

# Temporal Coherence in Wind Simulation and Atmospheric Data

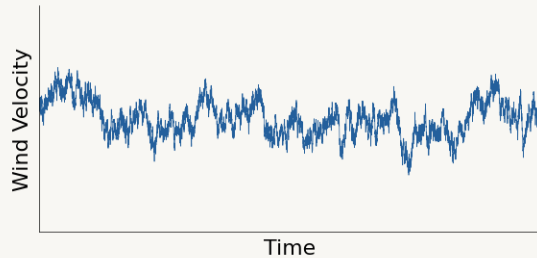
J.M. Rinker, H.P. Gavin (Duke University)  
A. Clifton (NREL)

NAWEA 2015 Symposium  
June 10, 2015

# *Wind is (incorrectly) assumed to be stationary*

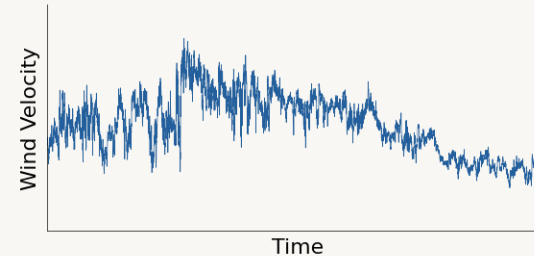
## Simulation

Time-invariant statistics



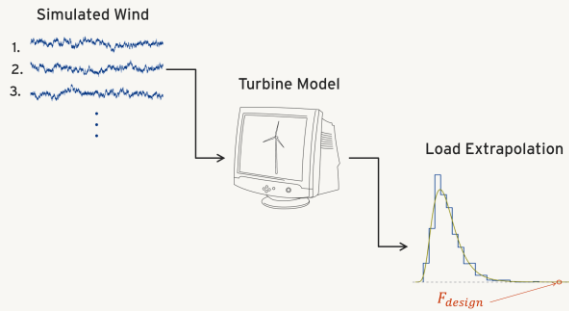
## Reality

Time-varying statistics

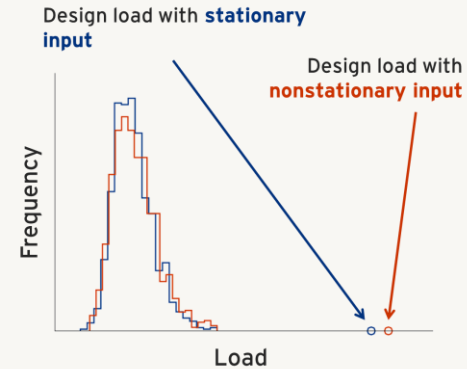


# Nonstationary inflow increases wind turbine design loads

## Wind Turbine Design Loads

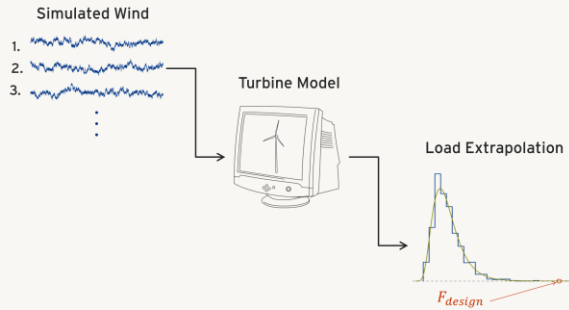


## Effect of nonstationary inflow on dynamical system

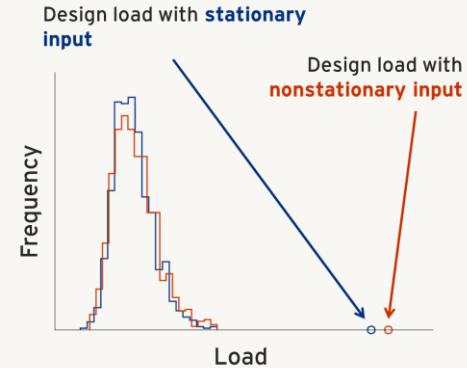


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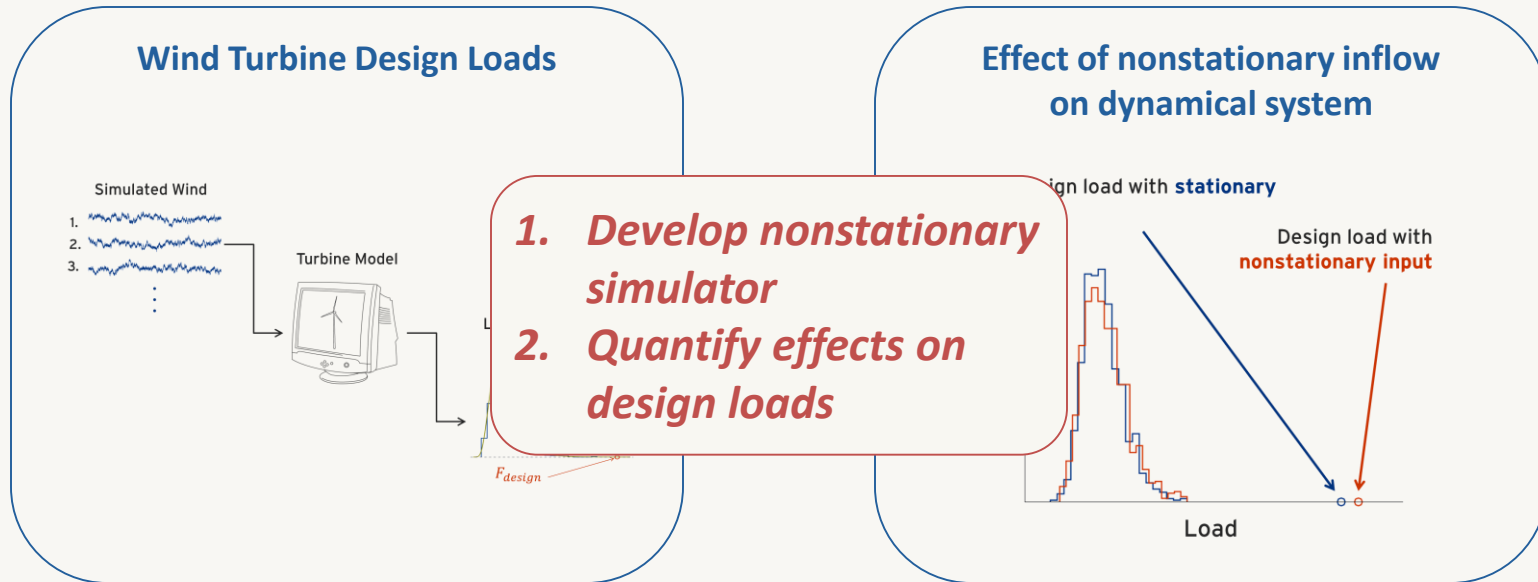


## Effect of nonstationary inflow on dynamical system



***Neglecting nonstationarity could lead to non-conservative turbine design loads.***

# Nonstationary inflow increases wind turbine design loads

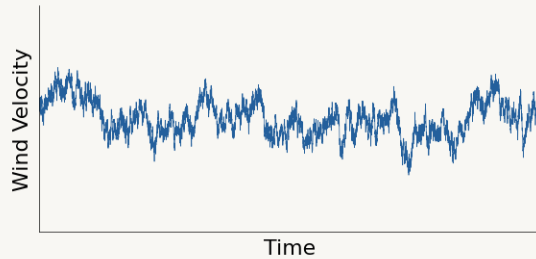


***Neglecting nonstationarity could lead to non-conservative turbine design loads.***

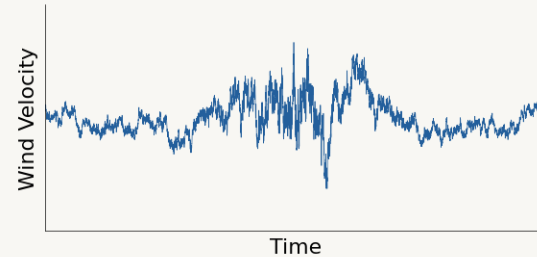
# *Proposed solution: simulator with temporal coherence*

Developing a stochastic simulator that produces nonstationary fields

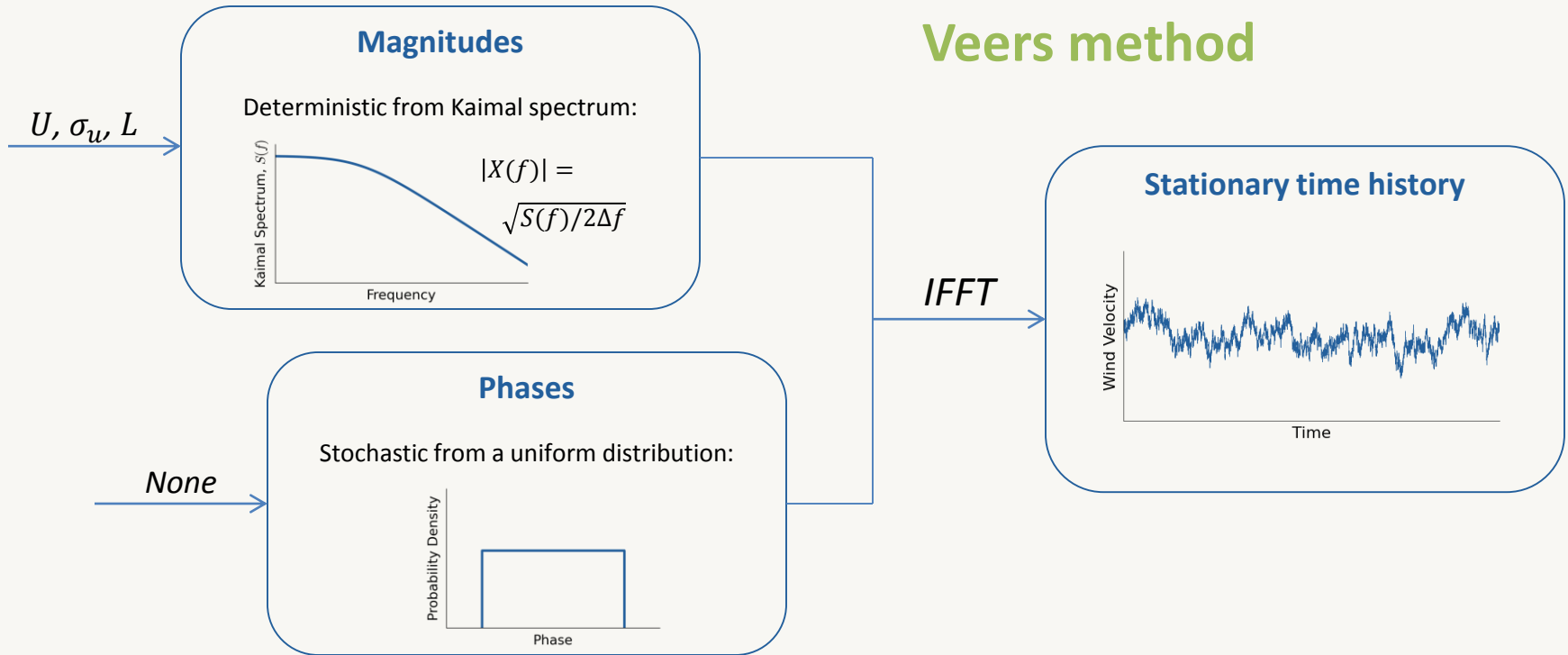
Instead of



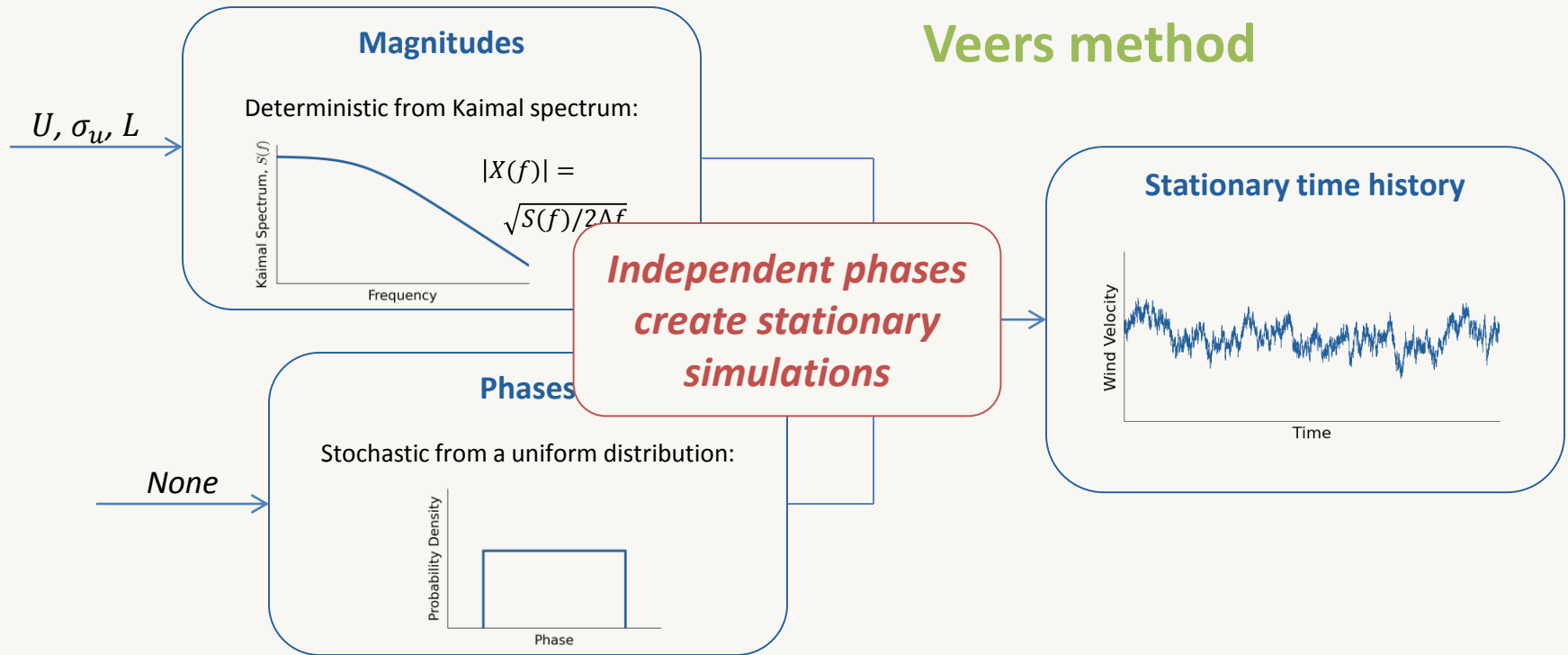
produces



# Proposed simulator modifies standard simulation method



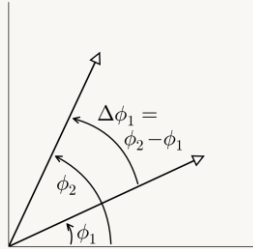
# Proposed simulator modifies standard simulation method





# Correlate phases using phase difference distributions

## Phase difference distributions (PDDs)



Phase difference  $\Delta\phi_k$   
is difference in phases  
at  $f_{k+1}$  and  $f_k$

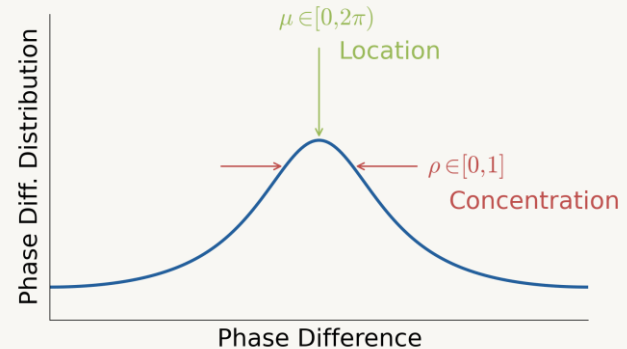
$$\phi_2 = \phi_1 + \Delta\phi_1$$

Non-uniform  
distribution on  
 $\Delta\phi_1$



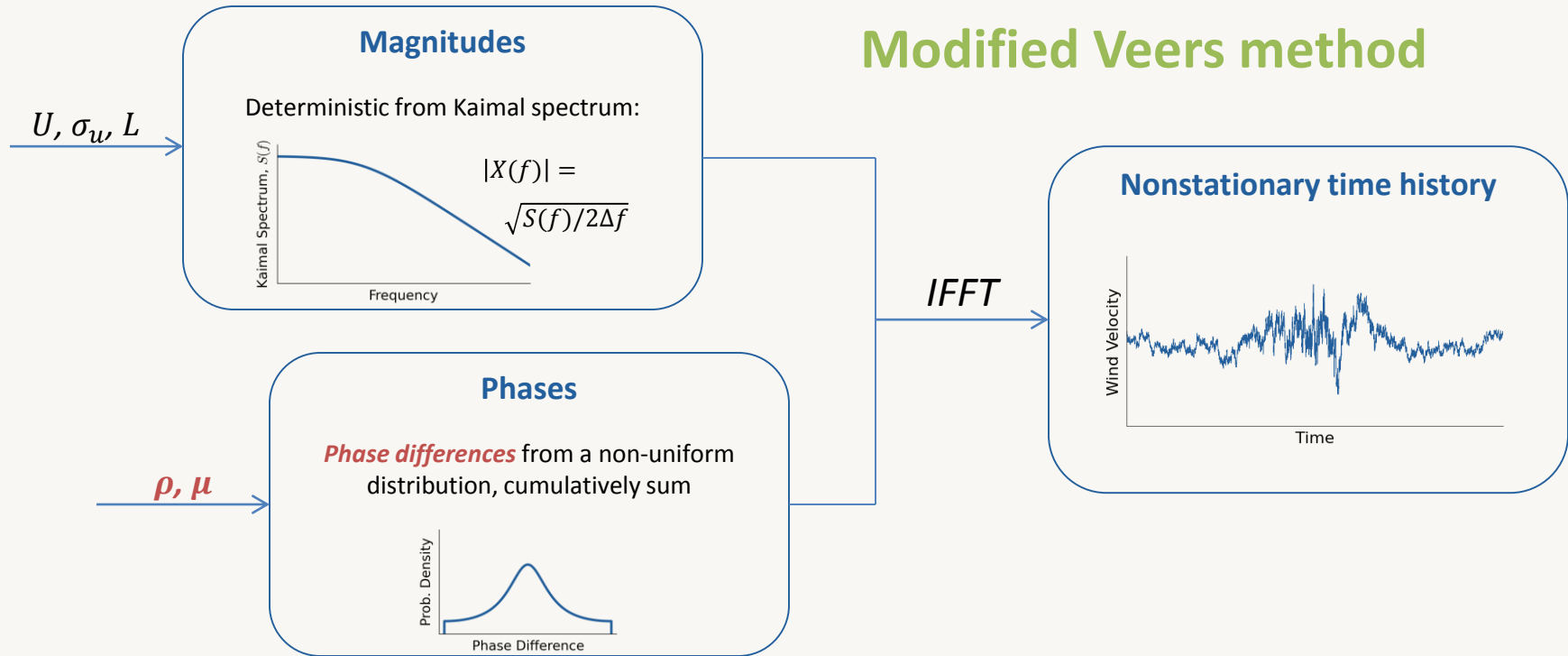
Phases  $\phi_1$  and  
 $\phi_2$  are  
correlated

## Higher distribution concentration increases phase correlation



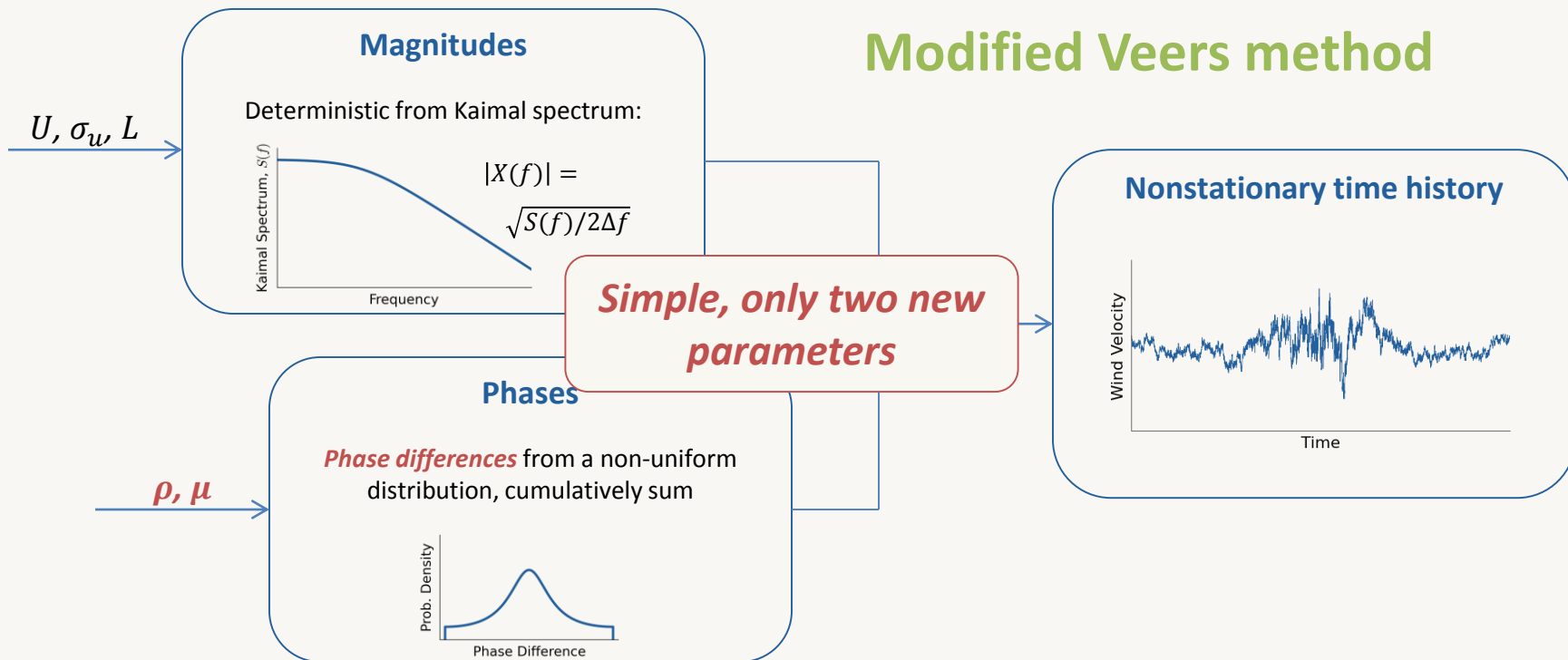
No phase correlation:  $\rho = 0$

# Nonstationary simulator samples phase differences

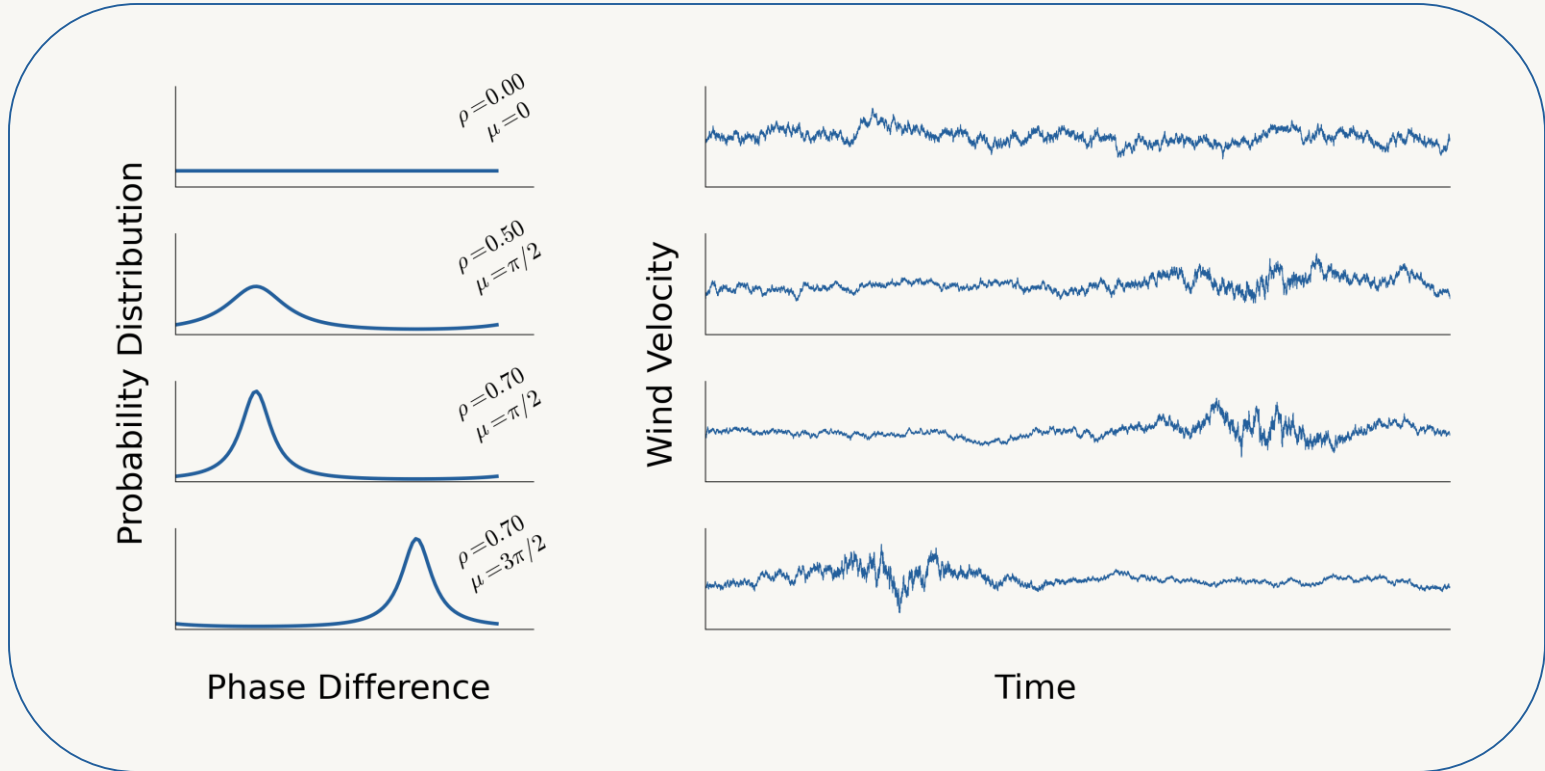


# Nonstationary simulator samples phase differences

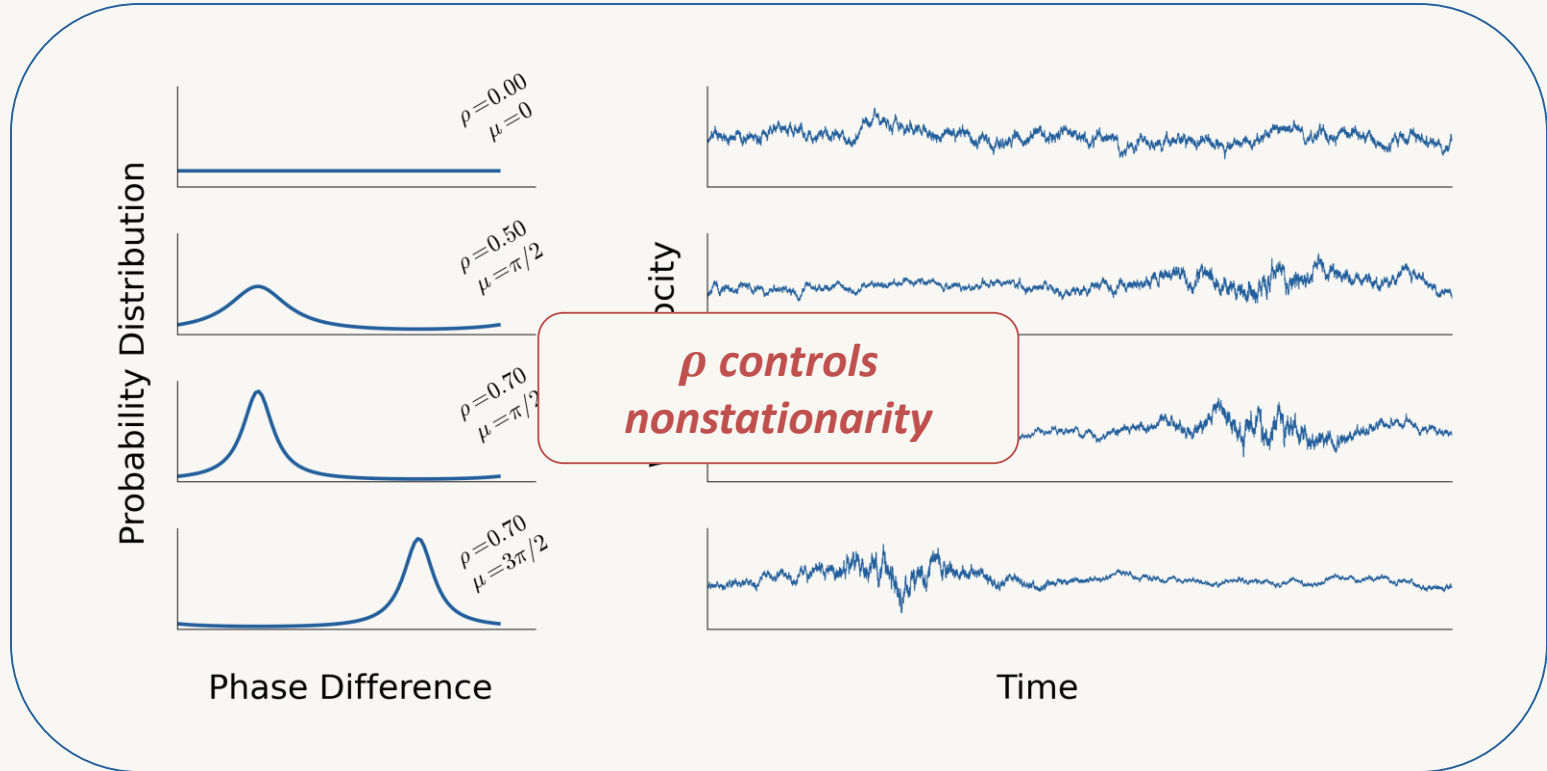
## Modified Veers method



# *PDD parameters have direct effect on time domain behavior*



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# How to choose simulation parameters

Parameters	High-frequency time series available?	Calculation method
Standard wind parameters ( $U, \sigma_u, L$ )	Yes	From time series
	No	IEC 61400-1
Temporal coherence parameter ( $\rho$ )	Yes	From time series $(\frac{1}{N} \sum_{k=1}^N e^{i\Delta\phi_k} \approx \rho e^{i\mu})$
	No	...

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	No	???

**Use dataset to determine what values of  $\rho$  are realistic, correlations with other parameters**

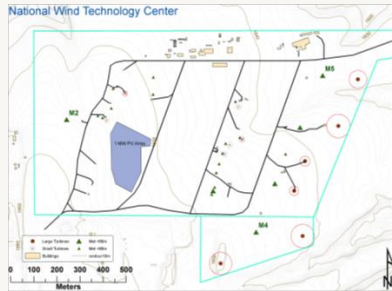


# High-frequency sonic anemometer data from NWTCT

## Site - National Wind Technology Center



Joe Smith, NREL



Highly turbulent,  
non-neutral conditions

## Sonic Anemometer on Tower M4

Lee-Jay Fingersh, NREL



- About 3 years of data
- 20 Hz sampling
- Measurement heights:
  - 15 m, 30 m, 50 m,
  - 76 m, 100 m, 131 m

## Quality control



Screening:

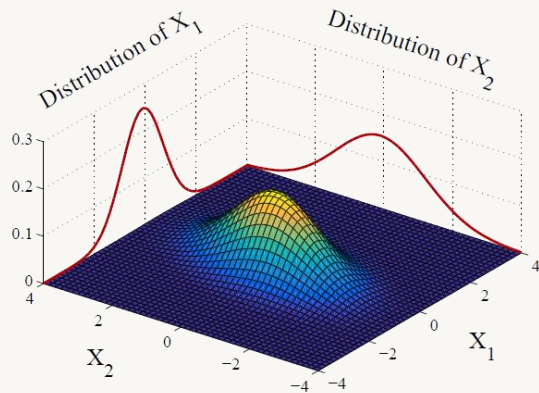
1. Mean wind speed
2. Wind direction
3. Precipitation

# Characterize $\rho$ using joint probability distribution

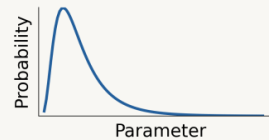
## Joint distribution ( $U, \sigma_u, L, \rho$ )

Probability density function  
for multiple random variables

Probability is area under curve



## 1. Marginals



- Distribution single random variable
- Frequency of occurrence of values
- Model or empirical

## 2. Correlations

- Linear relationship between different random variables
- Organized in matrix
- Direct calculation



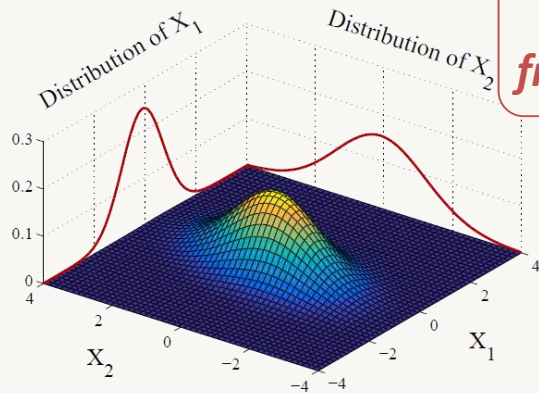
	$X_1$	$X_2$
$X_1$	1	0.7
$X_2$	0.7	1

# Characterize $\rho$ using joint probability distribution

## Joint distribution ( $U, \sigma_u, L, \rho$ )

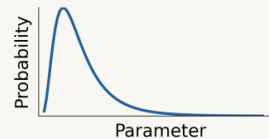
Probability density function  
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Probability is area under curve



**Can draw samples  
from joint distribution**

## 1. Marginals



- Distribution single random variable
- Frequency of occurrence of values
- Model or empirical

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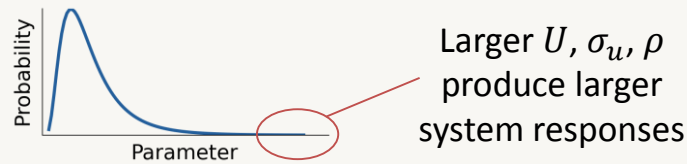
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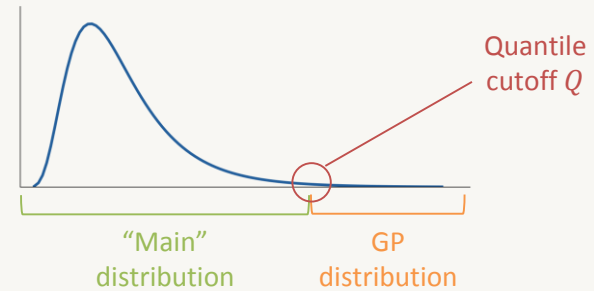
	$X_1$	$X_2$
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$X_2$	0.7	1

# Important that marginal models match data at high values

## Tail data

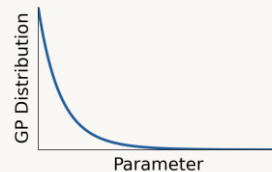


## "Composite" distribution



## Generalized Pareto (GP) distribution

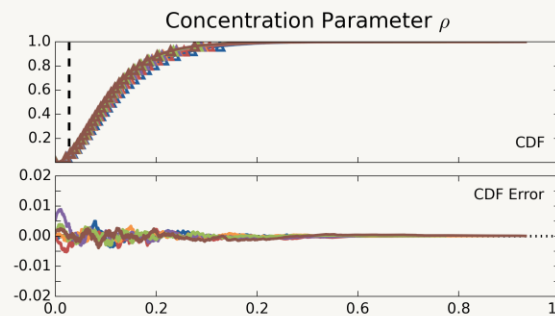
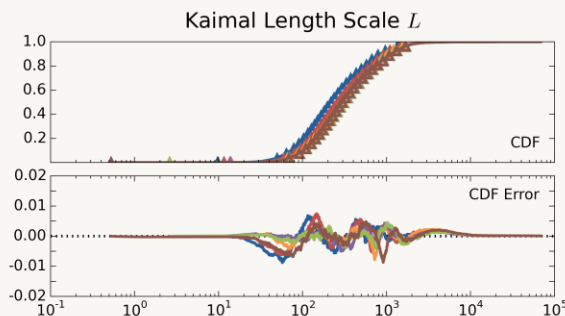
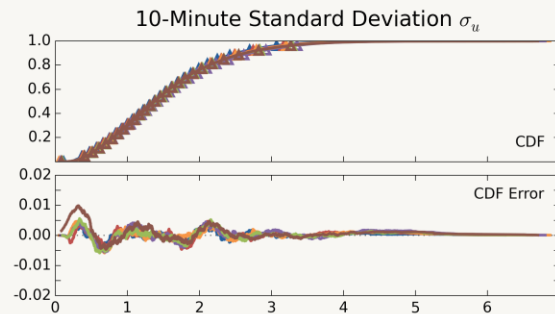
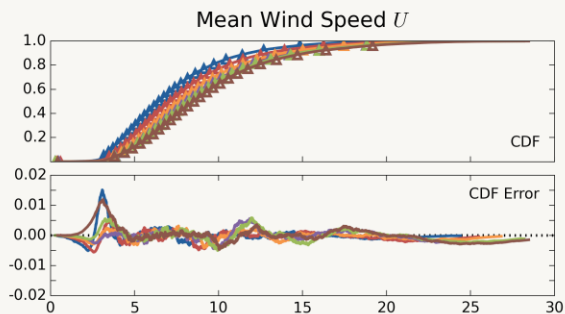
Probability of values above a specified threshold



Optimize parameters to minimize sum of CDF error

Multiple main distribution candidates

# Information from wind parameter distributions/model fits



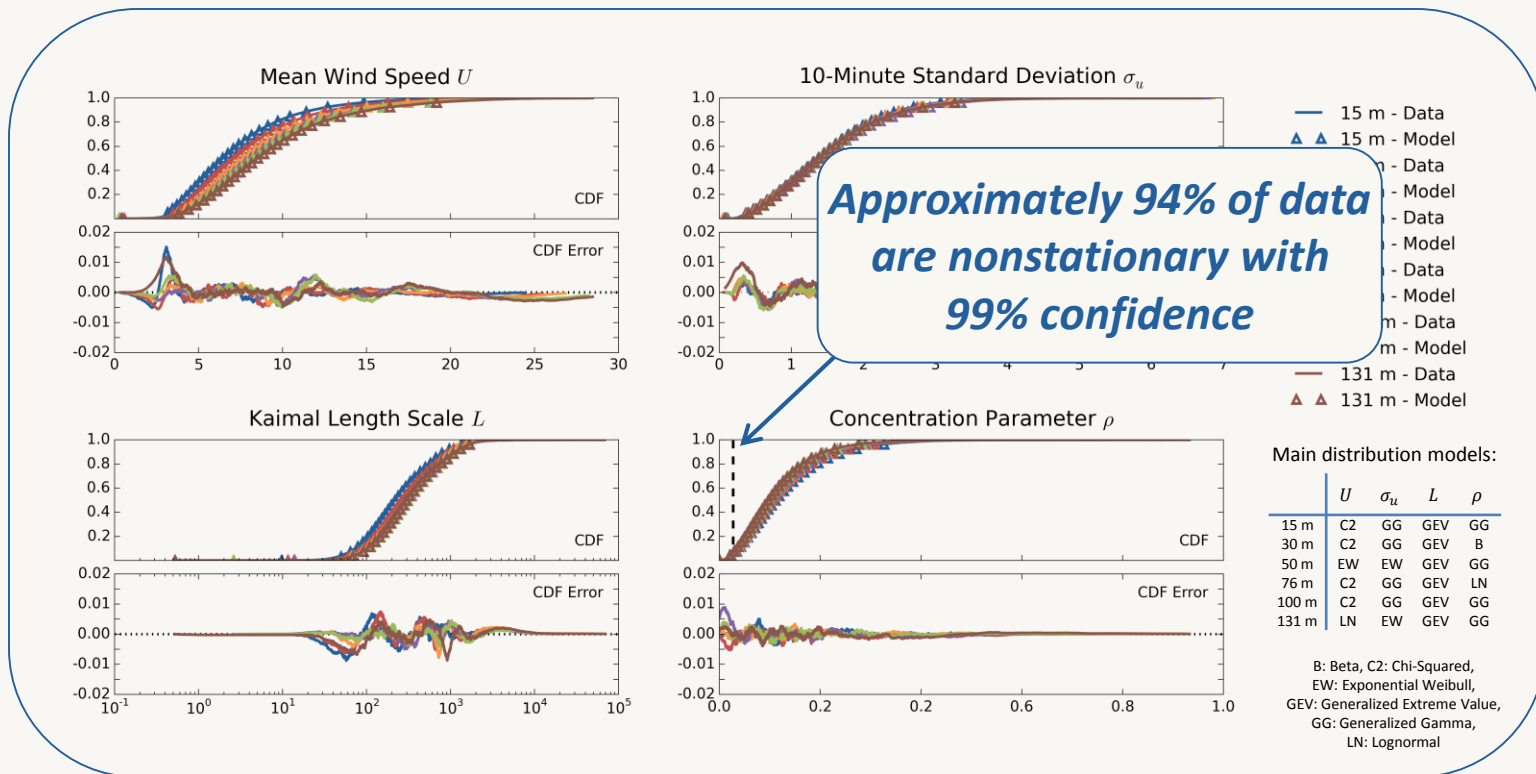
- 15 m - Data
- ▲ 15 m - Model
- 30 m - Data
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- 50 m - Data
- ▲ 50 m - Model
- 76 m - Data
- ▲ 76 m - Model
- 100 m - Data
- ▲ 100 m - Model
- 131 m - Data
- ▲ 131 m - Model

Main distribution models:

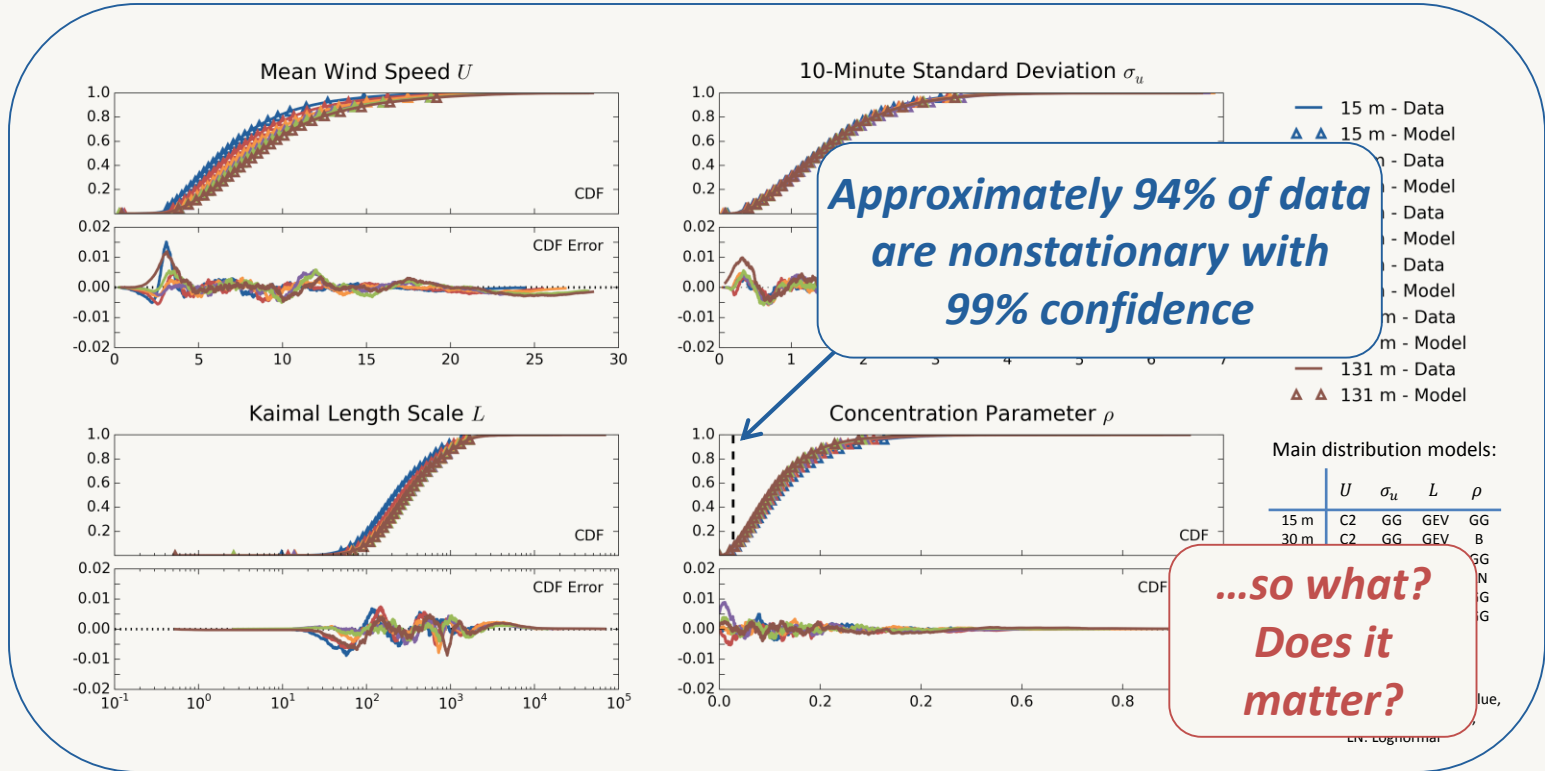
	$U$	$\sigma_u$	$L$	$\rho$
15 m	C2	GG	GEV	GG
30 m	C2	GG	GEV	B
50 m	EW	EW	GEV	GG
76 m	C2	GG	GEV	LN
100 m	C2	GG	GEV	GG
131 m	LN	EW	GEV	GG

B: Beta, C2: Chi-Squared,  
 EW: Exponential Weibull,  
 GEV: Generalized Extreme Value,  
 GG: Generalized Gamma,  
 LN: Lognormal

# Information from wind parameter distributions/model fits



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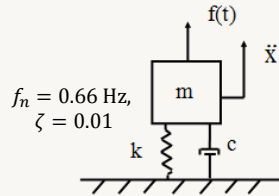


# Use SDOF to calculate increase in extrapolated ultimate load

## Extrapolating SDOF maximum response

3 cases:

1. IEC 61400-1 (WT II, TC B)
2. Distribution,  $\rho = 0$
3. Distribution,  $\rho \neq 0$



1. Sample wind parameters
2. Simulate turbulent wind
3. Calculate SDOF response
4. Extract maximum response
5. Extrapolate 50-year load

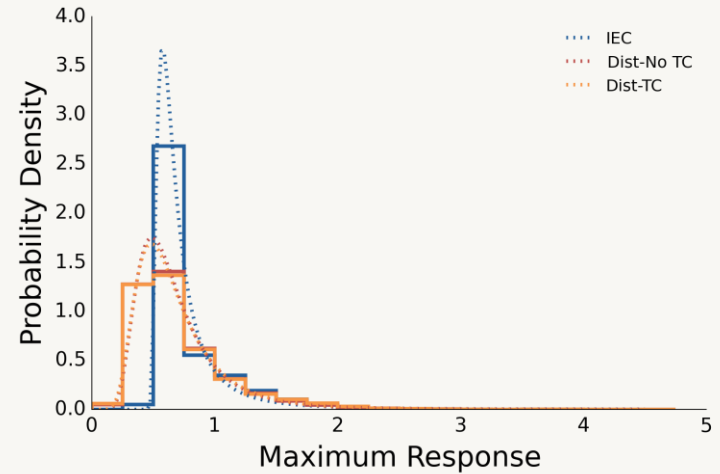


Wind

Response

**5,000 samples/  
case**

## Maximum response distributions



$$p_{ext} = 3.8 \times 10^{-7}: \quad \begin{aligned} F_{IEC} &\approx 449 \\ F_{NoTC} &\approx 21 \\ F_{TC} &\approx 27 \end{aligned}$$

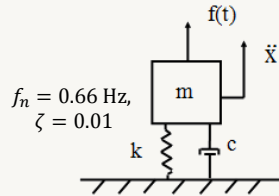


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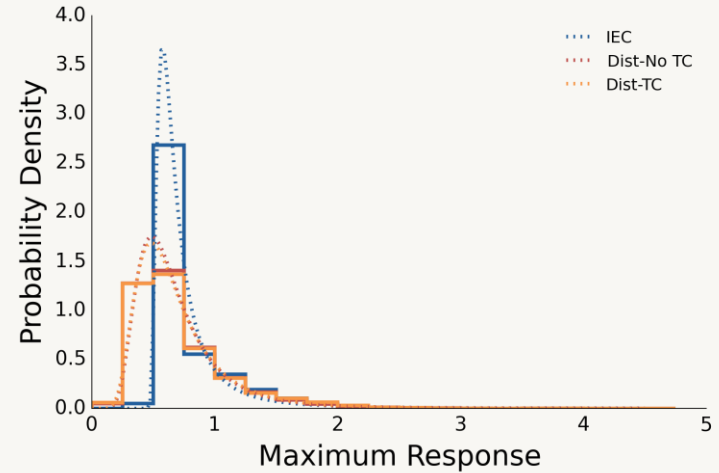


Wind

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$$F_{IEC} \approx 449$$

$$F_{NoTC} \approx 21$$

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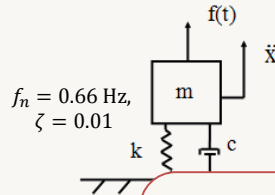
**28.3%  
increase**

# Use SDOF to calculate increase in extrapolated ultimate load

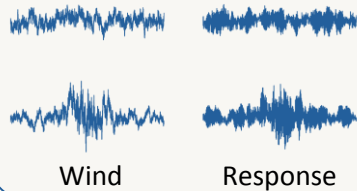
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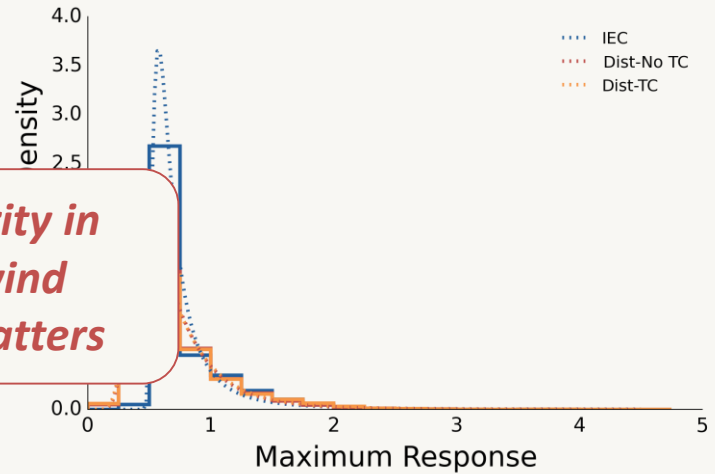
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**5,000 samples/  
case**

**Nonstationarity in  
"normal" wind  
conditions matters**

## Maximum response distributions



$$p_{ext} = 3.8 \times 10^{-7}$$

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**28.3%  
increase**

# Summary

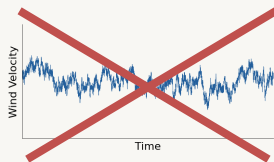
**Simulator**

**Data Analysis**

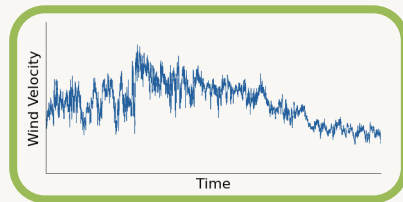


# Summary

## Simulator



Nonstationary, stochastic

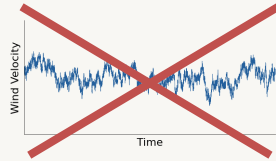


## Data Analysis

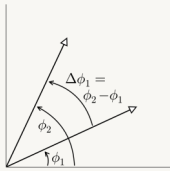
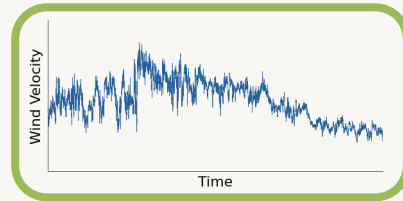
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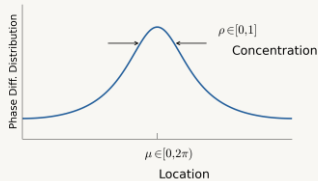
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Nonstationary, stochastic

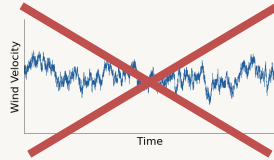


Temporal coherence  
via PDDs

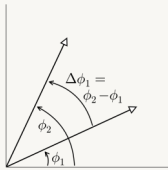
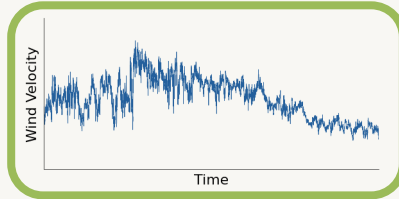


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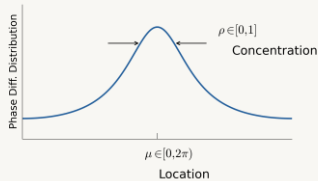
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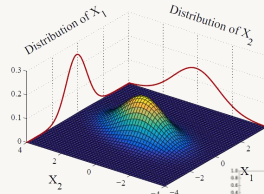
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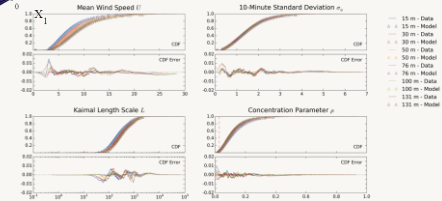
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## Data Analysis

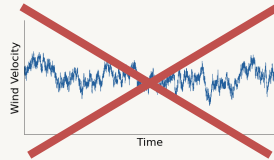


Fit joint dist. to  
NWTC data

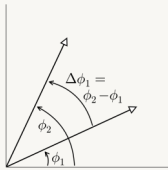
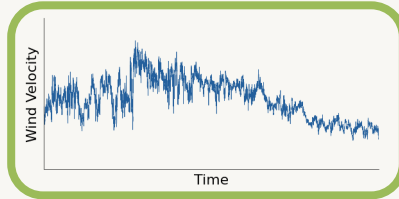


# Summary

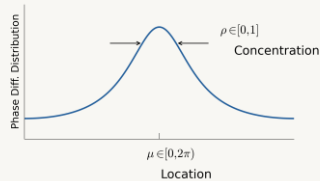
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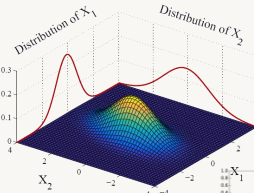
Nonstationary, stochastic



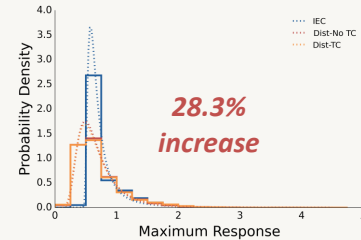
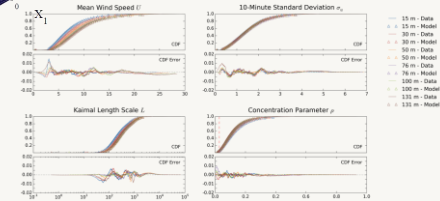
Temporal coherence  
via PDDs



## Data Analysis



Fit joint dist. to  
NWTC data



SDOF loads  
extrapolation

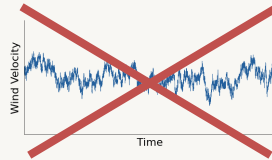
# *Acknowledgements*

This material is based upon work supported by the **National Science Foundation Graduate Research Fellowship Program** under Grant No. 1106401; by the **U.S. Department of Energy (DOE)**, Office of Science (OS), Office of Workforce Development for Teachers and Scientists, **OS Graduate Student Research (SCGSR)** program; by the U.S. DOE under Contract No. DE-AC36-08GO28308 with NREL; by the DOE Office of Energy Efficiency and Renewable Energy, Wind and Water Power Technologies Office.

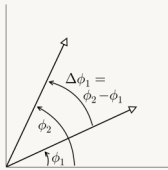
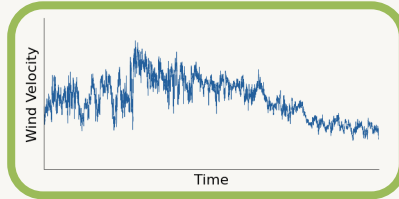


# Thank you! Questions?

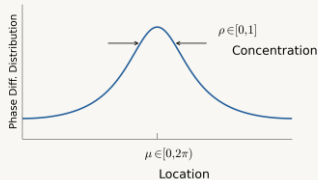
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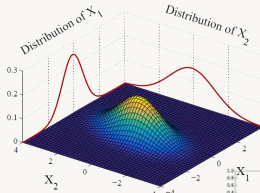
Nonstationary, stochastic



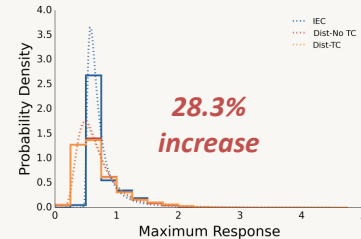
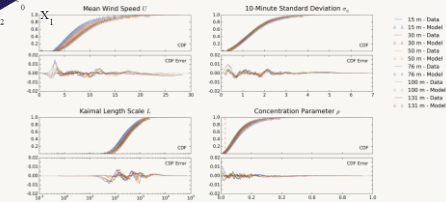
Temporal coherence  
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## Data Analysis



Fit joint dist. to  
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SDOF loads  
extrapolation

# Empirical histograms don't match IEC distributions

