

Analysis of Adiabatic Shear Banding in a Thick-Walled Steel Tube by the Finite Element Method

by

Dean J. Rattazzi

Thesis submitted to the faculty of the
Virginia Polytechnic Institute and State University
in partial fulfillment of the requirements for the degree of

Master of Science

in

Engineering Mechanics

APPROVED:

Prof. Romesh C. Batra, Chairman

Prof. Rakesh K. Kapania

Prof. Ronald D. Kriz

September, 1996

Blacksburg, Virginia

keywords: adiabatic shear band, high strain rate, thick-walled cylinder, DYNA3D.

Analysis of Adiabatic Shear Banding in a Thick-Walled Steel Tube by the Finite Element Method

by

Dean J. Rattazzi

Committee Chairman: Prof. Romesh C. Batra

Engineering Mechanics

(ABSTRACT)

The initiation and propagation of adiabatic shear bands is analyzed numerically for an impulsively loaded thick-walled steel tube. A circumferential V-notch located at the outer surface of the center of the tube provides a stress concentration. The material is modeled as strain hardening, strain-rate hardening and thermal softening. The dynamic loading conditions considered are pure torsion, axial pressure combined with torsion, and internal pressure combined with torsion. Because of the stress concentration, a shear band will first initiate in an element adjoining the notch tip and propagate radially inwards through the thickness of the tube. The speed of propagation and the amount of energy required to drive a shear band through the material are calculated. The effects of the pressure preload and the depth of the notch are studied. Also, the influence of thermal softening is investigated by modeling it after a relation proposed by Zhou et al.

Acknowledgments

This work was supported by the Army Research Office grant DAAH04-95-1-0043, the National Science Foundation grant CMS9411383, and the Office of Naval Research grant N00014-94-1-1211 to Virginia Polytechnic Institute and State University.

Contents

1	Introduction	1
2	Formulation of the Problem	3
3	Computation and Discussion of Results	6
3.1	Torsion of the Tube	9
3.2	Effect of Notch Depth	16
3.3	Effect of Prior Axial Loading	19
3.4	Effect of Internal Pressure	23
3.5	Torsion of a CR-300 Steel Tube	25
4	Conclusions	29
A	FORTRAN Converter Programs	60
A.1	Program to Convert a PATRAN Neutral File to a DYNA3D Input File . .	60
A.2	Program to Convert Modified DYNA3D Output Files to PATRAN Results Files	82
B	FORTRAN Utility Programs	87
B.1	Program to Calculate Torque on the Tube	87
B.2	Program to Calculate External Work Done by Torque	92
B.3	Program to Calculate External Work Done by Axial Pressure	94
B.4	Program to Calculate Shear Band Speed	98
B.5	Program to Extract Data from the Modified DYNA3D Output Files . . .	105
B.6	Program to Convert Modified DYNA3D Binary Output Files to Ascii . . .	109
B.7	Program to Convert Stress and Displacement to Cylindrical Coordinates .	111

List of Figures

1	(a) Finite element discretization of the tube, and (b) Details of the notch.	34
2	Distribution of the effective plastic strain on a radial line for notch 4 with different values of the maximum applied angular speed; (a) $t = 20 \mu s$, (b) $t = 70 \mu s$	35
3	Time history of (a) the effective stress, (b) the effective plastic strain, and (c) the temperature at the centroids of eleven elements on a radial line through the notch tip, for notch 4 with $\omega_o = 6500 \text{ rad/s}$	36
4	Dependence of the initiation of a shear band on the prescribed angular speed, calculated by three different criteria, for notch 4 and a load duration of $70 \mu s$	37
5	Band speed according to different initiation criteria vs. the radial distance from the notch tip; The band initiates when (a) the effective stress attains its maximum value (b) the effective stress has dropped to 90% of its maximum value; (c) and (d) the effective plastic strain equals 0.46 and 0.90 respectively. Results are for notch 4 with $\omega_o = 6500 \text{ rad/s}$	38
6	Time history of the torque required to deform the tube with notch 4 for three different durations of the applied angular speed, with $\omega_o = 6500 \text{ rad/s}$	39
7	Deformed configuration of a plane passing through the tube's axis at $t = 100 \mu s$ for notch 4 with $\omega_o = 6500 \text{ rad/s}$ and a load duration of $110 \mu s$	40

8	Time history of the kinetic energy of the material to the left and right of the notch for notch 5 with $\omega_o = 6500$ rad/s.	41
9	External work done vs. the radial distance through which a shear band (a contour of effective plastic strain of 0.50) has propagated for notch 4 with $\omega_o = 6500$ rad/s.	42
10	Stress distribution on a radial line for notch 5 with $\omega_o = 6500$ rad/s at (a) $t = 10 \mu s$, and (b) $t = 40 \mu s$	43
11	Dependence of the time of initiation of a shear band upon the defect size as computed by three different criteria, for the case of $\omega_o = 6500$ rad/s.	44
12	Time history of the torque required to deform the tube for five different notches with $\omega_o = 6500$ rad/s.	45
13	External work done vs. the radial distance through which a shear band (a contour of effective plastic strain of 0.5) has propagated for notches 2, 3, 4 and 5 with $\omega_o = 6500$ rad/s.	46
14	Band speed vs. the radial distance through which a shear band (a contour of effective plastic strain of 0.5) has propagated for notches 2, 3, 4 and 5 with $\omega_o = 6500$ rad/s.	47
15	Loading history for combined pressure and torsional loading.	48
16	Time history of (a) the effective stress, (b) the effective plastic strain and (c) the temperature at the centroid of the element below the notch tip for notch 5 with combined axial and torsional loading.	49
17	Band speed in the radial direction for different axial loads vs. the radial distance through which a shear band (a contour of effective plastic strain of 0.5) has propagated for notch 5 with combined axial and torsional loading.	50

18	Time history of (a) the effective stress and (b) the effective plastic strain at the centroids of eleven elements on a radial line through the notch tip for notch 5 for the case of combined tensile axial and torsional loading with $P_o = 500$ MPa.	51
19	External work done vs. the radial distance through which a shear band has propagated for notch 5 for the cases of pure torsional loading, and constant tensile axial loading combined with torsional loading.	52
20	Time history of (a) the effective stress and (b) the effective plastic strain at the centroids of eleven elements on a radial line through the notch tip for notch 5 with a constant internal pressure of 800 MPa and a torsional pulse starting at $t = 40 \mu s$	53
21	Variation of shear band (a contour of effective plastic strain of 0.5) speed with the radial distance from the notch tip for notch 5 with an applied internal pressure of 800 MPa followed by torsional loading.	54
22	Time history of (a) the effective stress, (b) the effective plastic strain and (c) the temperature at two elements - one just below the notch tip and the other adjoining the inner surface of a CR-300 steel thick-walled tube with notch 5 deformed in torsion.	55
23	Band speed vs. the radial distance from the notch tip of a shear band in a CR-300 steel thick-walled tube with notch 5 deformed in torsion, as computed by the criteria (a) a contour of effective plastic strain of 0.50, and (b) a drop to 90% of the maximum effective stress.	56
24	External work done vs. the radial distance through which a shear band (a contour of effective plastic strain of 0.5) has propagated for torsional deformations of the CR-300 steel thick-walled tube with notch 5.	57

25	Time history of the torque required to deform the CR-300 steel thick-walled tube with notch 5.	58
26	Distribution of the different components of stress on a radial line through the notch tip for torsional deformations of the CR-300 steel thick-walled tube with notch 5 for $\kappa = 800$ K, at (a) $t = 10.5 \mu s$ and (b) $t = 30.5 \mu s$	59

1 Introduction

Since shear bands usually precede shear fractures in impulsively loaded ductile materials, their study has drawn considerable attention. Even though Tresca (1878) observed them over a century ago during the hot forging of a platinum bar, the activity in the field has picked up since 1944 when Zener and Hollomon (1944) reported observing shear bands during the punching of a hole in a low carbon steel plate. A shear band is a narrow region, usually a few microns (micrometers) wide, that forms in high strain-rate deformations of many metals and some polymers. The primary mode of deformation in these narrow regions is simple shearing. They are called adiabatic since they fully develop in a few microseconds and there is not enough time for the heat to be conducted out of these severely deformed regions. Zener and Hollomon (1944) postulated that the material becomes unstable when the softening caused by heating due to plastic deformation equals the hardening of the material due to strain and strain-rate effects. Analytical works (e.g. see Clifton (1980), Anand et al. (1987)) have assumed that a shear band initiates when the shear stress in a simple shearing problem or the effective stress in a three dimensional problem attains its maximum value. Much of the work done during the last two decades is reviewed in papers included in works edited by Zbib et al. (1992), Armstrong et al. (1994) and Batra and Zbib (1994). Two of the unresolved issues are the energy required to drive a shear band and the effect of a multi-axial state of stress on the initiation and propagation of an adiabatic shear band. We attempt to address these issues by studying the initiation and propagation of an adiabatic shear band in an impulsively loaded thick-walled steel tube with a V -notch at the midsection. The stress state near the notch root is expected to be triaxial and because of the stress concentration, a shear band should initiate there first. Previous experimental (e.g. see Marchand

and Duffy (1988)) works on the torsion of thin-walled steel tubes and their numerical simulation (Wright and Walter (1987), Batra and Kim (1992)) as simple shearing problems have revealed that the shear stress drops catastrophically at the instant of the initiation of a shear band. Batra and Zhang (1994) studied numerically the torsion of a thin-walled steel tube as a 3-dimensional problem and assumed that the yield stress of a small region near the center of the tube was 5% less than that of the rest of the material. They found that the torque required to deform the tube dropped very rapidly when a shear band, as evidenced by distortions of the deformed mesh, initiated.

2 Formulation of the Problem

We use the referential or Lagrangian description of motion to study dynamic thermo-mechanical deformations of a thick-walled steel tube; these deformations are governed by the following balance laws of mass, linear momentum, moment of momentum and internal energy (e.g. see Truesdell and Noll (1965)).

$$\rho J = \rho_o \tag{1}$$

$$\rho_o \dot{\mathbf{v}} = \text{Div } \mathbf{T} \tag{2}$$

$$\mathbf{F}^T \mathbf{T} = \mathbf{T}^T \mathbf{F} \tag{3}$$

$$\rho_o \dot{e} = \text{tr}(\mathbf{T} \dot{\mathbf{F}}^T) \tag{4}$$

Here ρ_o is the mass density of a material particle in the reference configuration, ρ its present mass density, \mathbf{F} the deformation gradient, $J = \det \mathbf{F}$, \mathbf{v} the present velocity of a material particle, a superimposed dot denotes the material time derivative, \mathbf{T} the first Piola-Kirchhoff stress tensor, \mathbf{F}^T the transpose of \mathbf{F} , e the internal energy density, tr denotes the trace operator and Div signifies divergence with respect to coordinates in the reference configuration. In eqn. (4) the effect of heat conduction has been neglected. This is justified because a shear band develops in a few microseconds and there is not enough time for the heat to be conducted out of the band. Batra and Kim (1991) have shown through numerical experiments that heat conduction has a negligible effect on the time of initiation of a shear band. As is the case in continuum mechanics, we require that the balance of moment of momentum (3) be identically satisfied. In eqn. (4) we have assumed that all of the plastic working, rather than 90-95% of it as asserted by Farren and Taylor (1925) and Sulijoadikusumo and Dillon (1979), is converted into heating. We postulate the following constitutive relations

for the material of the tube.

$$\mathbf{T} = J\boldsymbol{\sigma}(\mathbf{F}^{-1})^T, \quad \boldsymbol{\sigma} = -p\mathbf{1} + \mathbf{S}, \quad p = K(\rho/\rho_o - 1), \quad (5)$$

$$\overset{\nabla}{\mathbf{S}} = 2\mu(\overline{\mathbf{D}} - \overline{\mathbf{D}}^p), \quad \overset{\nabla}{\mathbf{S}} = \mathbf{S} + \mathbf{S}\mathbf{W} - \mathbf{W}\mathbf{S}, \quad (6)$$

$$\mathbf{D} = \frac{1}{2}(\text{grad } \mathbf{v} + (\text{grad } \mathbf{v})^T), \quad \mathbf{W} = \frac{1}{2}(\text{grad } \mathbf{v} - (\text{grad } \mathbf{v})^T), \quad (7)$$

$$\overline{\mathbf{D}} = \mathbf{D} - \frac{1}{3}(\text{tr } \mathbf{D})\mathbf{1}, \quad \text{tr } \mathbf{D}^p = 0, \quad \mathbf{D}^p = \Lambda\mathbf{S}, \quad S_e^2 \equiv \frac{3}{2}\text{tr}(\mathbf{S}\mathbf{S}^T), \quad (8)$$

$$\dot{c} = c\dot{\theta} + \text{tr}(\boldsymbol{\sigma}\mathbf{D}^e), \quad \sigma_y = (A + B(\epsilon^p)^n)(1 + C \ln(\dot{\epsilon}^p/\dot{\epsilon}_o))(1 - T^m), \quad (9)$$

$$T = (\theta - \theta_o)/(\theta_m - \theta_o), \quad (\dot{\epsilon}^p)^2 = \frac{2}{3} \text{tr}(\mathbf{D}^p\mathbf{D}^p). \quad (10)$$

Here $\boldsymbol{\sigma}$ is the Cauchy stress tensor, \mathbf{S} its deviatoric part, p the hydrostatic pressure taken to be positive in compression, K the bulk modulus, μ the shear modulus, $\overset{\nabla}{\mathbf{S}}$ the Jaumann derivative of \mathbf{S} , $\overline{\mathbf{D}}$ the deviatoric strain-rate, \mathbf{D}^p the plastic strain-rate, \mathbf{D}^e the elastic strain-rate, $\mathbf{D} = \mathbf{D}^e + \mathbf{D}^p$ the strain-rate tensor, \mathbf{W} the spin tensor, c the specific heat, θ the temperature of a material particle, θ_m its melting temperature, θ_o the room temperature, T the homologous temperature, S_e the effective stress, and ϵ^p the effective plastic strain. Equation (5)₃ implies that the volumetric response of the material is elastic. Equation (6)₁ is the constitutive relation in terms of deviatoric stresses for a linear isotropic hypoelastic material, $\text{grad } \mathbf{v}$ equals the gradient of the velocity field with respect to coordinates in the present configuration, eqn. (8)₄ signifies the von Mises yield criterion with isotropic hardening, and eqn. (9)₂ is the Johnson-Cook (1983) relation. The flow stress, σ_y , increases with an increase in the effective plastic strain and the effective plastic strain rate but decreases with an increase in the temperature of a material particle. Truesdell and Noll (1965) have pointed out that eqn. (9)₁ is not invariant with respect to the choice of different objective (or material frame indifferent) time derivatives of the stress tensor. In eqn. (9)₂ parameters B and n characterize the strain hardening of the material, C and $\dot{\epsilon}_o$

its strain-rate hardening and $(1 - T^m)$ its thermal softening. Equation $(8)_3$ signifies that the plastic strain-rate is along the normal to the yield surface $(8)_4$, and the factor of proportionality Λ is given by

$$\Lambda = 0 \text{ when either } S_e < \sigma_y, \text{ or } S_e = \sigma_y \text{ and } tr(\mathbf{SD}^p) < 0; \quad (11)$$

otherwise it is a solution of

$$S_e = (A + B(\epsilon^p)^n)(1 + C \ln(\frac{2}{3}\Lambda S_e/\dot{\epsilon}_o))(1 - T^m). \quad (12)$$

Our constitutive hypotheses (5) and $(9)_2$ imply that the flow stress required to deform a material point plastically vanishes once its temperature equals the melting temperature of the material; the material point will then behave as a compressible, nonviscous fluid. In physical experiments, fracture in the form of a crack will ensue from the point much before it is heated up to the melting temperature of the material. Here we have not incorporated any fracture criterion into the problem formulation, and in our numerical simulations for the 4340 steel tube, no material point reaches its melting temperature.

We take the body to be initially at rest, stress free and at a uniform temperature θ_o . All bounding surfaces of the tube are taken to be thermally insulated; this is consistent with the assumption of locally adiabatic deformations. One end face of the tube is rigidly clamped and the other end is loaded either by a prescribed angular speed, or a normal pressure followed by a prescribed angular speed. In another case, the angular speed is preceded by a pressure load on the inner wall of the tube. In each case, the prescribed variable increases linearly in time from zero to the assigned value in $20 \mu s$, stays there for the desired duration, and then decreases linearly to zero in $20 \mu s$. The time duration during which the prescribed quantity stays fixed is varied to change the energy input into the system. The rise time of $20 \mu s$ is typical of torsional tests conducted in a split Hopkinson bar.

3 Computation and Discussion of Results

We assigned the following values to various material and geometric parameters in order to compute numerical results presented and discussed below in sections 3.1 through 3.4.

$$\begin{aligned}\rho_o &= 7,840 \text{ kg/m}^3, & \mu &= 76 \text{ GPa}, & K &= 157 \text{ GPa} \\ A &= 792.2 \text{ MPa}, & B &= 509.5 \text{ MPa}, & n &= 0.26, & C &= 0.014, & m &= 1.03 \\ \theta_m &= 1793 \text{ K}, & \theta_o &= 298 \text{ K}, & \dot{\epsilon}_o &= 1/s, & c &= 477 \text{ J/kg}^\circ\text{C} \\ \text{Inner radius} &= 1.27 \text{ mm}, & \text{Outer radius} &= 4.445 \text{ mm}, & \text{Tube length} &= 16.51 \text{ mm}.\end{aligned}\tag{13}$$

The values of material parameters in the Johnson-Cook model for 4340 steel are taken from Rajendran (1992). The range of effective plastic strains, effective plastic strain rates and temperatures used to obtain these values is much smaller than that likely to occur in a shear band problem. Klepaczko et al. (1987) have pointed out that nearly all of the material parameters in (13) depend upon the temperature. However, such temperature dependence is not considered herein primarily because of the difficulty in finding test data over the wide range of strains, strain-rates and temperatures likely to occur within a shear band.

The coupled thermomechanical problem formulated in the preceding section is highly nonlinear and can not be solved analytically; therefore we seek its approximate solution by the finite element method and employ the large scale explicit finite element code DYNA3D developed by Whirley and Hallquist (1991). The code uses 8-noded brick elements, one-point quadrature rule, an hour-glass control to suppress spurious modes, and adjusts the time step adaptively to satisfy the Courant condition; thus the stability condition is satisfied. Because of the use of a one-point integration rule, stresses, strains and temperatures in an element are assumed to be constants.

In DYNA3D, artificial bulk viscosity is added to smear out the shocks; this may influence the time at which a shear band initiates. In this method, the pressure in elements being compressed is augmented by an artificial viscous term q given by

$$q = \rho \hat{l} |tr(\mathbf{D})| (Q_1 \hat{l} |tr(\mathbf{D})| + Q_2 \hat{c}). \quad (14)$$

Here Q_1 and Q_2 are dimensionless constants which default to 1.5 and 0.06 respectively, \hat{l} is the cube root of the volume of the element, \hat{c} is the speed of sound in the material and equals $((K + 4\mu/3)/\rho_0)^{\frac{1}{2}}$. Batra and Adulla (1995) have shown that different values of Q_1 and Q_2 have virtually no effect on the instant of initiation of an adiabatic shear band. Results presented below are for default values of Q_1 and Q_2 . The code neglects the effect of heat conduction which has the advantage that the time step, Δt , is controlled by the mechanical problem, and the temperature rise, $\Delta\theta$, at the centroid of an element is computed from

$$\rho c \Delta\theta = tr(\mathbf{SD}^p) \Delta t \quad (15)$$

which follows from equations (5), (8)_{1,2} and (9)₁.

The finite element mesh generally consisted of 11 elements in the radial direction, 71 elements in the axial direction and 108 elements in the circumferential direction; a finer mesh could not be used within available computational resources. The mesh was essentially uniform in the radial direction but was slightly graded in the axial direction away from the notch; the aspect ratio for elements near the notch was close to 1, while the remainder of the elements had aspect ratios no greater than 3.5. As shown by Batra and Ko (1992), an adaptively refined mesh gives sharper results for the rate of evolution of a quantity within a shear band but does not affect when a shear band initiates. Since most of the results presented herein involve the initiation of a shear band, they are representative of the problem studied. Because of our desire

to directly evaluate quantities at points on the midsurface of the tube, the mesh had one row of elements with their centroids at the midsurface. This blunted the root of the V -notch causing the notch to look more like an open channel; a finite element discretization of the tube and a sketch of the V -notch are shown in Fig. 1. The notch shape was varied by changing the dimension d ; it equals 0.142, 0.221, 0.3, 0.379 and 0.458 mm respectively, for notches 1, 2, 3, 4 and 5.

3.1 Torsion of the Tube

The tube is deformed by keeping one end face stationary and twisting the other end face by prescribing on it an angular speed that increases linearly from zero to the maximum value, ω_o , in $20 \mu s$, keeping it steady for t_r microseconds, then decreasing it linearly to zero in $20 \mu s$ and keeping it at zero. The average shear strain-rate is least for points on the inner surface of the tube and most at points on the outer surface. As should be clear from the distribution of the effective plastic strain on a radial line plotted in Fig. 2 for different values of the maximum angular speed applied to the tube with notch 4, and for a $70 \mu s$ total duration of the loading pulse, at lower values of the prescribed maximum angular speed elements below the notch tip do not undergo much plastic deformation at $t = 20 \mu s$. Even at $t = 70 \mu s$ and $\omega_o = 2786 \text{ rad/s}$ the material in nearly half of the thickness of the tube adjoining its inner surface has an effective plastic strain of at most 0.25. This is because the external work done during the loading of the body or the energy supplied by the loading pulse is not enough to cause intense plastic deformations of the material underneath the notch bottom. Figure 3 depicts the time history of the effective stress, effective plastic strain and temperature at the centroids of 11 elements on a radial line through the notch tip for $\omega_o = 6500 \text{ rad/s}$ and $t_r = 30 \mu s$; curve 1 is for the first element below the notch tip, and curve 11 is for the element adjoining the inner surface of the tube. Even though the problem was analyzed as three-dimensional, the deformations were found to be independent of the angular position of a material point. It is clear from these plots that once the elastic shear loading wave arrives at the centroid of the notch at about $2.65 \mu s$, the effective stress in the element abutting the notch root rises sharply because of the stress concentration there. We note that the elastic shear loading wave arrives at these eleven elements at the same time. The different rate of rise of the

effective stress in these elements is due to the fact that the average shear strain-rate and thus the average shear strain increases, at least during the initial elastic part of deformations, with the radial distance of a point from the tube's axis. Also, the effects of stress concentration and the triaxiality of deformations due to the notch diminish rapidly with the distance from the notch tip; we address these issues a little later. Since the effective stress after having reached its peak value drops rather gradually, it is hard to decide when a shear band initiates. We note that during torsional tests on thin-walled tubes, Marchand and Duffy (1988) observed a catastrophic drop in the shear stress at the initiation of a shear band; similar rapid drops in the shear stress were computed by Wright and Walter (1987) during their numerical simulations of the test as a simple shearing problem, and by Batra and Zhang (1994) who analyzed it as a three-dimensional problem. Batra and Kim (1992) studied the simple shearing problem for twelve materials and postulated that a shear band initiates in earnest when the shear stress has dropped to 90% of the peak value. Deltort (1994) has associated the initiation of severe localization of deformation with the instant when the shear stress has dropped to 80% of its peak value. Analytical works (e.g. see Clifton (1980)) usually assume that a shear band initiates when the shear stress in a simple shearing problem attains its peak value. Marchand and Duffy did not report the values of the effective plastic strain within a shear band at the instant of its initiation, but indicated a maximum shear strain of 20 within a fully developed band. Zhou et al. (1996) studied the development of shear bands in a single-notched CR-300 steel plate and assumed that a material particle within a shear band fails and subsequently behaves as a nonlinear viscous fluid once the effective plastic strain there equals 0.4. As is evident from the plots of the evolution of the effective plastic strain and the temperature, their values at the instant of initiation of a shear band will vary with the criterion used for the initiation of a shear band. For example, at

the instant of the effective stress attaining its peak value in the element just below the notch tip, the effective plastic strain and the temperature in it equal 0.39 and 154°C respectively. However, when the effective stress has dropped to 90% of its peak value in that element, the effective plastic strain and the temperature there equal 1.26 and 436°C respectively. In either case, the temperature in the element at the instant a shear band initiates is nowhere close to its melting temperature. Of course, the temperature and the effective plastic strain there continue to increase at an increasing rate during the postlocalization period until the time the loaded end is brought to rest and is subsequently kept at rest. The temperature in the element below the notch tip at $t = 60 \mu\text{s}$ reaches 1156°C, which equals 80% of the presumed melting temperature of the material.

By adopting a criterion for the initiation of a shear band, one can ascertain the time at which a shear band initiates in different elements on a radial line through the notch tip and thus compute the band speed in the radial direction. Figure 4 shows the dependence of the time of the initiation of a shear band in the first element below the notch tip on the prescribed angular speed as computed by the following three criteria: (i) the effective plastic strain equals 0.50, (ii) the effective stress attains its maximum value, and (iii) the effective stress has dropped to 90% of its maximum value. It is clear from the figure that the initiation time depends on the rate of loading as well as the definition chosen to characterize the initiation of a shear band. Figure 5 illustrates, for $\omega_o = 6500 \text{ rad/s}$, the variation of the band speed with the radial distance from the notch tip computed by criterion (ii) and (iii) stated above, and by the following additional criteria: (iv) the effective plastic strain equals 0.46, and (v) the effective plastic strain equals 0.90. For each case, the band speed starts out at about 50 m/s when it initiates in an element just below the notch root, and begins to increase as it propagates radially inwards; the variation of speed with the

radial distance is not monotonic. Both the band speed and its variation with the radial distance depend strongly upon the criterion used for the initiation of a shear band; the maximum band speed computed is 130 m/s. Possible reasons for getting an erratic variation of the band speed with the radial distance obtained by using criterion (ii) are the coarseness of the finite element mesh, the discrete times at which the output is printed, and the error in estimating exactly when the peak stress occurs in an element. Peng and Batra (1995) analyzed shear bands in a 4340 steel thick-walled tube with a hemispherical cavity centered at the outer surface of the midsection of the tube. In this case a shear band initiating at the bottom of the cavity could propagate in the axial, circumferential, and radial directions. They found that a contour of effective plastic strain of 0.7 propagated in the circumferential and radial directions at approximately 600 m/s and 60 m/s respectively, and the speed increased in both directions as the band propagated further. Marchand and Duffy (1988) reported that a shear band initiating from a point defect in a thin-walled HY-100 steel tube propagated in the circumferential direction either at an average speed of 520 m/s or at 260 m/s depending upon whether it traveled in one direction only, or in both directions at the same speed. Computational work of Batra and Zhang (1994) supports the second alternative suggesting that the average shear band speed in Marchand and Duffy's work was 260 m/s.

As can be inferred from the plots of Fig. 3, at the instant of the initiation of a shear band in the element just below the notch tip, according to any one of the aforementioned criteria, there is a steep gradient in the distribution of the temperature and the effective plastic strain on a radial line through the notch tip. Even when the shear band has propagated to the innermost surface of the tube, the temperature and the plastic strain vary through the thickness of the tube. These quantities become steady at a material point for $t \geq 70 \mu s$ since the two end faces of the tube are

subsequently kept fixed. The consideration of heat conduction would tend to stabilize these fields sooner.

In Fig. 6 we have plotted the time history of the torque required to deform the tube with notch 4 for three different durations of the applied angular speed; in each case the angular speed increases linearly from zero to the steady value of 6500 rad/s in 20 μ s and eventually decreases linearly to zero in 20 μ s. There is no sharp drop in the torque, as in the case of a thin-walled tube, to signify the initiation of a shear band. In a thin-walled tube a shear band essentially initiates simultaneously at all points on a radial line through the point of minimum wall thickness. Once it happens, the load carrying capacity of the tube is significantly diminished. For a thick-walled tube even when a shear band initiates in an element on the outer surface of the tube, elements interior to it are either deforming elastically or even if deforming plastically may still be on the rising part of the effective stress vs. effective strain curve. Thus the torque required to deform the tube may even increase first and then decrease gradually. The maximum value of the torque occurs at about $t = 20 \mu$ s when the prescribed angular speed attains its steady value. For this loading condition, at $t = 20 \mu$ s, elements just below the notch tip have started to soften in the sense that the effective stress there has peaked and has started to decrease. When the prescribed angular speed begins to decrease, the torque drops quickly to indicate the onset of an elastic unloading wave. The time period of the oscillations in the torque equals the time taken for an elastic wave to propagate through twice the length of the tube.

Figure 7 depicts the deformed configuration, at $t = 100 \mu$ s, of a plane passing through the tube's axis when the total load duration equals 110 μ s. It is clear that only the material layer beneath the notch tip undergoes severe plastic deformations; it was confirmed by plotting the distribution of the effective plastic strain on an axial line. The plot, not shown here for the sake of brevity, indicated that for $t \geq 30 \mu$ s,

the plastic strain accumulated only within this one element thick layer below the notch bottom. The band width, defined as the thickness in the axial direction of the severely deformed region, equals the axial dimension of the element abutting the bottom surface of the notch. Of course, one needs a much finer mesh to estimate the width of a shear band. As mentioned earlier, the available computational resources limited the fineness of the mesh. The time history of the kinetic energy of the material to the left and right of the one-element wide shear band, plotted in Fig. 8 for notch 5 with $\omega_o = 6500$ rad/s, indicates that subsequent to the initiation of a shear band at $t \simeq 20 \mu\text{s}$, the material to its right is virtually stationary and that to its left moves as a rigid body. Thus the tangential velocity is discontinuous across a shear band; a similar conclusion was drawn by Batra and Jin (1994) who studied the development of a shear band in a porous elasto-thermo-viscoplastic material deformed in plane strain tension and confirms Tresca's (1878) conjecture.

From the time history of the torque plotted in Fig. 6 and knowing the prescribed angular speed, we can compute the work done by external forces or energy input into the body. A part of this energy is used to change the kinetic energy of the body and the rest to deform it. The strain energy density of the elastic deformations is negligible as compared to the work done/volume required to deform the body plastically. After a shear band has initiated in elements below the notch tip, the kinetic energy of the tube remains essentially uniform until the prescribed angular speed begins to decrease. We have plotted in Fig. 9 the work done by external force versus the radial distance through which a shear band, defined as a contour of effective plastic strain of 0.5, has propagated for notch 4 with $\omega_o = 6500$ rad/s; the plot is essentially a straight line. The slope of this line, 274 kJ/m, equals the energy required to drive a shear band through a unit distance. It is reasonable to conjecture that this value depends upon the material of the tube, its inner and outer radii, the criterion used to

define a shear band, and the loading conditions. Noting that the width of the band is 0.119 mm and the external work done between the time it initiates in the element just below the notch tip and propagates to the innermost surface of the tube is 704 J, the energy required to drive a shear band through the material equals 126.2 J/mm^3 .

3.2 Effect of Notch Depth

Keeping the torsional loading pulse of $110 \mu s$ total duration fixed, we varied the notch size by assigning values of 0.142, 0.221, 0.3, 0.379 and 0.458 mm to the depth, d , of the notch (cf. Fig. 1b); these notches are identified as 1, 2, 3, 4 and 5 respectively. The results presented in this section are for a maximum applied angular speed of $\omega_o = 6500$ rad/s. Figure 10a illustrates for notch 5 the distribution of different stress components on a radial line through the notch tip at time $t = 10 \mu s$, when the deformations of the tube are expected to be elastic; it is evident that $\sigma_{z\theta}$ grows rapidly near the notch tip (z -axis is along the tube's axis) and all of the remaining stress components are at least an order of magnitude smaller. A closer look at their values reveals that σ_{rr} , σ_{zz} and $\sigma_{\theta\theta}$ remain essentially zero through the thickness of the tube, and σ_{zr} and $\sigma_{r\theta}$ while remaining small do exhibit a singular behavior. Extrapolating $\sigma_{z\theta}$ to the notch tip, and also evaluating it from Tr/J_e , where T is the torque, $J_e = \pi(r_o^4 - r_i^4)/2$, r_o and r_i being the outer and inner radii of the tube, and r is the radial distance of a point from the tube's axis, we obtain a stress concentration factor of 1.64 which agrees well with that given in Fig. 10.2 of Dowling's book (1993). A plot of $\sigma_{z\theta}$ vs. $1/\sqrt{s}$ where s is the radial distance from the notch tip gives a stress-intensity factor of $6.61 \text{ MPa}\sqrt{m}$. In Fig. 10b we have plotted the distribution of stress components on a radial line at $t = 40 \mu s$ when a part of the cross-section of the tube passing through the notch-tip has deformed plastically. Because of the softening of the material near the notch tip, caused by heating due to plastic deformation, $\sigma_{z\theta}$ near the notch tip is lower than that at other points on the radial line; the variation of $\sigma_{\theta\theta}$, σ_{zz} and σ_{rr} vs. s exhibits a singular behavior and their maximum magnitudes at the notch tip equal approximately one-fourth the magnitude of $\sigma_{z\theta}$ there. As expected, the stress distribution on a radial line is quite different when the material is undergoing plastic

deformations as compared to that when it is deforming elastically. The stress state at points ahead of the shear band is triaxial.

Figure 11 depicts the dependence of the time of initiation of a shear band in an element just below the notch tip upon the defect size defined as the notch depth, d , divided by the tube thickness at a cross-section away from the notch. Batra et al. (1996) used DYNA3D to study torsional deformations of a thin-walled tube whose thickness varied sinusoidally with the minimum thickness occurring at the midsection. They found that the average critical strain (or the time) at which a shear band initiated, as indicated by the sharp drop in the torque required to deform the tube, varied exponentially with the defect parameter $\epsilon = (1 - \text{minimum tube thickness}/\text{maximum tube thickness})$. The slope of the average critical strain vs. $\log \epsilon$ curve was found to be independent of the nominal strain. These results are in qualitative agreement with the test results of Chi (1990), Murphy (1990), and Deltort (1994), and analytical results of Molinari and Clifton (1987) and Wright (1994). For the thick-walled tube studied here, the curve representing the time of initiation of a shear band vs. \log (defect size) is not a straight line. This could either be due to an improper definition of the defect size and/or the triaxiality of the stress-state near the notch tip; it does not depend upon the criterion used for the initiation of a shear band. We note that the analytical studies of Molinari and Clifton (1987) and Wright (1994) are for a simple shearing problem which is a good model for torsional deformations of a thin-walled tube.

In Fig. 12 we have plotted the time history of the torque required to deform the tube for each of the five notches. For notch 1 the torque continues to increase until $t = 90 \mu\text{s}$ when the prescribed angular speed begins to decrease, and no shear band initiates. The time when the torque starts to drop sharply decreases with an increase in the notch depth and for notch 5 the torque drops when the prescribed angular

speed has reached its steady value of 6500 rad/s. For notch 2 a sharp drop in the torque commences at $t \simeq 62 \mu\text{s}$ but a shear band initiates in an element below the notch tip at $t = 34, 36$ or $53 \mu\text{s}$ according to criteria (i), (ii) and (iii) of section 3.1. A similar observation can be made for the other three notches. Thus the instant of the sharp drop in the torque required to deform the tube need not coincide with the time when a shear band first initiates at a point in the tube. Figure 13 illustrates, for notches 2 through 5, the external work done required to drive a shear band defined as the boundary of the region with an effective plastic strain of at least 0.5. We note that a part of the external work done is required to change the kinetic energy of the body. However, once a shear band has developed, the kinetic energy of the tube deformed by prescribing the angular speed at its end faces remains constant as long as the prescribed angular speed is uniform. During the time interval when the shear band propagates from $s = 1.0$ mm to $s = 2.5$ mm, the slopes of the curves for notches 3, 4 and 5 equal 316, 274 and 260 kJ/m respectively; they give the energy required to drive a shear band through a unit distance.

The variation of the band speed with the radial distance from the notch tip for notches 2, 3, 4 and 5 is plotted in Fig. 14; the band is taken to initiate at a point when the effective plastic strain there equals 0.5. Except for the initial period during which the band propagates away from the notch tip, the band speed can be considered as essentially uniform, independent of the notch depth, and equals 90 m/s. Thus the defect size influences the initial speed of a shear band but has very little effect upon its speed once it has propagated away from the defect.

3.3 Effect of Prior Axial Loading

For the 4340 steel thick-walled tube with notch 5 at its center, we consider the loading history shown in Fig. 15. That is, the tube is first loaded by an axial compressive pressure which increases from zero to the final value P_o in $20 \mu s$, is kept steady for $30 \mu s$ and then decreases to zero in $20 \mu s$. Before the pressure begins to decrease at $t = 50 \mu s$, one end of the tube is held fixed and the other twisted by a prescribed angular speed that increases linearly from zero at $t = 40 \mu s$ to 6500 rad/s at $t = 60 \mu s$, is held there till $t = 90 \mu s$ and then decreases linearly to zero at $t = 110 \mu s$. Three steady values, 100, 500 and 1000 MPa, of the applied axial pressure are considered. We have also investigated two cases in which the axial traction is maintained at 500 MPa or -500 MPa, for $t \geq 20 \mu s$. Recalling that the quasistatic yield stress of the material at room temperature equals 792 MPa, the axial traction of 1000 MPa will deform the tube plastically prior to the application of the torsional loading. Because of stress concentration near the notch root, the axial traction of 500 MPa will also plastically deform the element abutting the notch tip. The above-mentioned loading histories should simulate those experienced by the rod deformed in a split compression and torsion Hopkinson bar. Since the compression wave travels faster than the torsion wave, the tube will first be deformed in compression and then in torsion; the delay time between the arrival of the two waves at a tube face depends upon the length of the incident bar. The combined loading considered herein is not meant to simulate any specific experimental set-up. Furthermore, in our simulations, one end face of the tube is kept fixed and the other loaded; this is dictated by the way the stipulated combined loading can be easily applied in DYNA3D. Preventing points on the fixed end from moving laterally, and those on the loaded end from moving radially, will induce additional stresses there. This local effect should not influence, for moderate

values of the axial load, deformations of the material neighboring the notch at the midsection of the tube.

Figures 16a, 16b and 16c exhibit, for different values of the axial load, the time history of the effective stress, the effective plastic strain and the temperature at the centroid of an element just below the notch tip; we have also included results for the case when the pure torsional loading begins at $t = 40 \mu s$, and there is no axial load applied. We first discuss results for axial loads of finite duration. Because of the stress concentration at the notch tip, for $P_o = 500 \text{ MPa}$, the effective stress there exceeds the quasistatic yield stress of the material. However, since the axial load begins to decrease $10 \mu s$ after the torsional load is applied, by the time the prescribed angular speed reaches its steady value the axial stress everywhere is below the yield stress of the material. Since $P_o < A$, not much plastic strain is accumulated prior to the application of the torsional loading. However, for $P_o = 1000 \text{ MPa}$, the tube has been deformed plastically prior to being deformed in torsion. The plastic deformations caused by the torsional loading are significantly more than those induced by the axial compressive load. Except for $P_o = 1000 \text{ MPa}$, the effect of prior axial pressure is minimal on the plastic deformations of the element under the subsequent torsional loading. For $P_o = 1000 \text{ MPa}$, the prior plastic deformations of the element result in higher values of the effective plastic strain as compared to those affected by pure torsional loading.

For a constant pressure of $\pm 500 \text{ MPa}$, the effective stress drops gradually, and the effective plastic strain and the temperature rise slowly as compared to those for the other four cases; also the peak in the effective stress occurs later than that in the other four cases studied. Thus, the presence of axial stresses tends to delay the initiation of a shear band and the shear band grows less rapidly under combined axial and torsional loading as compared to that under the same pure torsional loading.

Murphy (1990) has tested thin-walled steel tubes loaded first quasistatically in simple compression and then twisted dynamically. He found that an increase in the prior compressive load increased the nominal shear strain at which a shear band initiated as indicated by the sharp drop in the shear stress or the torque required to deform the tube. Our computed result for the constant pressure of 500 MPa agrees qualitatively with Murphy's observations.

Figure 17 exhibits the variation of the band speed, defined as a contour of effective plastic strain of 0.5, as it propagates radially inwards through the thickness of the tube; it is evident that the prior axial loading does not significantly influence the speed of the band. However, when the axial traction is maintained, the band propagates radially through a much smaller distance and at a slower speed in comparison to that in the other four cases in which the axial load becomes zero by the time the applied angular speed attains its steady value. The band propagates a little further for tensile axial traction as compared to that for compressive loading of the same magnitude. We note that when the tube is loaded simultaneously in compression/tension and torsion, the maximum shear stress at a point need not occur on a surface perpendicular to the tube's axis. In order to compare results, we have determined in every case the speed of a shear band in the radial direction.

Figures 18a and 18b depict the time history of the effective stress and the effective plastic strain at the eleven elements on a radial line through the notch tip for the combined loading case with a constant tensile axial traction of $P_o = 500$ MPa. Figure 18a shows that before the torsional load begins to drop at $90 \mu s$, the effective stress drops to 90% of its maximum value in only one element below the notch tip. It is evident from Fig. 18b that a contour of effective plastic strain of 0.5 propagates to five elements through the thickness during the first $90 \mu s$. This provides us with an example where the two definitions of the initiation of a shear band yield totally

different answers for the distance through which a band propagates.

We note that the work done by the applied axial traction is essentially negligible as compared to that done by the torque; for example, the total work done by the constant axial pressure of 500 MPa during the load duration of 110 μs is only 3 J whereas that done by the torque is 1920 J. The results plotted in Fig. 19 clearly indicate that significantly more energy is required to drive a shear band for the case of combined loading as compared to that for pure torsional loading.

3.4 Effect of Internal Pressure

An internal pressure in a thick-walled tube will produce a biaxial state of stress with the maximum principal stress occurring at a point on the inner surface of the tube. Thus, for a thick-walled tube with a V-notch at the midsection, loaded first by an internal pressure (with no axial loads) and then by a torsional load, a shear band initiating from the notch tip will propagate radially inwards towards a region of increasing prior plastic deformation. We considered two types of loading; in the first case, the internal pressure increases linearly from 0 to 800 MPa in 20 μs , is kept steady for 30 μs and then decreases linearly to zero in 20 μs . At $t = 40 \mu s$, one end face of the tube is kept fixed while the other end is twisted with an angular speed that increases linearly from zero to 6500 rad/s in 20 μs , is kept steady for 30 μs and then decreases to zero in 20 μs . The second loading differs from the first only in one respect, the internal pressure is kept steady for $20 \leq t \leq 110 \mu s$. As in the case of the axial loading, constraining points on the fixed face from moving laterally and those on the loaded end from moving radially will induce additional stresses at points near the end faces. For moderate values of the internal pressure, these effects will stay local and will not significantly influence deformations of the material close to the midsection; these end effects are neglected in the following discussion. For these two loadings, the time histories of the effective stress, the effective plastic strain and the temperature at the centroids of eleven elements on a radial line through the notch tip essentially overlapped each other; those for the constant pressure case are depicted in Fig. 20 wherein we have omitted the plots of the time history of the temperature since they look similar to those of the effective plastic strain. Prior to the application of the torsional loading, the effective stress is maximum at a point on the inner surface of the tube, and the plastic deformation has propagated radially outwards only through two

elements. With the application of the torsional loading, the effective stress increases sharply in the element below the notch-tip and a shear band initiates there first and propagates inwards. The effective stress in an element adjoining the inner surface of the tube drops much more gradually than that for the pure torsional loading. In Fig. 21, we have plotted the variation of the band speed (speed of a contour of effective plastic strain of 0.5) with the radial distance from the notch tip. It is evident that the multiaxial state of stress and/or the prior plastic deformation of the material decreases the speed of the shear band in the radial direction. It could be due to the fact that the maximum shear strain at a point on a cross-section perpendicular to the tube's axis is not in the radial direction.

3.5 Torsion of a CR-300 Steel Tube

Zhou et al. (1996) have recently reported observed and computed shear band speeds in impact loaded prenotched CR-300 steel plates. Depending upon the impact speed, the observed average shear band speed varied from 50 m/s to 1000 m/s, and the corresponding computed average shear band speed ranged between 70 m/s and 1200 m/s. The failure mode in the impact loaded prenotched plate is close to Mode II and that in the torsional loading of a thick-walled tube is more like Mode III. A major difference between our and their numerical simulations is in the thermal softening function used in the constitutive relation (9)₂; thus we replace it by

$$\sigma_y = \max\{(A + B(\epsilon^p)^n)(1 + C \ln(\dot{\epsilon}^p/\dot{\epsilon}_o))[1 - \delta(\exp((T - T_o)/\kappa) - 1)], 0\} \quad (16)$$

where T_o equals the room temperature. Values of material parameters A, B, n, C, $\dot{\epsilon}_o$, δ , and κ obtained by fitting curves to their data and of other material parameters used in the results reported herein are given below; geometric parameters were assigned values given in (13).

$$\begin{aligned} \rho_o &= 7,830 \text{ kg/m}^3, & \mu &= 76.9 \text{ GPa}, & K &= 164.7 \text{ GPa}, & \delta &= 0.8 \\ A &= 2,000 \text{ MPa}, & B &= 94.5 \text{ MPa}, & n &= 0.2, & C &= 0.0165, \\ \theta_o &= 293 \text{ K}, & \dot{\epsilon}_o &= 1.3 \times 10^{-3}/s, & c &= 448 \text{ J/kg}^\circ\text{C}, & \kappa &= 500\text{K} \end{aligned} \quad (17)$$

For

$$T > \kappa \ln(1 + \delta) + T_o \quad (18)$$

the expression on the right hand side of (16) will be negative; thus $\sigma_y = 0$. For the values of the material parameters given in (17), $\sigma_y = 0$ for $T = 698$ K which implies that the melting temperature of the material has been taken to be too low. We also investigate the problem for $\kappa = 800$ K which corresponds to a melting temperature

of the material of 941 K. Zhou et al. (1996) also assumed that a material point failed if ϵ^p there equaled 0.40 and it subsequently behaved as a nonlinear viscous fluid. Here we do not adopt this failure criterion and assume that a material point behaves as a perfect fluid once $\sigma_y = 0$ there. Because of the Lagrangian formulation used in DYNA3D, a fluid element will undergo intense deformations in essentially no time and the finite element mesh will become severely distorted resulting in an unacceptable size of the time step. The thermal softening function of eqn. (16) was incorporated into the material subroutine in DYNA3D.

We investigate the torsional deformations of the CR-300 steel thick-walled tube under the loading conditions of section 3.1, with $\omega_o = 6500$ rad/s and a load duration of 70 μs . Figure 22 exhibits the time history of the effective stress, effective plastic strain and temperature at the centroids of two elements - one element just below the notch tip and the other adjoining the inner surface of the thick-walled tube with notch 5 at its midsection. For $\kappa = 500$ K, a shear band initiates, according to criterion (iii) of section 3.2, in the element below the notch tip at $t = 23.5 \mu s$ and propagates to the inner surface of the tube in 2.8 μs . The stress drop in each element is quite rapid and resembles that observed by Marchand and Duffy (1988) in a thin-walled tube. For $\kappa = 800$ K, the shear band initiates at $t = 24.2 \mu s$ and the stress drop is less catastrophic than that for $\kappa = 500$ K. Thus, the value of κ in the thermal softening function slightly influences when a shear band initiates in an element, but strongly affects the subsequent rate of drop of the effective stress there. The time history plots of the temperature verify the assertion that once $\sigma_y = 0$ in an element, its temperature does not change. This is because there is no more plastic working for that element and the deformations are presumed to be locally adiabatic.

The variation of the band speed with the radial distance from the notch tip is shown in Fig. 23, for two different initiation criteria; as expected the results depend

upon the definition of the initiation of a shear band. If a shear band initiates at a material point when the effective plastic strain there equals 0.50, then the band speed varies from 750 m/s (1000 m/s) to 450 m/s (700 m/s) for $\kappa = 500$ K (800 K). However, if a shear band is taken to initiate at a point when the effective stress there has dropped to 90% of its maximum value, then the band speed increases from 300 m/s (300 m/s) to 1500 m/s (900 m/s) for $\kappa = 500$ K (800 K) as it propagates from the notch tip to the inner surface. These values are in the same range as those observed by Zhou et al. , but the maximum temperatures computed herein are lower than those reported by them. Their plots of the time history of the speed of a shear band lend credence to the definition of a shear band as a contour of effective plastic strain of say 0.5. However, Marchand and Duffy (1988) suggest that a shear band initiates when the shear stress drops catastrophically.

Figure 24 depicts the external work done as a function of the radial distance, s , through which a shear band (a contour of effective plastic strain of 0.5) has propagated. As expected, less work is needed to drive the shear band for $\kappa = 500$ K as compared to that for $\kappa = 800$ K. The slopes of these curves for $1.0 \text{ mm} \leq s \leq 2.6 \text{ mm}$ are 45.2 and 60.7 J/mm for $\kappa = 500$ K and $\kappa = 800$ K respectively; these equal the energy required to drive a shear band radially inwards through 1 mm on the cross-section through the notch tip. Since the shear band width equals 0.119 mm, the average energy required to shear band the material equals 23.4 and 34.9 J/mm³ for the two values of κ .

We have plotted in Fig. 25 the time history of the torque required to deform the tube. Once a shear band has developed at the cross-section through the notch tip, the effective stress there drops sharply and an elastic unloading wave which emanates results in the oscillations in the applied torque. The amplitude of this unloading wave is related to the drop in the effective stress and is less for the larger value

of κ because of decreased thermal softening of the material. The period of these oscillations approximately equals the time taken for a shear wave to traverse through twice the length of the tube. We recall that one end of the tube is kept stationary and the other is twisted with a prescribed angular speed. The negative torque means that it acts in a direction opposite to that of twisting. Of course this is not possible for linear elastic materials, but here an elasto-thermo-visco-plastic material is undergoing large deformations. Batra and Kim (1990) seem to be the first to compute the elastic unloading wave in their study of the development of shear bands in a steel block undergoing simple shearing deformations; their computed shear stress on the shearing plane opposed the shearing direction. The oscillations in the torque will not occur for large values of κ since the stress will drop gradually within the shear band. The amplitude of the oscillations decreases because of the energy dissipated due to plastic deformations of the tube.

The distribution at $t = 10.5 \mu s$ and $30.5 \mu s$ of different components of stress on a radial line through the notch tip for $\kappa = 800 \text{ K}$ is exhibited in Figs. 26a and 26b respectively. At $t = 10.5 \mu s$, the deformations of the tube are essentially elastic and at $t = 30.5 \mu s$ a shear band, as indicated by the accumulation of plastic strain, has initiated and propagated to the inner surface of the tube. Whereas at $t = 10.5 \mu s$, $\sigma_{z\theta}$ (z -axis is along the tube's axis) is maximum at the notch tip, it is minimum there at $t = 30.5 \mu s$; this is due to the softening of the material caused by heating from the intense plastic deformations. These plots suggest that the effective stress at the point on the inner surface of the tube that is radially below the notch tip has not dropped noticeably even though the effective plastic strain there is at least 0.5.

4 Conclusions

We have studied dynamic thermomechanical finite deformations of a thick-walled 4340 steel tube subjected to torsion, combined torsional and axial loading, and combined torsional and internal pressure loading. The tube material is modeled as elastic-thermo-viscoplastic with the flow stress depending upon the effective plastic strain, effective plastic strain-rate and temperature. The tube has a V-notch at the midsection which acts as a stress concentrator. The loading pulse is of finite duration with a rise and fall-off time of $20 \mu\text{s}$ each and stays steady for some time in between; thus a finite amount of energy is input into the body.

Under pure torsional loading a shear band, identified by a drop in the effective stress to 90% of its peak value or the effective plastic strain reaching a preassigned value, initiates first in an element below the notch tip and propagates radially inwards. Its speed of propagation varies from 50 m/s at the time of initiation to a maximum of 130 m/s as it reaches the innermost surface of the tube. The temperature rise at the initiation of a shear band is nearly 130°C but the temperature reaches approximately 95% of the melting temperature of the material $70 \mu\text{s}$ later. When the loaded end face of the tube has been brought to rest at $t = 110 \mu\text{s}$, sharp gradients in the temperature and effective plastic strain develop through the shear-banded region. The energy required to shear band the material equals 126.2 J/mm^3 .

During elastic deformations of the tube under pure torsional loading, only the $\sigma_{z\theta}$ component of the Cauchy stress exhibits noticeable stress concentration at the notch tip and other components of the stress tensor have negligible values everywhere. However, when the cross-section through the notch tip has deformed plastically, $\sigma_{z\theta}$ at the notch tip has the lowest value. Other components, $\sigma_{\theta\theta}$, σ_{zz} and σ_{rr} take on maximum values at the notch tip which equal approximately one-fourth of the maximum

magnitude of $\sigma_{z\theta}$. The time of initiation of a shear band decreases exponentially with the depth of the notch; however, the notch depth influences only the initial speed of a shear band. After the band has propagated radially inwards, its speed is essentially independent of the notch depth and equals 90 m/s.

For combined torsional and axial loading, the shear band initiates later and propagates slower than that for pure torsional loading. When the tube is loaded by a constant internal pressure followed by torsional loading, the shear band propagates into a plastically deformed region. For this case as well, the band speed is found to be lower than that for the pure torsional case. Also, for these two cases of combined loads, different definitions of the initiation of a shear band give contradictory results in the sense that according to one criterion, a shear band initiates at a point because the effective plastic strain there reaches the preassigned value of 0.5, but according to another criterion, does not initiate because the effective stress there does not drop to 90% of its peak value for that material point.

For torsional loading of a CR-300 steel thick-walled tube with the thermal softening modeled by the relation proposed by Zhou et al. (1996), the computed maximum shear band speed of 1000 m/s agrees with that observed by them in their impact experiments on pre-notched plates. Because of the presumed enhanced thermal softening, the effective stress drops catastrophically in the shear banded region, and an elastic unloading wave emanates from there. It results in oscillations in the torque required to deform the tube, and during some time intervals, the torque acts in a direction opposite to that of the prescribed angular speed. The energy required to drive the shear band radially inwards on the cross-section through the notch tip strongly depends upon the parameters characterizing the thermal softening of the material. For $\kappa = 500$ K in equation (16), the energy required to shear band the material equals 23.4 J/mm³.

References

- Anand, L., Kim, K.H. and Shawki, T.G. (1987) Onset of shear localization in viscoplastic solids. *J. Mechs. Phys. Solids* **35**, 381-399.
- Armstrong, R., Batra, R.C., Meyers, M.A. and Wright, T.W. (Guest Editors) (1994) Special issue on shear instabilities and viscoplasticity theories. *Mech. Mater.* **17**, 83-327.
- Batra, R.C. and Adulla, C. (1995) Effect of prior quasistatic loading on the initiation and growth of dynamic adiabatic shear bands. *Arch. Mechs.* **47**, 485-498.
- Batra, R.C. and Kim, C.H. (1990) Adiabatic shear banding in elastic-viscoplastic nonpolar and dipolar materials. *Int. J. Plasticity* **6**, 127-141.
- Batra, R.C. and Kim, C.H. (1991) Effect of thermal conductivity on the initiation, growth, and band width of adiabatic shear bands. *Int. J. Engng. Sci.* **29**, 949-960.
- Batra, R.C. and Kim, C.H. (1992) Analysis of shear bands in twelve materials. *Int. J. Plasticity* **8**, 75-89.
- Batra, R.C. and Zbib, H.M. (1994) Material instabilities: theory and applications. ASME Press, New York.
- Batra, R.C. and Zhang, X. (1994) On the propagation of a shear band in a steel tube. *J. Eng'g Materials & Tech.* **116**, 155-161.
- Batra, R.C., Adulla, C. and Wright, T.W. (1996) Effect of defect shape and size on the initiation of adiabatic shear bands. *Acta Mechanica* **116**, 239-243.
- Batra, R.C. and Ko, K.J. (1992) An adaptive mesh refinement technique for the analysis of shear bands in plane strain compression of a thermoviscoplastic block. *Comp. Mechs.* **10**, 369-379.
- Batra, R.C. and Jin, X.S. (1994) Analysis of dynamic shear bands in porous thermally softening viscoplastic materials. *Arch. Mechs.* **41**, 13-36.
- Chi, Y.C. (1990) Measurement of the local strain and temperature during the formation of adiabatic shear bands in steel. Ph.D. Thesis, Brown University.

- Clifton, R.J. (1980) Adiabatic shear in material response to ultrahigh loading rates. U.S. NRC Material Advisory Board Report NMAB-356, W. Herrman et al., eds.
- Deltort, B. (1994) Experimental and numerical aspects of adiabatic shear in a 4340 steel. *J. de Physique*, Colloque C8 **4**, 447-452.
- Dowling, N.E. (1993) Mechanical Behavior of Materials: engineering methods for deformation, fracture and fatigue. Prentice-Hall, Englewood Cliffs, NJ.
- Farren, W.S. and Taylor, G.I. (1925) The heat developed during plastic extrusion of metal. *Proc. R. Soc.* **A207**, 422-426.
- Johnson, G.R. and Cook, W.H. (1983) A constitutive model and data for metals subjected to large strains, high strain rates and high temperatures. *Proc. 7th Int. Symp. Ballistics*, The Hague, The Netherlands, 541-548.
- Klepaczko, J.R., Lipinski, P. and Molinari, A. (1987) An analysis of the thermoplastic catastrophic shear in some metals. Impact Loading and Dynamic Behavior of Materials, C.Y. Chiem, H.-D. Kunze, and L.W. Meyer, Eds., Informationsgesellschaft, Verlag, Bremen, 695-704.
- Marchand, A. and Duffy, J. (1988) An experimental study of the formation process of adiabatic shear bands in a structural steel. *J. Mech. Phys. Solids* **36**, 251-283.
- Molinari, A. and Clifton, R.J. (1987) Analytical characterization of shear localization in thermoviscoplastic materials. *J. Appl. Mech.* **54**, 806-812.
- Murphy, B.P. (1990) Shear band formation in a structural steel under a combined state of stress. M.S. Thesis, Brown University.
- Peng, Z. and Batra, R.C. (1995) Propagation of shear bands in thick-walled RHA steel tubes. *Computational Mech '95*, S.N. Atluri, Y. Yagawa and T.A. Cruse, Eds., Springer-Verlag, 2034-2039.
- Rajendran, A.M. (1992) High strain rate behavior of metals, ceramics and concrete. Report #WL-TR-92-4006, Wright Patterson Air Force Base.
- Sulijoadikusumo, A.V. and Dillon, Jr., O.W. (1979) Temperature distribution for steady axisymmetric extrusion with an application to Ti-6Al-4V, part 1. *J. Thermal Stresses* **2**, 97-112.

- Tresca, H. (1878) On further application of the flow of solids. *Proc. Inst. Mech. Engr.* **30**, 301-345.
- Truesdell, C.A. and Noll, W. (1965) The nonlinear field theories of mechanics. Handbuch der Physik, Vol. III/3, (S. Flügge, Ed.), Springer, Berlin.
- Whirley, R.G. and Hallquist, J.P. (1991) DYNA3D User's Manual, a nonlinear, explicit, three-dimensional finite element code for solid and structural mechanics. User Manual, Lawrence Livermore National Laboratory Report, UCRL-MA-107254.
- Wright, T.W. and Walter, J.W. (1987) On stress collapse in adiabatic shear bands. *J. Mech. Phys. Solids* **35**, 701-716.
- Wright, T.W. (1994) Toward a defect invariant basis for susceptibility to adiabatic shear bands. *Mech. Materials* **17**, 215-222.
- Zbib, H.M., Shawki, T. and Batra, R.C. (Eds.) (1992) Material instabilities. Special Issue of *Applied Mechanics Reviews* **45**, No. 3.
- Zener, C. and Hollomon, J.H. (1944) Effect of strain rate on plastic flow of steel. *J. Appl. Phys.* **14**, 22-32.
- Zhou, M., Rosakis, A.J. and Ravichandran, G. (1996) Dynamically propagating shear bands in impact-loaded prenotched plates II - numerical simulations, *J. Mech. Phys. Solids* **44**, 1007-1032.

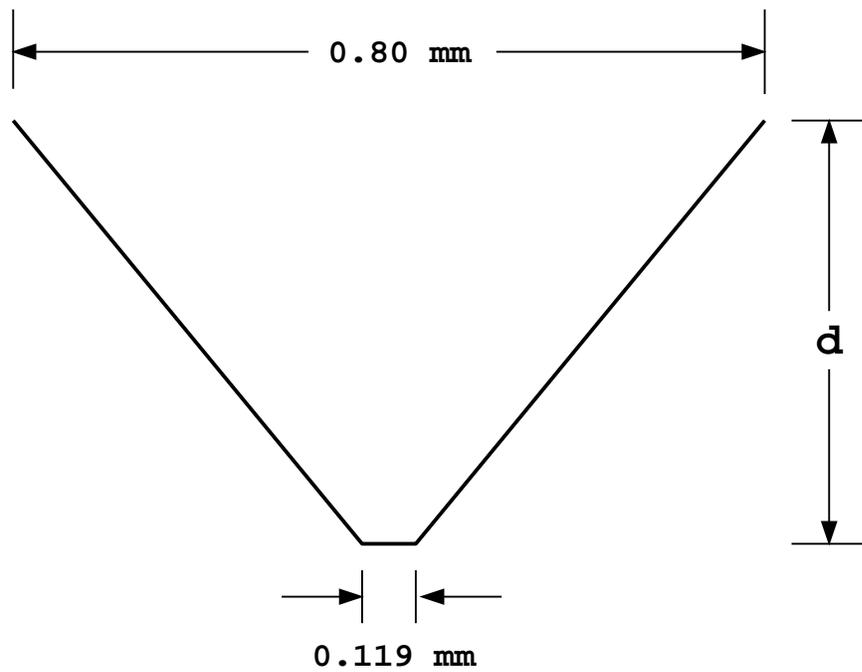
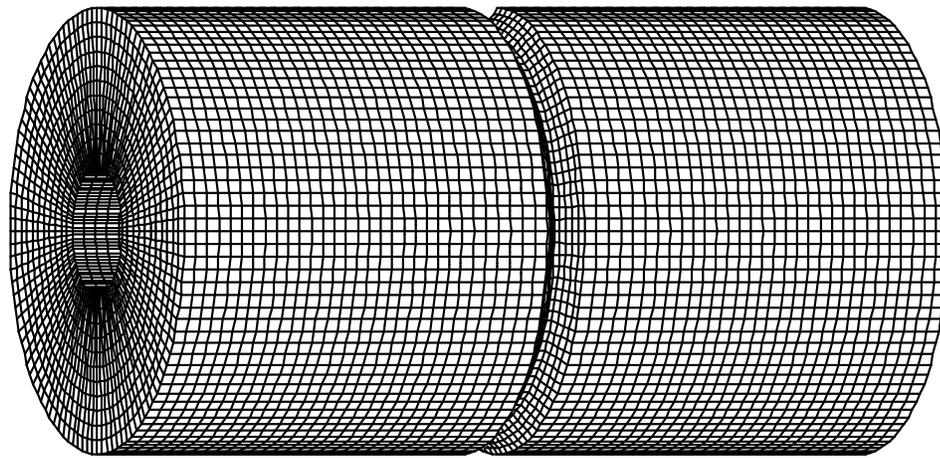


Figure 1: (a) Finite element discretization of the tube, and (b) Details of the notch.

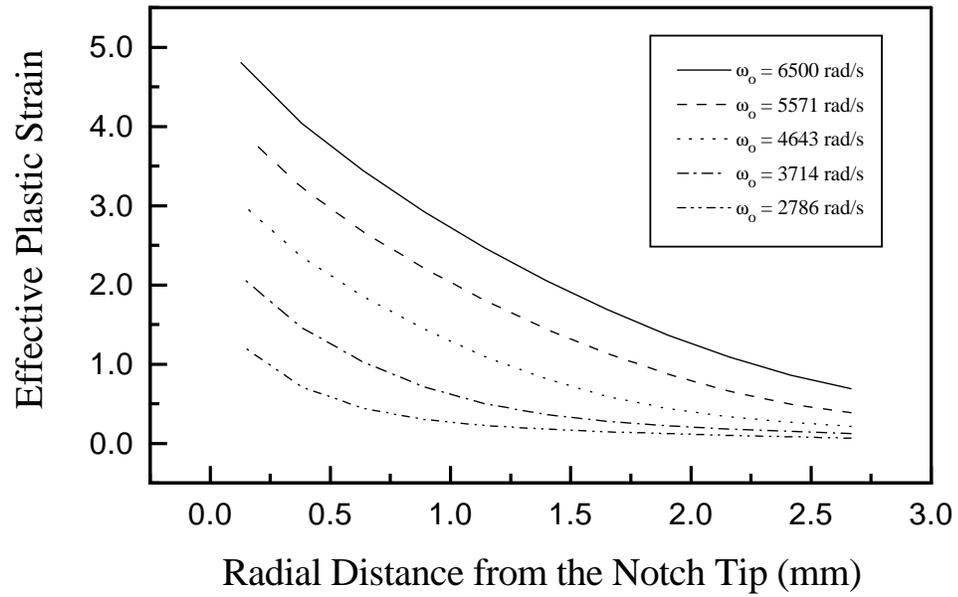
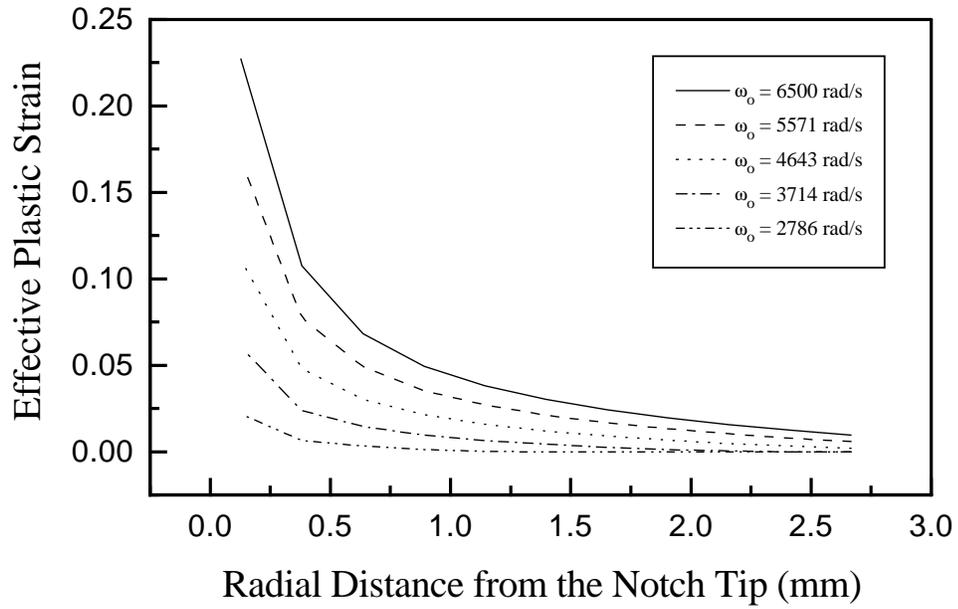


Figure 2: Distribution of the effective plastic strain on a radial line for notch 4 with different values of the maximum applied angular speed; (a) $t = 20 \mu\text{s}$, (b) $t = 70 \mu\text{s}$.

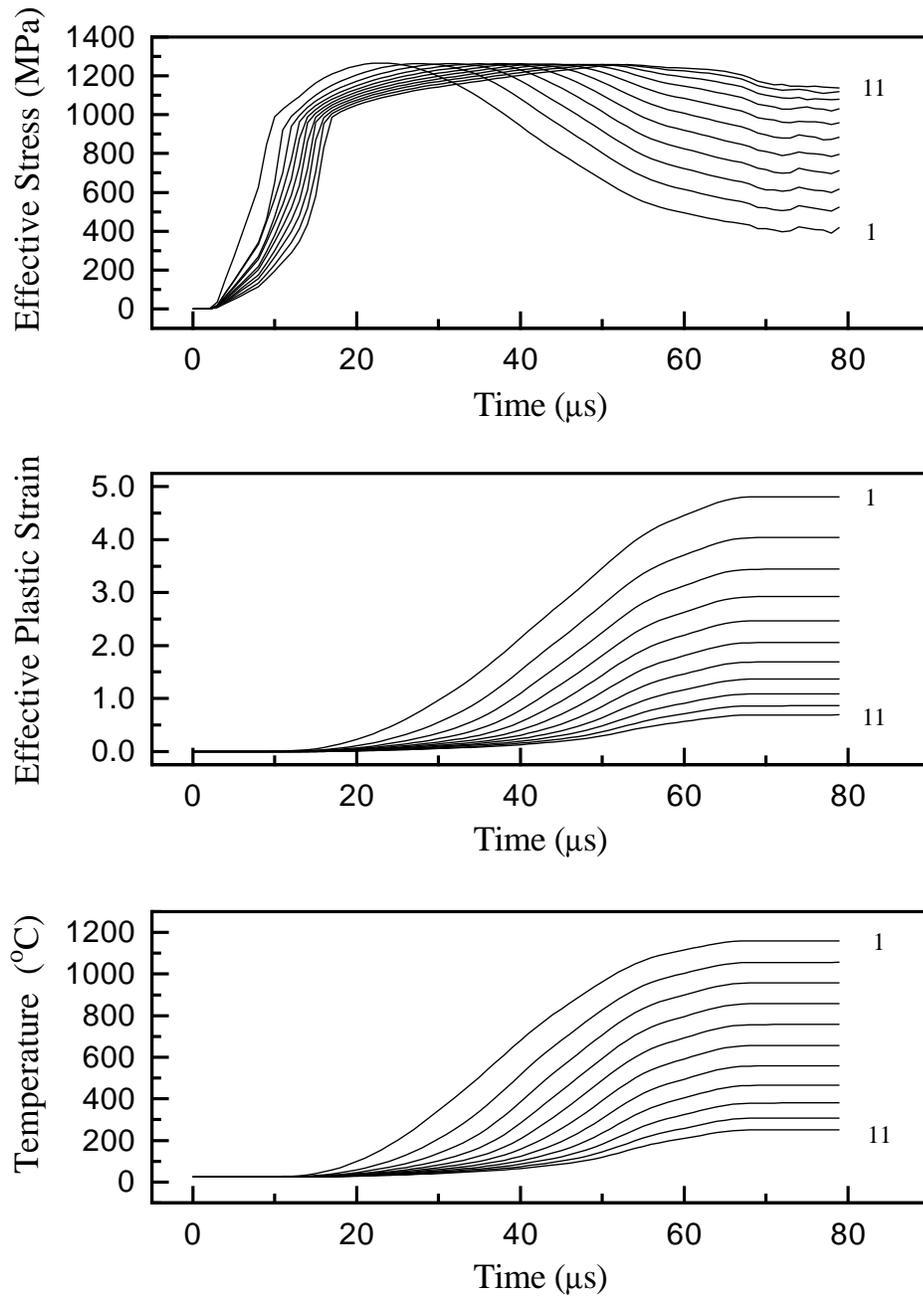


Figure 3: Time history of (a) the effective stress, (b) the effective plastic strain, and (c) the temperature at the centroids of eleven elements on a radial line through the notch tip, for notch 4 with $\omega_o = 6500$ rad/s.

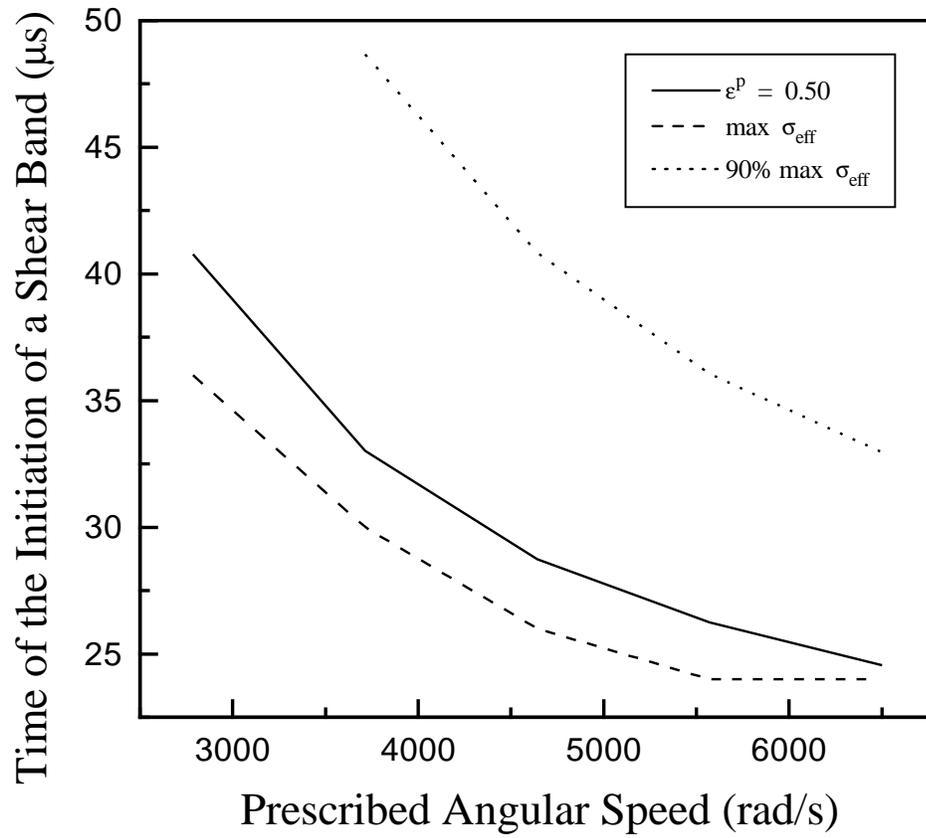


Figure 4: Dependence of the initiation of a shear band on the prescribed angular speed, calculated by three different criteria, for notch 4 and a load duration of $70 \mu\text{s}$.

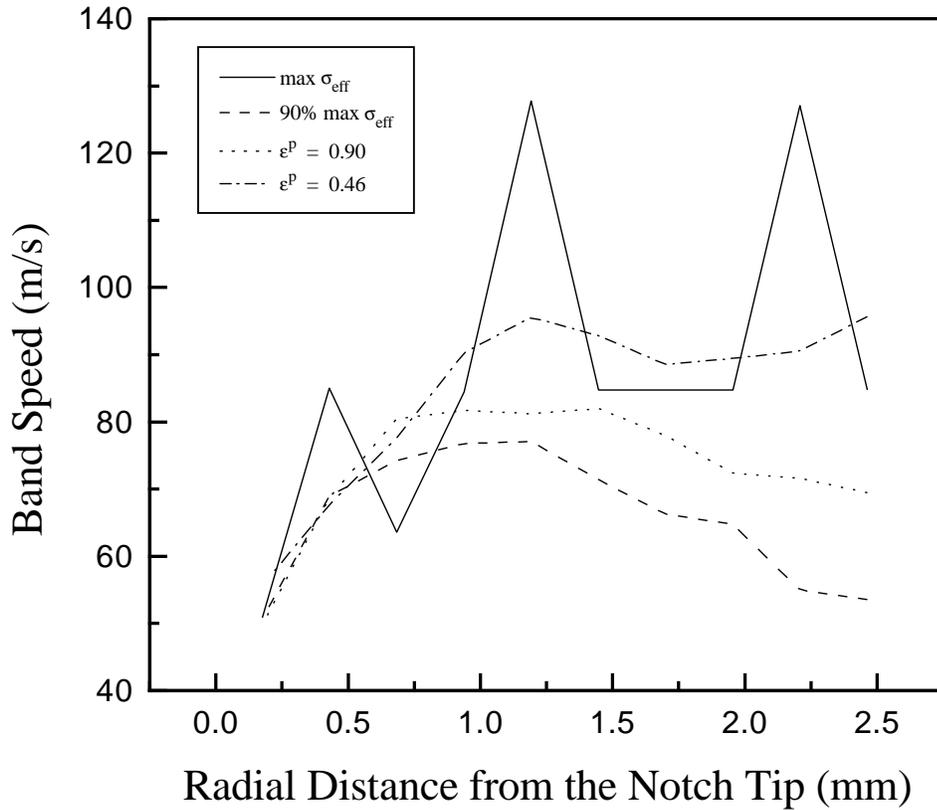


Figure 5: Band speed according to different initiation criteria vs. the radial distance from the notch tip; The band initiates when (a) the effective stress attains its maximum value (b) the effective stress has dropped to 90% of its maximum value; (c) and (d) the effective plastic strain equals 0.46 and 0.90 respectively. Results are for notch 4 with $\omega_o = 6500$ rad/s.

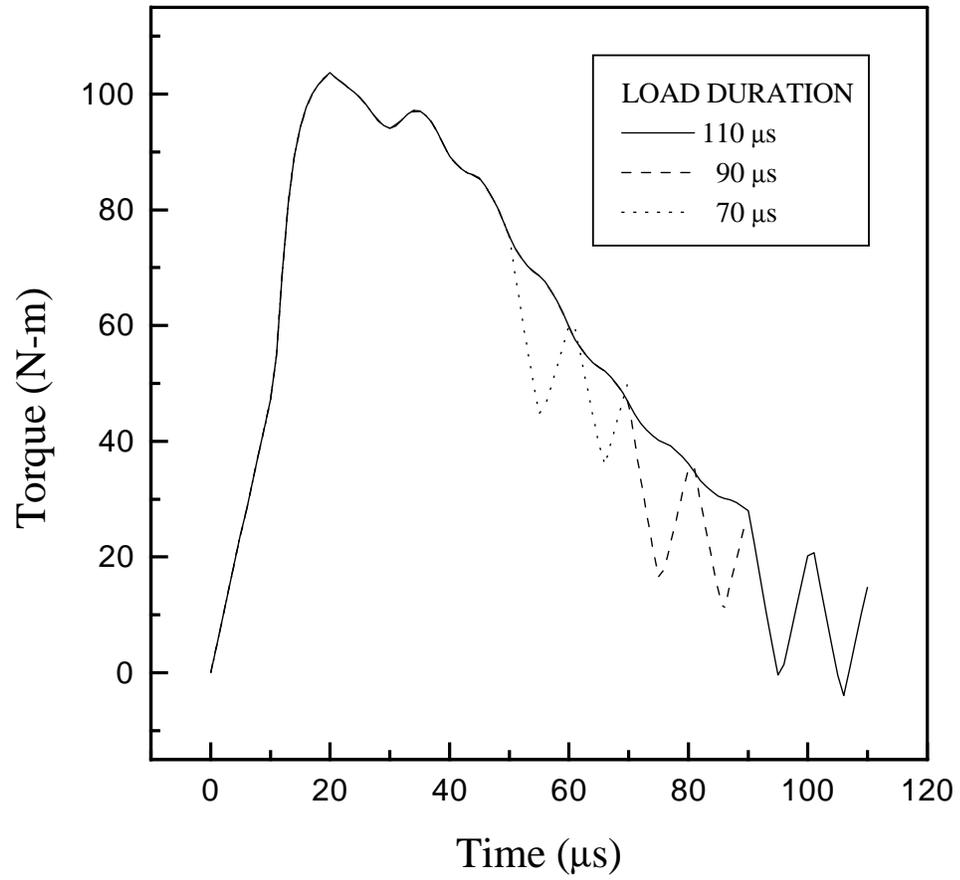


Figure 6: Time history of the torque required to deform the tube with notch 4 for three different durations of the applied angular speed, with $\omega_o = 6500$ rad/s.

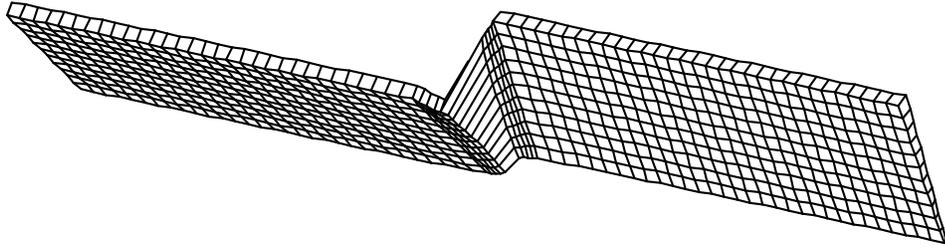


Figure 7: Deformed configuration of a plane passing through the tube's axis at $t = 100 \mu s$ for notch 4 with $\omega_o = 6500 \text{ rad/s}$ and a load duration of $110 \mu s$.

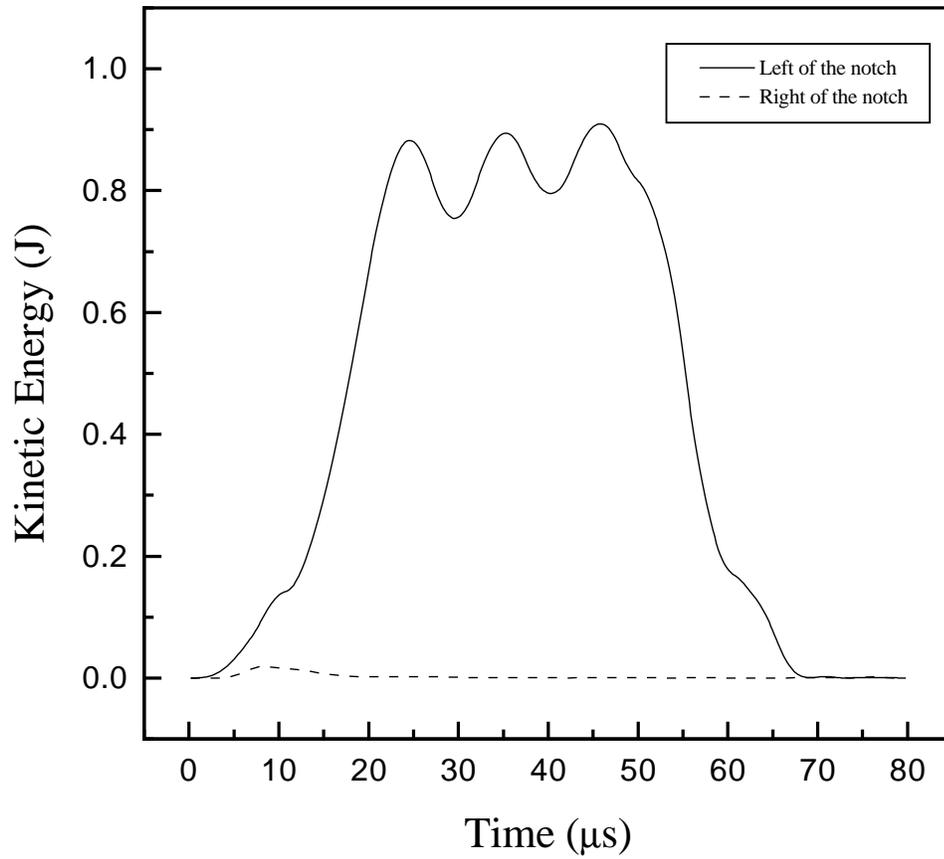


Figure 8: Time history of the kinetic energy of the material to the left and right of the notch for notch 5 with $\omega_o = 6500$ rad/s.

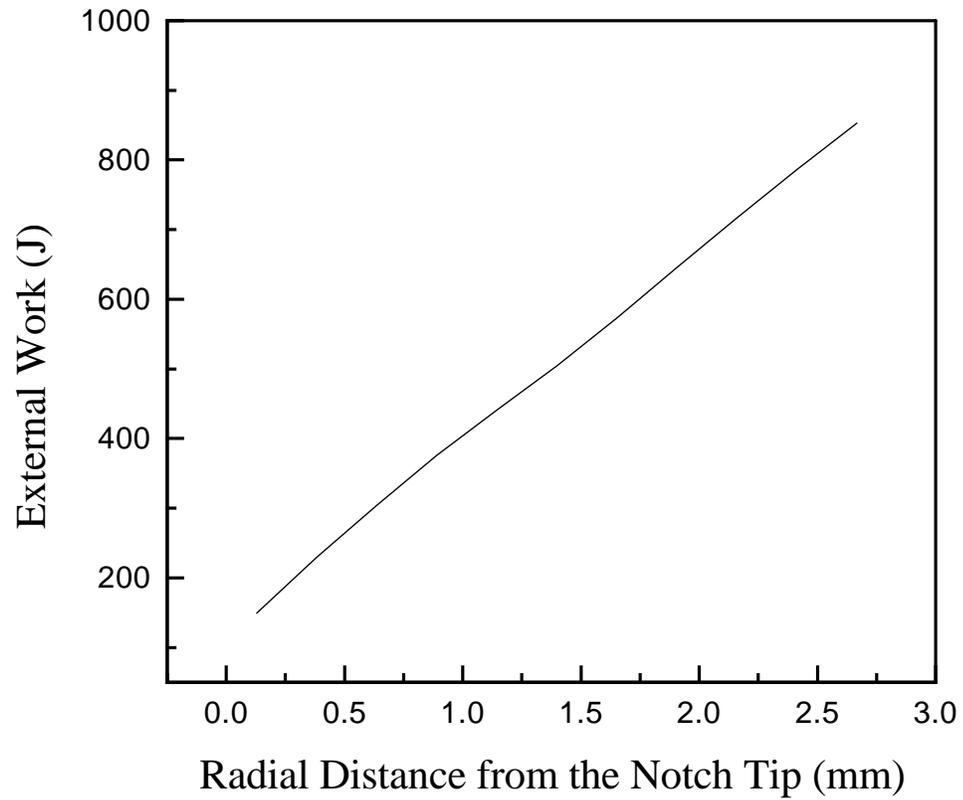


Figure 9: External work done vs. the radial distance through which a shear band (a contour of effective plastic strain of 0.50) has propagated for notch 4 with $\omega_o = 6500$ rad/s.

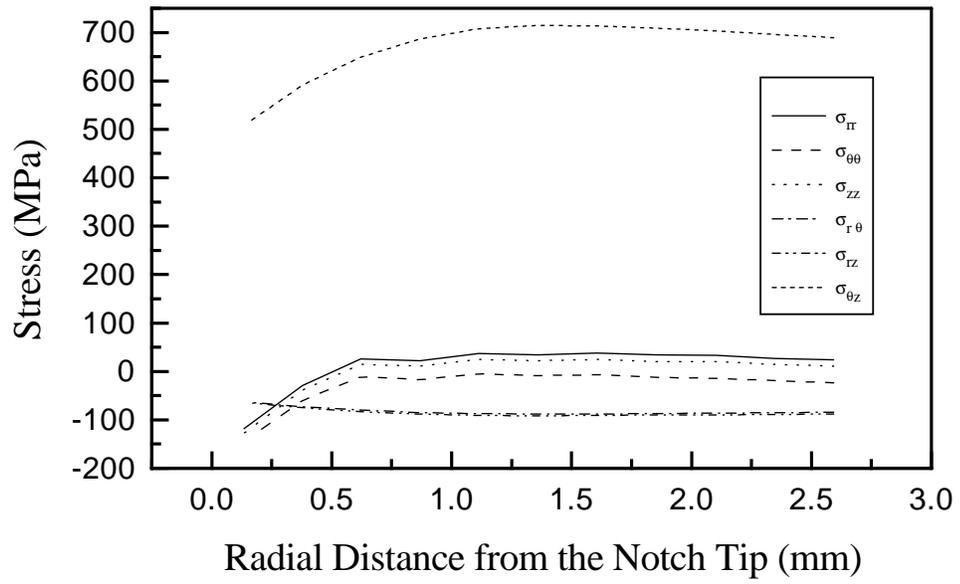
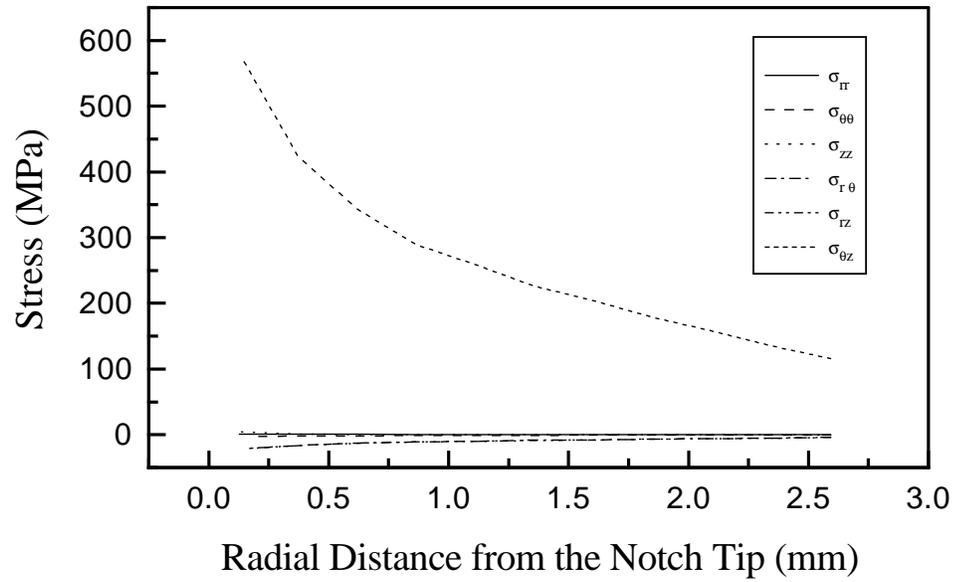


Figure 10: Stress distribution on a radial line for notch 5 with $\omega_o = 6500 \text{ rad/s}$ at (a) $t = 10 \mu\text{s}$, and (b) $t = 40 \mu\text{s}$.

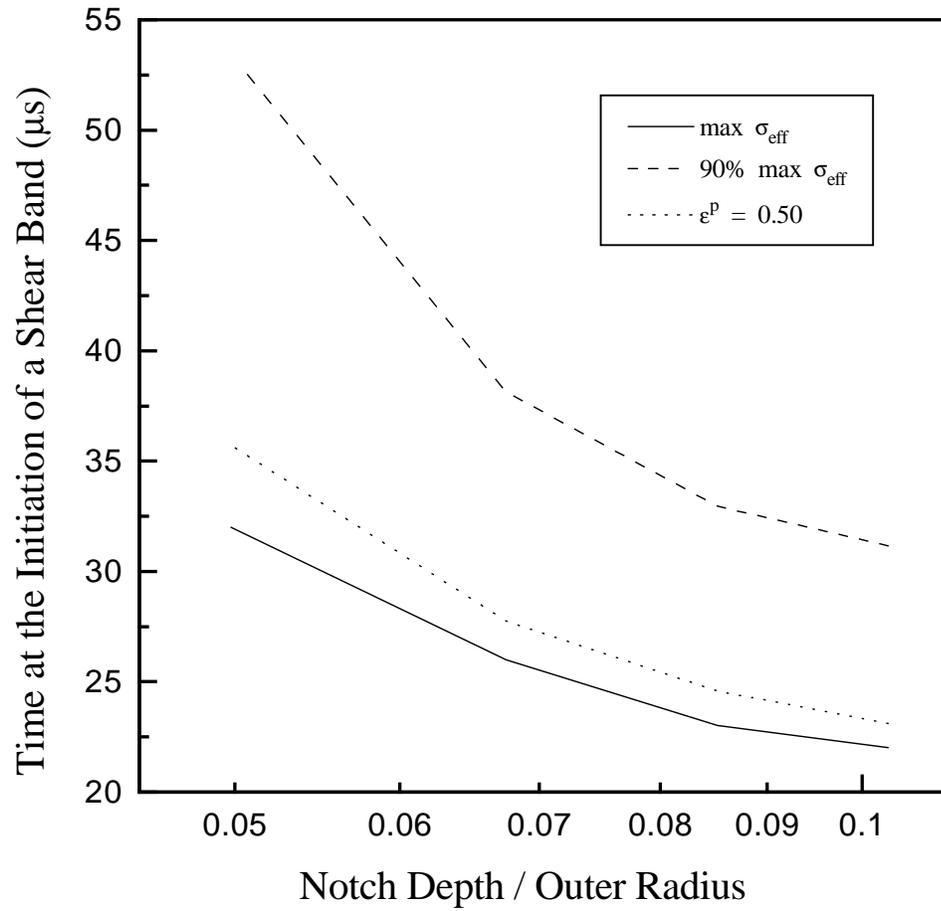


Figure 11: Dependence of the time of initiation of a shear band upon the defect size as computed by three different criteria, for the case of $\omega_o = 6500$ rad/s.

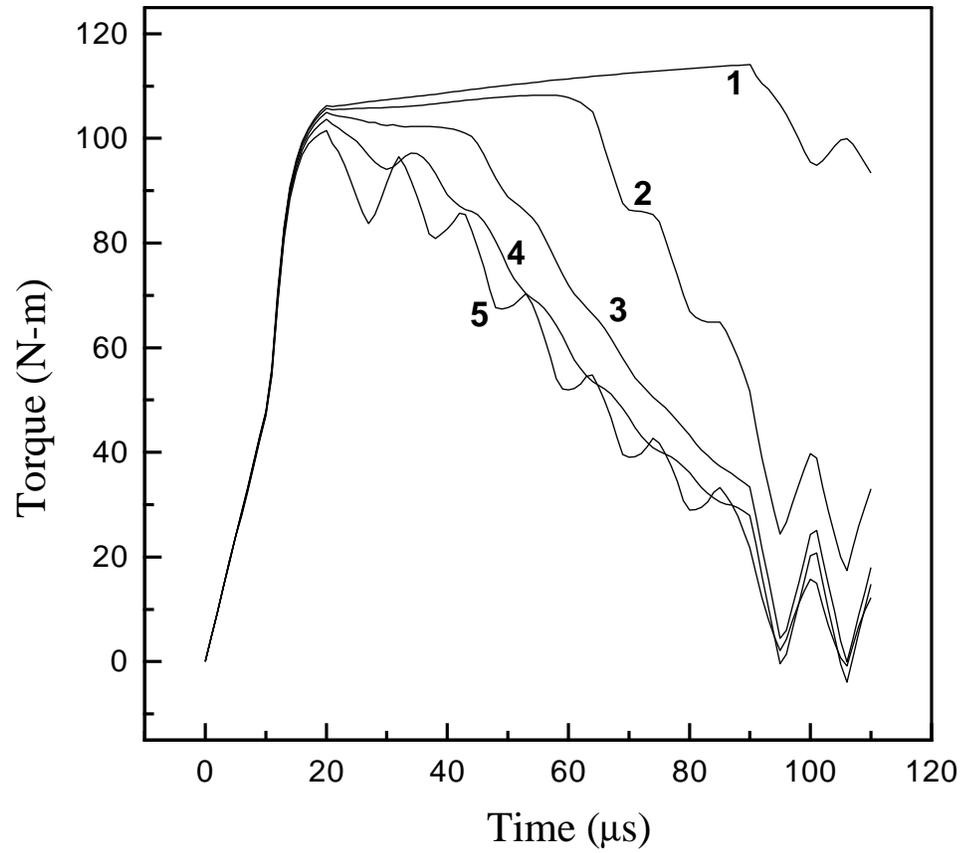


Figure 12: Time history of the torque required to deform the tube for five different notches with $\omega_o = 6500$ rad/s.

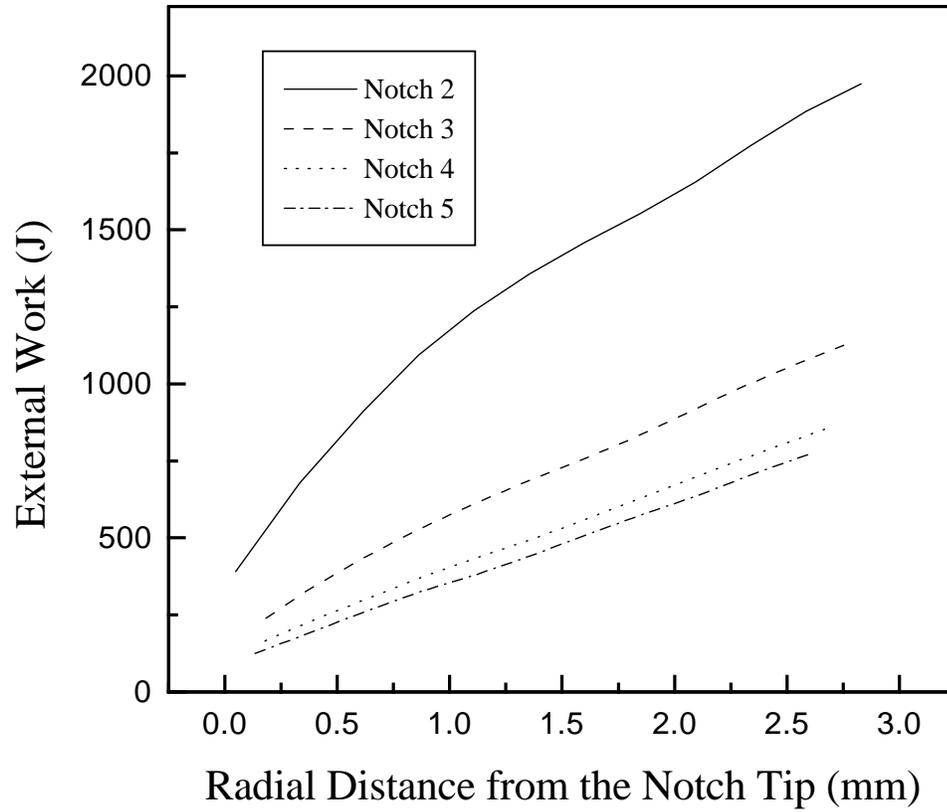


Figure 13: External work done vs. the radial distance through which a shear band (a contour of effective plastic strain of 0.5) has propagated for notches 2, 3, 4 and 5 with $\omega_o = 6500$ rad/s.

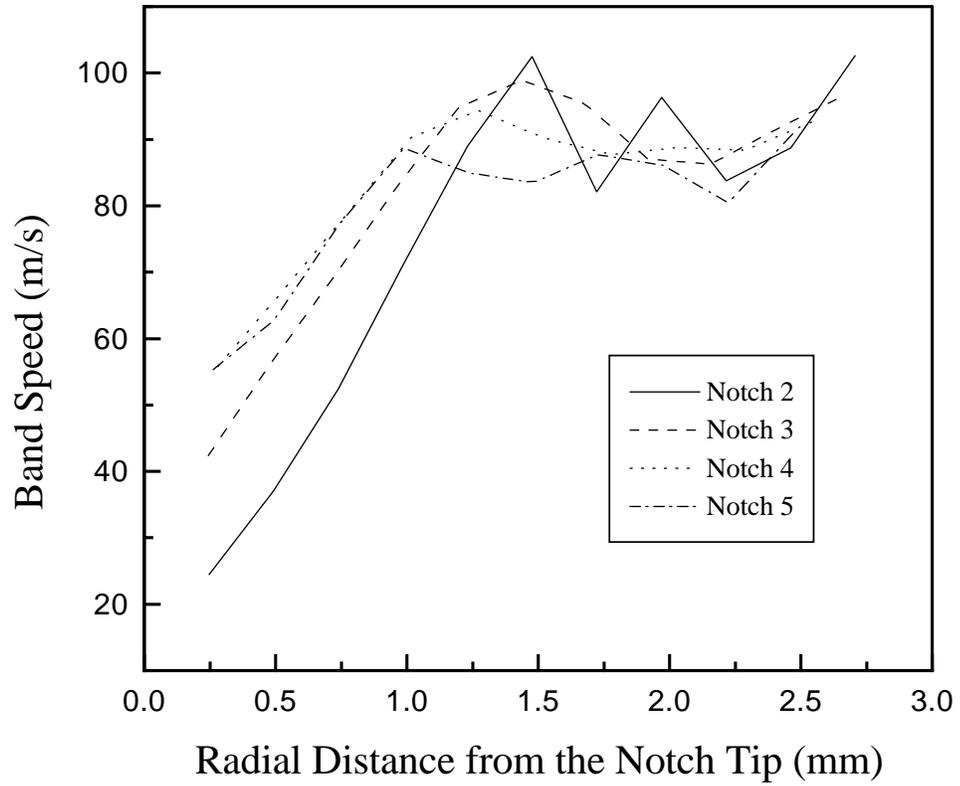


Figure 14: Band speed vs. the radial distance through which a shear band (a contour of effective plastic strain of 0.5) has propagated for notches 2, 3, 4 and 5 with $\omega_o = 6500$ rad/s.

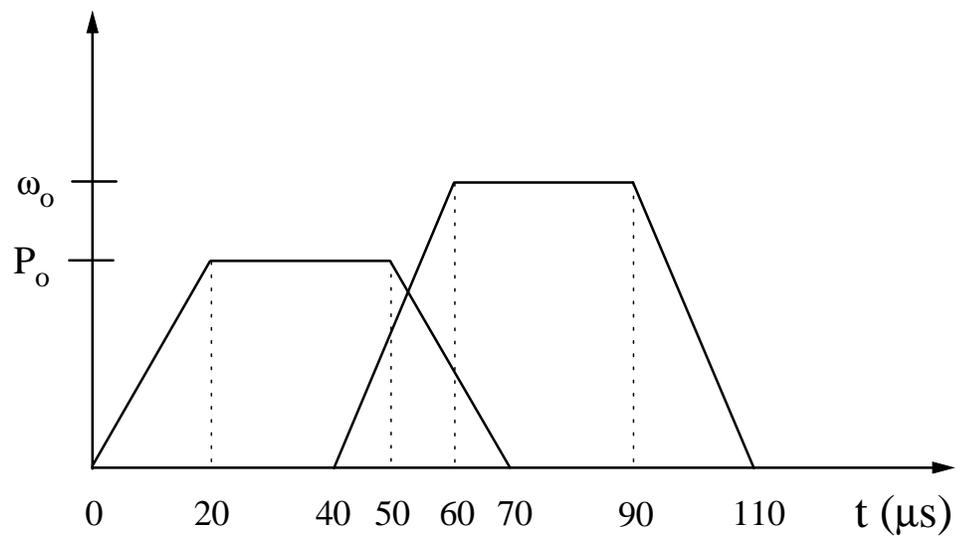


Figure 15: Loading history for combined pressure and torsional loading.

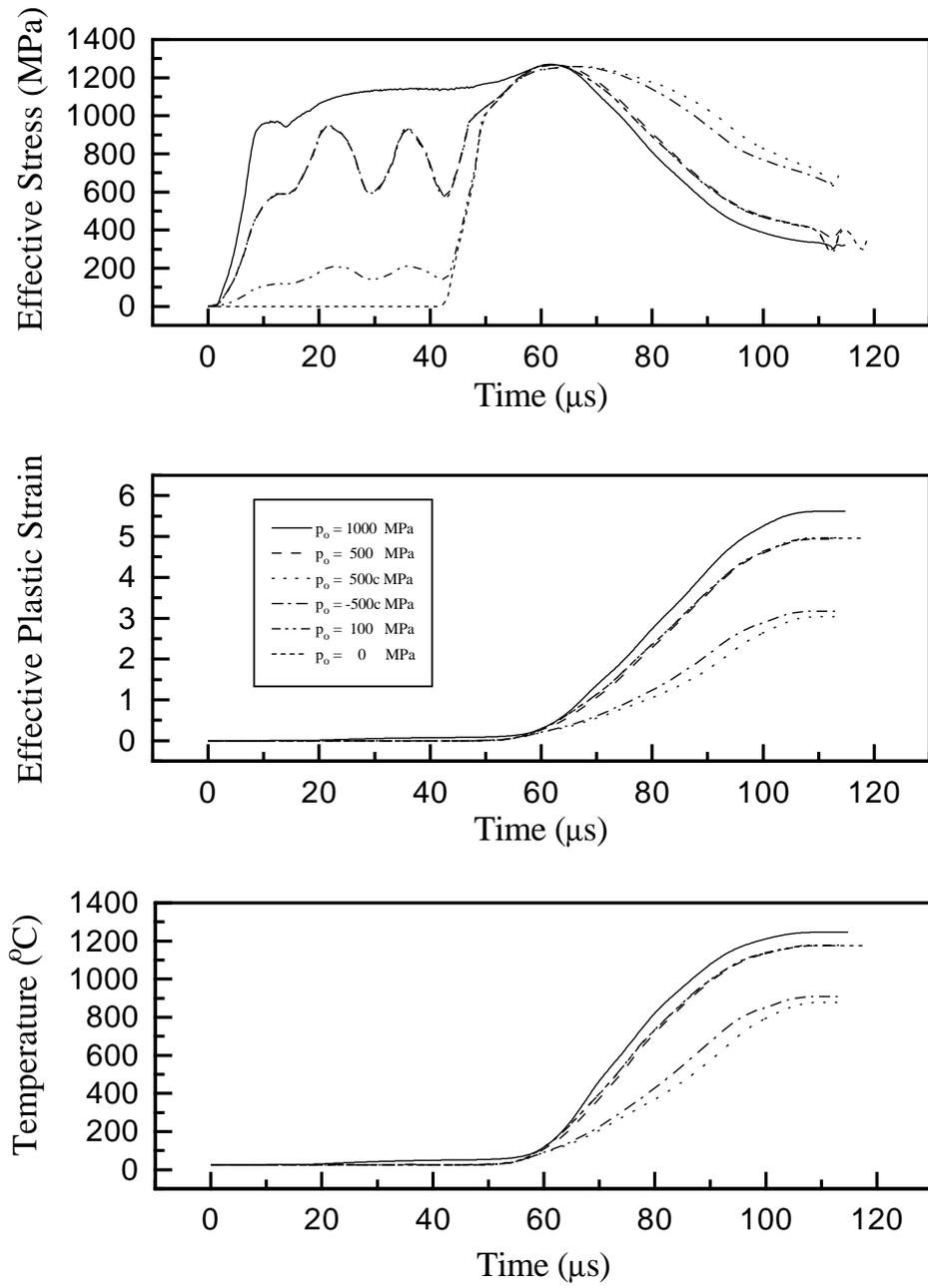


Figure 16: Time history of (a) the effective stress, (b) the effective plastic strain and (c) the temperature at the centroid of the element below the notch tip for notch 5 with combined axial and torsional loading.

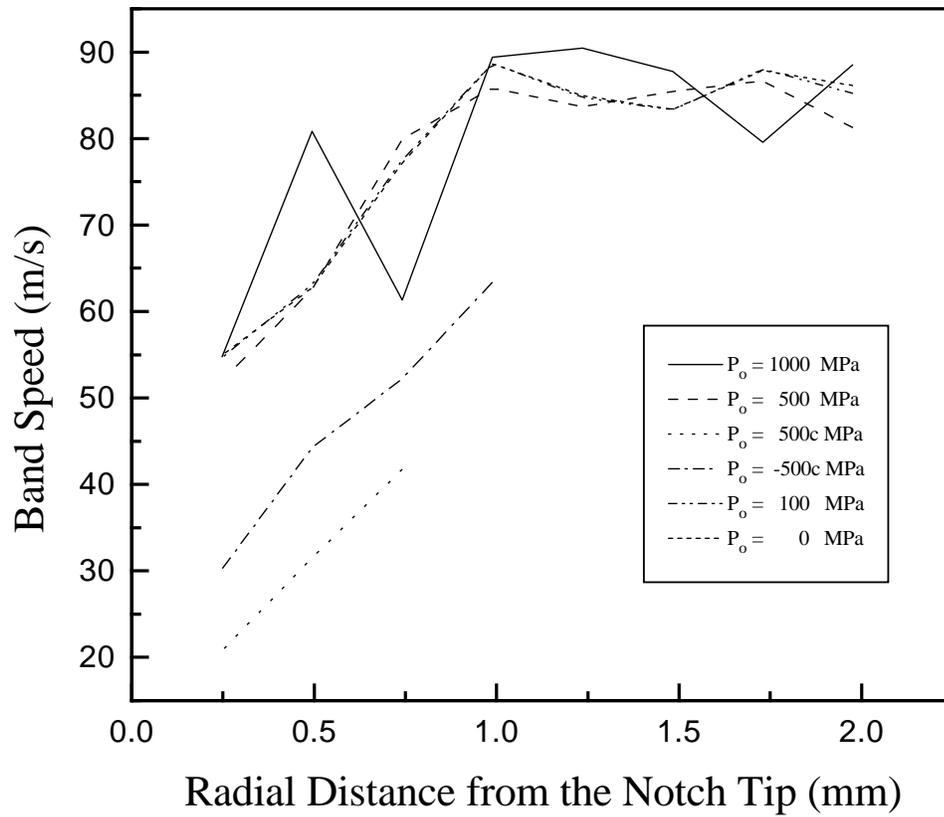


Figure 17: Band speed in the radial direction for different axial loads vs. the radial distance through which a shear band (a contour of effective plastic strain of 0.5) has propagated for notch 5 with combined axial and torsional loading.

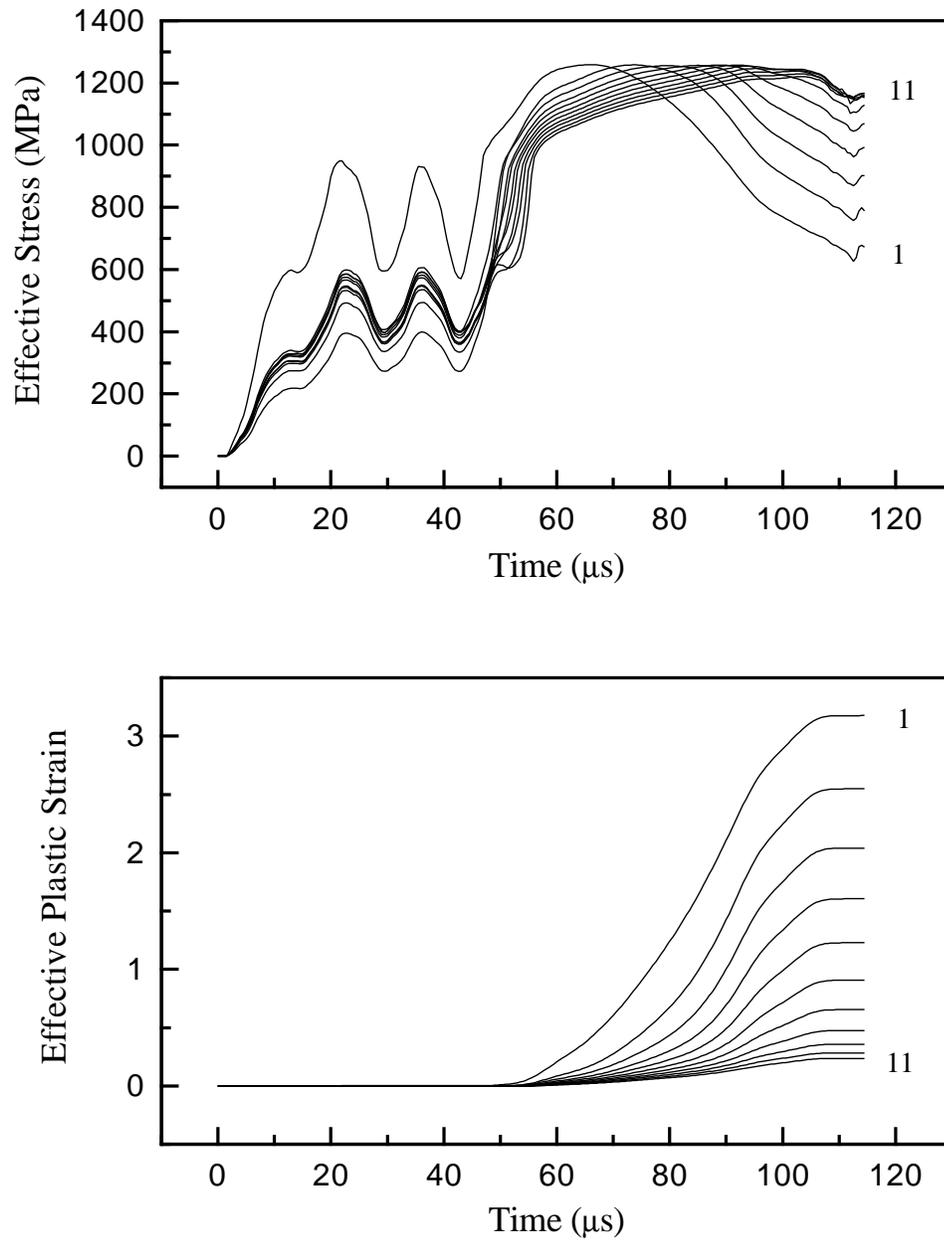


Figure 18: Time history of (a) the effective stress and (b) the effective plastic strain at the centroids of eleven elements on a radial line through the notch tip for notch 5 for the case of combined tensile axial and torsional loading with $P_o = 500$ MPa.

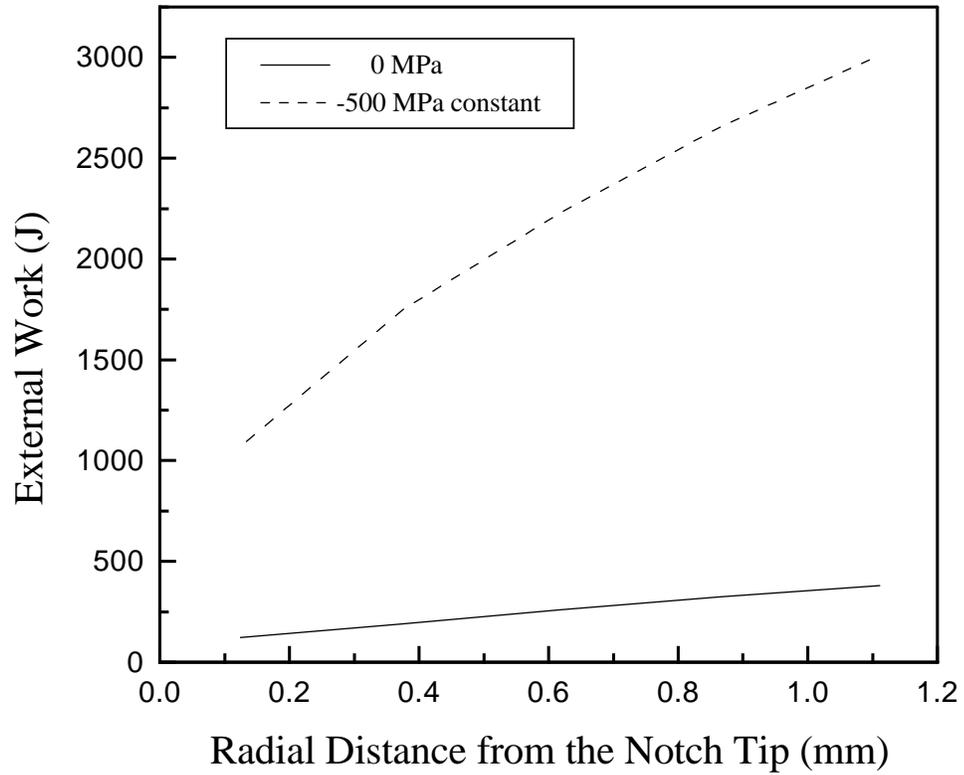


Figure 19: External work done vs. the radial distance through which a shear band has propagated for notch 5 for the cases of pure torsional loading, and constant tensile axial loading combined with torsional loading.

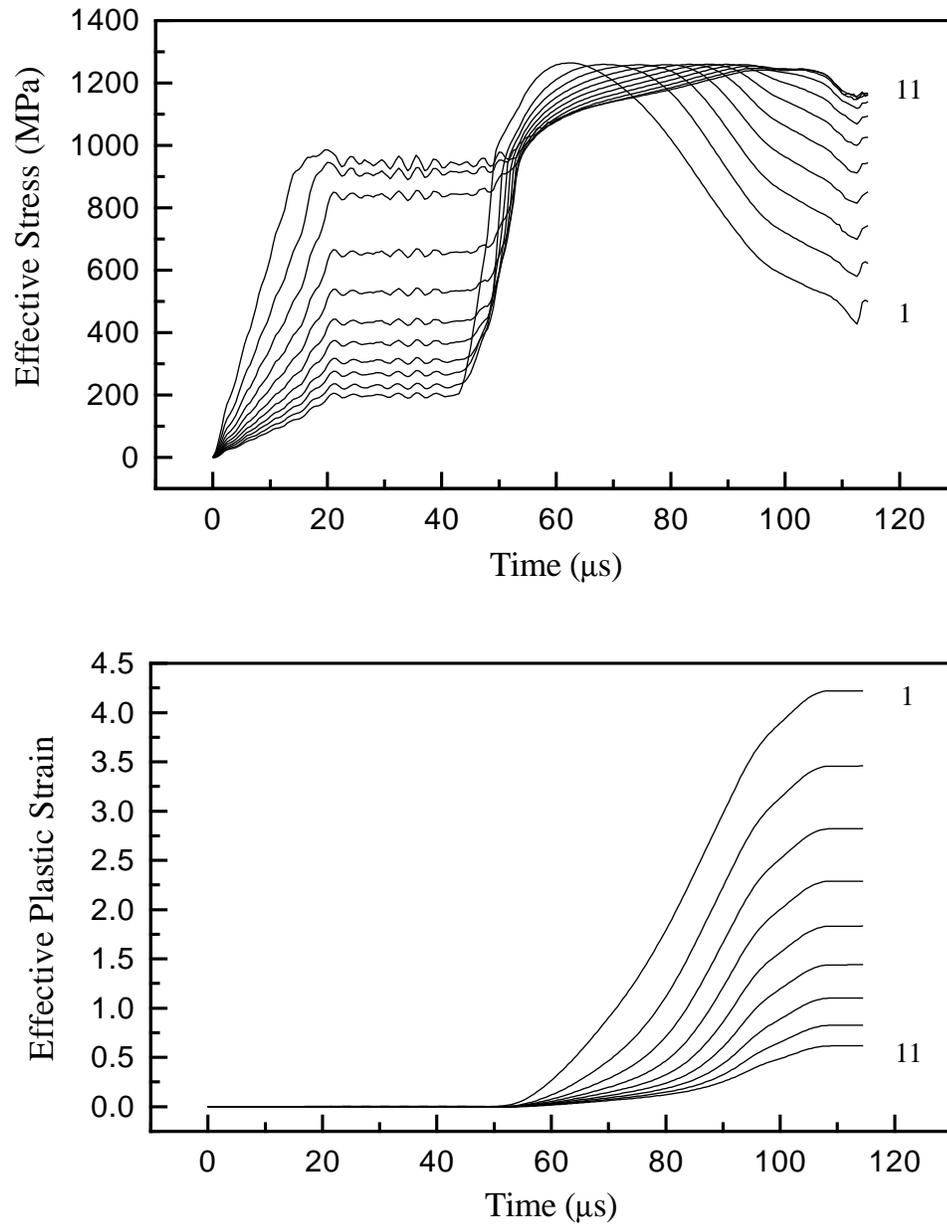


Figure 20: Time history of (a) the effective stress and (b) the effective plastic strain at the centroids of eleven elements on a radial line through the notch tip for notch 5 with a constant internal pressure of 800 MPa and a torsional pulse starting at $t = 40 \mu\text{s}$.

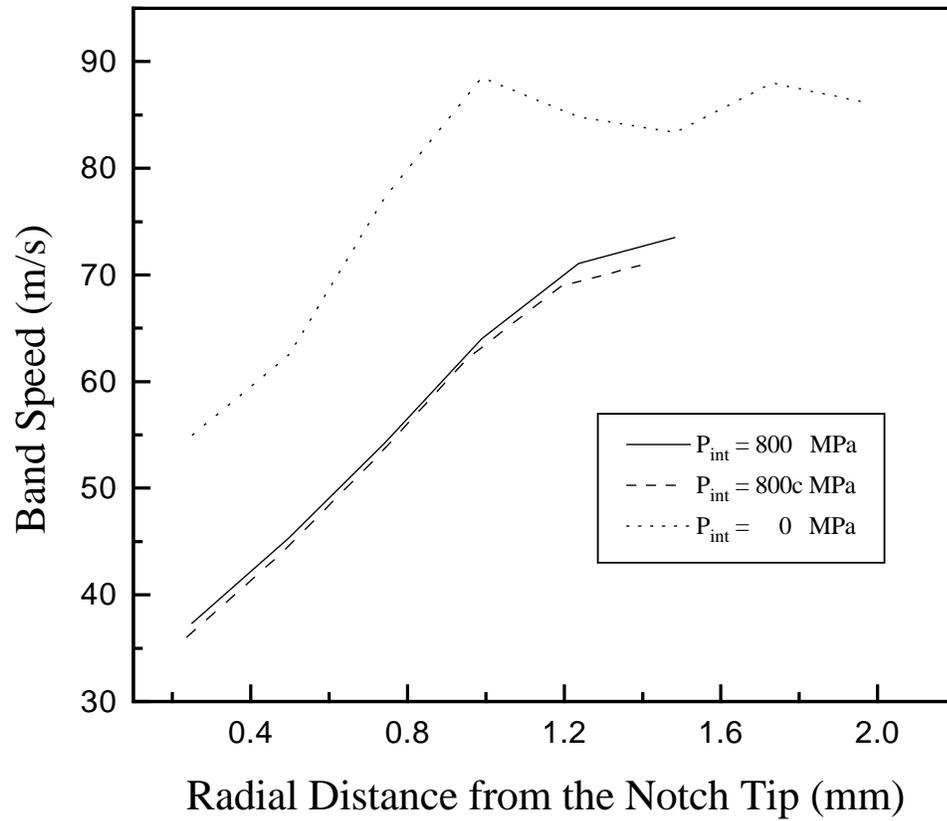


Figure 21: Variation of shear band (a contour of effective plastic strain of 0.5) speed with the radial distance from the notch tip for notch 5 with an applied internal pressure of 800 MPa followed by torsional loading.

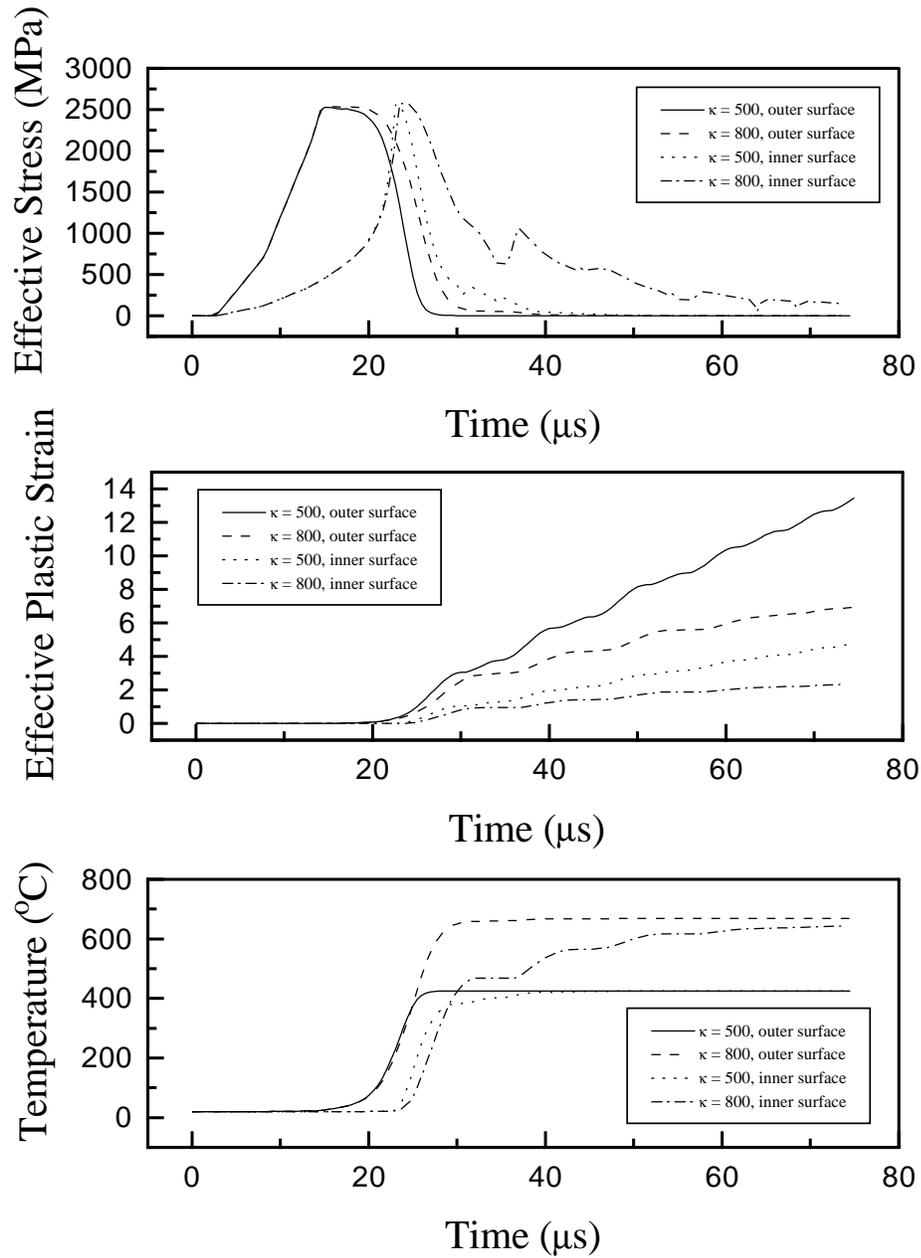


Figure 22: Time history of (a) the effective stress, (b) the effective plastic strain and (c) the temperature at two elements - one just below the notch tip and the other adjoining the inner surface of a CR-300 steel thick-walled tube with notch 5 deformed in torsion.

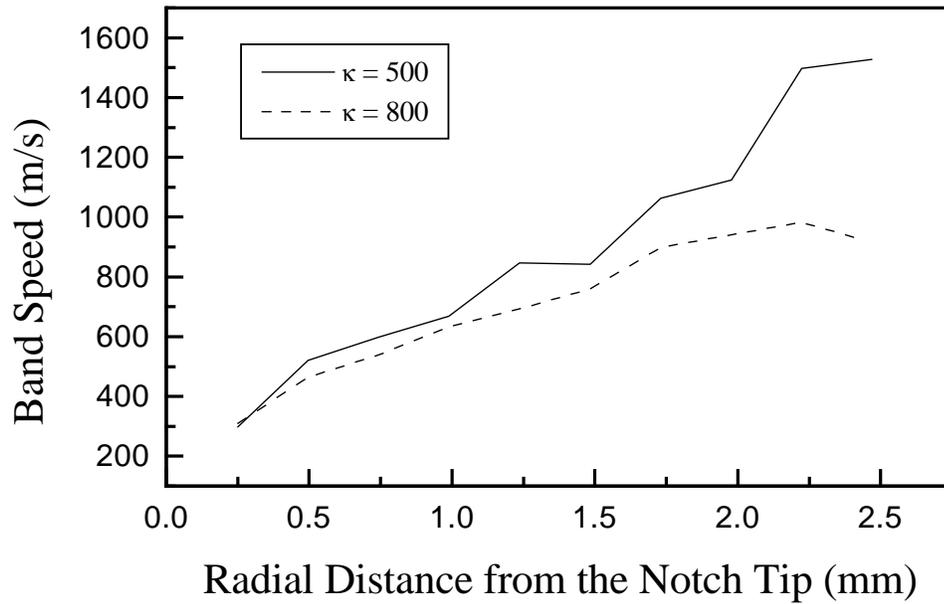
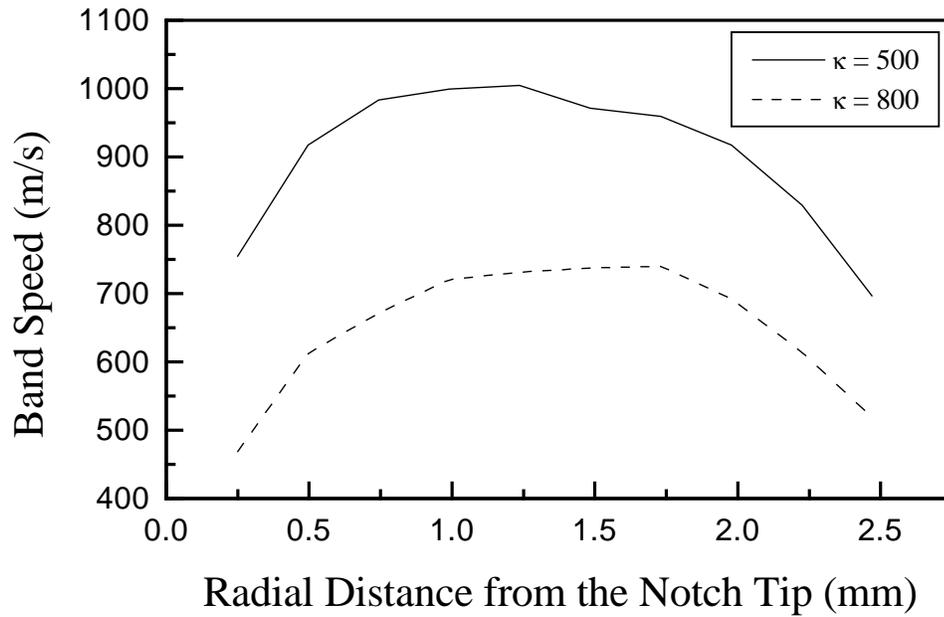


Figure 23: Band speed vs. the radial distance from the notch tip of a shear band in a CR-300 steel thick-walled tube with notch 5 deformed in torsion, as computed by the criteria (a) a contour of effective plastic strain of 0.50, and (b) a drop to 90% of the maximum effective stress.

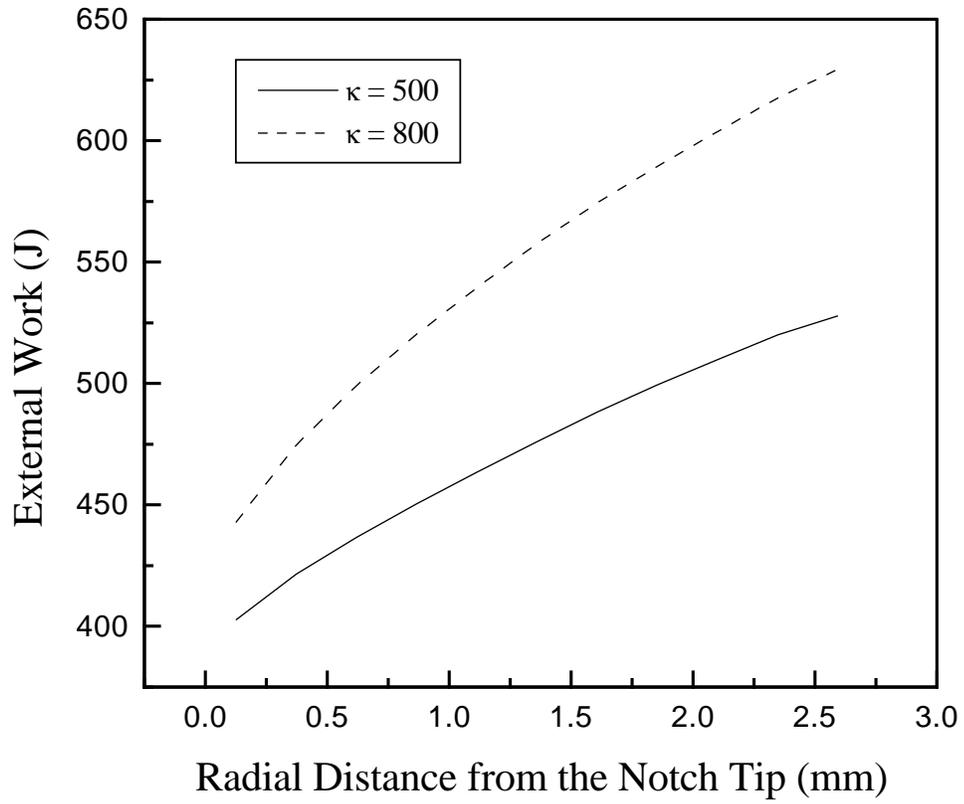


Figure 24: External work done vs. the radial distance through which a shear band (a contour of effective plastic strain of 0.5) has propagated for torsional deformations of the CR-300 steel thick-walled tube with notch 5.

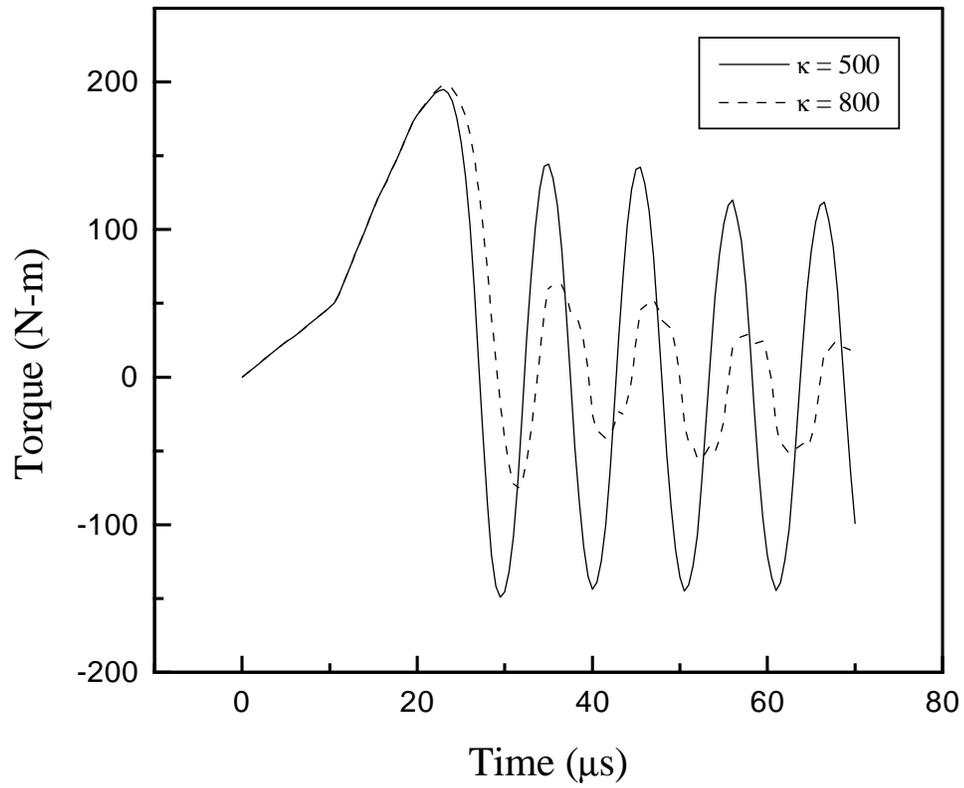


Figure 25: Time history of the torque required to deform the CR-300 steel thick-walled tube with notch 5.

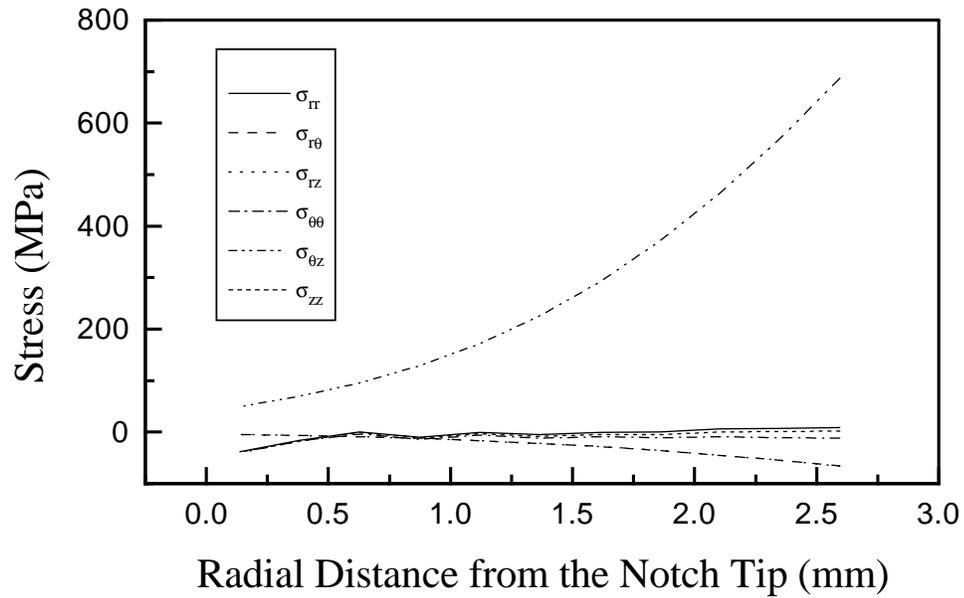
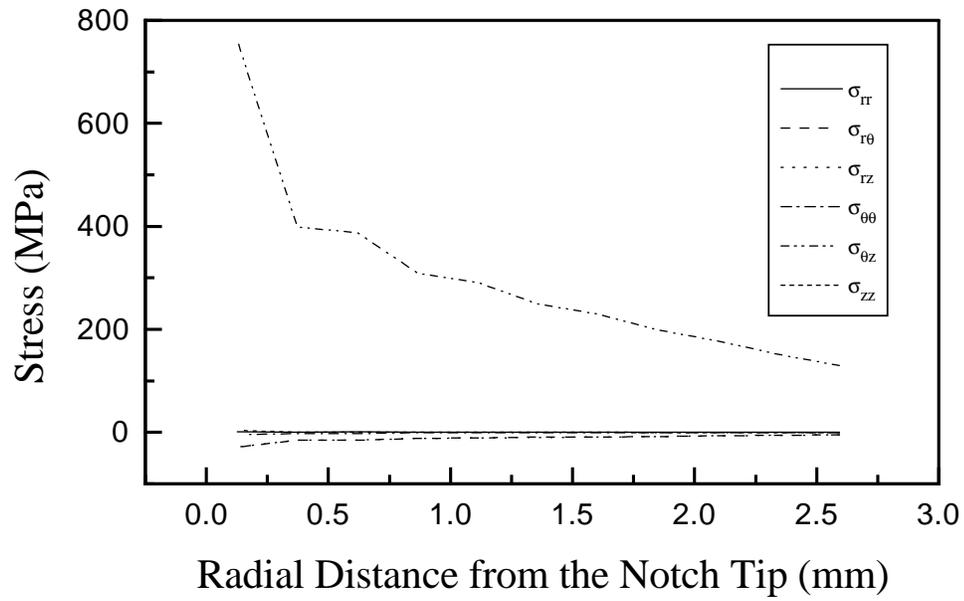


Figure 26: Distribution of the different components of stress on a radial line through the notch tip for torsional deformations of the CR-300 steel thick-walled tube with notch 5 for $\kappa = 800$ K, at (a) $t = 10.5 \mu s$ and (b) $t = 30.5 \mu s$

A FORTRAN Converter Programs

A.1 Program to Convert a PATRAN Neutral File to a DYNA3D Input File

```
c*****
c**** This program converts a PATRAN neutral file into a DYNA3D
c**** input file. It includes material models for 4340 Steel and
c**** alpha titanium. There is a choice of axial loading, torsional
c**** loading, internal pressure, or a combination of the same loading
c**** conditions.
c**** version: patdyn3.f      Last modified 8/16/96
c**** written by: Dean Rattazzi
c*****
```

```
implicit double precision (a-h,o-z)
```

```
character netfile*25, dynfile*25, title*72, check*2, ccard*80,
& yn1flag*1, yn2flag*2, tbnfile*25, etfile*25, pstrain*1
```

```
parameter (max=400000, nbig=25000)
```

```
dimension nodnum(max), nelnum(max), ccard(64), npress1(nbig),
& npress2(nbig), ndisp1(nbig), ndisp2(nbig), xcord(max), ycord(max),
& zcord(max), node1(max), node2(max), node3(max), node4(max),
& node5(max), node6(max), node7(max), node8(max), nthnumn(nbig),
& nthnume(nbig), knblk1(nbig), knblk2(nbig), keblk1(nbig),
& keblk2(nbig)
```

```
write(*,*)
write(*,*) 'This Program converts a PATRAN neutral file into a'
write(*,*) 'DYNA3D input file'
```

```
write(*,*)
write(*,*) 'Enter the name of the PATRAN neutral file'
read(*,10) netfile
```

```
write(*,*)
write(*,*) 'Enter the name you want for the DYNA3D input file'
read(*,10) dynfile
```

```
10 format(a)
write(*,*)
write(*,*) 'Enter the title for the DYNA3D input file'
read(*,10) title
```

```
write(*,*)
write(*,*) 'Enter a 1 for 4340 STEEL'
write(*,*) 'Enter a 2 for ALPHA TITANIUM'
read(*,*) matpick
```

```
C***** Pick the type of load and don't worry about the direction
C***** because it can be reversed in the load curve. Pressures
C***** act opposite to the normal of the element surface which is
C***** defined by four nodes and the right hand rule.
```

```
write(*,*)
write(*,*) 'Choose a number for the type of load:'
write(*,*) '-----'
write(*,*)
write(*,*) '1 = PRESSURE applied to the left end only.'
write(*,*) '2 = PRESSURE applied to both ends.'
write(*,*) '3 = AXIAL VELOCITY in the X direction applied to'
```

```

write(*,*) ' the left end.'
write(*,*) '4 = ANGULAR VELOCITY about the X axis applied to'
write(*,*) ' the left end.'
write(*,*) '5 = ANGULAR VELOCITY about the X axis applied to'
write(*,*) ' both ends.'
write(*,*) '6 = PRESSURE and ANGULAR VELOCITY about the X axis'
write(*,*) ' applied to the left end.'
write(*,*) '7 = PRESSURE and ANGULAR VELOCITY about the X axis'
write(*,*) ' applied to both ends.'
write(*,*) '8 = INTERNAL PRESSURE only.'
write(*,*) '9 = INTERNAL PRESSURE and ANGULAR VELOCITY about'
write(*,*) ' the X axis applied to the left end.'
write(*,*)

read(*,*) npvflag

if ((npvflag.eq.8).or.(npvflag.eq.9)) then
  write(*,*)
  write(*,*) 'Do you want plane strain?'
  write(*,*) 'Enter y or n'
  read(*,14) pstrain
14  format(a)
endif

C***** Open the neutral file and skip the first 2 title lines

  open (1,file=netfile,status='old')

  do 20 i = 1,2
    read(1,*)
20  continue

C***** Read the number of nodes and elements from the third line
C***** of the neutral file, then read the node coordinates and the
C***** connectivity.

  read(1,*) nada, nada, nada, nada, numnod, numel
  read(1,*)

  do 30 i = 1, numnod
    read(1,*) nada, nodnum(i)
    read(1,*) xcord(i), ycord(i), zcord(i)
    read(1,*)
30  continue

  do 60 i = 1, numel
    read(1,*) nada, nelnum(i)
    read(1,*)
    read(1,*) node1(i),node2(i),node3(i),node4(i),
& node5(i),node6(i),node7(i),node8(i)
60  continue

C***** Read the element numbers in the pressure load sets that
C***** were defined in PATRAN. These element numbers will be
C***** used to apply the axial and internal pressures.
C***** we will assign the element numbers to arrays based on the
C***** pressure set number. (i.e. I made it set 3 and 4 in PATRAN)

```

```

nump1 = 0
nump2 = 0
ninc1 = 1
ninc2 = 1

C***** Read through the pressures and search for the 6 flag in the
C***** left column, when the 8 flag is reached jump out and start
C***** reading displacements which are used for velocity b.c.'s
C***** and constraint b.c.'s.

      do 80 i = 1, max
        read(1,75) check, ntemp, nset
        if (check.eq.' 6') then
          if (nset.eq.3) then
            npress1(ninc1) = ntemp
            nump1 = nump1 + 1
            ninc1 = ninc1 + 1
          elseif (nset.eq.4) then
            npress2(ninc2) = ntemp
            nump2 = nump2 + 1
            ninc2 = ninc2 + 1
          endif
          read(1,*)
          read(1,*)
        else
          goto 90
        endif

80      continue
90      continue
75      format(a2,2i8)

C***** we read the first node of the displacement set so assign
C***** that first before continuing.
C***** Note that PATRAN puts the node numbers in ascending order
C***** even if the displacements were not assigned in order, and
C***** the node numbers from different sets will be mixed together.

C***** we will assign the node numbers to the arrays based on the
C***** displacement set number. (i.e. I made it set 1 and 2)

ninc1 = 1
ninc2 = 1

      if (nset.eq.1) then
        ndisp1(1) = ntemp
        numd1 = 1
        ninc1 = ninc1 + 1
      elseif (nset.eq.2) then
        ndisp2(1) = ntemp
        numd2 = 1
        ninc2 = ninc2 + 1
      endif
      read(1,*)
      read(1,*)

C***** Now read the rest of the nodes by searching for the 8 flag,
C***** if a number different from 8 is read then stop reading.

```

```

do 100 i = 2, max
  read(1,75) check, ntemp, nset
  if (check.eq.' 8') then
    if (nset.eq.1) then
      ndisp1(ninc1) = ntemp
      numd1 = numd1 + 1
      ninc1 = ninc1 + 1
    elseif (nset.eq.2) then
      ndisp2(ninc2) = ntemp
      numd2 = numd2 + 1
      ninc2 = ninc2 + 1
    endif
    read(1,*)
    read(1,*)
  else
    goto 110
  endif
100 continue
110 continue

close(1)

C***** Now we have all the nodes and their coordinates, all the
C***** elements and their connectivities, all the elements for
C***** pressure loads, and all the nodes for applying velocity
C***** or for constraining.
C***** Now we can begin creating the DYNA3D input file.

C***** Get the templates for the control cards to print out in the
C***** input file.

      open(14,file='/serv7/rattazzi/bin/comment_cards',status='old')

      do 120 i = 1, 64
        read(14,125) ccard(i)
120      continue

      close(14)
125      format(a)

      open (1,file=dynfile,status='unknown')

C***** Write the 1st control card (title).

      write(1,130) title, '88 large'
130      format(a72,a8)

C***** Write the 2nd control card.

      do 140 i = 1, 10
        write(1,145) ccard(i)
140      continue
145      format(a)

      write(1,150) '1',numnod,numel,'0','0','0','0','0','0'
150      format(4x,a1,2i10,5(9x,a1),4x,a1)

```

```

C***** We need the number of node and element time history blocks
C***** for control card 3.

C***** We are assuming that the numbering of nodes and elements in
C***** the files will be in ascending order.  If not then use the
C***** program nodeth to make them in order.

      write(*,*)
      write(*,*) 'Are there any NODE TIME HISTORY BLOCKS?'
      write(*,*) 'y or n'
      read(*,155) yn1flag
155   format(a)

      if (yn1flag.eq.'y') then
      write(*,*)
      write(*,*) 'Enter the file name of node block numbers.'
      read(*,155) tbnfile
      open(15, file=tbnfile,status='old')

      read(15,*) nmnthb

      do 160 i = 1, nmnthb
      read(15,*) nthnumn(i)
160   continue

      jnblks = 1
      knblkn1(jnblks) = nthnumn(1)

      do 170 i = 2, nmnthb
      if ((nthnumn(i)-nthnumn(i-1)).eq.1) then
      goto 170
      else
      knblkn2(jnblks) = nthnumn(i-1)
      jnblks = jnblks + 1
      knblkn1(jnblks) = nthnumn(i)
170   endif
      continue
      knblkn2(jnblks) = nthnumn(nmnthb)

      if (mod(jnblks,5).eq.0) then
      nnrows = jnblks/5
      else
      nnrows = jnblks/5 + 1
      endif

      close(15)
      endif

C***** End of if statement asking y or n for node blocks.

      write(*,*)
      write(*,*) 'Are there any ELEMENT TIME HISTORY BLOCKS?'
      write(*,*) 'y or n'
      read(*,175) yn2flag
175   format(a)

      if (yn2flag.eq.'y') then

```

```

write(*,*)
write(*,*) 'Enter the file name of element block numbers.'
read(*,175) etfile

open(15,file=etfile,status='old')
read(15,*) nmethb

do 180 i = 1, nmethb
  read(15,*) nthnume(i)
180  continue

  jeblks = 1
  keblkn1(jeblks) = nthnume(1)

do 190 i = 2, nmethb
  if ((nthnume(i)-nthnume(i-1)).eq.1) then
    goto 190
  else
    keblkn2(jeblks) = nthnume(i-1)
    jeblks = jeblks + 1
    keblkn1(jeblks) = nthnume(i)
  endif
190  continue

  keblkn2(jeblks) = nthnume(nmethb)

  if (mod(jeblks,5).eq.0) then
    nerows = jeblks/5
  else
    nerows = jeblks/5 + 1
  endif

  close(15)

  endif

C***** End of if statement asking y or n for element blocks.

C***** Write the 3rd control card.

  do 200 i = 11, 15
    write(1,205) ccard(i)
200  continue

205  format(a)

  write(1,210) jnblks,jeblks,'0','0','0','0','0','0','0'

210  format(2i5,7(4x,a1))

C***** Write the 4th control card.

  do 220 i = 16, 22
    write(1,215) ccard(i)
220  continue

215  format(a)

```

```

        write(1,225) ' ', '0', '0', '0', '0', '0', '0', 'e20.9', '0', '0', '0', '0'
225   format(6(4x,a1),a5,4x,a1,9x,a1,2(4x,a1))
C***** Figure out the number of load curves and the appropriate number
C***** of pressure or velocity cards for control card 5.
C***** Write the 5th control card.
        do 230 i = 23, 31
230   write(1,235) ccard(i)
        continue
235   format(a)
        if (npvflag.eq.1) then
            write(1,240) '1', '0', nump1, '0', '0', '0', '0', '0', '0', '0', '0',
& '0', '0', '0', '0', '0', '0', '0'
240   format(2(4x,a1),i5,13(4x,a1))
            elseif (npvflag.eq.2) then
                write(1,240) '2', '0', (nump1+nump2), '0', '0', '0', '0', '0', '0',
& '0', '0', '0', '0', '0', '0', '0'
                elseif (npvflag.eq.3) then
                    write(1,241) '1', '0', '0', numd1, '0', '0', '0', '0', '0', '0',
& '0', '0', '0', '0', '0', '0', '0'
241   format(3(4x,a1),i5,12(4x,a1))
                    elseif (npvflag.eq.4) then
                        write(1,241) '1', '0', '0', numd1, '0', '0', '0', '0', '0', '0',
& '0', '0', '0', '0', '0', '0', '0'
                        elseif (npvflag.eq.5) then
                            write(1,241) '2', '0', '0', (numd1+numd2), '0', '0', '0', '0', '0', '0',
& '0', '0', '0', '0', '0', '0', '0'
                            elseif (npvflag.eq.6) then
                                write(1,242) '2', '0', nump1, numd1, '0', '0', '0', '0', '0', '0',
& '0', '0', '0', '0', '0', '0', '0'
242   format(2(4x,a1),2i5,12(4x,a1))
                                elseif (npvflag.eq.7) then
                                    write(1,242) '4', '0', (nump1+nump2), (numd1+numd2), '0', '0', '0',
& '0', '0', '0', '0', '0', '0', '0', '0', '0', '0'
                                    elseif (npvflag.eq.8) then
                                        write(1,240) '1', '0', nump2, '0', '0', '0', '0', '0', '0', '0',
& '0', '0', '0', '0', '0', '0', '0'
                                        elseif (npvflag.eq.9) then

```

```

        write(1,242) '2','0',nump2,numd1,'0','0','0','0','0','0','0',
& '0','0','0','0','0','0'
        endif

C***** Write the 6th control card.
        do 250 i = 32, 38
            write(1,255) ccard(i)
250        continue
255        format(a)

        write(*,*)
        write(*,*) 'Enter the termination time.'
        read(*,*) ttime
        write(*,*)
        write(*,*) 'Enter delta t between time history dumps.'
        read(*,*) tthd
        write(*,*)
        write(*,*) 'Enter delta t between state plot dumps.'
        read(*,*) tspd

        write(1,260) ttime,tthd,tspd,'0','0','0','0','0','0','0',
260        format(3e10.4,2(4x,a1),2(9x,a1),2(4x,a1),9x,a1)

C***** Write the 7th control card.
        do 270 i = 39, 48
            write(1,275) ccard(i)
270        continue
275        format(a)

        write(1,280) '0','0','0','0','0','0','0','0','0','0','0',
& '0','0'
280        format(13(4x,a1))

C***** Write the 8th control card.
        do 290 i = 49, 57
            write(1,295) ccard(i)
290        continue
295        format(a)

        write(1,300) '0','0','0.000E+00','0','0','0','0','0', '250',
& '1.000E-04','9.950E-01','0.000E+00','0'
300        format(2(4x,a1),a10,4(4x,a1),a5,3a10,4x,a1)

C***** Write the 9th control card.

```

```

do 310 i = 58, 61
  write(1,315) ccard(i)
310  continue

315  format(a)

      write(1,320) '1','0','0','0','0', ' 0.000E+00','0','0','0'
320  format(4(4x,a1),a10,3(4x,a1))

C***** Write the material card.
C***** Note: These units are in centimeters, grams, microseconds.

do 330 i = 62, 64
  write(1,335) ccard(i)
330  continue

335  format(a)

      if (matpick.eq.1) then

        write(1,340) '1','15',' 7.840E+00','1','0',' 1.000E-01',
& '0',' 1.500E+00',' 6.000E-02','0','0','0'
        write(1,341) ' Material Type # 15 (Johnson/Cook)'
        write(1,342) ' .7600E+00',' .7922E-02',' .5095E-02',
& ' .2600E+00',' .1400E-01',' .1030E+01',' .1793E+04',
& ' .2980E+03'
        write(1,343) ' .1000E-05',' .4770E-05',' .0000E+00',
& ' .0000E+00',' .0000E+00'
        write(1,344) ' .2000E+20',' .0000E+00',' .0000E+00',
& ' .0000E+00',' .0000E+00'

        elseif (matpick.eq.2) then

        write(1,340) '1','15',' 4.507E+00','1','0',' 1.000E-01',
& '0',' 1.500E+00',' 6.000E-02','0','0','0'
        write(1,341) ' Material Type # 15 (Johnson/Cook)'
        write(1,342) ' .4300E+00',' .3090E-02',' .9290E-02',
& ' .7300E+00',' .3340E-01',' .3500E+00',' .1943E+04',
& ' .2980E+03'
        write(1,343) ' .1000E-10',' .5230E-05',' .0000E+00',
& ' .0000E+00',' .0000E+00'
        write(1,344) ' .2000E+20',' .0000E+00',' .0000E+00',
& ' .0000E+00',' .0000E+00'

      endif

340  format(4x,a1,3x,a2,a10,2(4x,a1),a10,4x,a1,2a10,3(4x,a1))
341  format(a62)
342  format(8a10)
343  format(5a10)
344  format(5a10)

      write(1,*)
      write(1,*)
      write(1,*)

```

```

    if (matpick.eq.1) then
      write(1,345) ' Equation-of-State Form 1 (Linear Polynomial)'
      write(1,346) ' .0000E+00',',', .1570E+01',',', .0000E+00',
& ' .0000E+00',',', .0000E+00',',', .0000E+00',',', .0000E+00',
& ' .0000E+00'
      write(1,347) ' .1000E+01'

    elseif (matpick.eq.2) then
      write(1,345) ' Equation-of-State Form 1 (Linear Polynomial)'
      write(1,346) ' .0000E+00',',', .1070E+01',',', .0000E+00',
& ' .0000E+00',',', .0000E+00',',', .0000E+00',',', .0000E+00',
& ' .0000E+00'
      write(1,347) ' .1000E+01'

    endif

345   format(a45)
346   format(8a10)
347   format(a10)

C***** Write the node cards and assign the degree of freedom code
C***** based on the type of loading chosen previously.

C***** No constraint
      ncode0 = 0
C***** Constrained in X
      ncode1 = 1
C***** Constrained in X,Y,Z
      ncode7 = 7

      write(1,350) '*----- NODE DEFINITIONS ',
& '-----'

350   format(a45,a20)
365   format(i8,i5,3e20.13,i5)

      j = 1
      jj = 1

      if ((npvflag.eq.1).or.(npvflag.eq.3)) then
        do 360 i = 1, numnod
          if (nodnum(i).eq.ndisp2(j)) then
            write(1,365) nodnum(i),ncode1,xcord(i),ycord(i),zcord(i),
& ncode0
            j = j + 1
          else
            write(1,365) nodnum(i),ncode0,xcord(i),ycord(i),zcord(i),
& ncode0
          endif
        do 360 i = 1, numnod
          if (nodnum(i).eq.ndisp2(j)) then
            write(1,365) nodnum(i),ncode1,xcord(i),ycord(i),zcord(i),
& ncode0
            j = j + 1
          else
            write(1,365) nodnum(i),ncode0,xcord(i),ycord(i),zcord(i),
& ncode0
          endif
        do 360 i = 1, numnod
          if (nodnum(i).eq.ndisp2(j)) then
            write(1,365) nodnum(i),ncode1,xcord(i),ycord(i),zcord(i),
& ncode0
            j = j + 1
          else
            write(1,365) nodnum(i),ncode0,xcord(i),ycord(i),zcord(i),
& ncode0
          endif
      endif

```

```

360   continue
      elseif ((npvflag.eq.2).or.(npvflag.eq.5)).or.(npvflag.eq.7))
&      then
          do 370 i = 1, numnod
              write(1,365) nodnum(i),ncode0,xcord(i),ycord(i),zcord(i),
&              ncode0
370   continue
      elseif ((npvflag.eq.4).or.(npvflag.eq.6)) then
          do 380 i = 1, numnod
              if (nodnum(i).eq.ndisp2(j)) then
                  write(1,365) nodnum(i),ncode7,xcord(i),ycord(i),zcord(i),
&                  ncode0
&                  j = j + 1
              else
                  write(1,365) nodnum(i),ncode0,xcord(i),ycord(i),zcord(i),
&                  ncode0
              endif
380   continue
      elseif (npvflag.eq.8) then
          if (pstrain.eq.'y') then
              do 382 i = 1, numnod
                  write(1,365) nodnum(i),ncode1,xcord(i),ycord(i),zcord(i),
&                  ncode0
382   continue
              else
                  do 383 i = 1, numnod
                      if (nodnum(i).eq.ndisp1(j)) then
                          write(1,365) nodnum(i),ncode1,xcord(i),ycord(i),zcord(i),
&                          ncode0
&                          j = j + 1
                      elseif (nodnum(i).eq.ndisp2(jj)) then
                          write(1,365) nodnum(i),ncode1,xcord(i),ycord(i),zcord(i),
&                          ncode0
&                          jj = jj + 1
                      else
                          write(1,365) nodnum(i),ncode0,xcord(i),ycord(i),zcord(i),
&                          ncode0
&                          endif
383   continue
          endif ! If for plane strain.

```

```

elseif (npvflag.eq.9) then
  if (pstrain.eq.'y') then
    do 384 i = 1, numnod
      if (nodnum(i).eq.ndisp2(j)) then
        write(1,365) nodnum(i),ncode7,xcord(i),ycord(i),zcord(i),
&      ncode0
        j = j + 1
      else
        write(1,365) nodnum(i),ncode1,xcord(i),ycord(i),zcord(i),
&      ncode0
    endif
384    continue
  else !not plane strain
    do 385 i = 1, numnod
      if (nodnum(i).eq.ndisp2(j)) then
        write(1,365) nodnum(i),ncode7,xcord(i),ycord(i),zcord(i),
&      ncode0
        j = j + 1
      else
        write(1,365) nodnum(i),ncode0,xcord(i),ycord(i),zcord(i),
&      ncode0
    endif
385    continue
  endif !end of if for plane strain choice.
endif !end of if for all the loading choices.

C***** Write the solid element cards.
  write(1,390) '*----- SOLID ELEMENT DEFINITIONS',
&  '-----'
390  format(a45,a19)
      mat = 1
      do 400 i = 1, numel
        write(1,405) nelnum(i),mat,node1(i),node2(i),node3(i),
&      node4(i),node5(i),node6(i),node7(i),node8(i)
400    continue
405  format(i8,i5,8i8)

```

```

C***** Write node time history blocks if they were requested.
      if (yn1flag.eq.'y') then
        write(1,410) '*----- Node Time History Blocks ',
&      '-----',
410      format(a46,a30)

        mstart = 1
        mend = 5
        do 420 i = 1, nnrows
          if ((i.eq.nnrows).and.(mod(jnblks,5).gt.0)) then
            mend = mend - 5
            mend = mend + mod(jnblks,5)
          endif
          write(1,425) (knblkn1(m),knblkn2(m), m=mstart,mend)
          mstart = mstart + 5
          if (i.ne.nnrows) mend = mend + 5

420      continue
425      format(10i8)

      endif

```

```

C***** Write element time history blocks if they were requested.
      if (yn2flag.eq.'y') then
        write(1,430) '*----- Element Time History Blocks ',
&      '-----',
430      format(a46,a30)

        mstart = 1
        mend = 5
        do 440 i = 1, nerows
          if ((i.eq.nerows).and.(mod(jeblks,5).gt.0)) then
            mend = mend - 5
            mend = mend + mod(jeblks,5)
          endif
          write(1,445) (keblkn1(m),keblkn2(m), m=mstart,mend)
          mstart = mstart + 5
          if (i.ne.nerows) mend = mend + 5

440      continue
445      format(10i8)

      endif

```

```

C***** Write the load curves based on the type of loading chosen.

      if ((npvflag.eq.1).or.(npvflag.eq.8)) then
        write(1,450) '*----- Load Curve #1 For Pressure ',
&      '-----',

```

```

450   format(a45,a22)
      write(*,*)
      write(*,*) 'How many points in the PRESSURE load curve?'
      read(*,*) npoints
      write(1,455) '1',npoints,'0'
455   format(4x,a1,i5,4x,a1)
      write(*,*)

      do 460 i = 1, npoints
        write(*,465) 'Enter TIME point number',i
        read(*,*) time
        write(*,466) 'Enter PRESSURE point number',i
        read(*,*) zload
        write(1,470) time, zload
460   continue

      format(a23,i3)
465   format(a27,i3)
466   format(e10.5,e10.4)
470

      elseif (npvflag.eq.2) then
        write(1,480) '*----- Load Curve #1 For Pressure 1',
&      ' -----'

480   format(a46,a23)

      write(*,*)
      write(*,*) 'How many points in the 1st PRESSURE load curve?'
      read(*,*) npoints
      write(1,485) '1',npoints,'0'
485   format(4x,a1,i5,4x,a1)
      write(*,*)

      do 490 i = 1, npoints
        write(*,495) 'Enter TIME point number',i
        read(*,*) time
        write(*,496) 'Enter PRESSURE point number',i
        read(*,*) zload
        write(1,500) time, zload
490   continue

      format(a23,i3)
495   format(a27,i3)
496   format(e10.5,e10.4)
500

      write(1,510) '*----- Load Curve #2 For Pressure 2',
&      ' -----'

510   format(a46,a23)

      write(*,*)
      write(*,*) 'How many points in the 2nd PRESSURE load curve?'

```

```

        read(*,*) npoints
        write(1,515) '2',npoints,'0'
515    format(4x,a1,i5,4x,a1)
        write(*,*)

        do 520 i = 1, npoints
            write(*,525) 'Enter TIME point number',i
            read(*,*) time
            write(*,526) 'Enter PRESSURE point number',i
            read(*,*) zload
            write(1,530) time, zload
520    continue

525    format(a23,i3)
526    format(a27,i3)
530    format(e10.5,e10.4)

        elseif ((npvflag.eq.3).or.(npvflag.eq.4)) then
            write(1,540) '*----- Load Curve #1 For Velocity ',
& '-----',
540    format(a45,a22)

            write(*,*)
            write(*,*) 'How many points in the VELOCITY load curve?'
            read(*,*) npoints
            write(1,545) '1',npoints,'0'
545    format(4x,a1,i5,4x,a1)
            write(*,*)

            do 550 i = 1, npoints
                write(*,555) 'Enter TIME point number',i
                read(*,*) time
                write(*,556) 'Enter VELOCITY point number',i
                read(*,*) zload
                write(1,560) time, zload
550    continue

555    format(a23,i3)
556    format(a27,i3)
560    format(e10.5,e10.4)

        elseif (npvflag.eq.5) then
            write(1,570) '*----- Load Curve #1 For Velocity 1',
& '-----',
570    format(a46,a23)

            write(*,*)
            write(*,*) 'How many points in the 1st VELOCITY load curve?'
            read(*,*) npoints
            write(1,575) '1',npoints,'0'
575    format(4x,a1,i5,4x,a1)

```

```

write(*,*)
do 580 i = 1, npoints
  write(*,585) 'Enter TIME point number',i
  read(*,*) time
  write(*,586) 'Enter VELOCITY point number',i
  read(*,*) zload
  write(1,590) time, zload
580  continue

585  format(a23,i3)
586  format(a27,i3)
590  format(e10.5,e10.4)

write(1,600) '*----- Load Curve #2 For Velocity 2',
& '-----',

600  format(a46,a23)

  write(*,*)
  write(*,*) 'How many points in the 2nd VELOCITY load curve?'
  read(*,*) npoints
  write(1,605) '2',npoints,'0'
605  format(4x,a1,i5,4x,a1)
  write(*,*)

  do 610 i = 1, npoints
    write(*,615) 'Enter TIME point number',i
    read(*,*) time
    write(*,616) 'Enter VELOCITY point number',i
    read(*,*) zload
    write(1,620) time, zload
610  continue

615  format(a23,i3)
616  format(a27,i3)
620  format(e10.5,e10.4)

elseif ((npvflag.eq.6).or.(npvflag.eq.9)) then
& write(1,630) '*----- Load Curve #1 For Pressure ',
& '-----',

630  format(a45,a22)

  write(*,*)
  write(*,*) 'How many points in the PRESSURE load curve?'
  read(*,*) npoints
  write(1,635) '1',npoints,'0'
635  format(4x,a1,i5,4x,a1)
  write(*,*)

  do 640 i = 1, npoints
    write(*,645) 'Enter TIME point number',i
    read(*,*) time
    write(*,646) 'Enter PRESSURE point number',i

```

```

        read(*,*) zload
        write(1,650) time, zload
640    continue

645    format(a23,i3)
646    format(a27,i3)
650    format(e10.5,e10.4)

        write(1,660) '*----- Load Curve #2 For Velocity ',
&    '-----',

660    format(a45,a22)

        write(*,*)
        write(*,*) 'How many points in the VELOCITY load curve?'
        read(*,*) npoints
        write(1,665) '2',npoints,'0'
665    format(4x,a1,i5,4x,a1)
        write(*,*)

        do 670 i = 1, npoints
            write(*,675) 'Enter TIME point number',i
            read(*,*) time
            write(*,676) 'Enter VELOCITY point number',i
            read(*,*) zload
            write(1,680) time, zload
670    continue

675    format(a23,i3)
676    format(a27,i3)
680    format(e10.5,e10.4)

        elseif (npvflag.eq.7) then

        write(1,690) '*----- Load Curve #1 For Pressure 1',
&    '-----',

690    format(a46,a23)

        write(*,*)
        write(*,*) 'How many points in the 1st PRESSURE load curve?'
        read(*,*) npoints
        write(1,695) '1',npoints,'0'
695    format(4x,a1,i5,4x,a1)
        write(*,*)

        do 700 i = 1, npoints
            write(*,705) 'Enter TIME point number',i
            read(*,*) time
            write(*,706) 'Enter PRESSURE point number',i
            read(*,*) zload
            write(1,710) time, zload
700    continue

705    format(a23,i3)
706    format(a27,i3)

```

```

710      format(e10.5,e10.4)

      write(1,720) '*----- Load Curve #2 For Pressure 2',
&      ' -----',

720      format(a46,a23)

      write(*,*)
      write(*,*) 'How many points in the 2nd PRESSURE load curve?'
      read(*,*) npoints
      write(1,725) '2',npoints,'0'
725      format(4x,a1,i5,4x,a1)
      write(*,*)

      do 730 i = 1, npoints
      write(*,735) 'Enter TIME point number',i
      read(*,*) time
      write(*,736) 'Enter PRESSURE point number',i
      read(*,*) zload
      write(1,740) time, zload
730      continue

735      format(a23,i3)
736      format(a27,i3)
740      format(e10.5,e10.4)

      write(1,750) '*----- Load Curve #3 For Velocity 1',
&      ' -----',

750      format(a46,a23)

      write(*,*)
      write(*,*) 'How many points in the 1st VELOCITY load curve?'
      read(*,*) npoints
      write(1,755) '3',npoints,'0'
755      format(4x,a1,i5,4x,a1)
      write(*,*)

      do 760 i = 1, npoints
      write(*,765) 'Enter TIME point number',i
      read(*,*) time
      write(*,766) 'Enter VELOCITY point number',i
      read(*,*) zload
      write(1,770) time, zload
760      continue

765      format(a23,i3)
766      format(a27,i3)
770      format(e10.5,e10.4)

      write(1,780) '*----- Load Curve #2 For Velocity 2',
&      ' -----',

780      format(a46,a23)

```

```

write(*,*)
write(*,*) 'How many points in the 2nd VELOCITY load curve?'
read(*,*) npoints
write(1,785) '4',npoints,'0'
785 format(4x,a1,i5,4x,a1)
write(*,*)

do 790 i = 1, npoints
write(*,795) 'Enter TIME point number',i
read(*,*) time
write(*,796) 'Enter VELOCITY point number',i
read(*,*) zload
790 write(1,800) time, zload
continue

795 format(a23,i3)
796 format(a27,i3)
800 format(e10.5,e10.4)

```

```
endif
```

C***** Write the prescribed pressure cards and the prescribed velocity
C***** cards based on the type of loading chosen.

```

scale = 1.0
vect = 0.

if (npvflag.eq.1) then
write(1,810) '*----- PRESCRIBED PRESSURE',
& ' -----'
810 format(a47,a19)
do 820 i = 1, nump1
write(1,825) '1', node4(npres1(i)),node3(npres1(i)),
& node2(npres1(i)),node1(npres1(i)),scale,scale,scale
820 continue
825 format(4x,a1,4i8,4e10.4)

elseif (npvflag.eq.2) then
write(1,830) '*----- PRESCRIBED PRESSURE',
& ' -----'
830 format(a47,a19)
do 840 i = 1, nump1
write(1,845) '1', node4(npres1(i)),node3(npres1(i)),

```

```

      & node2(npvflag),node1(npvflag),scale,scale,scale,scale
840 continue
845   format(4x,a1,4i8,4e10.4)

      do 850 i = 1, nump2
         write(1,845) '2', node4(npvflag),node3(npvflag),
      & node2(npvflag),node1(npvflag),scale,scale,scale,scale
850 continue

      elseif (npvflag.eq.3) then

         write(1,860) '*----- PRESCRIBED VELOCITY',
      & '-----',
860   format(a47,a19)

         do 870 i = 1, numd1
            write(1,875) ndisp1(i), '1', '1', scale, vect, vect, vect, '0'
870 continue
875   format(i8,4x,a1,4x,a1,4e10.4,4x,a1)

         elseif (npvflag.eq.4) then

            write(1,880) '*----- PRESCRIBED VELOCITY',
      & '-----',
880   format(a47,a19)

            do 890 i = 1, numd1
               write(1,895) ndisp1(i), '1', '9', scale, vect, vect, vect, '0'
890 continue
895   format(i8,4x,a1,4x,a1,4e10.4,4x,a1)

         elseif (npvflag.eq.5) then

            write(1,900) '*----- PRESCRIBED VELOCITY',
      & '-----',
900   format(a47,a19)

            do 910 i = 1, numd1
               write(1,915) ndisp1(i), '1', '9', scale, vect, vect, vect, '0'
910 continue
915   format(i8,4x,a1,4x,a1,4e10.4,4x,a1)

            do 920 i = 1, numd2
               write(1,915) ndisp2(i), '2', '9', scale, vect, vect, vect, '0'
920 continue

```

```

elseif (npvflag.eq.6) then

  write(1,930) '*----- PRESCRIBED PRESSURE',
  &  '-----',
930  format(a47,a19)
      do 940 i = 1, nump1
          write(1,945) '1', node4(npres1(i)),node3(npres1(i)),
  &  node2(npres1(i)),node1(npres1(i)),scale,scale,scale,scale
940  continue
945  format(4x,a1,4i8,4e10.4)

      write(1,950) '*----- PRESCRIBED VELOCITY',
  &  '-----',
950  format(a47,a19)
          do 960 i = 1, numd1
              write(1,965) ndisp1(i),'2','9',scale,vect,vect,vect,'0'
960  continue
965  format(i8,4x,a1,4x,a1,4e10.4,4x,a1)

elseif (npvflag.eq.7) then
  write(1,970) '*----- PRESCRIBED PRESSURE',
  &  '-----',
970  format(a47,a19)
      do 980 i = 1, nump1
          write(1,985) '1', node4(npres1(i)),node3(npres1(i)),
  &  node2(npres1(i)),node1(npres1(i)),scale,scale,scale,scale
980  continue
985  format(4x,a1,4i8,4e10.4)

          do 990 i = 1, nump2
              write(1,985) '2', node4(npres2(i)),node3(npres2(i)),
  &  node2(npres2(i)),node1(npres2(i)),scale,scale,scale,scale
990  continue

          write(1,1000) '*----- PRESCRIBED VELOCITY',
  &  '-----',
1000  format(a47,a19)

```

```

        do 1010 i = 1, numd1
          write(1,1015) ndisp1(i), '3', '9', scale, vect, vect, vect, '0'
1010 continue
1015   format(i8,4x,a1,4x,a1,4e10.4,4x,a1)
        do 1020 i = 1, numd2
          write(1,1015) ndisp2(i), '4', '9', scale, vect, vect, vect, '0'
1020 continue
          elseif (npvflag.eq.8) then
            write(1,1028) '*----- PRESCRIBED PRESSURE',
&           ' -----'
1028   format(a47,a19)
            do 1030 i = 1, nump2
              write(1,1035) '1', node1(npres2(i)),node5(npres2(i)),
&           node8(npres2(i)),node4(npres2(i)),scale,scale,scale,scale
1030 continue
1035   format(4x,a1,4i8,4e10.4)
            elseif (npvflag.eq.9) then
              write(1,1040) '*----- PRESCRIBED PRESSURE',
&           ' -----'
1040   format(a47,a19)
              do 1050 i = 1, nump2
                write(1,1055) '1', node1(npres2(i)),node5(npres2(i)),
&           node8(npres2(i)),node4(npres2(i)),scale,scale,scale,scale
1050 continue
1055   format(4x,a1,4i8,4e10.4)
              write(1,1060) '*----- PRESCRIBED VELOCITY',
&           ' -----'
1060   format(a47,a19)
              do 1070 i = 1, numd1
                write(1,1065) ndisp1(i), '2', '9', scale, vect, vect, vect, '0'
1070 continue
1065   format(i8,4x,a1,4x,a1,4e10.4,4x,a1)
            endif !end of all load definitions.

stop
end

```

A.2 Program to Convert Modified DYNA3D Output Files to PATRAN Results Files

```

c*****
c***** program: dynapat.f
c***** Program to create Patran elem/node results files for each
c***** individual time available from the binary files created
c***** by the modified version of DYNA3D. You can choose the
c***** number of time states you want to include, and the time
c***** interval. You supply the files of element numbers and
c***** node numbers you want to extract data for.
c***** Program last modified 4/13/96
c*****

      implicit double precision (a-h,o-z)
      parameter (max=400000)
      character star*1,filen*12,filen2*12,fnum*2,title*16,
&          file1*25,file3*12
      dimension filen(100), fnum(100), nelnum(max), time(max),
& sxx(max),syy(max),szz(max),sxy(max),szx(max),syz(max),
& menum(max),nodnum(max),filen2(100),defmax(max),ndmax(max),
& mnum(max),dz(max),dx(max),dy(max),seff(max),filen3(100),
& ps(max),temp(max)

      open(1,file='tmpfile',status='unknown')

20     format(a,i1)

      do 25 i = 1, 9
          write(1,20) '0',i
25     continue

30     format(i2)

      do 40 i = 10,99
          write(1,30) i
40     continue

      close(1)

      open(1,file='tmpfile',status='old')

50     format(a2)
      do 60 i = 1, 99
          read(1,50) fnum(i)
          filen(i) = 'stress'//fnum(i)
          filen2(i) = 'ndisp'//fnum(i)
          filen3(i) = 'tps'//fnum(i)
60     continue

      close(1)

62     format(a)

c***** Open the files with the requested element and node numbers,
c***** and read them into arrays.

      write(*,*) 'Enter the file name of element numbers'
      read(*,62) file1

```

```

open(1,file=file1,status='old')
read(1,*) numel
do 70 i = 1, numel
  read(1,*) nelnum(i)
70  continue
close(1)

write(*,*)
write(*,*) 'Enter the file name of node numbers'
read(*,62) file1

open(1,file=file1,status='old')
read(1,*) numnod

maxnod = 0
do 80 i = 1, numnod
  read(1,*) nodnum(i)
  if (nodnum(i).gt.maxnod) then
    maxnod = nodnum(i)
  endif
80  continue
close(1)

c***** Open the binary files of time history data for stress and
c***** effective plastic strain / temperature.

open(1,file='stress_th',status='old',form='unformatted')
open(3,file='ps_temp',status='old',form='unformatted')

84  format(3e16.9)
85  format(a10,i8,a7)

read(1) numeb,nstates
read(3) numeb,nstates
write(*,*)
write(*,85) 'There are ',nstates,' states'
write(*,*) 'How many states do you want to include?'
read(*,*) nrstate
write(*,*)
write(*,*) 'What state interval do you want'
read(*,*) nint

mm = 1

do 90 i = 1, nstates
  read(1) time(i)
  read(3) time(i)

  do 100 j = 1, numeb
    read(1) menum(j),sxx(menum(j)),syy(menum(j)),
&    szz(menum(j)),sxy(menum(j)),syz(menum(j)),
&    szx(menum(j)),seff(menum(j))

```

```
c***** PATRAN doesn't fill elements with color that have a
c***** quantity with a value of zero.
```

```
      if (sxx(menu(j)).eq.0.) sxx(menu(j))=1.e-20
      if (syy(menu(j)).eq.0.) syy(menu(j))=1.e-20
      if (szz(menu(j)).eq.0.) szz(menu(j))=1.e-20
      if (sxy(menu(j)).eq.0.) sxy(menu(j))=1.e-20
      if (syz(menu(j)).eq.0.) syz(menu(j))=1.e-20
      if (szx(menu(j)).eq.0.) szx(menu(j))=1.e-20
      if (seff(menu(j)).eq.0.) seff(menu(j))=1.e-20
```

```
      read(3) mrep,ps(menu(j)),temp(menu(j))
```

```
      if (ps(menu(j)).eq.0.) ps(menu(j))=1.e-20
      if (temp(menu(j)).eq.0.) temp(menu(j))=1.e-20
```

```
100      continue !end of the loop over the elements.
```

```
c***** This if statement will cause the program to
c***** skip to the requested time interval, and end at
c***** the requested time state.
```

```
      if ((i.le.nrstate).and.((mod(i,nint)).eq.0)) then
```

```
          open(2,file=filen(mm),status='unknown')
          open(4,file=filen3(mm),status='unknown')
```

```
115      format(i8,7x,'8')
116      format(a7,e13.7,a5)
119      format(6e13.7)
118      format(1e13.7)
      write(2,116) 'time = ', time(i), ' usec'
      write(2,*) '7'
      write(2,*) 'Element Stress'
      write(2,*)
```

```
      write(4,116) 'time = ', time(i), ' usec'
      write(4,*) '2'
      write(4,*) 'PS or temp.'
      write(4,*)
```

```
      do 110 kk = 1, numel
          write(2,115) nelnum(kk)
          write(2,119) sxx(nelnum(kk)),syy(nelnum(kk)),
&          szz(nelnum(kk)),sxy(nelnum(kk)),syz(nelnum(kk)),
&          szx(nelnum(kk))
          write(2,118) seff(nelnum(kk))
```

```
          write(4,115) nelnum(kk)
          write(4,119) ps(nelnum(kk)),temp(nelnum(kk))
```

```
110      continue
```

```
      mm = mm + 1
```

```
      close(2)
```

```

        close(4)
    endif ! End the if statement for skipping time states.
90    continue !end of the loop over the time states.

        close(1)
        close(3)

C***** End of element data *****

C***** Start of node data *****

        do 125 i = 1, max
            defmax(i) = 0.
125    continue

        mm = 1

c**** Open up the binary file with the time history data for
c**** displacements.

        open(1,file='disp_th',status='old',form='unformatted')
        read(1) numnb,nstates

        do 130 i = 1, nstates
            read(1) time(i)

            do 140 j = 1, numnb
                read(1) mnum(j),dx(mnum(j)),dy(mnum(j)),
&                    dz(mnum(j))
140    continue

230    format(i8,3e13.7)
232    format(a7,e13.7,a5)
233    format(2i9,e15.6,2i9)
234    format(6e13.7)

        nwidth = 3

c***** This if statement will cause the program to
c***** skip to the requested time interval, and end at
c***** the requested time state.

        if ((i.le.nrstate).and.((mod(i,nint)).eq.0)) then

c***** The PATRAN results file needs the maximum deformation.

        do 245 km = 1,numnod

            if (dabs(dx(nodnum(km))).gt.defmax(i)) then
                defmax(i) = dx(nodnum(km))
                ndmax(i) = nodnum(km)
            endif

            if (dabs(dy(nodnum(km))).gt.defmax(i)) then
                defmax(i) = dy(nodnum(km))

```

```

        ndmax(i) = nodnum(km)
    endif

    if (dabs(dz(nodnum(km))).gt.defmax(i)) then
        defmax(i) = dz(nodnum(km))
        ndmax(i) = nodnum(km)
    endif
245    continue

    open(2,file=filen2(mm),status='unknown')

    write(2,232) 'time = ', time(i), ' usec'
    write(2,233) numnod,maxnod,defmax(i),ndmax(i),nwidth
    write(2,*)
    write(2,*) 'Nodal Displacement'

    do 250 j = 1, numnod
        write(2,230) nodnum(j), dx(nodnum(j)),
250    &    dy(nodnum(j)),dz(nodnum(j))
        continue

        mm = mm + 1

        close(2)

        endif

130    continue !End the loop over the number of time states.

    close(1)

    write(*,*)
    write(*,*) 'PROGRAM COMPLETED'
    write(*,*)
    stop
    end

```

B FORTRAN Utility Programs

B.1 Program to Calculate Torque on the Tube

```
C*****
C***** Program torq (version torq5.f)
C***** Program reads in the mesh, reads in time history data, then
C***** reads the element numbers that will be used to calculate
C***** torque. It finds the 4 surface nodes for each element,
C***** then updates the coordinates, calculates centroids, then
C***** calculates surface area, and finally calculates the
C***** torque.
C***** Program last modified 05/12/96
C*****

      implicit double precision (a-h,o-z)
      parameter (max=400000)
      dimension nodnum(max),xcord(max),ycord(max),zcord(max),
      & nelnum(max),node1(max),node2(max),node3(max),node4(max),
      & node5(max),node6(max),node7(max),node8(max),
      & time(500),s12(max),s13(max),xdisp(max),
      & ydisp(max),zdisp(max),nhelem(max),nhnode(max),
      & nspnum(max),nspenum(max),dtime(2)

      character file1a*25,file1b*25,netfile*25,file2*25,file3*25,
      & com*1,star*1

10      format(a)
      write(*,*) 'Enter the file name containing the element'
      write(*,*) 'numbers'
      read(*,10) file2
      write(*,*)
      write(*,*) 'Enter the PATRAN neutral file name'
      read(*,10) netfile
      write(*,*)

C***** Read the element numbers in the special element file

      open (1,file=file2,status='old')
      read(1,*) numspe

45      format(i8)

      do 50 i = 1, numspe
         read(1,*) nspenum(i)
50      continue

      close(1)

C***** check the number of states and delta t *****
      open (1,file='stress_th',status='old',form='unformatted')

      read(1) nte,nst

      do 400 jj = 1, 2
```

```

        read(1) dtime(jj)
        do 390 k = 1, nte
            read(1) nh,var1,var2,var3,var4,
&                var5,var6,var7
390    continue
400    continue
        delt = dtime(2) - dtime(1)
410    format(a10,i5,a7)
420    format(a11,e14.7)
        close(1)
        write(*,*)
        write(*,410) 'There are ',nst,' states'
        write(*,*)
        write(*,420) 'Delta t is ',delt
        write(*,*)
        write(*,*) 'How many states do you want to include'
        read(*,*) nrstate
C***** read in all the node numbers, their coordinates, the element
C***** numbers and the connectivities.
        open(1,file=netfile,status='old')
        do 20 i = 1,2
            read(1,*)
20    continue
        read(1,*) nada,nada,nada,nada,numnod,numel
        read(1,*)
        do 30 i = 1, numnod
            read(1,*) nada,nodnum(i)
            read(1,*) xcord(i),ycord(i),zcord(i)
            read(1,*)
30    continue
        do 40 i = 1, numel
            read(1,*) nada, nelnum(i)
            read(1,*)
            read(1,*) node1(i),node2(i),node3(i),node4(i),
&                node5(i),node6(i),node7(i),node8(i)
40    continue
        close(1)
C*****
C***** Read the time history data *****
        open (1,file='stress_th',status='old',form='unformatted')
        open (2,file='disp_th',status='old',form='unformatted')
        open (3,file='torq.dat',status='unknown')

```

```

read(1) ntote,nstates
read(2) ntotn,nstates

do 90 jj = 1, nrstate
  read(1) time(jj)
  read(2) time(jj)

  do 100 k = 1, ntote
    read(1) nhelem(k),s11,s22,s33,s12(nhelem(k)),
    &      s23,s13(nhelem(k)),seff
100  continue

  do 110 k = 1, ntotn
    read(2) nhnode(k),xdisp(nhnode(k)),
    &      ydisp(nhnode(k)),zdisp(nhnode(k))
110  continue

C*****

torque = 0.d0
tsum = 0.d0
do 200 j = 1, numspe

C***** Update the coordinates of the 4 surface nodes with
C***** the nodal displacements for each time step

  xcord1 = xcord(node1(nspenum(j)))
  &      + xdisp(node1(nspenum(j)))
  xcord2 = xcord(node2(nspenum(j)))
  &      + xdisp(node2(nspenum(j)))
  xcord3 = xcord(node3(nspenum(j)))
  &      + xdisp(node3(nspenum(j)))
  xcord4 = xcord(node4(nspenum(j)))
  &      + xdisp(node4(nspenum(j)))

  ycord1 = ycord(node1(nspenum(j)))
  &      + ydisp(node1(nspenum(j)))
  ycord2 = ycord(node2(nspenum(j)))
  &      + ydisp(node2(nspenum(j)))
  ycord3 = ycord(node3(nspenum(j)))
  &      + ydisp(node3(nspenum(j)))
  ycord4 = ycord(node4(nspenum(j)))
  &      + ydisp(node4(nspenum(j)))

  zcord1 = zcord(node1(nspenum(j)))
  &      + zdisp(node1(nspenum(j)))
  zcord2 = zcord(node2(nspenum(j)))
  &      + zdisp(node2(nspenum(j)))

```

```

      zcord3 = zcord(node3(nspenum(j)))
&      + zdisp(node3(nspenum(j)))
      zcord4 = zcord(node4(nspenum(j)))
&      + zdisp(node4(nspenum(j)))

```

C***** Calculate the surface area using four nodes

```

      xx1=(-xcord1+xcord2+xcord3-xcord4)/2.d0
      xx2=(-ycord1+ycord2+ycord3-ycord4)/2.d0
      xx3=(-zcord1+zcord2+zcord3-zcord4)/2.d0
      xy1=(-xcord1-xcord2+xcord3+xcord4)/2.d0
      xy2=(-ycord1-ycord2+ycord3+ycord4)/2.d0
      xy3=(-zcord1-zcord2+zcord3+zcord4)/2.d0
      ee = xx1*xx1 + xx2*xx2 + xx3*xx3
      ff = xx1*xy1 + xx2*xy2 + xx3*xy3
      gg = xy1*xy1 + xy2*xy2 + xy3*xy3

      area=dsqrt(ee*gg-ff*ff)

```

C***** Calculate the centroid of the element

C**** xcent is not really correct because you would need all
C**** 8 nodes and divide by 8

```

      xcent = (xcord1 + xcord2 + xcord3 + xcord4)/4.d0
      ycent = (ycord1 + ycord2 + ycord3 + ycord4)/4.d0
      zcent = (zcord1 + zcord2 + zcord3 + zcord4)/4.d0

```

C***** Calculate torque

```

      if ((zcent.lt.0.).and.(s12(nspenum(j)).gt.0.))
& then
      sign2 = 1.d0
      elseif
& ((zcent.lt.0.).and.(s12(nspenum(j)).lt.0.))
& then
      sign2 = -1.d0
      elseif
& ((zcent.gt.0.).and.(s12(nspenum(j)).gt.0.))
& then
      sign2 = -1.d0
      elseif
& ((zcent.gt.0.).and.(s12(nspenum(j)).lt.0.))
& then
      sign2 = 1.d0
      endif

      if ((ycent.lt.0.).and.(s13(nspenum(j)).gt.0.))

& then
      sign3 = -1.d0
      elseif
& ((ycent.lt.0.).and.(s13(nspenum(j)).lt.0.))
& then
      sign3 = 1.d0
      elseif

```

```

& ((ycent.gt.0.).and.(s13(nspenum(j)).gt.0.))
& then
  sign3 = 1.d0
elseif
& ((ycent.gt.0.).and.(s13(nspenum(j)).lt.0.))
& then
  sign3 = -1.d0
endif

  torque = torque
&      + (sign3*dabs(ycent)
&      *dabs(s13(nspenum(j))))
&      + sign2*dabs(zcent)
&      *dabs(s12(nspenum(j))))*area

200      continue

185      format(2e14.7)
        write(3,185) time(jj), torque

90      continue

        close(1)
        close(2)
        close(3)

        write(*,*) 'Program Completed'
        end

```

B.2 Program to Calculate External Work Done by Torque

```
C*****
C***** Program for External Work (version work.f)
C***** This program calculates the external work done by the
C***** torque using the file of torque data (created by the
C***** program torque) and the load curve data.
C***** Program last modified 07/14/96
C*****
```

```
    implicit double precision (a-h,o-z)
    parameter (max=400000)
    character file1*25
    dimension time(max),tpoint(100),wpoint(100),womega(max),
&   torq(max),atorq(max), work(max)

10  format(a)

    write(*,*) 'Enter the name of the torque data file'
    read(*,10) file1
    write(*,*)
    write(*,*) 'Enter the number of time states spanned by'
    write(*,*) 'the load curve'
    read(*,*) nstates
    write(*,*)
    write(*,*) 'Load curve data for angular velocity'
    write(*,*)
    write(*,*) 'Enter the number of points needed to define'
    write(*,*) 'the load curve'
    read(*,*) npoint
    write(*,*)

25  format(a17,i3)

    do 30 i = 1, npoint
        write(*,*)
        write(*,25) 'Enter time point ',i
        read(*,*) tpoint(i)
        write(*,*)
        write(*,25) 'Enter load point ',i
        read(*,*) wpoint(i)
30  continue

    open (1,file=file1,status='old')
    do 35 i = 1, nstates
        read(1,*) time(i), vtorq
        torq(i) = dabs(vtorq)
35  continue

    close(1)

    do 40 i = 1, nstates
        if (time(i).lt.tpoint(2)) then
            womega(i) = ((wpoint(2)-wpoint(1))/(tpoint(2)-tpoint(1)))
& * (time(i)-tpoint(2)) + wpoint(2)
        elseif ((time(i).gt.tpoint(2)).and.(time(i).lt.tpoint(3)))
```

```

&    then
    womega(i) = wpoint(3)
    elseif (time(i).gt.tpoint(3)) then
    womega(i) = ((wpoint(4)-wpoint(3))/(tpoint(4)-tpoint(3)))
& *(time(i)-tpoint(4)) + wpoint(4)
    endif

40    continue

    womega(nstates) = wpoint(4)

C      open(2,file='loadc.dat',status='unknown')

C      do 50 i = 1, nstates
C      write(2,45) time(i), womega(i)
C50    continue

45    format(2e16.7)

C      close(2)

    atorq(1) = (torq(2)+torq(1))/2.
    atorq(nstates) = (torq(nstates)+torq(nstates-1))/2.

    do 60 i = 2, (nstates-1)
    atorq(i) = (torq(i+1)+torq(i)+torq(i-1))/3.
60    continue

    open (3,file='work.dat',status='unknown')

65    format(2e16.7)

    wsum = 0.

    do 70 i = 1, nstates
    wsum = wsum + atorq(i)*womega(i)*time(i)
    work(i) = wsum
    write(3,65) time(i), work(i)
70    continue

    stop
    end

```

B.3 Program to Calculate External Work Done by Axial Pressure

```
C*****
C***** Program exwp (version exwp1.f)
C***** Program reads in the mesh, reads in time history data, then
C***** reads the element numbers that will be used to calculate
C***** external work. It finds the 4 surface nodes for each element,
C***** then updates the coordinates, calculates centroids, then
C***** calculates surface area, and finally calculates the
C***** external work done by the pressure load. It needs a file
C***** with the load curve for pressure called load_curve.
C***** Program last modified 07/14/96
C*****
```

```
implicit double precision (a-h,o-z)
parameter (max=400000)
dimension nodnum(max),xcord(max),ycord(max),zcord(max),
& nelnum(max),node1(max),node2(max),node3(max),node4(max),
& node5(max),node6(max),node7(max),node8(max),
& time(500),xdisp(max),ptime(5000),pload(5000),
& ydisp(max),zdisp(max),nhelem(max),nhnode(max),
& nspnum(max),nspenum(max),dtime(2)

character file1a*25,file1b*25,netfile*25,file2*25,file3*25,
& com*1,star*1

10 format(a)
write(*,*) 'Enter the file name containing the element'
write(*,*) 'numbers'
read(*,10) file2
write(*,*)
write(*,*) 'Enter the pressure amplitude'
read(*,*) pamp
write(*,*)
write(*,*) 'Enter the PATRAN neutral file name'
read(*,10) file1c
write(*,*)

C***** Read the element numbers in the special element file

open (1,file=file2,status='old')
read(1,*) numspe

45 format(i8)

do 50 i = 1, numspe
read(1,*) nspenum(i)
50 continue

close(1)

C***** Read in the pressure load curve data and scale it with the
C***** given amplitude.

open(1,file='load_curve',status='old')
read(1,*) numpres
do 1000 i = 1, numpres
```

```

        read(1,*) ptime(i),press
        pload(i) = press*pamp
1000  continue
        close(1)
        pload(numpres+1) = 0.d0
C***** check the number of states and delta t *****
        open (1,file='disp_th',status='old',form='unformatted')

        read(1) nte,nst
        do 400 jj = 1, 2
            read(1) dtime(jj)
            do 390 k = 1, nte
                read(1) nh,var1,var2,var3
390    continue
400    continue

            delt = dtime(2) - dtime(1)

410    format(a10,i5,a7)
420    format(a11,e14.7)
        close(1)

        write(*,*)
        write(*,410) 'There are ',nst,' states'
        write(*,*)
        write(*,420) 'Delta t is ',delt
        write(*,*)
        write(*,*) 'How many states do you want to include'
        read(*,*) nrstate

C***** read in all the node numbers, their coordinates, the element
C***** numbers and the connectivities from the PATRAN neutral file.

        open(1,file=netfile,status='old')

        do 20 i = 1,2
            read(1,*)
20    continue

        read(1,*) nada,nada,nada,nada,numnod,numel
        read(1,*)

        do 30 i = 1, numnod
            read(1,*) nada,nodnum(i)
            read(1,*) xcord(i),ycord(i),zcord(i)
            read(1,*)
30    continue

        do 40 i = 1, numel
            read(1,*) nada, nelnum(i)
            read(1,*)

```

```

    read(1,*) node1(i),node2(i),node3(i),node4(i),
40  &         node5(i),node6(i),node7(i),node8(i)
    continue
    close(1)

C*****

C***** Read the time history data *****

    open (2,file='disp_th',status='old',form='unformatted')
    open (3,file='exwp.dat',status='unknown')

    read(2) ntotn,nstates
    do 90 jj = 1, nrstate
        read(2) time(jj)
        do 110 k = 1, ntotn
            read(2) nhnode(k),xdisp(nhnode(k)),
110  &         ydisp(nhnode(k)),zdisp(nhnode(k))
        continue

        exwsum = 0.d0
        do 200 j = 1, numspe

C***** Update the coordinates of the 4 surface nodes with
C***** the nodal displacements for each time step

            xcord1 = xcord(node1(nspenum(j)))
            &         + xdisp(node1(nspenum(j)))
            xcord2 = xcord(node2(nspenum(j)))
            &         + xdisp(node2(nspenum(j)))
            xcord3 = xcord(node3(nspenum(j)))
            &         + xdisp(node3(nspenum(j)))
            xcord4 = xcord(node4(nspenum(j)))
            &         + xdisp(node4(nspenum(j)))

            ycord1 = ycord(node1(nspenum(j)))
            &         + ydisp(node1(nspenum(j)))
            ycord2 = ycord(node2(nspenum(j)))
            &         + ydisp(node2(nspenum(j)))
            ycord3 = ycord(node3(nspenum(j)))
            &         + ydisp(node3(nspenum(j)))
            ycord4 = ycord(node4(nspenum(j)))
            &         + ydisp(node4(nspenum(j)))

            zcord1 = zcord(node1(nspenum(j)))
            &         + zdisp(node1(nspenum(j)))
            zcord2 = zcord(node2(nspenum(j)))
            &         + zdisp(node2(nspenum(j)))

```

```

        zcord3 = zcord(node3(nspenum(j)))
&      + zdisp(node3(nspenum(j)))
        zcord4 = zcord(node4(nspenum(j)))
&      + zdisp(node4(nspenum(j)))

C***** Calculate the surface area using four nodes

        xx1=(-xcord1+xcord2+xcord3-xcord4)/2.d0
        xx2=(-ycord1+ycord2+ycord3-ycord4)/2.d0
        xx3=(-zcord1+zcord2+zcord3-zcord4)/2.d0
        xy1=(-xcord1-xcord2+xcord3+xcord4)/2.d0
        xy2=(-ycord1-ycord2+ycord3+ycord4)/2.d0
        xy3=(-zcord1-zcord2+zcord3+zcord4)/2.d0
        ee = xx1*xx1 + xx2*xx2 + xx3*xx3
        ff = xx1*xy1 + xx2*xy2 + xx3*xy3
        gg = xy1*xy1 + xy2*xy2 + xy3*xy3

        area=dsqrt(ee*gg-ff*ff)

C***** Calculate the centroid of the element
C**** xcent is not really correct because you would need all
C**** 8 nodes and divide by 8

        xcent = (xcord1 + xcord2 + xcord3 + xcord4)/4.d0
        ycent = (ycord1 + ycord2 + ycord3 + ycord4)/4.d0
        zcent = (zcord1 + zcord2 + zcord3 + zcord4)/4.d0

C**** For each element multiply the pressure times the element area,
C**** then put 1/4 at the nodes. Then multiply this by the nodal
C**** displacements and sum over all the nodes on the face.

        force = ((pload(jj-1)+pload(jj)+pload(jj+1))/3.d0)
&      *area/4.d0

        exwsum = exwsum
&      + force*xdisp(node1(nspenum(j)))
&      + force*xdisp(node2(nspenum(j)))
&      + force*xdisp(node3(nspenum(j)))
&      + force*xdisp(node4(nspenum(j)))

200      continue

185      format(2e14.7)
        write(3,185) time(jj), exwsum

90      continue

        close(2)
        close(3)

        write(*,*) 'Program Completed'
        stop
        end

```

B.4 Program to Calculate Shear Band Speed

```
C*****
C***** PROGRAM: bandv1.f
C***** This program calculates band speed for notch elements
C***** using the modified binary DYNA3D files.
C***** last modified 07/23/96
C*****

      implicit double precision (a-h,o-z)
      parameter (max=400000,nm=25)
      dimension nodnum(max),xcord(max),ycord(max),zcord(max),
& nelnum(max),node1(max),node2(max),node3(max),node4(max),
& node5(max),node6(max),node7(max),node8(max),
& time(1000),s11(max),s22(max),s33(max),s12(max),s13(max),
& s23(max),xdisp(max),ydisp(max),zdisp(max),
& nhelem(max),nhnode(max),nspenum(max),nspnnum(max),
& xcent(max),ycent(max),zcent(max),
& ps(max),temp(max),seff(max),ndone(nm),pbelow(nm),pabove(nm),
& pptime(nm),patime(nm),prad(nm),ptime(nm),pcoord(nm),
& pbandv(nm),smax(nm),smtime(nm),s9time(nm),s90(nm),slast(nm),
& tlast(nm),sabove(nm),satime(nm),s9rad(nm),sbelow(nm),
& sbtime(nm),smrad(nm),smbandv(nm),s9bandv(nm),ndone2(nm),
& smcoord(nm),s9coord(nm),nhit(nm)

      character file1a*25,file1b*25,netfile*25,file2*25,file3*25,
& com*1,star*1,dstar*2,filen*25

10      format(a)
      write(*,*)
      write(*,*) 'This program calculates band speed.'
      write(*,*)
      write(*,*) 'Enter the file name containing the element'
      write(*,*) 'numbers'
      read(*,10) file2
      write(*,*)
      write(*,*) 'Enter the file name of node numbers'
      read(*,10) filen
      write(*,*)
      write(*,*) 'Enter the PATRAN neutral file name'
      read(*,10) netfile
      write(*,*)
      write(*,*) 'Enter the critical plastic strain value'
      read(*,*) pscrit
      write(*,*)
      write(*,*) 'Enter the offset for the number of states'
      write(*,*) 'i.e. -2 -1 0 +1 +2 etc.'
      read(*,*) noffset

C***** read in all the node numbers, their coordinates, the element
C***** numbers and the connectivities from the PATRAN neutral file.

      open(1,file=netfile,status='old')

      do 20 i = 1,2
        read(1,*)
20      continue
```

```

        read(1,*) nada,nada,nada,nada,numnod,numel
        read(1,*)

        do 30 i = 1, numnod
            read(1,*) nada,nodnum(i)
            read(1,*) xcord(i),ycord(i),zcord(i)
            read(1,*)
30        continue

        do 40 i = 1, numel
            read(1,*) nada, nelnum(i)
            read(1,*)
            read(1,*) node1(i),node2(i),node3(i),node4(i),
&            node5(i),node6(i),node7(i),node8(i)
40        continue

        close(1)

C*****

C***** Read the element numbers in the special element file
C***** and read the node numbers in the special node file

        open (1,file=file2,status='old')
        read(1,*) numspe

45        format(i8)

        do 50 i = 1, numspe
            read(1,*) nspenum(i)
50        continue

        close(1)

        open(1,file=filen,status='old')
        read(1,*) numspn

        do 55 i = 1, numspn
            read(1,*) nspnnum(i)
55        continue

        close(1)

C***** Read the time history data corresponding to the element
C***** numbers in the special element

        open(1,file='stress_th',status='old',form='unformatted')
c        open(2,file='disp_th',status='old',form='unformatted')
        open(3,file='ps_temp',status='old',form='unformatted')

444        format(a7,25i10)

c        read(1) ntote,nstates
        read(2) ntotn,nstates
        read(3) ntote,nstates

```

```

do 90 jall = 1, (nstates+noffset)
  read(1) time(jall)
  c   read(2) time(jall)
      read(3) time(jall)

      do 100 k = 1, ntote
        read(1) nhelem(k),s11(nhelem(k)),s22(nhelem(k)),
& s33(nhelem(k)),s12(nhelem(k)),s23(nhelem(k)),
& s13(nhelem(k)),seff(nhelem(k))

        read(3) nhyep, ps(nhelem(k)),temp(nhelem(k))
100  continue

      do 110 k = 1, ntotn
        read(2) nhnode(k),xdisp(nhnode(k)),
& ydisp(nhnode(k)),zdisp(nhnode(k))
110  continue

      do 120 j = 1, numspe

```

C***** Update the coordinates of the 8 nodes with
C***** the nodal displacements for each time step

```

      xcord1 = xcord(node1(nspenum(j)))
&   + xdisp(node1(nspenum(j)))
      xcord2 = xcord(node2(nspenum(j)))
&   + xdisp(node2(nspenum(j)))
      xcord3 = xcord(node3(nspenum(j)))
&   + xdisp(node3(nspenum(j)))
      xcord4 = xcord(node4(nspenum(j)))
&   + xdisp(node4(nspenum(j)))
      xcord5 = xcord(node5(nspenum(j)))
&   + xdisp(node5(nspenum(j)))
      xcord6 = xcord(node6(nspenum(j)))
&   + xdisp(node6(nspenum(j)))
      xcord7 = xcord(node7(nspenum(j)))
&   + xdisp(node7(nspenum(j)))
      xcord8 = xcord(node8(nspenum(j)))
&   + xdisp(node8(nspenum(j)))

      ycord1 = ycord(node1(nspenum(j)))
&   + ydisp(node1(nspenum(j)))
      ycord2 = ycord(node2(nspenum(j)))
&   + ydisp(node2(nspenum(j)))
      ycord3 = ycord(node3(nspenum(j)))
&   + ydisp(node3(nspenum(j)))
      ycord4 = ycord(node4(nspenum(j)))
&   + ydisp(node4(nspenum(j)))

```

```

        ycord5 = ycord(node5(nspenum(j)))
&      + ydisp(node5(nspenum(j)))
        ycord6 = ycord(node6(nspenum(j)))
&      + ydisp(node6(nspenum(j)))
        ycord7 = ycord(node7(nspenum(j)))
&      + ydisp(node7(nspenum(j)))
        ycord8 = ycord(node8(nspenum(j)))
&      + ydisp(node8(nspenum(j)))

```

```

        zcord1 = zcord(node1(nspenum(j)))
&      + zdisp(node1(nspenum(j)))
        zcord2 = zcord(node2(nspenum(j)))
&      + zdisp(node2(nspenum(j)))
        zcord3 = zcord(node3(nspenum(j)))
&      + zdisp(node3(nspenum(j)))
        zcord4 = zcord(node4(nspenum(j)))
&      + zdisp(node4(nspenum(j)))
        zcord5 = zcord(node5(nspenum(j)))
&      + zdisp(node5(nspenum(j)))
        zcord6 = zcord(node6(nspenum(j)))
&      + zdisp(node6(nspenum(j)))
        zcord7 = zcord(node7(nspenum(j)))
&      + zdisp(node7(nspenum(j)))
        zcord8 = zcord(node8(nspenum(j)))
&      + zdisp(node8(nspenum(j)))

```

C***** Calculate the centroid of the element

```

        xcent(nspenum(j))
&      = (xcord1 + xcord2 + xcord3 + xcord4
&      + xcord5 + xcord6 + xcord7 + xcord8)/8.d0
        ycent(nspenum(j))
&      = (ycord1 + ycord2 + ycord3 + ycord4
&      + ycord5 + ycord6 + ycord7 + ycord8)/8.d0
        zcent(nspenum(j))
&      = (zcord1 + zcord2 + zcord3 + zcord4
&      + zcord5 + zcord6 + zcord7 + zcord8)/8.d0

```

120 continue

c***** Find the plastic strains and the corresponding times above
c***** and below the critical value, for each of the specified
c***** elements. They will be used for interpolation later on.

```

do 1000 m2 = 1, numspe
  if (ndone(m2).eq.1) goto 1000
  if (ps(nspenum(m2)).lt.pscrit) then
    pbelow(m2) = ps(nspenum(m2))
    pptime(m2) = time(jall)

```

```

        prad(m2) = dsqrt(ycent(nspenum(m2))**2
&                + zcent(nspenum(m2))**2)
    else
        ndone(m2) = 1
        pabove(m2) = ps(nspenum(m2))
        patime(m2) = time(jall)
    endif
1000 continue

    do 3010 m2 = 1, numspe
        diff = dabs(seff(nspenum(m2))-smax(m2))
        if ((seff(nspenum(m2)).ge.smax(m2)).or.
&         (diff.lt.(1.d-10))) then
            smax(m2) = seff(nspenum(m2))
            smtime(m2) = time(jall)
            smrad(m2) = dsqrt(ycent(nspenum(m2))**2
&                            + zcent(nspenum(m2))**2)
        endif
3010 continue

    do 3020 m2 = 1, numspe
        if ((time(jall).gt.smtime(m2)).and.(nhit(m2).eq.0)) then
            s90(m2) = .9d0*smax(m2)
            nhit(m2) = 1
        endif
3020 continue

    do 3040 m2 = 1, numspe
        if (nhit(m2).eq.1) then
            if (ndone2(m2).eq.1) goto 3040
            if (seff(nspenum(m2)).lt.s90(m2)) goto 3050
            slast(m2) = seff(nspenum(m2))
            tlast(m2) = time(jall)
3050 continue
            if (seff(nspenum(m2)).lt.s90(m2)) then
                sabove(m2) = seff(nspenum(m2))
                satime(m2) = time(jall)
                s9rad(m2) = dsqrt(ycent(nspenum(m2))**2
&                               + zcent(nspenum(m2))**2)
            &
                ndone2(m2) = 1
                sbelow(m2) = slast(m2)
                sbtime(m2) = tlast(m2)
            endif
        endif
3040 continue

90 continue

```

```

C***** end the loop over time states. *****

c***** We checked all time states and have the values needed for
c***** interpolation for the plastic strain, and a drop to 90%
c***** maximum effective stress, so interpolate now.

      do 1020 i = 1, numspe
        ptime(i) = ((pscrit-pabove(i))*pbtime(i)
&      + (pbelow(i)-pscrit)*patime(i)) /
&      ((pbelow(i)-pscrit) + (pscrit-pabove(i)))
        s9time(i) = ((s90(i)-sabove(i))*sbtime(i)
&      + (sbelow(i)-s90(i))*satime(i)) /
&      ((sbelow(i)-s90(i)) + (s90(i)-sabove(i)))

1020    continue

c**** Now we have the time that ps critical, maximum effective stress,
c**** and 90% maximum effective stress reaches each of the
c**** specified elements, so we can now calculate band speed.

      do 1080 i = 1, (numspe-1)
        pbandv(numspe-i) = (prad(numspe+1-i)-prad(numspe-i))
&      / (ptime(numspe-i)-ptime(numspe+1-i))
        pcoord(numspe-i) = (prad(numspe+1-i)-prad(numspe-i))/2.d0
&      + prad(numspe-i)
        smbandv(numspe-i) = (smrad(numspe+1-i)-smrad(numspe-i))
&      / (smtime(numspe-i)-smtime(numspe+1-i))
        smcoord(numspe-i) = (smrad(numspe+1-i)-smrad(numspe-i))/2.d0
&      + smrad(numspe-i)
        s9bandv(numspe-i) = (s9rad(numspe+1-i)-s9rad(numspe-i))
&      / (s9time(numspe-i)-s9time(numspe+1-i))
        s9coord(numspe-i) = (s9rad(numspe+1-i)-s9rad(numspe-i))/2.d0
&      + s9rad(numspe-i)

1080    continue

c***** Now print out the band speed and the radial coordinate between
c***** the two elements used for calculating the speed.

      open(7,file='psbv.dat',status='unknown')
      open(8,file='meffsbv.dat',status='unknown')
      open(9,file='effs90bv.dat',status='unknown')

c***** multiply by speed by 10^4 to get into m/s, and distance by
c***** 10^1 to get it in millimeters.

      do 2040 i = 1, (numspe-1)

        write(7,2045) (pcoord(numspe-i)*1.d1),
&      (pbandv(numspe-i)*1.d4), ptime(numspe+1-i)
        write(8,2045) (smcoord(numspe-i)*1.d1),
&      (smbandv(numspe-i)*1.d4), smtime(numspe+1-i)
        write(9,2045) (s9coord(numspe-i)*1.d1),
&      (s9bandv(numspe-i)*1.d4), s9time(numspe+1-i)

```

```
2040 continue
      write(7,2046) ptime(1)
      write(8,2046) smtime(1)
      write(9,2046) s9time(1)
2045 format(3e16.9)
2046 format(32x,e16.9)
135   format(50e14.7)
c     close(1)
      close(2)
      close(3)
      close(7)
      close(8)
      close(9)
      write(*,*) 'Program Completed'
      stop
      end
```

B.5 Program to Extract Data from the Modified DYNA3D Output Files

```
C*****
C
C   Program postx.f       Last modified 4/8/96
C
C*****
C***** Program to extract time history data from the binary files
C***** output by modified DYNA3D. It prints out the data in columns
C***** with time in the first column and the data for each element or
C***** node in successive columns. It prints temperature for the
C***** requested elements to the file temp.dat, plastic strain to
C***** ps.dat, effective stress to effs.dat, and displacements for the
C***** requested nodes to xdisp.dat, ydisp.dat, and zdisp.dat.
C*****

      implicit double precision(a-h,o-z)

      write(*,*)
      write(*,*) 'This program extracts time history data from the'
      write(*,*) 'binary files written by modified DYNA3D.'
      write(*,*)
10     write(*,*) 'Enter a 1 if you want nodal results'
      write(*,*) 'Enter a 2 if you want element results'
      read(*,*) nne
      write(*,*)

      if (nne.eq.1) then
20         write(*,*) 'Enter a 1 to read node numbers from a file'
          write(*,*) 'Enter a 2 to input node numbers manually'
          read(*,*) nfm
          if ((nfm.eq.1).or.(nfm.eq.2)) then
              call readwri(nne,nfm)
          else
              goto 20
          endif
      elseif (nne.eq.2) then
30         write(*,*) 'Enter a 1 to read element numbers from a file'
          write(*,*) 'Enter a 2 to input element numbers manually'
          read(*,*) nfm

          if ((nfm.eq.1).or.(nfm.eq.2)) then
              call readwri(nne,nfm)
          else
              goto 30
          endif
      else
          goto 10
      endif

      stop
      end !End main program.

      subroutine readwri(nne,nfm)
      implicit double precision (a-h,o-z)
      parameter (max=400000)
      character filein*25,nfile*25,com*1,dstar*2
```

```

dimension ps(max),temp(max),seff(max),time(1000),nelnum(max),
&          nreq(max),dx(max),dy(max),dz(max),nodnum(max),
&          mnode(max),xcord(max),ycord(max),zcord(max)

if (nfm.eq.2) then
if (nne.eq.1) then
write(*,*) 'How many nodes do you want data for'
else
write(*,*) 'How many elements do you want data for'
endif
read(*,*) ndata
write(*,*)
2  format(a31,i3)
do 5 i = 1, ndata
if (nne.eq.1) then
write(*,2) 'Enter requested node number ',i
else
write(*,2) 'Enter requested element number ',i
endif
read(*,*) nreq(i)
5  continue

endif

444 format(a)

if (nfm.eq.1) then
if (nne.eq.1) then
write(*,*) 'Enter the file name containing the node numbers'
read(*,444) filein
elseif (nne.eq.2) then
write(*,*) 'Enter the file name containing the element numbers'
read(*,444) filein
endif

open(1,file=filein,status='old')

read(1,*) ndata

do 7 i = 1, ndata
read(1,*) nreq(i)
7  continue

close(1)

endif

8  format(a10,500i14)

if (nne.eq.1) then

open(1,file='disp_th',status='old',form='unformatted')
open(2,file='xdisp.dat',status='unknown')
open(3,file='ydisp.dat',status='unknown')

```

```

open(4,file='zdisp.dat',status='unknown')
open(7,file='ydm.dat',status='unknown')

write(2,8) 'time      ',(nreq(i),i=1,ndata)
write(3,8) 'time      ',(nreq(i),i=1,ndata)
write(4,8) 'time      ',(nreq(i),i=1,ndata)

read(1) numnb,nstates
do 10 i = 1, nstates
  read(1) time(i)

  do 20 j = 1, numnb
    read(1) nodnum(j),dx(j),dy(j),dz(j)
20    continue

25  format(e10.4,500e14.7)
26  format(3e14.7)

    write(2,25) time(i), (dx(nreq(k)),k=1,ndata)
    write(3,25) time(i), (dy(nreq(k)),k=1,ndata)
    write(4,25) time(i), (dz(nreq(k)),k=1,ndata)

    do 27 k = 1, ndata
      write(7,26) xcord(nreq(k)),time(i),dy(nreq(k))
27    continue

10  continue

elseif (nne.eq.2) then

open(1,file='stress_th',status='old',form='unformatted')
open(2,file='ps_temp',status='old',form='unformatted')
open(3,file='ps.dat',status='unknown')
open(4,file='temp.dat',status='unknown')
open(7,file='effs.dat',status='unknown')

write(3,8) 'time      ',(nreq(i),i=1,ndata)
write(4,8) 'time      ',(nreq(i),i=1,ndata)
write(7,8) 'time      ',(nreq(i),i=1,ndata)

read(1) numeb,nstates
read(2) numeb,nstates
do 30 i = 1, nstates
  read(1) time(i)
  read(2) time(i)

  do 40 j = 1, numeb
    read(1) nelnum(j),sxx,syy,szz,sxy,syz,szx,seff(j)
    read(2) nelnum(j),ps(j),temp(j)
40  continue

    write(3,35) time(i), (ps(nreq(k)),k=1,ndata)
    write(4,35) time(i), (temp(nreq(k)),k=1,ndata)
    write(7,35) time(i), (seff(nreq(k)),k=1,ndata)

30  continue

```

```
35  format(e10.4,500e14.7)
    endif
    return
end !End of subroutine readwri.
```

B.6 Program to Convert Modified DYNA3D Binary Output Files to Ascii

```
c*****
c***** Program rbin (version rbin2.f)
c***** This program reads the binary files created by the modified
c***** DYNA3D program, and writes out the ascii equivalents.
c***** There is a choice to increase or decrease the number of states
c***** because sometimes there is an off by 1 error in the files, or
c***** DYNA3D crashed and the files are incomplete.
c***** Last Modified 6/30/96
c*****

implicit double precision(a-h,o-z)
character yornd*1,yorns*1,yornp*1

write(*,*)
write(*,*) 'This program converts the DYNA3D binary files'
write(*,*) 'to their ascii equivalents'
write(*,*)
write(*,*) 'Do you want to read disp_th ?'
write(*,*) 'Enter y or n'
read(*,5) yornd
write(*,*)
write(*,*) 'Do you want to read stress_th ?'
write(*,*) 'Enter y or n'
read(*,5) yorns
write(*,*)
write(*,*) 'Do you want to read ps_temp ?'
write(*,*) 'Enter y or n'
read(*,5) yornp
write(*,*)
5 format(a)

if (yorns.eq.'y') then
open(1,file='stress_th',status='old',form='unformatted')
open(4,file='stress_read',status='unknown')
read(1) numeb,nstates
endif

if (yornd.eq.'y') then
open(2,file='disp_th',status='old',form='unformatted')
open(7,file='disp_read',status='unknown')
read(2) numnb,nstates
endif

if (yornp.eq.'y') then
open(3,file='ps_temp',status='old',form='unformatted')
open(8,file='pst_read',status='unknown')
read(3) numeb,nstates
endif

write(*,*) 'There are ',nstates,' states'
write(*,*) 'Do you want to adjust the number?'
write(*,*) 'Enter -2 -1 0 1 2 etc'
read(*,*) nextra

if (yorns.eq.'y') write(4,*) numeb,(nstates+nextra)
```

```

if (yornd.eq.'y') write(7,*) numnb,(nstates+nextra)
if (yornp.eq.'y') write(8,*) numeb,(nstates+nextra)

do 10 i = 1, (nstates+nextra)
  if (yorns.eq.'y') then
    read(1) time
    write(4,*) time
  endif

  if (yornd.eq.'y') then
    read(2) time
    write(7,*) time
  endif

  if (yornp.eq.'y') then
    read(3) time
    write(8,*) time
  endif

    if (yorns.eq.'y') then

      do 20 j = 1, numeb
        read(1) nelnum,sxx,syy,szz,sxy,syz,szx,seff
        write(4,400) nelnum,sxx,syy,szz,sxy,syz,szx,seff
20      continue

      endif

      if (yornp.eq.'y') then

        do 25 j = 1, numeb
          read(3) nelnum,ps,temp
          write(8,410) nelnum,ps,temp
25      continue

        endif

        if (yornd.eq.'y') then
          do 40 jj = 1,numnb
            read(2) nodenum,d1,d2,d3
            write(7,420) nodenum,d1,d2,d3
40      continue
          endif

10      continue

400     format(i8,7e13.6)
410     format(i8,2e14.7)
420     format(i8,3e14.7)

30     format(i5,7e12.4)
      stop
      end

```

B.7 Program to Convert Stress and Displacement to Cylindrical Coordinates

```
C*****
C***** PROGRAM: xttorr.f
C***** This program converts x,y,z, stresses to r,theta and z
C***** stresses in cylindrical coordinates
C***** last modified 4/17/96
C*****

      implicit double precision (a-h,o-z)
      parameter (max=400000)
      dimension nodnum(max),xcord(max),ycord(max),zcord(max),
& nelnum(max),node1(max),node2(max),node3(max),node4(max),
& node5(max),node6(max),node7(max),node8(max),
& time(500),s11(max),s22(max),s33(max),s12(max),s13(max),
& s23(max),srr(max),srt(max),srz(max),stt(max),stz(max),
& szz(max),xdisp(max),ydisp(max),zdisp(max),
& nhelem(max),nhnode(max),nspenum(max),nspnnum(max),
& ur(max),ut(max),uz(max),xcent(max),ycent(max),zcent(max)

      character file1a*25,file1b*25,netfile*25,file2*25,file3*25,
& com*1,star*1,dstar*2,filen*25

10      format(a)
      write(*,*) 'Enter the file name containing the element'
      write(*,*) 'numbers'
      read(*,10) file2
      write(*,*)
      write(*,*) 'Enter the file name of node numbers for'
      write(*,*) 'conversion of displacement and velocity'
      read(*,10) filen
      write(*,*) 'Enter the PATRAN neutral file name'
      read(*,10) netfile
      write(*,*)

C***** read in all the node numbers, their coordinates, the element
C***** numbers and the connectivities.

      do 20 i = 1,2
          read(1,*)
20      continue

      read(1,*) nada,nada,nada,nada,numnod,numel
      read(1,*)

      do 30 i = 1, numnod
          read(1,*) nada,nodnum(i)
          read(1,*) xcord(i),ycord(i),zcord(i)
          read(1,*)
30      continue

      do 40 i = 1, numel
          read(1,*) nada, nelnum(i)
          read(1,*)
          read(1,*) node1(i),node2(i),node3(i),node4(i),
& node5(i),node6(i),node7(i),node8(i)
40      continue
```

```

        close(1)

C*****

C***** Read the element numbers in the special element file
C***** and read the node numbers in the special node file

        open (1,file=file2,status='old')
        read(1,*) numspe

45    format(i8)

        do 50 i = 1, numspe
          read(1,*) nspenum(i)
50    continue

        close(1)

        open(1,file=filen,status='old')
        read(1,*) numspn

        do 55 i = 1, numspn
          read(1,*) nspnnum(i)
55    continue

        close(1)

C***** Read the time history data corresponding to the element
C***** numbers in the special element file - sigma13

        open(1,file='stress_th',status='old',form='unformatted')
        open(2,file='disp_th',status='old',form='unformatted')
        open(11,file='stress_rr',status='unknown')
        open(12,file='stress_tt',status='unknown')
        open(13,file='stress_zz',status='unknown')
        open(14,file='stress_rt',status='unknown')
        open(15,file='stress_rz',status='unknown')
        open(16,file='stress_tz',status='unknown')
        open(17,file='rad_dist',status='unknown')
        open(4,file='stress_xyz',status='unknown')
        open(7,file='disp_rtz',status='unknown')
        open(8,file='disp_xyz',status='unknown')

        write(11,444) 'time ',(nspenum(m),m=1,numspe)
        write(12,444) 'time ',(nspenum(m),m=1,numspe)
        write(13,444) 'time ',(nspenum(m),m=1,numspe)
        write(14,444) 'time ',(nspenum(m),m=1,numspe)
        write(15,444) 'time ',(nspenum(m),m=1,numspe)
        write(16,444) 'time ',(nspenum(m),m=1,numspe)

444    format(a7,25i10)

        read(1) ntote,nstates
        read(2) ntotn,nstates

```

```

write(*,*)
write(*,*) 'There are ',nstates,' states'
write(*,*) 'How many states do you want'
read(*,*) nrstate
write(*,*) 'What state interval do you want'
read(*,*) nsint

do 90 jall = 1, nrstate

    read(1) time(jall)
    read(2) time(jall)

    do 100 k = 1, ntote
        read(1) nhelem(k),s11(nhelem(k)),s22(nhelem(k)),
& s33(nhelem(k)),s12(nhelem(k)),s23(nhelem(k)),
& s13(nhelem(k)),seff

        if (dabs(s11(nhelem(k))).lt.(1.e-30))
& s11(nhelem(k)) = 0.
        if (dabs(s22(nhelem(k))).lt.(1.e-30))
& s11(nhelem(k)) = 0.
        if (dabs(s33(nhelem(k))).lt.(1.e-30))
& s11(nhelem(k)) = 0.
        if (dabs(s12(nhelem(k))).lt.(1.e-30))
& s11(nhelem(k)) = 0.
        if (dabs(s13(nhelem(k))).lt.(1.e-30))
& s11(nhelem(k)) = 0.
        if (dabs(s23(nhelem(k))).lt.(1.e-30))
& s11(nhelem(k)) = 0.

100    continue

    do 110 k = 1, ntotn

        read(2) nhnode(k),xdisp(nhnode(k)),
& ydisp(nhnode(k)),zdisp(nhnode(k))

        if (dabs(xdisp(nhnode(k))).lt.(1.e-30))
& xdisp(nhnode(k)) = 0.

        if (dabs(ydisp(nhnode(k))).lt.(1.e-30))
& ydisp(nhnode(k)) = 0.

        if (dabs(zdisp(nhnode(k))).lt.(1.e-30))
& zdisp(nhnode(k)) = 0.

110    continue

    if (mod(jall,nsint).ne.0) goto 90

    do 120 j = 1, numspe

```

```

C***** Update the coordinates of the 8 nodes with
C***** the nodal displacements for each time step

```

```

xcord1 = xcord(node1(nspenum(j)))
&   + xdisp(node1(nspenum(j)))
xcord2 = xcord(node2(nspenum(j)))
&   + xdisp(node2(nspenum(j)))
xcord3 = xcord(node3(nspenum(j)))
&   + xdisp(node3(nspenum(j)))
xcord4 = xcord(node4(nspenum(j)))
&   + xdisp(node4(nspenum(j)))
xcord5 = xcord(node5(nspenum(j)))
&   + xdisp(node5(nspenum(j)))
xcord6 = xcord(node6(nspenum(j)))
&   + xdisp(node6(nspenum(j)))
xcord7 = xcord(node7(nspenum(j)))
&   + xdisp(node7(nspenum(j)))
xcord8 = xcord(node8(nspenum(j)))
&   + xdisp(node8(nspenum(j)))

ycord1 = ycord(node1(nspenum(j)))
&   + ydisp(node1(nspenum(j)))
ycord2 = ycord(node2(nspenum(j)))
&   + ydisp(node2(nspenum(j)))
ycord3 = ycord(node3(nspenum(j)))
&   + ydisp(node3(nspenum(j)))
ycord4 = ycord(node4(nspenum(j)))
&   + ydisp(node4(nspenum(j)))
ycord5 = ycord(node5(nspenum(j)))
&   + ydisp(node5(nspenum(j)))
ycord6 = ycord(node6(nspenum(j)))
&   + ydisp(node6(nspenum(j)))
ycord7 = ycord(node7(nspenum(j)))
&   + ydisp(node7(nspenum(j)))
ycord8 = ycord(node8(nspenum(j)))
&   + ydisp(node8(nspenum(j)))

zcord1 = zcord(node1(nspenum(j)))
&   + zdisp(node1(nspenum(j)))
zcord2 = zcord(node2(nspenum(j)))
&   + zdisp(node2(nspenum(j)))
zcord3 = zcord(node3(nspenum(j)))
&   + zdisp(node3(nspenum(j)))
zcord4 = zcord(node4(nspenum(j)))
&   + zdisp(node4(nspenum(j)))
zcord5 = zcord(node5(nspenum(j)))
&   + zdisp(node5(nspenum(j)))
zcord6 = zcord(node6(nspenum(j)))
&   + zdisp(node6(nspenum(j)))
zcord7 = zcord(node7(nspenum(j)))
&   + zdisp(node7(nspenum(j)))
zcord8 = zcord(node8(nspenum(j)))
&   + zdisp(node8(nspenum(j)))

```

```

C***** Calculate the centroid of the element

      xcent(nspenum(j))
&      = (xcord1 + xcord2 + xcord3 + xcord4
&      + xcord5 + xcord6 + xcord7 + xcord8)/8.
      ycent(nspenum(j))
&      = (ycord1 + ycord2 + ycord3 + ycord4
&      + ycord5 + ycord6 + ycord7 + ycord8)/8.
      zcent(nspenum(j))
&      = (zcord1 + zcord2 + zcord3 + zcord4
&      + zcord5 + zcord6 + zcord7 + zcord8)/8.

C***** Calculate cos and sin using element centroids *****

      cth = zcent(nspenum(j))/dsqrt(ycent(nspenum(j))**2
& +zcent(nspenum(j))**2)
      sth = ycent(nspenum(j))/dsqrt(ycent(nspenum(j))**2
& +zcent(nspenum(j))**2)

      if ((ycent(nspenum(j)).eq.0.).and.
&      (zcent(nspenum(j)).eq.0.)) then
          cth = 0.
          sth = 0.
      endif

C*****

      srr(nspenum(j)) = s11(nspenum(j))*cth*cth
&      + s22(nspenum(j))*sth*sth
&      + 2.*s12(nspenum(j))*sth*cth

      srt(nspenum(j)) = (s22(nspenum(j))-s11(nspenum(j)))*sth*cth
& + s12(nspenum(j))*cth*cth - s12(nspenum(j))*sth*sth

      srz(nspenum(j)) = s13(nspenum(j))*cth + s23(nspenum(j))*sth

      stt(nspenum(j)) = s11(nspenum(j))*sth*sth
& + s22(nspenum(j))*cth*cth - 2.*s12(nspenum(j))*sth*cth

      stz(nspenum(j)) = s23(nspenum(j))*cth - s13(nspenum(j))*sth

      szz(nspenum(j)) = s33(nspenum(j))

      write(4,125) time(jall),
& s11(nspenum(j)),s22(nspenum(j)),s33(nspenum(j)),
& s12(nspenum(j)),s13(nspenum(j)),s23(nspenum(j))

125   format(25e15.7)

120   continue

      write(17,205) time(jall),(dsqrt(ycent(nspenum(kz))**2
& + zcent(nspenum(kz))**2),kz=1,numspe)
      write(11,200) time(jall),(srr(nspenum(kz)),kz=1,numspe)
      write(12,200) time(jall),(stt(nspenum(kz)),kz=1,numspe)

```

```

write(13,200) time(jall), (szz(nspenum(kz)), kz=1, numspe)
write(14,200) time(jall), (srt(nspenum(kz)), kz=1, numspe)
write(15,200) time(jall), (srz(nspenum(kz)), kz=1, numspe)
write(16,200) time(jall), (stz(nspenum(kz)), kz=1, numspe)

200  format(e14.7,25e14.7)
205  format(e14.7,25e14.7)

do 130 m = 1, numspn

C***** Calculate cos and sin using element centroids *****

    cth = zcord(nspnnum(m))/dsqrt(ycord(nspnnum(m))
& *ycord(nspnnum(m))+zcord(nspnnum(m))*zcord(nspnnum(m)))
    sth = ycord(nspnnum(m))/dsqrt(ycord(nspnnum(m))
& *ycord(nspnnum(m))+zcord(nspnnum(m))*zcord(nspnnum(m)))

C*****

    if ((ycord(nspnnum(m)).eq.0.).and.(zcord(nspnnum(m)).eq.0.))
& then
        cth = 0.
        sth = 0.
    endif

    ur(nspnnum(m)) = xdisp(nspnnum(m))*cth +
&   ydisp(nspnnum(m))*sth

    ut(nspnnum(m)) = -1.*xdisp(nspnnum(m))*sth +
&   ydisp(nspnnum(m))*cth

    uz(nspnnum(m)) = zdisp(nspnnum(m))

    write(7,135) time(jall),ycord(nspnnum(m)),
&   zcord(nspnnum(m)),
&   ur(nspnnum(m)),ut(nspnnum(m)),uz(nspnnum(m))

    write(8,135) time(jall),ycord(nspnnum(m)),
&   zcord(nspnnum(m)),
&   xdisp(nspnnum(m)),ydisp(nspnnum(m)),zdisp(nspnnum(m))

130  continue

90   continue

135  format(6e14.7)

    close(1)
    close(2)
    close(3)
    close(4)

    write(*,*) 'Program Completed'
    stop
end

```