUE
DO 22 I=1,NBWLIN
    WRITE(06,522)'ABSORPTIVITY OF DOME',DOABCO(I)
22 CONTINUE
WRITE(06,520)'=====
WRITE(06,520)' TO START PROGRAM: ENTER 1; TO EXIT: ENTER 0.
WRITE(06,520)'=====
READ*,ANSWER
IF (ANSWER.EQ.0) GO TO 270
END IF
C
C Initialization of arrays and variables for each run of program
C
PI=DACOS(-1.D0)
CNTRUN=0
CNTRDM=0
NB1 = NBLAT*NBLONG
NB2 = NB1 + NBLSU*NBWLSU
NB3 = NB2 + NBWASH*NBPS
NB4 = NB3 + NBSH*NBCO*NBPSD
NB11 = NB4 + 1 + NBPSC*NBHSC
NB9 = NB11 + NBPSB*NBHSB
NB13 = NB9 + NBPSCS
NB14 = NB13 + NBPSR*NBHSR
NB5 = (NBLAT + 1)*NBLONG
NB6 = NB5 + (NBWLSU+1)*NBLSU
NB7 = NB6 + (NBWASH + 1)*NBPS
NB15 = NB8 + (NBHSB + 1)*NBPSB
NB16 = NB15 + (NBHSC + 1)*NBPSC
NB17 = NB16 + 2*NBPSCS
NB18 = NB17 + (NBHSR + 1)*NBPSR
ZMAX=RFOV*DCOS(TETAFM)+DENIV
WRITE(*,*)'NB1,NB2,NB3,NB4,NB9,NB11',NB1,NB2,NB3,NB4,NB9,NB11
C
C Show indices range for each part of the optical front end
C
WRITE(03,520)'=====
WRITE(03,520)' ELEMENT INDEX FOR PARTS OF THE OPTICAL FRONT-END '
WRITE(03,520)'=====
WRITE(03,530)' OPENING OF THE FOV LIMITER: ',NB4+1,' - ',NB4+1
WRITE(03,530)' FOV LIMITER WALLS : ',1,' - ',NB1
WRITE(03,530)' LOWER SUBSTRATE : ',NB1+1,' - ',NB2
WRITE(03,530)' UPPER SUBSTRATE : ',NB2+1,' - ',NB3

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WRITE(03,530)' FILTER DOME           : ',NB3+1,' - ',NB4
WRITE(03,530)' BARREL                : ',NB11+1,' - ',NB9
WRITE(03,530)' CONE                  : ',NB4+2,' - ',NB11
WRITE(03,530)' SUBST. VISIBLE TO CAVITY : ',NB9+1,' - ',NB13
WRITE(03,530)' RING                  : ',NB13+1,' - ',NB14
WRITE(03,520)'=====
530  FORMAT(1X,A30,I4,A3,I4)
      WRITE(03,*)'NB5,NB6,NB7',NB5,NB6,NB7
C
C SET UP THE DOME IN VOLUME ELEMENTS
C
      CALL DOMSETUP(DIST)
C
C SET UP THE CONE IN SURFACE ELEMENTS (FIND HEIGHTS OF RINGS FOR
C EQUAL AREA ELEMENTS)
C
      CALL CONSETUP(DLCON)
C
C MENU 3, choose between complete DFAC generation procedure and emission
C from one element only
C
899  WRITE(06,520)'=====
      WRITE(06,520)' FOR COMPLETE DFAC GENERATION, ENTER (1)
      WRITE(06,520)' FOR EMISSION FROM A GIVEN ELEMENT, ENTER (2)
      WRITE(06,520)'=====
      READ(05,*)MENU3
      CNTIND = 1
      IF (MENU3.EQ.1) THEN
C
C Procedure for computation of distribution factors
C Two indices are used. CNTIN1 contains the value of EMISUR (1,2,3,4,9,11)
C and CNTIN2 contains the value of NBSURF (1-235). The emission elements
C are in the order:
C           the aperture of the FOV Limiter
C           the FOV limiter walls
C           the lower substrate
C           the upper substrate
C           the filter dome
C           the barrel
C           the cone
C           the cavsub
C           the ring
C
C CNTIND is a counter which keeps track of the number of emitting surfaces.
C CNTEMI is a counter which keeps track of how many surfaces have emitted
C so far. When CNTEMI reaches CNTIND the DFAC computation is completed.
C
C
C FOV APERTURE
C
      CNTIN1(1) = 0
      CNTIN2(1) = NB4 + 1
C
C FOVL
C
      DO 900 I = 1,NBLAT
          CNTIND = CNTIND + 1
          CNTIN1(CNTIND) = 1
          CNTIN2(CNTIND) = (I-1)*NBLONG + 1
900  CONTINUE
C
C LSUB
C
      DO 901 I=1,NBWSU
          CNTIND = CNTIND + 1

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        CNTIN1 (CNTIND) = 2
        CNTIN2 (CNTIND) = NB1 + (I-1)*NBLSU + 1
901  CONTINUE
C
C  USUB
C
        DO 902 I=1,NBWSH
            CNTIND = CNTIND + 1
            CNTIN1 (CNTIND) = 3
            CNTIN2 (CNTIND) = (I-1)*NBPS + 1 + NB2
902  CONTINUE
C
C  DOME
C
        IF (CH.EQ.22) THEN
            DO 903 I=1,NBSH*NBEO
                CNTIND = CNTIND + 1
                CNTIN1 (CNTIND) = 4
                CNTIN2 (CNTIND) = (I-1)*NBPSD + 1 + NB3
903  CONTINUE
            END IF
C
C  CONE
C
        DO 905 I=1,NBHSC
            CNTIND = CNTIND + 1
            CNTIN1 (CNTIND) = 11
            CNTIN2 (CNTIND) = (I-1)*NBPSC + 1 + NB9
905  CONTINUE
C
C  BARREL
C
        DO 904 I=1,NBHSB
            CNTIND = CNTIND + 1
            CNTIN1 (CNTIND) = 9
            CNTIN2 (CNTIND) = (I-1)*NBPSB + 1 + NB4 + 1
904  CONTINUE
C
C  CAVSUB
C
            CNTIND = CNTIND + 1
            CNTIN1 (CNTIND) = 13
            CNTIN2 (CNTIND) = NB11 + 1
C
C  RING
C
        IF (CH.EQ. 21) THEN
            DO 907 I=1,NBHSR
                CNTIND = CNTIND + 1
                CNTIN1 (CNTIND) = 14
                CNTIN2 (CNTIND) = NB13+1+(I-1)*NBPSR
907  CONTINUE
            END IF
            WRITE (03,520) '=====
            WRITE (03,520) ' LIST OF EMITTING ELEMENTS FOR DFAC GENERATION      '
            WRITE (03,520) '=====
            DO 908 I=1,CNTIND
                IF (CNTIN1 (I).EQ.0) WRITE (03,531) ' FIELD      ',CNTIN1 (I),CNTIN2 (I)
                IF (CNTIN1 (I).EQ.1) WRITE (03,531) ' FOV_L      ',CNTIN1 (I),CNTIN2 (I)
                IF (CNTIN1 (I).EQ.2) WRITE (03,531) ' L_SUB      ',CNTIN1 (I),CNTIN2 (I)
                IF (CNTIN1 (I).EQ.3) WRITE (03,531) ' U_SUB      ',CNTIN1 (I),CNTIN2 (I)
                IF (CNTIN1 (I).EQ.4) WRITE (03,531) ' DOME       ',CNTIN1 (I),CNTIN2 (I)
                IF (CNTIN1 (I).EQ.9) WRITE (03,531) ' BARREL     ',CNTIN1 (I),CNTIN2 (I)
                IF (CNTIN1 (I).EQ.11) WRITE (03,531) ' CONE       ',CNTIN1 (I),CNTIN2 (I)
                IF (CNTIN1 (I).EQ.13) WRITE (03,531) ' CAVSUB     ',CNTIN1 (I),CNTIN2 (I)

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          IF (CNTIN1(I).EQ.14) WRITE(03,531)'RING      ',CNTIN1(I),CNTIN2(I)
908  CONTINUE
      WRITE(04,520)'=====
531  FORMAT(1X,A10,2I10)
C
      ELSE IF (MENU3.EQ.2) THEN
C
C  MENU 4, choose the emission element
C
      WRITE(06,520)'=====
      WRITE(06,520)' FROM WHICH PART OF THE NONSCANNER MODULE DO YOU
      WRITE(06,520)' WISH TO SEND THE ENERGY BUNDLES?
      WRITE(06,520)'      "0" : THE APERTURE OF THE FOV LIMITER,
      WRITE(06,520)'      "1" : THE FOV LIMITER ITSELF,
      WRITE(06,520)'      "2" : THE LOWER SUBSTRATE,
      WRITE(06,520)'      "3" : THE UPPER SUBSTRATE,
      WRITE(06,520)'      "4" : THE FILTER DOME.
      WRITE(06,520)'      "9" : THE BARREL,
      WRITE(06,520)'      "11" : THE CONE.
      WRITE(06,520)'      "13" : THE SUBST. VISIBLE TO THE CAVITY
      WRITE(06,520)'      "14" : THE RING
      WRITE(06,520)'=====
      READ(05,*)CNTIN1(1)
C
C  For emission from the secondary aperture specify the emission type
C
      IF (CNTIN1(1).EQ.0) THEN
      CNTIN2(1)=NB4+1
      WRITE(06,520)'=====
      WRITE(06,520)' THE APERTURE OF THE FOV LIMITER IS NOT DIVIDED
      WRITE(06,520)' INTO SURFACE ELEMENTS.
      WRITE(06,520)' PLEASE SPECIFY WHETHER EMISSION FROM THIS SURFACE
      WRITE(06,520)' SHOULD BE:
      WRITE(06,520)'
      WRITE(06,520)'          DIFFUSE (1)
      WRITE(06,520)'          COLLIMATED (2)
      WRITE(06,520)'          POINT SOURCE COLLIMATED (3)
      WRITE(06,520)'=====
      READ(05,*)ANSWER
C
C  FOR COLLIMATED RADIATION THE INCIDENT ANGLE MUST BE SPECIFIED
C
      IF (ANSWER.EQ.2.OR.ANSWER.EQ.3) THEN
      WRITE(06,520)'=====
      WRITE(06,520)' PLEASE SPECIFY THE ANGLE OF THE COLLIMATED
      WRITE(06,520)' RADIATION (BETWEEN 0 AND 90 DEGREES)
      WRITE(06,520)'=====
      READ(05,*)CRADAN
      CRADAN=CRADAN*PI/180.D0
      ELSE
      CRADAN=-1.D0
      END IF
C
C  FOR A POINT SOURCE THE COORD. OF THE EMITTING POINT MUST BE SPECIFIED
C
      IF (ANSWER.EQ.3) THEN
      WRITE(06,520)'=====
      WRITE(06,520)' PLEASE SPECIFY THE X,Y COORDINATES OF THE POINT
      WRITE(06,520)' FROM WHICH THE POINT SOURCE COMES.
      WRITE(06,521)-RFOV*DSIN(TETA FM),' <X AND Y< ',RFOV*DSIN(TETA FM)
      WRITE(06,520)'=====
      READ(05,*)XPTSO,YPTSO
      PTSOUR=.TRUE.
      ELSE
      PTSOUR=.FALSE.
      END IF

```



```

C
      ELSE
C
C For emission from all other surfaces specify emission element.
C
      WRITE(06,520)'=====
      WRITE(06,520)' SPECIFY THE NUMBER OF THE ELEMENT FROM
      WRITE(06,520)' WHICH THE BUNDLES ARE GOING TO BE EMITED:
      WRITE(06,*)
C
C FOVL
C
      IF (CNTIN1(1).EQ.1) THEN
      WRITE(06,520)' THE FIRST ELEMENT ON THE FOV LIMITER IS LOCATED AT'
      WRITE(06,520)' THE LOWEST LATITUDE AND NOON LONGITUDE.
      WRITE(06,526)' FOR EACH OF THE',NBLAT,'LATITUDES THERE ARE',NBLONG
      WRITE(06,520)' LONGITUDES'
      WRITE(06,525)' THE NUMBERS RUN BETWEEN',1,'AND',NB1
      WRITE(06,520)'=====
      READ(05,*)CNTIN2(1)
      WRITE(06,520)'=====
      END IF
C
C LSUB
C
      IF (CNTIN1(1).EQ.2) THEN
      WRITE(06,520)' THE FIRST ELEMENT ON THE LOWER SUBSTRATE IS THE
      WRITE(06,520)' PRIMARY APERTURE, THE FOLLOWING ELEMENTS SURROUND
      WRITE(06,520)' THE APERTURE, SPIRALING OUTWARDS.
      WRITE(06,526)' FOR EACH OF THE',NBWLSU,'RINGS THERE ARE',NBLSU
      WRITE(06,520)' PIE-SECTIONS'
      WRITE(06,525)' THE NUMBERS RUN BETWEEN',NB1+1,'AND',NB2
      WRITE(06,520)'=====
      READ(05,*)CNTIN2(1)
      WRITE(06,520)'=====
      END IF
C
C USUB
C
      IF (CNTIN1(1).EQ.3) THEN
      WRITE(06,520)' THE FIRST ELEMENT ON THE SUBSTRATE IS ON THE RING
      WRITE(06,520)' CLOSEST TO THE CENTER.
      WRITE(06,526)' FOR EACH OF THE',NBWASH,'RINGS THERE ARE',NBPS
      WRITE(06,520)' PIE-SECTIONS'
      WRITE(06,525)' THE NUMBERS RUN BETWEEN',NB2+1,'AND',NB3
      WRITE(06,520)'=====
      READ(05,*)CNTIN2(1)
      WRITE(06,520)'=====
      END IF
C
C DOME
C
      IF (CNTIN1(1).EQ.4) THEN
      WRITE(06,520)' THE FIRST ELEMENT IN THE DOME IS LOCATED ON THE
      WRITE(06,520)' OF THE DOME.
      WRITE(06,526)' FOR EACH OF THE',NBESH,'SHELLS THERE ARE',NBEO
      WRITE(06,526)' CONES, THERE ARE',NBPSD,'PIE-SECTIONS PER CONE'
      WRITE(06,525)' THE NUMBERS RUN BETWEEN',NB3+1,'AND',NB4
      WRITE(06,520)'=====
      READ(05,*)CNTIN2(1)
      WRITE(06,520)'=====
      END IF
C
C BARREL
C

```

```

IF (CNTIN1(1).EQ.9) THEN
WRITE(06,520)' THE FIRST ELEMENT ON THE BARREL IS LOCATED ON THE '
WRITE(06,520)' LOWEST RING AT NOON LONGITUDE.
WRITE(06,526)' FOR EACH OF THE',NBHSB,'RINGS THERE ARE ',NBPSB
WRITE(06,520)' AZIMUTHAL DIVISIONS.'
WRITE(06,525)' THE NUMBERS RUN BETWEEN',NB4+2,'AND',NB9
WRITE(06,520)'=====
  READ(05,*)CNTIN2(1)
WRITE(06,520)'=====
END IF
C
C CONE
C
IF (CNTIN1(1).EQ.11) THEN
WRITE(06,520)' THE FIRST ELEMENT ON THE CONE IS LOCATED ON THE '
WRITE(06,520)' LOWEST RING AT NOON LONGITUDE.
WRITE(06,526)' FOR EACH OF THE',NBHSC,'RINGS THERE ARE ',NBPSC
WRITE(06,520)' AZIMUTHAL DIVISIONS.'
WRITE(06,525)' THE NUMBERS RUN BETWEEN',NB9+1,'AND',NB11
WRITE(06,520)'=====
  READ(05,*)CNTIN2(1)
WRITE(06,520)'=====
END IF
C
C CAVSUB
C
IF (CNTIN1(1).EQ.13) THEN
WRITE(06,520)' THE FIRST ELEMENT ON THE CAV SUB RING IS LOCATED '
WRITE(06,520)' AT NOON LONGITUDE.
WRITE(06,520)' THERE ARE',NBPSCS,'AZIMUTHAL DIVISIONS.'
WRITE(06,525)' THE NUMBERS RUN BETWEEN',NB9+1,'AND',NB13
WRITE(06,520)'=====
  READ(05,*)CNTIN2(1)
WRITE(06,520)'=====
END IF
C
C RING
C
IF (CNTIN1(1).EQ.14) THEN
WRITE(06,520)' THE FIRST ELEMENT ON THE RING IS LOCATED ON THE '
WRITE(06,520)' HIGHEST LATITUDE AT NOON LONGITUDE.
WRITE(06,526)' FOR EACH OF THE',NBHSR,'RINGS THERE ARE ',NBPSR
WRITE(06,520)' AZIMUTHAL DIVISIONS.'
WRITE(06,525)' THE NUMBERS RUN BETWEEN',NB13+1,'AND',NB14
WRITE(06,520)'=====
  READ(05,*)CNTIN2(1)
WRITE(06,520)'=====
END IF
C
END IF
C
ELSE
GO TO 899
C
C End of MENU 3
C
END IF
C
C Zero elements have emitted so far.
C
CNTEMI = 0
C
C Start loop for each emitting element
C
922 CNTINT=0

```

```

CNTCCL=0
CNTBDL=0
CNTBRW=0
CNTRUN=CNTRUN+1
CNTREF=-1.0
WIN = WINIT
DO 20 I=1,SIZE
    FT(I)=0
    DT(I)=0.D0
20  CONTINUE
    DO 21 I=1,MAXELT
        NBBUAB(I)=0
21  CONTINUE
    CALL INIT(X2)
    CALL INIT(Y2)
    CALL INIT(Z2)
    CALL INIT(MAGNV)
    CALL INIT(COSNEW)
    CALL INIT(ANORM)
C
C Retrieve the i,j,k indices from EMISUR & NBSURF
C
    CNTEMI = CNTEMI + 1
    EMISUR = CNTIN1(CNTEMI)
    NBSURF = CNTIN2(CNTEMI)
    IF (EMISUR.EQ.0.AND.MENU3.EQ.1) THEN
        CRADAN = -1.D0
        PTSOUR = .FALSE.
    ELSE IF (EMISUR.EQ.1) THEN
        NSURI1=INT((NBSURF-1)/NBLONG)+1
        NSURI2=NBSURF-(NSURI1-1)*NBLONG
        NSURI3=0
    ELSE IF (EMISUR.EQ.2) THEN
        NSURI1=0
        NSURI2=INT((NBSURF-1-NB1)/NBLSU) + 1
        NSURI3=NBSURF-NB1-(NSURI2-1)*NBLSU
    ELSE IF (EMISUR.EQ.3) THEN
        NSURI1=INT((NBSURF - 1 - NB2) / NBPS) + 1
        NSURI2=NBSURF - NB2 - (NSURI1 - 1) * NBPS
        NSURI3=0
    ELSE IF (EMISUR.EQ.4) THEN
        NSURI1 = INT((NBSURF - NB3 - 1)/(NBPSD*NBCO)) + 2
        NSURI2 = INT((REAL(NBSURF) - REAL(NB3) - (REAL(NSURI1) - 2.0)*
& REAL(NBCO)*REAL(NBPSD) - 1.0)/(REAL(NBPSD))) + 2
& NSURI3 = NBSURF - NB3 - (NSURI1 - 2)*NBCO*NBPSD - (NSURI2 - 2)
& *NBPSD
    ELSE IF (EMISUR.EQ.9) THEN
        NSURI1=INT((NBSURF-1-NB4-1)/NBPSB)+1
        NSURI2=(NBSURF-NB4-1)-((NSURI1-1)*NBPSB)
        NSURI3=0
    ELSE IF (EMISUR.EQ.11) THEN
        NSURI1=INT((NBSURF-1-NB9)/NBPSC)+1
        NSURI2=(NBSURF-NB9)-((NSURI1-1)*NBPSC)
        NSURI3=0
    ELSE IF (EMISUR.EQ.13) THEN
        NSURI1=INT((NBSURF-1-NB11)/NBPSCS)+1
        NSURI2=0
        NSURI3=0
    ELSE IF (EMISUR.EQ.14) THEN
        NSURI1=INT((NBSURF-1-NB13)/NBPSR)+1
        NSURI2=(NBSURF-NB13)-((NSURI1-1)*NBPSR)
        NSURI3=0
    END IF
C
C Set up the spectral distribution of the energy bundles

```

```

C
      CALL WLSET(MAXBDL,EMISUR)
C
C BEGINNING OF LOOP FOR EACH WAVELENGTH INTERVAL
C
29   CNTINT=CNITINT+1
      ALPHAD=DOABCO(CNITINT)
      DO 28 J=1,NB14
          NBBUAB(J)=0
28   CONTINUE
C
C BEGINNING OF LOOP FOR EACH EMITTED BUNDLE
C
30   CNTBDL=CNITBDL+1
      CNITREF=CNITREF+1.0
      SURFAC=0
      INDOME=.FALSE.
      ABSOR=.FALSE.
      ENTER=.FALSE.
      EXIT=.FALSE.
      REFL=.FALSE.
      DIFUS=.FALSE.
      TRANS=.FALSE.
      DO 40 I=1,15
          HITTEN(I)=.FALSE.
40   CONTINUE
C
C GIVE A MESSAGE TO THE USER THAT THE PROGRAM IS RUNNING
C
      IF (CNTBDL.EQ.WIN) THEN
          WIN = WIN + WINIT
          WRITE(06,41) 'RUNNING FINE; SHOT MORE THAN ',CNTBDL,' BUNDLES'
41   FORMAT(1X,A30,I8,A10)
      END IF
C
C RANDOM EMISSION FROM RANDOM LOCATION ON DEFINED SURFACE ELEMENT
C
      IF (EMISUR.EQ.0) THEN
          CALL EMIT0(X1,Y1,Z1,L,M,N,CRADAN,PTSOUR)
      ELSE IF (EMISUR.EQ.1) THEN
          CALL EMIT1(X1,Y1,Z1,L,M,N)
      ELSE IF (EMISUR.EQ.2) THEN
          CALL EMIT2(X1,Y1,Z1,L,M,N,INDOME)
      ELSE IF (EMISUR.EQ.3) THEN
          CALL EMIT3(X1,Y1,Z1,L,M,N)
      ELSE IF (EMISUR.EQ.4) THEN
          CALL EMIT4(X1,Y1,Z1,L,M,N,anorm)
          INDOME = .TRUE.
      ELSE IF (EMISUR.EQ.9) THEN
          CALL EMIT9(X1,Y1,Z1,L,M,N,ANORM1,ANORM2,ANORM3)
      ELSE IF (EMISUR.EQ.11) THEN
          CALL EMIT11(X1,Y1,Z1,L,M,N)
      ELSE IF (EMISUR.EQ.13) THEN
          CALL EMIT13(X1,Y1,Z1,L,M,N,ANORM4,ANORM5,ANORM6)
      ELSE IF (EMISUR.EQ.14) THEN
          CALL EMIT14(X1,Y1,Z1,L,M,N,ANORM7,ANORM8,ANORM9)
      END IF
      XT=X1
      YT=Y1
      ZT=Z1
C
C GET COORD. OF INTERSECTION OF THE FIRST EMITTED BUNDLE WITH EACH
C SURFACE INSIDE THE FOV LIMITER
C
      CALL FOVLIM(X1,Y1,Z1,L,M,N,X2,Y2,Z2,MAGNV,INORM,HITTEN,EXIT)

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```

CALL SUBSTR(X1,Y1,Z1,L,M,N,X2,Y2,Z2,MAGNV,INORM,HITTEN,ENTER)
IF (CH.EQ.Z2) THEN
  CALL SPHERE(X1,Y1,Z1,L,M,N,X2,Y2,Z2,3,MAGNV,INORM,HITTEN)

  CALL SPHERE(X1,Y1,Z1,L,M,N,X2,Y2,Z2,4,MAGNV,INORM,HITTEN)
ELSE
  CALL RING(X1,Y1,Z1,L,M,N,X2,Y2,Z2,MAGNV,INORM,HITTEN)
END IF
CALL BARREL(X1,Y1,Z1,L,M,N,X2,Y2,Z2,MAGNV,INORM,HITTEN)
CALL CONE(X1,Y1,Z1,L,M,N,X2,Y2,Z2,MAGNV,INORM,HITTEN)
CALL CAVSUB(X1,Y1,Z1,L,M,N,X2,Y2,Z2,MAGNV,INORM,HITTEN,
&          EXITCAV,EXCAV)
C
C some special cases:
C
C FOR THE FIRST SHOT THE BUNDLE CANNOT LEAVE THE MODULE IF IT WAS
C SHOT FROM THE APERTURE OF THE FOV LIMITER.
C
  IF (EMISUR.EQ.0) THEN
    IF (Z2(1).GT.ZMAX) THEN
      HITTEN(1)=.FALSE.
      EXIT=.FALSE.
    END IF
    IF (Z2(5).GT.ZMAX) THEN
      HITTEN(5)=.FALSE.
      EXIT=.FALSE.
    END IF
C
C FOR THE FIRST SHOT, THE BUNDLE CANNOT HIT THE CAVITY OR UPPER
C SUBSTRATE IF IT WAS SHOT FROM THE LOWER SUBSTRATE.
C
    ELSE IF (EMISUR.EQ.2) THEN
      HITTEN(2)=.FALSE.
      HITTEN(9)=.FALSE.
      HITTEN(10)=.FALSE.
      HITTEN(11)=.FALSE.
      HITTEN(12)=.FALSE.
      HITTEN(13)=.FALSE.
C
C FOR THE FIRST SHOT, THE BUNDLE CAN NOT GO BELOW Z1 IF IT WAS SHOT
C FROM THE SUBSTRATE
C
    ELSE IF (EMISUR.EQ.3) THEN
      IF (Z2(3).LT.Z1) HITTEN(3)=.FALSE.
      IF (Z2(4).LT.Z1) HITTEN(4)=.FALSE.
      IF (Z2(6).LT.Z1) HITTEN(6)=.FALSE.
      IF (Z2(7).LT.Z1) HITTEN(7)=.FALSE.
      IF (Z2(8).LT.Z1) HITTEN(8)=.FALSE.
      IF (Z2(9).LT.Z1) HITTEN(9)=.FALSE.
      IF (Z2(10).LT.Z1) HITTEN(10)=.FALSE.
      IF (Z2(11).LT.Z1) HITTEN(11)=.FALSE.
      IF (Z2(12).LT.Z1) HITTEN(12)=.FALSE.
      HITTEN(13)=.FALSE.
      HITTEN(14)=.FALSE.
      HITTEN(15)=.FALSE.
C
C FOR THE FIRST SHOT, THE BUNDLE CANNOT GO ABOVE Z1 IF IT WAS SHOT
C FROM THE PORTION OF THE SUBSTRATE WHICH FACES THE CAVITY
C
    ELSE IF (EMISUR.EQ.13) THEN
      HITTEN(1)=.FALSE.
      HITTEN(2)=.FALSE.
      HITTEN(6)=.FALSE.
      HITTEN(3)=.FALSE.
      HITTEN(4)=.FALSE.

```

```

HITTEN(5) = .FALSE.
HITTEN(7) = .FALSE.
HITTEN(8) = .FALSE.
HITTEN(13) = .FALSE.
HITTEN(14) = .FALSE.
HITTEN(15) = .FALSE.
DO 53 I=1,15
  IF (.NOT.HITTEN(I)) GOTO 53
  COSDOM = DOTP(X2(I)-X1,Y2(I)-Y1,Z2(I)-Z1,
&           ANORM4,ANORM5,ANORM6)
  IF (COSDOM.LE.0.D0) HITTEN(I) = .FALSE.
53  CONTINUE
C
C FOR THE FIRST SHOT THE BUNDLE CANNOT HIT THE LOWER OR UPPER SUBSTRATE,
C IF IT WAS EMITTED FROM THE CONE
C
  ELSE IF (EMISUR.EQ.11) THEN
    HITTEN(2) = .FALSE.
    HITTEN(6) = .FALSE.
C
C FOR ENERGY BUNDLES EMITTED FROM THE BARREL CHOOSE WHICH SURFACES
C CANNOT BE HIT ACCORDING TO THE 2-PI SPHERE INTO WHICH THE
C BUNDLE IS EMITTED.
C
  ELSE IF (EMISUR.EQ.9) THEN
    HITTEN(2) = .FALSE.
    HITTEN(6) = .FALSE.
    DO 54 I=1,15
      IF (.NOT.HITTEN(I)) GOTO 54
      COSDOM = DOTP(X2(I)-X1,Y2(I)-Y1,Z2(I)-Z1,
&           ANORM1,ANORM2,ANORM3)
      IF (COSDOM.LE.0.D0) HITTEN(I) = .FALSE.
54  CONTINUE
C
C FOR ENERGY BUNDLES EMITTED FROM THE RING CHOOSE WHICH SURFACES
C CANNOT BE HIT ACCORDING TO THE 2-PI SPHERE INTO WHICH THE
C BUNDLE IS EMITTED.
C
  ELSE IF (EMISUR.EQ.14) THEN
    HITTEN(2) = .FALSE.
    HITTEN(3) = .FALSE.
    HITTEN(4) = .FALSE.
    HITTEN(7) = .FALSE.
    HITTEN(8) = .FALSE.
    HITTEN(13) = .FALSE.
    DO 57 I=1,15
      IF (.NOT.HITTEN(I)) GOTO 57
      IF (I.EQ.6) GOTO 57
      COSDOM = DOTP(X2(I)-X1,Y2(I)-Y1,Z2(I)-Z1,
&           ANORM7,ANORM8,ANORM9)
      IF (COSDOM.LE.0.D0) THEN
        HITTEN(I) = .FALSE.
      END IF
57  CONTINUE
C
C For an energy bundle emitted by the dome choose which surfaces
C cannot be hit according to the 2pi-sphere in which the bundle
C was emitted.
C
  ELSE IF (EMISUR.EQ.4) THEN
    CALL DRNUN(1,RDM)
    CNTRDM = CNTRDM + 1
    IF (RDM.GT.0.5D0) THEN
      DO 55 I=1,15
        COSDOM = DOTP(X2(I)-X1,Y2(I)-Y1,Z2(I)-Z1,

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```

&          ANORM(1), ANORM(2), ANORM(3))
55      IF (COSDOM.GE.0.D0) HITTEN(I)=.FALSE.
        CONTINUE
      ELSE
        DO 56 I=1,15
          COSDOM = DOTP(X2(I)-X1,Y2(I)-Y1,Z2(I)-Z1,
&          ANORM(1), ANORM(2), ANORM(3))
          IF (COSDOM.LT.0.D0) HITTEN(I)=.FALSE.
56      CONTINUE
        END IF
      END IF
C
C THE SURFACE HIT IS THE CLOSEST ONE TO THE EMISSION POINT
C
      SURFAC=0
      MAGMIN=10.D0*RFOV
      DO 60 I=1,15
        IF (HITTEN(I)) THEN
          IF (MAGNV(I) .LT. MAGMIN) THEN
            MAGMIN=MAGNV(I)
            SURFAC=I
          END IF
*****
          IF (MAGNV(I).EQ.0.D0) THEN
            WRITE(16,*) 'ATTENTION USER THE BUNDLE IS TRAPPED'
            WRITE(16,*) 'CNTREF', CNTREF
            WRITE(06,*) 'ERROR!!!!!!!!!!!!!!'
            WRITE(16,*) 'MGNV ET SURFAC 11111', MAGNV(I), I
C          CALL SHOW (X1,Y1,Z1,I)
          END IF
*****
          END IF
60      CONTINUE
C
C IF THE BUNDLE IS EMITTED ON THE BORDER OF THE IMAGINARY TOP SURFACE
C IT IS CONSIDERED TO BE ABSORBED BY THE FOV LIMITER
C
      IF (SURFAC.EQ.0) THEN
        ABSOR=.TRUE.
        EXIT=.FALSE.
        SURFAC=1
        CNTCCL=CNTCCL+1
C      WRITE(03,*) CNTBDL, CNTCCL
      END IF
C
C STORE THE COORDINATES OF THE POINT HIT
C
      XX=X2(SURFAC)
      YY=Y2(SURFAC)
      ZZ=Z2(SURFAC)
      XTT=XX
      YTT=YY
      ZTT=ZZ
C
C If the bundle was emitted within the dome check if it was extinguished
C before it actually reached the other surface
C
      IF (INDOME) THEN
C
C COMPUTE THE DISTANCE P1P2, GET A RANDOM NUMBER, AND COMPUTE THE MAXI
C MUM DISTANCE A BUNDLE CAN TRAVEL BASED ON THE ABSORPTIVITY
C
        LEN=NORME(XX-X1,YY-Y1,ZZ-Z1)
        CALL DRNUN(1,RDM)
        CNTRDM=CNTRDM+1

```

```

RDMLLEN=DLOG(1.D0/(1.D0-RDM))/ALPHAD
C
C IF THE DISTANCE P1P2 IS GREATER THAN THE MAXIMUM DISTANCE RDMLLEN THEN
C THE ENERGY BUNDLE WILL BE ABSORBED IN THE DOME AT A DISTANCE "RDMLLEN"
C BETWEEN P1(X1,Y1,Z1) AND P2(X2,Y2,Z2). LEAVE THE LOOP INCREASE COUNTER
C
      IF (LEN.GT.RDMLLEN) THEN
        ABSOR=.TRUE.
        SURFAC=4
        DELZ=RDMLLEN/DSQRT((L/N)*(L/N)+(M/N)*(M/N)+1.D0)*
&          DABS(ZZ-Z1)/(ZZ-Z1)
        XX=(L/N)*DELZ+X1
        YY=(M/N)*DELZ+Y1
        ZZ=DELZ+Z1
      ELSE IF (SURFAC.EQ.6) THEN
        ABSOR=.TRUE.
      END IF
    END IF

C
C IF THE ENERGY BUNDLE LEAVES THE MODULE, LEAVE THE LOOP AND INCREASE
C THE CORRESPONDING ABSORPTION COUNTER
C
      IF (EXIT.AND.(SURFAC.EQ.1.OR.SURFAC.EQ.5).OR.ABSOR) GO TO 222
C
C AFTER EMISSION THE PROGRAM GOES AROUND THE FOLLOWING LOOP UNTIL
C THE BUNDLE IS ABSORBED
C
C ***** LOOOOOOOOOOOOOOOOP *****
C
100  CNTREF=CNTREF+1.0
      ABSOR=.FALSE.
      REFL=.FALSE.
      TRANS=.FALSE.
      DIFUS=.FALSE.
C
C
CCCCCCCCCCCC
      IF (MAGNV(SURFAC).EQ.0.D0) THEN
        WRITE(16,*)'ATTENTION USER THE BUNDLE IS TRAPPED'
        WRITE(16,*)'CNTREF',CNTREF,JMAX
        WRITE(06,*)'ERROR !!!!!'
        WRITE(16,*)'MGNV ET SURFAC 222222',MAGNV(SURFAC),SURFAC
      END IF
CCCCCCCCCCCC
C
C
C COMPUTE THE COSINE OF THE ANGLE BETWEEN THE LINE P2P1 AND THE VECTOR
C NORMAL TO THE SURFACE AT P2.
C
      ANORM(1)=INORM(SURFAC,1)
      ANORM(2)=INORM(SURFAC,2)
      ANORM(3)=INORM(SURFAC,3)
      COSOLD=DOTP(XX-X1,YY-Y1,ZZ-Z1,ANORM(1),ANORM(2),ANORM(3))/
&          MAGNV(SURFAC)
C
C IF THE BUNDLE HITS THE FOV LIMITER, SUBSTRATE, BARREL, CONE, RING,
C OR CAV SUB, IT CAN BE EITHER REFLECTED OR ABSORBED
C
      IF ((SURFAC.EQ.1).OR.(SURFAC.EQ.5).OR.
&        (SURFAC.EQ.2).OR.(SURFAC.EQ.6).OR.
&        (SURFAC.EQ.9).OR.(SURFAC.EQ.10).OR.
&        (SURFAC.EQ.11).OR.(SURFAC.EQ.12).OR.
&        (SURFAC.EQ.13).OR.
&        (SURFAC.EQ.14).OR.(SURFAC.EQ.15)) THEN

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        CALL REFOAB(L,M,N,XX,YY,ZZ,INORM,SURFAC,ABSOR,REFL,DIFUS)
        TRANS=.FALSE.
C
C IF THE BUNDLE HIT THE DOME, IT CAN BE TRANSMITTED, REFLECTED OR
C ABSORBED
C
        ELSE IF ((SURFAC.EQ.3).OR.(SURFAC.EQ.4).OR.(SURFAC.EQ.7).OR.
&              (SURFAC.EQ.8)) THEN
C
C FOR THE OUTER SURFACE OF THE DOME,IF THE Z-COORDINATE IS BELOW ZERO,
C THE RAY CAN NOT GO THRU THE INTERFACE. IT HAS TO BE REFLECTED SPECU-
C LARLY. IT CAN NOT BE TRANSMITTED!!!!!!
C
        IF ((SURFAC.EQ.3.OR.SURFAC.EQ.7).AND.Z2(SURFAC).LE.0.D0) THEN
            TRANS=.FALSE.
            CALL REFLEX(L,M,N,INORM,SURFAC)
            REFL=.TRUE.
C
C OTHERWISE THE BUNDLE TRY TRANSMISSION
C
        ELSE
            CALL REFOTR(L,M,N,INORM,SURFAC,REFL,TRANS,INDOME)
C
        END IF
    END IF
C
C IF THE ENERGY BUNDLE WAS ABSORBED BY THE FOV LIMITER OR BY THE SUB
C STRATE, KEEP P1 AND P0 AS THEY WERE GO TO THE END OF THE FOLLOWING
C "IF" AND CHECK FOR POSSIBLE EXTINCTION IN THE DOME. IF NOT ABSORBED
C EXECUTE THE FOLLOWING STEPS:
C
        IF (.NOT.ABSOR) THEN
C
C MEMORIZE P0 AND SET THE FORMER POINT P0 TO BE P1
C
            X0=X1
            Y0=Y1
            Z0=Z1
            X1=XX
            Y1=YY
            Z1=ZZ
C
C FIND THE POSSIBLE INTERSECTIONS WITH EACH SURFACE OF THE MODULE
C
            CALL FOVLIM(X1,Y1,Z1,L,M,N,X2,Y2,Z2,MAGNV,INORM,HITTEN,EXIT)
            CALL SUBSTR(X1,Y1,Z1,L,M,N,X2,Y2,Z2,MAGNV,INORM,HITTEN,ENTER)
            IF (CH.EQ.22) THEN
                CALL SPHERE(X1,Y1,Z1,L,M,N,X2,Y2,Z2,3,MAGNV,INORM,HITTEN)
                CALL SPHERE(X1,Y1,Z1,L,M,N,X2,Y2,Z2,4,MAGNV,INORM,HITTEN)
            ELSE
                CALL RING(X1,Y1,Z1,L,M,N,X2,Y2,Z2,MAGNV,INORM,HITTEN)
            END IF
            CALL BARREL(X1,Y1,Z1,L,M,N,X2,Y2,Z2,MAGNV,INORM,HITTEN)
            CALL CONE(X1,Y1,Z1,L,M,N,X2,Y2,Z2,MAGNV,INORM,HITTEN)
            CALL CAVSUB(X1,Y1,Z1,L,M,N,X2,Y2,Z2,MAGNV,INORM,HITTEN,
&                   EXITCAV,EXCAV)
C
C IF A REFLEXION OCCURED LAST, A SURFACE CAN ONLY BE HIT IF THE COSINE
C OF THE ANGLE OF REFLEXION IS THE OPPOSITE TO THAT OF INCIDENCE
C
            IF (REFL) THEN
                J=0
                DO 150 I=1,15
                    IF (HITTEN(I)) THEN
C

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CCCCCCCCC
  IF (MAGNV(I).EQ.0.D0) THEN
    WRITE(16,*)'ATTENTION USER THE BUNDLE IS TRAPPED'
    WRITE(16,*)'CNTREF',CNTREF,JMAX
    WRITE(06,*)'ERROR !!!'
    WRITE(16,*)'MGNV ET SURFAC 333333',MAGNV(I),I
  C
  CALL SHOW (X1,Y1,Z1,I)
  END IF
CCCCCCCCC
C
  &
  COSNEW(I)=DOTP(X2(I)-X1,Y2(I)-Y1,Z2(I)-Z1,ANORM(1),ANORM
    (2),ANORM(3))/MAGNV(I)
  IF (-COSOLD*COSNEW(I) .GT. 0.D0) THEN
    J=J+1
    BOOL(J)=I
  END IF
  END IF
150  CONTINUE
      JMAX=J
C
C IF NO SURFAC IS HIT, THE USER IS WARNED SINCE THE PROGRAM CAN NOT
C PERSUE EXECUTION
CCCCCCCCC
  IF (JMAX.EQ.0) THEN
    WRITE(16,*)'NO JMAX REFL',JMAX
    DO 165 I=1,15
      IF (HITTEN(I)) THEN
        WRITE(16,*)'COSTTA PRECEDENT ',-COSOLD
        WRITE(16,*)'COSTTA ACTUEL ',COSNEW(I),I
      END IF
    CONTINUE
165  GO TO 222
  END IF
CCCCCCCCC
C
C BETWEEN THE ELIGIBLE SURFACES CHOOSE THE CLOSEST ONE
C
  IF (JMAX .GT. 1) THEN
    MAGMAX=MAGNV(BOOL(1))
    SURFAC=BOOL(1)
    DO 170 I=2,JMAX
      IF (MAGNV(BOOL(I)) .LT. MAGMAX) THEN
        MAGMAX=MAGNV(BOOL(I))
        SURFAC=BOOL(I)
      END IF
170  CONTINUE
    ELSE
      SURFAC=BOOL(JMAX)
    END IF
C
C IF A TRANSMISSION OCCURED LAST, A SURFACE CAN ONLY BE HIT IF THE
C COSINES OF THE ANGLES ARE EQUAL.
C
  ELSE IF (TRANS) THEN
    J=0
    DO 190 I=1,15
      IF (HITTEN(I)) THEN
C
CCCCCCCCC
  IF (MAGNV(I).EQ.0.D0) THEN
    WRITE(16,*)'ATTENTION USER THE BUNDLE IS TRAPPED'
    WRITE(16,*)'CNTREF AND JMAX',CNTREF,JMAX
    WRITE(06,*)'ERROR!!!! '
    WRITE(16,*)'MGNV ET SURFAC',MAGNV(I),I

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        CALL SHOW (X1, Y1, Z1, I)
    END IF
CCCCCCCCCCCC
C
        COSNEW(I)=DOTP(X2(I)-X1, Y2(I)-Y1, Z2(I)-Z1, ANORM(1), ANORM
    &      (2), ANORM(3))/MAGNV(I)
        IF (COSOLD*COSNEW(I) .GT. 0.D0) THEN
            J=J+1
            BOOL(J)=I
        END IF
    END IF
190    CONTINUE
        JMAX=J
C
C IF NO SURFAC IS HIT, THE USER IS WARNED SINCE THE PROGRAM CAN NOT
C PERSUE EXECUTION
CCCCCCCCCCCC
        IF (JMAX.EQ.0) THEN
            WRITE(16,*)' JMAX TRANS', JMAX
            CALL SHOW(X0, Y0, Z0, 25)
            CALL SHOW(X1, Y1, Z1, SURFAC)
            DO 200 I=1,15
                IF (HITTEN(I)) THEN
                    WRITE(16,*)' COSTTA PRECEDENT ', -COSOLD
                    WRITE(16,*)' COSTTA ACTUEL ', COSNEW(I), I
                    CALL SHOW(X2(I), Y2(I), Z2(I), I)
                END IF
200    CONTINUE
            GO TO 222
        END IF
CCCCCCCCCCCC
C
C
C BETWEEN THE ELIGIBLE SURFACES CHOOSE THE CLOSEST ONE
C
        IF (JMAX .GT. 1) THEN
            MAGMAX=MAGNV(BOOL(1))
            SURFAC=BOOL(1)
            DO 205 I=2, JMAX
                IF (MAGNV(BOOL(I)) .LT. MAGMAX) THEN
                    MAGMAX=MAGNV(BOOL(I))
                    SURFAC=BOOL(I)
                END IF
205    CONTINUE
        ELSE
            SURFAC=BOOL(JMAX)
        END IF
C CALL SHOW(X2(SURFAC), Y2(SURFAC), Z2(SURFAC), SURFAC)
C
C IF THE BUNDLE WAS NEITHER REFLECTED NOR TRANSMITTED: PROBLEM!
C
C IF DIFFUSE REFLECTION OCCURED TREAT THE BUNDLE AS IN DIFFUSE EMISSION
C
        ELSE IF (DIFUS) THEN
            IF (SURFAC.EQ.2) THEN
                IF (Z2(3) .LT. 0.0D0) HITTEN(3) = .FALSE.
                IF (Z2(4) .LT. 0.0D0) HITTEN(4) = .FALSE.
                IF (Z2(6) .LT. 0.0D0) HITTEN(6) = .FALSE.
                IF (Z2(7) .LT. 0.0D0) HITTEN(7) = .FALSE.
                IF (Z2(8) .LT. 0.0D0) HITTEN(8) = .FALSE.
                IF (Z2(9) .LT. 0.0D0) HITTEN(9) = .FALSE.
                IF (Z2(10) .LT. 0.0D0) HITTEN(10) = .FALSE.
                IF (Z2(11) .LT. 0.0D0) HITTEN(11) = .FALSE.
                IF (Z2(12) .LT. 0.0D0) HITTEN(12) = .FALSE.
                IF (Z2(13) .LT. 0.0D0) HITTEN(13) = .FALSE.

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                IF (Z2(14).LT.0.0D0) HITTEN(14)=.FALSE.
                IF (Z2(15).LT.0.0D0) HITTEN(15)=.FALSE.
            END IF
C
C THE SURFACE HIT IS THE CLOSEST ONE TO THE EMISSION POINT
C
    MAGMIN=10.D0*RFOV
    J=0
    DO 210 I=1,15
        IF (HITTEN(I)) THEN
            IF (MAGNV(I) .LT. MAGMIN) THEN
                MAGMIN=MAGNV(I)
                SURFAC=I
                J=J+1
            END IF
        *
        *****
        IF (MAGNV(I).EQ.0.D0) THEN
            WRITE(16,*)'ATTENTION USER THE BUNDLE IS TRAPPED'
            WRITE(16,*)'CNTREF',CNTREF
            WRITE(06,*)'ERROR!!!!!!!!!!!!!!'
            WRITE(16,*)'MGNV ET SURFAC 11111',MAGNV(I),I
            CALL SHOW (X1,Y1,Z1,I)
        END IF
        *****
        *
        END IF
210    CONTINUE
        IF (J.EQ.0) THEN
            WRITE(16,*)'GROS CACA DANS IF DIFUS'
            GO TO 222
        END IF
        ELSE
            WRITE(06,*)'CA MERDE'
            GO TO 260
        END IF
C
C STORE THE COORDINATES OF THE POINT HIT
C
    XX=X2(SURFAC)
    YY=Y2(SURFAC)
    ZZ=Z2(SURFAC)
C
C IF THE ENERGY BDLE LEAVES THE MODULE LEAVE
C THE LOOP AND INCREASE THE CORRESPONDING ABSORPTION COUNTER
C
    IF (EXIT.AND.(SURFAC.EQ.1.OR.SURFAC.EQ.5)) GOTO 222
C
C END OF THE (NOT ABSOR) IF
C
    END IF
C
CCCCCCCCCCCC
    IF (ABS(Y2(SURFAC)).GT.RFOV.OR.ABS(X2(SURFAC)).GT.RFOV) THEN
        CALL SHOW(X2(SURFAC),Y2(SURFAC),Z2(SURFAC),SURFAC)
        CALL SHOW(X1,Y1,Z1,SURFAC)
        DO 211 I=1,15
            WRITE(06,*)HITTEN(I)
211    CONTINUE
            WRITE(06,*)'ERREUR QUELQUE PART',CNTBDL
            GO TO 260
        END IF
CCCCCCCCCCCC
C

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C
C IF THE BUNDLE IS IN THE DOME CHECK IF IT WAS EXTINGUISHED BEFORE
C IT ACTUALLY REACHED THE OTHER SURFACE
C
      IF (INDOME) THEN
C
C COMPUTE THE DISTANCE P1P2, GET A RANDOM NUMBER, AND COMPUTE THE MAXI
C MUM DISTANCE A BUNDLE CAN TRAVEL BASED ON THE ABSORPTIVITY
C
      LEN=NORME (XX-X1,YY-Y1,ZZ-Z1)
      CALL DRNUN (1,RDM)
      CNTRDM=CNTRDM+1
      RDMLLEN=DLOG (1.D0 / (1.D0 - RDM)) / ALPHAD
C
C IF THE DISTANCE P1P2 IS GREATER THAN THE MAXIMUM DISTANCE RDMLLEN THEN
C THE ENERGY BUNDLE WILL BE ABSORBED IN THE DOME AT A DISTANCE "RDMLLEN"
C BETWEEN P1 (X1,Y1,Z1) AND P2 (X2,Y2,Z2). LEAVE THE LOOP INCREASE COUNTER
C
      IF (LEN.GT.RDMLLEN) THEN
          ABSOR=.TRUE.
          SURFAC=4
          DELZ=RDMLLEN/DSQRT ((L/N) * (L/N) + (M/N) * (M/N) + 1.D0) *
&              DABS (ZZ-Z1) / (ZZ-Z1)
          XX=(L/N) * DELZ + X1
          YY=(M/N) * DELZ + Y1
          ZZ=DELZ + Z1
          ELSE IF (SURFAC.EQ.6) THEN
              ABSOR=.TRUE.
          END IF
      END IF
C
C IF THE BUNDLE WAS NOT ABSORBED THIS TIME GO BACK TO TOP OF LOOP
C
220  IF (.NOT.ABSOR) GO TO 100
C
C TEST SECTION TO INCREASE THE COUNTERS
C
222  IF ((SURFAC.EQ.1.OR.SURFAC.EQ.5).AND.(ABSOR.AND..NOT.EXIT)) THEN
      FT(1)=FT(1)+1
      CALL SEARCH (XX,YY,ZZ,SURFAC,CNTBDL,DIST)
  ELSE IF (SURFAC.EQ.2.AND.ABSOR) THEN
      FT(12)=FT(12)+1
      CALL SEARCH (XX,YY,ZZ,SURFAC,CNTBDL,DIST)
  ELSE IF ((SURFAC.EQ.6).AND.(ABSOR.AND..NOT.ENTER)) THEN
      FT(2)=FT(2)+1
      CALL SEARCH (XX,YY,ZZ,SURFAC,CNTBDL,DIST)
  ELSE IF ((SURFAC.EQ.3.OR.SURFAC.EQ.7).AND.ABSOR) THEN
      FT(3)=FT(3)+1
      CALL SEARCH (XX,YY,ZZ,SURFAC,CNTBDL,DIST)
  ELSE IF ((SURFAC.EQ.4.OR.SURFAC.EQ.8).AND.ABSOR) THEN
      FT(4)=FT(4)+1
      CALL SEARCH (XX,YY,ZZ,SURFAC,CNTBDL,DIST)
  ELSE IF ((SURFAC.EQ.1.OR.SURFAC.EQ.5).AND.EXIT) THEN
      FT(6)=FT(6)+1
      NBBUAB (NB4+1)=NBBUAB (NB4+1)+1
      ABSOR=.TRUE.
  ELSE IF ((SURFAC.EQ.9.OR.SURFAC.EQ.10).AND.ABSOR) THEN
      FT(7)=FT(7)+1
      CALL SEARCH (XX,YY,ZZ,SURFAC,CNTBDL,DIST)
  ELSE IF ((SURFAC.EQ.11.OR.SURFAC.EQ.12).AND.ABSOR) THEN
      FT(8)=FT(8)+1
      CALL SEARCH (XX,YY,ZZ,SURFAC,CNTBDL,DIST)
  ELSE IF (SURFAC.EQ.13.AND.ABSOR) THEN
      FT(9)=FT(9)+1
      CALL SEARCH (XX,YY,ZZ,SURFAC,CNTBDL,DIST)

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ELSE IF ((SURFAC.EQ.14.OR.SURFAC.EQ.15).AND.ABSOR) THEN
    FT(10)=FT(10)+1
    CALL SEARCH(XX,YY,ZZ,SURFAC,CNTBDL,DIST)
ELSE
    END IF
C
C INCREMENT COUNTER FOR BUNDLES ENTERING CAVITY
C
    IF (EMISUR.EQ.4.AND.ENTER) THEN
        FT(5)=FT(5)+1
    END IF
C
C INCREMENT COUNTER FOR BUNDLES LEAVING CAVITY
C
    IF ((EMISUR.EQ.9.OR.EMISUR.EQ.11).AND.EXITCAV) THEN
        FT(11)=FT(11)+1
    END IF
C
C CHECK IF ALL THE BUNDLES HAVE BEEN EMITTED FOR THE CURRENT WL INTERVAL
C
    IF (CNTBDL.LT.NBDLIN(CNTINT)) GO TO 30
C
C COMPUTE THE DISTRIBUTION FACTORS:
C DFAC(EMITTING ELMT,ABSORBING ELMT,SPECIFIC WAVELENGTH INTERVAL),
C DEFINED AS THE RATIO OF THE NUMBER OF BUNDLES EMITTED BY ELMT "I"
C IN WL INTERVAL "K" THAT IS ABSORBED BY ELMT "J" TO THE NUMBER OF
C BUNDLES EMITTED BY ELMT "I" IN WL INTERVAL "K"
C
    DO 300 J=1,NB14
        DFAC(NBSURF,J,CNTINT)=DBLE(NBBUAB(J))/DBLE(NBBUEA(CNTINT))
300    CONTINUE
C
C CHECK IF ALL THE BUNDLES HAVE BEEN EMITTED FOR THE ENTIRE SPECTRUM
C
    IF (CNTBDL.LT.MAXBDL) GO TO 29
C
C If all energy bundles have been emitted write all the necessary
C OUTPUT FILES.
C
C If energy bundles were emitted from one element only,
C
    IF (MENU3.EQ.2) THEN
        DT(1)=DBLE(FT(1))/DBLE(MAXBDL)
        DT(2)=DBLE(FT(2))/DBLE(MAXBDL)
        DT(3)=DBLE(FT(3))/DBLE(MAXBDL)
        DT(4)=DBLE(FT(4))/DBLE(MAXBDL)
        DT(5)=DBLE(FT(5))/DBLE(MAXBDL)
        DT(6)=DBLE(FT(6))/DBLE(MAXBDL)
        DT(7)=DBLE(FT(7))/DBLE(MAXBDL)
        DT(8)=DBLE(FT(8))/DBLE(MAXBDL)
        DT(9)=DBLE(FT(9))/DBLE(MAXBDL)
        DT(10)=DBLE(FT(10))/DBLE(MAXBDL)
        DT(11)=DBLE(FT(11))/DBLE(MAXBDL)
        DT(12)=DBLE(FT(12))/DBLE(MAXBDL)
        WRITE(03,231)'=====
        WRITE(03,232)'NUMBER OF ENERGY BUNDLES EMITTED :',CNTBDL
        WRITE(03,232)'NUMBER OF RANDOM NUMBER USED      :',CNTRDM
        WRITE(03,231)'=====
        WRITE(03,230)'DFAC TO FOV LIMITER (DT1)          ',DT(1)
        WRITE(03,230)'DFAC TO UPPER SUBSTRATE (DT12)     ',DT(12)
        WRITE(03,230)'DFAC TO LOWER SUBSTRATE (DT2)     ',DT(2)
        WRITE(03,230)'DFAC TO DOME FROM BELOW (DT3)     ',DT(3)
        WRITE(03,230)'DFAC TO DOME FROM ABOVE (DT4)     ',DT(4)
        WRITE(03,230)'DFAC TO FOV-LIMITER APERTURE (DT6) ',DT(6)
        WRITE(03,230)'DFAC TO BARREL (DT7)              ',DT(7)
    
```

```

WRITE(03,230)'DFAC TO CONE (DT8) ',DT(8)
WRITE(03,230)'DFAC TO CAVITY SUBSTRATE (DT9) ',DT(9)
WRITE(03,230)'DFAC TO RING (DT10) ',DT(10)
WRITE(03,*) ' ====='
WRITE(03,230)'SUM OF DFACS ',DT(1)+DT(2)
& +DT(3)+DT(4)+DT(6)+DT(7)+DT(8)+DT(9)+DT(10)+DT(12)
WRITE(03,231)'=====
WRITE(03,230)'POSSIBLE BUNDLES ENTERING CAVITY ',DT(6)
WRITE(03,230)'BUNDLES LEAVING CAVITY ',DT(11)
WRITE(03,230)'AVERAGE # OF REFLECTIONS PER BUNDLE',CNTREF/CNTBDL
WRITE(03,232)'NUMBER OF BUNDLES REFLECTED ON DOME',CNTBRW
C
230 FORMAT(2X,A36,F10.5)
231 FORMAT(1X,A48)
232 FORMAT(2X,A34,I10)
240 FORMAT(1X,2I10,F15.9)
C
C Compute the DFAC for shortwave, longwave and total spectrum
C and output the DFAC to file for tecplot postprocessing
C
I = 1
DO 310 J=1,NB14
DFACSW(I,J)=0.0D0
DFACLW(I,J)=0.0D0
DFACTT(I,J)=0.0D0
310 CONTINUE
DO 311 J=1,NB14
DO 311 K=1,NBWLIN-1
DFACSW(I,J)=(DFACSW(I,J)+DFAC(NBSURF,J,K))
DFACTT(I,J)=(DFACTT(I,J)+DFAC(NBSURF,J,K))
311 CONTINUE
checkdf=0.0D0
K=NBWLIN
DO 312 J=1,NB14
DFACLW(I,J)=(DFACLW(I,J)+DFAC(NBSURF,J,K))
DFACTT(I,J)=(DFACTT(I,J)+DFAC(NBSURF,J,K))
write(18,*)'DFACTT TO ELEMENT',J,'=',DFACTT(I,J)
checkdf=checkdf+dfactt(i,j)
312 CONTINUE
write(18,*)'checkdf=',checkdf
CALL TECPLOT
END IF
C
C Output of the distribution factors to file "dfacmtx.dat"
C
IF (EMISUR.EQ.0) WRITE(07,770)'FIELD',NBSURF
IF (EMISUR.EQ.1) WRITE(07,770)'FOV_L',NBSURF
IF (EMISUR.EQ.2) WRITE(07,770)'L_SUB',NBSURF
IF (EMISUR.EQ.3) WRITE(07,770)'U_SUB',NBSURF
IF (EMISUR.EQ.4) WRITE(07,770)'DOME ',NBSURF
IF (EMISUR.EQ.9) WRITE(07,770)'BARREL',NBSURF
IF (EMISUR.EQ.11) WRITE(07,770)'CONE',NBSURF
IF (EMISUR.EQ.13) WRITE(07,770)'CAVSUB',NBSURF
IF (EMISUR.EQ.14) WRITE(07,770)'RING',NBSURF
DO 350 K=1,NBWLIN
DO 350 J=1,NB14
WRITE(07,780)J,K,DFAC(NBSURF,J,K)
350 CONTINUE
770 FORMAT(1X,A6,I4)
780 FORMAT(1X,2I6,G30.20)
790 FORMAT(1X,I6,G30.20)
C
C
C END-OF-PROGRAM MENU
C

```

```

260 IF (CNTEMI.LT.CNTIND) GO TO 922
WRITE(03,*)CNTRDM,' RANDOM NUMBER USED FOR DFAC COMPUTATION'
C
270 WRITE(06,520)'=====
WRITE(06,520)' TO QUIT, ENTER (0) '
WRITE(06,520)' IF YOU WANT TO RUN THIS PROGRAM AGAIN, ENTER (1) '
WRITE(06,520)'=====
READ(05,*)ANSWER
IF (ANSWER.EQ.1) THEN
GO TO 10
ELSE
GO TO 261
END IF

```

```

C
C FORMATS OF ALL WRITE AND READ STATEMENTS
C

```

```

520 FORMAT(1X,A52)
521 FORMAT(1X,F10.3,A11,F10.3)
522 FORMAT(1X,A30,F10.6)
523 FORMAT(1X,A10,I5)
525 FORMAT(1X,A25,I4,A6,I4)
526 format(1x,a16,i4,a22,i4)
700 FORMAT(1X,F9.3,1X,F9.3,1X,F9.3,1X,F15.9)
710 FORMAT(1X,4I8)
261 END

```

\*\*\*\*\*  
\*\*\*\*\*END OF MAIN PROGRAMME\*\*\*\*\*  
\*\*\*\*\*

```

SUBROUTINE EMIT0 (X1,Y1,Z1,L,M,N,CRADAN,PTSOUR)
IMPLICIT NONE
REAL*8 X1,Y1,Z1,PHI1,TETA1,TETA,PI,RDM,RFOV,TETA FM
REAL*8 R,L,M,N,LP,MP,NP,RADIUS,CRADAN
REAL*8 XPTSO,YPTSO
REAL*8 REXT,RINT,DENIV

```

```

C
C INTEGER CNTRDM
C
C LOGICAL PTSOUR
C
C COMMON /RAND/ CNTRDM
C COMMON /FOVL/ RFOV,TETA FM
C COMMON /PTSO/ XPTSO,YPTSO
C COMMON /DOVE/ REXT,RINT,DENIV

```

```

C
C PI=DACOS(-1.D0)
C
C WHEN EMITTING FROM THE APERTURE OF THE FOV LIMITER Z1 IS GIVEN
C
C Z1=RFOV*DCOS(TETA FM)+DENIV

```

```

C
C IF POINT SOURCE OPTION IS SET X1=XPTSO AND Y1=YPTSO
C
C IF (PTSOUR) THEN
C X1=XPTSO
C Y1=YPTSO
C ELSE

```

```

C
C GET RANDOM POSITION ON EMISSION DISC *
C
C CALL DRNUN(1,RDM)
C CNTRDM=CNTRDM+1
C R=DSQRT(RDM)*RFOV*DSIN(TETA FM)

```



```

        CALL DRNUN(1,RDM)
        CNTRDM=CNTRDM+1
        TETA=RDM*2.D0*PI
C
C OBTAIN X Y COORDINATES *
C
        X1=R*DCOS(TETA)
        Y1=R*DSIN(TETA)
        RADIUS=DSQRT(X1*X1+Y1*Y1)
        END IF
C
C IF THE ANGLE CRADAN IS >0, THE RADIATION IS EMITTED WITH CST DIRECTION
C
        IF (CRADAN.GE.0.D0) THEN
            L=0.D0
            M=DSIN(CRADAN)
            N=DCOS(CRADAN)
        ELSE
C
C GET RANDOM EMISSION DIRECTION IN THE LOCAL COORDINATE SYSTEM
C
            CALL DRNUN(1,RDM)
            CNTRDM=CNTRDM+1
            PHI1=DASIN(DSQRT(RDM))
            CALL DRNUN(1,RDM)
            CNTRDM=CNTRDM+1
            TETA1=2.D0*PI*RDM
C
C COMPUTE THE DIRECTION COSINES IN THE LOCAL COORDINATE SYSTEM
C
            LP=DSIN(PHI1)*DCOS(TETA1)
            MP=DSIN(PHI1)*DSIN(TETA1)
            NP=DCOS(PHI1)
C
C TRANSFORMATION OF THE DIRECTION COSINES INTO GLOBAL COORD. SYSTEM
C
            L=LP
            M=MP
            N=NP
            END IF
            END
*****
*
* THIS SUBROUTINE EMITS BUNDLES IN RANDOM DIRECTION FROM A RANDOM *
* LOCATION OF A SURFACE ELEMENT OF THE FOV LIMITER. *
*
*****

        SUBROUTINE EMIT1 (X1,Y1,Z1,L,M,N)

        IMPLICIT NONE
        REAL*8 X1,Y1,Z1,PHI,TETA,L,M,N,LP,MP,NP,ZED,DZED,DTETA
        REAL*8 RFOV,TETAFM,ZMAX,PI,RDM,PHILOC,TTALOC
        REAL*8 REXT,RINT,DENIV
C
        INTEGER NBLAT,NBLONG,NSURI1,NSURI2,NSURI3
        INTEGER CNTRDM
C
        COMMON /RAND/ CNTRDM
        COMMON /FOVL/ RFOV,TETAFM
        COMMON /SER2/ NBLAT,NBLONG
        COMMON /NSUR/ NSURI1,NSURI2,NSURI3
        COMMON /DOME/ REXT,RINT,DENIV

```

```

      PI=DACOS (-1.D0)
      ZMAX=RFOV*DCOS (TETA FM) +DENIV

      DZED=ZMAX/NBLAT
      DTETA=2.D0*PI/NBLONG
C
C GET RANDOM POSITION ON EMISSION SURFAC
C
      CALL DRNUN (1,RDM)
      CNTRDM=CNTRDM+1
      ZED= (DBLE (NSURI1) -1.D0+DSQRT (RDM) ) *DZED-DENIV

      CALL DRNUN (1,RDM)
      CNTRDM=CNTRDM+1
      TETA= (DBLE (NSURI2) -1.D0+RDM) *DTETA
      PHI=DACOS (ZED/RFOV)
C
C OBTAIN X Y Z COORDINATES *
C
      X1=RFOV*DSIN (PHI) *DCOS (TETA)
      Y1=RFOV*DSIN (PHI) *DSIN (TETA)
      Z1=RFOV*DCOS (PHI) +DENIV

C
C RANDOM EMISSION DIRECTION IN THE LOCAL COORD. SYSTEM
C
      CALL DRNUN (1,RDM)
      CNTRDM=CNTRDM+1
      PHILOC=DASIN (DSQRT (RDM) )
      CALL DRNUN (1,RDM)
      CNTRDM=CNTRDM+1
      TTALOC=2.D0*PI*RDM

C
C COMPUTE THE SLOPE OF THE EMITTED RAY IN THE LOCAL COORD. SYSTEM
C
      LP=DSIN (PHILOC) *DCOS (TTALOC)
      MP=DSIN (PHILOC) *DSIN (TTALOC)
      NP=DCOS (PHILOC)

C
C TRANSFORMATION OF THE DIRECTION COSINES INTO GLOBAL COORD. SYSTEM
C
      L=- (X1*Z1/ (RFOV*DSQRT (RFOV*RFOV-Z1*Z1) ) *LP
&      +Y1/DSQRT (RFOV*RFOV-Z1*Z1) *MP
&      +X1/RFOV*NP)
      M=- (Y1*Z1/ (RFOV*DSQRT (RFOV*RFOV-Z1*Z1) ) *LP
&      -X1/DSQRT (RFOV*RFOV-Z1*Z1) *MP
&      +Y1/RFOV*NP)
      N=DSQRT (RFOV*RFOV-Z1*Z1) /RFOV*LP-Z1/RFOV*NP
      END

*****
*
* THIS SUBROUTINE EMITS BUNDLES IN RANDOM DIRECTION FROM A RANDOM *
* LOCATION OF A SURFACE ELEMENT OF THE LOWER SUBSTRATE. *
*
*****

      SUBROUTINE EMIT2 (X1,Y1,Z1,L,M,N,INDOME)

      IMPLICIT NONE
      REAL*8 X1,Y1,Z1,TETA,L,M,N,LP,MP,NP,DTETA
      REAL*8 RFOV,TETA FM,PI,RDM,PHILOC,TTALOC
      REAL*8 RADIUS,REXT,RINT,RPA,DENIV

```

```

C
INTEGER NBWASH,NBPS,NBLSU,NBWSU,NSURI1,NSURI2,NSURI3,SURFAC
INTEGER CNTRDM
C
LOGICAL INDOME
C
COMMON /RAND/ CNTRDM
COMMON /FOVL/ RFOV,TETAFM /SUBS/ RPA,SURFAC
COMMON /SER3/ NBWASH,NBPS,NBLSU,NBWSU
COMMON /DOME/ REXT,RINT,DENIV
COMMON /NSUR/ NSURI1,NSURI2,NSURI3
C
PI=DACOS(-1.D0)
INDOME=.FALSE.
C
C GET RANDOM POSITION ON EMISSION SURFACE (LOWER SUBSTRATE)
C
IF (NSURI1.EQ.1) THEN
  DTETA=2.D0*PI
  CALL DRNUN(1,RDM)
  CNTRDM=CNTRDM+1
  RADIUS=DSQRT(RDM)*RPA
  CALL DRNUN(1,RDM)
  CNTRDM=CNTRDM+1
  TETA=(DBLE(NSURI2)-1.D0+RDM)*DTETA
ELSE
  DTETA=2.D0*PI/DBLE(NBLSU)
  CALL DRNUN(1,RDM)
  CNTRDM=CNTRDM+1
  IF (NSURI2.EQ.1) THEN
    RADIUS=DSQRT(RDM*(RINT*RINT-RPA*RPA)+RPA*RPA)
  ELSE
    RADIUS=DSQRT(RDM*(REXT*REXT-RINT*RINT)+RINT*RINT)
    INDOME=.TRUE.
  END IF
  CALL DRNUN(1,RDM)
  CNTRDM=CNTRDM+1
  TETA=(DBLE(NSURI3)-1.D0+RDM)*DTETA
END IF
C
C OBTAIN X Y Z COORDINATES *
C
X1=RADIUS*DCOS(TETA)
Y1=RADIUS*DSIN(TETA)
Z1=DENIV
C
C RANDOM EMISSION DIRECTION IN THE LOCAL COORD. SYSTEM
C
CALL DRNUN(1,RDM)
CNTRDM=CNTRDM+1
PHILOC=DASIN(DSQRT(RDM))
CALL DRNUN(1,RDM)
CNTRDM=CNTRDM+1
TTALOC=2.D0*PI*RDM
C
C COMPUTE THE SLOPE OF THE EMITTED RAY IN THE LOCAL COORD. SYSTEM
C
LP=DSIN(PHILOC)*DCOS(TTALOC)
MP=DSIN(PHILOC)*DSIN(TTALOC)
NP=DCOS(PHILOC)
C
C TRANSFORMATION OF THE DIRECTION COSINES INTO GLOBAL COORD. SYSTEM
C
L=(X1*LP-Y1*MP)/RADIUS
M=(Y1*LP+X1*MP)/RADIUS

```

```

      N=NP
      END
*****
*
*   THIS SUBROUTINE EMITS BUNDLES IN RANDOM DIRECTION FROM A RANDOM
*   LOCATION OF A SURFACE ELEMENT OF THE UPPER SUBSTRATE.
*
*****

      SUBROUTINE EMIT3 (X1,Y1,Z1,L,M,N)

      IMPLICIT NONE
      REAL*8 X1,Y1,Z1,TETA,L,M,N,LP,MP,NP,DTETA
      REAL*8 RFOV,TETA FM,PI,RDM,PHILOC,TTALOC
      REAL*8 RADIUS,RADIUS1,RADIUS2,REXT,RINT,DENIV,RAD1,RAD2
C
      INTEGER NBWASH,NBPS,NBLSU,NBWSU,NSURI1,NSURI2,NSURI3
      INTEGER CNTRDM
C
      COMMON /RAND/ CNTRDM
      COMMON /FOVL/ RFOV,TETA FM
      COMMON /SER3/ NBWASH,NBPS,NBLSU,NBWSU
      COMMON /NSUR/ NSURI1,NSURI2,NSURI3
      COMMON /DOVE/ REXT,RINT,DENIV
C
      PI=DACOS(-1.D0)
      DTETA=2.D0*PI/NBPS
      RAD1 = DSQRT(REXT*REXT - DENIV*DENIV)
      RAD2 = DSQRT(RFOV*RFOV - DENIV*DENIV)
      RADIUS1=DSQRT(DBLE(NSURI1-1)/DBLE(NBWASH) * (RAD2*RAD2-
& RAD1*RAD1) + RAD1*RAD1)
      RADIUS2=DSQRT(DBLE(NSURI1)/DBLE(NBWASH) * (RAD2*RAD2-
& RAD1*RAD1) + RAD1*RAD1)
C
C GET RANDOM POSITION ON EMISSION SURFAC
C
      CALL DRNUN(1,RDM)
      CNTRDM=CNTRDM+1
      RADIUS=DSQRT(RDM*(RADIUS2*RADIUS2-RADIUS1*RADIUS1)+RADIUS1
& *RADIUS1)
      IF (RADIUS.EQ.0.D0) THEN
          WRITE(16,*) 'RADIUS1,RADIUS2,RADIUS,NSURI1,NSURI2'
          WRITE(16,*)RADIUS1,RADIUS2,RADIUS,NSURI1,NSURI2
      END IF
      CALL DRNUN(1,RDM)
      CNTRDM=CNTRDM+1
      TETA=(DBLE(NSURI2)-1.D0+RDM)*DTETA
C
C OBTAIN X Y Z COORDINATES
C
      X1=RADIUS*DCOS(TETA)
      Y1=RADIUS*DSIN(TETA)
      Z1=0.D0
C
C RANDOM EMISSION DIRECTION IN THE LOCAL COORD. SYSTEM
C
      CALL DRNUN(1,RDM)
      CNTRDM=CNTRDM+1
      PHILOC=DASIN(DSQRT(RDM))
      CALL DRNUN(1,RDM)
      CNTRDM=CNTRDM+1
      TTALOC=2.D0*PI*RDM
C
C COMPUTE THE SLOPE OF THE EMITTED RAY IN THE LOCAL COORD. SYSTEM
C

```

```

      LP=DSIN(PHILOC)*DCOS(TTALOC)
      MP=DSIN(PHILOC)*DSIN(TTALOC)
      NP=DCOS(PHILOC)
C
C TRANSFORMATION OF THE DIRECTION COSINES INTO GLOBAL COORD. SYSTEM
C
      L=(X1*LP-Y1*MP)/RADIUS
      M=(Y1*LP+X1*MP)/RADIUS
      N=NP
      END
*****
*
*   This subroutine emits bundles in a random direction from the   *
*   centroid of a volume element in the DOME                       *
*
*****

      SUBROUTINE EMIT4 (X1,Y1,Z1,L,M,N,ANORM)

      IMPLICIT NONE
      REAL*8 X1,Y1,Z1,L,M,N,LP,MP,NP
      REAL*8 DENIV,REXT,RINT
      REAL*8 PHI,TETA,PHILOC,TTALOC,RDM,PI,DISTTOC
      REAL*8 RADF,PHIF,TTAF,SAREA,RCEN
      REAL*8 RADP1,PHIP1,TTAP1
      REAL*8 ANORM(15)

C
      INTEGER NBSH,NBCO,NBPSD,NSURI1,NSURI2,NSURI3
      INTEGER CNTRDM,NBVELT,MAXELT

C
      PARAMETER (MAXELT=700)

C
      COMMON /SER4/ NBSH,NBCO,NBPSD
      COMMON /NSUR/ NSURI1,NSURI2,NSURI3
      COMMON /DOME/ REXT,RINT,DENIV
      COMMON /SETU/ RADF(MAXELT),PHIF(MAXELT),TTAF(MAXELT),SAREA(MAXELT),RCEN
      COMMON /RAND/ CNTRDM

C
      PI = DACOS(-1.D0)

C
C Get emission location. point P1(X1,Y1,Z1)
C
      CALL DRNUN(1,RDM)
      CNTRDM = CNTRDM + 1
      RADP1 = (((RADF(NSURI1))**3)*(1.D0-RDM) +
&           ((RADF(NSURI1-1))**3)*RDM)**(1.D0/3.d0)
      CALL DRNUN(1,RDM)
      CNTRDM = CNTRDM + 1
      PHIP1 = DACOS(DCOS(PHIF(NSURI2))*(1.D0-RDM) +
&              DCOS(PHIF(NSURI2-1))*RDM)
      CALL DRNUN(1,RDM)
      CNTRDM = CNTRDM + 1
      TTAP1 = TTAF(NSURI3)*(1.D0-RDM) + TTAF(NSURI3+1)*RDM
      X1 = RADP1*DSIN(PHIP1)*DCOS(TTAP1)
      Y1 = RADP1*DSIN(PHIP1)*DSIN(TTAP1)
      Z1 = RADP1*DCOS(PHIP1) + DENIV
      DISTTOC = DSQRT(X1*X1 + Y1*Y1 + (Z1-DENIV)*(Z1-DENIV))

C
C Compute the vector normal to the shell of point P1
C
      ANORM(1) = -X1/RADP1
      ANORM(2) = -Y1/RADP1
      ANORM(3) = -(Z1-DENIV)/RADP1

C
C Random emission direction in the local coordinate system

```

```

C
CALL DRNUN(1,RDM)
CNTRDM = CNTRDM + 1
PHILOC = DASIN(DSQRT(RDM))
CALL DRNUN(1,RDM)
CNTRDM = CNTRDM + 1
TTALOC = 2.D0*PI*RDM

C
C Compute the slope of the emitted ray in the local coordinate system
C
LP = DSIN(PHILOC)*DCOS(TTALOC)
MP = DSIN(PHILOC)*DSIN(TTALOC)
NP = DCOS(PHILOC)

C
C Transformation of the direction cosines into the global coordinate
C system
C
L = -(X1*(Z1-DENIV)/(DISTTOC*DSQRT(DISTTOC*DISTTOC - (Z1-DENIV)*
1 (Z1-DENIV)))*LP + Y1/DSQRT(DISTTOC*DISTTOC - (Z1-DENIV)*
2 (Z1-DENIV))*MP + X1/DISTTOC*NP)
M = -(Y1*(Z1-DENIV)/(DISTTOC*DSQRT(DISTTOC*DISTTOC - (Z1-DENIV)*
1 (Z1-DENIV)))*LP - X1/DSQRT(DISTTOC*DISTTOC - (Z1-DENIV)*
2 (Z1-DENIV))*MP + Y1/DISTTOC*NP)
N = DSQRT(DISTTOC*DISTTOC - (Z1-DENIV)*(Z1-DENIV))/DISTTOC*LP -
1 (Z1-DENIV)/DISTTOC*NP

C
END
*****
*
* This subroutine emits energy bundles from a random *
* location on a given surface element of the barrel *
*
*****

SUBROUTINE EMIT9(X1,Y1,Z1,L,M,N,ANORM1,ANORM2,ANORM3)
IMPLICIT NONE
REAL*8 X1,Y1,Z1,L,M,N,LP,MP,NP
REAL*8 RCAV,LBAR,DLBAR,HEIGHT,DENIV,LCON,CAVANG
REAL*8 TETA,DTETA,PI,PHILOC,TTALOC,RDM,REXT,RINT
REAL*8 ANORM1,ANORM2,ANORM3

C
INTEGER NBHSB,NBHSC,NBPSB,NBPSC,NSURI1,NSURI2,NSURI3,SURFAC
INTEGER CNTRDM,NBPSCS

C
COMMON /RAND/ CNTRDM
COMMON /NSUR/NSURI1,NSURI2,NSURI3
COMMON /CAVITY/ RCAV,LBAR,LCON,CAVANG
COMMON /DOME/ REXT,RINT,DENIV
COMMON /CAVSUR/ NBHSB,NBHSC,NBPSB,NBPSC,NBPSCS

C
DLBAR=(LBAR/DBLE(NBHSB))
PI=DACOS(-1.D0)
DTETA=2.D0*PI/NBPSB

C
C GET RANDOM POSITION ON EMISSION SURFACE
C
CALL DRNUN(1,RDM)
CNTRDM=CNTRDM+1
HEIGHT=LBAR-DLBAR*(RDM+DBLE(NSURI1)-1.D0)
CALL DRNUN(1,RDM)
CNTRDM=CNTRDM+1
TETA=(DBLE(NSURI2)-1.D0+RDM)*DTETA

C
C OBTAIN X Y Z COORDINATES
C

```

```

      X1=RCAV*DCOS (TETA)
      Y1=RCAV*DSIN (TETA)
      Z1=DENIV-HEIGHT
C
C OBTAIN NORMAL VECTOR FROM EMISSION POINT
C
      ANORM1=-1 .D0*X1/RCAV
      ANORM2=-1 .D0*Y1/RCAV
      ANORM3=0 .0D0
C
C RANDOM EMISSION DIRECTION IN THE LOCAL COORDINATE SYSTEM
C
      CALL DRNUN (1,RDM)
      CNTRDM=CNTRDM+1
      PHILOC=DASIN (DSQRT (RDM))
      CALL DRNUN (1,RDM)
      CNTRDM=CNTRDM+1
      TTALOC=2 .D0*PI*RDM
C
C COMPUTE THE SLOPE OF THE EMITTED RAY IN THE LOCAL COORDINATE SYSTEM
C
      LP=DSIN (PHILOC) *DCOS (TTALOC)
      MP=DSIN (PHILOC) *DSIN (TTALOC)
      NP=DCOS (PHILOC)
C
C TRANSFORMATION OF THE DIRECTION COSINES INTO GLOBAL COORDINATE SYSTEM
C
      L=-MP*DSIN (TETA) -NP*DCOS (TETA)
      M= MP*DCOS (TETA) -NP*DSIN (TETA)
      N=LP

      END

*****
*
*       This subroutine emits energy bundles from a random
*       location on a given surface element of the cone
*
*****

      SUBROUTINE EMIT11 (X1,Y1,Z1,L,M,N)

      IMPLICIT NONE
      REAL*8 X1,Y1,Z1,L,M,N,LP,MP,NP
      REAL*8 RCAV,LCON,LBAR,DLCON,DENIV,HEIGHT,RPRIME,CAVANG
      REAL*8 TETA,DTETA,PI,PHILOC,TTALOC,RDM,REXT,RINT
      REAL*8 DSNCAV,DCSCAV,LCONP
      REAL*8 RIN,ROUT,RADIUS,LCAV,TANCAV

C
      INTEGER NBHSB,NBHSC,NBPSB,NBPSC,NSURI1,NSURI2,NSURI3,NBPSCS
      INTEGER CNTRDM

C
      COMMON /RAND/ CNTRDM
      COMMON /NSUR/ NSURI1,NSURI2,NSURI3
      COMMON /CAVITY/ RCAV,LBAR,LCON,CAVANG
      COMMON /DOME/ REXT,RINT,DENIV
      COMMON /CAVSUR/ NBHSB,NBHSC,NBPSB,NBPSC,NBPSCS
      COMMON /CONSET/ DLCON(20)

C
      PI=DACOS (-1 .D0)
      LCAV=LCON+LBAR-DENIV
      DTETA=2 .D0*PI/NBPSC
      DSNCAV=RCAV/ (DSQRT (RCAV*RCAV+LCON*LCON))

```

```

      DCSCAV=LCON/(DSQRT(RCAV*RCAV+LCON*LCON))
      TANCAV=RCAV/LCON
C
      ROUT=(DLCON((NBHSC+1)-NSURI1)+LCAV)*TANCAV
      RIN=(DLCON((NBHSC+1)-(NSURI1-1))+LCAV)*TANCAV
C
C GET RANDOM POSITION ON EMISSION SURFACE
C
      CALL DRNUN(1,RDM)
      CNTRDM=CNTRDM+1
      RADIUS=DSQRT(RDM*(ROUT*ROUT-RIN*RIN)+RIN*RIN)
      HEIGHT=(RADIUS/TANCAV)-LCAV
      CALL DRNUN(1,RDM)
      CNTRDM=CNTRDM+1
      TETA=(DBLE(NSURI2)-1.D0+RDM)*DTETA
C
C OBTAIN X Y Z COORDINATES
C
      LCONP=LCON+HEIGHT-DENIV+LBAR
      RPRIME=RCAV*(LCONP/LCON)
      X1=RPRIME*DCOS(TETA)
      Y1=RPRIME*DSIN(TETA)
      Z1=HEIGHT
C
C RANDOM EMISSION DIRECTION IN THE LOCAL COORDINATE SYSTEM
C
      CALL DRNUN(1,RDM)
      CNTRDM=CNTRDM+1
      PHILOC=DASIN(DSQRT(RDM))
      CALL DRNUN(1,RDM)
      CNTRDM=CNTRDM+1
      TTALOC=2.D0*PI*RDM
C
C COMPUTE THE SLOPE OF THE EMITTED RAY IN THE LOCAL COORDINATE SYSTEM
C
      LP=DSIN(PHILOC)*DCOS(TTALOC)
      MP=DSIN(PHILOC)*DSIN(TTALOC)
      NP=DCOS(PHILOC)
C
C TRANSFORMATION OF THE DIRECTION COSINES INTO GLOBAL COORDINATE SYSTEM
C
      L= LP*DCOS(TETA)*DSNCAV-MP*DSIN(TETA)-
& NP*DCOS(TETA)*DCSCAV
      M= LP*DSIN(TETA)*DSNCAV+MP*DCOS(TETA)-
& NP*DSIN(TETA)*DCSCAV
      N= LP*DCSCAV+NP*DSNCAV

      END

*****
*
* THIS SUBROUTINE EMITS BUNDLES IN A RANDOM DIRECTION FROM A RANDOM
* LOCATION OF A SURFACE ELEMENT OF THE PORTION OF THE LOWER
* SUBSTRATE WHICH FACES THE CAVITY.
*
*****

      SUBROUTINE EMIT13(X1,Y1,Z1,L,M,N,ANORM4,ANORM5,ANORM6)

      IMPLICIT NONE
      REAL*8 X1,Y1,Z1,TETA,L,M,N,LP,MP,NP,DTETA
      REAL*8 RCAV,RPA,PI,RDM,PHILOC,TTALOC,RADIUS
      REAL*8 LBAR,LCON,CAVANG,SURFAC
      REAL*8 TETA FM,RFOV

```



```

REAL*8 ANORM4 , ANORM5 , ANORM6
REAL*8 REXT , RINT , DENIV
C
INTEGER NSURI1 , NSURI2 , NSURI3
INTEGER NBHSB , NBHSC , NBPSB , NBPSC , NBPSCS
INTEGER CNTRDM
C
COMMON /RAND/ CNTRDM
COMMON /CAVSUR/ NBHSB , NBHSC , NBPSB , NBPSC , NBPSCS
COMMON /CAVITY/ RCAV , LBAR , LCON , CAVANG
COMMON /FOVL/ RFOV , TETA FM /SUBS/ RPA , SURFAC
COMMON /DOME/ REXT , RINT , DENIV
C
PI=DACOS (-1.D0)
C
C GET RANDOM POSITION ON EMISSION SURFACE
C
DTETA=2.D0*PI/DBLE(NBPSCS)
CALL DRNUN(1,RDM)
CNTRDM=CNTRDM+1
RADIUS=DSQRT(RDM*(RCAV*RCAV-RPA*RPA)+RPA*RPA)
CALL DRNUN(1,RDM)
CNTRDM=CNTRDM+1
TETA=(DBLE(NSURI1)-1.D0+RDM)*DTETA
C
C OBTAIN X Y Z COORDINATES
C
X1=RADIUS*DCOS(TETA)
Y1=RADIUS*DSIN(TETA)
Z1=DENIV
C
C OBTAIN NORMAL VECTOR FROM EMISSION POINT
C
ANORM4=0.0D0
ANORM5=0.0D0
ANORM6=-1.0D0
C
C RANDOM EMISSION DIRECTION IN THE LOCAL COORDINATE SYSTEM
C
CALL DRNUN(1,RDM)
CNTRDM=CNTRDM+1
PHILOC=DASIN(DSQRT(RDM))
CALL DRNUN(1,RDM)
CNTRDM=CNTRDM+1
TTALOC=2.D0*PI*RDM
C
C COMPUTE THE SLOPE OF THE EMITTED RAY IN THE LOCAL COORDINATE SYSTEM
C
LP=DSIN(PHILOC)*DCOS(TTALOC)
MP=DSIN(PHILOC)*DSIN(TTALOC)
NP=DCOS(PHILOC)
C
C TRANSFORMATION OF THE DIRECTION COSINES INTO GLOBAL COORD. SYSTEM
C
L=(Y1*LP+X1*MP)/RADIUS
M=(X1*LP-Y1*MP)/RADIUS
N=NP
END

*****
*
*   This subroutine emits energy bundles from a random
*   location on a given surface element of the ring
*
*****

```

```

SUBROUTINE EMIT14 (X1, Y1, Z1, L, M, N, ANORM7, ANORM8, ANORM9)
IMPLICIT NONE
REAL*8 X1, Y1, Z1, L, M, N, LP, MP, NP
REAL*8 DLRING, HEIGHT, DENIV
REAL*8 TETA, DTETA, PI, PHILOC, TTALOC, RDM, REXT, RINT
REAL*8 ANORM7, ANORM8, ANORM9
REAL*8 PHI, DISTTOC, ZED

C
INTEGER NSURI1, NSURI2, NSURI3, SURFAC, CNTRDM
INTEGER NBHSR, NBPSR

C
COMMON /RIING/ NBHSR, NBPSR
COMMON /RAND/ CNTRDM
COMMON /NSUR/ NSURI1, NSURI2, NSURI3
COMMON /DOVE/ REXT, RINT, DENIV

C
DLRING=DABS (DENIV/DBLE (NBHSR))
PI=DACOS (-1.D0)
DTETA=2.D0*PI/NBPSR

C
C GET RANDOM POSITION ON EMISSION SURFACE
C
CALL DRNUN (1, RDM)
CNTRDM=CNTRDM+1
ZED=DSQRT (RDM) +DENIV
PHI=DACOS (-ZED/REXT)
IF ((PHI.LT.1.412658D0).OR.(PHI.GT.(PI/2.D0))) THEN
WRITE (6, *) 'PHI out of range for RING'
END IF
CALL DRNUN (1, RDM)
CNTRDM=CNTRDM+1
TETA=(DBLE (NSURI2) -1.D0+RDM) *DTETA

C
C OBTAIN X Y Z COORDINATES
C
X1=REXT*DCOS (TETA) *DSIN (PHI)
Y1=REXT*DSIN (TETA) *DSIN (PHI)
Z1=REXT*DCOS (PHI) +DENIV
DISTTOC=DSQRT (X1*X1+Y1*Y1+(Z1-DENIV) *(Z1-DENIV))

C
C OBTAIN NORMAL VECTOR FROM EMISSION POINT
C
ANORM7=-X1/REXT
ANORM8=-Y1/REXT
ANORM9=-(Z1-DENIV)/REXT

C
C RANDOM EMISSION DIRECTION IN THE LOCAL COORDINATE SYSTEM
C
CALL DRNUN (1, RDM)
CNTRDM=CNTRDM+1
PHILOC=DASIN (DSQRT (RDM))
CALL DRNUN (1, RDM)
CNTRDM=CNTRDM+1
TTALOC=2.D0*PI*RDM

C
C COMPUTE THE SLOPE OF THE EMITTED RAY IN THE LOCAL COORDINATE SYSTEM
C
LP=DSIN (PHILOC) *DCOS (TTALOC)
MP=DSIN (PHILOC) *DSIN (TTALOC)
NP=DCOS (PHILOC)

C
C TRANSFORMATION OF THE DIRECTION COSINES INTO GLOBAL COORDINATE SYSTEM
C
L = -(X1*(Z1-DENIV)/(DISTTOC*DSQRT(DISTTOC*DISTTOC - (Z1-DENIV)*
1 (Z1-DENIV)))*LP + Y1/DSQRT(DISTTOC*DISTTOC - (Z1-DENIV)*

```

```

2      (Z1-DENIV))*MP + X1/DISTTOC*NP)
M = -(Y1*(Z1-DENIV)/(DISTTOC*DSQRT(DISTTOC*DISTTOC - (Z1-DENIV)*
1      (Z1-DENIV))*LP - X1/DSQRT(DISTTOC*DISTTOC - (Z1-DENIV)*
2      (Z1-DENIV))*MP + Y1/DISTTOC*NP)
N = DSQRT(DISTTOC*DISTTOC - (Z1-DENIV)*(Z1-DENIV))/DISTTOC*LP -
1      (Z1-DENIV)/DISTTOC*NP

```

END

```

*****
*
* This function computes the norme of a vector
*
*****

```

```

REAL*8 FUNCTION NORME(A,B,C)
IMPLICIT NONE
REAL*8 A,B,C
NORME=SQRT(A*A+B*B+C*C)
END

```

```

*****
*
* This function computes the dot product between two vectors
*
*****

```

```

REAL*8 FUNCTION DOTP(A1,B1,C1,A2,B2,C2)
IMPLICIT NONE
REAL*8 A1,B1,C1,A2,B2,C2
DOTP=A1*A2+B1*B2+C1*C2
END

```

```

*****
*
* THIS SUBROUTINE FINDS THE ROOTS OF A SECOND ORDER POLYNOMIAL. THIS
* IS USED TO FIND THE Z-COORDINATE OF A POSSIBLE NEW POINT HIT BY A
* BUNDLE. THE SOLUTION CAN NOT BE THE PREVIOUS POINT HIT BY THE BUNDLE
* AND NOT BE OUT OF THE FOV LIMITER IF THE BUNDLE WAS SHOT FROM THE
* IMAGINARY TOP SURFACE.
*
*****

```

SUBROUTINE POL2 (R,P,Q,SOLPLU,SOLMIN,ROOTS)

```

IMPLICIT NONE
REAL*8 R,P,Q,DELTA,SOLPLU,SOLMIN
LOGICAL ROOTS
ROOTS=.TRUE.
DELTA=P*P-4.D0*R*Q
IF (DELTA .GT. 0.D0) THEN
    SOLPLU=(-P+DSQRT(DELTA))/(2.D0*R)
    SOLMIN=(-P-DSQRT(DELTA))/(2.D0*R)
ELSE IF (DELTA .EQ. 0.D0) THEN
    SOLPLU=(-P+DSQRT(DELTA))/(2.D0*R)
    SOLMIN=SOLPLU
ELSE
    ROOTS=.FALSE.
    SOLPLU=-1.D0
    SOLMIN=-1.D0
END IF
END

```

```

*****

```

```

*
* THIS SUBROUTINE FINDS THE POSSIBLE POINTS THAT WOULD BE AT THE INTER-
* SECTION OF THE FOV LIMITER SURFACE AND THE LINE REPRESENTING THE DI-
* RECTION OF THE BUNDLE. THE NUMBER OF POINTS CAN BE 0, 1, OR 2.
*
*****
SUBROUTINE FOVLIM (X1, Y1, Z1, L, M, N, X2, Y2, Z2, MAGNV, INORM,
&                HITTEN, EXIT)

IMPLICIT NONE
REAL*8 X1, Y1, Z1, L, M, N, X2, Y2, Z2, R, P, Q, MAGNV, PI, TETA FM
REAL*8 INORM, RFOV, ZMAX, NORME, SOLPLU, SOLMIN
REAL*8 REXT, RINT, DENIV
LOGICAL HITTEN, EXIT, ROOTS
DIMENSION MAGNV(15), HITTEN(15), X2(15), Y2(15), Z2(15), INORM(15, 3)
EXTERNAL NORME
COMMON /FOVL/ RFOV, TETA FM
COMMON /DOME/ REXT, RINT, DENIV

C
PI=DACOS(-1.D0)
ZMAX=RFOV*DCOS(TETA FM)+DENIV
HITTEN(1)=.FALSE.
HITTEN(5)=.FALSE.
EXIT=.FALSE.

C
R=L*L+M*M+N*N
P=2.0D0*(L*X1+M*Y1+N*Z1-N*DENIV)
Q=X1*X1+Y1*Y1+Z1*Z1-RFOV*RFOV-2*Z1*DENIV+DENIV*DENIV
CALL POL2(R, P, Q, SOLPLU, SOLMIN, ROOTS)

C
C CHECK IF THE FOV LIMITER WAS HIT AT ALL
C
IF (.NOT.ROOTS) RETURN

C
C ELSE COMPUTE THE POSSIBLE POINTS OF INTERSECTION
C
Z2(1)=SOLPLU*N+Z1
Z2(5)=SOLMIN*N+Z1

C
C Z2(1) IS CONSIDERED ONLY IF GREATER THAN 0.0
C
IF (Z2(1).GT.0.D0) THEN
X2(1)=SOLPLU*L+X1
Y2(1)=SOLPLU*M+Y1

C
C THE POINT P2(X2,Y2,Z2) IS ACCEPTED IF NOT EQUAL TO Z1
C
IF (.NOT.(DABS(X2(1)-X1).LT.1.0D-06.AND.DABS(Y2(1)-Y1).LT.1.0D-06
& .AND.DABS(Z2(1)-Z1).LT.1.0D-06)) THEN
HITTEN(1)=.TRUE.
INORM(1,1)=-X2(1)/RFOV
INORM(1,2)=-Y2(1)/RFOV
INORM(1,3)=-(Z2(1)-DENIV)/RFOV
MAGNV(1)=NORME(X2(1)-X1,Y2(1)-Y1,Z2(1)-Z1)
IF (Z2(1).GT.ZMAX) EXIT=.TRUE.
END IF
END IF

C
C Z2(5) IS CONSIDERED ONLY IF GREATER THAN 0.0
C
IF (Z2(5).GT.0.D0) THEN
X2(5)=SOLMIN*L+X1
Y2(5)=SOLMIN*M+Y1

```

```

C
C THE POINT P2(X2,Y2,Z2) IS ACCEPTED IF NOT EQUAL TO Z1
C
      IF (.NOT. (DABS (X2 (5) -X1) .LT.1.0D-06 .AND. DABS (Y2 (5) -Y1) .LT.1.0D-06
&      .AND. DABS (Z2 (5) -Z1) .LT.1.0D-06)) THEN
          HITTEN (5) = .TRUE.
          INORM (5, 1) = -X2 (5) /RFOV
          INORM (5, 2) = -Y2 (5) /RFOV
          INORM (5, 3) = - (Z2 (5) -DENIV) /RFOV
          MAGNV (5) =NORME (X2 (5) -X1, Y2 (5) -Y1, Z2 (5) -Z1)
          IF (Z2 (5) .GT. ZMAX) EXIT = .TRUE.
      END IF
END IF
END

```

```

*****
*
* THIS SUBROUTINE FINDS THE POSSIBLE POINT THAT WOULD BE AT THE INTER- *
* SECTION OF THE SUBSTRATE'S SURFACE AND THE LINE REPRESENTING THE DI- *
* RECTION OF THE BUNDLE. THE SUBSTRATE IS DIVIDED INTO TWO SURFACES, *
* (NB 2 AND 6) ONE BEING THE UPPER SUBSTRATE ON WHICH LIES THE FOV *
* LIMITER, AND THE OTHER BEING THE LOWER SUBSTRATE ON WHICH THE DOME *
* RESTS. THE NUMBER OF POINTS HIT CAN BE 0, 1, OR 2. *
*
*****

```

```

SUBROUTINE SUBSTR (X1, Y1, Z1, L, M, N, X2, Y2, Z2, MAGNV, INORM,
& HITTEN, ENTER)

```

```

IMPLICIT NONE
REAL*8 X1, Y1, Z1, L, M, N, X2, Y2, Z2, CARRE, MAGNV, INORM
REAL*8 RFOV, RPA, NORME, PI, TETA FM, REXT, RINT, DENIV
INTEGER SURFAC
LOGICAL HITTEN, ENTER
DIMENSION MAGNV (15), HITTEN (15), X2 (15), Y2 (15), Z2 (15), INORM (15, 3)
EXTERNAL NORME
COMMON /FOVL/ RFOV, TETA FM
COMMON /SUBS/ RPA, SURFAC
COMMON /DOME/ REXT, RINT, DENIV

```

```

C
C INITIALIZE CONSTANTS AND VARIABLES
C

```

```

      PI = DACOS (-1. D0)
      HITTEN (2) = .FALSE.
      HITTEN (6) = .FALSE.
      ENTER = .FALSE.

```

```

C
C COORD. OF THE POINT THAT WOULD HIT THE UPPER PART OF THE SUBSTRATE
C

```

```

      Z2 (2) = 0. 0D0
      Y2 (2) = (Z2 (2) -Z1) *M/N+Y1
      X2 (2) = (Z2 (2) -Z1) *L/N+X1
      CARRE = X2 (2) *X2 (2) +Y2 (2) *Y2 (2)

```

```

C
C THE SOLUTION IS ACCEPTED IF ON DEFINED DISC (R1<=R<=R2)
C

```

```

      IF (CARRE .GT. (REXT*REXT-DENIV*DENIV) .AND. CARRE .LT. (RFOV*RFOV-
&      DENIV*DENIV)) THEN

```

```

C
C THE SOLUTION IS ACCEPTED IF NOT EQUAL TO P1
C

```

```

      IF (.NOT. (DABS (X2 (2) -X1) .LT.1.0D-06 .AND. DABS (Y2 (2) -Y1) .LT.1.0D-06
&      .AND. DABS (Z2 (2) -Z1) .LT.1.0D-06)) THEN

```

```

C

```

```

C IF THE BUNDLE DOES HIT THE UPPER PART OF THE SUBSTRATE
C
      HITTEN(2) = .TRUE.
      MAGNV(2) = NORME(X2(2) - X1, Y2(2) - Y1, Z2(2) - Z1)
      INORM(2,1) = 0.0D0
      INORM(2,2) = 0.0D0
      INORM(2,3) = 1.0D0
      END IF
      END IF
C
C COORD. OF THE POINT THAT WOULD HIT THE LOWER PART OF THE SUBSTRATE
C
      Z2(6) = DENIV
      Y2(6) = (Z2(6) - Z1) * M / N + Y1
      X2(6) = (Z2(6) - Z1) * L / N + X1
      CARRE = X2(6) * X2(6) + Y2(6) * Y2(6)
C
C THE SOLUTION IS ACCEPTED IF ON DEFINED DISC (RPA <= R <= R1)
C
      IF (CARRE.GT.(RPA*RPA).AND.CARRE.LT.(REXT*REXT)) THEN
C
C THE SOLUTION IS NOT ACCEPTED IF EQUAL TO P1
C
      IF (.NOT.(DABS(X2(6) - X1).LT.1.0D-06.AND.DABS(Y2(6) - Y1).LT.1.0D-06
&      .AND.DABS(Z2(6) - Z1).LT.1.0D-06)) THEN
C
C IF THE BUNDLE DOES HIT THE LOWER PART OF THE SUBSTRATE
C
      HITTEN(6) = .TRUE.
      MAGNV(6) = NORME(X2(6) - X1, Y2(6) - Y1, Z2(6) - Z1)
      INORM(6,1) = 0.0D0
      INORM(6,2) = 0.0D0
      INORM(6,3) = 1.0D0
      END IF
      END IF
*
      WRITE(16,*) 'IF THE SURFACE IS CHOSEN THE BUNDLE ENTERS THE CAVITY'
C
C ALSO CHECK IF THE BUNDLE ENTERS THE CAVITY
C
      IF (CARRE.LE.(RPA*RPA)) THEN
          HITTEN(6) = .FALSE.
      END IF
      END

```

\*\*\*\*\*

```

*
* THIS SUBROUTINE FINDS THE POSSIBLE POINTS THAT WOULD BE AT THE INTER-
* SECTION OF ONE SURFACE OF THE DOME AND THE LINE REPRESENTING THE
* DIRECTION OF THE BUNDLE. THE NUMBER OF POINTS CAN BE 0, 1, OR 2.
*
*****

```

```

      SUBROUTINE SPHERE(X1, Y1, Z1, L, M, N, X2, Y2, Z2, NO, MAGNV, INORM,
&      HITTEN)

```

```

      IMPLICIT NONE
      REAL*8 X1, Y1, Z1, L, M, N, X2, Y2, Z2, A, B, C, RAD, R, P, Q, MAGNV
      REAL*8 INORM, NORME, REXT, RINT, DENIV, SOLPLU, SOLMIN
      LOGICAL HITTEN, ROOTS
      DIMENSION MAGNV(15), HITTEN(15), RAD(15), X2(15), Y2(15)
      DIMENSION Z2(15), A(15), B(15), C(15), INORM(15,3)
      INTEGER NO
      EXTERNAL NORME

```

```

COMMON /DOME/ REXT,RINT,DENIV
DATA A,B,C /45*0.0D0/
RAD(3)=REXT
RAD(4)=RINT
C(3)=DENIV
C(4)=DENIV
HITTEN(NO)=.FALSE.
HITTEN(NO+4)=.FALSE.
C
R=1.D0+(L/N)*(L/N)+(M/N)*(M/N)
P=2.D0*((X1-A(NO))*L/N+(Y1-B(NO))*M/N-Z1*((L/N)*(L/N)
&+(M/N)*(M/N))-C(NO))
Q=(Z1*L/N-X1)*(Z1*L/N-X1)+(Z1*M/N-Y1)*(Z1*M/N-Y1)
&+2.D0*A(NO)*(Z1*L/N-X1)+2.D0*B(NO)*(Z1*M/N-Y1)
&+A(NO)*A(NO)+B(NO)*B(NO)+C(NO)*C(NO)-RAD(NO)*RAD(NO)
C
CALL POL2(R,P,Q,SOLPLU,SOLMIN,ROOTS)
C
C CHECK IF THE DOME WAS HIT AT ALL
C
IF (.NOT.ROOTS) RETURN
C
C ELSE COMPUTE THE POSSIBLE POINTS OF INTERSECTION
C
Z2(NO)=SOLPLU
Z2(NO+4)=SOLMIN
C
C IF THE Z-COORDINATE Z2(NO) IS GREATER THAN DENIV X & Y ARE COMPUTED
C
IF (Z2(NO).GT.DENIV) THEN
X2(NO)=(Z2(NO)-Z1)*L/N+X1
Y2(NO)=(Z2(NO)-Z1)*M/N+Y1
C
C POINT P2(X2,Y2,Z2) IS ACCEPTED IF NOT EQUAL TO P1(X1,Y1,Z1)
C
IF (.NOT.(DABS(X2(NO)-X1).LT.1.0D-06.AND.DABS(Y2(NO)-Y1).LT.
& 1.0D-06.AND.DABS(Z2(NO)-Z1).LT.1.0D-06)) THEN
HITTEN(NO)=.TRUE.
C
C IF NOT REJECTED THE VECTOR NORMAL TO THE SURFACE AT P2, AND THE
C DISTANCE P1P2 ARE COMPUTED
C
INORM(NO,1)=- (X2(NO)-A(NO))/RAD(NO)
INORM(NO,2)=- (Y2(NO)-B(NO))/RAD(NO)
INORM(NO,3)=- (Z2(NO)-C(NO))/RAD(NO)
MAGNV(NO)=NORME(X2(NO)-X1,Y2(NO)-Y1,Z2(NO)-Z1)
END IF
END IF
C
C IF THE Z-COORDINATE Z2(NO+4) IS GREATER THAN DENIV X & Y ARE COMPUTED
C
IF (Z2(NO+4).GT.DENIV) THEN
X2(NO+4)=(Z2(NO+4)-Z1)*L/N+X1
Y2(NO+4)=(Z2(NO+4)-Z1)*M/N+Y1
C
C POINT P2(X2,Y2,Z2) IS ACCEPTED IF NOT EQUAL TO P1(X1,Y1,Z1)
C
IF (.NOT.(DABS(X2(NO+4)-X1).LT.1.0D-06.AND.DABS(Y2(NO+4)-Y1).LT.
& 1.0D-06.AND.DABS(Z2(NO+4)-Z1).LT.1.0D-06)) THEN
HITTEN(NO+4)=.TRUE.
C
C IF NOT REJECTED THE VECTOR NORMAL TO THE SURFACE AT P2, AND THE
C DISTANCE P1P2 ARE COMPUTED
C
INORM(NO+4,1)=- (X2(NO+4)-A(NO))/RAD(NO)

```

```

        INORM(NO+4, 2) = - (Y2 (NO+4) - B (NO) ) /RAD (NO)
        INORM(NO+4, 3) = - (Z2 (NO+4) - C (NO) ) /RAD (NO)
        MAGNV (NO+4) =NORME (X2 (NO+4) -X1, Y2 (NO+4) -Y1, Z2 (NO+4) -Z1)
    END IF
END IF

END

*****
*
* This subroutine finds the possible points that would be at the
* intersection of the barrel and the line representing the
* direction of the bundle. The number of point can be 0, 1, or 2.
*
*****

SUBROUTINE BARREL (X1, Y1, Z1, L, M, N, X2, Y2, Z2, MAGNV, INORM, HITTEN)

    IMPLICIT NONE
    REAL*8 X1, Y1, Z1, L, M, N, X2, Y2, Z2, R, P, Q, MAGNV, NORME
    REAL*8 INORM, RCAV, LBAR, SOLPLU, SOLMIN, LCAV, LCON, CAVANG
    REAL*8 REXT, RINT, DENIV
    LOGICAL HITTEN, ROOTS
    DIMENSION MAGNV(15), HITTEN(15), X2(15), Y2(15), Z2(15), INORM(15, 3)
    EXTERNAL NORME
    COMMON/CAVITY/RCAV, LBAR, LCON, CAVANG
    COMMON /DOVE/REXT, RINT, DENIV

    HITTEN(9) = .FALSE.
    HITTEN(10) = .FALSE.

    R=L*L+M*M
    P=2.D0*(X1*L+Y1*M)
    Q=X1*X1+Y1*Y1-RCAV*RCAV

    CALL POL2 (R, P, Q, SOLPLU, SOLMIN, ROOTS)
C
C CHECK IF THE BARREL WAS HIT AT ALL
C
    IF (.NOT.ROOTS) RETURN
C
C ELSE COMPUTE THE POINTS OF INTERSECTION
C
    Z2(9) =SOLPLU*N+Z1
    Z2(10) =SOLMIN*N+Z1
C
C Z2(9) IS CONSIDERED ONLY IF BETWEEN -(LBAR + DENIV) AND -DENIV
C
    IF ((DENIV-LBAR) .LE. Z2(9) .AND. Z2(9) .LE. DENIV) THEN
        X2(9) =SOLPLU*L+X1
        Y2(9) =SOLPLU*M+Y1
C
C THE POINT P2 (X2, Y2, Z2) IS ACCEPTED IF NOT EQUAL TO P1
C
    IF (.NOT. (DABS (X2(9) -X1) .LT. 1.0D-06 .AND. DABS (Y2(9) -Y1) .LT. 1.0D-06
& .AND. DABS (Z2(9) -Z1) .LT. 1.0D-06)) THEN
        HITTEN(9) = .TRUE.
        INORM(9, 1) =-1.D0*X2(9) /RCAV
        INORM(9, 2) =-1.D0*Y2(9) /RCAV
        INORM(9, 3) =0.0D0
        MAGNV(9) =NORME (X2(9) -X1, Y2(9) -Y1, Z2(9) -Z1)
    END IF
END IF
C

```



```

C Z2(10) IS ONLY CONSIDERED IF BETWEEN -(LBAR + DENIV) AND -DENIV
C
      IF ((DENIV-LBAR) .LE. Z2(10) .AND. Z2(10) .LE. DENIV) THEN
          X2(10)=SOLMIN*L+X1
          Y2(10)=SOLMIN*M+Y1
C
C THE POINT P2(X2,Y2,Z2) IS ACCEPTED IF NOT EQUAL TO P1
C
      IF (.NOT. (DABS(X2(10)-X1) .LT. 1.0D-06 .AND. DABS(Y2(10)-Y1) .LT.
&      1.0D-06 .AND. DABS(Z2(10)-Z1) .LT. 1.0D-06)) THEN
          HITTEN(10)=.TRUE.
          INORM(10,1)=-1.D0*X2(10)/RCAV
          INORM(10,2)=-1.D0*Y2(10)/RCAV
          INORM(10,3)=0.0D0
          MAGNV(10)=NORME(X2(10)-X1,Y2(10)-Y1,Z2(10)-Z1)
      END IF
      END IF
      END
*****
*
* This subroutine finds the possible points that would be at the
* intersection of the cone and the line representing the direction
* of the bundle. The number of points can be 0, 1, or 2.
*
*****

      SUBROUTINE CONE(X1,Y1,Z1,L,M,N,X2,Y2,Z2,MAGNV,INORM,HITTEN)

      IMPLICIT NONE
      REAL*8 X1,Y1,Z1,L,M,N,X2,Y2,Z2,MAGNV,INORM
      REAL*8 RCAV,LCON,CAVANG,C,P,Q,R,SOLPLU,SOLMIN,NORME
      REAL*8 LCAV,LBAR,DENIV,REXT,RINT,TANCAV

      LOGICAL HITTEN,ROOTS
      DIMENSION MAGNV(15),HITTEN(15),X2(15),Y2(15),Z2(15),INORM(15,3)
      EXTERNAL NORME
      COMMON /CAVITY/RCAV,LBAR,LCON,CAVANG
      COMMON /DOME/REXT,RINT,DENIV

      HITTEN(11)=.FALSE.
      HITTEN(12)=.FALSE.

      C=DENIV-LBAR
      LCAV=-1.D0*(LBAR+LCON-DENIV)

      TANCAV=RCAV/LCON

      R=L*L+M*M-N*N*TANCAV*TANCAV
      P=2.D0*(L*X1+M*Y1+N*TANCAV*TANCAV*(LCAV-Z1))
      Q=(X1*X1+Y1*Y1+TANCAV*TANCAV*(2.D0*LCAV*Z1-LCAV*LCAV-Z1*Z1))

      CALL POL2(R,P,Q,SOLPLU,SOLMIN,ROOTS)
C
C CHECK TO SEE IF THE CONE WAS HIT AT ALL
C
      IF (.NOT. ROOTS) RETURN
C
C ELSE COMPUTE THE POSSIBLE POINTS OF INTERSECTION
C
      Z2(11)=SOLPLU*N+Z1
      Z2(12)=SOLMIN*N+Z1
C
C Z2(11) IS CONSIDERED ONLY IF BETWEEN -(LCON+LBAR-DENIV) AND
C      -(LBAR+DENIV)

```

```

C
      IF ((LCAV) .LE. Z2(11) .AND. Z2(11) .LT. C) THEN
          X2(11) = SOLPLU * L + X1
          Y2(11) = SOLPLU * M + Y1
C
C THE POINT P2(X2,Y2,Z2) IS ACCEPTED IF NOT EQUAL TO P1
C
      IF (.NOT. (DABS(X2(11) - X1) .LT. 1.0D-06 .AND. DABS(Y2(11) - Y1) .LT.
& 1.0D-06 .AND. DABS(Z2(11) - Z1) .LT. 1.0D-06)) THEN
          HITTEN(11) = .TRUE.
          INORM(11,1) = -1.0D0 * (X2(11) / (DSQRT(X2(11) * X2(11) +
& Y2(11) * Y2(11)))) * DCOS(CAVANG)
          INORM(11,2) = -1.0D0 * (Y2(11) / (DSQRT(X2(11) * X2(11) +
& Y2(11) * Y2(11)))) * DCOS(CAVANG)
          INORM(11,3) = DSIN(CAVANG)
          MAGNV(11) = NORME(X2(11) - X1, Y2(11) - Y1, Z2(11) - Z1)
      END IF
      END IF
C
C Z2(12) IS CONSIDERED ONLY IF BETWEEN -(LCON+LBAR-DENIV) AND
C -(LBAR+DENIV)
C
      IF ((LCAV) .LE. Z2(12) .AND. Z2(12) .LT. C) THEN
          X2(12) = SOLMIN * L + X1
          Y2(12) = SOLMIN * M + Y1
C
C THE POINT P2(X2,Y2,Z2) IS ACCEPTED IF NOT EQUAL TO P1
C
      IF (.NOT. (DABS(X2(12) - X1) .LT. 1.0D-06 .AND. DABS(Y2(12) - Y1) .LT.
& 1.0D-06 .AND. DABS(Z2(12) - Z1) .LT. 1.0D-06)) THEN
          HITTEN(12) = .TRUE.
          INORM(12,1) = -1.0D0 * (X2(12) / (DSQRT(X2(12) * X2(12) +
& Y2(12) * Y2(12)))) * DCOS(CAVANG)
          INORM(12,2) = -1.0D0 * (Y2(12) / (DSQRT(X2(12) * X2(12) +
& Y2(12) * Y2(12)))) * DCOS(CAVANG)
          INORM(12,3) = DSIN(CAVANG)
          MAGNV(12) = NORME(X2(12) - X1, Y2(12) - Y1, Z2(12) - Z1)
      END IF
      END IF
      END
*****
*
* THIS SUBROUTINE FINDS THE POSSIBLE POINT THAT WOULD BE AT THE
* INTERSECTION OF THE PORTION OF THE SUBSTRATE WHICH IS VISIBLE TO
* THE CAVITY AND THE LINE REPRESENTING THE PATH OF THE BUNDLE
*
*****

      SUBROUTINE CAVSUB(X1,Y1,Z1,L,M,N,X2,Y2,Z2,MAGNV,INORM,
& HITTEN,EXITCAV,EXCAV)

      IMPLICIT NONE
      REAL*8 X1,Y1,Z1,L,M,N,X2,Y2,Z2,MAGNV,INORM,CARRE
      REAL*8 RFOV,RPA,NORME,PI,TETA FM,REXT,RINT,DENIV,RCAV
      REAL*8 LBAR,LCON,CAVANG
      INTEGER SURFAC,EXCAV
      LOGICAL HITTEN,ENTER,EXITCAV
      DIMENSION MAGNV(15),HITTEN(15),X2(15),Y2(15),Z2(15),INORM(15,3)
      EXTERNAL NORME
      COMMON /FOVL/ RFOV,TETA FM
      COMMON /SUBS/ RPA,SURFAC
      COMMON /DOME/ REXT,RINT,DENIV
      COMMON /CAVITY/ RCAV,LBAR,LCON,CAVANG

```

```

C
C INITIALIZE CONSTANTS AND VARIABLES
C
      PI=DACOS(-1.D0)
      HITTEN(13)=.FALSE.
      EXITCAV=.FALSE.
C
C COORD. OF THE POINT THAT WOULD HIT THE DISC VISIBLE TO THE CAVITY
C
      Z2(13)=DENIV
      Y2(13)=(Z2(13)-Z1)*M/N+Y1
      X2(13)=(Z2(13)-Z1)*L/N+X1
      CARRE=DSQRT(X2(13)*X2(13)+Y2(13)*Y2(13))
C
C THE SOLUTION IS ACCEPTED IF ON DEFINED DISC (RPA<=R<=RCAV)
C
      IF (CARRE.GT.(RPA).AND.CARRE.LE.(RCAV)) THEN
C
C THE SOLUTION IS NOT ACCEPTED IF EQUAL TO P1
C
      IF (.NOT.(DABS(X2(13)-X1).LT.1.0D-06.AND.DABS(Y2(13)-Y1)
&          .LT.1.0D-06.AND.DABS(Z2(13)-Z1).LT.1.0D-06)) THEN
C
C IF THE BUNDLE DOES HIT THE DISC FACING THE CAVITY
C
      HITTEN(13)=.TRUE.
      MAGNV(13)=NORME(X2(13)-X1,Y2(13)-Y1,Z2(13)-Z1)
      INORM(13,1)=0.0D0
      INORM(13,2)=0.0D0
      INORM(13,3)=-1.0D0
      END IF
      END IF
C
C ALSO CHECK IF THE BUNDLE LEAVES THE CAVITY
C
      IF (CARRE.LE.(RPA)) THEN
      HITTEN(13)=.FALSE.
      EXITCAV=.TRUE.
      EXCAV=EXCAV+1
      END IF
      END

```

\*\*\*\*\*

```

*
* This subroutine finds the possible points that would be at the
* intersection of the ring and the line representing the
* direction of the bundle. The number of point can be 0, 1, or 2.
*
*****

```

```

SUBROUTINE RING (X1,Y1,Z1,L,M,N,X2,Y2,Z2,MAGNV,INORM,HITTEN)

IMPLICIT NONE
REAL*8 X1,Y1,Z1,L,M,N,X2,Y2,Z2,R,P,Q,MAGNV,NORME
REAL*8 INORM,SOLPLU,SOLMIN
REAL*8 REXT,RINT,DENIV
LOGICAL HITTEN,ROOTS
DIMENSION MAGNV(15),HITTEN(15),X2(15),Y2(15),Z2(15),INORM(15,3)
EXTERNAL NORME
COMMON /DOME/REXT,RINT,DENIV

HITTEN(14)=.FALSE.
HITTEN(15)=.FALSE.

R=L*L+M*M+N*N

```

```

P=2.D0*(X1*L+Y1*M+N*Z1-N*DENIV)
Q=X1*X1+Y1*Y1+Z1*Z1-REXT*REXT-2*Z1*DENIV+DENIV*DENIV

CALL POL2(R,P,Q,SOLPLU,SOLMIN,ROOTS)

C
C CHECK IF THE RING WAS HIT AT ALL
C
  IF (.NOT.ROOTS) THEN
    RETURN
  END IF

C
C ELSE COMPUTE THE POINTS OF INTERSECTION
C
  Z2(14)=SOLPLU*N+Z1
  Z2(15)=SOLMIN*N+Z1

C
C Z2(14) IS CONSIDERED ONLY IF BETWEEN 0.0D0 AND DENIV
C
  IF ((DENIV).LE.Z2(14).AND.Z2(14).LE.0.0D0) THEN
    X2(14)=SOLPLU*L+X1
    Y2(14)=SOLPLU*M+Y1

C
C THE POINT P2(X2,Y2,Z2) IS ACCEPTED IF NOT EQUAL TO P1
C
  IF (.NOT.(DABS(X2(14)-X1).LT.1.0D-06.AND.DABS(Y2(14)-Y1).LT.
& 1.0D-06.AND.DABS(Z2(14)-Z1).LT.1.0D-06)) THEN
    HITTEN(14)=.TRUE.
    INORM(14,1)=-X2(14)/REXT
    INORM(14,2)=-Y2(14)/REXT
    INORM(14,3)=- (Z2(14)-DENIV)/REXT
    MAGNV(14)=NORME(X2(14)-X1,Y2(14)-Y1,Z2(14)-Z1)
  END IF
  END IF

C
C Z2(15) IS ONLY CONSIDERED IF BETWEEN 0.0D0 AND DENIV
C
  IF ((DENIV).LE.Z2(15).AND.Z2(15).LE.0.0D0) THEN
    X2(15)=SOLMIN*L+X1
    Y2(15)=SOLMIN*M+Y1

C
C THE POINT P2(X2,Y2,Z2) IS ACCEPTED IF NOT EQUAL TO P1
C
  IF (.NOT.(DABS(X2(15)-X1).LT.1.0D-06.AND.DABS(Y2(15)-Y1).LT.
& 1.0D-06.AND.DABS(Z2(15)-Z1).LT.1.0D-06)) THEN
    HITTEN(15)=.TRUE.
    INORM(15,1)=-X2(15)/REXT
    INORM(15,2)=-Y2(15)/REXT
    INORM(15,3)=(-Z2(15)+DENIV)/REXT
    MAGNV(15)=NORME(X2(15)-X1,Y2(15)-Y1,Z2(15)-Z1)
  END IF
  END IF
  END

*****
*
* THIS SUBROUTINE DETERMINES WHETHER A BUNDLE IS ABSORBED OR REFLECTED *
* WHEN IT IS FOUND TO HAVE HIT THE FOV LIMITER OR THE SUBSTRATE *
*
*****

SUBROUTINE REFOAB(L,M,N,X,Y,Z,INORM,SURFAC,ABSOR,REFL,DIFUS)

IMPLICIT NONE
REAL*8 L,M,N,INORM,PI,RS,X,Y,Z,RDM,ALPHA,ROSPEC,RODIFF

```

```

REAL*8 ALPHA1,ALPHA2,ALPHA9,ALPHA11,ALPHA13,ALPHA14
REAL*8 ROSPEC1,ROSPEC2,ROSPEC9,ROSPEC11,ROSPEC13,ROSPEC14
REAL*8 RODIFF1,RODIFF2,RODIFF9,RODIFF11,RODIFF13,RODIFF14
C
DIMENSION INORM(15,3)
C
INTEGER SURFAC
INTEGER CNTRDM
C
LOGICAL ABSOR,REFL,DIFUS
C
COMMON /RAND/ CNTRDM
COMMON /REAB/ ALPHA1,ALPHA2,ALPHA9,ALPHA11,ALPHA13,ALPHA14,
& ROSPEC1,ROSPEC2,ROSPEC9,ROSPEC11,ROSPEC13,ROSPEC14,
& RODIFF1,RODIFF2,RODIFF9,RODIFF11,RODIFF13,RODIFF14

PI=DACOS(-1.D0)
C
C SET THE FLAGS TO FALSE
C
ABSOR=.FALSE.
REFL=.FALSE.
DIFUS=.FALSE.
C
C IF CURRENT SURFACE IS THE FOV LIMITER SET ITS PROPERTIES TO BE CURRENT
C
IF (SURFAC.EQ.1.OR.SURFAC.EQ.5) THEN
    ALPHA=ALPHA1
    ROSPEC=ROSPEC1
    RODIFF=RODIFF1
C
C IF CURRENT SURFACE IS THE SUBSTRATE SET ITS PROPERTIES TO BE CURRENT
C
ELSE IF (SURFAC.EQ.2.OR.SURFAC.EQ.6) THEN
    ALPHA=ALPHA2
    ROSPEC=ROSPEC2
    RODIFF=RODIFF2
C
C IF CURRENT SURFACE IS THE BARREL SET ITS PROPERTIES TO BE CURRENT
C
ELSE IF (SURFAC.EQ.9.OR.SURFAC.EQ.10) THEN
    ALPHA=ALPHA9
    ROSPEC=ROSPEC9
    RODIFF=RODIFF9
C
C IF CURRENT SURFACE IS THE CONE SET ITS PROPERTIES TO BE CURRENT
C
ELSE IF (SURFAC.EQ.11.OR.SURFAC.EQ.12) THEN
    ALPHA=ALPHA11
    ROSPEC=ROSPEC11
    RODIFF=RODIFF11
C
C IF CURRENT SURFACE IS CAVSUB SET ITS PROPERTIES TO BE CURRENT
C
ELSE IF (SURFAC.EQ.13) THEN
    ALPHA=ALPHA13
    ROSPEC=ROSPEC13
    RODIFF=RODIFF13
C
C IF CURRENT SURFACE IS RING SET ITS PROPERTIES TO BE CURRENT
C
ELSE IF (SURFAC.EQ.14.OR.SURFAC.EQ.15) THEN
    ALPHA=ALPHA14
    ROSPEC=ROSPEC14
    RODIFF=RODIFF14

```

```

ELSE
  WRITE(06,*) 'CASE IGNORED IN REFOAB!!!!!!!!!!!!'
  STOP
END IF
RS=ROSPEC/(ROSPEC+RODIFF)
C
C GET A RANDOM NUMBER TO SELECT BETWEEN ABSORPTION AND REFLEXION
C
  CALL DRNUN(1,RDM)
  CNTRDM=CNTRDM+1
C
C IF THE RANDOM NUMBER IS LESS THAN ALPHA, THE BUNDLE IS ABSORBED
C
  IF (RDM .LE. ALPHA) THEN
    ABSOR=.TRUE.
C
C IF THE RANDOM NUMBER IS GREATER THAN ALPHA, THE BUNDLE IS REFLECTED
C
  ELSE
C
C GET A RANDOM NUMBER TO SELECT BETWEEN SPECULAR AND DIFFUSE REFLEXION
C
    CALL DRNUN(1,RDM)
    CNTRDM=CNTRDM+1
C
C IF THE RDM NUMBER IS LESS THAN RS, THE BUNDLE IS SPECULARLY REFLECTED
C
    IF (RDM.LE.RS) THEN
      CALL REFLEX(L,M,N,INORM,SURFAC)
      REFL=.TRUE.
C
C IF THE RDM NBER IS GREATER THAN RS, THE BUNDLE IS DIFFUSELY REFLECTED
C
    ELSE
      CALL DIFEMI(L,M,N,X,Y,Z,SURFAC)
      DIFUS=.TRUE.
    END IF
  END IF
  END IF
  END IF
  END IF
*****
*
* THIS SUBROUTINE DETERMINES WHETHER A BUNDLE IS TRANSMITTED OR
* REFLECTED WHEN IT IS FOUND TO HAVE HIT THE DOME
*
*****
SUBROUTINE REFOTR(L,M,N,INORM,SURFAC,REFL,TRANS,INDOME)
IMPLICIT NONE
REAL*8 L,M,N,INORM
REAL*8 R
DIMENSION INORM(15,3)
INTEGER SURFAC,CNTBRW,CHANEL
LOGICAL ABSOR,REFL,TRANS,OK,INDOME
COMMON /COUN/ CNTBRW
COMMON /CHANNEL/ CHANEL
C
C SET FLAGS TO FALSE
C
  OK=.FALSE.
  ABSOR=.FALSE.
  REFL=.FALSE.
  TRANS=.FALSE.
C
C CALL ROUTINE WHICH WILL FIND THE NEW DIR. COSINES AFTER TRANSMISSION
C
  CALL TRANSM(L,M,N,INORM,SURFAC,INDOME,OK)

```

```

C
C IF THE ANGLE OF INCIDENCE IS SUCH THAT THE RAY CAN NOT GO THRU THE
C INTERFACE DOME/VACUUM, THE RAY IS REFLECTED SPECULARLY.
C

```

```

      IF (.NOT.OK) THEN
        CNTBRW=CNTBRW+1
        CALL REFLEX(L,M,N,INORM,SURFAC)
        REFL=.TRUE.

```

```

C
C If the ray was transmitted, change the status of INDOME
C

```

```

      ELSE
        TRANS=.TRUE.
        IF (INDOME) THEN
          INDOME=.FALSE.
        ELSE
          INDOME=.TRUE.
        END IF
      END IF

```

```

END

```

```

*****
*
* THIS SUBROUTINE CALCULATES THE NEW DIRECTION COSINES AFTER
* A REFLEXION OCCURED ON THE FOV LIMITER OR SUBSTRATE
*
*****
      SUBROUTINE REFLEX(L,M,N,INORM,SURFAC)

```

```

      IMPLICIT NONE
      REAL*8 L,M,N,INORM,PI,N1,N2,N3,LP,MP,NP,KA
      INTEGER SURFAC
      DIMENSION INORM(15,3)

      PI=DACOS(-1.0D0)
      N1=INORM(SURFAC,1)
      N2=INORM(SURFAC,2)
      N3=INORM(SURFAC,3)
      KA=L*N1+M*N2+N*N3
      LP=L-2.0D0*KA*N1
      MP=M-2.0D0*KA*N2
      NP=N-2.0D0*KA*N3
      L=LP
      M=MP
      N=NP
      END

```

```

*****
*
* THIS SUBROUTINE CALCULATES THE NEW DIRCTION COSINES WHEN
* TRANSMISSION OCCURS THROUGH THE FILTER DOME
*
*****
      SUBROUTINE TRANSM(L,M,N,INORM,SURFAC,INDOME,OK)

```

```

      IMPLICIT NONE
      REAL*8 L,M,N,INORM,RIND1,RIND2,N1,N2,N3,KA,KB,KC,KD,LP,MP,NP
      REAL*8 TETA1,TETA2,IVAC,IDOM,TAMPON
      INTEGER IS,SURFAC,CHANEL
      PARAMETER (IS=15)
      DIMENSION INORM(15,3)
      LOGICAL OK,INDOME
      COMMON /TRAN/ IVAC,IDOM
      COMMON /CHANNEL/ CHANEL

```

```

      OK=.FALSE.
C
C Assign the correct indexes of refraction according to whether
C the bundle is inside or outside the dome
C
      IF (INDOME) THEN
        RIND1 = IDOM
        RIND2 = IVAC
      ELSE
        RIND1 = IVAC
        RIND2 = IDOM
      END IF
C
C Compute the angle of transmission in the transmission plan
C
      N1=INORM(SURFAC,1)
      N2=INORM(SURFAC,2)
      N3=INORM(SURFAC,3)
      KA=L*N1+M*N2+N*N3
      IF (DABS(KA).GT.1.0D0) THEN
        IF (DABS(DABS(KA)-1.0D0).LT.1.0D-04) THEN
          KA=1.0D0
        ELSE
          WRITE(16,*)'PB AVEC KA DANS TRANS'
          WRITE(16,*)L,M,N,N1,N2,N3
        END IF
      END IF
      KC=RIND1/RIND2
      TETA1=DACOS(ABS(KA))
      KD=KC*DSIN(TETA1)
C
C CHECK IF TETA1 IS LARGER THAN THE BREWSTER ANGLE
C
      IF (KD.LE.1.0D0) THEN
        OK=.TRUE.
        TETA2=DASIN(KD)
        KB=DCOS(TETA2)/DCOS(TETA1)-RIND1/RIND2
        LP=RIND1/RIND2*L+KA*N1*KB
        MP=RIND1/RIND2*M+KA*N2*KB
        NP=RIND1/RIND2*N+KA*N3*KB
        L=LP
        M=MP
        N=NP
      END IF
      END
*****
*
* THIS SUBROUTINE GENERATES A RANDOM DIRECTION WHEN A DIFFUSE
* REFLEXION OCCURS ON THE FOV LIMITER OR THE SUBSTRATE
*
*****
      SUBROUTINE DIFEMI(L,M,N,X,Y,Z,SURFAC)

      IMPLICIT NONE
      REAL*8 L,M,N,LP,MP,NP,X,Y,Z,PHILOC,TTALOC,PI,RDM
      REAL*8 RFOV,TETAFM,RADIUS
      REAL*8 REXT,RINT,DENIV,DISTTOC
C
      INTEGER SURFAC
      INTEGER CNTRDM
C
      COMMON /RAND/ CNTRDM
      COMMON /FOVL/ RFOV,TETAFM
      COMMON /DOME/ REXT,RINT,DENIV

```



```

      PI=DACOS (-1.D0)
C
C RANDOM EMISSION DIRECTION IN THE LOCAL COORD. SYSTEM
C
      CALL DRNUN (1,RDM)
      CNTRDM=CNTRDM+1
      PHILOC=DASIN (DSQRT (RDM))
      CALL DRNUN (1,RDM)
      CNTRDM=CNTRDM+1
      TTALOC=2.D0*PI*RDM
C
C COMPUTE THE SLOPE OF THE EMITTED RAY IN THE LOCAL COORD. SYSTEM
C
      LP=DSIN (PHILOC) *DCOS (TTALOC)
      MP=DSIN (PHILOC) *DSIN (TTALOC)
      NP=DCOS (PHILOC)
C
C IF EMISSION FROM THE FOV LIMITER
C
      IF (SURFAC.EQ.1.OR.SURFAC.EQ.5) THEN
C
C TRANSFORMATION OF THE DIRECTION COSINES INTO GLOBAL COORD. SYSTEM
C
      L=- (X*Z/ (RFOV*DSQRT (RFOV*RFOV-Z*Z)) *LP
&      +Y/DSQRT (RFOV*RFOV-Z*Z) *MP
&      +X/RFOV*NP)
      M=- (Y*Z/ (RFOV*DSQRT (RFOV*RFOV-Z*Z)) *LP
&      -X/DSQRT (RFOV*RFOV-Z*Z) *MP
&      +Y/RFOV*NP)
      N=DSQRT (RFOV*RFOV-Z*Z) /RFOV*LP-Z/RFOV*NP
C
C IF EMISSION FROM SUBSTRATE
C
      ELSE IF (SURFAC.EQ.2.OR.SURFAC.EQ.6) THEN
C
C TRANSFORMATION OF THE DIRECTION COSINES INTO GLOBAL COORD. SYSTEM
C
      RADIUS=DSQRT (X*X+Y*Y)
      L= (X*LP-Y*MP) /RADIUS
      M= (Y*LP+X*MP) /RADIUS
      N=NP
C
C IF EMISSION FROM RING
C
      ELSE IF (SURFAC.EQ.14.OR.SURFAC.EQ.15) THEN
C
C TRANSFORMATION OF THE DIRECTION COSINES INTO GLOBAL COORD.SYSTEM
C
      DISTTOC=DSQRT (X*X+Y*Y+ (Z-DENIV) * (Z-DENIV) )
      L = - (X* (Z-DENIV) / (DISTTOC*DSQRT (DISTTOC*DISTTOC - (Z-DENIV) *
1      (Z-DENIV) ) ) *LP + Y/DSQRT (DISTTOC*DISTTOC - (Z-DENIV) *
2      (Z-DENIV) ) *MP + X/DISTTOC*NP)
      M = - (Y* (Z-DENIV) / (DISTTOC*DSQRT (DISTTOC*DISTTOC - (Z-DENIV) *
1      (Z-DENIV) ) ) *LP - X/DSQRT (DISTTOC*DISTTOC - (Z-DENIV) *
2      (Z-DENIV) ) *MP + Y/DISTTOC*NP)
      N = DSQRT (DISTTOC*DISTTOC - (Z-DENIV) * (Z-DENIV) ) /DISTTOC*LP -
1      (Z-DENIV) /DISTTOC*NP
      END IF
C
      END
*****
*
* THIS SUBROUTINE INITIALIZES AN ARRAY OF SIZE 13
*

```

```

*
*****
SUBROUTINE INIT(X)

  IMPLICIT NONE
  REAL*8 X
  INTEGER I
  DIMENSION X(15)

  DO 284 I=1,15
    X(I)=0.D0
284  CONTINUE

  END
*****
*
* THIS SUBROUTINE SETS UP THE GEOMETRY FOR ALL SUBELEMENTS *
* OF THE OPTICAL FRONT-END OF THE NONSCANNER. IT BRAKES *
* UP THE DIFFERENT PARTS INTO SURFACE AND VOLUME ELEMENTS *
* IT ALSO COMPUTES THE SURFACE AREAS AND VOLUMES OF THE *
* DIFFERENT ELEMENTS. *
*
*****
SUBROUTINE DOMSETUP(DIST)

  IMPLICIT NONE
  REAL*8 PI,DIST
  REAL*8 CE,CI,REXT,RINT,DENIV,RCEN
  REAL*8 RADF,RADP,DRAD
  REAL*8 PHIDEN,PHIF,PHIP,DPHI,DZPHI,ZPHIF,ZPHIP
  REAL*8 TTAF,TTAP,DTTA
  REAL*8 XNOD,YNOD,ZNOD,XFAC,YFAC,ZFAC
  REAL*8 VOLUM,REALSUM,SAREA,SURFAC
  REAL*8 ZMAX,Z,DZ,RFOV,TETA FM,FI,TH,RAD1,RAD2,RPA
  REAL*8 LBAR,RCAV,LCON,CAVANG
  REAL*8 DR,R,COSRNG
  REAL*8 AREA,TANCAV,H,INDEX,ZZ

C
  INTEGER I,J,K,MAXELT
  INTEGER NB SH,NBCO,NBCO1,NBPSD,NBLAT,NBLONG,NBPS,NB WASH,NBLSU
  INTEGER NBHSB,NBHSC,NBPSB,NBPSC,NBPSCS,NB WLSU
  INTEGER NB1,NB2,NB3,NB4,NB9,NB11,NBVE,NB5,NB6,NB7,NB13
  INTEGER NB14,NB15,NB16,NB8,NB17,NB18
  INTEGER NBHSR,NBPSR

C
  PARAMETER (MAXELT=700)

C
  DIMENSION RADP(MAXELT),DRAD(MAXELT)
  DIMENSION PHIP(MAXELT),DPHI(MAXELT)
  DIMENSION TTAP(MAXELT)
  DIMENSION DIST(MAXELT)
  DIMENSION VOLUM(MAXELT)

C
  COMMON /RING/ NBHSR,NBPSR
  COMMON /SER2/ NBLAT,NBLONG /SER3/ NB WASH,NBPS,NBLSU,NB WLSU
  COMMON /SER4/ NB SH,NBCO,NBPSD
  COMMON /FOVL/ RFOV,TETA FM
  COMMON /DOME/ REXT,RINT,DENIV
  COMMON /NB14/ NB1,NB2,NB3,NB4,NB9,NB11,NB13,NB14
  COMMON /NB57/ NB5,NB6,NB7,NB15,NB16,NB8,NB17,NB18
  COMMON /SETU/ RADF(MAXELT),PHIF(MAXELT),ttaf(maxelt),
& SAREA(MAXELT),RCEN
  COMMON /NODE/ XNOD(MAXELT),YNOD(MAXELT),ZNOD(MAXELT)
  COMMON /FACE/ XFAC(MAXELT),YFAC(MAXELT),ZFAC(MAXELT)
  COMMON /CAVITY/ RCAV,LBAR,LCON,CAVANG

```

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COMMON /CAVSUR/ NBHSB,NBHSC,NBPSB,NBPSC,NBPSCS
COMMON /SUBS/ RPA,SURFAC

      PI=DACOS(-1.D0)
C
C DOME DOME DOME DOME MESH DEFINITION DOME DOME DOME DOME DOME
C
C DEFINITION OF THE RADII OF THE CV FACES AND THE CV NODES:
C THE 1ST CV FACE COINCIDES WITH THE OUTER SURFACE OF THE DOME.
C THE 1ST CV NODE HAS A RADIUS = REXT.
C THE INDEX OF THE CV NODES ARE THE SAME AS THE FACE FOLLOWING THEM
C IF YOU MOVE IN THE "DECREASING-RAD" DIRECTION.
C THE LAST CV FACE COINCIDES WITH THE INNER SURFACE OF THE DOME.
C THERE IS AN EXTRA SET OF NODES AT RADIUS = RINT FOR B.C. PURPOSES.
C
      RADF(1)=REXT
      RADP(1)=REXT
      DO 10 I=2,NBSH+1
          RADF(I)=((RADF(I-1))**3 - (REXT**3 - RINT**3)/NBSH)**(1.D0/3.D0)
          RADP(I)=(0.5D0*((RADF(I))**3 + (RADF(I-1))**3))**(1.D0/3.D0)
          DRAD(I-1)=RADP(I-1) - RADP(I)
10     CONTINUE
      RADP(NBSH+2)=RINT
      DRAD(NBSH+1)=RADP(NBSH+1) - RADP(NBSH+2)
C
C DEFINITION OF THE ZENITH ANGLE OF THE CV FACES AND CV NODES:
C PHI=0 AT NADIR; (FIRST CV FACE)
C PHIDEN IS THE ANGLE AT WHICH THE DOME STARTS TO BE BURIED IN THE
C SUBSTRATE.
C THE INDEX OF THE CV NODES ARE THE SAME AS THE FACE FOLLOWING THEM
C IF YOU MOVE IN THE "INCREASING-PHI" DIRECTION.
C SINCE THERE IS NO CV NODE BEFORE THE 1ST CV FACE, THE 1ST CV NODE IS
C INDEXED BY # 2.
C
      RCEN=(0.5D0*(REXT*REXT*REXT+RINT*RINT*RINT))**(1.D0/3.D0)
      DZPHI=(RCEN+DENIV)/(NBCO-1)
      ZPHIF=RCEN
      ZPHIP=RCEN+DZPHI/2.D0
      PHIF(1)=0.0D0
      PHIP(1)=0.0D0
      DO 20 J=2,NBCO
          ZPHIF=ZPHIF-DZPHI
          ZPHIP=ZPHIP-DZPHI
          PHIF(J)=DACOS(ZPHIF/RCEN)
          PHIP(J)=DACOS(ZPHIP/RCEN)
          DPHI(J-1)=PHIP(J) - PHIP(J-1)
20     CONTINUE
      PHIF(NBCO+1)=PI/2.D0
      PHIP(NBCO+1)=DACOS((-DENIV/2.D0)/RCEN)
      DPHI(NBCO)=PHIP(NBCO+1) - PHIP(NBCO)
      PHIP(NBCO+2)=PHIF(NBCO+1)
      DPHI(NBCO+1)=PHIP(NBCO+2) - PHIP(NBCO+1)
C
C DEFINITION OF THE AZIMUTHAL ANGLE OF THE CV FACES AND CV NODES
C THE 1ST CV FACE IS AT THETA = 0.
C !!!!NOTE: THE CV NODE HAS THE SAME # AS THE CV FACE PRECEEDING IT!!!!
C THE CV FACES ARE CALCULATED TO NBPSD+1 JUST SO THAT ALL THE CV NODES
C CAN BE CALCULATED WITH THE SAME FORMULA.
C
      DTTA=2.D0*PI/NBPSD
      TTAF(1)=0.0D0
      DO 40 K=2,NBPSD+1
          TTAF(K)=TTAF(K-1) + DTTA
40     CONTINUE
      DO 41 K=1,NBPSD

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          TTAP(K)=0.5D0*(TTAF(K+1) + TTAF(K))
41    CONTINUE
C
C SAVE RADF(I) AS DIST(I)
C
      DO 60 I=1,NBSH+1
          DIST(I)=RADF(I)
60    CONTINUE
C
C COMPUTE THE COORDINATES OF THE CENTROID OF EACH VOLUME ELEMENT
C
      DO 80 I=2,NBSH+1
          DO 80 J=2,NBCO+1
              DO 80 K=1,NBPSD
                  NBVE=(I-2)*NBCO*NBPSD + (J-2)*NBPSD + K + NB3
                  XNOD(NBVE)=RADP(I)*DSIN(PHIP(J))*DCOS(TTAF(K))
                  YNOD(NBVE)=RADP(I)*DSIN(PHIP(J))*DSIN(TTAF(K))
                  ZNOD(NBVE)=RADP(I)*DCOS(PHIP(J))+DENIV
80    CONTINUE
C
C COMPUTE THE COORDINATES OF THE POINTS AT THE INTERSECTIONS OF THE
C CONTROL VOLUME FACES
C
      DO 90 I=1,NBSH+1
          NBVE=(I-1)*(NBCO*NBPSD + 1) + 1 + NB7
          XFAC(NBVE)=0.0D0
          YFAC(NBVE)=0.0D0
          ZFAC(NBVE)=RADF(I)
      DO 90 J=2,NBCO+1
          DO 90 K=1,NBPSD
              NBVE=(I-1)*(NBCO*NBPSD + 1) + (J-2)*NBPSD + K + 1 + NB7
              XFAC(NBVE)=RADF(I)*DSIN(PHIF(J))*DCOS(TTAF(K))
              YFAC(NBVE)=RADF(I)*DSIN(PHIF(J))*DSIN(TTAF(K))
              ZFAC(NBVE)=RADF(I)*DCOS(PHIF(J))+DENIV
              NB8=NBVE
90    CONTINUE
C
C COMPUTE THE VOLUME OF THE VOLUME ELEMENTS BRAKING UP THE DOME
C
      REALSUM=0.0D0
      DO 100 I=2,NBSH+1
          DO 100 J=2,NBCO+1
              DO 100 K=1,NBPSD
                  NBVE=(I-2)*NBCO*NBPSD + (J-2)*NBPSD + K + NB3
                  VOLUM(NBVE)=(DCOS(PHIF(J-1)) - DCOS(PHIF(J)))*
1                      (RADF(I-1)*RADF(I-1)*RADF(I-1) - RADF(I)*
2                      RADF(I)*RADF(I))/3.D0*DTTA
                  SAREA(NBVE)=(DCOS(PHIF(J-1)) - DCOS(PHIF(J)))*
1                      RADF(I-1)*RADF(I-1)*DTTA
                  REALSUM=REALSUM+VOLUM(NBVE)
              WRITE(10,*)NBVE,SAREA(NBVE),VOLUM(NBVE)
100   CONTINUE
C
C COMPUTE THE COORDINATES OF THE POINTS AT THE INTERSECTION OF THE
C CONTROL SURFACE FACES FOR THE FOV LIMITER
C
      ZMAX=RFOV*DCOS(TETAFM)+DENIV
      Z=0.0D0
      DZ=ZMAX/DBLE(NBLAT)
      DO 120 I=1,NBLAT+1
          TH=0.0D0
          FI=DACOS(Z/RFOV)
      DO 121 J=1,NBLONG
          NBVE=(I-1)*NBLONG + J
          XFAC(NBVE)=RFOV*DSIN(FI)*DCOS(TH)

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        YFAC (NBVE) =RFOV*DSIN (FI) *DSIN (TH)
        ZFAC (NBVE) =RFOV*DCOS (FI) +DENIV
        TH=TH + 2.D0*PI/DBLE (NBLONG)
121  CONTINUE
        Z=Z+DZ
120  CONTINUE
        DO 122 I=1,NBLAT
        DO 122 J=1,NBLONG
            NBVE=(I-1)*NBLONG + J
            SAREA (NBVE) =DCOS (TETA FM) *2.D0*PI*RFOV*RFOV/NB1
            WRITE (10, *) NBVE, SAREA (NBVE)
122  CONTINUE
C
C COMPUTE THE COORDINATES OF THE POINTS AT THE INTERSECTION OF THE
C CONTROL SURFACE FACES FOR THE LOWER SUBSTRATE
C
        DO 130 J=1,NBLSU
            TH=DBLE (J-1) *2.D0*PI/DBLE (NBLSU)
            NBVE=NB5+J
            XFAC (NBVE) =RPA*DCOS (TH)
            YFAC (NBVE) =RPA*DSIN (TH)
            ZFAC (NBVE) =DENIV
            SAREA (J+NB1) =PI * (RINT*RINT-RPA*RPA) /NBLSU
            WRITE (10, *) J+NB1, SAREA (J+NB1)
130  CONTINUE
        DO 131 J=1,NBLSU
            TH=DBLE (J-1) *2.D0*PI/DBLE (NBLSU)
            NBVE=NB5+NBLSU+J
            XFAC (NBVE) =RINT*DCOS (TH)
            YFAC (NBVE) =RINT*DSIN (TH)
            ZFAC (NBVE) =DENIV
131  CONTINUE
        DO 132 J=1,NBLSU
            TH=DBLE (J-1) *2.D0*PI/DBLE (NBLSU)
            NBVE=NB5+J+2*NBLSU
            YFAC (NBVE) =REXT*DCOS (TH)
            XFAC (NBVE) =REXT*DSIN (TH)
            ZFAC (NBVE) =DENIV
            SAREA (J+NB1+NBLSU) =PI * (REXT*REXT-RINT*RINT) /NBLSU
            WRITE (10, *) J+NB1+NBLSU, SAREA (J+NB1+NBLSU)
132  CONTINUE
C
C COMPUTE THE COORDINATES OF THE POINTS AT THE INTERSECTION OF THE
C CONTROL SURFACE FACES FOR THE SUBSTRATE
C
        RAD1=DSQRT (REXT*REXT-DENIV*DENIV)
        RAD2=RFOV
        DO 140 I=1,NBWASH+1
            R=DSQRT (DBLE (I-1) /NBWASH* (RAD2*RAD2-RAD1*RAD1) + RAD1*RAD1)
            TH=0
        DO 140 J=1,NBPS
            NBVE=(I-1)*NBPS + J + NB6
            XFAC (NBVE) =R*DCOS (TH)
            YFAC (NBVE) =R*DSIN (TH)
            ZFAC (NBVE) =0.0D0
            TH=TH + 2*PI/NBPS
140  CONTINUE
        DO 145 I=1,NBWASH*NBPS
            NBVE=NB2+I
            SAREA (NBVE) =PI * (RFOV*RFOV-RAD1*RAD1) / (NBWASH*NBPS)
            WRITE (10, *) NBVE, SAREA (NBVE)
145  CONTINUE
C
C Compute the surface area of the FOV limiting aperture
C

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```

      SAREA(NB4+1)=PI*RFOV*DSIN(TETA FM)*RFOV*DSIN(TETA FM)
C
C COMPUTE THE COORDINATES OF THE POINTS AT THE INTERSECTION OF THE
C CONTROL SURFACE FACES FOR THE BARREL
C
      NBVE=NB8+1
      Z=DENIV
      DZ=LBAR/DBLE(NBHSB)
      DO 150 I=1,NBHSB+1
        DO 151 J=1,NBPSB
          TH=(J-1)*2.0D0*PI/DBLE(NBPSB)
          XFAC(NBVE)=RCAV*DCOS(TH)
          YFAC(NBVE)=RCAV*DSIN(TH)
          ZFAC(NBVE)=Z
          NBVE=NBVE+1
151      CONTINUE
          Z=Z-DZ
150      CONTINUE
      NBVE=NB8+1
      DO 152 I=1,(NBHSB*NBPSB)
        SAREA(NBVE)=PI*2.0D0*RCAV*DZ/NBPSB
        NBVE=NBVE+1
152      CONTINUE
C
C COMPUTE THE COORDINATES OF THE POINTS AT THE INTERSECTION OF THE
C CONTROL SURFACE FACES FOR THE CONE
C
      NBVE=NB15+1
      ZZ=DENIV-LBAR
      AREA=PI*RCAV*DSQRT(RCAV**2+LCON**2)
      TANCAV=RCAV/LCON
      H=DSQRT(1.D0+TANCAV**2)
      DO 160 I=1,NBHSC+1
        INDEX=(DBLE(NBHSC)+1.D0-DBLE(I))/DBLE(NBHSC)
        DZ=LCON-DSQRT((AREA*INDEX)/(PI*H*TANCAV))
        Z=ZZ-DZ
        R=(LBAR+LCON-DENIV+Z)*RCAV/LCON
        write(6,*)z
        DO 161 J=1,NBPSC
          TH=(J-1)*2.0D0*PI/DBLE(NBPSC)
          ZFAC(NBVE)=Z
          XFAC(NBVE)=R*DCOS(TH)
          YFAC(NBVE)=R*DSIN(TH)
          NBVE=NBVE+1
161      CONTINUE
160      CONTINUE
      NBVE=NB9+1
      DO 162 I=1,(NBHSC*NBPSC)
        SAREA(NBVE)=AREA/DBLE(NBHSC*NBPSC)
        NBVE=NBVE+1
162      CONTINUE
C
C COMPUTE THE COORDINATES OF THE POINTS AT THE INTERSECTION OF THE
C CONTROL SURFACE FACES FOR THE CAVSUB
C
      NBVE=NB16+1
      DO 170 J=1,NBPSCS
        TH=(J-1)*2.0D0*PI/DBLE(NBPSCS)
        XFAC(NBVE)=RPA*DCOS(TH)
        YFAC(NBVE)=RPA*DSIN(TH)
        ZFAC(NBVE)=-1.D0
        NBVE=NBVE+1
170      CONTINUE
      NBVE=NBVE+NBPSCS+1
      DO 171 J=1,NBPSCS

```

```

        TH=(J-1)*2.0D0*PI/DBLE(NBPCSCS)
        XFAC(NBVE)=RCAV*DCOS(TH)
        YFAC(NBVE)=RCAV*DSIN(TH)
        ZFAC(NBVE)=-1.D0
        NBVE=NBVE+1
171  CONTINUE
        NBVE=NB11+1
        DO 172 I=1,NBPCSCS
            SAREA(NBVE)=PI*(REXT**2-RPA**2)/DBLE(NBPCSCS)
            NBVE=NBVE+1
172  CONTINUE
C
C COMPUTE THE COORDINATES OF THE POINTS AT THE INTERSECTION OF THE
C CONTROL SURFACE FACES FOR THE RING
C
        NBVE=NB17+1
        Z=0.0D0
        DZ=DABS(DENIV/DBLE(NBHRSR))
        COSRNG=DSQRT(1.0D0-DENIV*DENIV/REXT*REXT)
        DO 180 I=1,NBHRSR+1
            DO 181 J=1,NBPSR
                TH=(J-1)*2.0D0*PI/DBLE(NBPSR)
                XFAC(NBVE)=REXT*DCOS(TH)*COSRNG
                YFAC(NBVE)=REXT*DSIN(TH)*COSRNG
                ZFAC(NBVE)=Z
                NBVE=NBVE+1
181  CONTINUE
            Z=Z-DZ
            COSRNG=1.0D0
180  CONTINUE
        NBVE=NB13+1
        DO 182 I=1,(NBHRSR*NBPSR)
            SAREA(NBVE)=PI*2.0D0*REXT*DZ/NBPSR
            NBVE=NBVE+1
182  CONTINUE

        END

*****
*
* THIS SUBROUTINE RETREIVE THE SURFACE OR VOLUME ELEMENT THAT WAS
* HIT FROM X,Y,Z COORDINATES.
*
*****
        SUBROUTINE SEARCH(X,Y,Z,SURFAC,CNTBDL,DIST)

        IMPLICIT NONE

C
        REAL*8 PI,DZED,ZMAX,RFOV,TETA,FM,RADIUS,X,Y,Z
        REAL*8 CE,CI,REXT,RINT,DIST,DTETA,DPHI,VOLUM
        REAL*8 RAD1,RAD2,SINTTA,COSTTA,RPA
        REAL*8 DIT OCD,ANGPHI,ANGTTA,DENIV,PHIDEN
        REAL*8 RADF,PHIF,TTAF,SAREA,RCEN
        REAL*8 RCAV,LBAR,LCON,CAVANG
        REAL*8 ZBAR,ZCON
        REAL*8 DLCON
        REAL*8 ZRING

C
        INTEGER I,J,K,W,N,SURFAC,MAXELT,NBBUAB,SS,CNTBDL
        INTEGER NB1,NB2,NB3,NB4,NB9,NB11,NB13,NB14
        INTEGER NBLAT,NBLONG,NBWASH,NBPS,NBLSU,NBSH,NBCO,NBPSD
        INTEGER NBHSB,NBHSC,NBPSB,NBPCSC,NBPCSCS,NBWLSU
C
        INTEGER NBHSR,NBPSR,SURFC

        PARAMETER (MAXELT=700)

```

```

C
DIMENSION DIST(MAXELT)
C
COMMON /RIING/ NBHSR,NBPSR
COMMON /SER1/ NBBUAB(MAXELT) /SER2/ NBLAT,NBLONG
COMMON /SER3/ NBWASH,NBPS,NBLSU,NBWSU /SER4/ NBSH,NBCO,NBPSD
COMMON /FOVL/ RFOV,TETAFM
COMMON /DOME/ REXT,RINT,DENIV
COMMON /NB14/ NB1,NB2,NB3,NB4,NB9,NB11,NB13,NB14
COMMON /SETU/ RADF(MAXELT),PHIF(MAXELT),TTAF(MAXELT),
&
SAREA(MAXELT),RCEN
COMMON /CAVITY/ RCAV,LBAR,LCON,CAVANG
COMMON /CAVSUR/ NBHSB,NBHSC,NBPSB,NBPSC,NBPSCS
COMMON /CONSET/ DLCON(20)
COMMON /SUBS/ RPA,SURFC
PI=DACOS(-1.D0)
ZMAX=RFOV*DCOS(TETAFM)+DENIV
CE=DENIV
CI=DENIV
RAD1=DSQRT(REXT*REXT-DENIV*DENIV)
RAD2=RFOV
C
C FIND THE ELEMENT THAT WAS HIT, ACCORDING TO THE GEOM. PART INVOLVED
C FOR THE FOV LIMITER:
C
IF (SURFAC.EQ.1.OR.SURFAC.EQ.5) THEN
DZED=ZMAX/DBLE(NBLAT)
DTETA=2.D0*PI/DBLE(NBLONG)
ANGPHI=DACOS(Z/RFOV)
SINTTA=(Y/RFOV)/DSIN(ANGPHI)
COSTTA=(X/RFOV)/DSIN(ANGPHI)
ANGTTA=PI+(DABS(SINTTA)/SINTTA)*(DACOS(COSTTA)-PI)
I=INT(Z/DZED)+1
J=INT(ANGTTA/DTETA)+1
SS=(I-1)*NBLONG+J
C
C FOR THE UPPER SUBSTRATE
C
ELSE IF (SURFAC.EQ.2) THEN
DTETA=2.D0*PI/DBLE(NBPS)
RADIUS=DSQRT(X**2+Y**2)
SINTTA=Y/RADIUS
COSTTA=X/RADIUS
ANGTTA=PI+(DABS(SINTTA)/SINTTA)*(DACOS(COSTTA)-PI)
I=INT(DBLE(NBWASH)*((RADIUS*RADIUS-RAD1*RAD1)/(RAD2*RAD2-
&
RAD1*RAD1)))+1
J=INT(ANGTTA/DTETA)+1
SS=(NB2)+(I-1)*NBPS+J
C
C FOR THE LOWER SUBSTRATE
C
ELSE IF (SURFAC.EQ.6) THEN
DTETA=2.D0*PI/DBLE(NBLSU)
RADIUS=DSQRT(X**2+Y**2)
SINTTA=Y/RADIUS
COSTTA=X/RADIUS
ANGTTA=PI+(DABS(SINTTA)/SINTTA)*(DACOS(COSTTA)-PI)
J=INT(ANGTTA/DTETA)+1
IF (RADIUS.GT.RINT) THEN
I=2
ELSE
I=1
END IF
SS=NB1+(I-1)*NBLSU+J

```



```

C
C FOR THE BARREL
C
      ELSE IF (SURFAC.EQ.9.OR.SURFAC.EQ.10) THEN
          ZBAR=Z+LBAR-DENIV
          DTETA=2.DO*PI/DBLE(NBPSB)
          DZED=LBAR/DBLE(NBHSB)
          RADIUS=DSQRT(X**2+Y**2)
          SINTTA=Y/RADIUS
          COSTTA=X/RADIUS
          ANGTTA=PI+(DABS(SINTTA)/SINTTA)*(DACOS(COSTTA)-PI)
          I=(INT(ZBAR/DZED)+1)
          J=(INT(ANGTTA/DTETA)+1)
          SS=NB11+(I-1)*NBPSB+J
C
C FOR THE CONE
C
      ELSE IF (SURFAC.EQ.11.OR.SURFAC.EQ.12) THEN
          DTETA=2.DO*PI/DBLE(NBPSC)
          RADIUS=DSQRT(X**2+Y**2)
          J=0
          DO 5 K=NBHSC+1,1,-1
              J=J+1
              IF (Z.LT.DLCON(K)) THEN
                  I=J-1
                  GOTO 6
              END IF
5          CONTINUE
6          SINTTA=Y/RADIUS
          COSTTA=X/RADIUS
          ANGTTA=PI+(DABS(SINTTA)/SINTTA)*(DACOS(COSTTA)-PI)
          J=INT(ANGTTA/DTETA)+1
          SS=NB4+1+(I-1)*NBPSC+J
C
C FOR THE SUBSTRATE VISIBLE TO THE CAVITY
C
      ELSE IF (SURFAC.EQ.13) THEN
          DTETA=2.DO*PI/DBLE(NBPSCS)
          RADIUS=DSQRT(X**2+Y**2)
          SINTTA=Y/RADIUS
          COSTTA=X/RADIUS
          ANGTTA=PI+(DABS(SINTTA)/SINTTA)*(DACOS(COSTTA)-PI)
          I=INT(ANGTTA/DTETA)+1
          SS=NB11+I
C
C FOR THE RING
C
      ELSE IF (SURFAC.EQ.14.OR.SURFAC.EQ.15) THEN
          ZRING=-1.DO*Z
          DTETA=2.DO*PI/DBLE(NBPSR)
          DZED=-1.0DO*DENIV/DBLE(NBHSR)
          ANGPHI=DACOS(Z/DSQRT(X*X+Y*Y+Z*Z))
          SINTTA=(Y/(X*X+Y*Y+Z*Z))/DSIN(ANGPHI)
          COSTTA=(X/(X*X+Y*Y+Z*Z))/DSIN(ANGPHI)
          ANGTTA=PI+(DABS(SINTTA)/SINTTA)*(DACOS(COSTTA)-PI)
          I=(INT(ZRING/DZED)+1)
          J=INT(ANGTTA/DTETA)+1
          SS=NB13+(I-1)*NBPSR+J
C
C FOR THE DOME
C
      ELSE
          DTETA=2*PI/DBLE(NBPSD)
C

```

```

C DISTANCE FROM BASE OF DOME TO POINT P (X,Y,Z)
C
      DIT OCD=DSQRT(X*X+Y*Y+(Z-DENIV)*(Z-DENIV))
C
C ZENITH ANGLE FROM BASE OF DOME
C
      ANGPHI=DACOS((Z-DENIV)/DIT OCD)
C
C AZIMUTHAL ANGLE CORRESPONDING TO X,Y,Z
C
      SINTTA=(Y/DIT OCD)/DSIN(ANGPHI)
      COSTTA=(X/DIT OCD)/DSIN(ANGPHI)
      ANGTTA=PI+(DABS(SINTTA)/SINTTA)*(DACOS(COSTTA)-PI)
C
C RETRIEVE CONTROL VOLUME INDECES FROM DIT OCD, PHI, AND THETA
C
      K=INT(ANGTTA/DTETA)+1
      DO 10 J=2,NBCO+1
        IF (ANGPHI.LT.PHIF(J)) GO TO 1
10     CONTINUE
1     DO 20 I=2,NBSH+1
      IF (DIT OCD.GT.DIST(I)) GO TO 2
20     CONTINUE
2     SS=(I-2)*(NBCO*NBPSD)+(J-2)*NBPSD+K+NB3
      END IF
C
C UPDATE THE BUNDLE COUNTER FOR THE ELEMENT WHICH ABSORBED THE LAST
C BUNDLE
C
      NBBUAB(SS)=NBBUAB(SS)+1
      END
*****
*
* THIS FUNCTION COMPUTES THE FRACTION OF EMISSIVE POWER FOR
* A GIVEN WAVELENGTH INTERVAL USING PLANK'S BLACKBODY
* DISTRIBUTION
*
*****
      REAL*8 FUNCTION FRAKEMI(LBDA1,LBDA2,T)

      IMPLICIT NONE
      REAL*8 LBDA1,LBDA2,INT,INT1,INT2,T,SUM,X1,X2,X,W
      INTEGER IS,N,I

      PARAMETER (IS=1000)
      DIMENSION X(IS),W(IS)
      EXTERNAL SUM

      N=100
      INT=0.D0
      INT1=0.D0
      INT2=0.D0

C
C COMPUTE THE INTEGRAL FROM 0 TO LBDA1
C
      IF (LBDA1.LE.0.D0) GO TO 7
      DO 10 I = 1,IS
        X(I) = 0.0D0
        W(I) = 0.0D0
10     CONTINUE
      X1=0.D0
      X2=LBDA1*T
      CALL GAULEG(IS,X1,X2,X,W,N)
      INT1=SUM(IS,X,W,N)
C

```

```

C COMPUTE THE INTEGRAL FROM 0 TO LBDA2*
C
7   IF (LBDA2.LE.0.D0) THEN
      WRITE(06,*)'ERROR IN FRAKEMI'
      RETURN
    END IF
    DO 20 I = 1,IS
      X(I) = 0.0D0
      W(I) = 0.0D0
20  CONTINUE
    X1=0.D0
    X2=LBDA2*T
    CALL GAULEG (IS,X1,X2,X,W,N)
    INT2=SUM (IS,X,W,N)
C
C COMPUTE THE INTEGRAL FROM LBDA1 TO LBDA2      *
C
    FRAKEMI=INT2-INT1
    RETURN
    END
*****
*
* THIS FUNCTION COMPUTES THE POINTS AND WEIGHTS NECESSARY *
* TO COMPUTE A NUMERICAL INTEGRAL USING A GAUSS-LEGENDRE *
* POLYNOMIAL *
* COURTESY OF DR. J.R. THOMAS OF THE MECHANICAL ENGINEERING *
* DEPT. OF VIRGINIA TECH *
*
*****
SUBROUTINE GAULEG (IS,X1,X2,X,W,N)

IMPLICIT REAL*8 (A-H,O-Z)
DIMENSION X (IS),W (IS)
PARAMETER (EPS=1.D-15)

PI=3.141592653589793D0
M=(N+1)/2
XM=0.5D0*(X2+X1)
XL=0.5D0*(X2-X1)
DO 12 I=1,M
  Z=DCOS (PI*(DBLE (I) -.25D0) / (DBLE (N) +.5D0))
1  CONTINUE
  P1=1.D0
  P2=0.D0
  DO 11 J=1,N
    DJ=DBLE (J)
    P3=P2
    P2=P1
    P1=((DBLE (2.D0*J) -1.D0)*Z*P2-(DJ-1.D0)*P3)/DJ
11  CONTINUE
    PP=DBLE (N)*(Z*P1-P2)/(Z*Z-1.D0)
    Z1=Z
    Z=Z1-P1/PP
    IF (ABS (Z-Z1) .GT.EPS) GO TO 1
    X (I)=XM-XL*Z
    X (N+1-I)=XM+XL*Z
    W (I)=2.D0*XL/((1.D0-Z*Z)*PP*PP)
    W (N+1-I)=W (I)
12  CONTINUE
    RETURN
    END
*****
*
* THIS FUNCTION IS USED BY THE FUNCTION FRAKEMI TO COMPUTE *

```

```

* THE FOLLOWING EXPRESSION *
* *
*****
REAL*8 FUNCTION F(X)

IMPLICIT NONE
REAL*8 PI,C1,C2,X,SIGMA

PI=DACOS(-1.0D0)
C1=0.59544D8
C2=14388D0
SIGMA=5.6696D-8
F=2.d0*PI*C1*DEXP(-C2/X)/(SIGMA*(X**5)*(1.D0-DEXP(-C2/X)))
RETURN

END
*****
* *
* THIS FUNCTION IS USED BY THE FUNCTION FRAKEMI TO COMPUTE *
* THE FOLLOWING SUM *
* *
*****
REAL*8 FUNCTION SUM(IS,X,W,N)

IMPLICIT NONE
REAL*8 X,W,F
INTEGER IS,N,I
DIMENSION X(IS),W(IS)
EXTERNAL F
SUM=0.D0
DO 200 I=1,N
    SUM=SUM+F(X(I))*W(I)
200 CONTINUE
RETURN
END

*****
* *
* THIS SUBROUTINE OBTAINS A VALUE BY LINEAR INTERPOLATION *
* *
*****
SUBROUTINE LINREG(LBDA1,LBDAI,LBDA2,SFEP1,SFEPI,SFEP2)

IMPLICIT NONE
REAL*8 SFEP1,SFEP2,SFEPI,LBDA1,LBDA2,LBDAI
REAL*8 A,B

A=(SFEP2-SFEP1)/(LBDA2-LBDA1)
B=(SFEP1*LBDA2-SFEP2*LBDA1)/(LBDA2-LBDA1)
SFEPI=A*LBDAI+B
RETURN
END

*****
* *
* This subroutine distributes the energy bundles over a given spectrum *
* The spectrum can be that of a typical day light Earth scene, or that *
* of a grey surface at a given temperature or just a uniform spectrum *
* between 0 and 50.0 microns *
* In addition the user can choose to emit in the shortwave band of the *
* previously defined spectrum or over the entire spectrum. *
* *
*****

```

```

SUBROUTINE WLSET (MAXBDL, EMISUR)

IMPLICIT NONE

C
REAL*8 LBDAMX, LBDA, LBDA1, LBDA2
REAL*8 FEP, FEP1, FEP2, SFEP, SFEP1, SFEP2
REAL*8 TEMP, FRAKEMI, FRAK
REAL*8 DOABCO, DOMTHC

C
INTEGER I, J, ANSWER, CH
INTEGER NBWLIN, MAXBDL, NBDLIN, NBBUEA
INTEGER MAXWLI, EMISUR

C
PARAMETER (MAXWLI=15)
DIMENSION SFEP (MAXWLI)
EXTERNAL FRAKEMI

C
COMMON /WLS1/ NBDLIN (MAXWLI), NBBUEA (MAXWLI), NBWLIN
COMMON /WLS2/ DOABCO (MAXWLI), LBDA (MAXWLI)
COMMON /CHAN/ CH

C
C
C Use the spectrum of a surface at temperature T
C
NBBUEA (1) = IDNINT (DBLE (MAXBDL) / DBLE (NBWLIN))
NBDLIN (1) = NBBUEA (1)
DO 45 I=2, NBWLIN
    NBBUEA (I) = IDNINT (DBLE (MAXBDL) / DBLE (NBWLIN))
    NBDLIN (I) = NBDLIN (I-1) + NBBUEA (I)
45 CONTINUE

C
C Write the spectral distribution of energy bundles to the screen
C
WRITE (03, 520) '=====
WRITE (03, 520) ' SPECTRAL DISTRIBUTION OF EMITTED ENERGY BUNDLES '
WRITE (03, 520) '
WRITE (03, 520) ' WAVELENGTH | PARTIAL | CUMULATIVE | ABSORPTION '
WRITE (03, 520) ' INTERVAL | NUMBER OF ENERGY BUNDLES | COEFFICIENT '
WRITE (03, 520) '-----
WRITE (03, 521) 0.0, LBDA (1), NBBUEA (1), NBDLIN (1), DOABCO (1)
DO 90 I=2, NBWLIN
    WRITE (03, 521) LBDA (I-1), LBDA (I), NBBUEA (I), NBDLIN (I), DOABCO (I)
90 CONTINUE
WRITE (03, 520) '=====
C
520 FORMAT (1X, A52)
521 FORMAT (1X, F5.2, '- ', F5.2, ' | ', I10, ' | ', I10, ' | ', G10.3, 3X)
RETURN
END

*****
*
* SUBROUTINE RNSET
*
* This subroutine must be run before RNUN to set
* the seed for the random number generator. The
* seed must be an integer in the range
* (0, 2147483647).
*
*****
*
SUBROUTINE RNSET (ISEED)

C
C Set up variables.
C

```

```

      REAL*8 X1,A,P
      INTEGER ISEED
C
C Create a common storage block for the random number data.
C
      COMMON /RANDOM/ X1,A,P
C
C Set up constants used in RNUN.
C
      A = 16807.0D0
      P = 2147483647.0D0
C
C Set up seed for first random number.
C
      X1 = DBLE(ISEED)

      RETURN
      END
*****
*
*           SUBROUTINE DRNUN
*
* This subroutine returns the same pseudo-random
* numbers as the IMSL routine of the same name,
* provided it is set with the same seed value.
* Developed by Rob Bongiovi and Martial Haeffelin
* at VPI&SU, April 1993.
*
*****
*
      SUBROUTINE DRNUN(NR, R)
C
C Set up variables.
C
      INTEGER NR
      REAL*8 X1, X2, A, P, R(NR)
C
C Use common block created by RNSET
C
      COMMON /RANDOM/ X1,A,P
C
C Calculate NR random numbers.
C
      DO 1 I=1,NR
          X2 = DMOD(X1*A,P)
          R(I) = X2/P
          X1 = X2
1      CONTINUE

      RETURN
      END
*
*****
*
*           THIS SUBROUTINE OUTPUTS DATA FOR TECPLOT
*           USES WRITE STATEMENTS TO FILE EXTENSION 8,9,10...
*
*****
*
      SUBROUTINE TECPLOT

      REAL*8 XFAC,YFAC,ZFAC
      REAL*8 RADF,PHIF,TTAF,SAREA,RCEN
      REAL*8 REXT,RINT,DENIV
      REAL*8 DUMSUM

```

```

REAL*8 RCAV, LBAR, LCON, CAVANG
REAL*4 TH, XDUM, YDUM
REAL*4 DFACTT, DFACSW, DFACLW
C
INTEGER NBLAT, NBLONG, NBLSU, NBWASH, NBPS, NBSH, NBCO, NBPSD
INTEGER NB1, NB2, NB3, NB4, NB5, NB6, NB7, NB9, NB11, NB13
INTEGER NB14, NB15, NB16, NB8
INTEGER I, J, K, MAXELT
INTEGER NBHSB, NBHSC, NBPSB, NBPSC, NBPSCS, NBWLSU
C
PARAMETER (MAXELT=700)
C
COMMON /TECP/ DFACTT(1, MAXELT), DFACSW(1, MAXELT), DFACLW(1, MAXELT)
COMMON /SER2/ NBLAT, NBLONG
COMMON /SER3/ NBWASH, NBPS, NBLSU, NBWLSU
COMMON /SER4/ NBSH, NBCO, NBPSD
COMMON /NB14/ NB1, NB2, NB3, NB4, NB9, NB11, NB13, NB14
COMMON /NB57/ NB5, NB6, NB7, NB15, NB16, NB8, NB17, NB18
COMMON /FACE/ XFAC(MAXELT), YFAC(MAXELT), ZFAC(MAXELT)
COMMON /DOME/ REXT, RINT, DENIV
COMMON /SETU/ RADF(MAXELT), PHIF(MAXELT), ttaf(maxelt),
& SAREA(MAXELT), RCEN
COMMON /CAVITY/ RCAV, LBAR, LCON, CAVANG
COMMON /CAVSUR/ NBHSB, NBHSC, NBPSB, NBPSC, NBPSCS
C
C OUTPUT OF TOTAL DFAC TO FOV LIMITER
C
WRITE(09,*) 'TITLE = "EMISSION FROM EARTH SCENE; IMAGE ON DOME"'
WRITE(09,*) 'VARIABLES = X, Y, Z, DFAC'
WRITE(09,*) 'ZONE T="FOV", I=25, J=7, F=POINT'
I=1
J=1
DUMSUM=(DFACTT(I, NBLONG)+DFACTT(I, J))/2.D0
WRITE(09,700) XFAC(J), YFAC(J), ZFAC(J), DUMSUM
DO 400 J=2, NBLONG
    DUMSUM=(DFACTT(I, J-1)+DFACTT(I, J))/2.D0
    WRITE(09,700) XFAC(J), YFAC(J), ZFAC(J), DUMSUM
400 CONTINUE
J=1
DUMSUM=(DFACTT(I, NBLONG)+DFACTT(I, J))/2.D0
WRITE(09,700) XFAC(J), YFAC(J), ZFAC(J), DUMSUM
DO 401 K=2, NBLAT
    J=(K-1)*NBLONG+1
    DUMSUM=(DFACTT(I, J+NBLONG-1)+
1         DFACTT(I, J)+
2         DFACTT(I, J-NBLONG)+
3         DFACTT(I, J-1))/4.0
    WRITE(09,700) XFAC(J), YFAC(J), ZFAC(J), DUMSUM
DO 402 J=(K-1)*NBLONG+2, K*NBLONG
    DUMSUM=(DFACTT(I, J-1)+
1         DFACTT(I, J)+
2         DFACTT(I, J-NBLONG)+
3         DFACTT(I, J-NBLONG-1))/4
    WRITE(09,700) XFAC(J), YFAC(J), ZFAC(J), DUMSUM
402 CONTINUE
J=(K-1)*NBLONG+1
DUMSUM=(DFACTT(I, J+NBLONG-1)+
1         DFACTT(I, J)+
2         DFACTT(I, J-NBLONG)+
3         DFACTT(I, J-1))/4.0
    WRITE(09,700) XFAC(J), YFAC(J), ZFAC(J), DUMSUM
401 CONTINUE
J=NBLAT*NBLONG+1
DUMSUM=(DFACTT(I, J-1)+DFACTT(I, J-NBLONG))/2.D0
WRITE(09,700) XFAC(J), YFAC(J), ZFAC(J), DUMSUM

```

```

DO 403 J=NBLAT*NBLONG+2, (NBLAT+1)*NBLONG
      DUMSUM=(DFACTT(I,J-NBLONG-1)+DFACTT(I,J-NBLONG))/2.D0
      WRITE(09,700)XFAC(J),YFAC(J),ZFAC(J),DUMSUM
403  CONTINUE
      J=NBLAT*NBLONG+1
      DUMSUM=(DFACTT(I,J-1)+DFACTT(I,J-NBLONG))/2.D0
      WRITE(09,700)XFAC(J),YFAC(J),ZFAC(J),DUMSUM
C
C OUTPUT OF TOTAL DFAC TO THE LOWER SUBSTRATE
C
      NB5=(NBLAT+1)*NBLONG
      WRITE(09,*)'ZONE T="SUBLOW",I=25, J=3, F=POINT'
      I=1
      J=1
      DUMSUM=(DFACTT(I,NB1)+
1         DFACTT(I,NB1+J)+
2         DFACTT(I,NB1+NBLSU))/3.D0
      WRITE(09,700)XFAC(NB5+J),YFAC(NB5+J),ZFAC(NB5+J),DUMSUM
DO 404 J=2,NBLSU+1
      DUMSUM=(DFACTT(I,NB1)+
1         DFACTT(I,NB1+J)+
2         DFACTT(I,NB1+J-1))/3.D0
      WRITE(09,700)XFAC(NB5+J),YFAC(NB5+J),ZFAC(NB5+J),DUMSUM
404  CONTINUE
      J=1
      DUMSUM=(DFACTT(I,NB1)+
1         DFACTT(I,NB1+J)+
2         DFACTT(I,NB1+NBLSU))/3.D0
      WRITE(09,700)XFAC(NB5+J),YFAC(NB5+J),ZFAC(NB5+J),DUMSUM
      J=NBLSU+1
      DUMSUM=(DFACTT(I,NB1+J-1)+DFACTT(I,NB1+J-NBLSU))/2.D0
      WRITE(09,700)XFAC(NB5+J),YFAC(NB5+J),ZFAC(NB5+J),DUMSUM
DO 405 J=NBLSU+2,2*NBLSU
      DUMSUM=(DFACTT(I,NB1+J-NBLSU)+DFACTT(I,NB1+J-NBLSU))/2.D0
      WRITE(09,700)XFAC(NB5+J),YFAC(NB5+J),ZFAC(NB5+J),DUMSUM
405  CONTINUE
      J=NBLSU+1
      DUMSUM=(DFACTT(I,NB1+J-1)+DFACTT(I,NB1+J-NBLSU))/2.D0
      WRITE(09,700)XFAC(NB5+J),YFAC(NB5+J),ZFAC(NB5+J),DUMSUM
C
C OUTPUT OF TOTAL DFAC TO THE UPPER SUBSTRATE
C
      NB6=NB5 + (NBWLSU+1)*NBLSU
      WRITE(09,*)'ZONE T="SUBUPP",I=25, J=7, F=POINT'
      I=1
      J=1
      DUMSUM=(DFACTT(I,NB2+NBPS)+DFACTT(I,NB2+J))/2.D0
      WRITE(09,700)XFAC(NB6+J),YFAC(NB6+J),ZFAC(NB6+J),DUMSUM
DO 406 J=2,NBPS
      DUMSUM=(DFACTT(I,NB2+J-1)+DFACTT(I,NB2+J))/2.D0
      WRITE(09,700)XFAC(NB6+J),YFAC(NB6+J),ZFAC(NB6+J),DUMSUM
406  CONTINUE
      J=1
      DUMSUM=(DFACTT(I,NB2+NBPS)+DFACTT(I,NB2+J))/2.D0
      WRITE(09,700)XFAC(NB6+J),YFAC(NB6+J),ZFAC(NB6+J),DUMSUM
DO 407 K=2,NBWSH
      J=(K-1)*NBPS+1
      DUMSUM=(DFACTT(I,NB2+J-1)+
1         DFACTT(I,NB2+J-NBPS)+
2         DFACTT(I,NB2+J)+
3         DFACTT(I,NB2+J+NBPS-1))/4.0
      WRITE(09,700)XFAC(NB6+J),YFAC(NB6+J),ZFAC(NB6+J),DUMSUM
DO 408 J=(K-1)*NBPS+2,K*NBPS
      DUMSUM=(DFACTT(I,NB2+J-1-NBPS)+
1         DFACTT(I,NB2+J-NBPS)+

```



```

2          DFACTT ( I , NB2+J ) +
3          DFACTT ( I , NB2+J-1 ) ) / 4
408  CONTINUE
      J = ( K-1 ) * NBPS + 1
      DUMSUM = ( DFACTT ( I , NB2+J-1 ) +
1          DFACTT ( I , NB2+J-NBPS ) +
2          DFACTT ( I , NB2+J ) +
3          DFACTT ( I , NB2+J+NBPS-1 ) ) / 4 . 0
      WRITE ( 09 , 700 ) XFAC ( NB6+J ) , YFAC ( NB6+J ) , ZFAC ( NB6+J ) , DUMSUM
407  CONTINUE
      J = NBWASH * NBPS + 1
      DUMSUM = ( DFACTT ( I , NB2+J-1 ) + DFACTT ( I , NB2+J-NBPS ) ) / 2 . D0
      WRITE ( 09 , 700 ) XFAC ( NB6+J ) , YFAC ( NB6+J ) , ZFAC ( NB6+J ) , DUMSUM
      DO 409 J = NBWASH * NBPS + 2 , ( NBWASH + 1 ) * NBPS
          DUMSUM = ( DFACTT ( I , NB2+J-NBPS-1 ) + DFACTT ( I , NB2+J-NBPS ) ) / 2 . D0
          WRITE ( 09 , 700 ) XFAC ( NB6+J ) , YFAC ( NB6+J ) , ZFAC ( NB6+J ) , DUMSUM
409  CONTINUE
      J = NBWASH * NBPS + 1
      DUMSUM = ( DFACTT ( I , NB2+J-1 ) + DFACTT ( I , NB2+J-NBPS ) ) / 2 . D0
      WRITE ( 09 , 700 ) XFAC ( NB6+J ) , YFAC ( NB6+J ) , ZFAC ( NB6+J ) , DUMSUM
C
C OUTPUT OF SHORTWAVE DFAC TO DOME
C
      NB7 = NB6 + ( NBWASH + 1 ) * NBPS
      WRITE ( 09 , * ) ' ZONE T = "SW" , I = 25 , J = 10 , F = POINT '
      I = 1
      DUMSUM = 0 . 0
      DO 410 J = 1 , NBPSD
          DUMSUM = DUMSUM + DFACSW ( I , NB3+J )
410  CONTINUE
      DUMSUM = DUMSUM / REAL ( NBPSD )
      DO 411 J = 1 , NBPSD + 1
          TH = REAL ( J-1 ) * 2 . 0 * PI / REAL ( NBPSD )
          XDUM = 0 . 001 * COS ( TH )
          YDUM = 0 . 001 * SIN ( TH )
          WRITE ( 09 , 700 ) XDUM , YDUM , RADF ( I ) + DENIV , DUMSUM
411  CONTINUE
      DO 412 K = 1 , NBCO
          J = ( K-1 ) * NBPSD + 2
          DUMSUM = ( DFACSW ( I , NB3+J-1 ) +
1          DFACSW ( I , NB3+J+NBPSD-1 ) +
2          DFACSW ( I , NB3+J+NBPSD-2 ) +
3          DFACSW ( I , NB3+J+2 * NBPSD-2 ) ) / 4 . 0
          WRITE ( 09 , 700 ) XFAC ( NB7+J ) , YFAC ( NB7+J ) , ZFAC ( NB7+J ) , DUMSUM
          DO 413 J = ( K-1 ) * NBPSD + 3 , K * NBPSD + 1
              DUMSUM = ( DFACSW ( I , NB3+J-1 ) +
1              DFACSW ( I , NB3+J-2 ) +
2              DFACSW ( I , NB3+J+NBPSD-1 ) +
3              DFACSW ( I , NB3+J+NBPSD-2 ) ) / 4
              WRITE ( 09 , 700 ) XFAC ( NB7+J ) , YFAC ( NB7+J ) , ZFAC ( NB7+J ) , DUMSUM
413  CONTINUE
          J = ( K-1 ) * NBPSD + 2
          DUMSUM = ( DFACSW ( I , NB3+J-1 ) +
1          DFACSW ( I , NB3+J+NBPSD-1 ) +
2          DFACSW ( I , NB3+J+NBPSD-2 ) +
3          DFACSW ( I , NB3+J+2 * NBPSD-2 ) ) / 4 . 0
          WRITE ( 09 , 700 ) XFAC ( NB7+J ) , YFAC ( NB7+J ) , ZFAC ( NB7+J ) , DUMSUM
412  CONTINUE
C
C OUTPUT OF LONGWAVE DFAC TO DOME
C
      WRITE ( 09 , * ) ' ZONE T = "LW" , I = 25 , J = 10 , F = POINT '
      I = 1
      DUMSUM = 0 . 0

```

```

DO 420 J=1,NBPSD
  DUMSUM=DUMSUM+DFACLW(I,NB3+J)
420 CONTINUE
  DUMSUM=DUMSUM/REAL(NBPSD)
DO 421 J=1,NBPSD+1
  TH=REAL(J-1)*2.0*PI/REAL(NBPSD)
  XDUM=0.001*COS(TH)
  YDUM=0.001*SIN(TH)
  WRITE(09,700)XDUM,YDUM,RADF(I)+DENIV,DUMSUM
421 CONTINUE
DO 422 K=1,NBCO
  J=(K-1)*NBPSD+2
  DUMSUM=(DFACLW(I,NB3+J-1)+
1     DFACLW(I,NB3+J+NBPSD-1)+
2     DFACLW(I,NB3+J+NBPSD-2)+
3     DFACLW(I,NB3+J+2*NBPSD-2))/4.0
  WRITE(09,700)XFAC(NB7+J),YFAC(NB7+J),ZFAC(NB7+J),DUMSUM
DO 423 J=(K-1)*NBPSD+3,K*NBPSD+1
  DUMSUM=(DFACLW(I,NB3+J-1)+
1     DFACLW(I,NB3+J-2)+
2     DFACLW(I,NB3+J+NBPSD-1)+
3     DFACLW(I,NB3+J+NBPSD-2))/4
  WRITE(09,700)XFAC(NB7+J),YFAC(NB7+J),ZFAC(NB7+J),DUMSUM
423 CONTINUE
  J=(K-1)*NBPSD+2
  DUMSUM=(DFACLW(I,NB3+J-1)+
1     DFACLW(I,NB3+J+NBPSD-1)+
2     DFACLW(I,NB3+J+NBPSD-2)+
3     DFACLW(I,NB3+J+2*NBPSD-2))/4.0
  WRITE(09,700)XFAC(NB7+J),YFAC(NB7+J),ZFAC(NB7+J),DUMSUM
422 CONTINUE
C
C OUTPUT OF TOTAL DFAC OF FIRST SHELL OF THE DOME
C
  WRITE(09,*)'ZONE T="TT2",I=25, J=10, F=POINT'
  DUMSUM=0.0
  I=1
DO 440 J=1,NBPSD
  NBVE=J+(I-1)*NBCO*NBPSD+NB3
  DUMSUM=DUMSUM+DFACTT(1,NBVE)
440 CONTINUE
  DUMSUM=DUMSUM/REAL(NBPSD)
DO 441 J=1,NBPSD+1
  TH=REAL(J-1)*2.0*PI/REAL(NBPSD)
  XDUM=0.001*COS(TH)
  YDUM=0.001*SIN(TH)
  WRITE(09,700)XDUM,YDUM,RADF(I)+DENIV,DUMSUM
441 CONTINUE
DO 442 K=1,NBCO
  J=(K-1)*NBPSD+2+(I-1)*(NBCO*NBPSD+1)
  DUMSUM=(DFACTT(I,NB3+J-1)+
1     DFACTT(I,NB3+J+NBPSD-1)+
2     DFACTT(I,NB3+J+NBPSD-2)+
3     DFACTT(I,NB3+J+2*NBPSD-2))/4.0
  WRITE(09,700)XFAC(NB7+J),YFAC(NB7+J),ZFAC(NB7+J),DUMSUM
DO 443 J=(K-1)*NBPSD+3+(I-1)*(NBCO*NBPSD+1),
& K*NBPSD+1+(I-1)*(NBCO*NBPSD+1)
  DUMSUM=(DFACTT(I,NB3+J-1)+
1     DFACTT(I,NB3+J-2)+
2     DFACTT(I,NB3+J+NBPSD-1)+
3     DFACTT(I,NB3+J+NBPSD-2))/4
  WRITE(09,700)XFAC(NB7+J),YFAC(NB7+J),ZFAC(NB7+J),DUMSUM
443 CONTINUE
  J=(K-1)*NBPSD+2+(I-1)*(NBCO*NBPSD+1)
  DUMSUM=(DFACTT(I,NB3+J-1)+

```

```

1          DFACTT(I,NB3+J+NBPSD-1)+
2          DFACTT(I,NB3+J+NBPSD-2)+
3          DFACTT(I,NB3+J+2*NBPSD-2))/4.0
WRITE(09,700)XFAC(NB7+J),YFAC(NB7+J),ZFAC(NB7+J),DUMSUM
442 CONTINUE
C
C OUTPUT OF TOTAL DFAC TO BARREL
C
WRITE(09,*)'ZONE T="BARREL",I=25, J=5, F=POINT'
I=1
J=1
DUMSUM=(DFACTT(I,NB4+1+NBPSB)+DFACTT(I,NB4+1+J))/2.D0
WRITE(09,700)XFAC(NB8+J),YFAC(NB8+J),ZFAC(NB8+J),DUMSUM
DO 460 J=2,NBPSB
DUMSUM=(DFACTT(I,NB4+1+J-1)+DFACTT(I,NB4+1+J))/2.D0
WRITE(09,700)XFAC(NB8+J),YFAC(NB8+J),ZFAC(NB8+J),DUMSUM
460 CONTINUE
J=1
DUMSUM=(DFACTT(I,NB4+1+NBPSB)+DFACTT(I,NB4+1+J))/2.D0
WRITE(09,700)XFAC(NB8+J),YFAC(NB8+J),ZFAC(NB8+J),DUMSUM
DO 461 K=2,NBHSB
J=(K-1)*NBPSB+1
DUMSUM=(DFACTT(I,NB4+1+J+NBPSB-1)+
1          DFACTT(I,NB4+1+J)+
2          DFACTT(I,NB4+1+J-NBPSB)+
3          DFACTT(I,NB4+1+J-1))/4.0
WRITE(09,700)XFAC(NB8+J),YFAC(NB8+J),ZFAC(NB8+J),DUMSUM
DO 462 J=(K-1)*NBPSB+2,K*NBPSB
DUMSUM=(DFACTT(I,NB4+1+J-1)+
1          DFACTT(I,NB4+1+J)+
2          DFACTT(I,NB4+1+J-NBPSB)+
3          DFACTT(I,NB4+1+J-NBPSB-1))/4
WRITE(09,700)XFAC(NB8+J),YFAC(NB8+J),ZFAC(NB8+J),DUMSUM
462 CONTINUE
J=(K-1)*NBPSB+1
DUMSUM=(DFACTT(I,NB4+1+J+NBPSB-1)+
1          DFACTT(I,NB4+1+J)+
2          DFACTT(I,NB4+1+J-NBPSB)+
3          DFACTT(I,NB4+1+J-1))/4.0
WRITE(09,700)XFAC(NB8+J),YFAC(NB8+J),ZFAC(NB8+J),DUMSUM
461 CONTINUE
J=NBHSB*NBPSB+1
DUMSUM=(DFACTT(I,NB4+1+J-1)+DFACTT(I,NB4+1+J-NBPSB))/2.D0
WRITE(09,700)XFAC(NB8+J),YFAC(NB8+J),ZFAC(NB8+J),DUMSUM
DO 463 J=NBHSB*NBPSB+2,(NBHSB+1)*NBPSB
DUMSUM=(DFACTT(I,NB4+1+J-NBPSB-1)+DFACTT(I,NB4+1+J-NBPSB))/2.D0
WRITE(09,700)XFAC(NB8+J),YFAC(NB8+J),ZFAC(NB8+J),DUMSUM
463 CONTINUE
J=NBHSB*NBPSB+1
DUMSUM=(DFACTT(I,NB4+1+J-1)+DFACTT(I,NB4+1+J-NBPSB))/2.D0
WRITE(09,700)XFAC(NB8+J),YFAC(NB8+J),ZFAC(NB8+J),DUMSUM
C
C OUTPUT OF TOTAL DFAC TO CONE
C
WRITE(09,*)'ZONE T="CONE",I=25, J=7, F=POINT'
I=1
J=1
DUMSUM=(DFACTT(I,NB9+NBPSC)+DFACTT(I,NB9+J))/2.D0
WRITE(09,700)XFAC(NB15+J),YFAC(NB15+J),ZFAC(NB15+J),DUMSUM
DO 464 J=2,NBPSB
DUMSUM=(DFACTT(I,NB9+J-1)+DFACTT(I,NB9+J))/2.D0
WRITE(09,700)XFAC(NB15+J),YFAC(NB15+J),ZFAC(NB15+J),DUMSUM
464 CONTINUE
J=1
DUMSUM=(DFACTT(I,NB9+NBPSC)+DFACTT(I,NB9+J))/2.D0

```

```

WRITE(09,700)XFAC(NB15+J),YFAC(NB15+J),ZFAC(NB15+J),DUMSUM
DO 465 K=2,NBHSC
  J=(K-1)*NBPSC+1
  DUMSUM=(DFACTT(I,NB9+J+NBPSC-1)+
1     DFACTT(I,NB9+J)+
2     DFACTT(I,NB9+J-NBPSC)+
3     DFACTT(I,NB9+J-1))/4.0
  WRITE(09,700)XFAC(NB15+J),YFAC(NB15+J),ZFAC(NB15+J),DUMSUM
DO 466 J=(K-1)*NBPSC+2,K*NBPSC
  DUMSUM=(DFACTT(I,NB9+J-1)+
1     DFACTT(I,NB9+J)+
2     DFACTT(I,NB9+J-NBPSC)+
3     DFACTT(I,NB9+J-NBPSC-1))/4
  WRITE(09,700)XFAC(NB15+J),YFAC(NB15+J),ZFAC(NB15+J),DUMSUM
466 CONTINUE
  J=(K-1)*NBPSC+1
  DUMSUM=(DFACTT(I,NB9+J+NBPSC-1)+
1     DFACTT(I,NB9+J)+
2     DFACTT(I,NB9+J-NBPSC)+
3     DFACTT(I,NB9+J-1))/4.0
  WRITE(09,700)XFAC(NB15+J),YFAC(NB15+J),ZFAC(NB15+J),DUMSUM
465 CONTINUE
  J=NBHSC*NBPSC+1
  DUMSUM=(DFACTT(I,NB9+J-1)+DFACTT(I,NB9+J-NBPSC))/2.D0
  WRITE(09,700)XFAC(NB15+J),YFAC(NB15+J),ZFAC(NB15+J),DUMSUM
DO 467 J=NBHSC*NBPSC+2,(NBHSC+1)*NBPSC
  DUMSUM=(DFACTT(I,NB9+J-NBPSC-1)+DFACTT(I,NB9+J-NBPSC))/2.D0
  WRITE(09,700)XFAC(NB15+J),YFAC(NB15+J),ZFAC(NB15+J),DUMSUM
467 CONTINUE
  J=NBHSC*NBPSC+1
  DUMSUM=(DFACTT(I,NB9+J-1)+DFACTT(I,NB9+J-NBPSC))/2.D0
  WRITE(09,700)XFAC(NB15+J),YFAC(NB15+J),ZFAC(NB15+J),DUMSUM
C
C OUTPUT OF TOTAL DFAC TO THE PORTION OF THE SUBSTRATE WHICH
C IS VISIBLE TO THE CAVITY (CAVSUB)
C
  WRITE(09,*)'ZONE T="CAVSUB",I=25, J=2, F=POINT'
  I=1
  J=1
  DUMSUM=(DFACTT(I,NB11+NBPSCS)+DFACTT(I,NB11+J))/2.D0
  WRITE(09,700)XFAC(NB16+J),YFAC(NB16+J),ZFAC(NB16+J),DUMSUM
DO 468 J=2,NBPSCS
  DUMSUM=(DFACTT(I,NB11+J-1)+DFACTT(I,NB11+J))/2.D0
  WRITE(09,700)XFAC(NB16+J),YFAC(NB16+J),ZFAC(NB16+J),DUMSUM
468 CONTINUE
  J=NBPSCS+1
  DUMSUM=(DFACTT(I,NB11+J-1)+DFACTT(I,NB11+J-NBPSCS))/2.0D0
  WRITE(09,700)XFAC(NB16+J),YFAC(NB16+J),ZFAC(NB16+J),DUMSUM
DO 469 J=NBPSCS+1,2*NBPSCS
  DUMSUM=(DFACTT(I,NB11+J-1)+DFACTT(I,NB11+J-NBPSCS))/2.0D0
  WRITE(09,700)XFAC(NB16+J),YFAC(NB16+J),ZFAC(NB16+J),DUMSUM
469 CONTINUE
  J=NBPSCS+1
  DUMSUM=(DFACTT(I,NB11+J-1)+DFACTT(I,NB11+J-NBPSCS))/2.0D0
  WRITE(09,700)XFAC(NB16+J),YFAC(NB16+J),ZFAC(NB16+J),DUMSUM
C
C FOR THE TOTAL CHANNEL ADD A LITTLE RING
C
  WRITE(09,*)'ZONE T="RING",I=25, J=1, F=POINT'
  I=1
  J=1
  DUMSUM=(DFACTT(I,NB13+NBSR)+DFACTT(I,NB13+J))/2.D0
  WRITE(09,700)XFAC(NB17+J),YFAC(NB17+J),ZFAC(NB17+J),DUMSUM
DO 450 J=2,NBPSR
  DUMSUM=(DFACTT(I,NB13+J-1)+DFACTT(I,NB13+J))/2.D0

```

```

WRITE(09,700)XFAC(NB17+J),YFAC(NB17+J),ZFAC(NB17+J),DUMSUM
450 CONTINUE
J=1
DUMSUM=(DFACTT(I,NB13+NBPSR)+DFACTT(I,NB13+J))/2.D0
WRITE(09,700)XFAC(NB17+J),YFAC(NB17+J),ZFAC(NB17+J),DUMSUM
DO 451 K=2,NBHSR
J=(K-1)*NBPSR+1
DUMSUM=(DFACTT(I,NB13+J+NBPSR-1)+
1 DFACTT(I,NB13+J)+
2 DFACTT(I,NB13+J-NBPSR)+
3 DFACTT(I,NB13+J-1))/4.0
WRITE(09,700)XFAC(NB17+J),YFAC(NB17+J),ZFAC(NB17+J),DUMSUM
DO 452 J=(K-1)*NBPSR+2,K*NBPSR
DUMSUM=(DFACTT(I,NB13+J-1)+
1 DFACTT(I,NB13+J)+
2 DFACTT(I,NB13+J-NBPSR)+
3 DFACTT(I,NB13+J-NBPSR-1))/4
WRITE(09,700)XFAC(NB17+J),YFAC(NB17+J),ZFAC(NB17+J),DUMSUM
452 CONTINUE
J=(K-1)*NBPSR+1
DUMSUM=(DFACTT(I,NB13+J+NBPSR-1)+
1 DFACTT(I,NB13+J)+
2 DFACTT(I,NB13+J-NBPSR)+
3 DFACTT(I,NB13+J-1))/4.0
WRITE(09,700)XFAC(NB17+J),YFAC(NB17+J),ZFAC(NB17+J),DUMSUM
451 CONTINUE
J=NBHSR*NBPSR+1
DUMSUM=(DFACTT(I,NB13+J-1)+DFACTT(I,NB13+J-NBPSR))/2.D0
WRITE(09,700)XFAC(NB17+J),YFAC(NB17+J),ZFAC(NB17+J),DUMSUM
DO 453 J=NBHSR*NBPSR+2,(NBHSR+1)*NBPSR
DUMSUM=(DFACTT(I,NB13+J-NBPSR-1)+DFACTT(I,NB13+J-NBPSR))/2.D0
WRITE(09,700)XFAC(NB17+J),YFAC(NB17+J),ZFAC(NB17+J),DUMSUM
453 CONTINUE
J=NBHSR*NBPSR+1
DUMSUM=(DFACTT(I,NB13+J-1)+DFACTT(I,NB13+J-NBPSR))/2.D0
WRITE(09,700)XFAC(NB17+J),YFAC(NB17+J),ZFAC(NB17+J),DUMSUM
C
700 FORMAT(1X,F9.3,1X,F9.3,1X,F9.3,1X,G20.9)
C
END

```

```

*****
*
* THIS SUBROUTINE DIVIDES THE CONE HORIZONTALLY SO THAT THE
* SURFACE ELEMENTS ARE ALL EQUAL IN SIZE.
*
*****

```

SUBROUTINE CONSETUP(DLCON)

```

IMPLICIT NONE
REAL*8 AREA,PI,DZ,Z,ZZ,H,TANCAV,INDEX
REAL*8 RCAV,LBAR,LCON,CAVANG
REAL*8 REXT,RINT,DENIV
REAL*8 DLCON

```

```

INTEGER I
INTEGER NBHSB,NBHSC,NBPSB,NBPSC,NBPSCS

```

DIMENSION DLCON(20)

```

COMMON /CAVSUR/ NBHSB,NBHSC,NBPSB,NBPSC,NBPSCS
COMMON /CAVITY/ RCAV,LBAR,LCON,CAVANG
COMMON /DOME/ REXT,RINT,DENIV

```

```
PI=DACOS (-1.D0)
AREA=PI*RCAV*DSQRT (RCAV**2+LCON**2)
TANCAV=RCAV/LCON
H=DSQRT (1.D0+TANCAV**2)
ZZ=DENIV-LBAR
DO 100 I=1,NBHSC+1
    INDEX= (DBLE (NBHSC) +1.D0-DBLE (I)) /DBLE (NBHSC)
    DZ=LCON-DSQRT ( (AREA*INDEX) / (PI*H*TANCAV) )
    DLCON (I) =ZZ-DZ
100 CONTINUE
RETURN
END
```

## **Appendix B**

### **Program ERBER1**

```

*****
*                                     *
*          | ERBER1 FORTRAN |         *
*          |               |         *
*          |               |         *
* This FORTRAN 77 program prompts the user for mesh geometry data *
* and then writes the data to input files for the mesh generator *
* and thermal analysis programs. The mesh geometry data is also *
* tabulated for user reference. *
* *
* Written by Nour E. Tira, and modified by Kory J. Priestley *
* *
*-----*
*                               *
*                               *
*-----*
* ATIP ..... Area of the truncated tip of the cone. *
* DIM(I) ..... Radiometer part dimension. *
* DM(I) ..... The element dimensions along dimension I if *
*              NUNIF(I) is given as zero. *
* HO ..... Height of the cone tip. *
* MDIV(I) .... Number of element divisions along dimension I. *
* NUNIF(I) ... Mesh uniformity flag for dimension I. If its *
*              value is zero, then elements along dimension I *
*              are spaced unequally and the element dimensions *
*              must be input by the user. If its value is one, *
*              then elements along dimension I are equally *
*              spaced and further mesh computation is done by *
*              the mesh generator. *
* N1 ..... The number of elements around the circumference *
*           of the radiometer cavity. *
* RI ..... The inside radius of the ring (cavity radius). *
* RO ..... The outside radius of the ring. *
* RT ..... The cone tip radius. *
* *
*****
C
C Request double precision real variables.
C
C   IMPLICIT REAL*8 (A-H,O-Z)
C
C Dimension the arrays and specify the lengths of the character
C strings.
C
C   DIMENSION NUNIF(4),DIM(4),MDIV(4),CH(4),DM(60)
C   CHARACTER*6 CHAR
C   CHARACTER*1 CH
C   CHARACTER*3 UNIF
C
C Open all input and output files.
C
C   OPEN(1,FILE='msh.dat')
C   OPEN(3,FILE='rundat.dat')
C
C
C Set the logical unit numbers for I/O data files and set the constants
C in the program.
C
C   CHAR = 'ABCDEF'
C   PI = 3.141592654D0
C
C Set the mesh uniformity flags for the cone and the cylinder.
C The cone mesh will always be non-uniform and the cylinder mesh
C will always be uniform to allow the elements in each of these
C sections of the cavity to have equal areas.
C

```



```

        NUNIF(1) = 0
        NUNIF(2) = 1
        NUNIF(3) = 1
        NUNIF(4) = 1
C
C   Read the radiometer dimensions.
C
        WRITE(6,1)
        WRITE(6,2)
        READ(6,*) DIM(1)
        WRITE(6,3)
        READ(6,*) DIM(2)
        WRITE(6,4)
        READ(6,*) RI
        WRITE(6,5)
        READ(6,*) RO
        DIM(3) = RO-RI
        WRITE(6,6)
        READ(6,*) DIM(4)
        WRITE(6,8)
        READ(6,*) RT
        HO = RT*DIM(1)/(RI-RT)
C
C   Read the number of horizontal slices across each dimension.
C
        WRITE(6,9)
        WRITE(6,10)
        READ(6,*) MDIV(1)
        WRITE(6,11)
        READ(6,*) MDIV(2)
        WRITE(6,12)
        READ(6,*) MDIV(3)
        WRITE(6,14)
        READ(6,*) MDIV(4)
C
C   Read the number of elements (pie slices) around the circumference
C   of the cavity.
C
        WRITE(6,19)
        READ(6,*) N1
C
C   write the mesh geometry data file.
C
        WRITE(1,21) DIM(1),DIM(2),RI,RO,DIM(4),RT,HO
        WRITE(1,22) N1,(MDIV(I),I=1,4)
        WRITE(1,22) (NUNIF(I),I=1,4)
C
C   Since the cone mesh is always non-uniform, (i.e. delta z is not constant)
C   calculate the element dimensions along the cone height so that all the
C   elements of the cone have the same area.
C
        BETA = DATAN(RI/(DIM(1)+HO))
        ATIP = PI*RT*DSQRT(RT**2+HO**2)
        AREA = PI*RI*DSQRT(RI**2+(DIM(1)+HO)**2) - ATIP
        C = (AREA/MDIV(1))*DCOS(BETA)/(PI*DTAN(BETA))
        H = HO
        DO 50 I = 2,MDIV(1)*2,2
            HI =DSQRT(C + H**2)
            DM(I) = (HI - H)/2.0D0
            DM(I-1) = DM(I)
            H = HI
        50 CONTINUE
C
C   Write these dimensions to the mesh geometry data file.
C

```

```

WRITE(1,21) (DM(I),I=1,2*MDIV(1))
C
C Write the mesh geometry data to the run data record.
C
WRITE(3,26)
WRITE(3,27)
WRITE(3,28)
WRITE(3,29)
DO 90 I=1,4
UNIF = 'YES'
IF(NUNIF(I).EQ.0) UNIF = 'NO '
CH(I) = CHAR(I:I)
WRITE(3,30) CH(I),DIM(I),MDIV(I),UNIF
90 CONTINUE
WRITE(3,26)
WRITE(3,31) RI
WRITE(3,32) RT
WRITE(3,33) N1
C
STOP
C
C The format statements follow:
C
1 FORMAT(//,10X,41('*'),/,10X,'*',7X,'RADIOMETER GEOMETRY INPUT',
& 7X,'*',/,10X,41('*'),///,1X,'THE RADIOMETER DIMENSIONS ',
& 'FOLLOW',/,1X,32('='),/)
2 FORMAT(1X,'Cone height? (mm)')
3 FORMAT(1X,'Cylinder height? (mm)')
4 FORMAT(1X,'Inside radius of the ring? (mm)')
5 FORMAT(1X,'Outside radius of the ring? (mm)')
6 FORMAT(1X,'Length of the thermal impedance? (mm)')
8 FORMAT(1X,'Cone tip radius? (mm)')
9 FORMAT(//,1X,'THE RADIOMETER MESH SPECIFICATIONS FOLLOW',/,
& 1X,41('='),/)
10 FORMAT(1X,'Number of horizontal slices along cone height?')
11 FORMAT(1X,'Number of horizontal slices along cylinder height?')
12 FORMAT(1X,'Number of washers along ring radius?')
14 FORMAT(1X,'Number of horizontal slices along thermal impedance?')
19 FORMAT(/,1X,'Number of azimuthal divisions around cavity?',
& /,3X,'(this must be an even number greater than 8)')
21 FORMAT(6D12.5)
22 FORMAT(14I5)
23 FORMAT(/,1X,'Enter the subdivisional dimensions for',
& ' measurement "',A1,'"')
24 FORMAT(1X,I2,' values are required over length ',F5.2,/,
& ' (separate each by a space)')
26 FORMAT(12X,50('-'))
27 FORMAT(11X,' | MEASUREMENT | NO. OF | ')
28 FORMAT(11X,' | DIMENSION | (mm) | DIVISIONS | UNIFORMITY | ')
29 FORMAT(11X,' | ',50('='),'| ')
30 FORMAT(11X,' | ',5X,A1,5X,' | ',4X,F5.2,4X,' | ',4X,I2,5X,' | ',4X,A3,
&5X,' | ')
31 FORMAT(/,10X,'Radius of cavity aperature .....',
& F4.2,' (mm)')
32 FORMAT(10X,'Cone tip radius..... ',F6.4,' (mm)')
33 FORMAT(10X,'Number of elements around cavity .... ',I3)
END

```

## **Appendix C**

### **Program ERBER2**

```

*****
*
*                               ERBER2 FORTRAN
*
*   This FORTRAN 77 program prompts the user for thermal analysis
*   data and then writes this data to input files for the thermal
*   analysis program, 'ERBETA', and 'ERBE EXEC'. A complete record
*   of all run variables, including the mesh geometry data, is also
*   created by this program.
*
*   Written by Nour E. Tira, and modified by Kory J. Priestley
*
*****
*
*                               NOMENCLATURE
*
*   ABSP ..... Absorptivity of the radiometer material.
*   ALPHA ..... Resistance-temperature constant.
*   APJ(I) ..... Illuminated area at angle I.
*   COND ..... Conductivity of the radiometer material.
*   CP ..... Specific heat of the radiometer material.
*   DELT ..... Temperature drop between resistors and heat sink.
*   DENS ..... Density of the radiometer material.
*   DT ..... Time increment.
*   EM ..... Emissivity of the radiometer material.
*   E0 ..... Bridge voltage for the feedback circuit.
*   E2 ..... The steady-state or initial voltage across the
*   electrical substitution heater wire.
*   FILE1 ..... The name of the disk file which contains the
*   non-uniform initial conditions.
*   FILE2 ..... The name of the disk file which contains the
*   cavity distribution factors (DFC's).
*   FILE3 ..... The name of the disk file which contains the
*   aperture distribution factors (DFA's).
*   FILE4 ..... The name of the disk file which contains the
*   distribution factors for a collimated beam (DFS's)
*   FMAG(I) ..... The magnitude of the source field for each
*   time step. Dimensioned NDT.
*   FMAX ..... The maximum magnitude of the source field
*   HWIRE ..... Height to which the heater wire is wound above
*   the cone tip.
*   INIT ..... The indicator for transient analysis.
*   INIT = 0 steady-state analysis
*   INIT = 1 transient, uniform initial conditions
*   INIT = 2 transient, non-uniform i.c.
*   IPDF(I) ..... The array of node numbers with specified temper-
*   ature boundary conditions. Dimensioned NPDF.
*   LNOD(I) ..... Array of nodes located at the base of the
*   thermal impedance. Dimensioned nnb.
*   LNRES(I) ..... Array of nodes along the thermal impedance.
*   Dimensioned NNRES.
*   NAME ..... The name of the radiometer material.
*   NAP ..... Imaginary aperture element used to describe
*   the position of the entering irradiance vector.
*   NCAV ..... The cavity element used to describe the position
*   of the entering irradiance vector.
*   NDT ..... Number of time steps in the analysis--equal to
*   one for a steady-state analysis.
*   NDTs ..... Number of time steps corresponding to a complete
*   span of the collimated beam.
*   NF ..... Indicator for the type of source field.
*   NF = 1 constant FMAG
*   NF = 2 sinusoidal FMAG
*   NHEAT ..... Indicator for the electrical cavity heater.

```

```

*           NHEAT = 0   heater not utilized in the analysis   *
*           NHEAT = 1   heater utilized in the analysis       *
* NNB ..... The number of nodes at the thermal impedance base.*
* NNRES ..... The number of node levels along the thermal    *
*              impedance, used to select the position of the  *
*              resistance thermometer.                         *
* NPDF ..... The number of specified temperature boundary    *
*              conditions.                                    *
* NRAD ..... Flag indicating thermal radiative analysis.     *
*              NRAD = 0   radiation analysis not performed   *
*              NRAD = 1   radiative analysis performed       *
* NVEC ..... Flag indicating the presence of an incoming     *
*              irradiance vector.                             *
*              NVEC = 0   no vector entering cavity         *
*              NVEC = 1   vector entering cavity            *
* NRES ..... The first node on the thermal impedance which   *
*              is covered by the resistance thermometer.     *
* PHIM ..... Maximum span angle of the collimated beam.    *
* REFR ..... Reflectivity ratio of the radiometer material. *
* RI ..... Inside radius of the cavity.                     *
* SMAG(I) ..... The magnitude of the collimated beam for each *
*              time step. Dimensioned NDT.                   *
* SMAX ..... The maximum magnitude of the collimated beam.  *
* TAU ..... Time constant in the analysis of the voltage    *
*              across the heater wire.                       *
* TFON ..... Time during which FMAG is on.                  *
* THETA ..... Time approximation parameter.                  *
*              Theta = 0   forward-difference scheme        *
*              Theta = 1/2 Crank-Nicolson scheme            *
*              Theta = 2/3 Galerkin scheme                  *
*              Theta = 1   backward-difference scheme       *
* THCK ..... Thickness of the radiometer material.          *
* THS ..... Temperature of the heat sink.                   *
* TMAX ..... Upper bound on time for a transient analysis.  *
* TINIT ..... Radiometer predominant initial temperature.   *
* TSON ..... Time during which SMAG is on.                  *
* TVON ..... Time during which VMAG is on.                  *
* VMAG(I) ..... The irradiance vector magnitude for each time *
*              step. Dimensioned NDT.                       *
* VMAX ..... The maximum magnitude of the irradiance vector. *
* VPDF(I) ..... Nodal temperatures specified as boundary condi- *
*              tions. Dimensioned NPDF.                      *
*

```

```
*****
```

```

C
C Request double precision real variables.
C
C   IMPLICIT REAL*8(A-H,O-Z)
C
C Dimension the arrays and specify the lengths of the character
C strings.
C
C   INTEGER CHANNEL,CH
C
C   DIMENSION IPDF(60),VPDF(60),LNOD(60)
C   DIMENSION LINE(20),LRES(30),LNRES(20)
C   DIMENSION FMAG(250)
C   CHARACTER*1 CHAR
C   CHARACTER*20 NAME,FILE1,FILE2,FILE3,FILE4
C
C Open all necessary input and output files.
C
C   OPEN(2,FILE='rundat.dat',status='old')
C   OPEN(4,FILE='mesh.dat',status='old')
C   OPEN(5,FILE='nodes.dat',status='old')

```

```

OPEN(3,FILE='source.dat')
OPEN(8,FILE='flags.dat')
OPEN(9,FILE='props.dat')
OPEN(10,FILE='time.dat')
OPEN(11,FILE='bndtmp.dat')
OPEN(12,FILE='emiss.dat')
OPEN(13,FILE='heater.dat')
OPEN(15,FILE='temp.dat')
OPEN(21,FILE='ttchannel.input')
OPEN(22,FILE='swchannel.input')
OPEN(42,FILE='run.dat')
OPEN(43,FILE='init.dat')
C
C Set the logical unit numbers for I/O data files, and initialize the
C program flags.
C
DATA LUN3,LUN4,LUN5,LUN7,LUN8,LUN22,LUN6/3,4,5,7,8,22,99/
DATA NDT,NDTF,NDTV,NDTS/1,1,1,1/
DATA CP,DENS,EM,REFR,ABSP/0.0D0,0.0D0,0.0D0,0.0D0,0.0D0/
PI = 3.141592654D0
READ(4,*) NEM,NNM
READ(4,*) DM1,DM2,DM3,DM4,RI
C
C Input whether the total or visible channel is being considered.
C
WRITE(6,*)'Which channel is being modeled?'
WRITE(6,*)'Enter 1 for the total channel, or'
WRITE(6,*)'Enter 2 for the visible channel.'
READ(6,*)CHANEL
CH=CHANEL+20
C
C Input if the analysis is steady-state or transient.
C
10 WRITE(6,301)
READ(6,201) CHAR
IF(CHAR.NE.'S' .AND. CHAR.NE.'T') GO TO 10
IF(CHAR.EQ.'S') INIT = 0
C
C If the analysis is transient, input the type of initial conditions
C present in the model.
C
IF(CHAR.EQ.'T') THEN
20 WRITE(6,302)
READ(6,201) CHAR
IF(CHAR.NE.'U' .AND. CHAR.NE.'N') GO TO 20
IF(CHAR.EQ.'U') INIT = 1
IF(CHAR.EQ.'N') INIT = 2
ENDIF
WRITE(43,*)INIT
C
C Input the material properties.
C
WRITE(6,305)
READ(6,202) NAME
WRITE(6,306)
READ(6,*) COND
IF(INIT.GT.0) THEN
WRITE(6,307)
READ(6,*) CP
WRITE(6,308)
READ(6,*) DENS
DENS = DENS/(1000.0D0**2)
ENDIF
DO 11 I=1,11

```

```

        READ(CH,*)
11  CONTINUE
    READ(CH,*) EMFOVL
    READ(CH,*) EMUSUB
    EMLSUB=EMUSUB
    READ(CH,*) EMBAR
    READ(CH,*) EMCONE
    READ(CH,*) EMCAVSUB
    READ(CH,*) EMRING

    WRITE(6,312)
    READ(6,*) THCK
C
C  If the analysis is transient, input transient analysis parameters.
C
    IF(INIT.GT.0) THEN
        WRITE(6,313)
        READ(6,*) TMAX
        WRITE(6,314)
        READ(6,*) DT
        WRITE(6,315)
        READ(6,*) THETA
        WRITE(6,316)
        NDT = NINT(TMAX/DT)
    ENDIF
C
C  For steady state,
C
C  If the initial conditions are uniform for each zone(i.e. fovl,dome.etc.)
C  or semi-uniform, input the predominant initial temperature.
C
    IF(INIT.EQ.0) THEN
        WRITE(6,507)
        READ(6,*) TFOVL
        WRITE(6,508)
        READ(6,*) TUSUB
        WRITE(6,509)
        READ(6,*) TLSUB
        WRITE(6,510)
        READ(6,*) TDOME
        WRITE(6,512)
        READ(6,*) TCAVSUB
        WRITE(6,513)
        READ(6,*) TRING
    ENDIF
C
C  If the initial conditions are non-uniform, input the disk file where
C  the initial conditions are located.
C
    IF(INIT.EQ.2) THEN
        WRITE(6,323)
        READ(6,202) FILE1
    ENDIF
C
C  Read the node numbers located at the base of the T.I , and input the
C  temperature of the heat sink. The heat sink temperature will be
C  applied to these nodes as a boundary condition after other
C  possible boundary conditions are input.
C
    READ(5,*) NNB
    DO 50 I=1,NNB
50  READ(5,*) LNOD(I)
        WRITE(6,324)
    READ(6,*) THS
C

```

```

C Input the number of applied temperature boundary conditions not
C including the boundary conditions located at the thermal impedance
C base. The nodes with applied temperature boundary conditions
C and their temperatures are then input.
C
  WRITE(6,325)
  READ(6,*) NPDF
  IF(NPDF.NE.0) THEN
    WRITE(6,326)
    WRITE(6,320)
    READ(6,*) (IPDF(I),I=1,NPDF)
    WRITE(6,321)
    WRITE(6,322)
    READ(6,*) (VPDF(I),I=1,NPDF)
  ENDIF
C
C
C Since thermal radiation is considered in the analysis, input the data
C needed for the thermal analysis.
C
C Initialize the active radiative input arrays
  DO 60 I = 1,NDT+1
    FMAG(I) = 0.0D0
  60 CONTINUE
C
C Input the maximum magnitude of the source field and
C specify whether it is constant or sinusoidal.
C
  WRITE(6,330)
  READ(6,*) FMAX
  IF (INIT.EQ.0) THEN
    FMAG(1) = FMAX
  ELSE
    WRITE(6,345)
    READ(6,*) NF
C
C Input time during which FMAG is on, and calculate the corresponding
C number of time steps.
C
  WRITE(6,346)
  READ(6,*) TFON
  NDTF = NINT(TFON/DT)
C
C Calculate FMAG for each time step.
C
  T = 0.0D0
C
  DO 65 I = 1,NDTF
C
  IF (NF.EQ.1) THEN
    FMAG(I) = FMAX
  ELSE
    T = T + DT
    FMAG(I) = FMAX*DSIN(PI*T/TFON)
    IF (FMAG(I).LE.0.1E-08) FMAG(I) = 0.D0
  ENDIF
  65 CONTINUE
  END IF
C
C Since the electrical substitution heater is being utilized in the
C analysis, read the heater voltage, resistance and wire height.

```



```

C
WRITE(6,336)
READ(6,*) E2
WRITE(6,337)
READ(6,*) RH
WRITE(6,338)
READ(6,*) HWIRE
C
C If the analysis is transient, read the bridge voltage, circuit time
C constant, resistance-temperature constant and the temperature drop.
C
IF(INIT.GT.0) THEN
WRITE(6,339)
READ(6,*) ALPHA
WRITE(6,340)
READ(6,*) E0
WRITE(6,341)
READ(6,*) TAU
WRITE(6,342)
READ(6,*) DELT
ENDIF
C
C Read the node numbers along the edge of leg 1 which are used to selec
C the position of the resistance thermometers on the legs, input the
C node on leg 1 describing the position of the resistance thermometers,
C then determine the nodes covered by the thermometers.
C
READ(5,204) NNRES
DO 70 I = 1,NNRES
70 READ(5,204) LNRES(I)
WRITE(6,343) (LNRES(I),I=1,NNRES)
READ(6,*) NRES
DO 80 I = 1,NNB
LRES(I) = NRES + I - 1
80 CONTINUE
C
C Write the thermal analysis data necessary for the thermal analysis
C program 'ERBETA'. First, assign the temperature of the heat sink
C as an applied temperature boundary condition to the nodes at the
C ends of the legs.
C
K1 = 1 + NPDF
K2 = NNB + NPDF
K = 0
DO 90 I = K1,K2
K = K+1
IPDF(I) = LNOD(K)
VPDF(I) = THS
90 CONTINUE
NPDF = NPDF + NNB
C
C Write the program flags,
C
WRITE(8,*) CHANEL
WRITE(8,204) INIT,NPDF,NRES
C
C the material properties,
C
WRITE(9,206) COND,THCK,CP,DENS
C
C the applied temperature boundary condition data,
C
IF(NPDF.NE.0) THEN
WRITE(11,204) (IPDF(I),I=1,NPDF)
WRITE(11,206) (VPDF(I),I=1,NPDF)

```

```

        ENDIF
C
C
C For a transient analysis, write the time increment, the time limit,
C time approximation parameter, and the initial conditions if they are
C uniform or semi-uniform.
C
        IF (INIT.NE.0) WRITE(10,206) DT,TMAX,THETA,TSON
        IF (INIT.NE.0) WRITE(10,204) NDT,NDTF,NDTV,NDTS
        IF(INIT.EQ.1) WRITE(10,206) TINIT
C
C Write the source field magnitude for each timestep.
C
        WRITE(3,206) (FMAG(I),I=1,NDT)
C
C Write the parameters needed for the analysis of the heater circuit.
C
        WRITE(13,206) E2,RH,HWIRE
        WRITE(13,204) NRES
        IF (INIT.GT.0) WRITE(13,206) E0,TAU,ALPHA,DELT
C
C Write the surface radiative properties to a file to be read by
C the thermal analysis code.
C
        WRITE(12,*) EMFOVL
        WRITE(12,*) EMUSUB
        WRITE(12,*) EMLSUB
        WRITE(12,*) EMDOME
        WRITE(12,*) EMBAR
        WRITE(12,*) EMCONE
        WRITE(12,*) EMCAVSUB
        WRITE(12,*) EMRING
C
C Write the zonal surface temperatures for uniform and constant
C conditions.
C
        WRITE(15,*) TFOVL
        WRITE(15,*) TUSUB
        WRITE(15,*) TLSUB
        WRITE(15,*) TDOME
        WRITE(15,*) TCAV
        WRITE(15,*) TCAVSUB
        WRITE(15,*) TRING
C
C Read the mesh geometry data chart provided by 'ERBER1', and write
C the chart into the run data record.
C
        DO 120 I=1,12
        READ(2,205) LINE
120 WRITE(42,205) LINE
C
C Read the number of elements and nodes in the mesh and write them to
C the data record along with the name of the radiometer material.
C
        WRITE(42,401) NEM,NNM
        WRITE(42,402) NAME
C
C Write all the data needed for the thermal analysis to the run data
C record in the same manner as previously described. First, write
C the material properties.
C
        WRITE(42,403) COND
        IF(INIT.GT.0) THEN
            WRITE(42,404) CP

```

```

        WRITE(42,405) DENS
        ENDIF
        WRITE(42,406) EM
        WRITE(42,408) REFR
        WRITE(42,409) THCK
C
C Write the type of analysis.
C
        IF (INIT.EQ.0) THEN
            WRITE(42,410)
C
C Write the data necessary for a transient analysis including the
C initial conditions.
C
        ELSE
            WRITE(42,411) TMAX,DT,THETA
            WRITE(42,412)
            IF(INIT.EQ.1) WRITE(42,413) TINIT
            IF(INIT.EQ.2) WRITE(42,416) FILE1
        ENDIF
C
C Write the boundary conditions.
C
        IF (NPDF.NE.0) THEN
            WRITE(42,417)
            DO 140 I=1,NPDF
140         WRITE(42,415) IPDF(I),VPDF(I)
        ENDIF
C
C Write the position and the magnitudes of the source irradiance
C
        WRITE(42,420)
        WRITE(42,422)
        DO 160 I = 1,NDT
160         WRITE(42,423) I,FMAG(I)
C
C Write the data for the electrical substitution heater.
C
        WRITE(42,424) LRES(1),LRES(NNB)
        WRITE(42,426)
        WRITE(42,427) E2,RH
        IF(INIT.GT.0) WRITE(42,428) E0,TAU,ALPHA,DELT
        WRITE(42,429) HWIRE
        STOP
C
C The format statements for data input follow:
C
C
201 FORMAT(A1)
202 FORMAT(20A)
203 FORMAT(3F5.2,5I5,2F10.5)
204 FORMAT(16I5)
205 FORMAT(20A4)
206 FORMAT(6D12.5)
207 FORMAT(I5,D14.5)
208 FORMAT(30A)
C
C The format statements to prompt the user for input follow:
C
C
301 FORMAT(//,10X,36('*')//,10X,'*',6X,'THERMAL ANALYSIS INPUT',
        &      6X,'*',/,10X,36('*')//,1X,'Transient or steady-state ',
        &      'analysis? (T/S)')
302 FORMAT(1X,'Zonally uniform or non-unif. initial conditions?(U/N)')

```

```

305 FORMAT(1X,'Radiometer material? (20 character limit)')
306 FORMAT(//,1X,'Material properties follow:',//,5X,
& 'Conductivity? (W/m-K)')
307 FORMAT(5X,'Specific heat? (J/kg-K)')
308 FORMAT(5X,'Density? (kg/cu meter)')
312 FORMAT(5X,'Cavity thickness? (mm)')
313 FORMAT(//,1X,'Transient analysis parameters follow:',//,
& 5X,'The maximum time limit? (sec)')
314 FORMAT(5X,'Time increment? s')
315 FORMAT(5X,'Time approximation parameter (THETA)?',//,
& 10X,'THETA = 0.00 Forward-difference scheme',//,
& 10X,'THETA = 0.50 Crank-Nicolson scheme',//,
& 10X,'THETA = 0.66 Galerkin scheme',//,
& 10X,'THETA = 1.00 Backward-difference scheme')
316 FORMAT(//,1X,'Initial conditions follow:',//)
507 FORMAT(5X,'Predominant initial FOVL temperature? (K)')
508 FORMAT(5X,'Predominant initial usub temperature? (K)')
509 FORMAT(5X,'Predominant initial lsub temperature? (K)')
510 FORMAT(5X,'Predominant initial dome temperature? (K)')
512 FORMAT(5X,'Predominant initial cavsub temperature? (K)')
513 FORMAT(5X,'Predominant initial ring temperature? (K)')

320 FORMAT(10X,'(separate each with a space)')
321 FORMAT(5X,'Temperatures of these nodes? (K)')
322 FORMAT(10X,'(give in same order and separate each with a space)')
323 FORMAT(5X,'File where initial conditions are located?',//,
& 6X,'<fn> <ft> <fm>')
324 FORMAT(1X,'Boundary conditions follow:',//,5X,'Temperature of ',
& 'the heat sink? (K)')
325 FORMAT(5X,'How many nodes with an applied temperature boundary',
& ' condition (32 Max)?',//,10X,'(Do not include nodes at ',
& ' thermal impedance base)')
326 FORMAT(5X,'Node numbers with applied temperature?')
330 FORMAT(//,1X,'Radiative environment input follows:',//,
& 5X,'Maximum magnitude of the source field? (mW)')
351 FORMAT(5X,'Maximum magnitude of the irradiance vector? (mW)')
345 FORMAT(5X,'Inter 1 if FMAG is constant, and 2 if it is sinusoidal.
&')
346 FORMAT(5X,'Time during which FMAG is on? (sec)')
353 FORMAT(5X,'Time during which VMAG is on? (sec)')
555 FORMAT(5X,'Angle of incidence w/r to aperature normal? (Deg.)')
331 FORMAT(5X,'File where the DFAC values are located?',//,5X,
& '<fn> <ft> <fm>')
332 FORMAT(5X,'Is there an irradiance vector entering the ',
& 'cavity? (Y/N)')
333 FORMAT(5X,'Aperature and cavity elements describing its',
& ' position?')
334 FORMAT(5X,'Magnitude of the irradiance vector for each time',
& ' step? mW',//,5X,I3,' values required.')
335 FORMAT(5X,'File where the DFAC values from the FOVL aperture
& are located?',//,5X,
& '<fn> <ft> <fm>')
336 FORMAT(//,1X,'Electrical substitution heater data input follows:',
& //,5X,'Initial/Steady-state heater voltage? (V)')
337 FORMAT(5X,'The resistance of the heater wire? (ohms)')
338 FORMAT(5X,'The height of heater wire on the cavity? (mm)')
339 FORMAT(5X,'The temperature-resistance constant? (1/K)')
340 FORMAT(5X,'The bridge voltage? (V)')
341 FORMAT(5X,'The circuit time constant? (sec)')
342 FORMAT(5X,'The desired temperature drop between the resistor',
& ' and the heat sink? (K)')
343 FORMAT(5X,'The lowest node number on the thermal impedance',
& ' covered by the resistor?',//,5X,
& ' the following nodes are valid choices:',//,5X,I2I5,/)

```

```

C
C The format statements for the run data record follow:
C
401 FORMAT(10X,'Number of elements in mesh ..... ',I3,/,
&      10X,'Number of nodes in mesh ..... ',I3,/)
402 FORMAT(10X,'Radiometer material: ',20A)
403 FORMAT(15X,'Conductivity ..... ',F10.5,' mW/mm-K')
404 FORMAT(15X,'Specific heat ..... ',F10.5,' mW-s/g-K')
405 FORMAT(15X,'Density ..... ',F10.5,' g/mm**3')
406 FORMAT(15X,'Emissivity ..... ',F10.5)
407 FORMAT(15X,'Absorptivity ..... ',F10.5)
408 FORMAT(15X,'Reflectivity ratio .... ',F10.5)
409 FORMAT(15X,'Thickness ..... ',F10.5,' mm')
410 FORMAT(//,10X,'Analysis: Steady-state')
411 FORMAT(//,10X,'Analysis: Transient',/,
&      15X,'Time limit ..... ',F10.5,' s',/,
&      15X,'Time increment ..... ',F10.5,' s',/,
&      15X,'Time parameter ..... ',F7.2)
412 FORMAT(//,10X,'Initial conditions:',/)
413 FORMAT(15X,'Predominant initial temperature ... ',F6.2,' K',/)
415 FORMAT(18X,I3,13X,F6.2)
416 FORMAT(15X,'Non-uniform initial temperatures from file: ',20A)
417 FORMAT(//,10X,'Boundary conditions:',/,
&      18X,'Node',10X,'Temperature K')
419 FORMAT(//,10X,'Thermal radiation neglected')
420 FORMAT(//,10X,'Radiative environment:',/)
421 FORMAT(15X,'Irradiance vector position: ',I2,' to ',I2,/)
430 FORMAT(15X,'Collimated beam angle: ',F6.2,' Deg.',/)
418 FORMAT(15X,'Collimated beam angle span: from ',F6.2,' to ',F6.2,
&      ' Deg.',/)
422 FORMAT(15X,'Time',6X,'Field',9X,'Vector',9X,/,
&      15X,'step',4X,'magnitude',6X,'magnitude',/,26X,' mW',11X,
&      ' mW ',/)
722 FORMAT(15X,'Magnitude of the collimated beam: ',F10.5,' mW/mm**2'
&      ,/)
423 FORMAT(14X,I3,5X,E10.5,5X,E10.5,5X,E10.5)
424 FORMAT(/,15X,'Thermometer location',/,
&      15X,'Thermal Impedance Nodes..... ',I3,' TO ',I3)
425 FORMAT(//,10X,'Electrical substitution heater not utilized')
426 FORMAT(//,10X,'Electrical substitution heater:')
427 FORMAT(/,15X,'Heater voltage ..... ',F7.2,' volts ',/,
&      15X,'Heater resistance ..... ',F7.2,' ohms ')
428 FORMAT(/,15X,'Bridge voltage ..... ',F7.2,' volts ',/,
&      15X,'Time constant ..... ',F7.2,' s ',/,
&      15X,'Resistance-temperature',/,
&      15X,' constant ..... ',F7.5,' 1/K ',/,
&      15X,'Temperature drop ..... ',F7.5,' K ')
429 FORMAT(/,15X,'Heater wire height ..... ',F7.2,' mm ')
453 FORMAT(5X,'Time during which SMAG is on? (sec)')
454 FORMAT(5X,'Maximum angle w/r to aperature normal? (Deg.)')
455 FORMAT(5X,'Solar port Radius ? (mm)')
456 FORMAT(5X,'Distance between Solar port and aperture planes? (mm)')
END

```

## **Appendix D**

### **Program ERBER3**

```

*****
*
*                               ERBER3 FORTRAN
*
* This FORTRAN 77 program computes the monochromatic distribution
* factor matrices for the thermal analysis program, 'ERBETA'.
* The Monochromatic distribution factor matrix calculated by
* 'ERBERT' is the necessary input file.
*
* Written by Kory J. Priestley
*
*****
C PROGRAM ERBER3
C
C This program modifies the output of erbert.f into the
C form needed by erbeta.f. (DFAC's). It also creates the
C file numb.dat
C
  IMPLICIT DOUBLE PRECISION (A-H,O-Z)
  INTEGER CH,CHANEL

  DIMENSION DFBAR(200,100,15),DFCONE(200,100,15),DFRING(200,100,15)
  DIMENSION DFSCN(1,100,15),DFOPT(200,100,15)
  DIMENSION DFDOME(200,100,15),DFCSUB(200,100,15)
  DIMENSION DFUSUB(200,100,15),DFLSUB(200,100,15)

  OPEN(7,FILE='dfacmtx.dat',status='old')
  OPEN(11,FILE='ttchannel.input',status='old')
  OPEN(12,FILE='swchannel.input',status='old')
  OPEN(16,FILE='numb.dat')
  OPEN(17,FILE='dfac.dat')
  OPEN(20,FILE='dfopt.dat')
  OPEN(21,FILE='dfscn.dat')
  OPEN(22,FILE='dfcav.dat')
  OPEN(23,FILE='dfdome.dat')
  OPEN(24,FILE='dfring.dat')
  OPEN(65,FILE='dfcsub.dat')
  OPEN(66,FILE='dfusub.dat')
  OPEN(67,FILE='dflsub.dat')
  OPEN(68,FILE='dfbar.dat')
  OPEN(69,FILE='dfcone.dat')

1  WRITE(6,*)'Which channel do you wish to model?'
  WRITE(6,*)'For total channel enter 1.'
  write(6,*)'For visible channel enter 2.'
  READ(6,*) CHANEL
  IF (CHANEL.NE.1.AND.CHANEL.NE.2) GO TO 1
  CH=CHANEL+10
  DO 10 I=1,33
    READ(CH,*)
10 CONTINUE
  READ(CH,*) NBLAT
  READ(CH,*) NBLONG
  READ(CH,*) NBLSU
  READ(CH,*) NBWLSU
  READ(CH,*) NBWASH
  READ(CH,*) NBPS
  READ(CH,*) NBSSH
  READ(CH,*) NBPO
  READ(CH,*) NBPSD
  READ(CH,*) NBPSB
  READ(CH,*) NBPSC
  READ(CH,*) NBPSR
  READ(CH,*) NBHSB

```

```

        READ(CH,*)NBHSC
        READ(CH,*)NBPSCS
        READ(CH,*)NBHSR
        READ(CH,*)
        READ(CH,*)NBWLIN
C      write(6,*)'nbwlin =',nbwlin
C
C      CREATE DATA FOR FILE NUMB.DAT
C
        NBFOVL=NBPS*NBLAT
        NBUSUB=NBPS*NBWASH
        NBLSUB=NBPS*NBWLSU
        NBCAVSUB=NBPS
        NBRING=NBPS*NBHSR
        NBDOME=NBPS*NBSH*NBCO
        NBSCENE=1
        NBBAR=NBPS*NBHSC
        NBCONE=NBPS*NBHSC
        NBCAV=NBBAR+NBCONE
        NBDUM=NBFOVL+NBUSUB+NBLSUB+NBDOME+NBSCENE
        NBDUM2=NBRING+NBCAVSUB
        write(6,*)'nbdum =',nbdum
        write(6,*)'nbdum2 =',nbdum2
        write(6,*)'nbcav =',nbcav
        write(6,*)'nbfovl =',nbfovl
        write(6,*)'nbusub =',nbusub
        write(6,*)'nblsub =',nblsub
        write(6,*)'nbdome =',nbdome
        write(6,*)'nbscene =',nbscene
C
C      INITIALIZE ALL DFACS TO ZERO
C
        CALL ZERO(DFSCN)
        CALL ZERO(DFDOME)
        CALL ZERO(DFOPT)
        CALL ZERO(DFRING)
C
C      SET UP DFSCN
C
        nn=0
        DO 20 I=1,NBSCENE
            READ(7,*)
            nn=nn+1
            DO 22 K=1,NBWLIN
                DO 30 L=1,NBDUM
                    READ(7,*)
                    nn=nn+1
30            CONTINUE
                DO 24 J=1,NBCAV
                    READ(7,*)M,N,DFSCN(I,J,K)
                    nn=nn+1
24            CONTINUE
                DO 32 L=1,NBDUM2
                    READ(7,*)
                    nn=nn+1
32            CONTINUE
22            CONTINUE
20            CONTINUE
            write(6,*)'nn',nn
C
C      SET UP DFOPT
C
        DO 40 I=1,NBFOVL,NBPS
            READ(7,*)
            nn=nn+1

```



```

DO 42 K=1,NBWLIN
  DO 50 L=1,NBDUM
    nn=nn+1
    READ(7,*)
50  CONTINUE
    DO 44 J=1,NBCAV
      nn=nn+1
      READ(7,*)M,N,DFOPT(I,J,K)
44  CONTINUE
    DO 52 L=1,NBDUM2
      nn=nn+1
      READ(7,*)
52  CONTINUE
42  CONTINUE
write(6,*)i
40  CONTINUE
CALL DFALC(NBWLIN,(NBFOVL/NBPS),NBPS,DFOPT)
write(6,*)'nn',nn
C
C SET UP DFALC
C
DO 60 I=1,NBLSUB,NBPS
  READ(7,*)
  nn=nn+1
  DO 62 K=1,NBWLIN
    DO 70 L=1,NBDUM
      nn=nn+1
      READ(7,*)
70  CONTINUE
    DO 64 J=1,NBCAV
      nn=nn+1
      READ(7,*)M,N,DFALC(I,J,K)
64  CONTINUE
    DO 72 L=1,NBDUM2
      nn=nn+1
      READ(7,*)
72  CONTINUE
62  CONTINUE
60  CONTINUE
CALL DFALC(NBWLIN,(NBLSUB/NBPS),NBPS,DFALC)
write(6,*)'nn',nn
C
C SET UP DFUSUB
C
DO 80 I=1,NBUSUB,NBPS
  READ(7,*)
  nn=nn+1
  DO 82 K=1,NBWLIN
    DO 90 L=1,NBDUM
      nn=nn+1
      READ(7,*)
90  CONTINUE
    DO 84 J=1,NBCAV
      nn=nn+1
      READ(7,*)M,N,DFUSUB(I,J,K)
84  CONTINUE
    DO 92 L=1,NBDUM2
      nn=nn+1
      READ(7,*)
92  CONTINUE
82  CONTINUE
80  CONTINUE
CALL DFALC(NBWLIN,(NBUSUB/NBPS),NBPS,DFUSUB)
write(6,*)'nn',nn

```

```

C
C SET UP DFDOME
C
  IF (CHANEL.EQ.2) THEN
    DO 100 I=1,NBDOME,NBPS
      nn=nn+1
      READ(7,*)
      DO 102 K=1,NBWLIN
        DO 110 L=1,NBDUM
          nn=nn+1
          READ(7,*)
110        CONTINUE
          DO 104 J=1,NBCAV
            nn=nn+1
            READ(7,*)M,N,DFDOME(I,J,K)
104          CONTINUE
          DO 112 L=1,NBDUM2
            nn=nn+1
            READ(7,*)
112          CONTINUE
102        CONTINUE
100      CONTINUE
    ELSE
      DO 114 I=1,NBDOME,NBPS
        DO 114 K=1,NBWLIN
          DO 114 J=1,NBCAV
            DFDOME(I,J,K)=0.0D0
114      CONTINUE
    END IF
    CALL DFCALC(NBWLIN, (NBDOME/NBPS), NBPS, DFDOME)
    write(6,*) 'nn', nn
C
C SET UP DFBAR
C
  DO 120 I=1,NBBAR,NBPS
    nn=nn+1
    READ(7,*)
    DO 122 K=1,NBWLIN
      DO 130 L=1,NBDUM
        nn=nn+1
        READ(7,*)
130      CONTINUE
      DO 124 J=1,NBCAV
        nn=nn+1
        READ(7,*)M,N,DFBAR(I,J,K)
124      CONTINUE
      DO 132 L=1,NBDUM2
        nn=nn+1
        READ(7,*)
132      CONTINUE
122      CONTINUE
120      CONTINUE
    CALL DFCALC(NBWLIN, (NBBAR/NBPS), NBPS, DFBAR)
    write(6,*) 'nn', nn
C
C SET UP DFCONE
C
  DO 125 I=1,NBCONE,NBPS
    write(6,*) 'i=', I
    nn=nn+1
    READ(7,*)
    DO 126 K=1,NBWLIN
      DO 128 L=1,NBDUM
        nn=nn+1
        READ(7,*)

```

```

128     CONTINUE
      DO 127 J=1,NBCAV
        nn=nn+1
        READ(7,*)M,N,DFCONE(I,J,K)
127     CONTINUE
      DO 129 L=1,NBDUM2
        nn=nn+1
        READ(7,*)
129     CONTINUE
126     CONTINUE
125     CONTINUE
      NNN=6
      CALL DFCALC(NBWLIN,NNN,NBPS,DFCONE)
C
C   SET UP DFCSUB
C
      DO 140 I=1,NBCAVSUB,NBPS
        nn=nn+1
        READ(7,*)
      DO 142 K=1,NBWLIN
        DO 150 L=1,NBDUM
          nn=nn+1
          READ(7,*)
150     CONTINUE
        DO 144 J=1,NBCAV
          nn=nn+1
          READ(7,*)M,N,DFCSUB(I,J,K)
144     CONTINUE
        DO 152 L=1,NBDUM2
          nn=nn+1
          READ(7,*)
152     CONTINUE
142     CONTINUE
140     CONTINUE
      CALL DFCALC(NBWLIN,(NBCAVSUB/NBPS),NBPS,DFCSUB)
      write(6,*)'nn',nn
C
C   SET UP DFRING
C
      IF (CHANEL.EQ.1) THEN
        DO 160 I=1,NBRING,NBPS
          nn=nn+1
          READ(7,*)
          DO 162 K=1,NBWLIN
            DO 170 L=1,NBDUM
              nn=nn+1
              READ(7,*)
170     CONTINUE
            DO 164 J=1,NBCAV
              nn=nn+1
              READ(7,*)M,N,DFRING(I,J,K)
164     CONTINUE
            DO 172 L=1,NBDUM2
              nn=nn+1
              READ(7,*)
172     CONTINUE
162     CONTINUE
160     CONTINUE
          ELSE
            DO 174 I=1,NBRING,NBPS
              DO 174 K=1,NBWLIN
                DO 174 J=1,NBCAV
                  DFRING(I,J,K)=0.0D0
174     CONTINUE
          END IF

```

```

        CALL DFCALC(NBWLIN, (NBRING/NBPS), NBPS, DFRING)
        write(6, *) 'nn', nn
C
C WRITE OUTPUT TO PROPER FILES FOR ERBETA.F
C
C
C FIRST CREATE NUMB.DAT
C
        WRITE(16, *) NBFOVL
        WRITE(16, *) NBUSUB
        WRITE(16, *) NBLSUB
        WRITE(16, *) NBCAVSUB
        WRITE(16, *) NBRING
        WRITE(16, *) NBDOME
        WRITE(16, *) NBSCENE
        WRITE(16, *) NBBAR
        WRITE(16, *) NBCONE
C
C CREATE DFSCN.DAT
C
        DO 180 I=1, NBSCENE
        DO 180 K=1, NBWLIN
        DO 180 J=1, NBCAV
            WRITE(21, *) DFSCN(I, J, K)
180 CONTINUE
C
C CREATE DFOPT.DAT
C
        DO 190 I=1, NBFOVL
        DO 190 K=1, NBWLIN
        DO 190 J=1, NBCAV
            WRITE(20, *) DFOPT(I, J, K)
190 CONTINUE
C
C CREATE DFDOME.DAT
C
        DO 200 I=1, NBDOME
        DO 200 K=1, NBWLIN
        DO 200 J=1, NBCAV
            WRITE(23, *) DFDOME(I, J, K)
200 CONTINUE
C
C CREATE DFRING.DAT
C
        DO 210 I=1, NBRING
        DO 210 K=1, NBWLIN
        DO 210 J=1, NBCAV
            WRITE(24, *) DFRING(I, J, K)
210 CONTINUE
C
C CREATE DFBAR.DAT
C
        DO 220 I=1, NBBAR
        DO 220 K=1, NBWLIN
        DO 220 J=1, NBCAV
            WRITE(68, *) DFBAR(I, J, K)
220 CONTINUE
C
C CREATE DFCONE.DAT
C
        DO 225 I=1, NBCONE
        DO 225 K=1, NBWLIN
        DO 225 J=1, NBCAV
            WRITE(69, *) DFCONE(I, J, K)

```

```

225 CONTINUE

C
C CREATE DFCSUB.DAT
C
    DO 230 I=1,NBCAVSUB
    DO 230 K=1,NBWLIN
    DO 230 J=1,NBCAV
        WRITE (65,*)DFCSUB(I,J,K)
230 CONTINUE

C
C CREATE DFUSUB.DAT
C
    DO 240 I=1,NBUSUB
    DO 240 K=1,NBWLIN
    DO 240 J=1,NBCAV
        WRITE (66,*)DFUSUB(I,J,K)
240 CONTINUE

C
C CREATE DFLSUB.DAT
C
    DO 250 I=1,NBLSUB
    DO 250 K=1,NBWLIN
    DO 250 J=1,NBCAV
        WRITE (67,*)DFLSUB(I,J,K)
250 CONTINUE
    END
*****
*
*
*
*****
    SUBROUTINE ZERO (DF)

    REAL*8 DF
    INTEGER I,J,K
    DIMENSION DF(200,100,15)

    DO 10 K=1,15
    DO 10 I=1,200
    DO 10 J=1,100
        DF(I,J,K)=0.0D0
    10 CONTINUE
    END
*****
*
*
*
*****
    SUBROUTINE DFCALC(NBWLIN,NBHS,NBPS,DFAC)

    REAL*8 DFAC
    INTEGER NBWLIN,NBHS,NBPS
    INTEGER I,J,K,I1,I2,I3,LL
    DIMENSION DFAC(200,100,15)
    write(17,*)nbhs

C
C Create three dimensional DFAC matrix
C
    DO 250 K=1,NBWLIN
    DO 120 I1=1,NBHS
        write(17,*)i1
    DO 130 J=1,NBPS
    DO 130 I2=1,10
        DFAC((I1-1)*NBPS+J,(I2-1)*NBPS+J,K) =
&          DFAC((I1-1)*NBPS+1,(I2-1)*NBPS+1,K)

```

```

130     CONTINUE
      DO 140 LL=1,NBPS-1
        DO 150 J=1,NBPS-LL
          DO 150 I2=1,10
            DFAC((I1-1)*NBPS+J,(I2-1)*NBPS+J+LL,K) =
&          DFAC((I1-1)*NBPS+1,(I2-1)*NBPS+1+LL,K)
150     CONTINUE
        I3=0
        DO 160 J=NBPS-LL+1,NBPS
          I3=I3+1
          DO 160 I2=1,10
            DFAC((I1-1)*NBPS+J,(I2-1)*NBPS+I3,K) =
&            DFAC((I1-1)*NBPS+1,(I2-1)*NBPS+1+LL,K)
160     CONTINUE
140     CONTINUE
120     CONTINUE
250 CONTINUE
c      DO 1 I=1,NBHS*NBPS
c      DO 1 K=1,NBWLIN
c      DO 1 J=1,100
c      WRITE(17,*)'I, J, K, DFAC(I,J,K)',I,J,K,DFAC(I,J,K)
c 1 CONTINUE
      END

```

# **Appendix E**

## **Program ERBER4**

```

*****
*
*                               ERBER4 FORTRAN                               *
*
* This FORTRAN 77 program sets up the temperature distribution            *
* files needed by 'ERBETA'. The user is prompted for all necessary      *
* information.                                                            *
*
* Written by Kory J. Priestley                                           *
*
*****
      IMPLICIT DOUBLE PRECISION(A-L,O-Z)

      OPEN(29,FILE='tfovl.dat')
      OPEN(30,FILE='tusub.dat')
      OPEN(31,FILE='tsub.dat')
      OPEN(32,FILE='tdome.dat')
      OPEN(33,FILE='tring.dat')
      OPEN(34,FILE='tcavsub.dat')
      OPEN(35,FILE='tcav.dat')
      OPEN(36,FILE='tscn.dat')
      OPEN(3,FILE='source.dat')

      WRITE(6,*)'Number of rows needed in files?'
      READ(6,*)NROW
      NROW=60
      WRITE(6,*)'Flux from shortwave source?'
      READ(6,*)SWFLUX
      SWFLUX=0.0D0
      WRITE(6,*)'Temperature of shortwave source?'
      READ(6,*)SWTEMP
      SWTEMP=5780.D0
      WRITE(6,*)'Flux from longwave source?'
      READ(6,*)LWFLUX
      WRITE(6,*)'Temperature of longwave source?'
      READ(6,*)LWTEMP
      WRITE(6,*)'Temperature of the FOVL?'
      READ(6,*)TFOVL
      WRITE(6,*)'Temperature of the USUB?'
      READ(6,*)TUSUB
      TUSUB=TFOVL
      WRITE(6,*)'Temperature of the LSUB?'
      READ(6,*)TLSUB
      WRITE(6,*)'Temperature of the primary aperture?'
      READ(6,*)TAPER
      TLSUB=TAPER
      TCAVSUB=TAPER
      WRITE(6,*)'Temperature of the CAVSUB?'
      READ(6,*)TCAVSUB
      WRITE(6,*)'Temperature of the RING?'
      READ(6,*)TRING
      TRING=TFOVL
      WRITE(6,*)'Temperature of the DOME?'
      READ(6,*)TDOME
      TDOME=0.0D0
      WRITE(6,*)'Temperature of the cavity?'
      READ(6,*)TCAV
      TCAV=308.0D0

      DO 10 N=1,NROW
        WRITE(3,*)SWFLUX,LWFLUX
        WRITE(29,*)TFOVL
        WRITE(30,*)TUSUB
        WRITE(31,*)TLSUB

```



```
WRITE(32,*) TDOME
WRITE(33,*) TRING
WRITE(34,*) TCAVSUB
WRITE(35,*) TCAV
WRITE(36,*) SWTEMP, LWTEMP
10 CONTINUE
END
```

## **Appendix F**

### **Program ERBEMESH**

\*\*\*\*\*  
 \*  
 \* ERBEMSH FORTRAN  
 \*

\* This FORTRAN 77 program generates three-dimensional mesh  
 \* geometry data required for 'MOVIE.BYU' and two-dimensional mesh  
 \* geometry data required for 'ERBETA FORTRAN'. The global node  
 \* coordinates, connectivity array and parts array for a three-  
 \* dimensional mesh are determined for 'MOVIE.BYU', and the local  
 \* node coordinates and connectivity array for a two-dimensional  
 \* mesh are determined for 'ERBETA FORTRAN'.  
 \*

\* Written by Nour E. Tira, and modified by Kory J. Priestley  
 \*

\*\*\*\*\*  
 \*  
 \* Nomenclature  
 \*

- \* ATIP ..... Area of the truncated tip of the cone. \*
- \* DIM(I) ..... Radiometer part dimension. Dimensioned 4. \*
- \* I = 1 cone height \*
- \* I = 2 cylinder height \*
- \* I = 3 radial width of ring (RO - RI) \*
- \* I = 4 thermal impedance length. \*
- \* DM(J) ..... The element dimensions along DIM(I), for \*
- \* 0 < I < 4. Dimensioned two times the sum \*
- \* of MDIV(I), for I = 1 to 4. \*
- \* DN(I) ..... The element dimensions over the leg width. \*
- \* Dimensioned two times MDIV(4). \*
- \* H0 ..... The cone tip height. \*
- \* JP(I) ..... Connectivity array of the three-dimensional mesh \*
- \* for 'MOVIE.BYU'. Dimensioned NEDGE. \*
- \* K1 ..... The last node level in the cone mesh. \*
- \* K2 ..... The last node level in the cavity mesh. \*
- \* K3 ..... The last node level in the ring mesh. \*
- \* K4 ..... Number of node levels in the entire model. \*
- \* MDIV(I) .... Number of element divisions along DIM(I). \*
- \* Dimensioned 4. \*
- \* NECN ..... Number of elements in the cone mesh. \*
- \* NECY ..... Number of elements in the cylinder mesh. \*
- \* NEDGE ..... Number of element edges in the three-dimensional \*
- \* mesh. \*
- \* NEM ..... Total number of elements in the mesh. \*
- \* NERG ..... Number of elements in the ring mesh. \*
- \* NETI ..... Number of elements in the thermal impedance. \*
- \* NNB ..... Number of nodes at the thermal impedance base, \*
- \* used as heat sink boundary conditions nodes \*
- \* NNM ..... Total number of global nodes in the mesh. \*
- \* NRT ..... First node of each node level on the thermal \*
- \* impedance, used to select the position of the \*
- \* resistance thermometer. \*
- \* NOD(N,J) ... Global node number corresponding to local node J \*
- \* of element N (connectivity array) of the \*
- \* two-dimensional mesh. Dimensioned NEM by 9. \*
- \* NP ..... Number of parts in the three-dimensional mesh. \*
- \* NPL(I,J) ... The lower (I = 1) and upper (I = 2) limits on the \*
- \* element numbers in radiometer part J. Dimensioned \*
- \* 2 by NP. \*
- \* J = 1 cone \*
- \* J = 2 cylinder \*
- \* J = 3 ring \*
- \* J = 4 Thermal impedance \*
- \* NUNIF(I) ... Mesh uniformity flag for DIM(I). If its \*

```

*           value is zero, then elements along dimension I           *
*           are spaced unequally and the element dimensions         *
*           must be input by the user.  If its value is one,       *
*           then elements along dimension I are equally             *
*           spaced and the element dimensions are calculated        *
*           by the mesh generator.  Dimensioned 6.                 *
*   N1 ..... The number of elements around the circumference      *
*           of the radiometer cavity.                               *
*   RI ..... The inside radius of the ring (cavity radius).       *
*   RO ..... The outside radius of the ring.                       *
*   RT ..... The cone tip radius.                                   *
*   X(J) ..... X-coordinate of global node J.  Dimensioned NNM.   *
*   XT(N,J) .... X-coordinate of local node J of element N of the *
*           two-dimensional finite element mesh.  Dimensioned     *
*           NEM by 9.                                               *
*   Y(J) ..... Y-coordinate of global node J.  Dimensioned NNM.   *
*   YT(N,J) .... Y-coordinate of local node J of element N of the *
*           two-dimensional finite element mesh.  Dimensioned     *
*           NEM by 9.                                               *
*   Z(J) ..... Z-coordinate of global node J.  Dimensioned NNM.   *
*                                                                 *
*****
C
C Request double precision real variables.
C
C   IMPLICIT REAL*8 (A-H,O-Z)
C
C Dimension the arrays and place variables used by the subroutines
C in common storage blocks.
C
C   COMMON /BLOCK1/ DIM(4),X(2000),Y(2000),Z(2000),
C   &           DM(100),RI,RO,RT
C   COMMON /BLOCK2/ N1,MDIV(4),K1,K2,K3,K4,NOD(900,9),
C   &           NECN,NECY,NERG,NETI
C   DIMENSION XT(400,9), YT(400,9)
C   DIMENSION NUNIF(4), JP(5000), NPL(3,4)
C
C Open all necessary input and output files.
C
C   OPEN(1,FILE='msh.dat',status='old')
C   OPEN(4,FILE='mesh.dat')
C   OPEN(5,FILE='nodes.dat')
C
C Set the logical unit numbers for I/O files and set the value of pi.
C
C   PI = 3.141592654D0
C
C Read the radiometer dimensions, mesh discretization data and the
C mesh uniformity flags,
C
C   READ(1,3) DIM(1),DIM(2),RI,RO,DIM(4),RT,H0
C   READ(1,1) N1,(MDIV(I),I=1,4)
C   READ(1,1) (NUNIF(I),I=1,4)
C
C then determine the radial width of the ring.
C
C   DIM(3) = RO - RI
C
C Examine each uniformity flag to determine if any part of the mesh
C is non-uniform.  Run a DO-loop over the number of dimensions.
C
C   M = 0
C   DO 40 I = 1,4
C
C Determine the lower and upper bounds on the subscripts of DM(J)

```

```

C   for the dimension in question.
C
      N = M + 1
      M = M + (2*MDIV(I))
C
C   If the mesh is non-uniform along dimension I, read the element
C   dimensions for all DIM(I) except the leg width.
C
      IF(NUNIF(I).EQ.0) THEN
          READ(1,3) (DM(J),J=N,M)
C
C   If the mesh is uniform along dimension I, then determine the element
C   dimensions.
C
      ELSE
          DO 30 J = N,M
          30      DM(J) = DIM(I)/(M - N + 1)
          ENDIF
          40 CONTINUE
C
C   Generate the three-dimensional nodal coordinates for 'MOVIE.BYU'.
C   First, determine the number of node levels in the cavity and ring
C   meshes.
C
      K1 = 1 + (MDIV(1)*2)
      K2 = K1 + (MDIV(2)*2)
      K3 = K2 + (MDIV(3)*2)
      K4 = K3 + (MDIV(4)*2)
C   Find the last node number, i.e. The total number of elements.
      NNM = 2*N1*K4
C
C   Calculate the three-dimensional nodal coordinates of the model.
C
      CALL MSHCOR (X1,Y1,Z1)
C
C
C   Determine the number of elements in each part of the radiometer mesh
C   and the total number of elements in the mesh.
C
      NECN = MDIV(1)*N1
      NECY = MDIV(2)*N1
      NERG = MDIV(3)*N1
      NETI = MDIV(4)*N1
      NEM = NECN + NECY + NERG + NETI
C
C
      CALL CUNECT (LGNODE, KK, JJ)
C
C   Determine the connectivity array for the three-dimensional mesh
C   needed for 'MOVIE.BYU' from the two-dimensional connectivity array.
C
      K = 0
      DO 80 I = 1, NEM
      N = 8
      DO 70 J = 1, N
      K = K + 1
      JP(K) = NOD(I, J)
      IF(J.EQ.N) JP(K) = -NOD(I, J)
      70 CONTINUE
      80 CONTINUE
C
C   Determine the parts array for 'MOVIE.BYU'. There are four parts in
C   the model.
C
      NP = 4

```

```

      NPL(1,1) = 1
      NPL(2,1) = NECN
      NPL(1,2) = NECN + 1
      NPL(2,2) = NECN + NECY
      NPL(1,3) = NECN + NECY + 1
      NPL(2,3) = NECN + NECY + NERG
      NPL(1,4) = NECN + NECY + NERG + 1
      NPL(2,4) = NECN + NECY + NERG + NETI
C
C Determine the number of edges in the model for 'MOVIE.BYU'.
C Each quadrilateral element has eight edges.
C
      NEDGE = 0
      DO 90 I = 1,NEM
100 NEDGE = NEDGE + 8
C
C Calculate the two-dimensional local node coordinates for the finite
C element mesh.
C
      CALL TWODIM (XT,YT)
C
C Determine the nodes at the base of the thermal impedance,
C and write them to the data file.
C
      NNB = 2*N1
      WRITE(5,1) NNB
      DO 100 I = 1,NNB
      NBTI = NNM - NNB + I
100 WRITE(5,1) NBTI
C
C Determine the nodes along the thermal impedance, used to select
C the position of the resistance thermometer, and write them to
C the data file.
C
      N = MDIV(4)*2
      WRITE(5,1) N
      NRT = NNM - 2*N1 + 1
      DO 110 I = 1,N
      NRT = NRT - 2*N1
110 WRITE(5,1) NRT
C
C Write the mesh geometry data file for 'ERBETA FORTRAN'.
C
      WRITE(4,1) NEM,NNM, (MDIV(I),I=1,4),N1
      WRITE(4,3) (DIM(I),I = 1,4),RI,RO,RT,H0
      WRITE(4,3) (DM(I),I=1, (MDIV(1)+MDIV(2)+MDIV(3)+MDIV(4))*2)
      DO 120 I=1,NEM
120 WRITE(4,1) (NOD(I,J),J=1,9)
      DO 130 I=1,NEM
      WRITE(4,3) (XT(I,J),YT(I,J),J=1,9)
130 CONTINUE
      STOP
C
C The format statements follow:
C
      1 FORMAT(16I5)
      2 FORMAT(6E12.5)
      3 FORMAT(6D12.5)
      4 FORMAT(1I5,1X,6D12.5)
      END
*****
*
*                               SUBROUTINE MSHCOR                               *
*
* This subroutine is called by the main program to determine *

```

```

*   the three-dimensional coordinates of the nodes of the entire   *
*   mesh.                                                            *
*   *   *   *   *   *   *   *   *   *   *   *   *   *   *   *   *
*****
*
*                               Nomenclature
*
*
*   A ..... Depth of the node level below the aperature.
*   DIM(I) ..... Radiometer part dimension. Dimensioned 6.
*               I = 1   cone height
*               I = 2   cylinder height
*               I = 3   radial width of ring (RO - RI)
*               I = 4   thermal impedance length.
*   DM(J) ..... The element dimensions along DIM(I), for
*               I = 1 to 4. Dimensioned two times the sum
*               of MDIV(I), for I = 1 to 4.
*   DTHETA ..... The angle between nodes on a common level.
*   I ..... The node level.
*   K1 ..... Number of node levels in the cone mesh.
*   K2 ..... Number of node levels in the cavity mesh.
*   K3 ..... Number of node levels in the cavity plus ring mesh.
*   K4 ..... Number of node levels in the entire mesh.
*   M ..... Upper limit on the node numbers of node level I.
*   N ..... Lower limit on the node numbers of node level I.
*   N1 ..... The number of elements around the circumference
*             of the radiometer cavity.
*   PI ..... Mathematical constant.
*   R ..... Radius of the node level.
*   RI ..... The inside radius of the ring (cavity radius).
*   RT ..... The cone tip radius.
*   THETA ..... The nodal angle measured counter-clockwise from
*              the positive x-axis.
*   X(J) ..... X-coordinate of global node J. Dimensioned NNM.
*   Y(J) ..... Y-coordinate of global node J. Dimensioned NNM.
*   Z(J) ..... Z-coordinate of global node J. Dimensioned NNM.
*   *   *   *   *   *   *   *   *   *   *   *   *   *   *   *
*****
      SUBROUTINE MSHCOR (X1,Y1,Z1)
C
C   Request double precision real variables and place variables used by
C   the subroutine in common storage blocks.
C
      IMPLICIT REAL*8 (A-H,O-Z)
      COMMON /BLOCK1/ DIM(4),X(2000),Y(2000),Z(2000),
      &          DM(100),RI,RO,RT
      COMMON /BLOCK2/ N1,MDIV(4),K1,K2,K3,K4,NOD(900,9),
      &          NECN,NECY,NERG,NETI
C
C   Define the mathematical constant pi, and initialize the depth of the
C   cavity.
C
      PI = 3.141592654D0
      A = DIM(1) + DIM(2)
      RR = DSQRT(RI**2+DIM(1)**2)
C
C   Run a DO-loop over the number of node levels in the cavity. The
C   lower and upper limits on the node numbers of the node level in
C   question are determined on each loop.
C
      M = 0
      DO 20 I = 1,K4
      N = M + 1
      M = N + (2*N1) - 1
C

```

```

C Determine the radius of each node level on the cone.
C At the tip, the radius is RT.
C
  IF(I.EQ.1) R = RT
C
  IF(I.LT.K1.AND.I.GT.1) R = R + ((RI-RT)*DM(I-1)/DIM(1))
C
C For all node levels in the cylinder, the radius is RI.
C
  IF(I.GE.K1.AND.I.LE.K2) R = RI
C
C Determine the radius of each node level on the ring.
C
  IF(I.GT.K2.AND.I.LT.K3) R = R + DM(I)
C
C For all node levels on the thermal impedance, the radius is RO.
C
  IF(I.GE.K3) R = RO
C Determine the angle between two consecutive nodes, and initialize
C the angle of the first node.
C
  DTHETA = PI*2.0D0/(M - N + 1)
  THETA = PI + DTHETA
C
C Run a DO-loop over the node numbers of the level in question.
C
  DO 10 J = N,M
C
C Calculate the coordinates of node J on node level I, then increment
C the node angle.
C
  X(J) = R*DCOS(THETA)
  Y(J) = R*DSIN(THETA)
  Z(J) = A
  THETA = THETA - DTHETA
10 CONTINUE
C
C Increment the depth of the node level. "A" at cone tip, zero on the
C upper edge of the cylinder, and DIM(5) at bottom of the thermal
C impedance.
C
  IF(I.LT.K2) A = A - DM(I)
  IF(I.GE.K2.AND.I.LT.K3) A = 0.0D0
  IF(I.GE.K3) A = A + DM(I)
20 CONTINUE
C
C Return to the main program.
C
  RETURN
  END
C
C
*****
*
*           SUBROUTINE CUNECT
*
*   THIS SUBROUTINE IS CALLED BY THE MAIN PROGRAM TO CALCULATE
*   THE CONNECTIVITY ARRAY FOR THE FINITE ELEMENT MESH.
*
*****
*
*           NOMENCLATURE
*
*   I ..... NODE WHICH DEFINES ONE ENDPOINT OF THE LINE NEEDED
*           to determine the coordinates of node NC.
*

```



```

*   K ..... Element level.
*   NB ..... Node which defines one endpoint of the line needed
*           to determine the coordinates of node NC.
*   NC ..... Node which lies at the intersection of a circle of
*           radius R and the line defined by nodes NA and NB.
*   NERG ..... Number of elements in the ring mesh.
*   PI ..... Mathematical constant.
*   R1 ..... Radius of the I-2 node level.
*   R ..... Radius of the I-th node level.
*   RI ..... The inside radius of the ring (cavity radius).
*   RO ..... The outside radius of the ring.
*   RR ..... Radius of the I-1 node level.
*   THETA ..... The nodal angle measured counter-clockwise from
*           the positive x-axis.
*   X(J) ..... X-coordinate of global node J. Dimensioned NNM.
*   Y(J) ..... Y-coordinate of global node J. Dimensioned NNM.
*   Z(J) ..... Z-coordinate of global node J. Dimensioned NNM.

```

```

*****

```

```

C
C   SUBROUTINE CUNECT (LGNODE, KK, JJ)

```

```

C   Request double precision real variables and place variables used
C   by the subroutine in common storage blocks.

```

```

C
C   IMPLICIT REAL*8 (A-H,O-Z)
C   COMMON /BLOCK1/ DIM(4),X(2000),Y(2000),Z(2000),
C   &          DM(100),RI,RO,RT
C   COMMON /BLOCK2/ N1,MDIV(4),K1,K2,K3,K4,NOD(900,9),
C   &          NECN,NECY,NERG,NETI

```

```

C
C   Determine the terms of the connectivity array for the model.

```

```

C
C   K = MDIV(1) + MDIV(2) + MDIV(3) + MDIV(4)
C   DO 30 N = 1,K
C     DO 20 I = ((N1*(N-1)+1)), (N*N1)
C       NOD(I,1) = 2*I-1
C       IF(N.EQ.1) GO TO 39
C       NOD(I,1) = NOD(I-N1,7)
39    NOD(I,2) = NOD(I,1) + 1
C       NOD(I,3) = NOD(I,1) + 2
C       NOD(I,8) = NOD(I,1) + 2*N1
C       NOD(I,9) = NOD(I,8) + 1
C       NOD(I,4) = NOD(I,8) + 2
C       NOD(I,7) = NOD(I,1) + 4*N1
C       NOD(I,6) = NOD(I,7) + 1
20    NOD(I,5) = NOD(I,7) + 2
C       NOD(I-1,3) = NOD((N1*(N-1))+1,1)
C       NOD(I-1,4) = NOD((N1*(N-1))+1,8)
C       NOD(I-1,5) = NOD((N1*(N-1))+1,7)
30    CONTINUE
C   RETURN
C   END

```

```

*****

```

```

*
*   SUBROUTINE TWODIM
*

```

```

*   This subroutine is called by the main program to calculate
*   the two-dimensional local node coordinates of the finite element
*   mesh. Only the relative positions of the nodes of an element
*   need be calculated as defined by 'ERBETA'.

```

```

*   The cone and cylinder are each cut between the first and
*   last elements on the same element level and laid flat in an
*   xy-plane to produce two-dimensional surfaces. The local node

```

```

* coordinates of the first element on each level of the cavity can *
* then be calculated and repeated for each element of that level *
* due to the radial symmetry of the cavity. *
*

```

```

*****

```

```

*
*                               NOMENCLATURE
*

```

```

* DIM(I) ..... Radiometer part dimension. Dimensioned 6. *
*               I = 1   cone height *
*               I = 2   cylinder height *
*               I = 3   radial width of ring (RO - RI) *
*               I = 4   cylinder leg length *
* DTHETA ..... The angle between nodes on a common level. *
* DR(I) ..... The radius of the I-th cone node level. *
*               Dimensioned 2*MDIV(1). *
* ELX(I,J) ... The x-coordinate of local node I of the first *
*               element (J) of a level. Dimensioned *
*               9 by MDIV(1)+MDIV(2). *
* ELY(I,J) ... The y-coordinate of local node I of the first *
*               element (J) of a level. Dimensioned *
*               9 by MDIV(1)+MDIV(2). *
* MDIV(I) .... Number of element divisions along DIM(I). *
*               DIMENSIONED 4. *
* NECN ..... Number of elements in the cone mesh. *
* NECY ..... Number of elements in the cylinder mesh. *
* NI ..... Global node number. *
* NOD(N,J) ... Global node number corresponding to local node J *
*               of element N (connectivity array) of the *
*               two-dimensional mesh. Dimensioned NEM by 9. *
* NPE ..... Number of local nodes in an element. *
* N1 ..... The number of elements around the circumference *
*               of the radiometer cavity. *
* PI ..... Mathematical constant. *
* RI ..... The inside radius of the ring (cavity radius). *
* RT ..... The cone tip radius. *
* THETA ..... The nodal angle measured counter-clockwise from *
*               the positive x-axis. *
* X(J) ..... X-coordinate of global node J. Dimensioned NNM. *
* XT(N,J) .... X-coordinate of local node J of element N of the *
*               two-dimensional finite element mesh. Dimensioned *
*               NEM by 9. *
* Y(J) ..... Y-coordinate of global node J. Dimensioned NNM. *
* YT(N,J) .... Y-coordinate of local node J of element N of the *
*               two-dimensional finite element mesh. Dimensioned *
*               NEM by 9. *
* Z(J) ..... Z-coordinate of global node J. Dimensioned NNM. *

```

```

*****

```

```

SUBROUTINE TWODIM (XT,YT)
C
C Request double precision real variables, place variables used
C by the subroutine in common storage blocks and dimension the arrays.
C
  IMPLICIT REAL*8 (A-H,O-Z)
  COMMON /BLOCK1/ DIM(4),X(2000),Y(2000),Z(2000),
&          DM(100),RI,RO,RT
  COMMON /BLOCK2/ N1,MDIV(4),K1,K2,K3,K4,NOD(900,9),
&          NECN,NECY,NERG,NETI
  DIMENSION XT(400,9),YT(400,9)
  DIMENSION ELX(9,20),ELY(9,20),DR(20)

```

```

C
C Define the mathematical constant pi, and determine the radius of the
C sector of a circle created by the two-dimensional cone surface.

```

```

C
  PI = 3.141592654D0
  RR = DSQRT((RI**2) + (DIM(1)+H0)**2)
C
C Determine the angle between the nodes on the second node level and
C the radial distance between node levels.
C
  DTHETA = (RI*PI)/(RR*N1)
  SUM = 0.0D0
  DO 10 I = 1,2*MDIV(1)
    SUM = SUM + DM(I)
  10 DR(I) = SUM*RR/DIM(1)
C
C INITIALIZE THE NODE ANGLE AND THE COORDINATES OF NODE 1.
C If there is more than one division along the cone height, then
C determine the local coordinates of the nodes of the first
C quadrilateral element on each remaining level of the cone.
C A DO-loop is run over the number of remaining element levels
C of the cone, and the angle and radius of the first local node
C are defined on each loop.
C
  DO 60 J = 1,MDIV(1)
    THETA = PI/2.0D0
    IF(J.EQ.1) GO TO 11
    RAD = DR(2*J-2)
    GO TO 12
  11 RAD = RT*(RR/RI)
C
C Determine the coordinates of the first three local nodes,
C
  12 DO 30 I = 1,3
    ELX(I,J) = RAD*DCOS(THETA)
    ELY(I,J) = RAD*DSIN(THETA)
  30 THETA = THETA - DTHETA
C
C the fourth local node,
C
  RAD = DR(2*J-1)
  THETA = (PI/2.0D0) - 2.0D0*DTHETA
  ELX(4,J) = RAD*DCOS(THETA)
  ELY(4,J) = RAD*DSIN(THETA)
C
C the fifth through seventh local nodes,
C
  RAD = DR(2*J)
  DO 40 I = 5,7
    ELX(I,J) = RAD*DCOS(THETA)
    ELY(I,J) = RAD*DSIN(THETA)
  40 THETA = THETA + DTHETA
C
C and the eighth and ninth local nodes.
C
  THETA = PI/2.0D0
  RAD = DR(2*J-1)
  DO 50 I = 8,9
    ELX(I,J) = RAD*DCOS(THETA)
    ELY(I,J) = RAD*DSIN(THETA)
  50 THETA = THETA - DTHETA
  60 CONTINUE
C
C The coordinates of the local nodes of the first element on each
C level of the cylinder are calculated by running a DO-loop over the
C number of element levels in the cylinder. The distance between
C nodes on a common level is determined first.
C

```

```

      DC1 = (RI*PI)/N1
      L1 = MDIV(1) + 1
      DO 70 J = L1,MDIV(2)+MDIV(1)
C
C   Calculate the coordinates of all nine nodes of the element.
C
      ELX(1,J) = 0.0D0
      ELX(2,J) = DC1
      ELX(3,J) = 2.0D0*DC1
      ELX(4,J) = 2.0D0*DC1
      ELX(5,J) = 2.0D0*DC1
      ELX(6,J) = DC1
      ELX(7,J) = 0.0D0
      ELX(8,J) = 0.0D0
      ELX(9,J) = DC1
      ELY(1,J) = 0.0D0
      ELY(2,J) = 0.0D0
      ELY(3,J) = 0.0D0
      ELY(4,J) = DM(2*MDIV(1)+1)
      ELY(5,J) = 2.0D0*ELY(4,J)
      ELY(6,J) = ELY(5,J)
      ELY(7,J) = ELY(5,J)
      ELY(8,J) = ELY(4,J)
      ELY(9,J) = ELY(4,J)
70 CONTINUE
C
      DC2 = (RO*PI)/N1
      L2 = MDIV(1) + MDIV(2) + MDIV(3) + 1
      DO 71 J = L2, (L2 + MDIV(4) - 1)
      ELX(1,J) = 0.0D0
      ELX(2,J) = DC2
      ELX(3,J) = 2.0D0*DC2
      ELX(4,J) = ELX(3,J)
      ELX(5,J) = ELX(3,J)
      ELX(6,J) = DC2
      ELX(7,J) = 0.0D0
      ELX(8,J) = 0.0D0
      ELX(9,J) = DC2
      ELY(1,J) = 0.0D0
      ELY(2,J) = 0.0D0
      ELY(3,J) = 0.0D0
      ELY(4,J) = DM(2*L2-1)
      ELY(5,J) = 2.0D0*ELY(4,J)
      ELY(6,J) = ELY(5,J)
      ELY(7,J) = ELY(5,J)
      ELY(8,J) = ELY(4,J)
      ELY(9,J) = ELY(4,J)
71 CONTINUE
C
C   Now that the local node coordinates of the first element on each
C   level of the cavity are known, determine the local coordinates
C   of all the element nodes in the cavity. DO-loops are run over the
C   number of element levels and the element numbers of the level.
C
      N = 1
      M = N1
      DO 100 J = 1,MDIV(1)+MDIV(2)
      DO 90 I = N,M
C
C   Determine the number of nodes in the element, then loop over each of
C   these nodes to determine the nodal coordinates of the element.
C
      NPE = 9
      DO 80 K = 1,NPE
      XT(I,K) = ELX(K,J)

```

```

      YT(I,K) = ELY(K,J)
      80 CONTINUE
      90 CONTINUE
C
C Increment the element numbers for the next level.
C
      N = M + 1
      M = M + N1
      100 CONTINUE
C
C The local coordinates of the nodes of the ring and thermal impedance
C can be found by using the three-dimensional coordinates and the
C connectivity array.
C Initialize the element limits as the element numbers in the ring,
C and then run a DO-loop over the two pieces.
C
      L3 = L2 + MDIV(4) - 1
      N = (L2-1)*N1 + 1
      M = N + N1 - 1
      DO 101 J = L2,L3
        KI = 1
        DC = 0
        DO 91 I = N,M
          DO 81 K = 1,9
            XT(I,K) = ELX(K,J) + 2*DC
            YT(I,K) = ELY(K,J)
          81 CONTINUE
          DC = KI*DC2
          KI = KI + 1
        91 CONTINUE
        DO 82 K = 1,9
          82 ELY(K,J+1) = YT(I-1,K) + 2*DM(2*L2-1)
C
C Increment the element number for the next level.
C
      N = M + 1
      M = M + N1
      101 CONTINUE
      N = NECN + NECY + 1
      M = N - 1 + NERG
      DO 120 I = N,M
        DO 110 J = 1,9
          NI = NOD(I,J)
          XT(I,J) = X(NI) + RI
          YT(I,J) = Y(NI) + RI
        110 CONTINUE
      120 CONTINUE
      RETURN
      END

```

## **Appendix G**

### **Program ERBETA**

```

*****
*
*
*           ERBETA  FORTRAN
*
*****
*
*   This program performs a steady-state or transient thermal
*   analysis on an active cavity radiometer using a finite
*   element method which uses quadratic quadrilateral elements.
*   The analysis considers thermal conduction and radiation.
*
*   The utilization of program flags allows the user several
*   options in the type of analysis performed.  The three major
*   flags are as follows:
*
*       1. Steady-state or transient analysis
*       2. Conduction with or without radiative effects
*       3. Electrical substitution heater on or off.
*
*   The analysis considers radiative interaction between the
*   source field and the inside surface of the cavity with the
*   option of having one irradiance vector entering the cavity.
*   Radiative interaction between the outside of the cavity or
*   any other part of the radiometer with its surroundings will
*   not be considered in this analysis.
*
*   Written by Nour E. Tira, and modified by Kory J. Priestley
*
*****
*
*           NOMENCLATURE
*
*   ALPHA ..... Resistance-temperature constant.
*   ATIP ..... Area of the truncated tip of the cone.
*   COND ..... Conductivity of the radiometer material.
*   CP ..... Specific heat of the radiometer material.
*   DELT ..... Temperature drop between the resistance
*             thermometers and the heat sink.
*   DENS ..... Density of the radiometer material.
*   DIM(I) ..... Radiometer part dimensions.  Dimensioned 6
*             I = 1  cone height
*             I = 2  cylinder height
*             I = 3  radial width of the ring (RO - RI)
*             I = 4  thermal impedance length.
*   DM(I) ..... The element dimensions along the cavity height.
*             Dimensioned 2*(MDIV(1) + MDIV(1)).
*   DT ..... Time increment.
*   EM ..... Emissivity of the radiometer material.
*   ERROR ..... Convergence error of the solution.
*   EO ..... Bridge voltage for the feedback circuit.
*   E2 ..... Voltage across the heater wire.
*   GEN(N,K) ..... Volumetric heat generation in element N.
*             Dimensioned NEM by 2.
*   GTA(I,J) ..... Assembled global conductivity matrix
*             Dimensioned NNM by NHBW.
*   GTF(I) ..... Assembled global flux vector.  Dimensioned NNM.
*   HWIRE ..... Height to which the heater wire is wound above
*             the cone tip.
*   INIT ..... The indicator for transient analysis.
*             INIT = 0  steady-state analysis
*             INIT = 1  transient, uniform initial conditions
*             INIT = 2  transient, non-uniform i.c.
*   IPDF(I) ..... The array of node numbers with specified temper-
*             ature boundary conditions.  Dimensioned NPDF.
*   MDIV(I) ..... Number of element divisions along DIM(I).

```

```

*          Dimensioned 6.
* NC ..... Column of the global conductivity matrix.
* NCMAX ..... Column-dimension of GTA(I,J).
* NDT ..... Number of time steps in the analysis--equal to
*          one for a steady-state analysis.
* NEC ..... Number of elements in the cavity mesh.
* NEM ..... Number of elements in the mesh.
* NHBW ..... Half-band width of the system of global equations.
* NNM ..... Number of nodes in the mesh
* NOD(N,J) ..... Global node number corresponding to the J-th node
*          of element N (connectivity array) of the mesh.
*          The local nodes are defined counter-clockwise
*          from any elemnt corner with the central node
*          of the quadrilateral elements given last
*          Dimensioned NEM by 9.
* NPDF ..... The number of specified temperature boundary
*          conditions.
* NR ..... Row of the global conductivity matrix and
*          flux vector.
* NRMAX ..... Row-dimension of GTA(I,J) and GTF(I).
* NSTEP ..... Time step number.
* NRES ..... The first node on the thermal impedance which
*          is covered by the resistance thermometer.
* N1 ..... The number of elements around the circumference
*          of the cavity.
* PHI ..... The collimated beam angle of incidence w/r to the
*          aperature normal. Dimensioned NPHI.
* RH ..... Resistance of the heater wire.
* RI ..... Inside radius of the ring (cavity radius).
* RIP ..... Precision aperture radius.
* RO ..... Outside radius of the ring.
* TA(I,J) ..... Element conductivity matrix. Dimensioned 9 by 9.
* TARES ..... Average temperature of the two resistance
*          thermometers.
* TAU ..... Time constant in the analysis of the heater
*          circuit.
* TAVE(I) ..... Average temperature of cavity element I.
*          Dimensioned NEC.
* TF(I) ..... Element flux vector. Dimensioned 9.
* THETA ..... Time approximation parameter.
*          Theta = 0 forward-difference scheme
*          Theta = 1/2 Crank-Nicolson scheme
*          Theta = 2/3 Galerkin scheme
*          Theta = 1 backward-difference scheme
* THCK ..... Thickness of the radiometer material.
* THS ..... Temperature of the heat sink.
* TIME ..... The running time for a transient analysis.
* TMAX ..... Upper bound on time for a transient analysis.
* TNEW(I) ..... Global node temperatures calculated for the
*          current time step. Dimensioned NNM.
* TOLD(I) ..... Column of local node temperatures from the
*          previous time step
* TINIT ..... Radiometer predominant initial temperature.
* VPDF(I) ..... Nodal temperatures specified as boundary condi-
*          tions. Dimensioned NPDF.
* X(N,J) ..... X-coordinate of local node J of element N of the
*          mesh. Dimensioned NEM by 9.
* Y(N,J) ..... Y-coordinate of local node J of element N of the
*          mesh. Dimensioned NEM by 9.
*
*****
C
C Request double precision real variables.
C
      IMPLICIT REAL*8 (A-H,O-Z)

```



```

REAL*8 LBDA
C
C Dimension the arrays, and specify variables used by the subroutines
C in common storage blocks.
C
DIMENSION GTA(800,120),GTF(800),GEN(200,2),TA(9,9),TF(9)
DIMENSION IPDF(60),VPDF(60),FMAG(256)
DIMENSION NOD(200,9),MDIV(4),DM(40),PHI(35)
DIMENSION TNEW(800),TAVE(150),TOLD(9),X(200,9),Y(200,9)

DIMENSION DFOPT(200,100,15),DFSCN(200,100,15),DFBAR(200,100,15)
DIMENSION DFDOME(200,100,15),DFRING(200,100,15),DFCSUB(200,100,15)
DIMENSION DFUSUB(200,100,15),DFLSUB(200,100,15),DFCONE(200,100,15)
DIMENSION DOABCO(25),LBDA(20)

COMMON/ RADI1/ AREA1,AREA2,PI,RI,THCK,DIM(4),NVEC,NSUN,NS

COMMON/ RADI3/ AFOVL,AUSUB,ALSUBI,ALSUBO,ARING,VOL1,VOL2,
& ACAVSUB,AFOVAP,ABAR,ACON
COMMON/ HEAT1/ HEATEL(15),EO,ALPHA,TAU,THS,DELT,NRES

COMMON/ ELEM1/ DT,THETA,COND,CP,DENS
COMMON/ NB/ NBFOVL,NBUSUB,NBLSUB,NBCAVSUB,NBRING,
& NBDOME,NBSCENE,NBBAR,NBCON,NBCAV
COMMON/ EMISS/ EMFOVL,EMUSUB,EMLSUB,EMDOME,EMBAR,EMCON,
& EMCAVSUB,EMRING
COMMON/ DFACS/
DFOPT,DFSCN,DFBAR,DFCONE,DFDOME,DFRING,DFCSUB,
& DFUSUB,DFLSUB
COMMON/ DOME/ DOMTHC,DOABCO,NBWLIN
COMMON/ CHAN/ CHANEL
COMMON/ LMBDA/LBDA
COMMON/ FLUX/ SCNFLUX
C
C Open input files
C
OPEN(3,FILE='source.dat',status='old')
OPEN(4,FILE='mesh.dat',status='old')
OPEN(8,FILE='flags.dat',status='old')
OPEN(9,FILE='props.dat',status='old')
OPEN(10,FILE='time.dat',status='old')
OPEN(11,FILE='bndtmp.dat',status='old')
OPEN(12,FILE='emiss.dat',status='old')
OPEN(13,FILE='heater.dat',status='old')
OPEN(15,FILE='temp.dat',status='old')
OPEN(16,FILE='numb.dat',status='old')
OPEN(17,FILE='er.dat')
OPEN(20,FILE='dfopt.dat',status='old')
OPEN(21,FILE='dfscn.dat',status='old')
OPEN(22,FILE='dfcav.dat',status='old')
OPEN(23,FILE='dfdome.dat',status='old')
OPEN(24,FILE='dfring.dat',status='old')
OPEN(25,FILE='dome.dat',status='old')
OPEN(26,FILE='out.dat')
OPEN(27,FILE='tmpdst.dat')
OPEN(28,FILE='htout.dat')
OPEN(29,FILE='tfovl.dat',status='old')
OPEN(30,FILE='tusub.dat',status='old')
OPEN(31,FILE='tbsub.dat',status='old')
OPEN(32,FILE='tdome.dat',status='old')
OPEN(33,FILE='tring.dat',status='old')
OPEN(34,FILE='tcavsub.dat',status='old')
OPEN(35,FILE='tcav.dat',status='old')
OPEN(36,FILE='tscn.dat',status='old')

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```

OPEN(40,FILE='area.dat',status='old')
OPEN(50,FILE='lbda.dat',status='old')
OPEN(65,FILE='dfcsub.dat',status='old')
OPEN(66,FILE='dfusub.dat',status='old')
OPEN(67,FILE='dfbsub.dat',status='old')
OPEN(68,FILE='dfbar.dat',status='old')
OPEN(70,FILE='dfcone.dat',status='old')

OPEN(99,FILE='wswblip.dfc',status='old')
C
C Define program constants.
C
WRITE(26,*)'      TIME      TARES      VOLTAGE
& POWER      SCNPOW      POW+SCN'
DATA NRMAX,NCMAX/800,120/
DATA MCOUNT,E2,RH,SMAX/20,0.D0,1.D0,0.D0/
DATA NDT,NDTS,NDTSH/1,1,1/
PI = 3.141592654D0
ERRMAX = 0.50D-05
*****
*
*              PREPROCESSOR UNIT
*
*              Reads and generates data
*
*****
C
C Read the mesh geometry data and determine the number of elements
C in the cavity.
C
READ(4,300) NEM,NNM,(MDIV(I),I=1,4),N1
READ(4,310) (DIM(I),I=1,4),RI,RO,RT,HO
READ(4,310) (DM(I),I=1,(MDIV(1)+MDIV(2)+MDIV(3)+MDIV(4))*2)
NEC = (MDIV(1) + MDIV(2))*N1
write(17,*)'NEM,NNM,N1',NEM,NNM,N1
write(17,*)'RI,RO,RT,HO',RI,RO,RT,HO
write(17,*)'NEC',NEC
write(17,*)'MDIV(I)',(MDIV(I),I=1,4)

C
C Read the areas for each surface of the radiometer
C
READ(40,*)AFOVL
READ(40,*)AUSUB
READ(40,*)ALSUBI
READ(40,*)ALSUBO
READ(40,*)ARING
READ(40,*)VOL1
READ(40,*)VOL2
READ(40,*)ACAVSUB
READ(40,*)AFOVAP
READ(40,*)ABAR
READ(40,*)ACON
WRITE(17,*)'AFOVL',AFOVL
WRITE(17,*)'AUSUB',AUSUB
WRITE(17,*)'ALSUBI',ALSUBI
WRITE(17,*)'ALSUBO',ALSUBO
WRITE(17,*)'ARING',ARING
WRITE(17,*)'VOL1',VOL1
WRITE(17,*)'VOL2',VOL2
WRITE(17,*)'ACAVSUB',ACAVSUB
WRITE(17,*)'AFOVAP',AFOVAP
WRITE(17,*)'ABAR',ABAR
WRITE(17,*)'ACON',ACON
C

```

```

C Calculate the areas of the cut-off cone tip, the element on
C the cone and those on the cylinder.
  ATIP = PI*RT*DSQRT(RT**2+HO**2)
  AREA1 = (PI*RI*DSQRT(RI**2 + (DIM(1)+HO)**2)-ATIP)/(N1*MDIV(1))
  AREA2 = (PI*RI*2.0D0*DIM(2))/(N1*MDIV(2))
C
C Read the connectivity array.
C
  DO 10 I = 1,NEM
  READ(4,300) (NOD(I,J),J=1,9)
10 CONTINUE
C
C Read the local node coordinates of each element in the mesh.
C
  DO 20 I = 1,NEM
  READ(4,310) (X(I,J),Y(I,J),J=1,9)
20 CONTINUE
C
C Read the program flags.
C
  READ(8,*)CHANEL

  READ(8,300) INIT,NPDF,NRES
C
C Read the cavity material properties.
C
  READ(9,310) COND,THCK,CP,DENS
C
C If the number of specified temperature boundary conditions is
C greater than zero, then read the nodes and their specified
C temperatures.
C
  IF(NPDF.GT.0) THEN
    READ(11,300) (IPDF(I),I=1,NPDF)
    READ(11,310) (VPDF(I),I=1,NPDF)
    THS = VPDF(NPDF)
  ENDIF
C
C
C If a transient thermal analysis is desired, then read the time
C increment, the time limit, and the time approximation parameter.
C
  IF (INIT.GT.0) THEN
    READ(10,*) DT,TMAX,THETA,TSO
    READ(10,*) NDT,NDTF,NDTV,NDTS
  ENDIF
  READ(35,*) TCAV
  DO 32 I=1,NNM
    TNEW(I) = TCAV
32 CONTINUE
C
C
C If the initial conditions are non-uniform, i.e. different
C zones have varying temperatures, read the initial temperature
C distribution for each zone.
C
  IF (INIT.EQ.2) READ(9,305) (TNEW(I), I = 1,NNM)
C
C Read the radiative surface properties for the instrument
C
  READ(12,*) EMFOVL
  READ(12,*) EMUSUB
  READ(12,*) EMLSUB
  READ(12,*) EMDOME

```

```

      READ(12,*) EMBAR
      READ(12,*) EMCON
      READ(12,*) EMCAVSUB
      READ(12,*) EMRING
C
C   Read the number of elements on each surface of the instrument
C
      READ(16,*) NBFOVL
      READ(16,*) NBUSUB
      READ(16,*) NBLSUB
      READ(16,*) NBCAVSUB
      READ(16,*) NBRING
      READ(16,*) NBDOME
      READ(16,*) NBSCENE
      READ(16,*) NBBAR
      READ(16,*) NBCON

      NBCAV = NBBAR+NBCON
C
C   Read the distribution of wavelength intervals.
C
      READ(25,*)NBWLIN
      write(6,*)nbwlin
      DO 400 I=1,NBWLIN
         READ(50,*)LBDA(I)
400 CONTINUE
C
C   Read the distribution factors for the front end
C
      WRITE(6,*)NBWLIN
      DO 50 I = 1,NBFOVL
         DO 50 K=1,NBWLIN
            DO 50 J = 1,NEC
               READ(20,*)DFOPT(I,J,K)
            50 CONTINUE
C
C   For the upper substrate
C
         DO 52 I=1,NBUSUB
            DO 52 K=1,NBWLIN
               DO 52 J=1,NEC
                  READ(66,*)DFUSUB(I,J,K)
            52 CONTINUE
C
C   For the lower substrate
C
         DO 58 I=1,NBLSUB
            DO 58 K=1,NBWLIN
               DO 58 J=1,NEC
                  READ(67,*)DFLSUB(I,J,K)
            58 CONTINUE
C
C   For the barrel
C
         DO 70 I=1,NBBAR
            DO 70 K=1,NBWLIN
               DO 70 J=1,NEC
                  READ(68,*)DFBAR(I,J,K)
            70 CONTINUE
C
C   For the cone
C
         DO 75 I=1,NBCON
            DO 75 K=1,NBWLIN
               DO 75 J=1,NEC

```

```

      READ(70,*)DFCONE(I,J,K)
75 CONTINUE

C
C For the dome
C
      READ(25,*)DOMTHC
      DO 81 K=1,NBWLIN
        READ(25,*)DOABCO(K)
        write(6,*)doabco(k)
81 CONTINUE
      DO 80 I=1,NBDOME
        DO 80 K=1,NBWLIN
          DO 80 J=1,NEC
            READ(23,*)DFDOME(I,J,K)
80 CONTINUE

C
C For the ring
C
      DO 82 I=1,NBRING
        DO 82 K=1,NBWLIN
          DO 82 J=1,NEC
            READ(24,*)DFRING(I,J,K)
82 CONTINUE

C
C For the cavsub
C
      DO 83 I=1,NBCAVSUB
        DO 83 K=1,NBWLIN
          DO 83 J=1,NEC
            READ(65,*)DFCSUB(I,J,K)
83 CONTINUE

C
C NOTE: DFACS for both the dome and ring are read for both
C channels although the dome is not a part of the total
C channel and the ring is not a part of the visible channel.
C Values of 0.0D0 are read in for these DFACS for the
C corresponding channels, and then considered in the
C subroutine radiate.
C
C
C For the electrical substitution heater to be utilized in the
C analysis, read the appropriate data.
C
      READ(13,310) E2,RH,HWIRE
      IF (INIT.GT.0) READ(13,310) EO,TAU,ALPHA,DELT

C
C Determine the highest element ring which is completely covered
C by the heater wire, and calculate the cavity surface area which
C is covered by the heater wire.
C
      HROW = -0.01D0
      WAREA = 0.0D0
      AREA = AREA1
      DO 90 I = 1,MDIV(1)+MDIV(2)
        HROW = HROW + DM(2*I) + DM(2*I - 1)
        IF (HWIRE.GE.HROW) HEATEL(I) = 1.0D0
        IF (HWIRE.LT.HROW) HEATEL(I) = 0.0D0
        IF (I.GT.MDIV(1)) AREA = AREA2
        WAREA = WAREA + HEATEL(I)*N1*AREA
90 CONTINUE
      DO 100 I=1,MDIV(1)+MDIV(2)
        HEATEL(I) = HEATEL(I)/(WAREA*THCK)
100 CONTINUE

C

```

```

C If a steady-state analysis with radiation is desired, an iterative
C solution will be necessary. An initial guess at the solution is
C determined by assigning the heat sink temperature to all nodes in
C the mesh.

```

```

C
      IF (INIT.EQ.0) THEN
        DO 110 I = 1,NNM
          TNEW(I) = THS
110    CONTINUE
      ENDIF

```

```

C Determine the half bandwidth of the system by calculating the
C maximum difference between two related nodes.

```

```

C
      NHBW = 0
      DO 120 N = 1,NEM
        DO 120 I = 1,9
          DO 120 J = 1,9
            NW = (IABS(NOD(N,I) - NOD(N,J)) + 1)

            IF (NHBW.LT.NW) NHBW = NW
120    CONTINUE

```

```

*****
*
*              PROCESSOR UNIT
*
* Performs the following functions:
*
* 1. generates the element matrices and vectors
* 2. assembles the element matrices and vectors into the
*    global form
* 3. imposes the boundary conditions
* 4. solves the equations.
*
*****
      DO 125 I=1,NEM
125 GEN(I,1) = 0.0D0

```

```

C Initialize the iteration counter, the number of time steps and
C the time.

```

```

      TIME = 0.0D0

```

```

C Run a DO-loop over the number of time steps while incrementing the
C time on each loop.

```

```

      DO 250 NSTEP = 1,NDT
        NCOUNT = 0

        IF (INIT.EQ.0) THEN

          NS = 1

        ELSE

          TIME = TIME + DT
        END IF

```

```

C Read the DFAC's for the scene

```

```

      IF (NSTEP.LE.120.OR.NSTEP.GT.240) THEN
        DO 60 I=1,NBSCENE
        DO 60 K=1,NBWLIN
        DO 60 J=1,NEC

```

```

        READ(21,*)DFSCN(I,J,K)
60    CONTINUE
        REWIND 21
        ELSE
            DO 65 I=1,NBSCENE
            DO 65 K=1,NEWLIN
            DO 65 J=1,NEC
                READ(99,*)DFSCN(I,J,K)
65    CONTINUE
        END IF

```

C  
C The iteration loop begins for a steady-state analysis with radiation.  
C The iteration counter is incremented on each loop.  
C

```

130 CONTINUE
    NCOUNT = NCOUNT + 1

```

C  
C Initialize the generation vector, global conductivity matrix  
C and flux vector to zero.  
C

```

        DO 140 I = 1,NEM
140    GEN(I,2) = 0.0D0
        DO 150 I = 1,NNM
            GTF(I) = 0.0D0
            DO 150 J = 1,NHBW
150    GTA(I,J) = 0.0D0

```

C  
C Since thermal radiation is present in the model,  
C determine the average temperature of each element in the cavity  
C and the effective generation in each element of the cavity  
C due to thermal diffuse-specular radiation.  
C

```

        CALL TEMPAV (NEC,NNM,NOD,X,Y,TNEW,TAVE)
        CALL RADIAT (NEC,N1,MDIV,NSTEP,NDTS,NDTSH,TAVE,GEN,EM)

```

C  
C Determine the generation in each element of the cavity due to  
C the electric heating wires wound around the cavity.  
C

```

        CALL HEATER (INIT,N1,MDIV,TNEW,GEN,RH,E2,DT)

```

C  
C For the first time step of a transient analysis, set the volumetric  
C heat generation in each element from the previous time step equal to  
C that of the present time step.  
C

```

        IF ((INIT.GT.0) .AND. (NSTEP.EQ.1)) THEN
            DO 160 I = 1,NEM
                GEN(I,1) = GEN(I,2)
160    CONTINUE
        ENDIF

```

C  
C Run a DO-loop over the number of elements in the mesh. The  
C matrices of each element are determined in this loop and added  
C to the global matrices.  
C

```

        DO 190 N = 1,NEM

```

C  
C If a transient solution is desired, determine the temperatures  
C of each node in the element from the previous solution. For the  
C first time step the initial conditions are used as the previous  
C solution.  
C

```

        IF (INIT.GT.0) THEN
            DO 170 I = 1,9
170    TOLD(I) = TNEW(NOD(N,I))

```

```

      ENDIF
C
C Determine the element conductivity matrix and flux vector.
C
      CALL ELEM (N,INIT,X,Y,TOLD,GEN,TA,TF,EM)
C
C Assemble the element matrices into the global matrices in
C banded symmetric form.
C
      DO 180 I = 1,9
      NR = NOD(N,I)
C
C Add the element flux vector to the global flux vector.
C
      GTF(NR) = GTF(NR) + TF(I)
      DO 180 J = 1,9
      NC = NOD(N,J) - NOD(N,I) + 1
C
C Add the element conductivity matrix to the global conductivity
C matrix.
C
      IF(NC.GT.0) GTA(NR,NC) = GTA(NR,NC) + TA(I,J)
180 CONTINUE
190 CONTINUE
C
C
C Impose the specified temperature boundary conditions on the
C global matrices.
C
      CALL BNDY (NRMAX,NCMAX,NNM,NHBW,GTA,GTF,NPDF,IPDF,VPDF)
C
C Solve the equations of the banded symmetric system. The solution
C is returned by subroutine SOLVE as the flux vector {GTF}.
C
      WRITE(6,*) 'SOLVING...'
      CALL SOLVE (NRMAX,NCMAX,NNM,NHBW,GTA,GTF)
C
      DO 1 I=1,NNM
      WRITE(27,*) 'I, GTF(I)', I,GTF(I)
C
      1 CONTINUE
C
C If a steady-state solution is desired and thermal radiation
C exists in the model, then determine if the solution has
C converged within the specified limit (ERRMAX or MCOUNT).
C
      IF (INIT.EQ.0) THEN
      ERR = 0.0D0
      DNORM = 0.0D0
      DO 210 I = 1,NNM
      DNORM = DNORM + GTF(I)**2
210 ERR = ERR + (GTF(I) - TNEW(I))**2
      ERROR = DSQRT(ERR/DNORM)
      ENDIF
C
C Assign the new temperature values.
C
      DO 220 I = 1,NNM
220 TNEW(I) = GTF(I)
      IF (INIT.EQ.0) THEN
      WRITE(6,325) NCOUNT,ERROR
      IF((ERROR.GT.ERRMAX).AND.(NCOUNT.LT.MCOUNT)) GO TO 130
      ENDIF
C
C Calculate the average temperature of of the resistance thermometer.

```



```

C
  N = 2*N1
  TARE = 0.0D0
  DO 230 I = 1,N
    TARE = TARE + TNEW(NRES+I-1)
230 CONTINUE
  TARES = TARE/N
  write(6,*)'n',n
C
C Determine the heat transferred to the heat sink by conduction,
C and the heat emitted out through the aperture.
C
  TCOND = 0.0D0
  DO 235 I = NNM-4*N1+1,NNM-2*N1
235   TCOND = TNEW(I) + TCOND
  TCOND = TCOND/(2*N1)
  ACOND = 2.0D0*PI*RO*THCK
  K = (MDIV(1)+MDIV(2)+MDIV(3)+MDIV(4))*2
  QCOND = COND*ACOND*(TCOND-THS)/DM(K)
C
C Often it is desirable to obtain a specified temperature drop between
C the resistance thermometers and the heat sink in a steady-state
C analysis based upon the radiative and/or the electrical input.
C Write the radiative input, resistor temperature and electrical
C input values, then,
C
  IF (INIT.EQ.0) THEN
C
C Since the heater is utilized in the analysis and radiation is considered
C ask for a new heater voltage. A negative number terminates program
C execution.
C
  WRITE(6,*)'NEW E2? A negative number will stop execution.'
  READ(6,*) EE2
  IF (EE2.GT.0.0D0) THEN
    E2 = EE2
    GOTO 130
  ENDIF
  ENDIF
C
C If the analysis is steady-state, write the temperature of the
C resistance thermometer, and the radiative and electrical power input.
C
  PE2 = (1000.0D0/RH)*E2**2
  IF (INIT.EQ.0) WRITE(24,330) TARES,FMAG(1),SM,PE2
C
C If the analysis is transient, write the average temperature of the
C resistance thermometers, the heater power and the radiative input
C power for each time step to the terminal screen and a disk file.
C
  IF (INIT.GT.0) THEN
C
  WRITE(26,330) TIME,TARES,E2,PE2,SCNFLUX,PE2+SCNFLUX
  ENDIF
C
C Write the temperature distribution for the current time step to a
C disk file.
C
CCCC WRITE(27,*) 'TIME = ',TIME,'SECONDS'
CCCC WRITE(27,305) (TNEW(I),I=1,NNM)
C
C Assign the heat generation from present time step to that of the
C previous time step, and then, for a transient analysis, proceed to
C the next time step.

```

```

C      DO 240 I = 1,NEM
          GEN(I,1) = GEN(I,2)

240 CONTINUE
250 CONTINUE
      STOP

C
C          * * * FORMAT STATEMENTS * * *
C
300 FORMAT(16I5)
305 FORMAT(6E12.5)
310 FORMAT(6D12.5)
320 FORMAT(15X,D14.5)
325 FORMAT(1X,'ITERATION NO. = ',I2,3X,'%ERROR = ',F10.6)
330 FORMAT(6(3X,F12.7))
335 FORMAT(1X,'VMAG = ',F10.5,3X,'FMAG = ',F10.5,3X,'SMAG = ',F10.5,
&3X,'TARES = ',F10.5,3X,'E2 = ',F8.5)
340 FORMAT(20X,D14.5)
345 FORMAT(1X,'Heat conducted to the heat sink = ',F13.5,' (mW)')
350 FORMAT(1X,'Energy emitted from the cavity = ',F13.5,' (mW)',/)
      END

*****
*
*          SUBROUTINE TEMPAV
*
*          This subroutine calculates, by linear interpolation, the
*          average temperature of each element in the radiometer cavity
*
*****
      SUBROUTINE TEMPAV(NEC,NNM,NOD,X,Y,TNEW,TAVE)
      IMPLICIT REAL*8(A-H,O-Z)
      DIMENSION NOD(200,9)
      DIMENSION TNEW(800),TAVE(100),X(200,9),Y(200,9),TOLD(9)

C
C      run a do-loop over the number of elements.
C
      DO 30 I=1,NEC

C
C      Initialize the area and temperature of this element to zero
C
      AREA=0.0D0
      TEMP=0.0D0

C
C      Determine the element local node temperatures.
C
      NPE=9
      DO 10 J=1,9
          TOLD(J)=TNEW(NOD(I,J))
      10 CONTINUE

C
C      The area is calculated by subdividing the element into
C      8 triangles for quadrilateral elements or 4 triangles for
C      triangular elements. The total area is then found by summing
C      the areas of these small triangles. A do-loop is run over
C      the number of triangles in the element.
C
      L=8
      DO 20 J=1,L

C
C      Determine the three vertices of the triangular area
C
      PT1X=X(I,J)
      PT1Y=Y(I,J)

```

```

PT2X=X(I,J+1)
PT2Y=Y(I,J+1)
PT3X=X(I,(8/L)+L)
PT3Y=Y(I,(8/L)+L)
IF (J.EQ.8) THEN
    PT2X=X(I,1)
    PT2Y=Y(I,1)
END IF
C
C CALCULATE THE LENGTHS OF SIDES 1 AND 3 OF THE TRIANGLE
C
    SIDE1=DSQRT((PT1X-PT2X)**2+(PT1Y-PT2Y)**2)
    SIDE3=DSQRT((PT3X-PT1X)**2+(PT3Y-PT1Y)**2)
C
C TAKE THE DOT PRODUCT OF THE UNIT VECTORS ALONG SIDES 1 AND 3
C TO DETERMINE THE ANGLE BETWEEN THESE TWO SIDES.
C
    AI=(PT2X-PT1X)/SIDE1
    AJ=(PT2Y-PT1Y)/SIDE1
    BI=(PT3X-PT1X)/SIDE3
    BJ=(PT3Y-PT1Y)/SIDE3
    THETA=DACOS((AI*BI)+(AJ*BJ))
C
C DEFINITE THE BASE AS SIDE 1 AND THE HEIGHT AS THE LENGTH OF THE
C SIDE OPPOSITE THE ANGLE BETWEEN THESE TWO SIDES
C
    BASE=SIDE1
    HEIGHT=SIDE3*DSIN(THETA)
C
C CALCULATE THE AREA OF THE TRIANGLE, THEN ADD THIS TO THE
RUNNING
C SUM TO DETERMINE THE ELEMENTAL AREA
C
    TAREA=(0.5D0*BASE*HEIGHT)
    AREA=AREA+TAREA
C
C DETERMINE THE TEMPERATURES OF THE THREE VERTICES OF THE
TRIANGLE.
C
    TA=TOLD(J)
    TB=TOLD(J+1)
    TC=TOLD(L+8/L)
    IF(J.EQ.8) TB=TOLD(1)
C
C DETERMINE THE TEMPERATURE AT THE MIDPOINT OF EACH SIDE OF THE
C TRIANGLE
C
    TP=(TA+TB)/2.0D0
    TQ=(TB+TC)/2.0D0
    TR=(TC+TA)/2.0D0
C
C ALSO, THE LENGTHS OF THE THREE BISECTORS OF THE TRIANGLE, THE
C COORDINATES OF THE CENTROID, AND THE LENGTH FROM EACH VERTE
C TO THE CENTROID ARE DETERMINED.
C
    AQ =DSQRT((PT1X-(PT2X+PT3X)/2.0)**2+
& (PT1Y-(PT2Y+PT3Y)/2.0)**2)
    BR =DSQRT((PT2X-(PT1X+PT3X)/2.0)**2+
& (PT2Y-(PT1Y+PT3Y)/2.0)**2)
    CPP=DSQRT((PT3X-(PT1X+PT2X)/2.0)**2+
& (PT3Y-(PT1Y+PT2Y)/2.0)**2)
    YZ=HEIGHT/3.0D0
    SLOPE=(PT1Y-(PT2Y+PT3Y)/2.0D0)/(PT1X-(PT2X+PT3X)/2.0D0)
    YINT=PT1Y-SLOPE*PT1X
    XZ=(YZ-YINT)/SLOPE

```

```

      AZ=DSQRT((PT1X-XZ)**2+(PT1Y-YZ)**2)
      BZ=DSQRT((PT2X-XZ)**2+(PT2Y-YZ)**2)
      CZ=DSQRT((PT3X-XZ)**2+(PT3Y-YZ)**2)
C
C NOW, DETERMINE THE TEMPERATURE AT THE CENTROID OF THE
C TRIANGLE,
C MULTIPLY THIS BY THE AREA OF THE TRIANGLE, AND ADD THIS VALUE
C TO THE RUNNING TOTAL.
C
      TZ1=(AZ/AQ)*TA+(1-AZ/AQ)*TQ
      TZ2=(BZ/BR)*TB+(1-BZ/BR)*TR
      TZ3=(CZ/CP)*TC+(1-CZ/CP)*TP
      TZ=(TZ1+TZ2+TZ3)/3.0D0
      TEMP=TEMP+TAREA*TZ
c
c      WRITE(27,*)'TEMP, TAREA, TZ',TEMP,TAREA,TZ
c      WRITE(27,*)'TA, TB, TZ',TA,TB,TZ
c      WRITE(27,*)'AZ, BZ,CZ',AZ,BZ,CZ
c      WRITE(27,*)'AQ, BR, CP',AQ,BR,CP
      20 CONTINUE
C
C DETERMINE THE ELEMENT TEMPERATURE
C
      TAVE(I)=TEMP/AREA
c      WRITE(27,*)'I, TAVE(I)',I,TAVE(I)
      30 CONTINUE
      RETURN
      END
*****
*
*          SUBROUTINE RADIAT
*
*      This subroutine calculates the effective generation in
*      each cavity element due to thermal radiation.
*
*****

      SUBROUTINE RADIAT(NEC,N1,MDIV,NSTEP,NDTS,NDTSH,TAVE,GEN,EM)
C
C Request double precision and real variables, place variables used
C by the subroutine in common storage blocks and dimension the arrays.
C
      IMPLICIT REAL*8 (A-H,O-Z)
      DIMENSION GEN(200,2),TAVE(200),IS(20),IT(20),MDIV(4)
      DIMENSION DFOPT(200,100,15),DFSCN(200,100,15)
      DIMENSION DFDOME(200,100,15),DFRING(200,100,15),DFCSUB(200,100,15)
      DIMENSION DFUSUB(200,100,15),DFLSUB(200,100,15)
      DIMENSION DFCONE(200,100,15),DFBAR(200,100,15)
      DIMENSION DOABCO(25),KAPPA(25)
      DIMENSION EMIPOW(600,20),genn(100)
      DIMENSION GENOPT(100),GENSCN(100),GENRING(100)
      DIMENSION GENEMI(100),GENDOME(100),GENCSUB(100)
      DIMENSION GENUSUB(100),GENLSUB(100),GENCON(100),GENBAR(100)
      DIMENSION GENNBAR(100),GENNCON(100)

      COMMON /RADI1/ AREA1,AREA2,PI,RI,THCK,DIM(4),NVEC,NSUN,NS
      COMMON /RADI3/ AFOVL,AUSUB,ALSUBI,ALSUBO,ARING,VOL1,VOL2,
&
&      ACAVSUB,AFOVAP,ABAR,ACON
      COMMON /NB/ NBFOVL,NBUSUB,NBLSUB,NBCAVSUB,NBRING,
&
&      NBDOME,NBSCENE,NBBAR,NBCON,NBCAV
      COMMON /EMISS/
EMFOVL,EMUSUB,EMLSUB,EMDOME,EMBAR,EMCON,EMCAVSUB,
&
&      EMRING
      COMMON /DFACS/
DFOPT,DFSCN,DFBAR,DFDOME,DFRING,DFCSUB,
&
&      DFUSUB,DFLSUB

```

```

COMMON /CHAN/ CHANEL
COMMON /DOVE/ DOMTHC,DOABCO,NBWLIN
COMMON /FLUX/ SCNFLUX
C
C Define the Stefan-Boltzman constant in the correct units.
C
      SIGMA=5.6696D-8
      N=MDIV(1)+MDIV(2)
C
C Determine the emissive power from each zone as a function of the
C wavelength interval
C
      CALL EMPOW(EMIPOW,TAVE,NBWLIN)
C
C The effective thermal generation in each element of the cavity is
C determined from the total flux incident upon the element from all
C the other elements of the instrument including itself and the FOVL aperture,
C and then subtracting the energy emitted by the element.
C
C Loop over the number of elements in the cavity, initializing the
C total flux incident upon the element to zero.
C
      DO 10 J=1,NEC
        GEN(J,2)=0.0D0
      10 CONTINUE
C
C Since the cavity mesh is radially symmetric, the distribution factors
C are calculated for the first element for each level. The distribution
C factors are calculated using programs provided by HAEFFELIN and PRIESTLEY.
C The distribution factor for each cavity element
C to all other cavity elements, including itself and the optical front end
C is determined from the calculated values.
C
C BARREL TO CAVITY
C Loop over the number of elements (I) in the cavity to determine the
C total flux incident upon cavity element J.
C
      SUM=0.0D0
      DO 19 I=1,100
        genbar(i)=0.0d0
      19 CONTINUE

      WRITE(17,*) 'HELLO'
      DO 20 K=1,NBWLIN
        DO 20 I=1,NBBAR
          DO 20 J=1,NEC
            genbar(j)=genbar(j)+embar*abar*emipow(i+66,k)*dfbar(i,j,k)
          20 CONTINUE
          do 25 i=1,nec
            if (i.le.60) then
              area=acon*1.0D6
            else
              area=abar*1.0D6
            end if
            SUM=SUM+GENBAR(I)
            GENNBAR(I)=GENBAR(I)
            genBAR(i)=genBAR(i)/(area*thck)
          25 continue
C
C Add the energy from the cone
C
      SUM=0.0D0
      DO 26 I=1,100
        GENCON(I)=0.0D0
      26 CONTINUE

```

```

DO 27 K=1,NBWLIN
DO 27 I=1,NBCON
DO 27 J=1,NEC
  GENCON(J)=GENCON(J)+EMCON*ACON*EMIPOW(I+6,K)*DFCONE(I,J,K)
27 CONTINUE
DO 28 I=1,NEC
  IF (I.LE.60) THEN
    AREA=ACON*1.0D6
  ELSE
    AREA=ABAR*1.0D6
  END IF
  SUM=SUM+GENCON(I)
  GENNCON(I)=GENCON(I)
  GENCON(I)=GENCON(I)/(AREA*THCK)
28 CONTINUE
C
C Subtract the amount of energy which each element
C in the cavity emits to surfaces other than the cavity.
C
  sum=0.0d0
  DO 29 I=1,100
    genemi(i)=0.0d0
29 CONTINUE

  DO 30 I=1,NEC
  DO 30 K=1,NBWLIN
  IF (I.GE.1.AND.I.LE.NBCON) THEN
    EM=EMCON
    AREA=ACON
  ELSE
    EM=EMBAR
    AREA=ABAR
  END IF
  genemi(i)=genemi(i)+em*area*EMIPOW(I+6,K)
30 CONTINUE
  do 35 i=1,nec
    if (i.le.60) then
      area=acon*1.0D6
    else
      area=abar*1.0D6
    end if
    sum=sum+genemi(i)
    genemi(i)=genemi(i)/(area*thck)
35 continue
  write(17,*)'sum of surfac genemi',sum
C
C Add the energy incident upon element I from the dome for the visible
C channels, or for the ring for the total channel.
C
  sum=0.0d0
  DO 39 I=1,100
    gendome(i)=0.0d0
    genring(i)=0.0d0
39 CONTINUE

  IF (CHANEL.EQ.2) THEN
    DO 40 K=1,NBWLIN
      KAPPA(K)=DLOG(1.0D0/DOABCO(K))/DOMTHC
    DO 40 I=1,NBDOME
    DO 40 J=1,NEC
      IF (I.GE.1.AND.I.LE.(NBDOME-N1)) THEN
        VOL=VOL1
      ELSE IF (I.GT.(NBDOME-N1).AND.I.LE.NBDOME) THEN
        VOL=VOL2

```

```

        END IF
        GEN(J,2)=GEN(J,2)+4.0D0*KAPPA(K)*VOL*EMIPOW(I+106,K)
&          *DFDOME(I,J,K)
        gendome(j)=gendome(j)+4.0d0*kappa(k)*vol*emipow(I+106,k)
&          *dfdome(i,j,k)
        IF (KAPPA(K).LT.0.0D0) THEN
            WRITE(17,*)'K, KAPPA(K)',K,KAPPA(K)
        ELSE IF(EMIPOW(I+106,K).LT.0.0D0) THEN
            WRITE(17,*)'I+106, K, EMIPOW(I+106,K)',I+106,K,EMIPOW(I+106,K)
        ELSE IF(DFDOME(I,J,K).LT.0.0D0) THEN
            WRITE(17,*)'I, J, K, DFDOME(I,J,K)',I,J,K,DFDOME(I,J,K)
        ELSE IF(GENDOME(J).LT.0.0D0) THEN
            WRITE(17,*)'I, J, K, GENDOME(J)',I,J,K,GENDOME(J)
        END IF
40    CONTINUE
        do 45 i=1,nec
            if (i.le.60) then
                area=acon*1.0D6
            else
                area=abar*1.0D6
            end if
            sum=sum+gendome(i)
            gendome(i)=gendome(i)/(area*thck)
45    continue
        ELSE
            DO 50 K=1,NBWLIN
            DO 50 I=1,NBRING
            DO 50 J=1,NEC
                EM=EMRING
                AREA=ARING
                GEN(J,2)=GEN(J,2)+EM*AREA*EMIPOW(5,K)*DFRING(I,J,K)
                genring(j)=genring(j)+em*area*emipow(5,k)*dfring(i,j,k)
50    CONTINUE
            do 55 i=1,nec
                if (i.le.60) then
                    area=acon*1.0D6
                else
                    area=abar*1.0D6
                end if
                sum=sum+genring(i)
                genring(i)=genring(i)/(area*thck)
55    continue
        END IF

```

C

C Add the energy incident upon element I from the field of view limiter

C

```

        sum=0.0d0
        DO 59 I=1,100
            genopt(i)=0.0d0
59    CONTINUE

        DO 60 K=1,NBWLIN
        DO 60 I=1,NBFOVL
        DO 60 J=1,NEC
            GENOPT(J)=GENOPT(J)+EMFOVL*AFOVL*EMIPOW(2,K)*DFOPT(I,J,K)
60    CONTINUE
        do 65 i=1,nec
            if (i.le.60) then
                area=acon*1.0D6
            else
                area=abar*1.0D6
            end if
            sum=sum+genopt(i)
            genopt(i)=genopt(i)/(area*thck)

```

```

65 continue
C
C Add the energy incident upon element I from the upper substrate
C
  sum=0.0d0
  DO 61 I=1,100
  genusub(i)=0.0d0
61 CONTINUE
  DO 62 K=1,NBWLIN
  DO 62 I=1,NBUSUB
  DO 62 J=1,NEC
    GENUSUB(J)=GENUSUB(J)+EMUSUB*AUSUB*EMIPOW(3,K)*DFUSUB(I,J,K)
62 CONTINUE
  do 63 i=1,nec
    if (i.le.60) then
      area=acon*1.0D6
    else
      area=abar*1.0D6
    end if
    sum=sum+genusub(i)
    genusub(i)=genusub(i)/(area*thck)
63 continue
C
C Add the energy incident upon element I from the lower substrate
C
  sum=0.0d0
  DO 66 I=1,100
  genLSUB(i)=0.0d0
66 CONTINUE

  DO 67 K=1,NBWLIN
  DO 67 I=1,NBLSUB
  DO 67 J=1,NEC
    IF (I.LE.10) THEN
      AREA=ALSUBI
    ELSE
      AREA=ALSUBO
    END IF
    GENLSUB(J)=GENLSUB(J)+EMLSUB*AREA*EMIPOW(4,K)*DFLSUB(I,J,K)
67 CONTINUE
  do 68 i=1,nec
    if (i.lt.60) then
      area=acon*1.0D6
    else
      area=abar*1.0D6
    end if
    sum=sum+genlsub(i)
    genlsub(i)=genlsub(i)/(area*thck)
68 continue
C
C Add the energy incident upon element I from the aperture.
C
  SCNFLUX=0.0d0
  sum=0.0d0
  DO 69 I=1,100
  genscn(i)=0.0d0
69 CONTINUE
  I=1
  DO 70 K=1,NBWLIN
  DO 70 J=1,NEC
    genscn(j)=genscn(j)+afovap*emipow(1,k)*dfscn(i,j,k)
70 CONTINUE
  do 75 i=1,nec
    if (i.lt.60) then

```



```

        area=acon*1.0D6
    else
        area=abar*1.0D6
    end if
    sum=sum+genscn(i)
    genscn(i)=genscn(i)/(area*thck)
75 continue
    SCNFLUX=SUM*1000.0D0
C
C Add the energy incident upon element j from the cavsub
C
    SUM=0.0D0
    DO 79 I=1,100
        GENCSUB(I)=0.0D0
79 CONTINUE
    DO 80 I=1,NBCAVSUB
    DO 80 K=1,NBWLIN
    DO 80 J=1,NEC

GENCSUB(J)=GENCSUB(J)+EMCAVSUB*ACAVSUB*EMIPOW(6,K)*DFCSUB(I,J,K)
80 CONTINUE
    DO 85 I=1,NEC
        IF (I.LE.60) THEN
            AREA=ACON*1.0D6
        ELSE
            AREA=ABAR*1.0D6
        END IF
        SUM=SUM+GENCSUB(I)
        GENCSUB(I)=GENCSUB(I)/(AREA*THCK)
85 CONTINUE
C
C Determine the effective volumetric generation in element I.
C
    DO 90 J=1,NEC
        GEN(J,2)=1000.0D0*(GENSCN(J)+GENOPT(J)+GENDOME(J)+GENBAR(J)
&          +GENRING(J)-GENEMI(J)+GENCSUB(J)+GENUSUB(J)
&          +GENLSUB(J)+GENCON(J))
90 CONTINUE
C
C Return to the main program
C
    RETURN
    END
*****
*
*          SUBROUTINE HEATER
*
* This subroutine calculates the voltage across the electrical
* substitution heater wire, and then determines the
* volumetric heat generation in each cavity element due to this
* voltage. The subroutine is called by the main program.
*
*****
SUBROUTINE HEATER(INIT,N1,MDIV,TNEW,GEN,RH,E2,DT)
C
C Request double precision real variables and dimension the arrays.
C
    IMPLICIT REAL*8 (A-H,O-Z)
    DIMENSION MDIV(4),TNEW(800),GEN(200,2)
    COMMON /HEAT1/ HEATEL(15),EO,ALPHA,TAU,THS,DELT,NRES
C
C If the analysis is transient, determine the average temperature of
C the two resistance thermometers,
C
    IF (INIT.GT.0) THEN

```

```

        N=2*N1
        TARE=0.0D0
        DO 10 I=1,N
10      TARE=TARE+TNEW(NRES+I-1)
        TARES=TARE/N
C
C and the corresponding voltage across the heater wire.
C
        E2=E2+(DT*ALPHA*EO/(4.0D0*TAU))*(DELT+(THS-TARES))
        END IF
C
C Determine the total power output of the heater and write
C it to a file.
C
        Q=1000.0D0*(E2**2)/RH
        WRITE(28,*)'E2, Q',E2,Q
C
C Calculate the volumetric heat generation in each cavity element due
C to the heater, and add this to the volumetric heat generation due to
C thermal radiation.
C
        DO 70 N=1,N1*(MDIV(1)+MDIV(2))
        I=1+INT((N-1)/N1)
        GEN(N,2)=GEN(N,2)+Q*HEATEL(I)
70      CONTINUE
C
C Return to the main program.
C
        RETURN
        END

*****
*
*              SUBROUTINE ELEM
*
*   This subroutine generates the element matrices for quadratic
*   quadrilateral elements for either a steady-state or transient
*   analysis using the two-dimensional heat conduction equation.
*   This subroutine is called by the main program and by subroutine
*   INTER.
*
*****

        SUBROUTINE ELEM(N,INIT,X,Y,TOLD,GEN,TA,TF,EM)
C
C Request double precision real variables, dimension the arrays, and
C provide Gauss quadratic data.
C
        IMPLICIT REAL*8 (A-H,O-Z)
        DIMENSION GAUSS(3,2),WEIGH(3,2),A(9,9),B(9,9),F(9,2),C(9,9),D(9)
        DIMENSION SF(9),DSF(9,2),TF(9),TA(9,9),GINV(2,2)
        DIMENSION TOLD(9),GEN(200,2),X(200,9),Y(200,9)
        COMMON /ELEM1/ DT,THETA,COND,CP,DENS
        DATA GAUSS/-0.77459667D0,0.00000000D0,0.77459667D0,
&          0.50000000D0,0.50000000D0,0.00000000D0/
        DATA WEIGH/0.55555555D0,0.88888888D0,0.55555555D0,
&          0.33333333D0,0.33333333D0,0.33333333D0/
C
C Determine the number of Gauss points in the element.
C
        NQP1=3
        NQP2=3
C
C Initialize the element submatrices to zero.
C

```

```

DO 10 I=1,9
F(I,1)=0.0D0
F(I,2)=0.0D0
D(I)=0.0D0
DO 10 J=1,9
A(I,J)=0.0D0
B(I,J)=0.0D0
10 CONTINUE
C
C Begin the gauss-quadrature to determine the element submatrices
C by running DO-loops over the number of gauss points.
C
DO 30 LL=1,NQP1
DO 30 KK=1,NQP2
C
C If the element is quadrilateral, determine the coordinates of the
C Gauss point, then determine the values of the interpolation functions
C inverse jacobian matrix and the jacobian.
C
XI=GAUSS(LL,1)
ETA=GAUSS(KK,1)
CALL INTER (N,XI,ETA,X,Y,SF,DSF,GINV,DET)
CONST=DET*WEIGH(LL,1)*WEIGH(KK,1)
C
C
C Evaluate the element submatrices for the gauss points using the
C equations given in the analysis. DO-loops are run over the
C number of nodes in the element.
C
DO 20 I=1,9
F(I,1)=F(I,1)+CONST*GEN(N,1)*SF(I)
F(I,2)=F(I,2)+CONST*GEN(N,2)*SF(I)
DO 20 J=1,9
IF (INIT.GT.0) A(I,J)=A(I,J)+CONST*SF(I)*SF(J)*CP*DENS
B1=(GINV(1,1)*DSF(I,1)+GINV(1,2)*DSF(I,2))
B2=(GINV(1,1)*DSF(J,1)+GINV(1,2)*DSF(J,2))
B3=(GINV(2,1)*DSF(I,1)+GINV(2,2)*DSF(I,2))
B4=(GINV(2,1)*DSF(J,1)+GINV(2,2)*DSF(J,2))
B(I,J)=B(I,J)+CONST*COND*((B1*B2)+(B3*B4))
20 CONTINUE
30 CONTINUE
C
C If the analysis is steady state, the element matrices are the
C same as the corresponding submatrices calculated above. If the
C analysis is transient, the element conductivity matrix can be
C found directly from the element submatrices, but the element
C flux vector must be determined after an additional submatrix is
C found.
C
DO 40 I=1,9
IF (INIT.EQ.0) TF(I)=F(I,2)
DO 40 J=1,9
IF (INIT.EQ.0) THEN
TA(I,J)=B(I,J)
ELSE
TA(I,J)=A(I,J)+THETA*DT*B(I,J)
C(I,J)=A(I,J)-(1-THETA)*DT*B(I,J)
END IF
40 CONTINUE
C
C If the analysis is steady-state, return to the main program
C
IF (INIT.EQ.0) RETURN
C
C If the analysis is transient, determine the final submatrix

```

C needed to determine the element flux vector.

```
C
DO 50 I=1,9
DO 50 J=1,9
D(I)=D(I)+C(I,J)*TOLD(J)
50 CONTINUE
```

C The flux vector can now be found for the transient analysis.

```
C
DO 60 I=1,9
TF(I)=D(I)+THETA*DT*F(I,2)+(1.0D0-THETA)*DT*F(I,1)
60 CONTINUE
RETURN
END
```

```
*****
*
*               SUBROUTINE INTER
*
*   This subroutine determines the interpolation functions
*   and their derivatives, the jacobian and the inverse of
*   the jacobian matrix for the gauss points of a quadratic
*   quadrilateral element. This subroutine is called by
*   subroutine ELEM.
*
*****
```

```
      SUBROUTINE INTER(N,XI,ETA,X,Y,SF,DSF,GINV,DET)
```

C Request double precision real variables, and dimension the arrays.

```
C
      IMPLICIT REAL*8 (A-H,O-Z)
      DIMENSION SF(9),DSF(9,2),TF(9),TA(9,9),GINV(2,2),GJ(2,2)
      DIMENSION X(200,9),Y(200,9)
```

C The interpolation functions and their derivatives are calculated at  
C the Gauss point for a quadrilateral element.

```
C
      SF(1)=0.25D0*ETA*XI*(1.0D0-XI)*(1.0D0-ETA)
      SF(2)=-0.5D0*ETA*(1.0D0-XI**2)*(1.0D0-ETA)
      SF(3)=-0.25D0*ETA*XI*(1.0D0+XI)*(1.0D0-ETA)
      SF(8)=-0.5D0*XI*(1.0D0-ETA**2)*(1.0D0-XI)
      SF(9)=(1.0D0-XI**2)*(1.0D0-ETA**2)
      SF(4)=0.5D0*XI*(1.0D0-ETA**2)*(1.0D0+XI)
      SF(7)=-0.25D0*ETA*XI*(1.0D0-XI)*(1.0D0+ETA)
      SF(6)=0.5D0*ETA*(1.0D0-XI**2)*(1.0D0+ETA)
      SF(5)=0.25D0*ETA*XI*(1.0D0+XI)*(1.0D0+ETA)
      DSF(1,1)=0.25D0*ETA*(1.0D0-ETA)*(1.0D0-2.0D0*XI)
      DSF(1,2)=0.25D0*XI*(1.0D0-XI)*(1.0D0-2.0D0*ETA)
      DSF(2,1)=ETA*XI*(1.0D0-ETA)
      DSF(2,2)=-0.5D0*(1.0D0-XI**2)*(1.0D0-2.0D0*ETA)
      DSF(3,1)=-0.25D0*ETA*(1.0D0-ETA)*(1.0D0+2.0D0*XI)
      DSF(3,2)=-0.25D0*XI*(1.0D0+XI)*(1.0D0-2.0D0*ETA)
      DSF(4,1)=0.5D0*(1.0D0-ETA**2)*(1.0D0+2.0D0*XI)
      DSF(4,2)=-ETA*XI*(1.0D0+XI)
      DSF(5,1)=0.25D0*ETA*(1.0D0+ETA)*(1.0D0+2.0D0*XI)
      DSF(5,2)=0.25D0*XI*(1.0D0+XI)*(1.0D0+2.0D0*ETA)
      DSF(6,1)=-ETA*XI*(1.0D0+ETA)
      DSF(6,2)=0.5D0*(1.0D0-XI**2)*(1.0D0+2.0D0*ETA)
      DSF(7,1)=-0.25D0*ETA*(1.0D0+ETA)*(1.0D0-2.0D0*XI)
      DSF(7,2)=-0.25D0*XI*(1.0D0-XI)*(1.0D0+2.0D0*ETA)
      DSF(8,1)=-0.5D0*(1.0D0-ETA**2)*(1.0D0-2.0D0*XI)
      DSF(8,2)=ETA*XI*(1.0D0-XI)
      DSF(9,1)=-2.0D0*XI*(1.0D0-ETA**2)
      DSF(9,2)=-2.0D0*ETA*(1.0D0-XI**2)
```

```

C
C Initialize the jacobian matrix
C
      DO 10 II=1,2
      DO 10 JJ=1,2
      GJ(II,JJ)=0.0D0
      10 CONTINUE
C
C Determine the jacobian matrix and its determinant (the jacobian)
C
      DO 20 K=1,9
      GJ(1,1)=GJ(1,1)+DSF(K,1)*X(N,K)
      GJ(1,2)=GJ(1,2)+DSF(K,1)*Y(N,K)
      GJ(2,1)=GJ(2,1)+DSF(K,2)*X(N,K)
      GJ(2,2)=GJ(2,2)+DSF(K,2)*Y(N,K)
      20 CONTINUE
      DET=GJ(1,1)*GJ(2,2)-GJ(2,1)*GJ(1,2)
C
C Determine the inverse of the jacobian matrix
C
      GINV(1,1)=GJ(2,2)/DET
      GINV(1,2)=-GJ(1,2)/DET
      GINV(2,1)=-GJ(2,1)/DET
      GINV(2,2)=GJ(1,1)/DET
      RETURN
      END

*****
*
*              SUBROUTINE BNDY
*
*   This subroutine imposes the temperature boundary conditions
*   on the banded symmetric system of equations.
*   Provided by J.N. Reddy
*
*****

      SUBROUTINE BNDY(NRMAX,NCMAX,NNM,NHBW,GTA,GTF,NPDF,IPDF,VPDF)
      IMPLICIT REAL*8 (A-H,O-Z)
      DIMENSION GTA(NRMAX,NCMAX),GTF(NRMAX)
      DIMENSION IPDF(NPDF),VPDF(NPDF)
C
C Run a DO-loop over the number of specified temperatur
C boundary conditions.
C
      DO 30 NB=1,NPDF
      IE=IPDF(NB)
      SVAL=VPDF(NB)
      IT=NHBW-1
      I=IE-NHBW
      DO 10 II=1,IT
      I=I+1
      IF (I.GE.1) THEN
      J=IE-I+1
      GTF(I)=GTF(I)-GTA(I,J)*SVAL
      GTA(I,J)=0.0D0
      ENDIF
      10 CONTINUE
      GTA(IE,1)=1.0D0
      GTF(IE)=SVAL
      I=IE
      DO 20 II=2,NHBW
      I=I+1
      IF (I.LE.NNM) THEN
      GTF(I)=GTF(I)-GTA(IE,II)*SVAL

```

```

        GTA(IE,II)=0.0D0
    ENDIF
20 CONTINUE
30 CONTINUE
    RETURN
    END
*****
*
*           SUBROUTINE SOLVE
*
*   Solves a banded symmetric system of equations.
*   Provided by J.N. Reddy
*
*****
SUBROUTINE SOLVE (NRM,NCM,NEQNS,NBW,BAND,RHS)
IMPLICIT REAL*8 (A-H,O-Z)
DIMENSION BAND(NRM,NCM),RHS(NRM)
MEQNS=NEQNS-1
DO 30 NPIV=1,MEQNS
    NPIVOT=NPIV+1
    LSTSUB=NPIV+NBW-1
    IF(LSTSUB.GT.NEQNS) LSTSUB=NEQNS
    DO 20 NROW = NPIVOT,LSTSUB
C
C Invert rows and columns for row factor
C
        NCOL=NROW-NPIV+1
        FACTOR=BAND(NPIV,NCOL)/BAND(NPIV,1)
        DO 10 NCOL=NROW,LSTSUB
            ICOL=NCOL-NROW+1
            JCOL=NCOL-NPIV+1
            BAND(NROW,ICOL)=BAND(NROW,ICOL)-FACTOR*BAND(NPIV,JCOL)
10 CONTINUE
        RHS(NROW)=RHS(NROW)-FACTOR*RHS(NPIV)
20 CONTINUE
30 CONTINUE
C
C Back substitution.
C
        DO 70 IJK=2,NEQNS
            NPIV=NEQNS-IJK+2
            RHS(NPIV)=RHS(NPIV)/BAND(NPIV,1)
            LSTSUB=NPIV-NBW+1
            IF(LSTSUB.LT.1) LSTSUB=1
            NPIVOT=NPIV-1
            DO 60 JKI=LSTSUB,NPIVOT
                NROW=NPIVOT-JKI+LSTSUB
                NCOL=NPIV-NROW+1
                FACTOR=BAND(NROW,NCOL)
60 RHS(NROW)=RHS(NROW)-FACTOR*RHS(NPIV)
70 CONTINUE
            RHS(1)=RHS(1)/BAND(1,1)
            RETURN
        END
*****
*
*           SUBROUTINE EMMIT
*
*****
SUBROUTINE EMMIT (NEC,N1,MDIV,RI,EM,TAVE,DFC,DIM,HO,ATIP,SUM2)
C
C Request double precision real variables, place variables used
C by the subroutine in common storage blocks and dimension the arrays.
C

```

```

      IMPLICIT REAL*8 (A-H,O-Z)
      DIMENSION TAVE(200),DFC(15,151)
      DIMENSION IS(20),IT(20),MDIV(4),DIM(4)
C
C Define the Stefan-Boltzman constant in the correct units and the
C constant pi.
      SIGMA=5.6696D-8
      PI=3.141592654D0
      IF (MDIV(1).EQ.0) THEN
        AREA1=0.0D0
        GO TO 47
      END IF
      AREA1=(PI*RI*DSQRT(RI**2+(DIM(1)+HO)**2)-ATIP)/(N1*MDIV(1))
47    IF (MDIV(2).EQ.0) THEN
      AREA2=0.0D0
      GO TO 48
    END IF
    AREA2=(PI*RI*2.0D0*DIM(2))/(N1*MDIV(2))
C
C Determine the number of element levels in the cavity, and
C initialize the distribution factor subscript.
C
      48 N=MDIV(1)+MDIV(2)
         LL=0
         DO 10 I=1,N1
10    IS(I)=NEC-I+1
         NECC=NEC+1
         SUM2=0.0D0
         LL=LL+1
         IF(LL.GT.N1) LL=1
C
C then determine the distribution factor subscripts for the element
C from those of the previously considered element.
C
         DO 20 L=1,N1
           IF (L.EQ.1) IT(L)=IS(N1)
20    IF (L.NE.1) IT(L)=IS(L-1)
         DO 30 L=1,N1
30    IS(L)=IT(L)
C
C Loop over the number of elements in the cavity to determine the
C total flux incident upon element I from the radiometer cavity.
C
         I1=0
         DO 40 J=1,N
           DO 40 K=1,N1
C
C Determine the subscript of the distribution factor corresponding
C to element I1.
C
           JJ=IS(K)
           IF(J.NE.1) JJ=JJ-N1*(J-1)
           IF(LL.EQ.N1) JJ=NEC-I1
           I1=I1+1
C
C Determine energy escaped from the cavity.
C
           AREA=AREA1
           IF (J.GT.MDIV(1)) AREA=AREA2
           JL=N-J+1
           SUM2=SUM2+EM*SIGMA*AREA*(TAVE(I1)**4)*DFC(JL,NECC)
40    CONTINUE
           RETURN
           END

```

```

*****
*
* The following subroutine computes the emissive power of all the
* elements of the optical front end either from known surface or
* volum temperatures or from a given power value.
*
*****
      SUBROUTINE EMPOW(EMIPOW,TAVE,NBWLIN)

      IMPLICIT NONE

C
      REAL*8 LBDA,DLBDA,INT1,INT2,X1,X2,X,W,EMIPOW
      REAL*8 TPELMT,SWRADFLU,LWRADFLU
      REAL*8 C1,C2,SIGMA,SWTSCN,LWTSCN
      REAL*8 PI
      REAL*8 DOMTHC,DOABCO
      REAL*8 TFOVL,TUSUB,TLSUB,TDOME,TRING,TCAVSUB,TAVE

C
      INTEGER IS,NMAX,INDX,MAXWLI,MAXELT
      INTEGER ELT,ELT1,ELT2,WVL,I,II
      INTEGER NBWLIN,K

C
      PARAMETER (IS=1000,MAXWLI=20,MAXELT=600)

C
      DIMENSION X(IS),W(IS),EMIPOW(MAXELT,MAXWLI)
      DIMENSION LBDA(20),TAVE(100),TPELMT(200)
      DIMENSION TDOME(60)

C
      COMMON /DOME/DOMTHC,DOABCO,NBWLIN
      COMMON /LMBDA/LBDA
      OPEN(98,FILE='surfac.tmp')

C
C Read the distribution of wavelength intervals and calculate dlbda
C
      NMAX=20
      PI=DACOS(-1.0D0)
      C1=0.59544D8
      C2=14388.0D0
      SIGMA=5.6696D-8
      X1=0.D0

C
C Read the radiative flux incident to the instrument, as well as
C the temperatures of the zones, including the scene temp.
C
      READ(03,*)SWRADFLU,LWRADFLU
      WRITE(6,*)SWRADFLU+LWRADFLU
      READ(36,*)SWTSCN,LWTSCN
      READ(29,*)TFOVL
      READ(30,*)TUSUB
      READ(31,*)TLSUB
      READ(32,*)
      DO 10 I=1,60
         READ(32,*)II,TDOME(I)
      c      READ(32,*)TDOME(I)
C      TDOME(I)=0.0D0
10 CONTINUE
      REWIND 32
      READ(33,*)TRING
      READ(34,*)TCAVSUB

C
      TPELMT(1)=SWTSCN
      TPELMT(2)=TFOVL
      TPELMT(3)=TUSUB

```



```

    TPELMT(4)=TFSUB
    TPELMT(5)=TRING
    TPELMT(6)=TCAVSUB
    DO 20 I=1,100
        TPELMT(I+6)=TAVE(I)
20  CONTINUE
    DO 30 I=1,60
        TPELMT(I+106)=TDOME(I)
30  CONTINUE
C
C Compute the spectral emissive power of each element.
C
    DO 100 ELT=2,166

        DO 101 WV=1,NBWLIN-1
C
C Compute the integral from 0 to lbda(k)
C
        INT1 = 0.0D0
        IF (LBDA(WV).LE.0.D0) GO TO 99
        X2 = LBDA(WV)*TPELMT(ELT)
        CALL GAULEG (IS,X1,X2,X,W,NMAX)
        DO 110 INDX=1,NMAX
            INT1=INT1 + 2.D0*PI*C1*DEXP(-C2/X(INDX))/(SIGMA*(X(INDX)**5)*
&                (1.D0-DEXP(-C2/X(INDX))))*W(INDX)
110  CONTINUE
C
C Compute the integral from 0 to lbda(k+1)
C
99  INT2 = 0.0D0
        X2=LBDA(WV+1)*TPELMT(ELT)
        CALL GAULEG (IS,X1,X2,X,W,NMAX)
        DO 120 INDX=1,NMAX
            INT2=INT2 + 2.D0*PI*C1*DEXP(-C2/X(INDX))/(SIGMA*(X(INDX)**5)*
&                (1.D0-DEXP(-C2/X(INDX))))*W(INDX)
120  CONTINUE
C
C Compute the emissive power in the wl interval lbda(k)-lbda(k+1)
C
        EMIPOW(ELT,WV)=(INT2-INT1)*SIGMA*TPELMT(ELT)*TPELMT(ELT)*
&                TPELMT(ELT)*TPELMT(ELT)
101  CONTINUE
        WV = NBWLIN
        INT1 = 0.0D0
        INT2 = 0.0D0
        X2 = LBDA(WV)*TPELMT(ELT)
        CALL GAULEG (IS,X1,X2,X,W,NMAX)
        DO 130 INDX=1,NMAX
            INT2=INT2 + 2.D0*PI*C1*DEXP(-C2/X(INDX))/(SIGMA*(X(INDX)**5)*
&                (1.D0-DEXP(-C2/X(INDX))))*W(INDX)
130  CONTINUE
        EMIPOW(ELT,WV)=(1.D0 - INT2)*SIGMA*TPELMT(ELT)*TPELMT(ELT)*
&                TPELMT(ELT)*TPELMT(ELT)
100  CONTINUE
C
C Emissive power from the Scene
C
    ELT=1
C
C Shortwave power:
C
    DO 200 WV=1,NBWLIN-1
C
C Compute the integral from 0 to lbda(k)
C

```

```

      INT1 = 0.0D0
      IF (LBDA(WVL).LE.C.D0) GO TO 98
      X2 = LBDA(WVL)*SWTSCN
      CALL GAULEG(IS,X1,X2,X,W,NMAX)
      DO 210 INDX=1,NMAX
          INT1=INT1 + 2.D0*PI*C1*DEXP(-C2/X(INDX))/(SIGMA*(X(INDX)**5)*
&          (1.D0-DEXP(-C2/X(INDX))))*W(INDX)
210  CONTINUE
C
C Compute the integral from 0 to lbda(k+1)
C
98  INT2 = 0.0D0
      X2=LBDA(WVL+1)*SWTSCN
      CALL GAULEG(IS,X1,X2,X,W,NMAX)
      DO 220 INDX=1,NMAX
          INT2=INT2 + 2.D0*PI*C1*DEXP(-C2/X(INDX))/(SIGMA*(X(INDX)**5)*
&          (1.D0-DEXP(-C2/X(INDX))))*W(INDX)
220  CONTINUE
C
C Compute the emissive power in the wl interval lbda(k)-lbda(k+1)
C
      EMIPOW(ELT,WVL)=(INT2-INT1)*SWRADFLU
200  CONTINUE
      WVL = NBWLIN
      INT1 = 0.0D0
      INT2 = 0.0D0
      X2 = LBDA(WVL)*SWTSCN
      CALL GAULEG(IS,X1,X2,X,W,NMAX)
      DO 230 INDX=1,NMAX
          INT2=INT2 + 2.D0*PI*C1*DEXP(-C2/X(INDX))/(SIGMA*(X(INDX)**5)*
&          (1.D0-DEXP(-C2/X(INDX))))*W(INDX)
230  CONTINUE
      EMIPOW(ELT,WVL)=(1.D0 - INT2)*SWRADFLU
C
C Longwave Power (added to the shortwave power)
C
      DO 250 WVL=1,NBWLIN-1
C
C Compute the integral from 0 to lbda(k)
C
      INT1 = 0.0D0
      IF (LBDA(WVL).LE.0.D0) GO TO 97
      X2 = LBDA(WVL)*LWTSCN
      CALL GAULEG(IS,X1,X2,X,W,NMAX)
      DO 260 INDX=1,NMAX
          INT1=INT1 + 2.D0*PI*C1*DEXP(-C2/X(INDX))/(SIGMA*(X(INDX)**5)*
&          (1.D0-DEXP(-C2/X(INDX))))*W(INDX)
260  CONTINUE
C
C Compute the integral from 0 to lbda(k+1)
C
97  INT2 = 0.0D0
      X2=LBDA(WVL+1)*LWTSCN
      CALL GAULEG(IS,X1,X2,X,W,NMAX)
      DO 270 INDX=1,NMAX
          INT2=INT2 + 2.D0*PI*C1*DEXP(-C2/X(INDX))/(SIGMA*(X(INDX)**5)*
&          (1.D0-DEXP(-C2/X(INDX))))*W(INDX)
270  CONTINUE
C
C Compute the emissive power in the wl interval lbda(k)-lbda(k+1)
C
      EMIPOW(ELT,WVL) = EMIPOW(ELT,WVL) + (INT2-INT1)*LWRADFLU
250  CONTINUE
      WVL = NBWLIN

```

```

      INT1 = 0.0D0
      INT2 = 0.0D0
      X2 = LBDA(WVL)*LWTSCN
      CALL GAULEG(IS,X1,X2,X,W,NMAX)
      DO 280 INDX=1,NMAX
          INT2=INT2 + 2.D0*PI*C1*DEXP(-C2/X(INDX))/(SIGMA*(X(INDX)**5)*
&          (1.D0-DEXP(-C2/X(INDX))))*W(INDX)
280  CONTINUE
      EMIPOW(ELT,WVL) = EMIPOW(ELT,WVL) + (1.D0 - INT2)*LWRADFLU
C
      RETURN
      END
*****
*
* THE FOLLOWING SUBROUTINE PERFORMS A GAUSS-LEGENDRE
* QUADRATURE TO
* EXECUTE A NUMERICAL INTEGRATION. THE X'S ARE THE ROOTS OF THE
* LEGENDRE POLYNOMIAL AND THE W'S ARE THEIR CORRESPONDING
* WEIGHTS.
* (COURTESY OF DR. J.R. THOMAS, ME DEPARTMENT AT VIRGINIA TECH)
*
*****

      SUBROUTINE GAULEG (IS, X1, X2, X, W, N)

      IMPLICIT REAL*8 (A-H,O-Z)
      DIMENSION X (IS), W (IS)
      PARAMETER (EPS=1.D-15)

      PI=DACOS (-1.D0)
      M=(N+1)/2
      XM=0.5D0*(X2+X1)
      XL=0.5D0*(X2-X1)
      DO 12 I=1, M
          Z=DCOS (PI*(DBLE (I) - .25D0) / (DBLE (N) + .5D0))
1      CONTINUE
          P1=1.D0
          P2=0.D0
          DO 11 J=1, N
              DJ=DBLE (J)
              P3=P2
              P2=P1

              P1= ((DBLE (2.D0*J) - 1.D0) *Z*P2 - (DJ-1.D0) *P3) /DJ
11      CONTINUE
          PP=DBLE (N) * (Z*P1 - P2) / (Z*Z-1.D0)
          Z1=Z
          Z=Z1 - P1/PP
          IF (ABS (Z - Z1) .GT. EPS) GO TO 1
          X (I) =XM - XL*Z
          X (N+1 - I) =XM + XL*Z
          W (I) =2.D0*XL / ((1.D0 - Z*Z) *PP*PP)
          W (N+1 - I) =W (I)
12      CONTINUE
      RETURN
      END

```

## Vita

Kory J. Priestley was born on April 14, 1969 in Panorama City, California. He grew up in the cities of Ft. Lauderdale, FL, San Juan, Puerto Rico, Oklahoma City, OK, Memphis, TN, and Lancaster, CA. In May, 1987 he graduated from Paraclete High School in Lancaster, CA.

In September, 1987 Kory began his undergraduate studies in Mechanical Engineering at Antelope Valley College in Lancaster, CA. In September, 1989 he transferred to California Polytechnic State University at San Luis Obispo, where he received his Bachelor of Science Degree in March, 1992. He spent the summer of that same year working as a Langley Research Summer Scholar at NASA's Langley Research Center.

In August of 1992, Kory began his graduate studies at Virginia Polytechnic Institute & State University and earned a Master of Science Degree from the Mechanical Engineering Department in October, 1993. He served as a Graduate Research Assistant until June of 1993 when he was awarded a Fellowship from NASA's Graduate Student Researcher's Program.



Kory J. Priestley