

APPENDIX A NOTATION

Let A and B be two sets. The following notation is from Färe, Rolf, Shawna Grosskopf, and C. A. Knox Lovell, 1994.

\mathbf{x}		vector of inputs (x_1, x_2, \dots, x_I) .
\mathbf{u}		vector of outputs (u_1, u_2, \dots, u_J)
x_i		input i .
u_j		output j .
I		inputs $1, \dots, i, \dots, I$
J		outputs $1, \dots, j, \dots, J$
t		time period
\in	$a \in A$	a is an element in A
\notin	$a \notin A$	a is not an element in A
\subseteq	$A \subseteq B$	A is a subset of B
\cup	$A \cup B$	$\{x: x \in A \text{ and } x \in B\}$
\cap	$A \cap B$	$\{x: x \in A \text{ or } x \in B\}$
\mathfrak{R}^N		Euclidean space of dimension N
$\underline{\underline{\ge}}$		$x, y \in \mathfrak{R}^N$, $x \underline{\underline{\ge}} y$ if and only if $x_n \underline{\underline{\ge}} y_n$, $n = 1, 2, \dots, N$
\geq		$x \geq y$ if and only if $x \underline{\underline{\ge}} y$ and $x \neq y$
$>^*$		$x >^* y$ if and only if $x_n \underline{\underline{\ge}} y_n$ or $x_n = y_n = 0$, $n = 1, 2, \dots, N$
\mathfrak{R}_+^N		$\mathfrak{R}_+^N = \{x: x \in \mathfrak{R}^N, x \underline{\underline{\ge}} 0\}$
Σ		sum sign
\exists		there exists
\forall		for all
\neg		logical not
s.t.		subject to
A is convex		for all $0 \leq \lambda \leq 1$, $x, y \in A$, $\lambda x + (1-\lambda)y \in A$